

Joint Gravitational Wave and Electromagnetic Observations of Neutron-Star–Black-Hole Coalescing Binaries

Francesco Pannarale

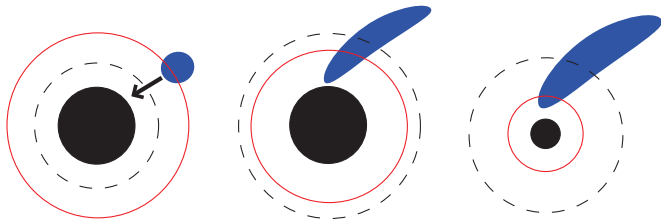
in collaboration with Frank Ohme

Cardiff University

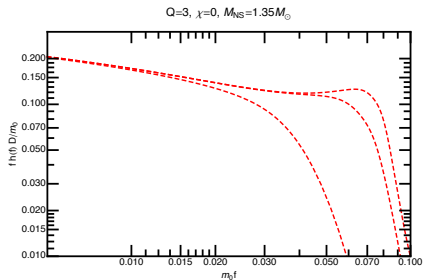
INT, University of Washington, Seattle - July 22, 2014



Introduction



[Kyutoku, Okawa, Shibata, Taniguchi (2011)]



[Pannarale, Berti, Kyutoku, Shibata (2013)]

Introduction

The inspiral...

- BH-BH template banks safe enough for NS-BH inspiral searches ($< 1\%$ losses)
- Stiff equations of state are marginally distinguishable

[Pannarale, Rezzolla, Ohme, Read (2011)]

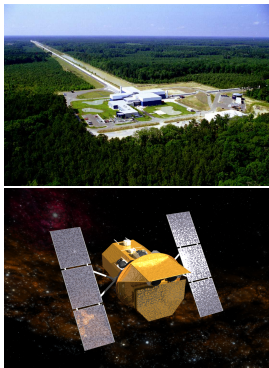
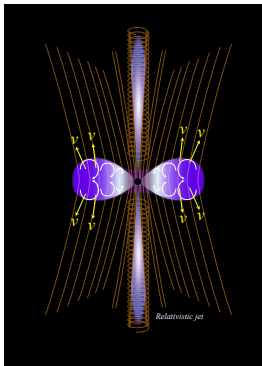
...and beyond

- The tidal deformability $\Lambda = 2k_2 R_{\text{NS}}^5 / (3M_{\text{NS}})^5$ may be extracted at high frequencies
- Coherently combining the (small) inspiral and high-frequency matter effects improves the measurability of Λ by a factor ~ 3
- However, incorporating correlations between all the waveform parameters then decreases the measurability of Λ by a factor ~ 3

[Lackey, Kyutoku, Shibata, Brady, Friedman (2012)]

[Lackey, Kyutoku, Shibata, Brady, Friedman (2014)]

Introduction



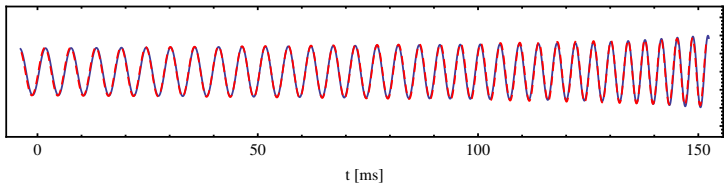
- 1 Given a GW observation, do we expect an EM counterpart?
- 2 Given an SGRB trigger, can we improve a GW offline search?
- 3 Given a *joint* GW+EM observation, can we constrain the NS equation of state (EOS)?

[Pannarale & Ohme, arXiv:1406.6057, ApJL accepted]

Part I: GW measurement

- GW detection will not be able to determine all parameters with high accuracy [Ohme, Nielsen, Keppel, & Lundgren (2013)]

$$(1.35 + 5)M_{\odot}, \chi = 0.3 \quad (2.4 + 2.6)M_{\odot}, \chi = 0.08$$



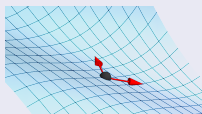
- Understanding the waveform structure throughout the parameter space allows for efficient search strategies and correct interpretations of future observations

Part I: GW measurement

Principal component analysis (PCA)

PCA of post-Newtonian expansion coefficients: **computationally cheap** and **accurate** waveform (dis)agreement calculation technique

[Tanaka & Tagoshi (2000), Sathyaprakash & Schutz (2003), Pai & Arun (2013), Brown *et al* (2012)]



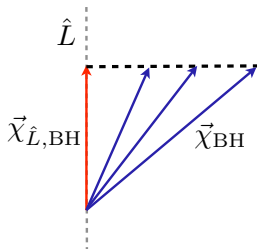
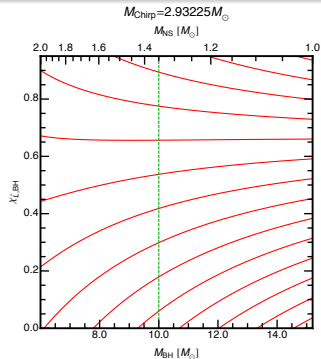
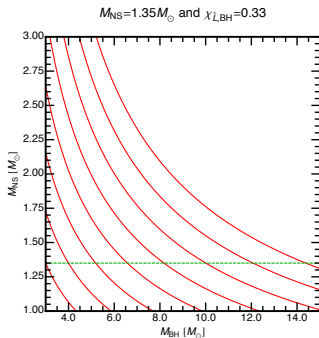
Eigenvectors μ_i represent *principal directions* ranked by their eigenvalues λ_i

$$\|\Delta h\|^2 = \sum_i \lambda_i (\Delta \mu_i)^2$$

Degeneracies

- $\mu_1 \sim M_{\text{Chirp}} = (M_{\text{NS}} M_{\text{BH}})^{3/5} / (M_{\text{NS}} + M_{\text{BH}})^{1/5}$ (extremely well measurable)
 - μ_2 : mass-ratio/spin degeneracy (well constrainable)
 - Higher components add less information, neglected here
- ⇒ GW measurement → 1D line in the $M_{\text{BH}} - M_{\text{NS}} - \chi_{\hat{L}, \text{BH}}$ space

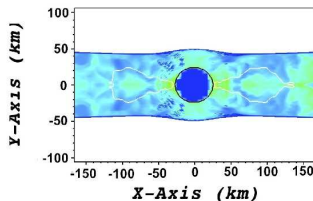
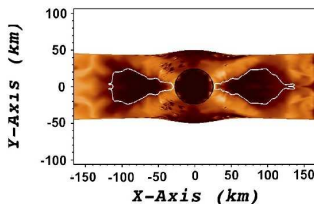
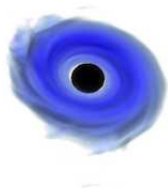
Part I: GW measurement



Additional degeneracy

Same M_{NS} , M_{BH} , and $\chi_{\hat{L},\text{BH}} \Rightarrow$ same GW signal

Part II: EM counterparts

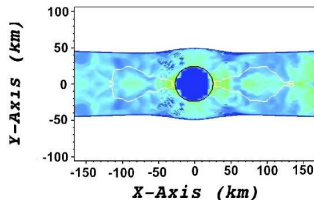
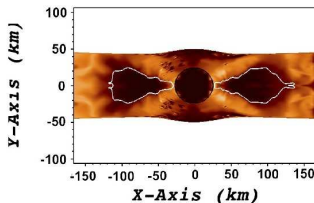
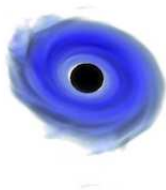


[Foucart *et al* (2014)]

- **Disk mass:** $10^{-3} - 0.1 M_{\odot}$
- **Size:** 10 – 1000 km
- **Density:** $10^8 - 10^{12} \text{ g/cm}^3$
- **Temperature:** $> \text{MeV}$
- **Accretion rate**
- Angular momentum distribution
- Magnetic field configuration
- ν cooling
- Composition
- Unbound tidal tails

Use the disk mass as a proxy for EM emission

Part II: EM counterparts



[Foucart *et al* (2014)]

EM counterpart production condition (SGRB ignition)

$$M_{b,disk} > M_{b,Threshold} \gtrsim 0.01 M_{\odot}$$

Fit to numerical-relativity results

$$M_{b,disk} = \frac{0.296 r_{tide} - 0.171 r_{ISCO}}{R_{NS}} M_{b,NS} \quad \text{[Foucart (2012)]}$$

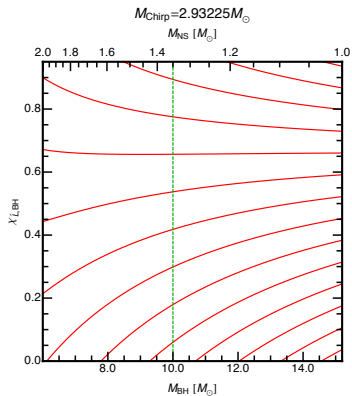
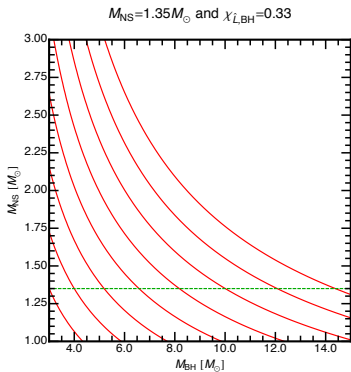
Generalized to misaligned mergers [Stone, Loeb, Berger (2013)]

Part III: Combining the information

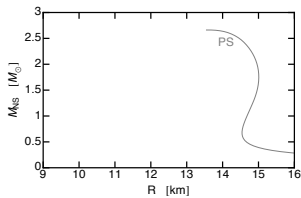
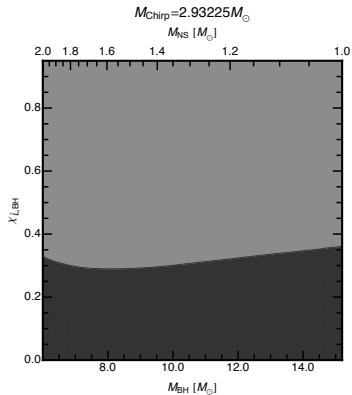
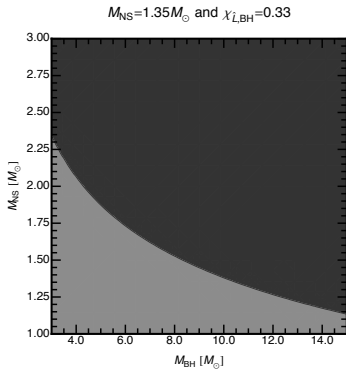
Algorithm

- 1 Pick a class of target systems ($\chi_{\text{BH}} = 0.998$ to maximize $M_{\text{b,disk}}$)
 - (A) Constant chirp mass, as accurately determined by GW measurement.
 - (B) Systems degenerate with $M_{\text{NS}} = 1.35M_{\odot}$, $\chi_{\hat{L},\text{BH}} = \text{const.}$
- 2 Perform PCA, identify GW degeneracies through constant principal components (Advanced LIGO ZDHP, 15 Hz cutoff)
- 3 Pick an equation of state
- 4 Calculate $M_{\text{b,disk}}$ for each point along the GW degeneracy
- 5 Regions with $M_{\text{b,disk}} > M_{\text{b,Threshold}} = 0.03M_{\odot}$ are EM loud
- 6 Overlay GW degeneracies with EM loud parameter space regions

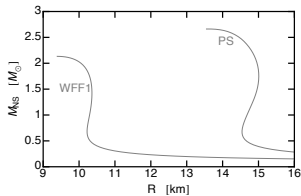
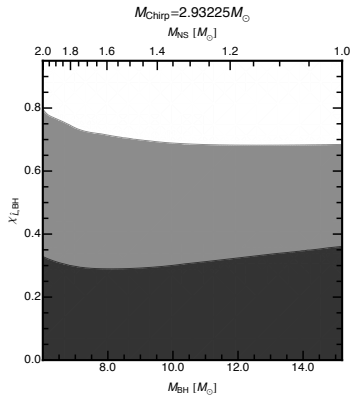
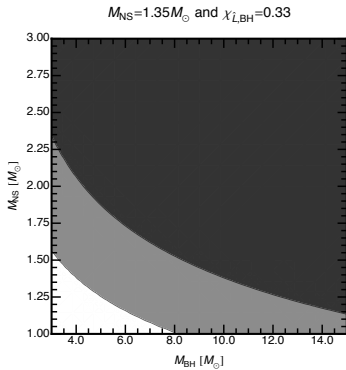
Part IV: Results



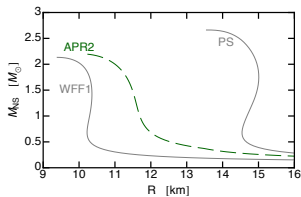
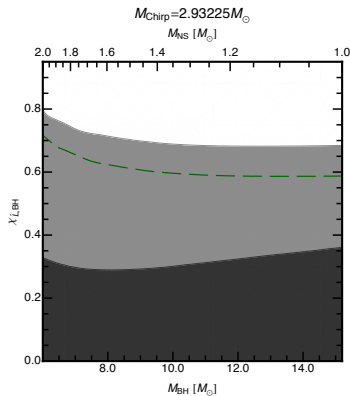
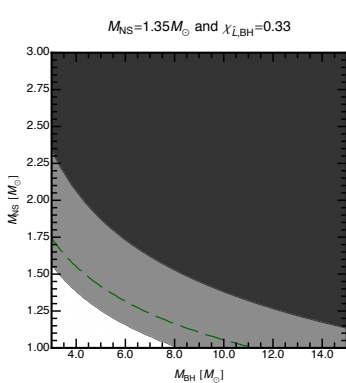
Part IV: Results



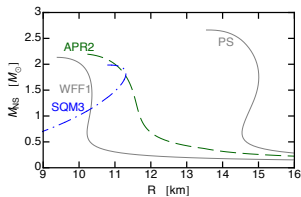
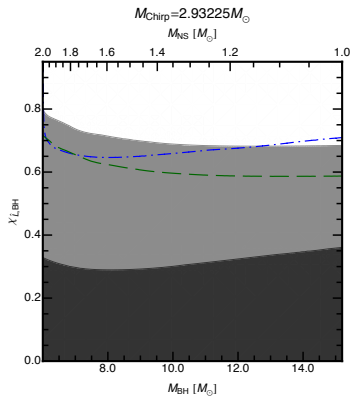
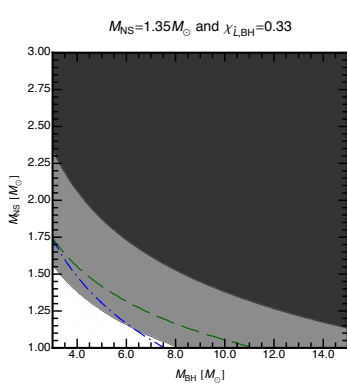
Part IV: Results



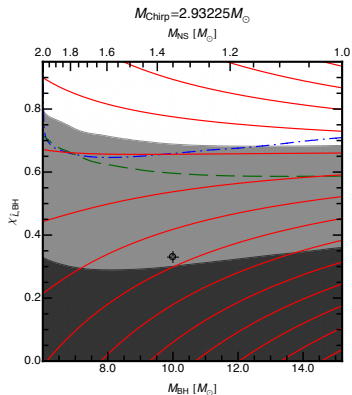
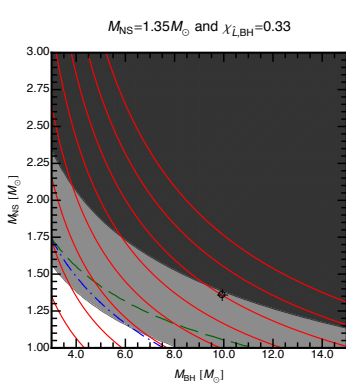
Part IV: Results



Part IV: Results

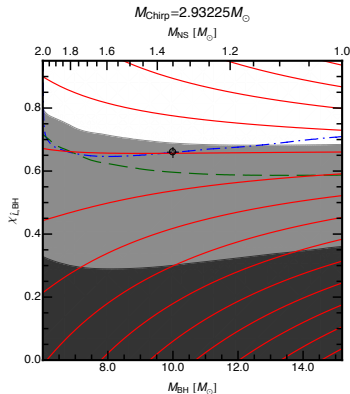
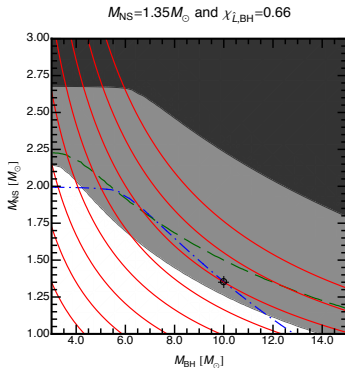


Part IV: Results



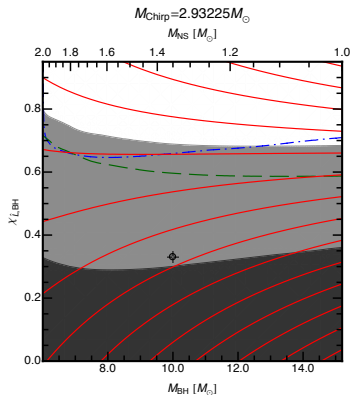
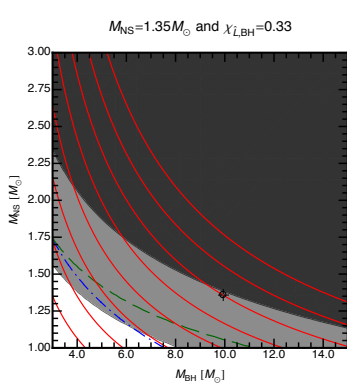
- Regions in which EM follow-ups are favourable/unfavourable
- Increasing(decreasing) the target $\chi_{\text{L,BH}}(M_{\text{Chirp}})$ enhances the chances of having an EM counterpart

Part IV: Results



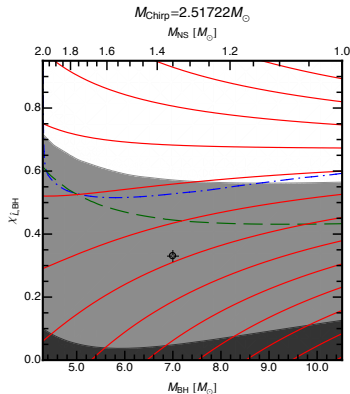
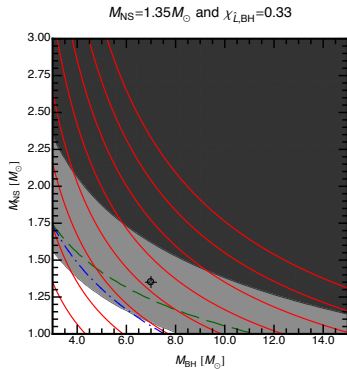
- Regions in which EM follow-ups are favourable/unfavourable
- Increasing(decreasing) the target $\chi_{\text{L,BH}}(M_{\text{Chirp}})$ enhances the chances of having an EM counterpart

Part IV: Results



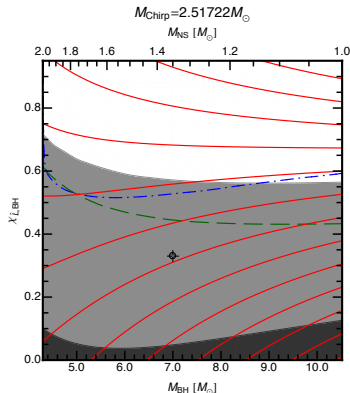
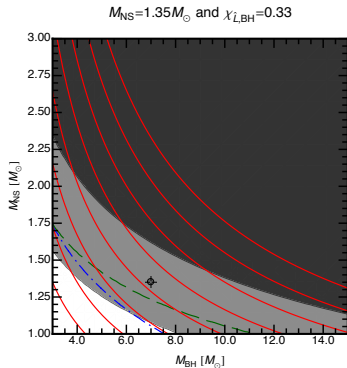
- Regions in which EM follow-ups are favourable/unfavourable
- Increasing(decreasing) the target $\chi_{\text{L,BH}}(M_{\text{Chirp}})$ enhances the chances of having an EM counterpart

Part IV: Results



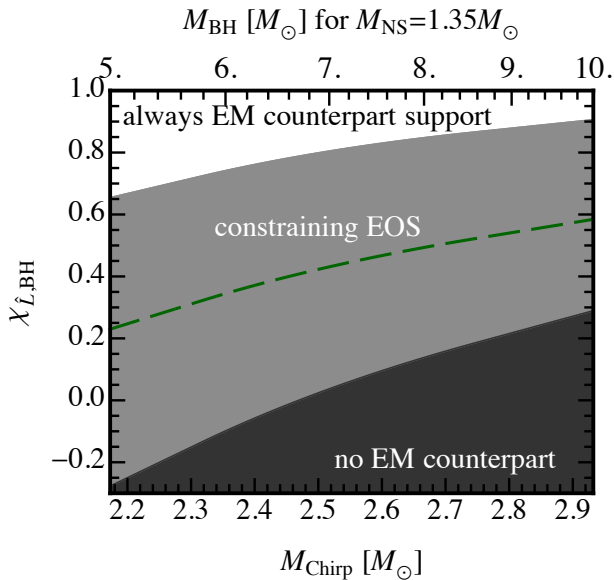
- Regions in which EM follow-ups are favourable/unfavourable
- Increasing(decreasing) the target $\chi_{\text{L,BH}}(M_{\text{Chirp}})$ enhances the chances of having an EM counterpart

Part IV: Results

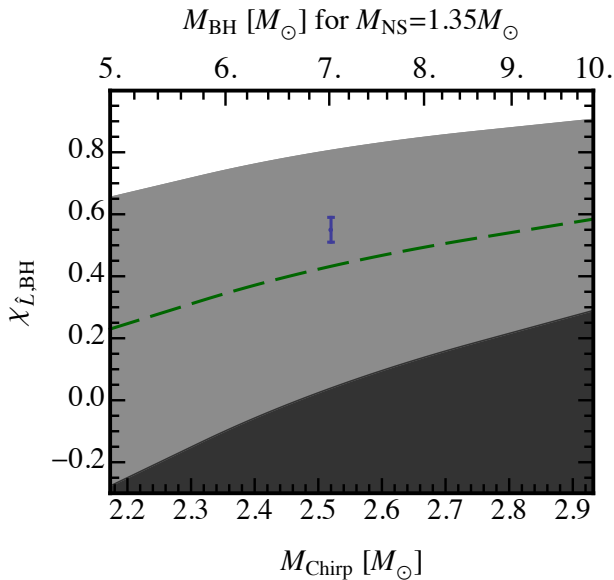


- GW degeneracies hardly intersect with EOS thresholds
- Joint GW+EM detection \rightarrow lower bound on the NS EOS stiffness
- Low $\chi_{\text{L,BH}}$ \rightarrow exclude soft EOSs (possibly strange quark matter) for most M_{Chirp} values

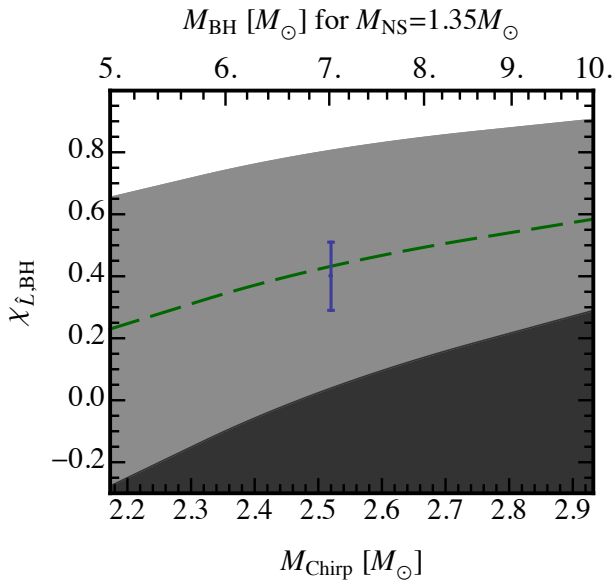
Part IV: Results



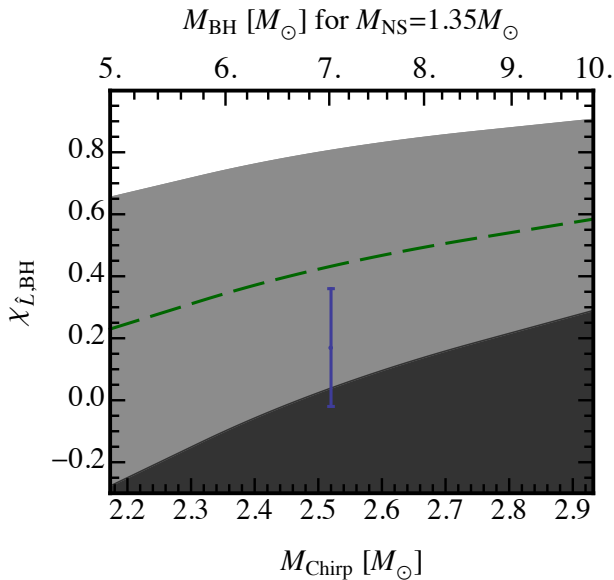
Part IV: Results



Part IV: Results



Part IV: Results



Part V: Improving offline searches

An SGRB is detected and it triggers an offline NS-BH GW search:

- $M_{\text{NS}} \in [1, 2.8]M_{\odot}$, $M_{\text{BH}} \in [3, 15]M_{\odot}$, $\chi_{\hat{L},\text{BH}} \in [-0.95, 0.95]$

Conservatively estimate the size of parameter space where an SGRB counterpart cannot be ignited:

- $\chi_{\text{BH}} = 0.998$
- 2H 2-piecewise-polytrope \rightarrow high $M_{\text{NS}}^{\text{Max}} \sim 2.8M_{\odot}$ and large R_{NS}
- No SGRB counterpart for $M_{\text{b,disk}} = 0M_{\odot}$

\Rightarrow At most 35%(25%) of the parameter space is useful in following up an SGRB trigger

\Rightarrow 43%(48%) of the templates cover the SGRB silent region

\Rightarrow Increase in speed and sensitivity

Conclusions

- Conventional wisdom (high χ_{BH} , low M_{BH} favour SGRBs) translated into quantitative predictions for CBC searches
- Joint GW+EM detection potentially places lower bound on EOS stiffness
- Developed framework to assess the importance of an EM follow-up
- Can easily be turned into an add-on for search/parameter-estimation pipelines
- Potential speed-up in offline GW searches following SGRB triggers

