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Quarkonium Suppression in Nuclear Collisions: An Update

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Heavy Flavor and Electromagnetic Probes in Heavy Ion Collisions

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Carlos Lourenço:

When we find the answer,
we may have forgotten the question.

How can we study quark deconfinement in the laboratory
and measure the temperature of the quark-gluon plasma?

- Theory:

the QGP modifies quarkonium binding differently at
different temperatures & for different quarkonia.

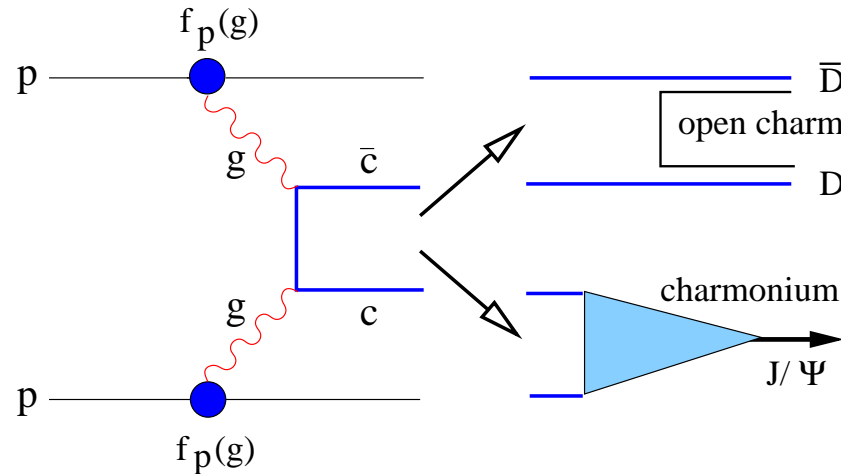
- Experiment:

quarkonium production in **AA** collisions (medium) is
different from that in **pp** collisions (no medium)

- Phenomenology:

the whole process begins with $c\bar{c}/b\bar{b}$ production

Charm production in hadron-hadron collisions:



- fixed partitioning of total $c\bar{c}$ into open and hidden charm:
 $\sim 90\%$ open, $\sim 10\%$ hidden
- fixed partitioning of hidden charm into different charmonia
 $\sigma_{hh \rightarrow J/\psi}(s) = g_{c\bar{c} \rightarrow J/\psi} \sigma_{hh \rightarrow c\bar{c}}(s)$ (color evaporation)
- fixed partitioning of open charm into different D etc.
 $\sigma_{hh \rightarrow D^+}(s) = g_{D^+} \sigma_{hh \rightarrow c\bar{c}}(s)$ (statistical hadronisation)

- observed J/ψ receives feed-down from higher excitations
60 % direct (1S), 30 % from $\chi_c(1P)$, 10 % from $\psi'(2S)$

similar pattern for bottomonia; basic question:

how are these pp features modified in AA collisions?

NB: \exists two questions:

[HS, arXiv:1303.3493;

Adv. High Energy Phys. 2013 (2012) 242910]

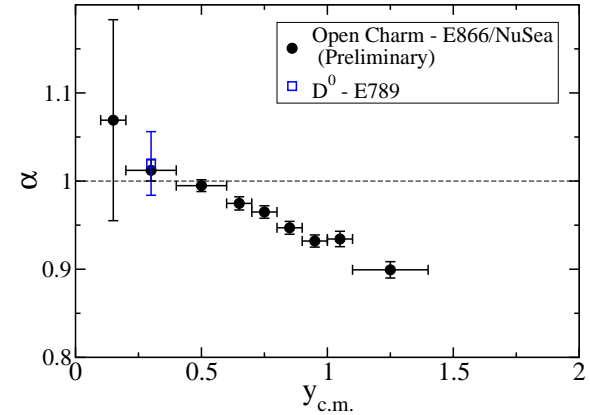
1. how is heavy flavor ($c\bar{c}/b\bar{b}$) production modified?
2. how is the subsequent quarkonium formation modified?

Heavy flavor production in nuclear collisions modified in

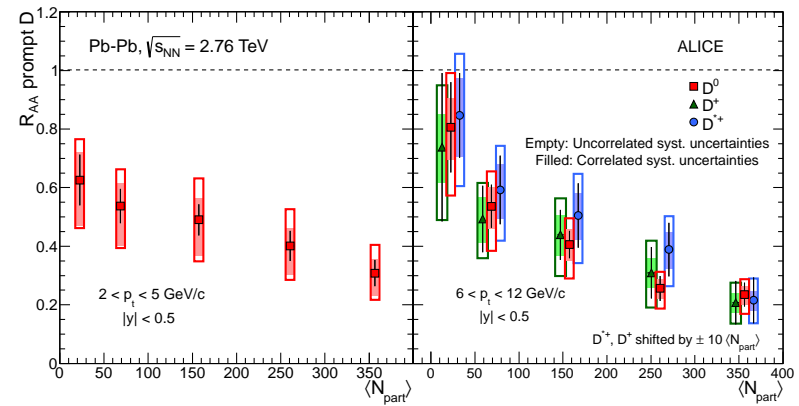
- initial state: pdf modification (shadowing),
energy loss of incident partons (gluons)
- final state: energy loss of secondary partons $c, \bar{c}; b, \bar{b}$

Experimental examples:

rapidity dependence of open charm,
800 GeV fixed target pA
at FNAL, $\sigma(pA) = A^\alpha \sigma(pp)$



centrality dependence of
open charm, 2.76 TeV $PbPb$
at RHIC, for large p_T

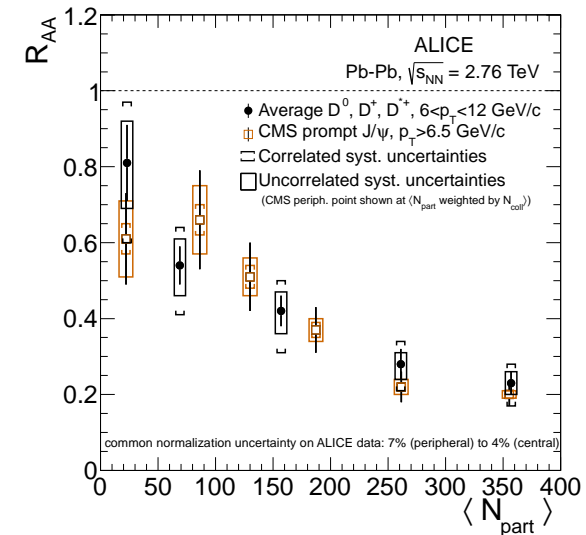


Such modifications are passed on to quarkonium production, but say nothing re quarkonium suppression (or enhancement).

$R_{AA}(J/\psi) \sim \sigma_{AA}(J/\psi)/N_{\text{col}}\sigma_{pp}(J/\psi)$ is modified, but only because the initial $c\bar{c}/b\bar{b}$ production was modified, not because something happened to the J/ψ .

to illustrate:

if in the kinematic regime studied the medium has no effect on J/ψ production, then R_{AA} for D and for J/ψ should coincide: they do.



decrease of $R_{AA}(J/\psi)$ does NOT mean J/ψ suppression; overall charm decreases in AA vs. pp , J/ψ gets same fraction.

Conclude:

to determine effects of the medium on **quarkonium formation**, we first have to eliminate prior effects on $c\bar{c}/b\bar{b}$ production.

Two possibilities:

- measure double ratio

$$S(J/\psi) = \frac{\{\sigma_{AA}(J/\psi)/\sigma_{AA}(D)\}}{\{\sigma_{pp}(J/\psi)/\sigma_{pp}(D)\}}$$

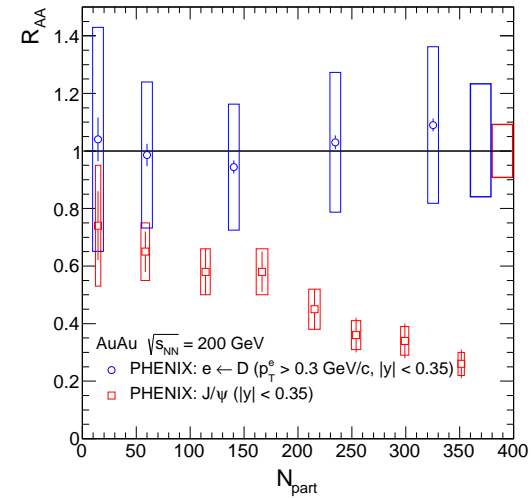
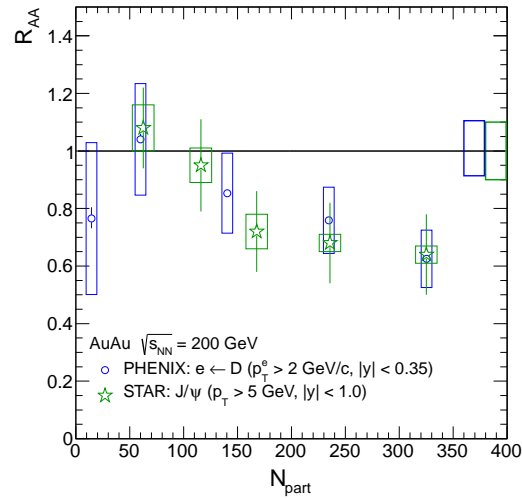
so that modifications of $c\bar{c}/b\bar{b}$ formation cancel.

- measure ratios of excited states to ground state,

$$R(\Upsilon'/\Upsilon) = \frac{\sigma_{AA}(\Upsilon')}{\sigma_{AA}(\Upsilon)}$$

so that again modifications of $c\bar{c}/b\bar{b}$ formation cancel.

RHIC Data

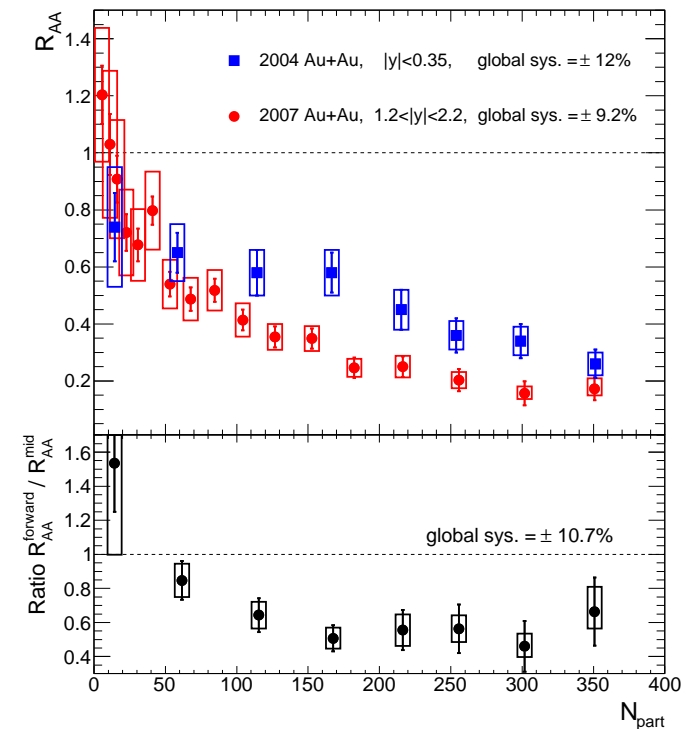


Data from PHENIX & STAR: J/ψ vs. open charm production at high & low transverse momenta
(thanks to Torsten Dahms)

at high p_T , strong $c\bar{c}$ suppression, no additional effect on J/ψ ;
 at low p_T , up to **80 % J/ψ suppression**:
 here \exists no medium effect on $c\bar{c}$ production,
 only on charmonium binding.

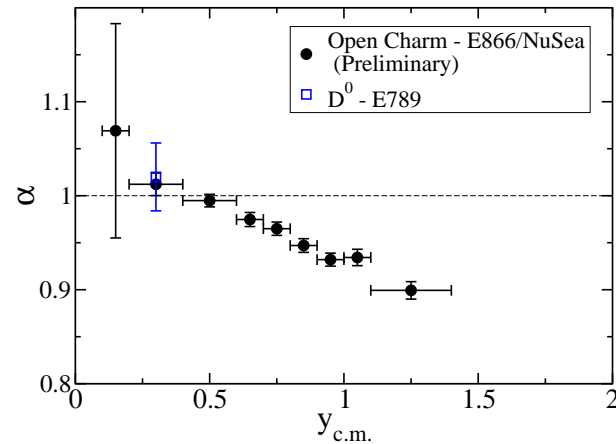
Complementary aspect: so-called “RHIC puzzle”

“more J/ψ suppression” in forward than in central production, based on R_{AA}



Could it be that there are just fewer $c\bar{c}$ pairs produced at forward than at mid rapidity?

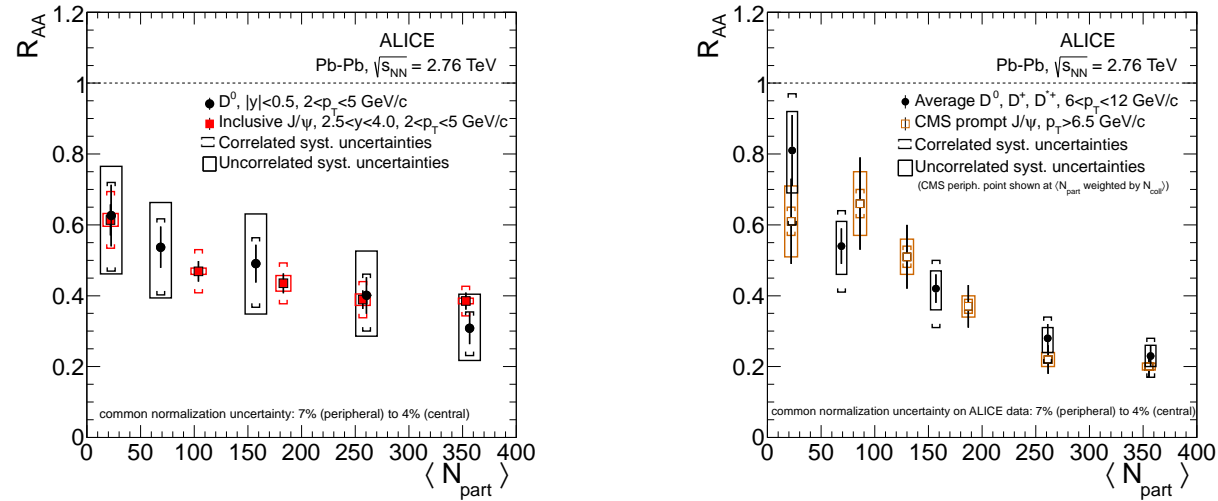
Check by looking at open charm production in pA collisions



Rapidity dependence of open charm production in pA at 800 GeV, with parametrization $\sigma_{pA} = A^\alpha \sigma_{pp}$.
(thanks to Mike Leitch)

The puzzle seems not so puzzling with correct calibration;
but need to check quantitatively by more detailed studies of
open charm production in pA collisions

LHC Data

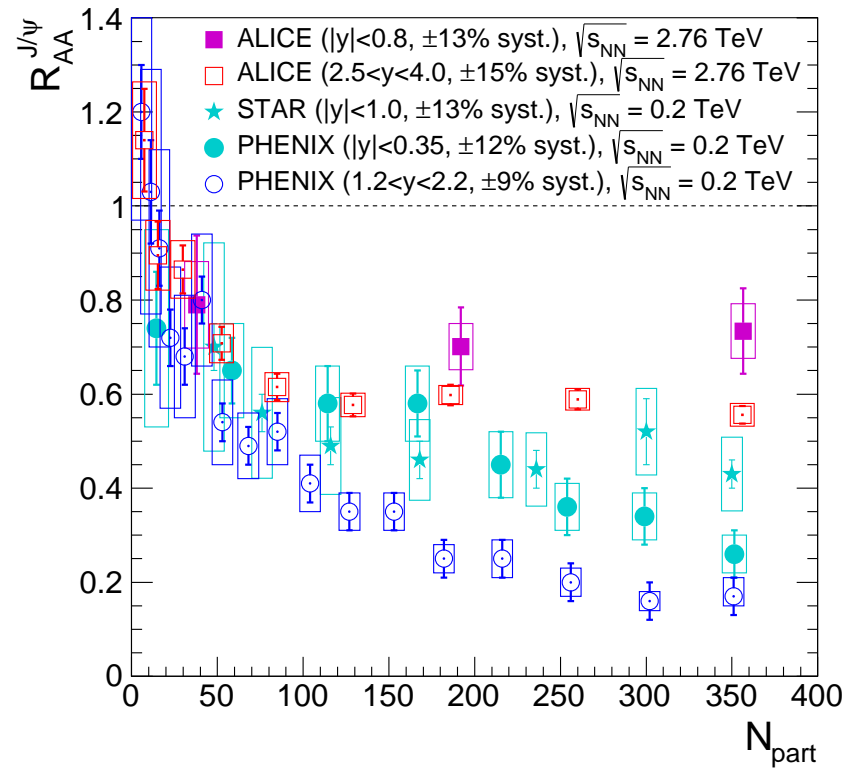


Data from ALICE & CMS: J/ψ vs. open charm production at intermediate & high transverse momenta
(thanks to Zaida Conesa del Valle)

in AA at high P_T , as many $c\bar{c}$ pairs make J/ψ as in scaled pp ,
but there just are fewer now to begin with

hence here neither J/ψ suppression nor enhancement.

low P_T ?

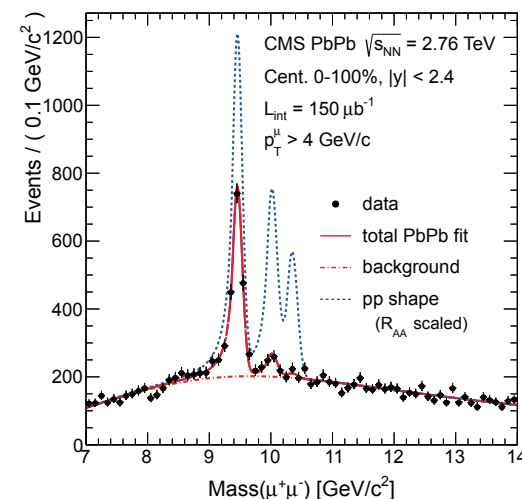
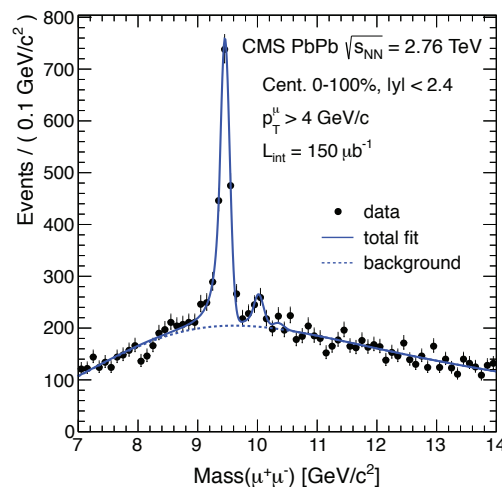
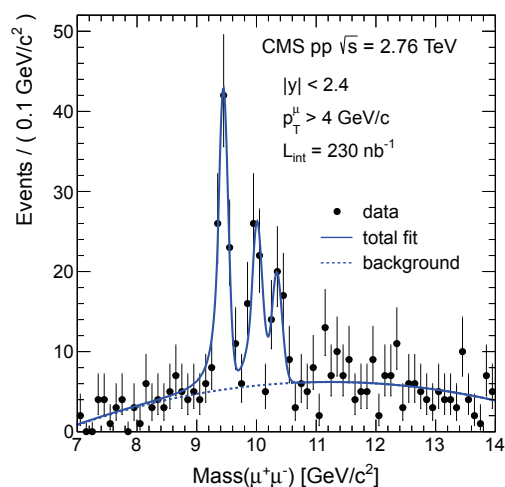


NB: cannot compare these data to any model of in-medium quarkonium behavior;
first need to know what happens to open charm:
shifted to low P_T or overall suppressed re scaled pp ?

Second Probe: excited vs. ground state

ratio of excited to ground state in AA : $\Upsilon(1S) : \Upsilon(2S) : \Upsilon(3S)$

does the presence of a medium change this from pp ?
initial state effects cancel here as well; example

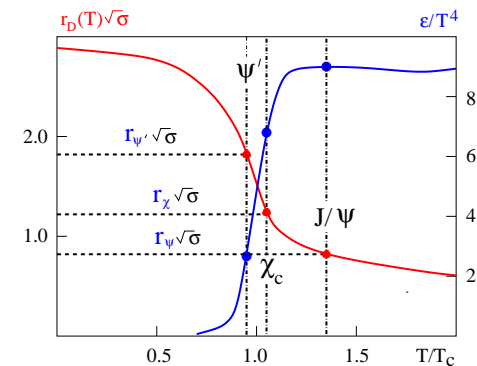


Evidence of sequential suppression?... pA results?

Quarkonium Dissociation in a hot QGP: A New Approach

- QGP consists of deconfined color charges, hence
 \exists color screening for $Q\bar{Q}$ state
- screening radius $r_D(T)$ decreases with temperature T
- if $r_D(T)$ falls below binding radius r_i of $Q\bar{Q}$ state i ,
 Q and \bar{Q} cannot bind, quarkonium i cannot exist
- quarkonium dissociation points T_i , from $r_D(T_i) = r_i$,
specify temperature of QGP

when force range/screening radius
become less than binding radius,
 Q and \bar{Q} cannot “see” each other



Now: a new approach based on emergent entropic QGP force

Verlinde 2011, Kharzeev 2014, HS 2014

Consider difference of thermodynamic potentials for QGP with and without a heavy $Q\bar{Q}$ pair (Schwinger screening)

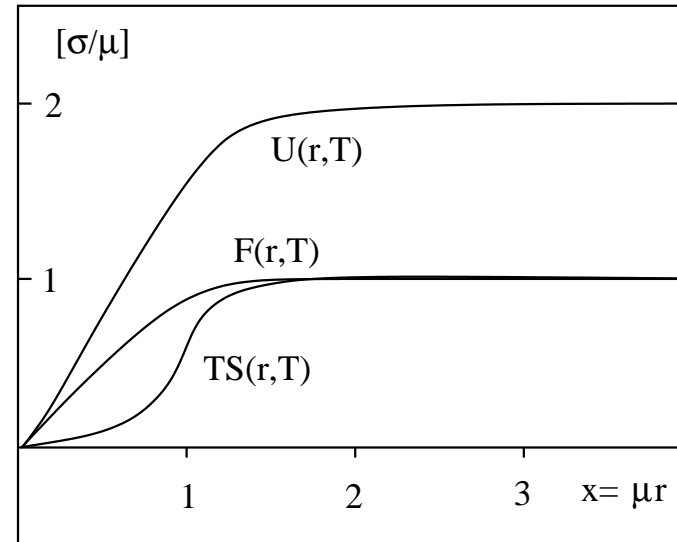
$$F(r, T) = \sigma r \left[\frac{1 - e^{-\mu r}}{\mu r} \right] = \frac{\sigma}{\mu} [1 - e^{-\mu r}]$$

$$TS(r, T) = -T \left(\frac{\partial F(r, T)}{\partial T} \right) = \frac{\sigma}{\mu} [1 - (1 + \mu r)e^{-\mu r}]$$

$$U(r, T) = F + TS = \frac{\sigma}{\mu} [2 - (2 + \mu r)e^{-\mu r}]$$

behavior as $f(x = \mu r)$

$Q\bar{Q}$ pair is subject
to overall force



$$M(r, T) = \left(\frac{\partial U(r, T)}{\partial r} \right) = \left(\frac{\partial F(r, T)}{\partial r} \right) + T \left(\frac{\partial S(r, T)}{\partial r} \right)$$

\uparrow
 dynamic

\uparrow
 entropic

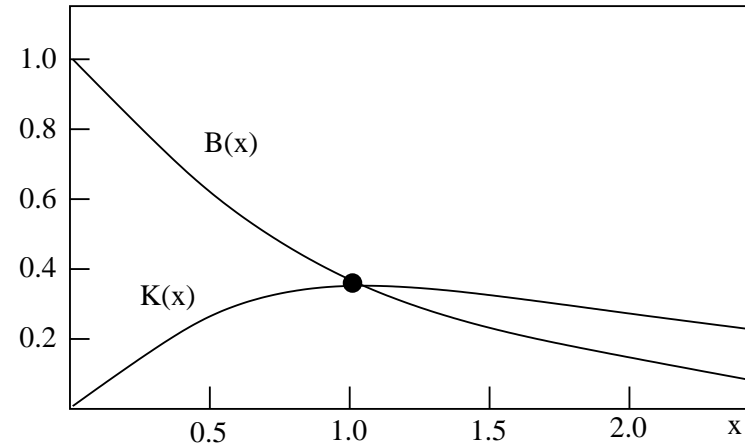
force

dynamic force ($x = \mu r$)

$$B(r, T) = \sigma e^{-x}$$

entropic force:

$$K(r, T) = \sigma \mu r e^{-\mu r} = \sigma x e^{-x}$$



When entropic force \geq dynamic (binding) force:

no more binding possible

$$B(x) = K(x) \Rightarrow x = 1 \Rightarrow r_b = r_D$$

When color screening radius $<$ in-medium binding radius,

entropic force exceeds binding force:

quarkonium dissociation - emergent phenomenon.

- new physics:
 - dynamic force \sim QFT, gauge bosons, ...
 - entropic force \sim collective effect in many-body system

not the end of the story: so far, only behavior in hot QGP

what happens in critical temperature region of QGP?

Entropic force:

$$K(x) \Rightarrow [\sigma x e^{-x}] \left(\frac{T \partial \mu}{\mu \partial T} \right)$$

while $B(x)$ is unaffected.

Does singular behavior of entropy at T_c mean that the entropic force destroys all hadrons there?

Conclusions

- Measurements of **hidden/open heavy flavor** production, of **excited/ground state quarkonium** production in pp , pA , AA will in the future provide **model-independent answers** to **model-independent questions**. But the future is still to come.
- Quarkonium dissociation can be studied as an **emergent phenomenon**, arising when the **entropic force** overcomes the dynamical binding force.