#### Supernova Neutrinos: The Burst and Early Accretion Phase

**Flavor Observations with SN Neutrinos** 

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#### **CHIMERA Team**

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#### Supernova neutrino "lightcurves"





## Neutrino trapping

$$
\lambda_{v} = \frac{1}{\sigma_{A}n_{A}}
$$
 During stellar core collapse, the neutrino opacity is  
\ndominated by coherent scattering on nuclei.  
\n
$$
\sigma_{A} = \frac{\rho}{16}\sigma_{0}\left(\frac{E_{v}}{m_{e}c^{2}}\right)^{2} A^{2} \left[1 - \frac{Z}{A} + \left(4\sin^{2}\theta_{W} - 1\right)\frac{Z}{A}\right]^{2}
$$
 Freedman, PRD 9, 1389 (1974)  
\n
$$
\lambda_{v} \approx 100 \text{ km} \left(\frac{\rho}{3 \times 10^{10} \text{ g cm}^{-3}}\right)^{-5/3} \left(\frac{A}{56}\right)^{-1} \left(\frac{Y_{e}}{26/56}\right)^{2/3} \propto \rho^{-5/3}
$$
Arnett, ApJ 218, 815 (1977)  
\n
$$
R_{\text{core}} \approx \left(\frac{3M_{\text{core}}}{4\pi\rho}\right)^{1/3} \approx 270 \text{ km} \left(\frac{\rho}{3 \times 10^{10} \text{ g cm}^{-3}}\right)^{-1/3} \left(\frac{Y_{e}}{26/56}\right)^{2/3} \propto \rho^{-1/3}
$$

Electron-neutrino mean free path decreases much more rapidly with density than does the size of the core, and the neutrinos become trapped in the core.

Degenerate electron-neutrino Fermi sea develops (EF > 100 MeV)



#### Important neutrino emissivities/opacities

Bruenn, *Ap.J. Suppl*. (1985)

- Nucleons in nucleus independent. (N>40 --> e capture shut off)
- No energy exchange in nucleonic scattering.

"Standard" Emissivities/Opacities

$$
e^- + p, A \Leftrightarrow \nu_e + n, A'
$$
\nLanguage  $e^+ + e^- \Leftrightarrow \nu_{e,\mu,\tau} + \overline{\nu}_{e,\mu,\tau}$ 

\nExample 2: The image shows a factor of the number of numbers in the interval  $e^+ + e^- \Leftrightarrow \nu_{e,\mu,\tau} + \overline{\nu}_{e,\mu,\tau}$ 

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\nExample 3: The image shows a factor of the number of numbers in the interval  $e^-$  and  $e^-$  and  $e^-$  are  $e^-$ 



#### Spherically symmetric collapse and shock propagation





radius [km]



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#### The neutronization burst is insensitive to a lot.  $\sim$   $\blacktriangle$  $\overline{\phantom{a}}$ <u>n</u> 30 I DUIST IS IN yn purst is msen  $\bullet$ **n** 30 tensi  $\bullet$  1 e neutronization burst is insens Lν [1051erg/s]  $\overline{1}$ 300  $\overline{1}$ 300 400 νe 300 **γειρά της Στην Αντικής** 21 500 νe

<u>elr</u> Kachelrieß+ 2005





 $\overline{\phantom{a}}$ and  $\alpha$  v/c)-transport limit are more dramatic than the more dramatic than the more dramatic than those seen in  $\ddot{\phantom{a}}$ GR: Higher luminosity, harder spectrum

ReducOp opacities: Narrower breakout burst  $\sum_{i=1}^{n}$  M $\sum_{i=1}^{n}$ 

 $\mathbf{0}$   $\mathbf{$ **luminosity in accretion phase** In Observer Corrections: Reduced breakout burst and reduced candul buist and reduced corresponding increase in core lepton fraction, from Y<sup>L</sup> = ve<br>Re<br>h 4 No Observer Corrections: **Reduced breakout burst and reduced**  l<br>Ba



#### Post-bounce profile



Hillebrandt & Janka 2006 (Sci Am)



## Neutrino heating in the gain region



Neutrino heating depends on neutrino luminosities, spectra, and angular distributions.

$$
\dot{\epsilon}=\frac{X_{n}}{\lambda_{0}^{2}}\frac{L_{\nu_{\rm c}}}{4\pi r^{2}}\langle E_{\nu_{\rm c}}^{2}\rangle\langle\frac{1}{\mathcal{F}}\rangle+\frac{X_{p}}{\bar{\lambda}_{0}^{2}}\frac{L_{\bar{\nu}_{\rm c}}}{4\pi r^{2}}\langle E_{\bar{\nu}_{\rm c}}^{2}\rangle\langle\frac{1}{\bar{\mathcal{F}}}\rangle
$$

 *Must compute neutrino distribution functions.* 

$$
f(t,r,\theta,\phi,E,\theta_p,\phi_p)
$$

**Multifrequency Multiangle** 

$$
E_R(t, r, \theta, \phi, E) = \int d\theta_p \, d\phi_p \, f
$$

$$
F_R^i(t, r, \theta, \phi, E) = \int d\theta_p \, d\phi_p \, n^i f
$$

**Multifrequency** (*solve for lowest-order multifrequency angular moments: energy and momentum density/frequency*)

Requires a closure prescription:

- MGFLD
- MGVEF/MGVET



#### CHIMERA

- "Ray-by-ray-**Plus**" MGFLD Neutrino Transport
	- O(v/c), GR time dilation and redshift, GR aberration
- PPM Hydrodynamics (finite-volume)
	- GR time dilation, effective gravitational potential
	- adaptive radial grid
- Lattimer-Swesty EOS + low-density BCK EOS
	- $-$  K=220 MeV
	- low-density EOS (BCK+NSE solver) "bridges" LS to network
- Nuclear (Alpha) Network
	- 14 alpha nuclei between helium and zinc
- Effective Gravitational Potential
	- Marek et al. A&A, 445, 273 (2006)
- Neutrino Emissivities/Opacities
	- "Standard" + Elastic Scattering on Nucleons + Nucleon– Nucleon Bremsstrahlung





#### Bruenn et al. 2013. *ApJ*, **767L**, 6B.

 $(km)$ 

#### Chimera model: B15-WH07

 $-327.5$  ms



# 15 solar mass 3D run



- •15 solar mass WH07 progenitor
- •540 radial zones covering inner 11000 km
- •180 phi zones (2 degree resolution)
- •180 theta zones in "constant mu" grid, from 2/3 degree at equator to one 8.5 degree zone at pole.
- •"Full" opacities
- •0.1% density perturbations (10-30 km) applied at 1.3 ms after bounce in transition from 1D.



Lentz et al. *ApJL* **807**, L31 (2015)







**C15-3D** 

 $Time = 136.9$  ms



#### 3D vs 2D luminosities



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#### Probing multi-D supernova dynamics



Neutrino-driven convection & standing accretion shock instability (SASI) can *both* modulate neutrino signal.



#### Time scales

$$
t_{diff} = \tau L/c
$$

$$
\tau \approx 3
$$

$$
L \approx 50 km
$$

$$
\rightarrow t_{diff} \approx 0.5 ms
$$

• Typical for accretion phase –during cooling, optical depth increases faster than typical extent of source  $-$  t<sub>diff</sub> increases

$$
t_{conv} \approx 10 - 20ms
$$

• cf. luminosity variability shown earlier

 $f_{SASI} \approx tens - 100Hz$  $t_{SASI} \approx 10 - 100$ *ms* 

•LESA timescale > SASI



#### Multi-flavor detection



#### 2D - ν**e** total counts vs. time



C15-2D, angle-averaged, SNOwGLoBES Ar17kt, 10 kpc



#### 2D - ν**e** total counts vs. time



C15-2D, angle-averaged, SNOwGLoBES Ar17kt, 10 kpc



#### 3 flavor oscillations with  $v_x$  and anti- $v_x$

$$
F_e = \frac{1}{4\pi R^2} [p_{ee} \Phi_e + (1 + p_{ee}) \Phi_x]
$$
  
\n
$$
F_{\mu} + F_{\tau} = \frac{1}{4\pi R^2} [(1 - p_{ee}) \Phi_e + (1 + p_{ee}) \Phi_x]
$$
  
\n
$$
\overline{F}_e = \frac{1}{4\pi R^2} [\overline{p}_{ee} \overline{\Phi}_e + (1 - \overline{p}_{ee}) \overline{\Phi}_x]
$$
  
\n
$$
\overline{F}_{\mu} + \overline{F}_{\tau} = \frac{1}{4\pi R^2} [(1 - \overline{p}_{ee}) \overline{\Phi}_e + (1 + \overline{p}_{ee}) \overline{\Phi}_x]
$$

general three-flavor expressions from J. Kneller (2015, private communication)



## SN ν oscillations: simplest scenario

(see, e.g., Mirizzi+15, Duan+10 for reviews)

No self-induced oscillations, no Earth effects, adiabatic evolution. Survival probabilities:

Normal Hierarchy:

Inverted Hierarchy:

$$
(P_{ee}, \bar{P}_{ee}) = (0, \cos^2 \theta_{12})
$$

$$
(P_{ee}, \bar{P}_{ee}) = (\sin^2 \theta_{12}, 0)
$$



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#### 3 flavor oscillations with  $v_x$  and anti- $v_x$

$$
\overline{NH} \quad \text{Normal hierarchy}
$$
\n
$$
F_e = \frac{1}{4\pi R^2} [\Phi_x]
$$
\n
$$
F_{\mu} + F_{\tau} = \frac{1}{4\pi R^2} [\Phi_e + \Phi_x]
$$
\n
$$
\overline{F}_e = \frac{1}{4\pi R^2} [\cos^2(\theta_{12}) \overline{\Phi}_e + \sin^2(\theta_{12}) \overline{\Phi}_x]
$$
\n
$$
\overline{F}_{\mu} + \overline{F}_{\tau} = \frac{1}{4\pi R^2} [\sin^2(\theta_{12}) \overline{\Phi}_e + (1 + \cos^2(\theta_{12})) \overline{\Phi}_x]
$$

N.B.  $\Phi_x$  is <u>half</u> of the nu\_x flux (i.e. half of  $[\Phi_\mu + \Phi_\tau]$ )



#### Count rate -  $v_e$  + <sup>40</sup>Ar  $\rightarrow e^-$  + <sup>40</sup>K<sup>\*</sup>  $\overline{a}$



# The alpha fit during accretion

- Alpha fit (Keil+03) reproduces mean energy fairly well
- •But, at early times…
	- –overestimates much of higherenergy tail
	- –underestimates maximum spectral flux
- •What effect, e.g., for discerning hardening from accretion luminosity cut-off?
	- –Typical simulations produce O(thousands) timesteps with 20 neutrino bins —> 3-4 MB/lineof-sight for L<sub>num</sub>



## **Summary**

- •Multi-dimensional core-collapse supernova simulations with high-fidelity neutrino transport necessarily cover the collapse and accretion epochs, extending little into the PNS cooling epoch.
- •Multi-D effects can modulate the neutrino signal in multiple flavors on 10 ms time scales.
- •Collective effects are important at late times, but definitive calculations may require quantum kinetic simulations.
- •Time-independent, spherically symmetric fits are convenient, but lose information.

