# Probing the Equation of State

with

# Neutrinos from Core-collapse Supernovae (?)

**Tobias Fischer** University of Wrocław, Poland "Dense Phases of Matter"

INT Workshop, Seattle WA, July 2016

















#### 7 Nobel Prize winners:

- 1. Theodor Mommsen (1817-1903) 1902 (literature)
- Phillip Lénàrd (1862-1947)
   1905 (physics)
- Eduard Buchner (1860-1917) 1907 (chemistry)
- 4. Paul Ehrlich (1854-1915) 1908 (medicine)
- 5. Gerhart Hauptmann (1862-1946) 1912 (literature)
- 6. Fritz Haber (1868-1934) 1918 (chemistry)
- 7. Max Born (1882-1970) 1954 (physics)



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# Neutrinos from Core-collapse Supernovae (?)

#### Contents:

- Motivation
- Modeling core collapse supernovae
- Supernova phenomenology
- Equation of state dependence of the neutrino signal
- Summary

## Constraints (?)

A neutron stars is born in a core-collapse supernova explosion as hot & lepton-rich protoneutron star (PNS)

PNSs develop (**deleptonize & cool**) towards neutron stars via the emission of neutrinos of all flavors for about 10–30 s

Some insights from SN1987A:

 $E_{expl} \sim 10^{51} \mbox{ erg}$  ,  $E_{\nu} \sim 3 \ x \ 10^{53} \mbox{ erg}$ 

All current supernova models (that include "accurate" neutrino transport !!!) are in agreement with SN1987A





#### Neutrino detection – current and future



#### Supernova equation of state



Conditions:

 $T \simeq 10^{-2} - 50 \text{ MeV}$   $\rho \simeq 0 - 2 \times n_0$   $Y_e \simeq 0.01 - 0.6$ (charge fraction/density)

Extends beyond a "simple" relation between pressure and energy

Nuclear clustering; <sup>2</sup>H, <sup>3</sup>H, <sup>3</sup>He, <sup>4</sup>He

Mott-transition to homogeneous phase

Nuclear medium modifies nucleon properties/nuclear masses (binding energy shifts)

TF. et al.,(2011) ApJS 194, 39

## Modeling core-collapse supernovae

#### **General picture**



Core-collapse supernova converts iron-core of massive star into protoneutron star

Binding energy gain available in form of neutrinos of all flavors

Strong gravity of PNS requires general relativity

Misner & Sharp (1964) PhyRev.136, 571 Lindquist (1966) AnnPhys.37, 487

## Neutrino transport . .

Neutrinos are light-like geodesics in curved spacetime; massless ultra-relativistic particles.

$$F_{\nu}(t, \vec{x}, \vec{v}) \longrightarrow F_{\nu}(t, a, \mu = \cos \theta, E) = \frac{f_{\nu}(t, a, \mu, E)}{\rho}$$

 $dN_{\nu} = F_{\nu}(t, a, \mu, E) E^2 dE d\mu da$ 

$$\begin{aligned} \frac{\partial F}{\alpha \partial t}(\mu, E) &= -\frac{\mu}{\alpha} \frac{\partial}{\partial a} \left(4\pi r^2 \alpha \rho F\right) \\ &- \Gamma\left(\frac{1}{r} - \frac{1}{\alpha} \frac{\partial \alpha}{\partial r}\right) \frac{\partial}{\partial \mu} \left[\left(1 - \mu^2\right) F\right] \\ &- \left(\frac{\partial \ln \rho}{\alpha \partial t} + \frac{3u}{r}\right) \frac{\partial}{\partial \mu} \left[\mu \left(1 - \mu^2\right) F\right] \\ &+ \mu \Gamma \frac{1}{\alpha} \frac{\partial \alpha}{\partial r} \frac{1}{E^2} \frac{\partial}{\partial E} \left(E^3 F\right) \\ &- \left[\mu^2 \left(\frac{\partial \ln \rho}{\alpha \partial t} + \frac{3u}{r}\right) - \frac{u}{r}\right] \frac{1}{E^2} \frac{\partial}{\partial E} \left(E^3 F\right) \\ &+ \left.\frac{\partial F}{\alpha \partial t}\right|_{coll} (\mu, E) \end{aligned}$$

Liebendörfer et al., (2004) ApJS 150, 263



propagation of the neutrinos along geodesics with changing local angle  $\boldsymbol{\mu}$ 

Doppler shift and the angular aberration between adjacent comoving observers for  $\mu \neq 0$ 

red/blueshift spectra

### **Collision integral**

Mezzacappa & Bruenn (1993) ApJ 405, 669 Mezzacappa & Bruenn (1993) ApJ 410, 740

$$\frac{\partial F}{\alpha \partial t}(\mu, E) \bigg|_{\text{collision}} = j(E) \left(\frac{1}{\rho} - F(\mu, E)\right) - \frac{1}{\lambda(E)} F(\mu, E)$$

emissivity

opacity/absorptivity

 $\begin{array}{l} e^- + p \leftrightarrows n + \nu_e \\ e^- + \langle A, Z \rangle \leftrightarrows \langle A, Z - 1 \rangle + \nu_e \\ \end{array}$ Juodagalvis et al. (2010), NPA 848, 454  $e^+ + n \leftrightarrows p + \bar{\nu}_e$ 

#### **Collision** integral

Mezzacappa & Bruenn (1993) ApJ 405, 669 Mezzacappa & Bruenn (1993) ApJ 410, 740

$$\begin{split} \frac{\partial F}{\alpha \partial t}(\mu, E) \Big|_{\text{collision}} &= j(E) \left(\frac{1}{\rho} - F(\mu, E)\right) - \frac{1}{\lambda(E)} F(\mu, E) \\ &+ \left. \frac{1}{c} \frac{E^2}{(h \, c)^3} \int d\mu' R_{\nu N}(\mu', \mu, E) F(\mu', E) - \frac{1}{c} \frac{E^2 F(\mu, E)}{(h \, c)^3} \int d\mu' R_{\nu N}(\mu', \mu, E) \right. \\ &+ \left. \frac{1}{c} \frac{E^2}{(h \, c)^3} \left(\frac{1}{\rho} - F(\mu, E)\right) \int d\mu' \, dE' \, E'^2 \, R_{\nu e^{\pm}}^{\text{IN}}(\mu, \mu', E, E') \, F(\mu', E') \right. \\ &- \left. \frac{1}{c} \frac{E^2}{(h \, c)^3} F(\mu, E) \int d\mu' \, dE' \, E'^2 \, R_{\nu e^{\pm}}^{\text{OUT}}(\mu, \mu', E, E') \, \left(\frac{1}{\rho} - F(\mu', E')\right) \right. \end{split}$$

pair reactions

Charged current

 $e^- + p \leftrightarrows n + \nu_e$  $e^- + \langle A, Z \rangle \leftrightarrows \langle A, Z - 1 \rangle + \nu_e$ Juodagalvis et al. (2010), NPA 848, 454

 $e^+ + n \leftrightarrows p + \bar{\nu}_e$ 

scattering 
$$\begin{cases} \nu + N \rightleftharpoons \nu + N \quad (N = n, p) \\ \nu + \langle A, Z \rangle \rightleftharpoons \nu + \langle A, Z \rangle \end{cases}$$

 $\nu + e^{\pm} \rightleftharpoons \nu + e^{\pm}$ 

 $e^- + e^+ \rightleftharpoons \nu + \bar{\nu}$  $N + N \rightleftharpoons N + N + \nu + \bar{\nu} \ (N = n, p, )$ Hannestadt & Raffelt, (1998), ApJ 507, 339

$$\nu_e + \bar{\nu}_e \rightleftharpoons \nu_{\mu/\tau} + \bar{\nu}_{\mu/\tau}$$

 $\langle A, Z \rangle^* \rightleftharpoons \langle A, Z \rangle + \nu + \bar{\nu}$ 

Fuller & Meyer (1991) ApJ 376, 701 TF. et al. (2013), PRC 88, 065804

#### Neutrino opacity and EoS



Here:  $S_V = S_A \equiv S(q_0, q)$ (density and spin response functions)

Lowest order medium modification of the weak rate; depends on the EoS (symmetry energy):



 $\mu_e$ 

$$q_0 = E_\nu - E_e \ , \qquad q = \mathbf{p}_\nu - \mathbf{p}_e$$

$$S(q_0, q) = 4\pi \int \frac{d^3 p_n}{(2\pi\hbar c)^3} \delta(q_0 + E_n - E_p) f_n(E_n) (1 - f_p(E_p))$$

 $1/\lambda(E_{\nu_e}) = \frac{G_F^2 V_{ud}^2}{\pi \hbar c} (g_V^2 + 3g_A^2) \int \frac{d^3 p_e}{(2\pi \hbar c)^3} (1 - F_e(E_e)) S(q_0, q)$ 

$$E_n = \frac{\mathbf{p}_n^2}{2\,m_n^*} + m_n^* + \boldsymbol{U_n}$$

$$U_n - U_p \propto S^F(T, \rho)$$

$$E_{p} = \frac{\mathbf{p}_{p}^{2}}{2 m_{p}^{*}} + m_{p}^{*} + U_{p}$$

Roberts et al., (2012) PRC 86, 065803 Horowitz et al., (2012) PRC 86, 065806 Martinez-Pinedo & TF et al., (2012) PRL109, 251104

# Core-collapse supernova phenomenology

#### Stellar core collapse

 $(Y_e = n_p/n_B)$  $(Y_e < 0.5 : neutron excess) \longrightarrow M_{core} > M_{Ch} \simeq 1.44 \left(\frac{Y_e}{0.5}\right)^2 M_{\odot}$  $(Y_e > 0.5 : neutron difficient)$ 



Implosion of the stellar core due to pressure loss; triggered from ecaptures on protons bound in nuclei

$$e^{-} + {}^{56}\text{Mn} \longrightarrow {}^{56}\text{Fe} + \nu_{e} \\ e^{-} + {}^{56}\text{Fe} \longrightarrow {}^{56}\text{Co} + \nu_{e} \\ e^{-} + {}^{56}\text{Co} \longrightarrow {}^{56}\text{Ni} + \nu_{e} \\ e^{-} + {}^{56}\text{Ni} + \nu_{e} \\ e^{-} + {}^{56}\text{Co} \longrightarrow {}^{56}\text{Ni} + \nu_{e} \\ e^{-} + {}^{56}\text{Co} \longrightarrow {}^{56}\text{Ni} + \nu_{e} \\ e^{-} + {}^{56}\text{Co} \longrightarrow {}^{56}\text{Ni} + \nu_{e} \\ e^{-} + {}^{56}\text{Ni} + \nu_{e} \\ e^{-$$

$$e^- + \langle A, Z \rangle \longrightarrow \langle A, Z - 1 \rangle + \nu_e$$



Collapsing stellar core neutronizes; electron fraction drops; collapse proceeds adiabatically/ supersonically

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Collapsing stellar core neutronizes; electron fraction drops; collapse proceeds adiabatically/ supersonically

#### Neutrino signal – infall phase



## nuclear de-excitations $\langle A, Z \rangle^* \longrightarrow \langle A, Z \rangle + \nu + \overline{\nu}$

Fuller & Meyer (1991), ApJ 376, 701 TF et al.,(2013) PRC 88, 065804

Supernova shock propagation across the sphere of last inelastic scattering (v-sphere)

v<sub>e</sub>-deleptonization burst is generic feature

charged current reactions

 $e^{-} + p \quad \leftrightarrows \quad n + \nu_{e}$  $e^{+} + n \quad \leftrightarrows \quad p + \bar{\nu}_{e}$ 

#### Supernova evolution in a nutshell



Collapse halts at saturation density where the core bounces back with the **formation of shock wave** 

Rapid shock acceleration to radii of about 100–200 km

Still gravitationally unstable outer layers of the stellar core; stellar collapse continues

Shock stalling due to energy losses – no prompt explosions

Later evolution determined from energy-balance due to:

- (a) ram pressure from mass accretion; infalling material ahead of shock
- (b) energy liberation (transport) deposition behind accretion shock

#### Neutrino signal – post-bounce



charged current reactions  $e^- + p \iff n + \nu_e$  $e^+ + n \iff p + \overline{\nu}_e$ 

 $\begin{array}{rcl} \text{pair processes} \\ e^- + e^+ & \leftrightarrows & \nu + \bar{\nu} \\ N + N & \leftrightarrows & N + N + \nu + \bar{\nu} \\ \nu_e + \bar{\nu}_e & \leftrightarrows & \nu_{\mu/\tau} + \bar{\nu}_{\mu/\tau} \end{array}$ 

elastic scattering  $\nu + N \iff \nu' + N$ 

 $\begin{array}{rl} \text{inelastic scattering} \\ \nu + e^{\pm} &\leftrightarrows \nu' + e^{\pm} \end{array}$ 

Neutrino-energy hierarchy reflects strength of coupling to matter

## Triggering the explosion onset



**General concept**: Energy liberation from central protoneutron star (PNS) to standing shock

Continuous energy deposition that drives shock to increasingly larger radii

(timescale: ~100 milliseconds)

Ejection of the stellar mantle; leaves *bare* PNS behind

Yam & Leonard (2009) Nature 458 A massive hypergiant star as the progenitor of the supernova SN 2005gl

"... was a single star and that it indeed vanished following the explosion of SN 2005gl ... On the basis of its luminosity, such a star is likely to be an extreme member of the group of luminous blue variable stars (LBVs), which are thought to be very massive (>50  $M_{solar}$ ) short-lived stars."

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#### Neutrino-driven supernova success stories



Not "complete" story yet - supernova problem not fully solved !

#### Magnetically-driven supernova explosions



Burrows et al., (2007) ApJ 669, 585



Winteler et al., (2013) ApJ 750, L22

Rapid rotation and amplification of magnetic field (Le Banc & Wilson (1970) ApJ 161, 542)

Energetic bi-polar explosions

May explain existence of magnetars

Caveat: requires very high core spin and/or initial magnetic field of stellar core

Perhaps few rare events

Associated with production of *r*-process elements:



## **PNS** deleptonization

Beyond supernova explosion onset – once the stellar mantle is ejected . . . The supernova story continues for more than 10 seconds! Mildly independent from details of the supernova explosion mechanism Can be modeled in spherical symmetry





low-mass outflow: "v-driven wind" (mass ejection from PNS surface)

> neutrino heating at PNS surface

PNS deleptonization (neutrino diffusion)

Pons et al., (1999) ApJ 513, 780

#### **PNS** deleptonization



#### **PNS** deleptonization



## Neutrino signal



#### Current models predict small spectral difference;

$$Y_{e} \simeq \left(1 + \frac{\varepsilon_{\bar{\nu}_{e}} - 2Q + 1.2Q^{2}/\varepsilon_{\bar{\nu}_{e}}}{\varepsilon_{\nu_{e}} - 2Q + 1.2Q^{2}/\varepsilon_{\nu_{e}}}\right)^{-1}$$
(similar neutrino luminosities)
$$\left\langle \varepsilon_{\bar{\nu}_{e}} \right\rangle - \left\langle \varepsilon_{\nu_{e}} \right\rangle \left\{ \begin{array}{l} \gtrsim 5 \text{ MeV} & (Y_{e} < 0.5) \\ \text{neutron rich} \end{array} \right.$$

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$$\left( \left\langle \varepsilon_{\nu} \right\rangle = \left\langle E_{\nu}^{2} \right\rangle / \left\langle E_{\nu} \right\rangle \right)$$

Light neutron-capture elements 38<Z<45:



Martinez-Pinedo & TF et al.,

(integrated nucleosynthesis)

# Equation of state dependence of the neutrino signal



Geometric approach; modifying the available volume:

$$V_i = V \phi_i$$
  
$$\phi_i = 1 - \sum_j v_j n_j$$

Excluded volume parameter:

$$v \equiv v_n = v_p$$

$$\phi(\rho; \mathbf{v}) = \exp\left\{-\frac{\mathbf{v}|\mathbf{v}|}{2}\left(\rho - \rho_0\right)^2\right\}$$

(Gauss-functional)

 $\begin{array}{l} {\rm DD2-RMF \ parameters:}\\ K=243 \ {\rm MeV}\\ S=31.67 \ {\rm MeV}\\ L=55.04 \ {\rm MeV} \end{array}$ 

#### TF (2016) EPJA 52, 54

(Evolution of central density and temperature)



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Supernova neutrino signal is insensitive to supra-saturation density EOS

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Affects only supersaturation density EoS; all other nuclear matter properties remain unchanged

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#### Quark-hadron phase transition



Sagert & TF et al.,(2009) PRL 102, 081101 TF et al., (2011) ApJS 194, 28

Quark matter EoS: bag model with fixed bag pressure

Transition from some nuclear model (TM1)

Hadron-quark transition region: extended phase of instability; large latent heat

#### Quark-hadron phase transition

Sagert & TF et al. (2009), PRL 102, 081101





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Neutrino signal from core-collapse supernovae mildly insensitive to supra-saturation density EoS

Great progress in modeling, in particular in view of multidimensional nature

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Massive star explosions (canonical) cannot explain galactic enrichment of **heavy** neutron-capture elements; 38<Z<45

Puzzle at low metallicity (?) – chemical evolution models:







Yuan et al., (2016) MNRAS 456, 3253



star observations (HD 122563)

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Puzzle at low metallicity (?) – chemical evolution models:

Role of light nuclear clusters (?) Requires consideration of associated weak processes consistent with EoS



 $\nu_e^{2} \mathrm{H} \rightleftharpoons p \, p \, e^{-}$  $\bar{\nu}_e \,^2 \mathrm{H} \rightleftharpoons n \, n \, e^+$  $\nu_e n n \rightleftharpoons {}^2 \mathrm{H} e^ \bar{\nu}_e p p \rightleftharpoons {}^2\mathrm{H} e^+$  $\nu_e {}^3\mathrm{H} \rightleftharpoons n \, p \, p \, e^ \bar{\nu}_e^{3} \mathrm{H} \rightleftharpoons n n n e^+$  $\nu_e {}^{3}\mathrm{H} \rightleftharpoons {}^{3}\mathrm{He} e^{-}$  $\bar{\nu}_e {}^3\mathrm{He} \rightleftharpoons {}^3\mathrm{He} e^+$  $\nu^2 \mathbf{H} \rightleftharpoons p \, n \, \nu$  $\nu^{2} \mathrm{H} \rightleftharpoons^{2} \mathrm{H} \nu$  $\nu {}^{3}\mathrm{H} \rightleftharpoons {}^{3}\mathrm{H} \nu$  $\nu^{3}$ He  $\rightleftharpoons^{3}$ He  $\nu$ 



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**Any chance for quark matter** (???) Develop more sophisticated (microscopic) quark matter EoS; chiral physics, finite temperatures and isospin asymmetry

$$M_{\rm max} \simeq 2 \, {\rm M}_{\odot}$$



Klähn & TF (2015) ApJ 810, 8

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- D. Blaschke M. Hempel T. Klähn M. Liebendörfer K. Langanke A. Lohs
- G. Martínez-Pinedo
- G. Röpke
- F.-K. Thielemann
- Y. Suwa
- S. Typel
- M. R. Wu

#### **Neutrino detection**





Neutrino cross section in a water target detector

(G.G.Raffelt)

#### The end of a massive star ( $\gtrsim 9 M_{\odot}$ )



Implosion of the stellar core due to pressure loss; triggered from e<sup>-</sup> captures on protons bound in nuclei

$$e^{-} + {}^{56}\text{Mn} \longrightarrow {}^{56}\text{Fe} + \nu_{e}$$

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$$e^{-} + {}^{56}\text{Co} \longrightarrow {}^{56}\text{Ni} + \nu_{e}$$

#### $e^- + \langle A, Z \rangle \longrightarrow \langle A, Z - 1 \rangle + \nu_e$

Collapsing stellar core neutronizes; electron fraction drops

$$Y_e = n_p/n_{\rm B}$$

. . . . . .

 $Y_e > 0.5$  : neutron rich  $Y_e > 0.5$  : proton rich

 $M_{Core} > M_{CH}$ 

#### Stellar core collapse



#### Stellar core collapse



#### Core bounce and shock formation



#### Post bounce mass accretion



0.15

 $\overline{\nu}_{e}$ 

 $\nu_e$ 

#### vBag approach to quark matter



## Neutrino signal in multi-dim'l simulations



Presence of millisecond variations of the neutrino signal

Induced from convection and associated shock oscillations

Persist even in detection on Earth

May allow distinction of strong bipolar explosions

#### Production of heavy-element



#### Some relevant current equation of state constraints

![](_page_54_Figure_1.jpeg)

Lattimer & Lim (2013) ApJ 771, 14

Antoniadis et al.,(2013) Science 340, 448