

Constraining Astrophysical Reaction Rates with Transfer Reactions at Low and Intermediate Energies

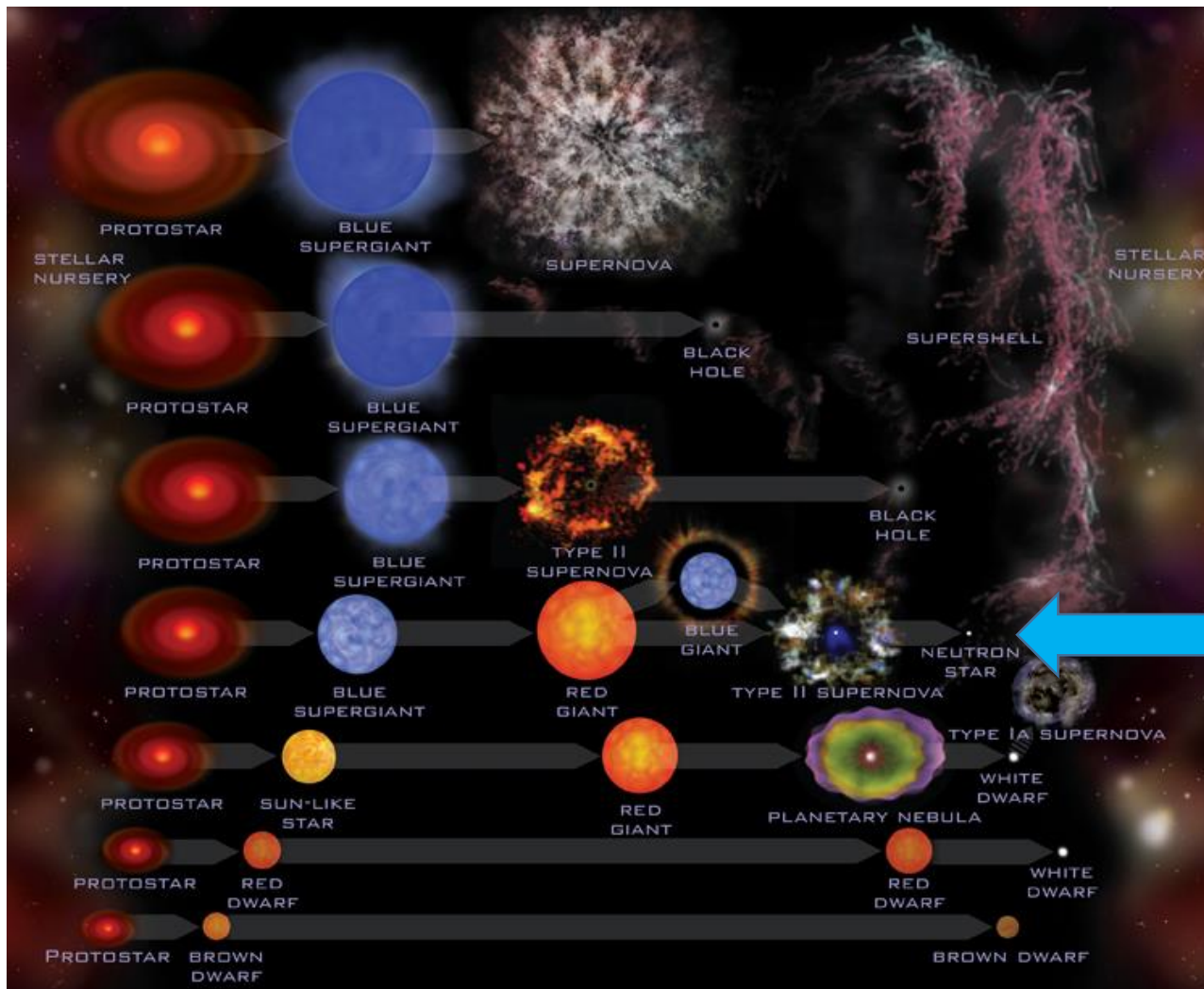
Christoph Langer (JINA/NSCL)

INT Workshop: *Reactions and Structure of Exotic Nuclei*
March 2015

HARDY



Understanding the origin of heavy elements – Understanding our own origin

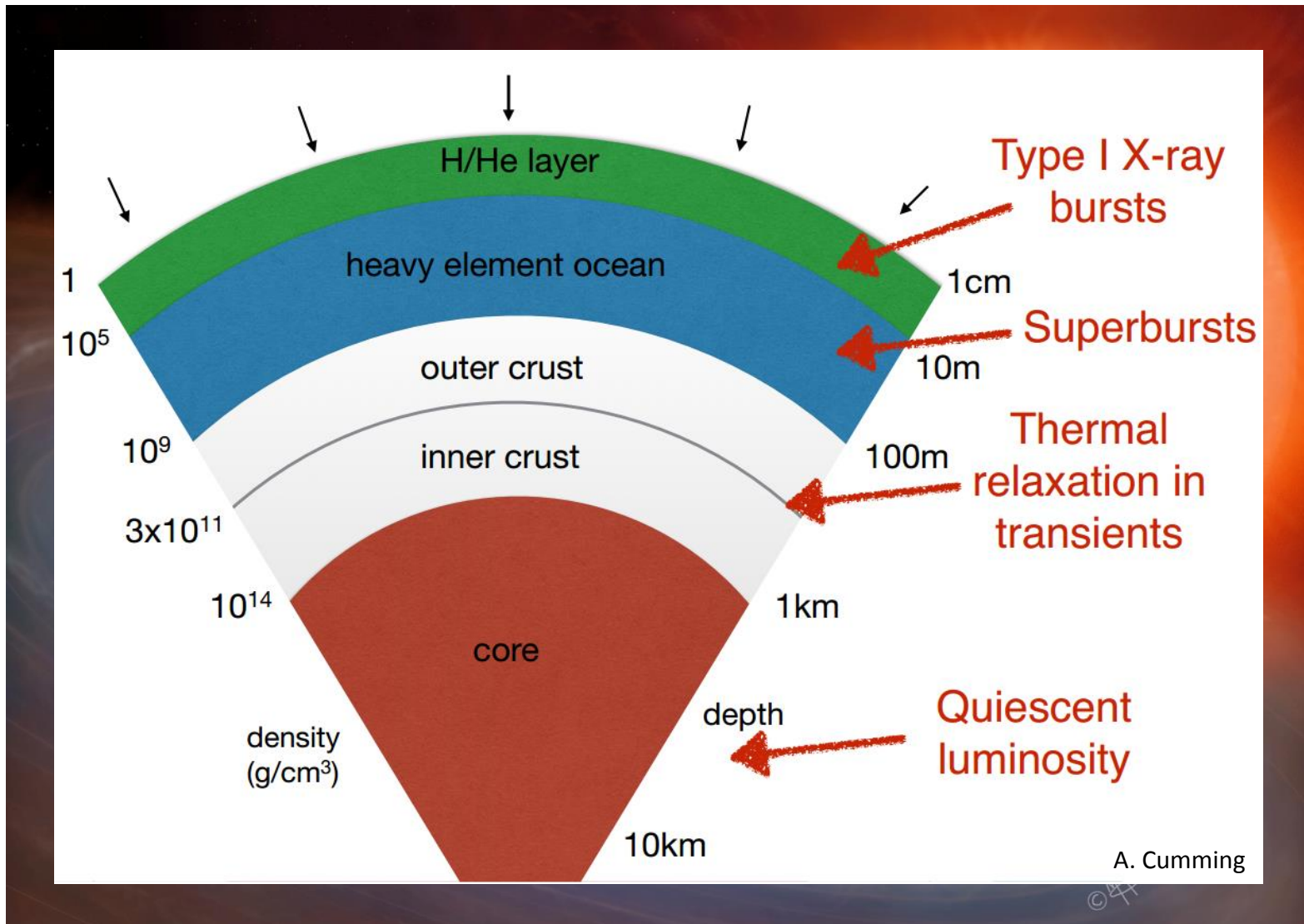


Chandra Harvard

→ Modeling stellar evolution requires reliable nuclear physics input



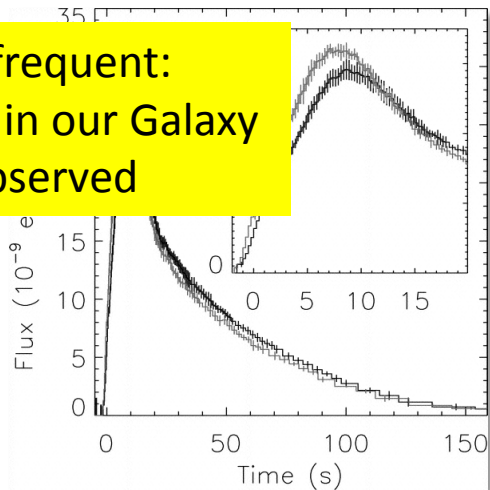
A special class of X-ray sources



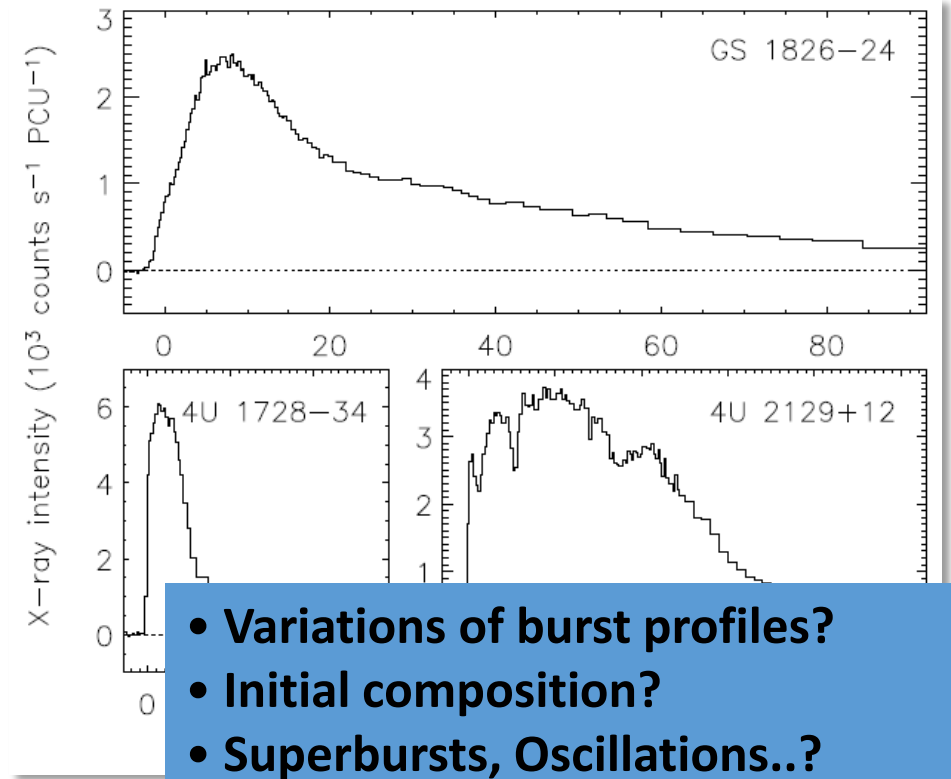
What if the H/He-layer ignites? → A type I X-ray burst takes place!

They are very bright!!

They are very frequent:
~ 100 bursters in our Galaxy
~ 10⁴ bursts observed



D. Galloway, astro-ph/0608259

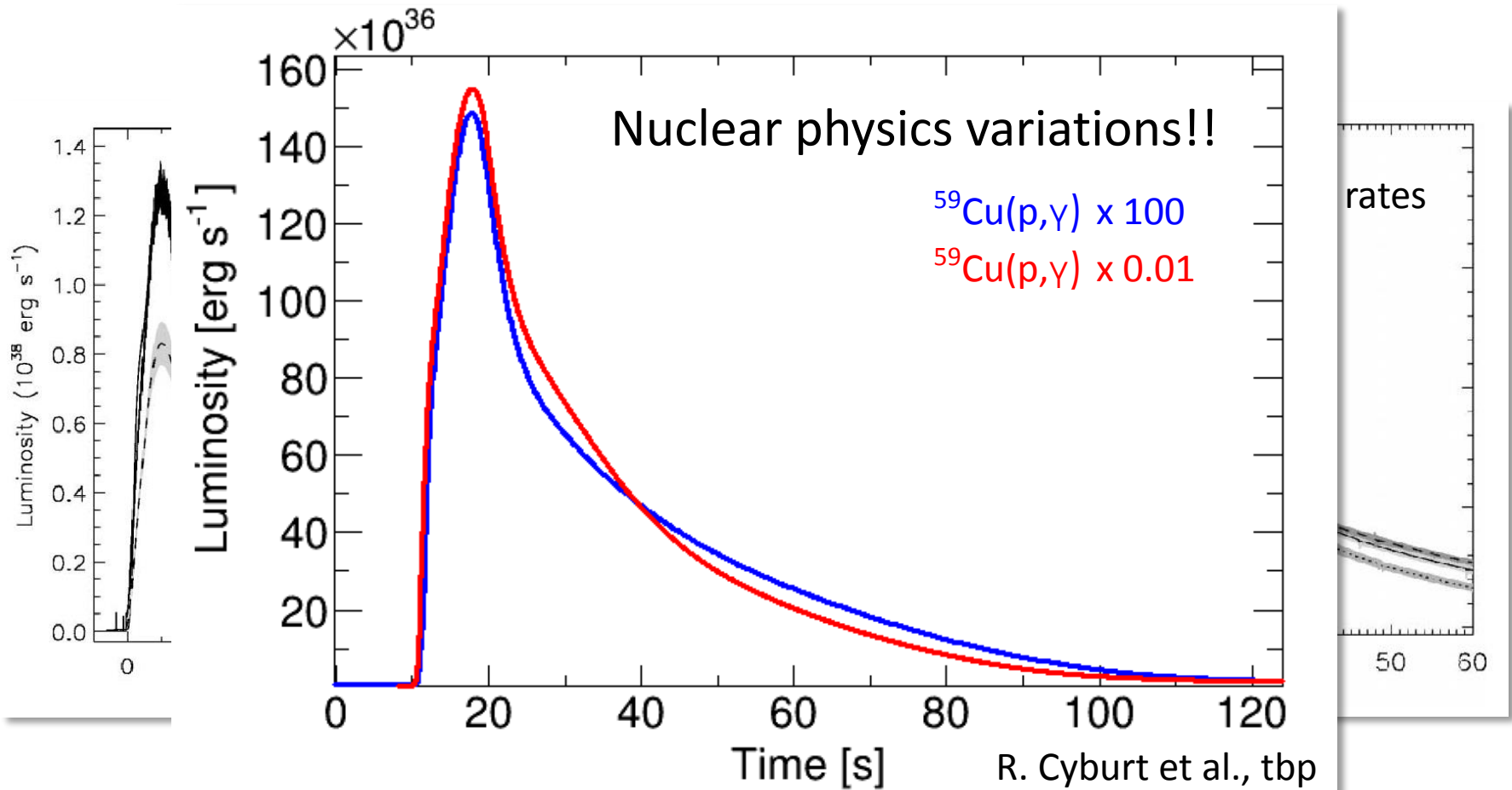


- Variations of burst profiles?
- Initial composition?
- Superbursts, Oscillations..?

Goal: extract astrophysical information from x-ray burst light curve
→ need nuclear physics input

ion?

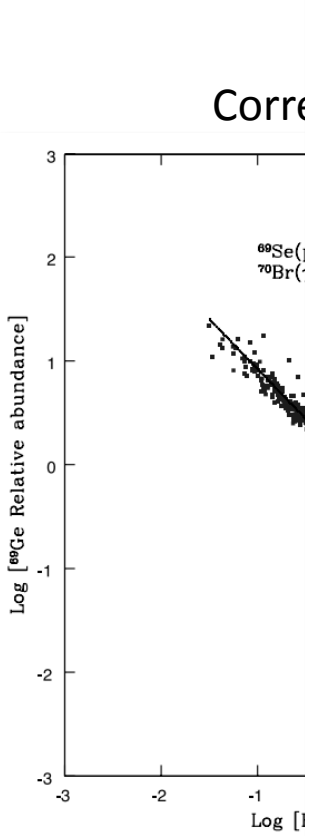
Astrophysical simulations with realistic nuclear physics



Goal: remove (reduce) uncertainties induced by nuclear physics
→ stellar parameters can be addressed

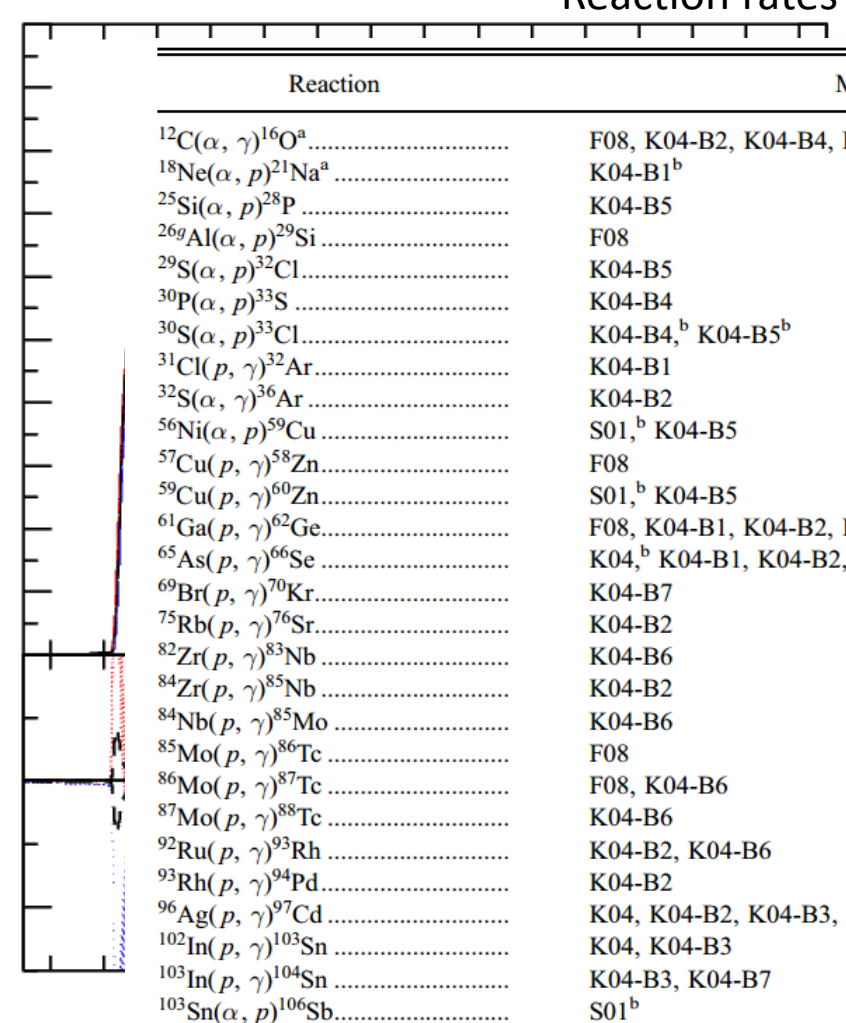


Extracting the important nuclear physics



A. Parik
A. Parik

Corre
Rel Deviation
Luminosity ($\times 10^{38}$ ergs s^{-1})



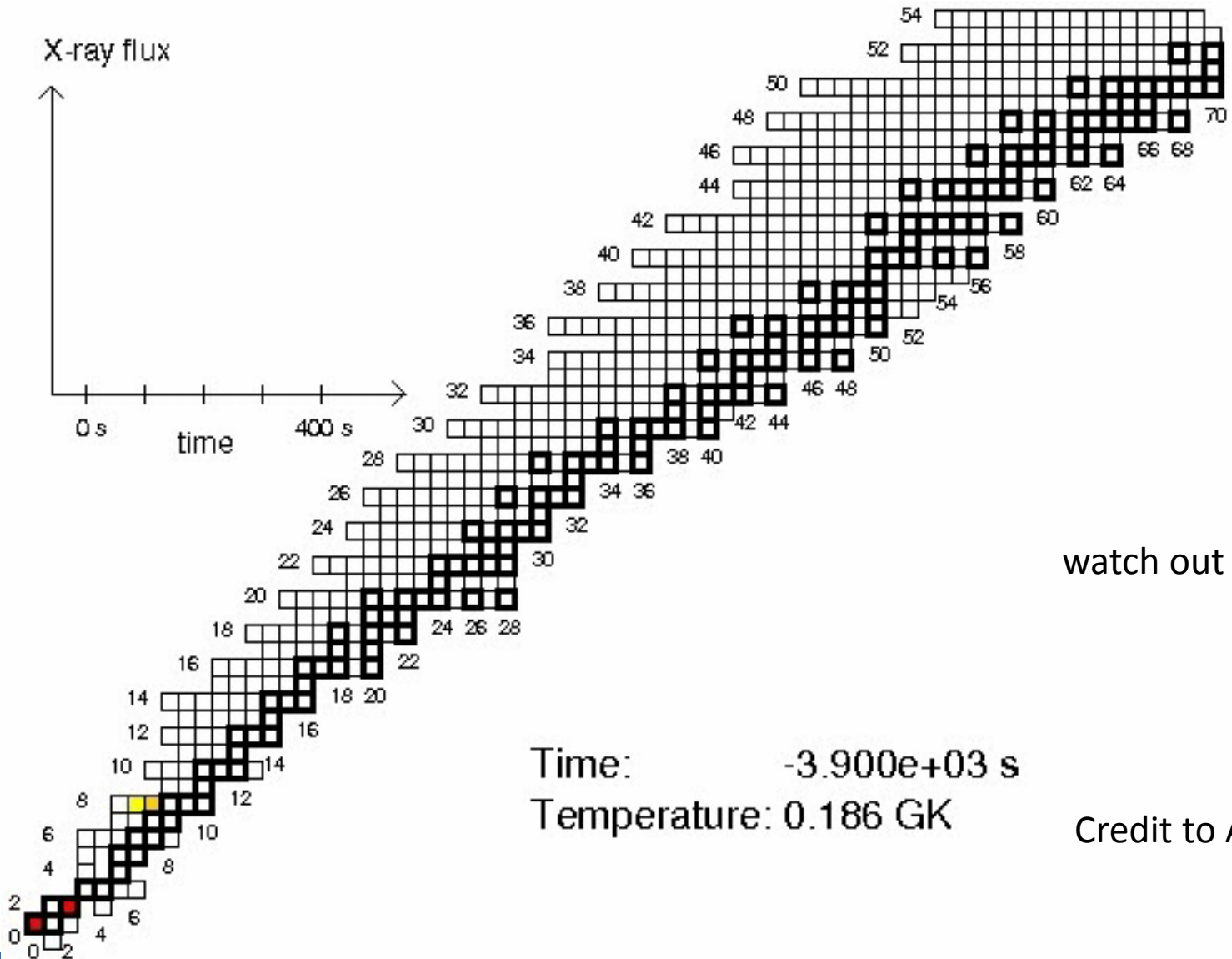
Reaction	Models Affected
$^{12}\text{C}(\alpha, \gamma)^{16}\text{O}^a$	F08, K04-B2, K04-B4, K04-B5
$^{18}\text{Ne}(\alpha, p)^{21}\text{Na}^a$	K04-B1 ^b
$^{25}\text{Si}(\alpha, p)^{28}\text{P}$	K04-B5
$^{26g}\text{Al}(\alpha, p)^{29}\text{Si}$	F08
$^{29}\text{S}(\alpha, p)^{32}\text{Cl}$	K04-B5
$^{30}\text{P}(\alpha, p)^{33}\text{S}$	K04-B4
$^{30}\text{S}(\alpha, p)^{33}\text{Cl}$	K04-B4, ^b K04-B5 ^b
$^{31}\text{Cl}(p, \gamma)^{32}\text{Ar}$	K04-B1
$^{32}\text{S}(\alpha, \gamma)^{36}\text{Ar}$	K04-B2
$^{56}\text{Ni}(\alpha, p)^{59}\text{Cu}$	S01, ^b K04-B5
$^{57}\text{Cu}(p, \gamma)^{58}\text{Zn}$	F08
$^{59}\text{Cu}(p, \gamma)^{60}\text{Zn}$	S01, ^b K04-B5
$^{61}\text{Ga}(p, \gamma)^{62}\text{Ge}$	F08, K04-B1, K04-B2, K04-B5, K04-B6
$^{65}\text{As}(p, \gamma)^{66}\text{Se}$	K04, ^b K04-B1, K04-B2, ^b K04-B3, ^b K04-B4, K04-B5, K04-B6
$^{69}\text{Br}(p, \gamma)^{70}\text{Kr}$	K04-B7
$^{75}\text{Rb}(p, \gamma)^{76}\text{Sr}$	K04-B2
$^{82}\text{Zr}(p, \gamma)^{83}\text{Nb}$	K04-B6
$^{84}\text{Zr}(p, \gamma)^{85}\text{Nb}$	K04-B2
$^{84}\text{Nb}(p, \gamma)^{85}\text{Mo}$	K04-B6
$^{85}\text{Mo}(p, \gamma)^{86}\text{Tc}$	F08
$^{86}\text{Mo}(p, \gamma)^{87}\text{Tc}$	F08, K04-B6
$^{87}\text{Mo}(p, \gamma)^{88}\text{Tc}$	K04-B6
$^{92}\text{Ru}(p, \gamma)^{93}\text{Rh}$	K04-B2, K04-B6
$^{93}\text{Rh}(p, \gamma)^{94}\text{Pd}$	K04-B2
$^{96}\text{Ag}(p, \gamma)^{97}\text{Cd}$	K04, K04-B2, K04-B3, K04-B7
$^{102}\text{In}(p, \gamma)^{103}\text{Sn}$	K04, K04-B3
$^{103}\text{In}(p, \gamma)^{104}\text{Sn}$	K04-B3, K04-B7
$^{103}\text{Sn}(\alpha, p)^{106}\text{Sb}$	S01 ^b

For “classic” rp process – i-rp process?

time (sec) R. Cyburt et al., tbp

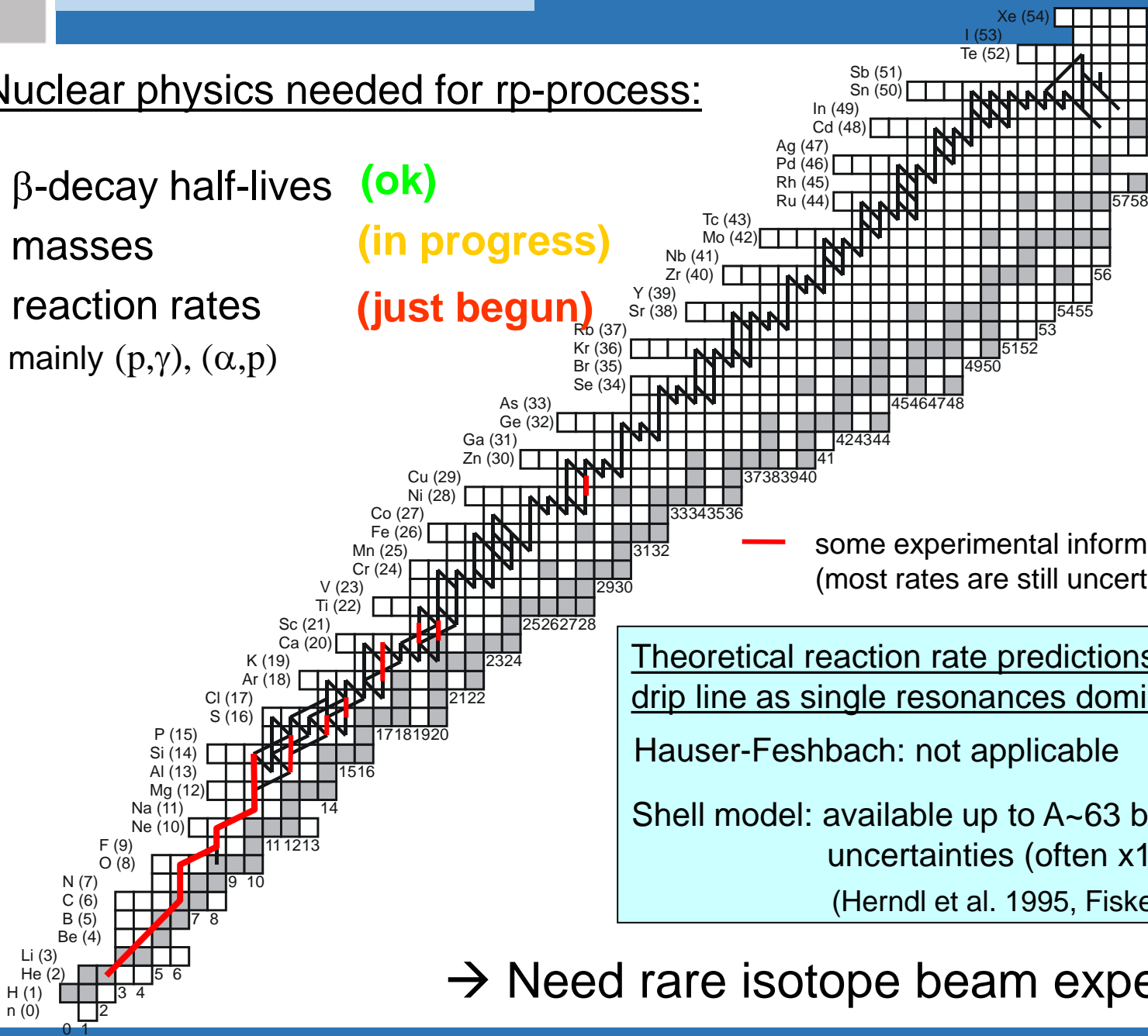


A thermonuclear explosion on your PC



Nuclear physics needed for rp-process:

- β -decay half-lives (ok)
- masses (in progress)
- reaction rates (just begun)
mainly (p,γ) , (α,p)



Slide from H. Schatz

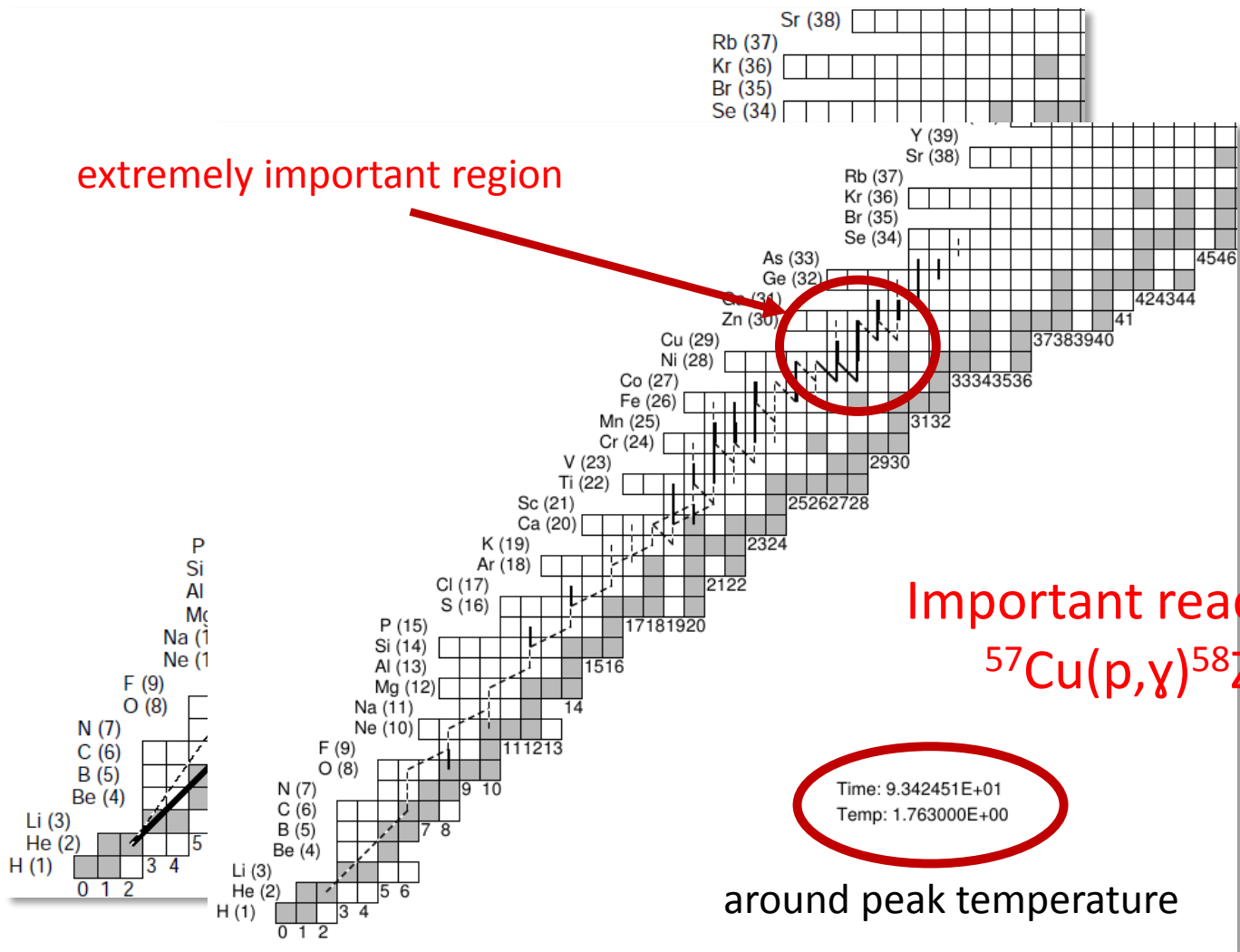
Theoretical reaction rate predictions difficult near drip line as single resonances dominate rate:

Hauser-Feshbach: not applicable

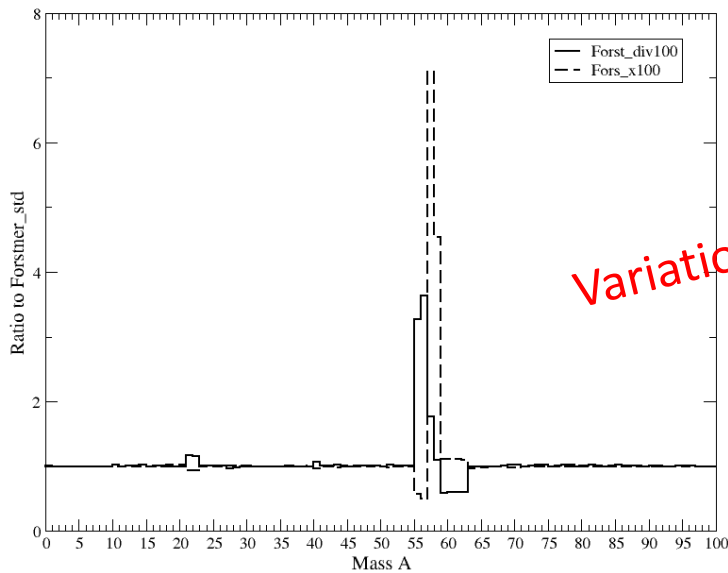
Shell model: available up to $A \sim 63$ but large uncertainties (often $\times 1000 - \times 10000$)
(Herndl et al. 1995, Fisker et al. 2001)

→ Need rare isotope beam experiments

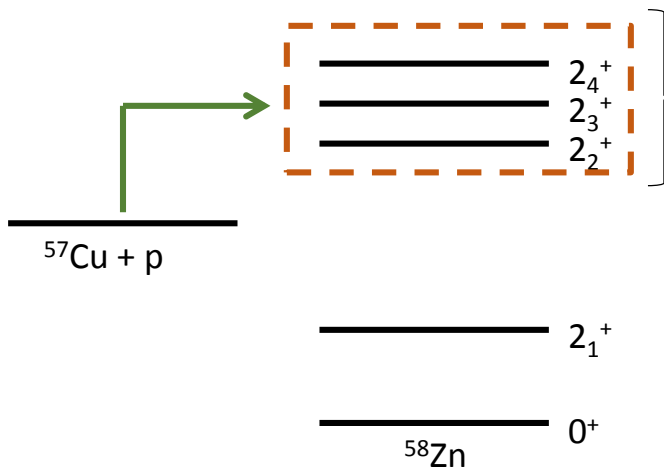
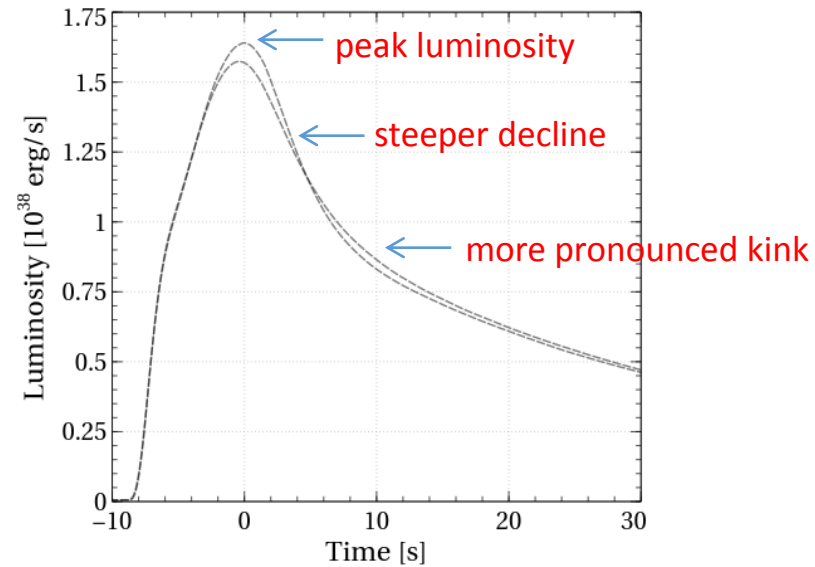
Investigating the flow: the NiCuZn region



Abundance changes -> compositional inertia



light curve uncertainties



Gamow window
($E_0 \sim 1.15 \pm 0.73$ MeV)

So far: no states measured
-> only from theory with big uncertainties!

Reaction rate dominated by 2^+ resonances

Using an indirect method
(direct reaction not possible at the moment)

$$\text{Rate: } \langle \sigma v \rangle = \left(\frac{2\pi}{\mu kT} \right)^{3/2} \sum_i (\omega \gamma)_i e^{-E_{r_i}/kT}$$

Resonance Energy: $E_r = E_x - Q$

Reaction Q-value: $Q = \Delta M_H - \Delta M(^{55}\text{Ni}) - \Delta M(^{56}\text{Cu})$

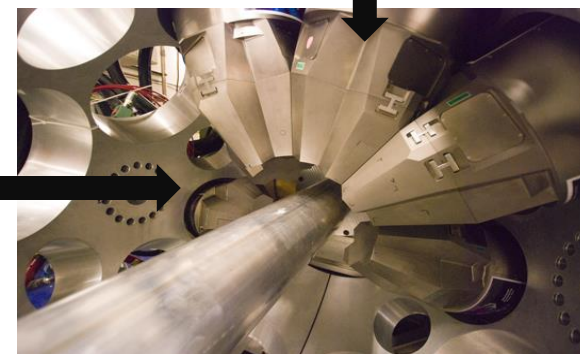
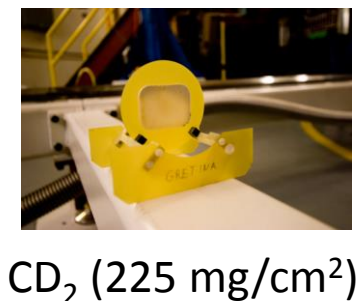
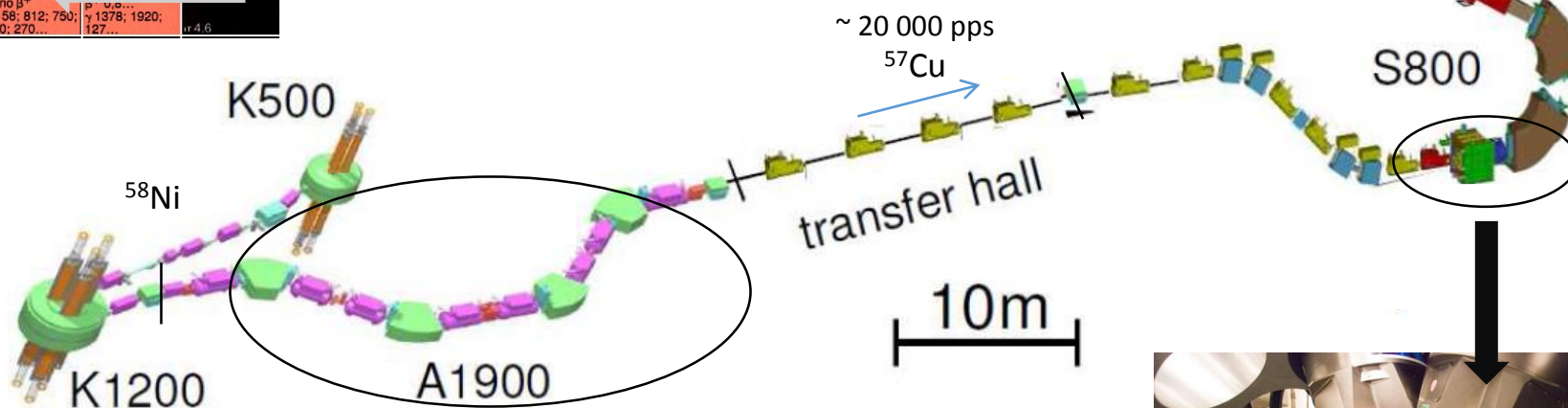
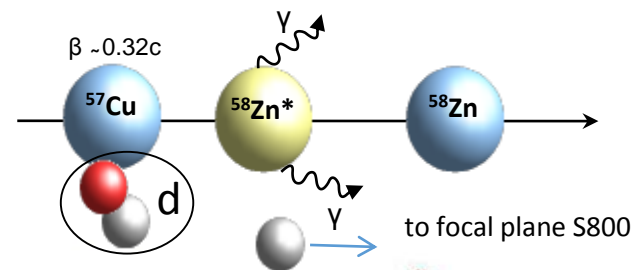
Resonance Strength: $\omega \gamma = \frac{2J_R + 1}{(2J_S + 1)(2J_p + 1)} \frac{\Gamma_p \Gamma_\gamma}{\Gamma}$

Experimental method: enlarge cross section via (d,n) as surrogate BUT: use high beam energy at ~ 80 MeV/nucleon

Zn 58 ?	Zn 59 182 ms	Zn 60 2,4 m
β^+ $\beta\beta$?	β^+ 8,1... γ 491; 914 $\beta\beta$ 1,78; 2,09; 1,82; 1,38...	β^+ 2,5; 3,1... γ 670; 61; 273; 334...
Cu 57 199 ms	Cu 58 3,20 s	Cu 59 82 s
β^+ 7,4... γ 1112	β^+ 7,5... γ 1454; 1448; 40...	β^+ 3,8... γ 1302; 878; 339; 465...
Ni 56 6,07 d	Ni 57 36,0 h	Ni 58 68,077
ϵ ; no β^+ γ 158; 812; 750; 480; 270...	β^+ 6,0... γ 1378; 1920; 127...	α 4,6

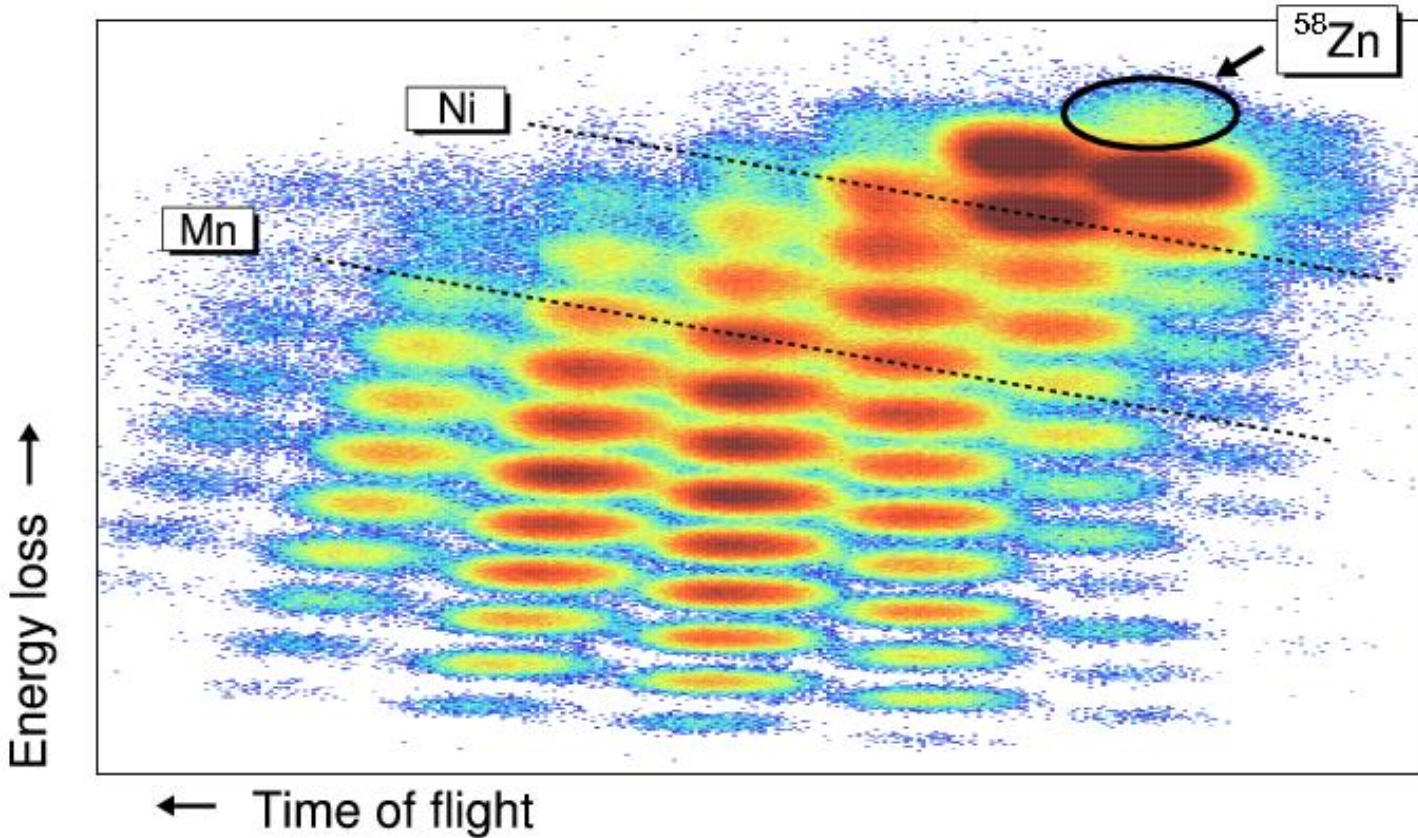
production of ^{57}Cu : **many-nucleon transfer reactions** in a Be target

[A. Gade et al., Phys. Rev. Lett. 102 (2009) 182502]



Successfully produced ^{58}Zn

@ 80 Mev/u



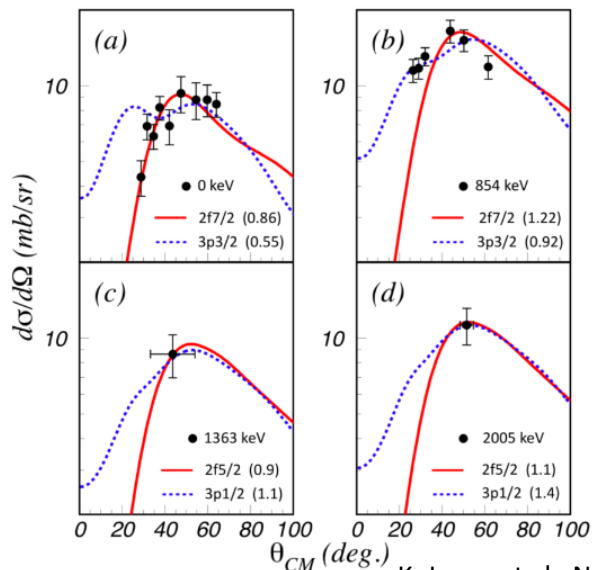
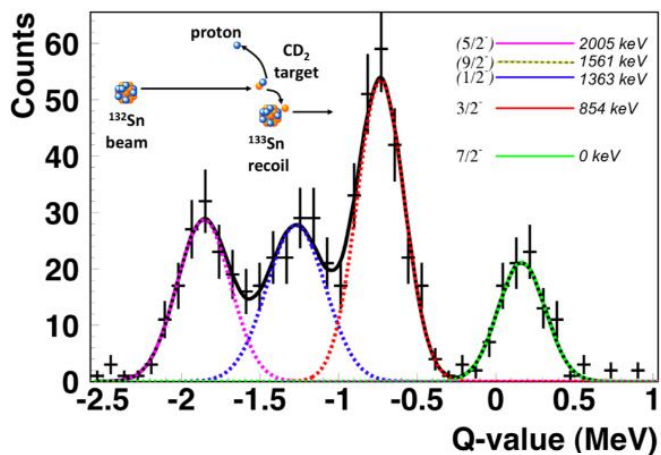
Question: is it a pure (d,n) reaction? Multistep reaction?
No way to experimentally verify it!



Not a "standard" transfer reaction

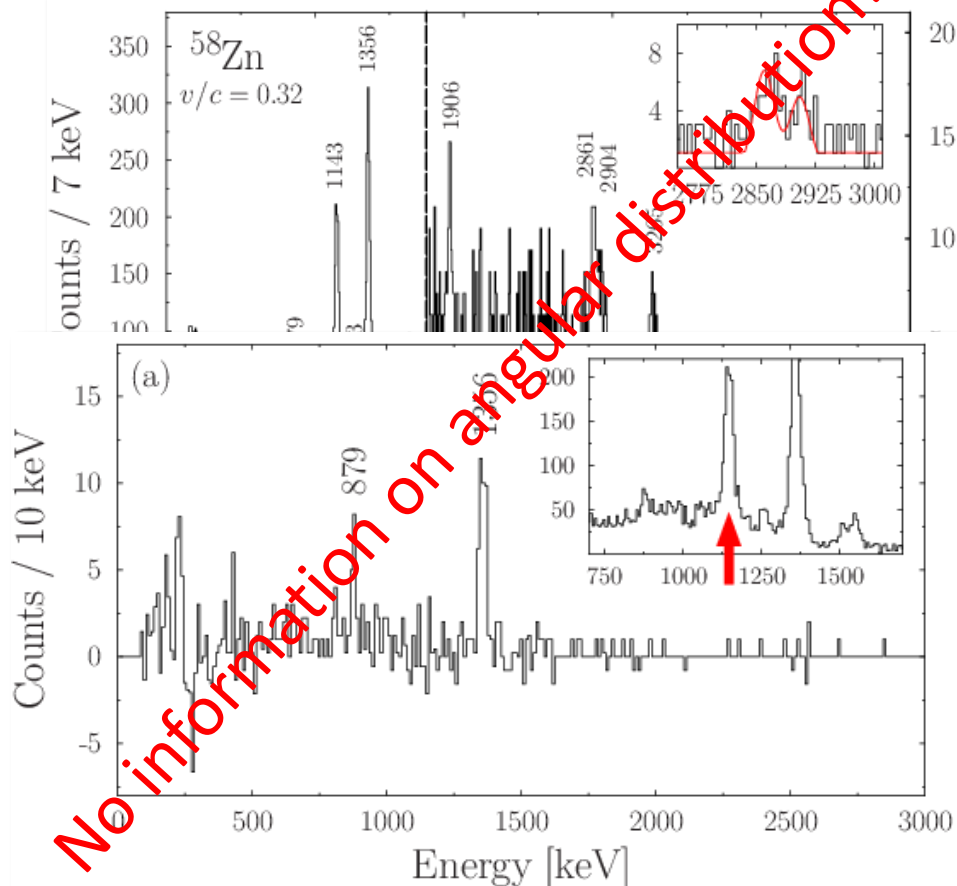
@ 80 Mev/u

Goal: populate excited states in ^{58}Zn ($l=1$ and $l=3$ transfer)



K. Jones et al., Nature 465 (2010)

γ -decaying states

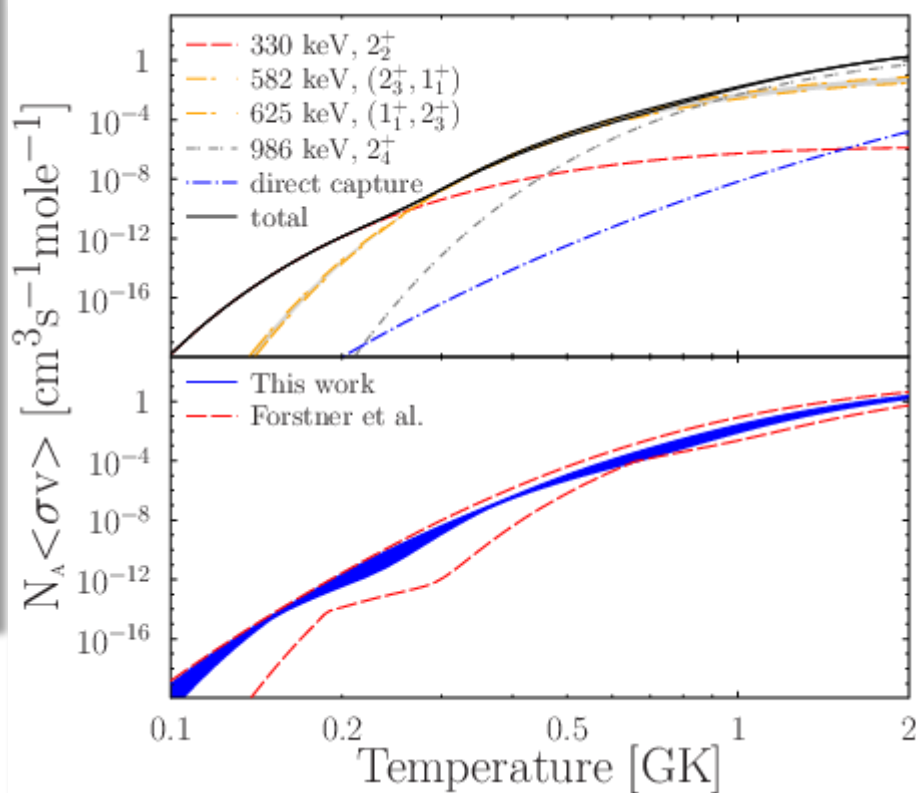
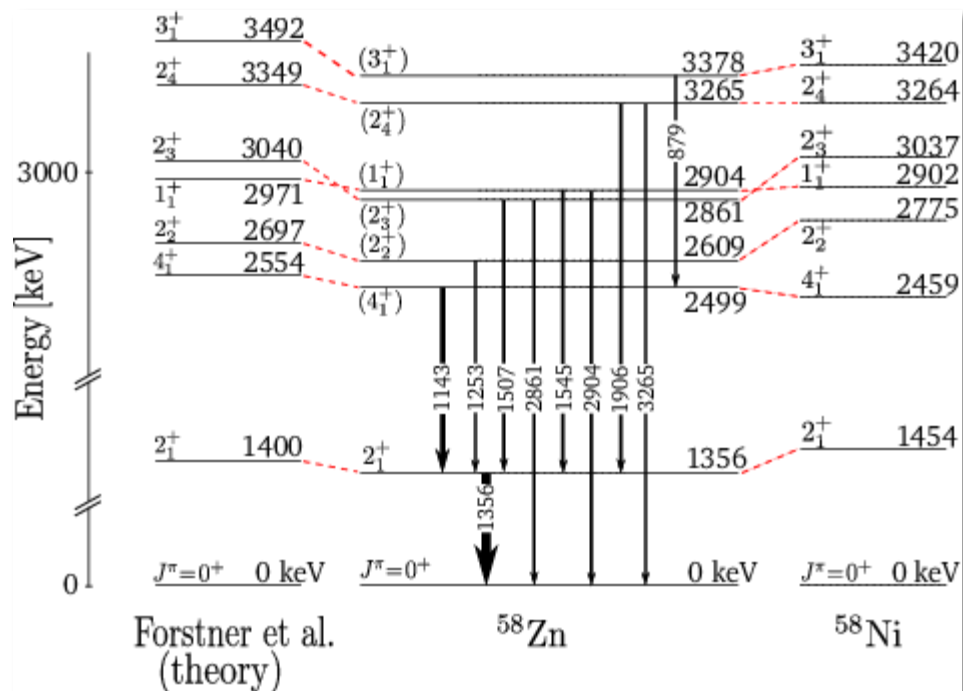


C. Langer et al., Phys. Rev. Letter 113 (2014)



Extracting the thermonuclear rate

@ 80 Mev/u

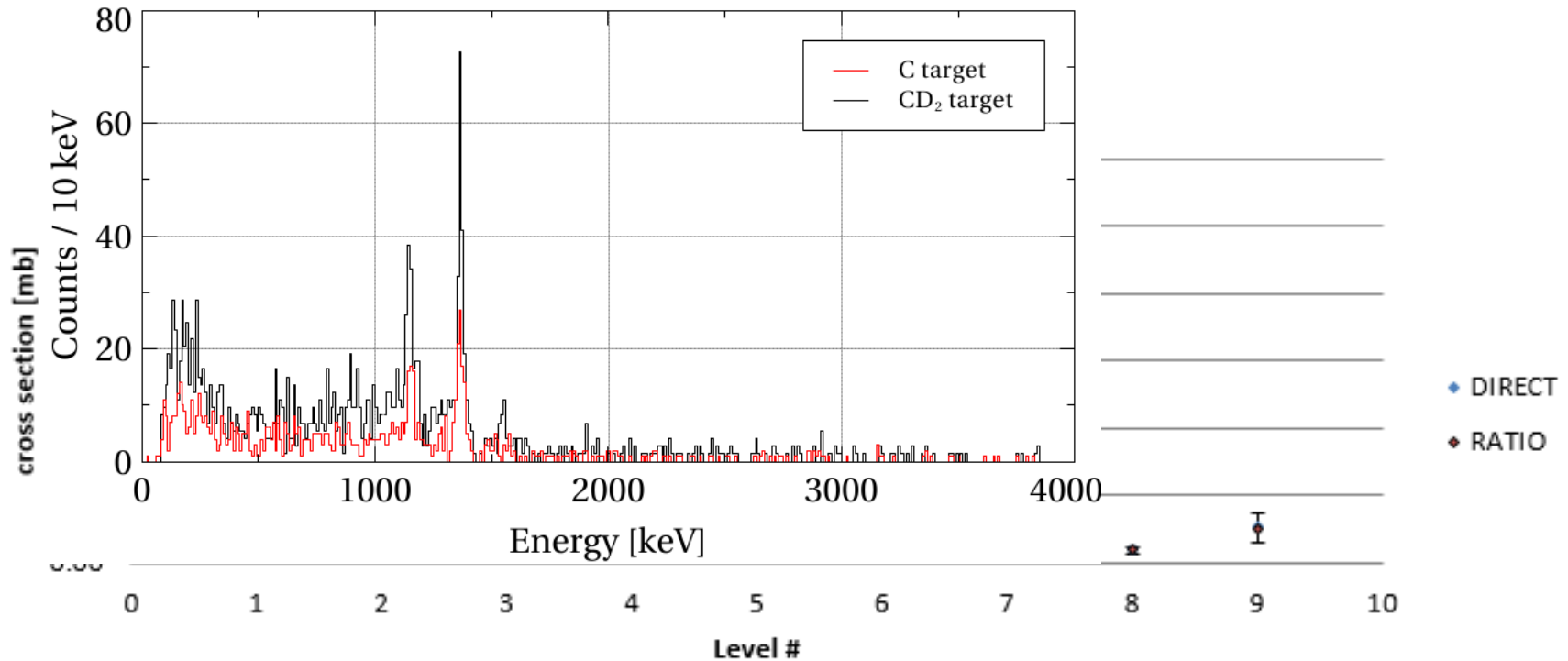


Highly reduced uncertainty! ATTENTION: Q-value uncertain 50 keV (dominant)

But we have more: cross section

@ 80 Mev/u

Keep in mind: beam energy!



Experimentally subtract part of
the cross section from C interactions

Experimentalist tries TWOFNR

@ 80 MeV/u

angle-integrated (0 -> 180 deg)

For $l=1$ partition

<i>n</i>	
	57Cu + d
	entrance channel potential: [5] Zero range adiabatic potential Johnson-Soper PRC 1 (1970) 976
1	
2	58Zn + n
3	Final state potential: [2] Chapel-Hill 89 Global set ($A>40 E>10$ MeV) 1991) 57
4	
5	
6	Adiabatic potential: [2] Chapel-Hill 89 Global set 1991) 57
7	
8	
9	Zero-range treatment
10	
11	
12	proton bind
13	
14	
15	*** integrate
16	
17	
18	(*** integrate $4.432873E-02$ (mb)*** with [6] Finite range adiabatic potential
19	Johnson-Tan 0.235 (1974) 56)
20	
21	
22	(*** integrated cross section= $1.174060E-01$ (mb)*** with [3] Daehnick Global ($A>27 12<E<90$ MeV) Phys. Rev. C 21, 2253 (1980))

Questions:
 a) is it reliable at 80 MeV/u?
 b) how to treat continuum states?

ion
e

Total TWOFNR cross section for this state (after using C2S):

6×10^{-2} mb

Experiment:

$5(1) \times 10^{-2}$ mb



Constraining important nova reactions



Secondary beams:
30 MeV/u $^{26}\text{Al}/^{30}\text{P}$

Object
Scintillator

S800

XFP
Scintillator

Analysis
Line

GRETINA

Target
 $\text{CD}_2 \sim 10 \text{ mg/cm}^2$
 CH_2 (background)

K500

K1200

A1900

Image2 / Wedge
Image 1
Al 450/600 mg/cm²

Production Target
Be $\sim 1900 \text{ mg/cm}^2$

Primary beam:
150 MeV/u $^{36}\text{Ar}^{18+}$

Runtimes:

^{26}Al on CD_2 29 h, on CH_2 9 h
 ^{30}P on CD_2 48 h, on CH_2 25 h



Using an indirect method
(direct reaction not possible at the moment)

$$\text{Rate: } \langle \sigma v \rangle = \left(\frac{2\pi}{\mu kT} \right)^{3/2} \sum_i (\omega\gamma)_i e^{-E_{r_i}/kT}$$

$$\text{Resonance Energy: } E_r = E_x - Q$$

$$\text{Reaction Q-value: } Q = \Delta M_H - \Delta M(^{55}\text{Ni}) - \Delta M(^{56}\text{Cu})$$

$$\text{Resonance Strength: } \omega\gamma = \frac{2J_R+1}{(2J_S+1)(2J_p+1)} \frac{\Gamma_p \Gamma_\gamma}{\Gamma}$$

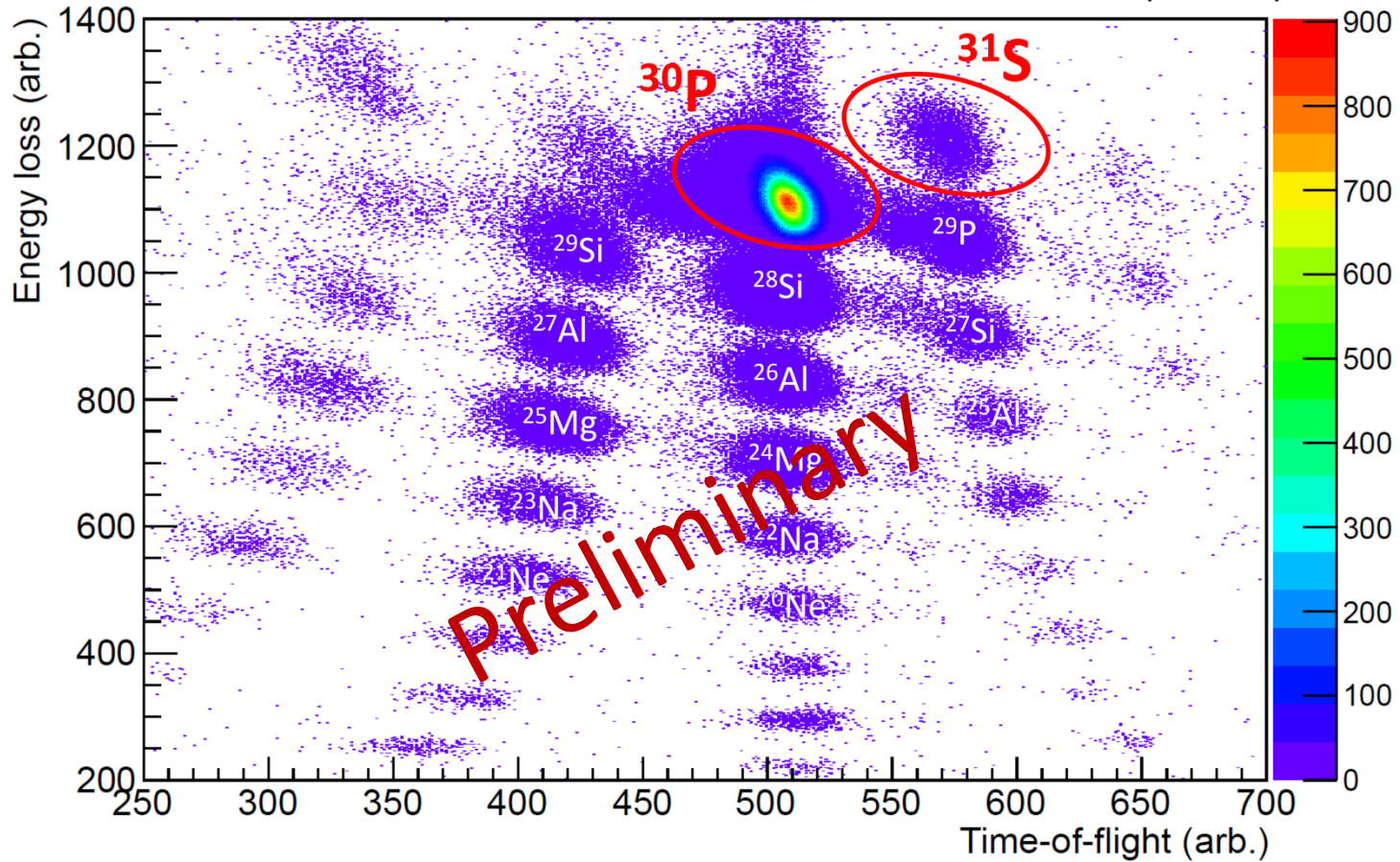


Particle identification in the S800

@ 30 MeV/u

File #39 (60 min)

Ion chamber



OBJ → FP





@ 30 MeV/u

- States quite evenly populated
- Upper limits for non-observed states close to the observed
- Note! $9/2^-$ has a high spectroscopic factor $C^2S=0.39$ [Brown et al., PRC 89 (2014) 062801(R)]

$$\sigma(d,n) \rightarrow \text{DWBA} \rightarrow \Gamma_p$$

Bound states:

- Assume transition matrix element small (peripheral reaction) \rightarrow 1st-order perturbation theory

Resonant states :

- Resonant wave function large and different channels coupled in nuclear interior
- Details: A. M. Mukhamedzhanov, PRC 84, 044616 (2011)

Forward-peaked
Peripheral



$$\sigma \rightarrow \Gamma_p$$

$^{30}\text{P} (1^+) + d (1^+)$



$^{31}\text{S} (J^\pi) + n(1/2^+)$



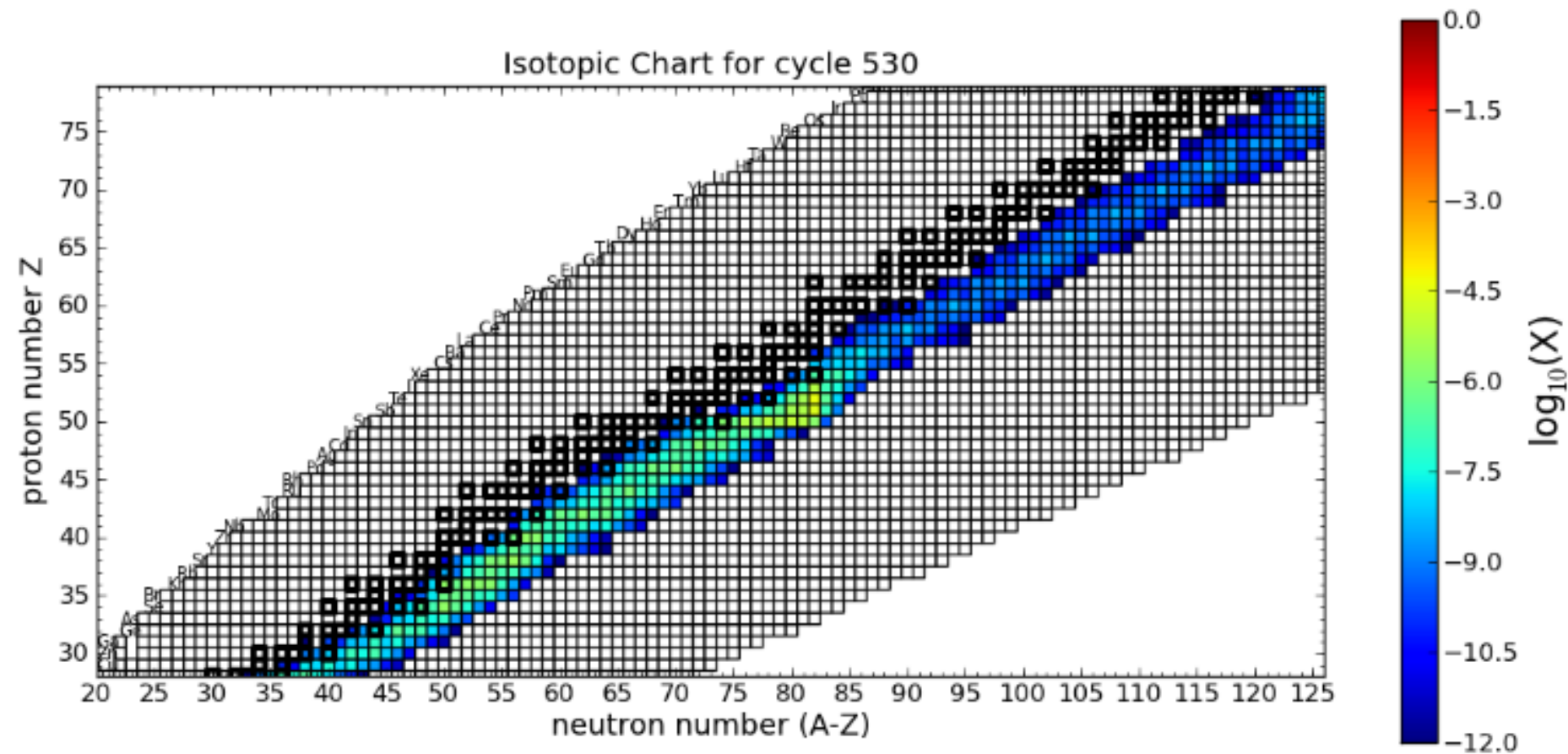


Summary

1. Constraining important nuclear reactions is important for detailed modeling of astrophysical scenarios and for stellar evolution (see talk from Rebecca and George)
2. Angle-integrated measurements in inverse kinematics at high and intermediate beam energies deliver excellent spectroscopic information (often the only way to get access to exotic systems)
3. Theoretical questions still open – can we continue with this program in the future to measure important reaction rates?



The i(ntermediate) neutron capture process





Future program input needs

Constraining astrophysical neutron direct-capture rates at intermediate energies via (d,p):

- for 30 MeV/u (NSCL energies) \rightarrow extraction of direct capture possible (ANC)?
- how about resonant captures in the continuum?

Proton capture reactions:

- using (d,n) to extract spectroscopic factor (what energies are optimal)?
- treat the continuum in this process?

In general: any access to errors of the theory, which is very important for rate calculations?