

Longitudinal Spin Results with COMPASS

before OAM investigation

$$\frac{1}{2} = \frac{1}{2} \Delta\Sigma + \Delta G + L_z^q + L_z^g$$

$$\Delta\Sigma = \int_0^1 \Delta u(x) + \Delta \bar{u}(x) + \Delta d(x) + \Delta \bar{d}(x) + \Delta s(x) + \Delta \bar{s}(x) dx$$

$$\Delta G = \int_0^1 \Delta g(x) dx$$

Inclusive asymmetries :

$g_1^{d,p}$, $\int g_1^N dx$ and $\Delta\Sigma$, $\Delta s + \Delta \bar{s}$, $\int g_1^{NS} dx$ and Bjorken sum rule

Semi-inclusive asymmetries:

Flavour separation: Δu , Δd , $\Delta \bar{u}$, $\Delta \bar{d}$, Δs , $\Delta \bar{s}$

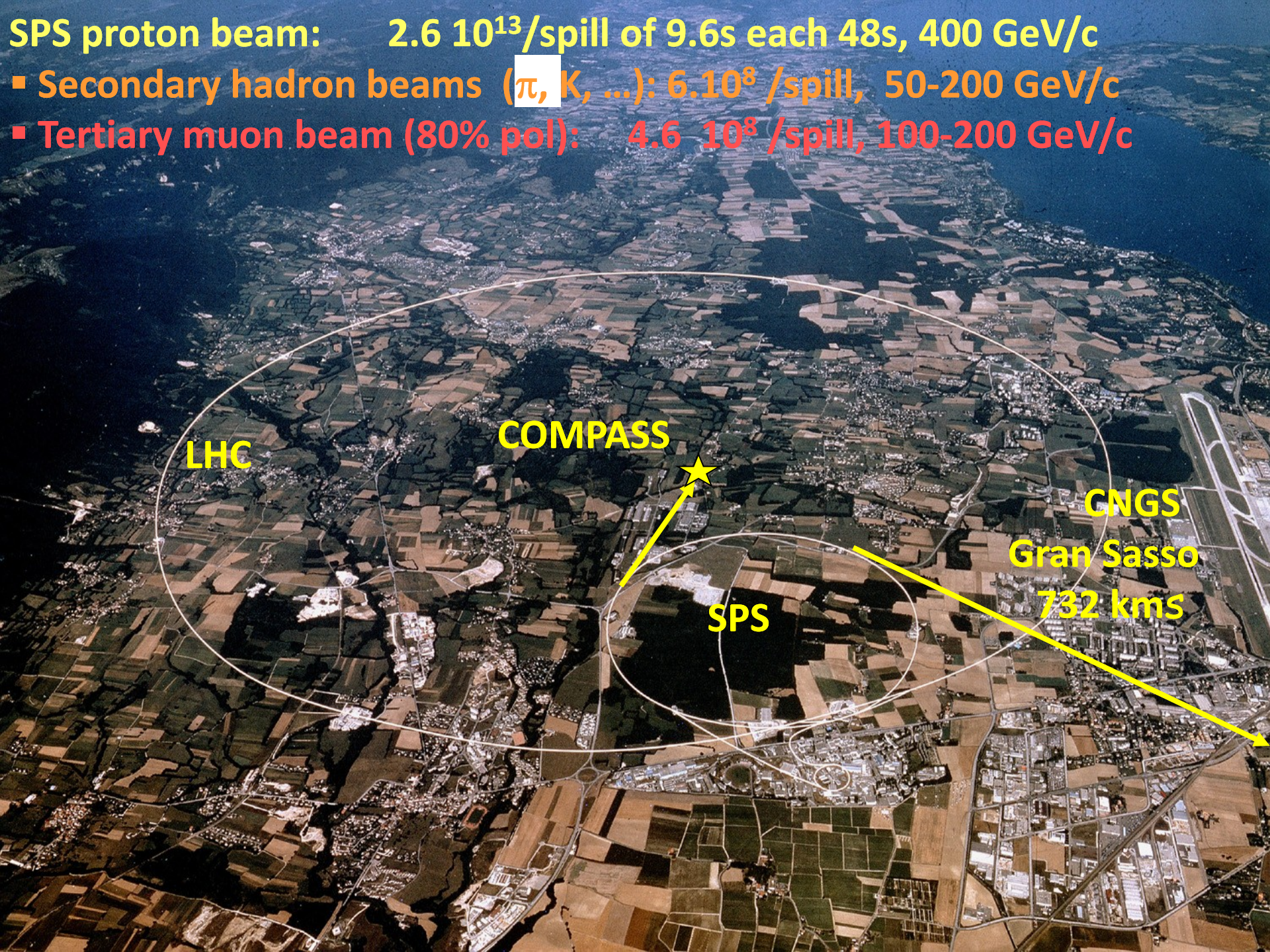
Photon-Gluon Fusion asymmetries: ΔG

*Nicole d'Hose (CEA Saclay) on behalf of the COMPASS collaboration
INT Workshop, OAM in QCD, February 6-27, 2012*

SPS proton beam: $2.6 \cdot 10^{13}$ /spill of 9.6s each 48s, 400 GeV/c

▪ Secondary hadron beams (π , K, ...): $6 \cdot 10^8$ /spill, 50-200 GeV/c

▪ Tertiary muon beam (80% pol): $4.6 \cdot 10^8$ /spill, 100-200 GeV/c



LHC

COMPASS

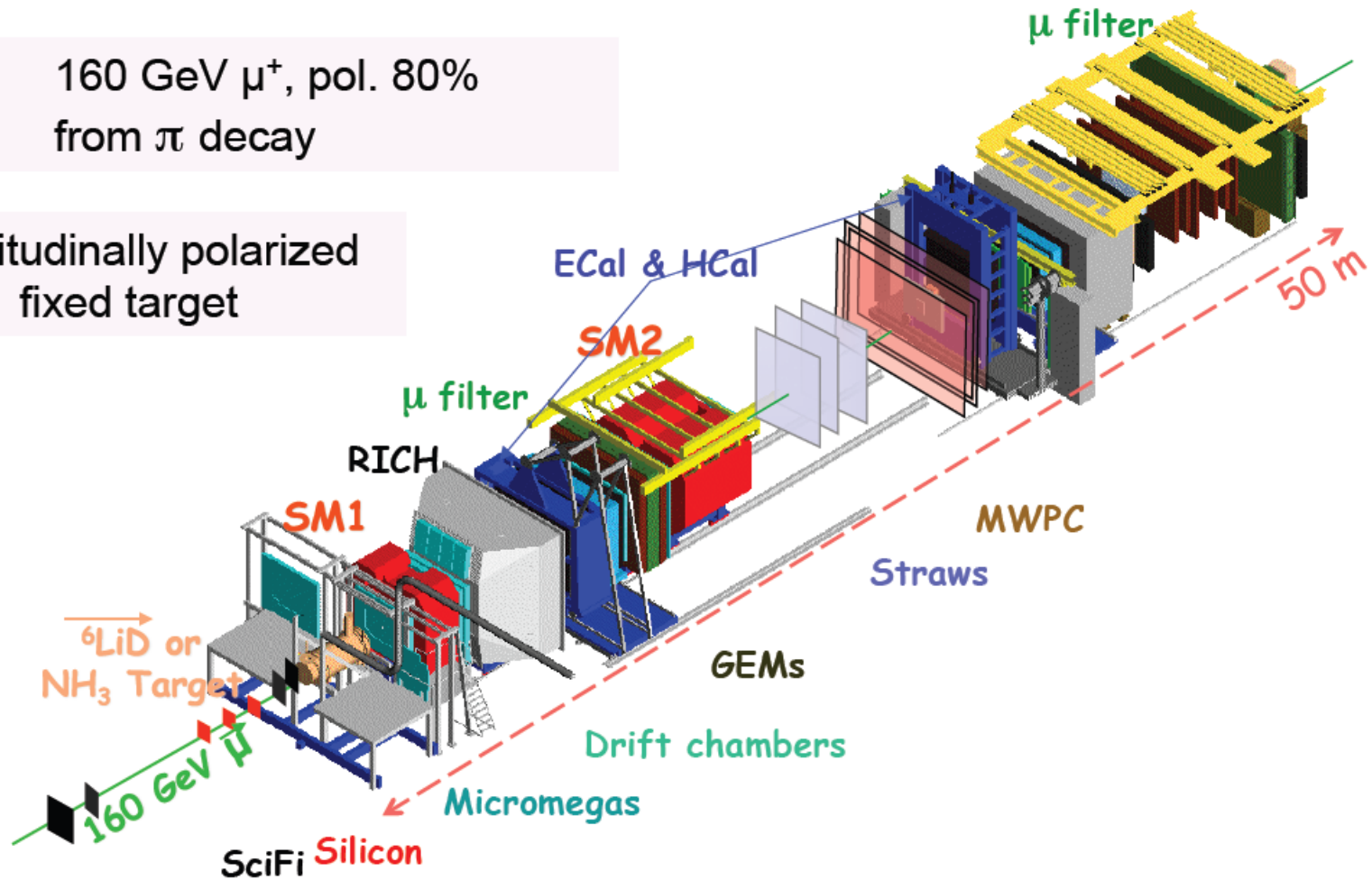
SPS

GNGS
Gran Sasso
732 kms

The COMPASS experiment

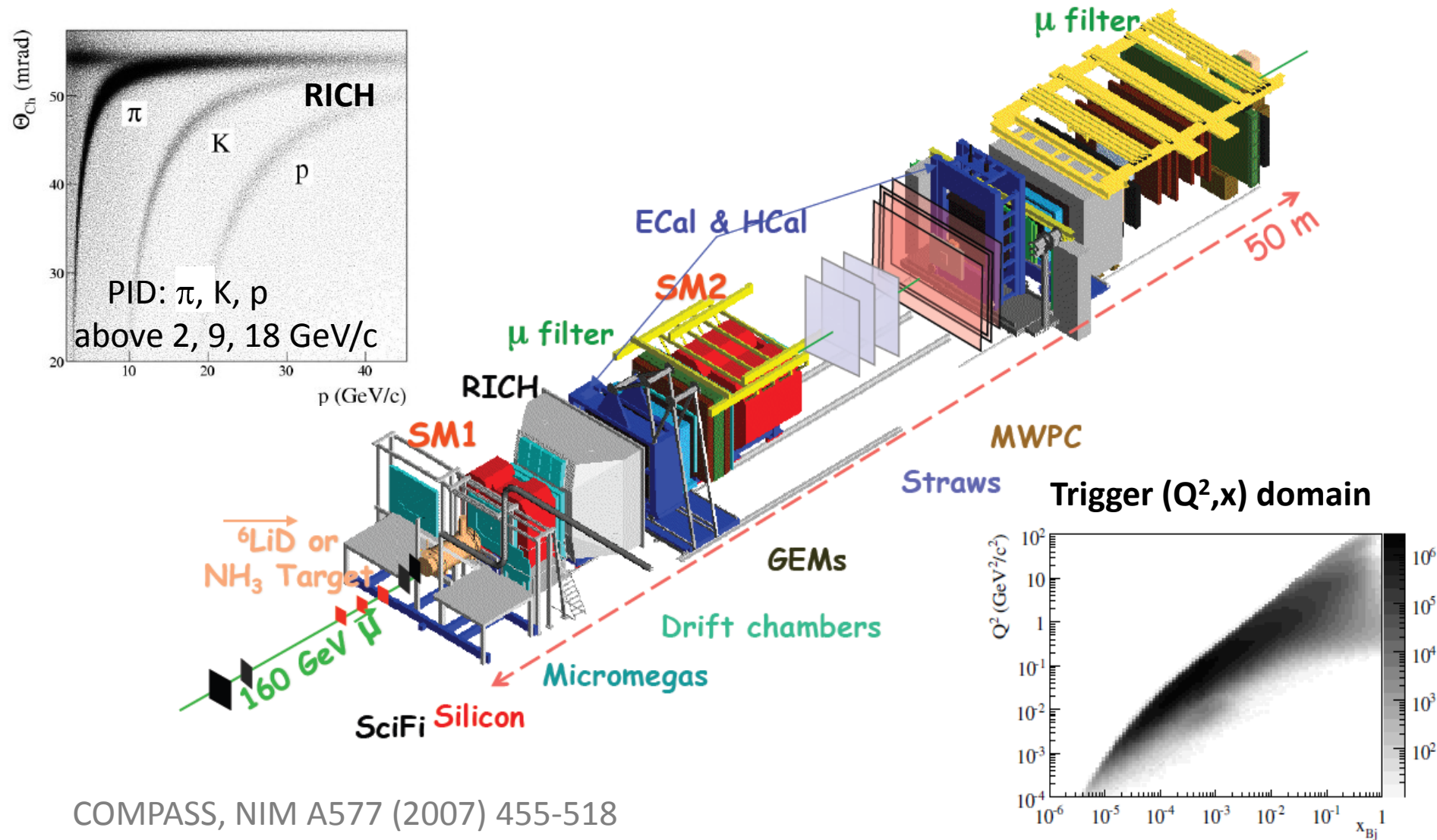
Beam: 160 GeV μ^+ , pol. 80%
from π decay

Longitudinally polarized
fixed target



The COMPASS experiment

two stages spectrometer for Large and Small Angles around SM1 and SM2



Asymmetry measurement

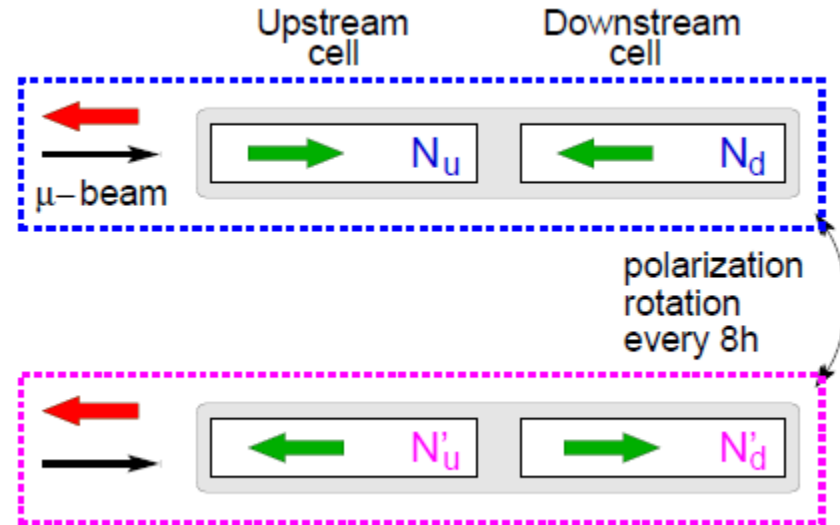
To be measured

$$A_{\parallel}^{\mu N} = \frac{\sigma^{\uparrow\downarrow} - \sigma^{\uparrow\uparrow}}{\sigma^{\uparrow\downarrow} + \sigma^{\uparrow\uparrow}}$$

Flux normalisation

$$A_{\text{exp}} = \frac{N_u - N_d}{N_u + N_d}$$

Acceptance difference: polarisation rotation



Take average asymmetry (with minimization of bias)

$$A_{\text{exp}} = \frac{A + A'}{2} = \frac{1}{2} \left(\frac{N_u - N_d}{N_u + N_d} + \frac{N'_d - N'_u}{N'_u + N'_d} \right)$$

Experimental asym. related to lepton-nucleon asym. or to photon-nucleon asym.

$$A_{\text{exp}} = p_{\mu} p_T f A_{\parallel}^{\mu N}$$

p_{μ}, p_T beam and target polarisation

$$A_{\text{exp}} = p_{\mu} p_T f D |A_1^{\gamma^* N}|$$

f dilution factor

D depolarisation factor

weighting each event with $\omega = p_{\mu} f D$ for statistical gain

the COMPASS polarized beam and target

Muon 160 GeV

Polarisation $P_\mu = 80\%$

2002-3-4-6 2007

Target material: ${}^6\text{LiD} - \text{NH}_3$

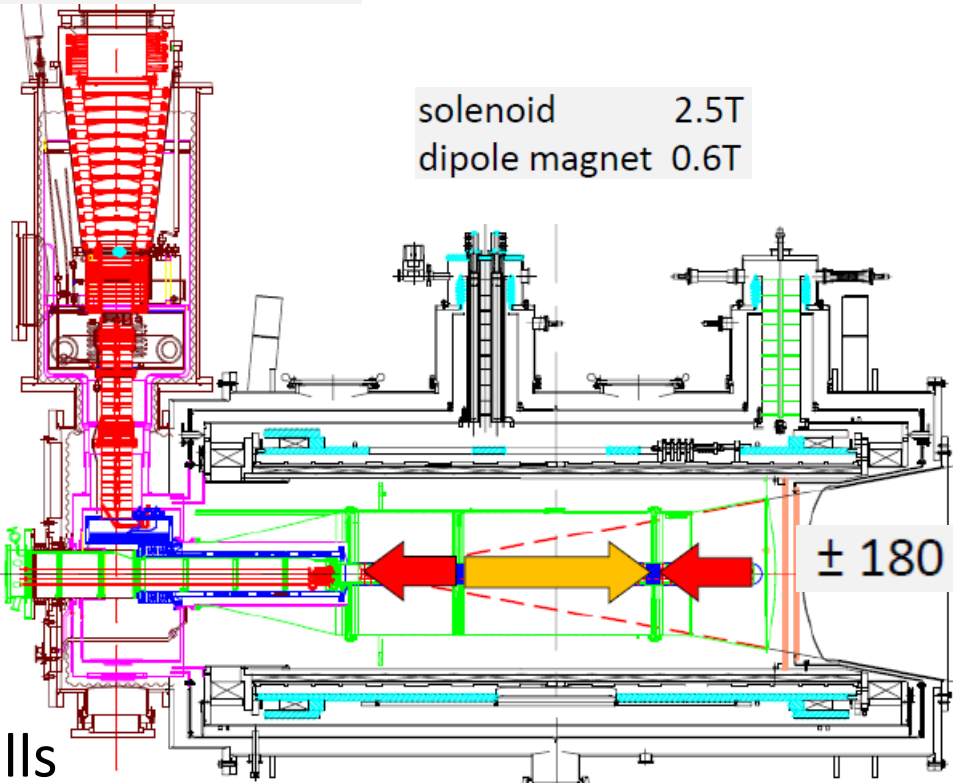
Polarisation $P_T = 50\% - 90\%$

Dilution factor $f = 40\% - 16\%$



${}^3\text{He} - {}^4\text{He}$ dilution refrigerator ($T \sim 50\text{mK}$)

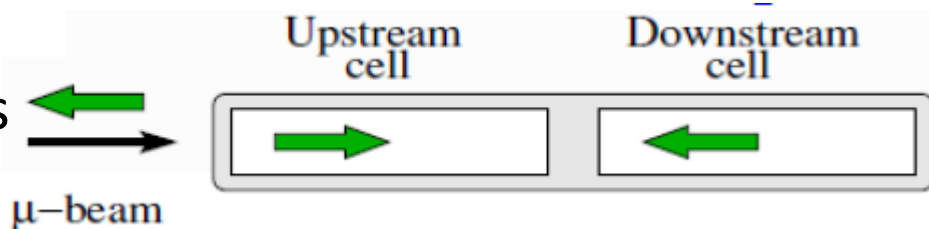
solenoid 2.5T
dipole magnet 0.6T



$\pm 180 \text{ mrad}$

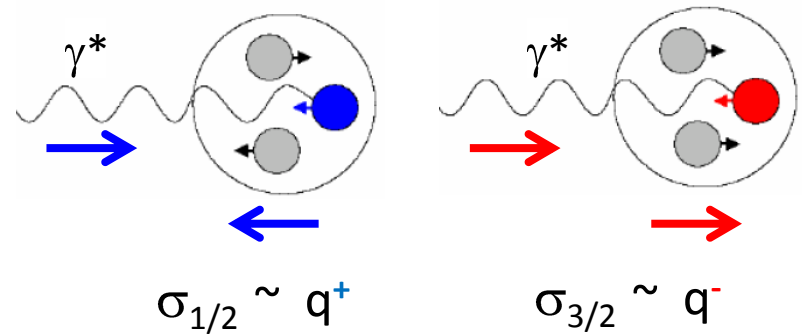
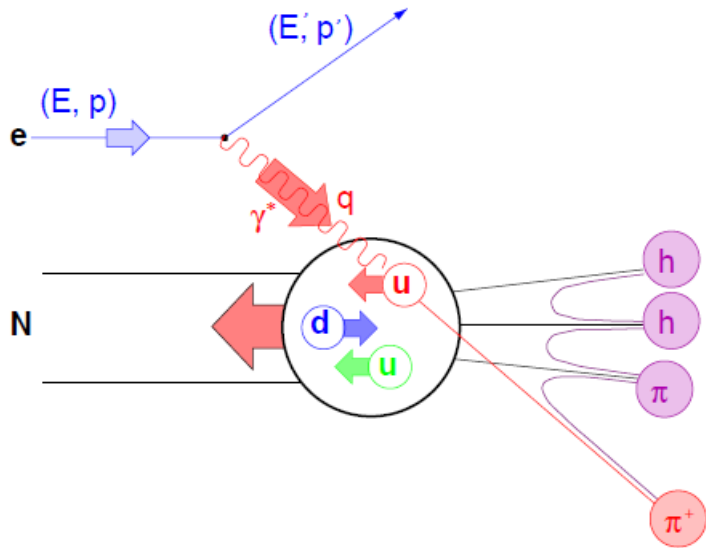
2006-7-10-11 setup: 3 target cells

2002-3-4 setup: 2 target cells



Inclusive asymmetries in DIS and spin structure functions

inclusive asymmetries in DIS



$$q(x) = q(x)^+ + q(x)^- \quad + \text{quark } \uparrow\uparrow \text{ nucleon}$$

$$\Delta q(x) = q(x)^+ - q(x)^- \quad - \text{quark } \downarrow\uparrow \text{ nucleon}$$

photon-nucleon asymmetry

$$A_1^{\gamma^*N} = \frac{\sigma_{1/2} - \sigma_{3/2}}{\sigma_{1/2} + \sigma_{3/2}} \approx \frac{\sum_q e_q^2 (q(x)^+ - q(x)^-)}{\sum_q e_q^2 (q(x)^+ + q(x)^-)} = \frac{g_1(x)}{F_1(x)}$$

spin structure function

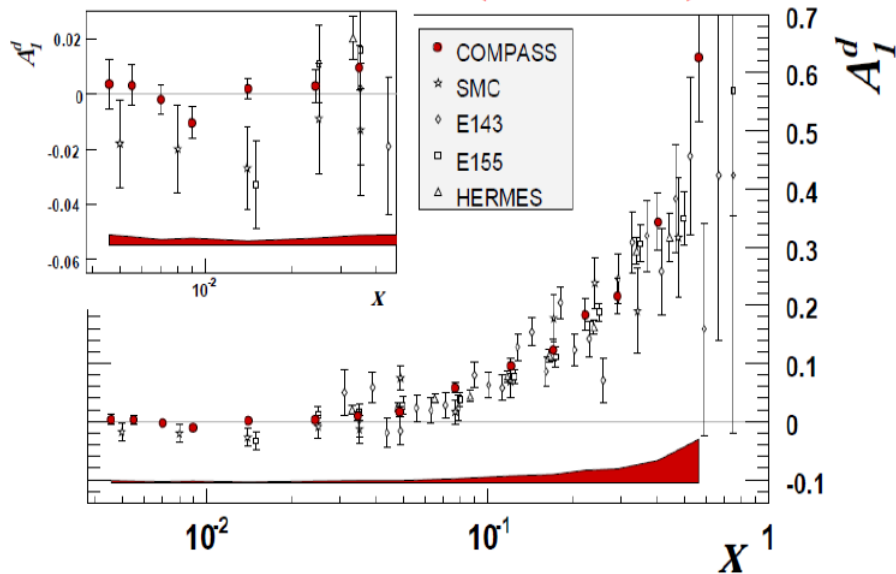
$$g_1 = \frac{1}{2} \sum_q e_q^2 \Delta q(x) = A_1 \cdot \frac{F_2}{2x(1+R)} \approx \frac{A_{\parallel}}{D} \cdot \frac{F_2}{2x(1+R)}$$

F_2 from the SMC parametrization

$R = \sigma_L / \sigma_T$ from SLAC parametrization

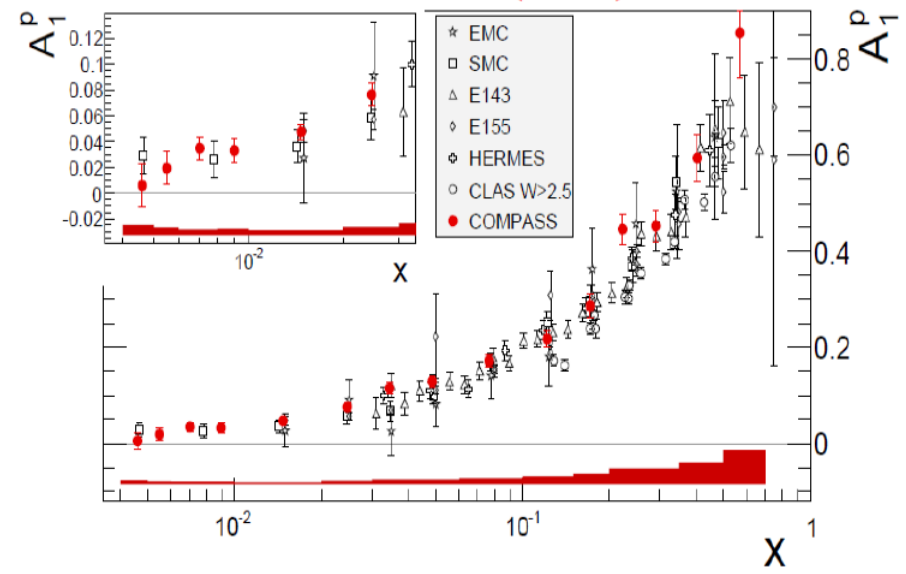
inclusive asymmetries $A_1^{d,p}$: $Q^2 > 1 \text{ GeV}^2$

Deuteron data (2002-2006)



COMPASS, PLB 647 (2007) 8-17

Proton data (2007)



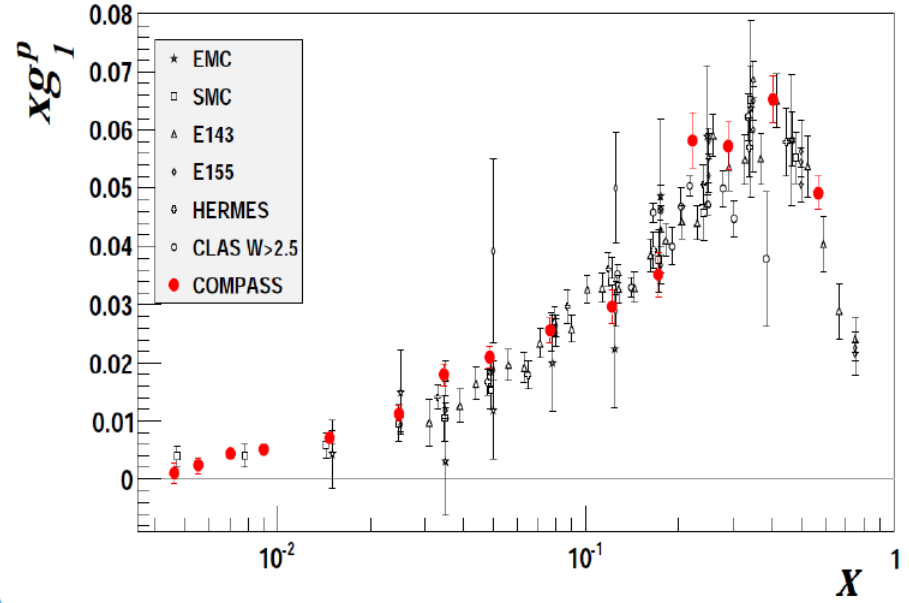
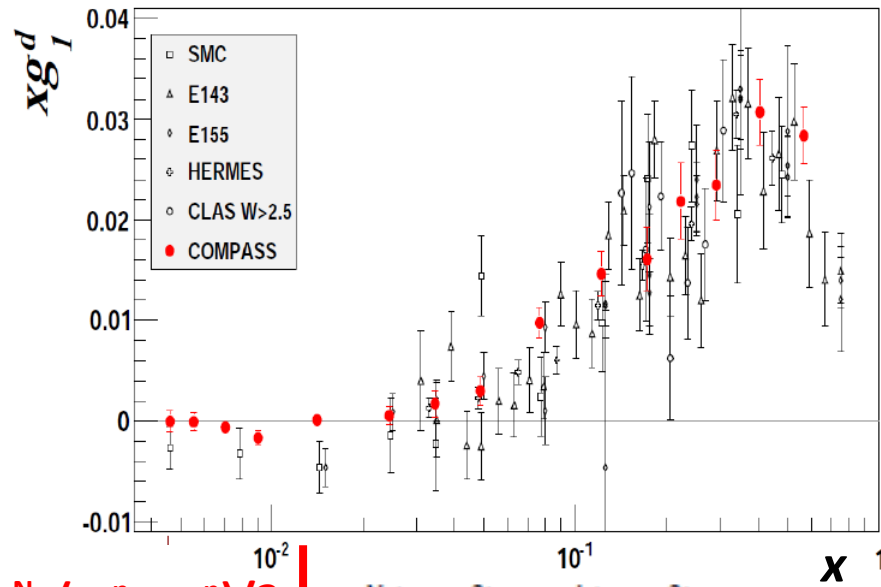
COMPASS, PLB 690 (2010) 466-472

Good agreement between all experimental points

Significant improvement of precision in the low x region

No negative trend for A_1^d

COMPASS results for $g_1^{d,p}$ and first moment of g_1^N



$$g_1^N = (g_1^p + g_1^n) / 2 \quad \downarrow \quad g_1^N(x, Q^2) = g_1^d(x, Q^2) / (1 - 1.5\omega_D)$$

$$\Gamma_1^N(Q_0^2 = 3(\text{GeV}/c)^2) = \int_0^1 g_1(x) dx = 0.0502 \pm 0.0028(\text{stat}) \pm 0.0020(\text{evol}) \pm 0.0051(\text{syst})$$

$$= \frac{1}{9} \left(1 - \frac{\alpha_s(Q^2)}{\pi} + \mathcal{O}(\alpha_s^2) \right) \left(a_0(Q^2) + \frac{1}{4} a_8 \right) \Rightarrow a_0 = 0.35 \pm 0.03(\text{stat}) \pm 0.05(\text{syst})$$

$$\Delta \Sigma^{\overline{\text{MS}}} = 0.33 \pm 0.03(\text{stat}) \pm 0.05(\text{syst}) \quad (\Delta \Sigma^{\overline{\text{MS}}} = a_0 \text{ @ } Q^2 \rightarrow \infty)$$

$$(\Delta s + \Delta \bar{s}) = \frac{1}{3} (\Delta \Sigma^{\overline{\text{MS}}} - a_8) = -0.08 \pm 0.01(\text{stat}) \pm 0.02(\text{syst})$$

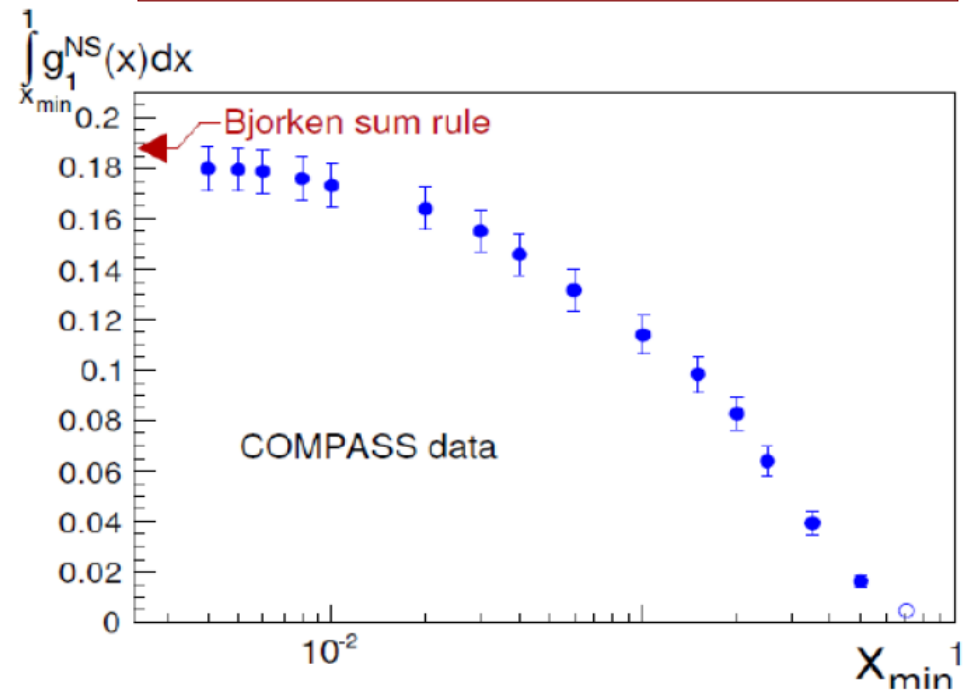
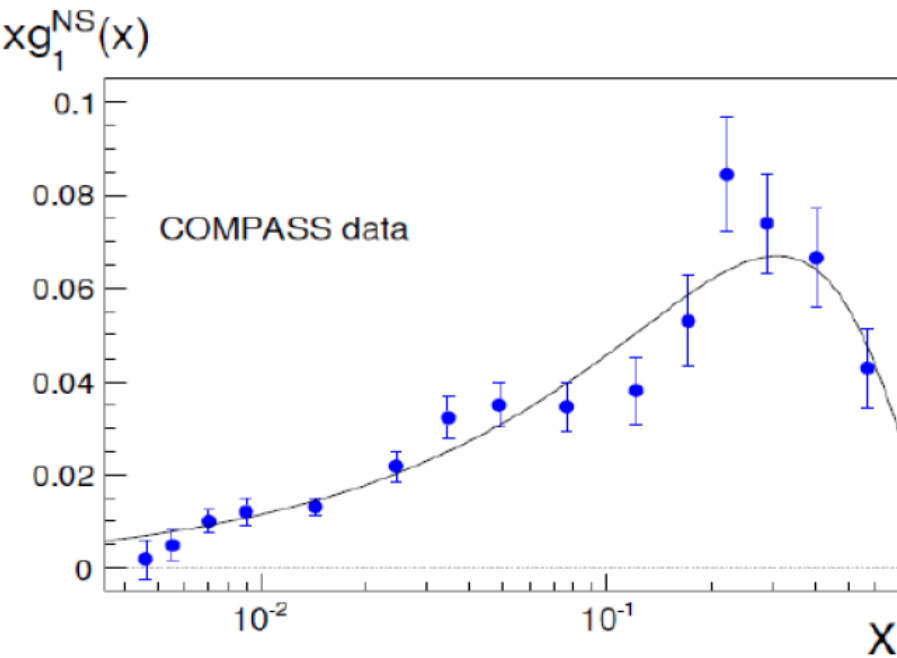
Bjorken sum rule from COMPASS g_1^p and g_1^d

the non-singlet spin structure

$$\int_0^1 g_1^{\text{NS}}(x, Q^2) dx = \frac{1}{6} \left| \frac{g_A}{g_V} \right| C_1^{\text{NS}}(Q^2)$$

using \rightarrow

$$\begin{aligned} g_1^{\text{NS}}(x, Q^2) &= g_1^p(x, Q^2) - g_1^n(x, Q^2) \\ &= 2g_1^p - 2g_1^d / (1 - 1.5\omega_D) \end{aligned}$$



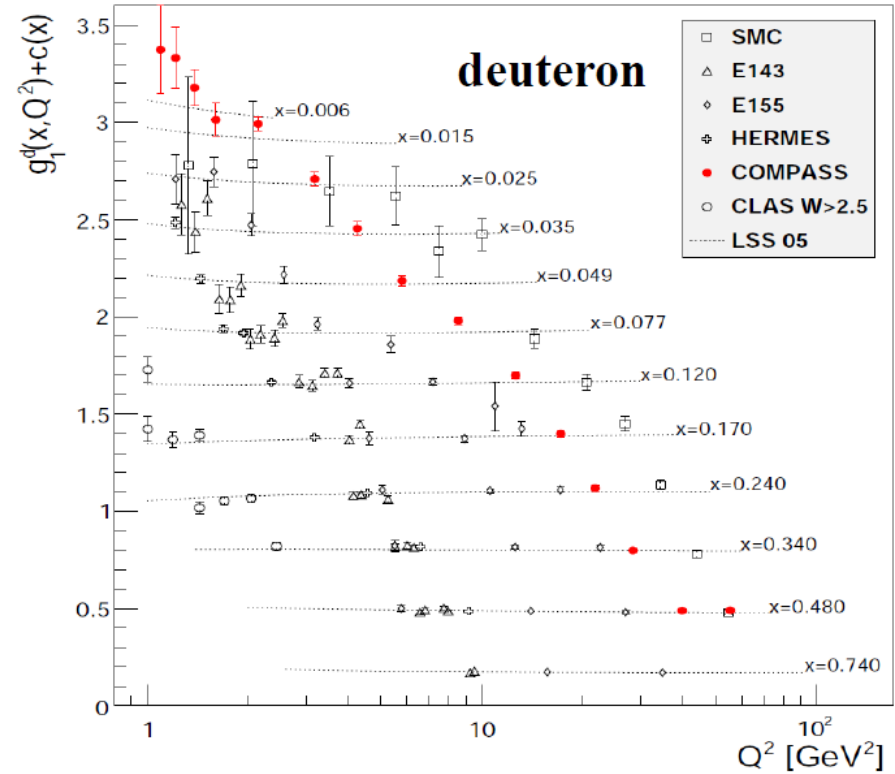
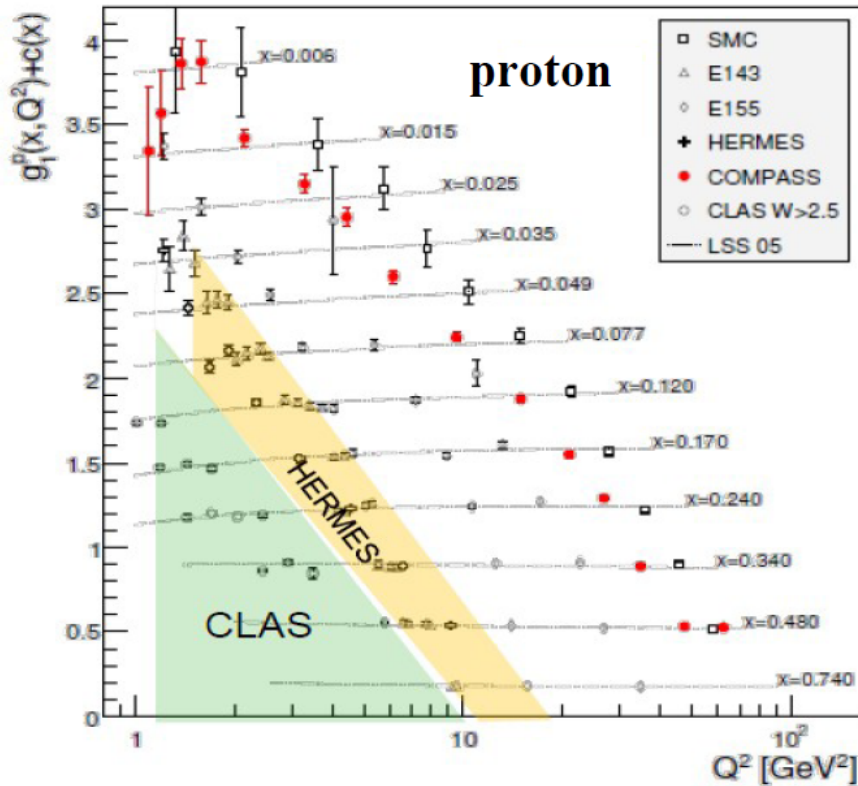
- QCD fit of COMPASS data using $\Delta q^{\text{NS}} = |g_A / g_V| x^\alpha (1 - x)^\beta$

$$\left| \frac{g_A}{g_V} \right| = 1.28 \pm 0.07(\text{stat}) \pm 0.10(\text{sys})$$

(PDG value: $|g_A / g_V| = 1.269 \pm 0.003$)

COMPASS, PLB 690 (2010) 466-472

the Q^2 dependence of g_1 for DGLAP evolution



The kinematic range is still limited (compared to the unpolarized F_2)

→ additional data from colliders are required

pQCD analyses:

$\Delta u + \Delta \bar{u}$ and $\Delta d + \Delta \bar{d}$ well constrained by data (LSS PRD 80 (2009) 054026)

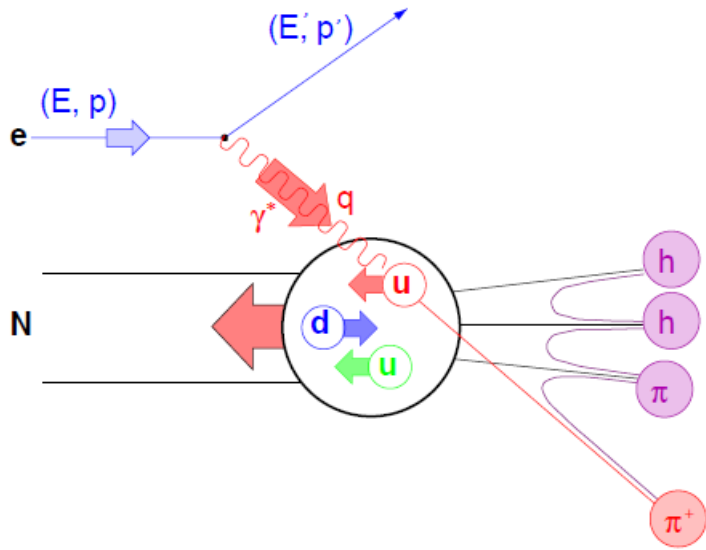
Δs and Δg need other data in addition to inclusive data

Δs comes out negative

$|\Delta g|$ is small (<0.5) still with large uncertainties → direct measurement needed

Semi-Inclusive asymmetries and flavour separation

Extraction of quark helicity distribution from SIDIS



The outgoing hadron tags the quark flavour

Requirement of the fragmentation function FF of a quark q to a hadron h

$$D_q^h(z, Q^2) \quad \text{with} \quad z = E_h / E_{\gamma^*}$$

The semi-inclusive asymmetries have the following interpretation (in LO):

$$A_1^{h(p/d)}(x, z, Q^2) \approx \frac{\sum_q e_q^2 \Delta q(x, Q^2) D_q^h(z, Q^2)}{\sum_q e_q^2 q(x, Q^2) D_q^h(z, Q^2)}$$

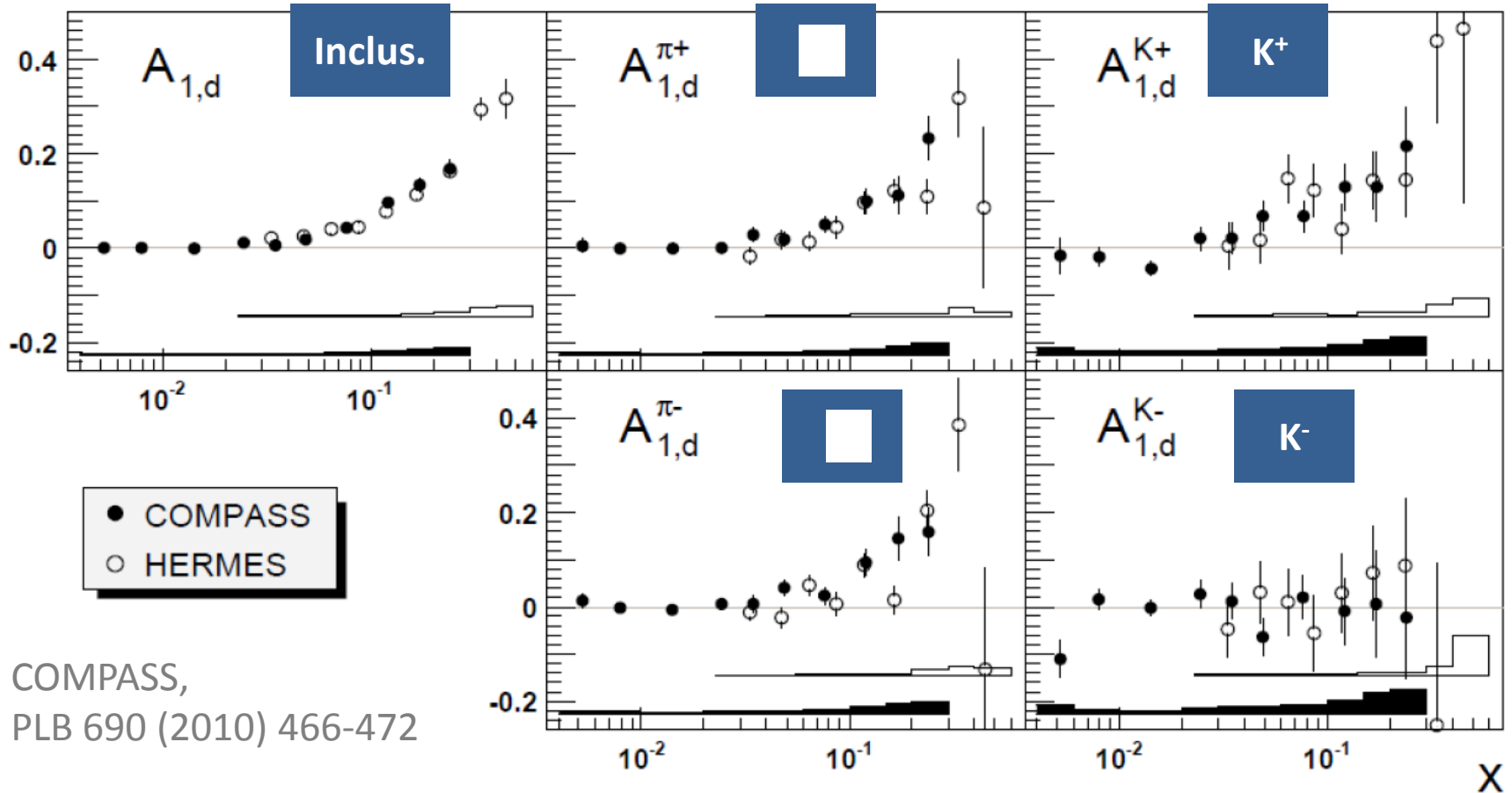
Inputs needed to extract quark helicity:

Unpolarized PDFs
from MRST04

FF from
DSS parametrisation

Inclusive and semi-inclusive spin asymmetries for **deuteron** data

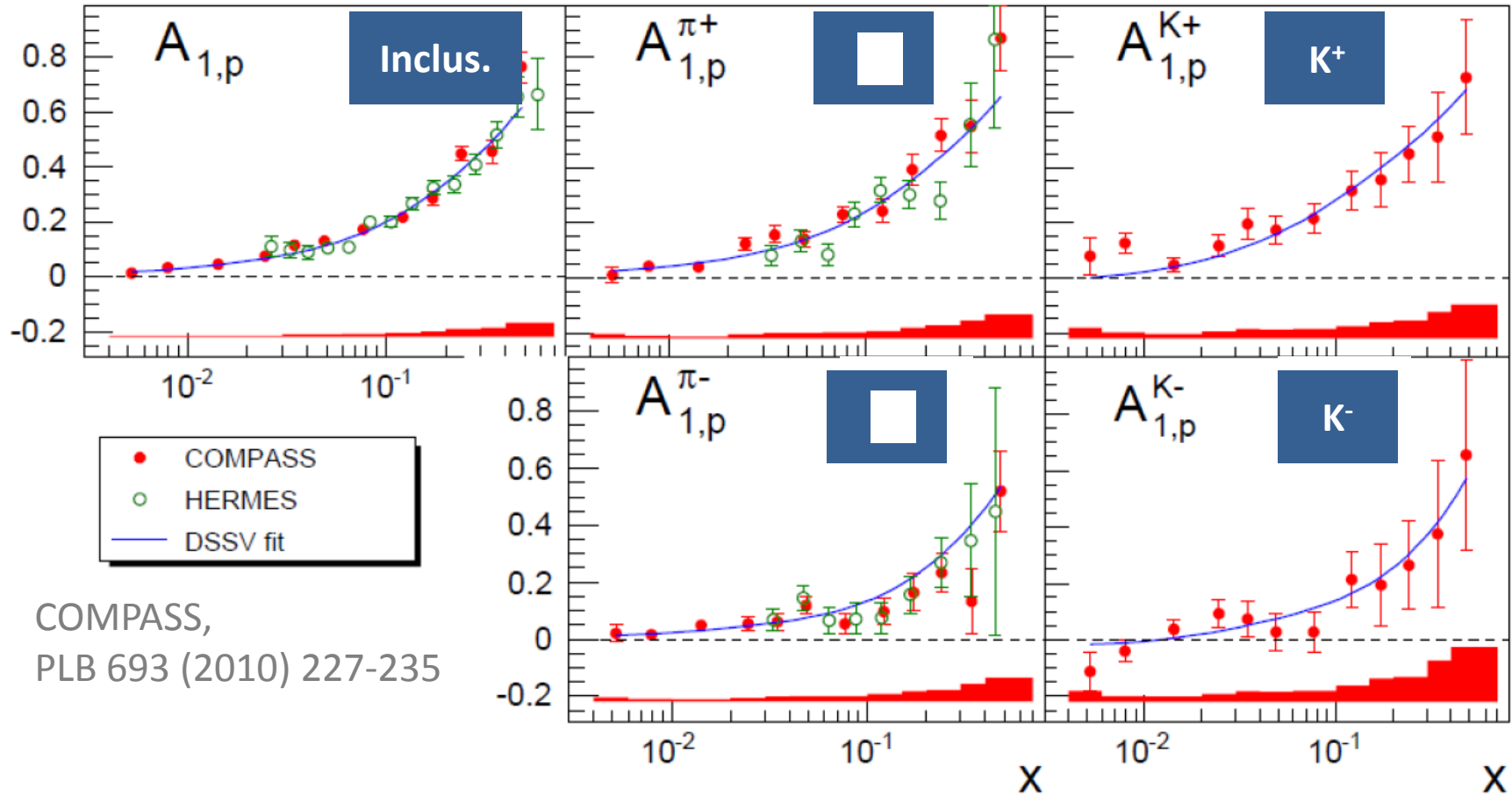
Inclusive & semi-inclusive asymmetries
for identified π 's and K 's



From these asymmetries one can extract $\Delta u + \Delta d$, $\Delta \bar{u} + \Delta \bar{d}$ and $\Delta s = \Delta \bar{s}$

Inclusive and semi-inclusive spin asymmetries for **proton** data

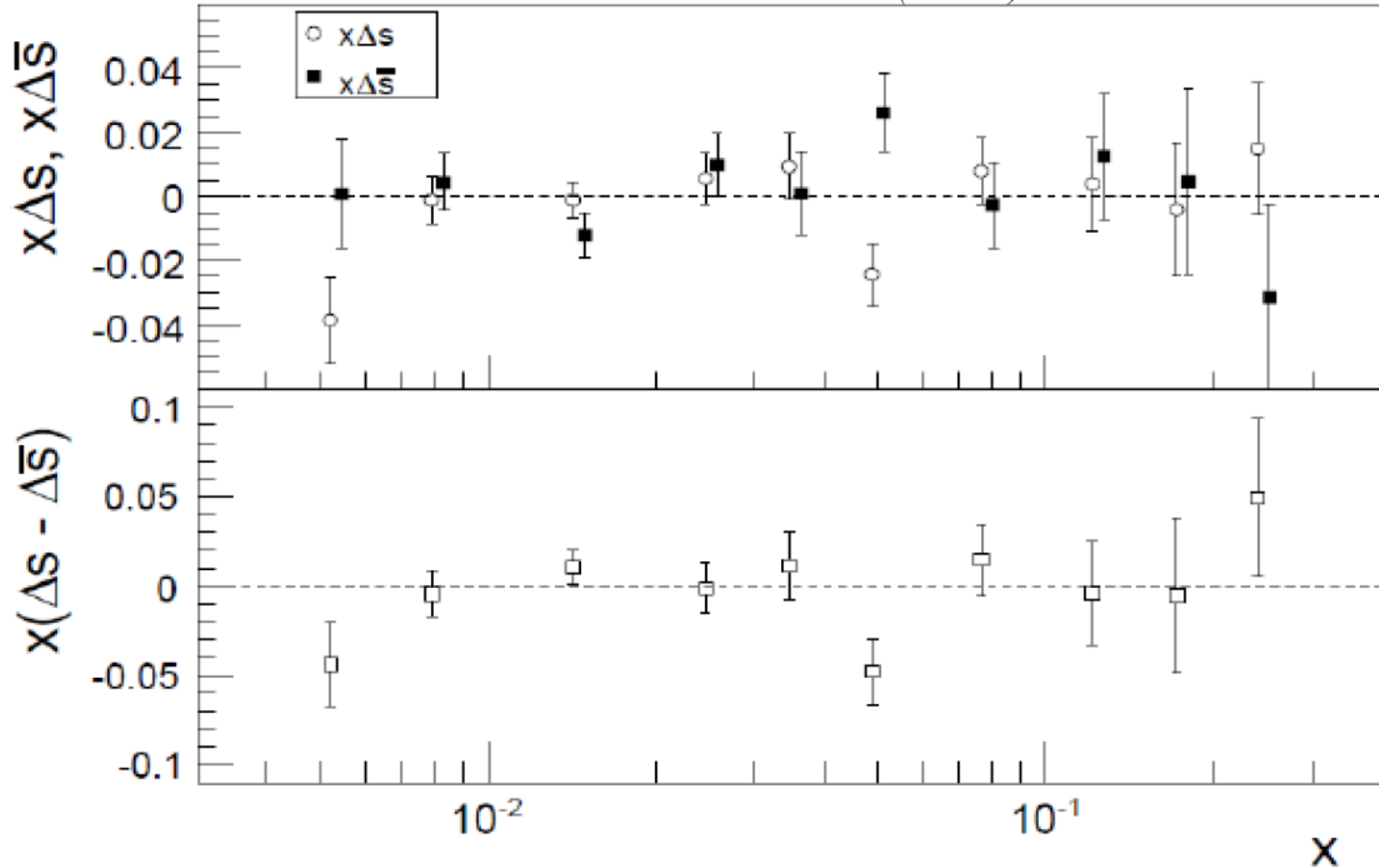
incl. & semi-incl. asymmetries
for identified π 's and K 's



Using $A_{1,p}^h$ and $A_{1,d}^h$ one can extract separately Δu , Δd , $\Delta \bar{u}$, $\Delta \bar{d}$, Δs and $\Delta \bar{s}$

Comparison of Δs with $\Delta \bar{s}$

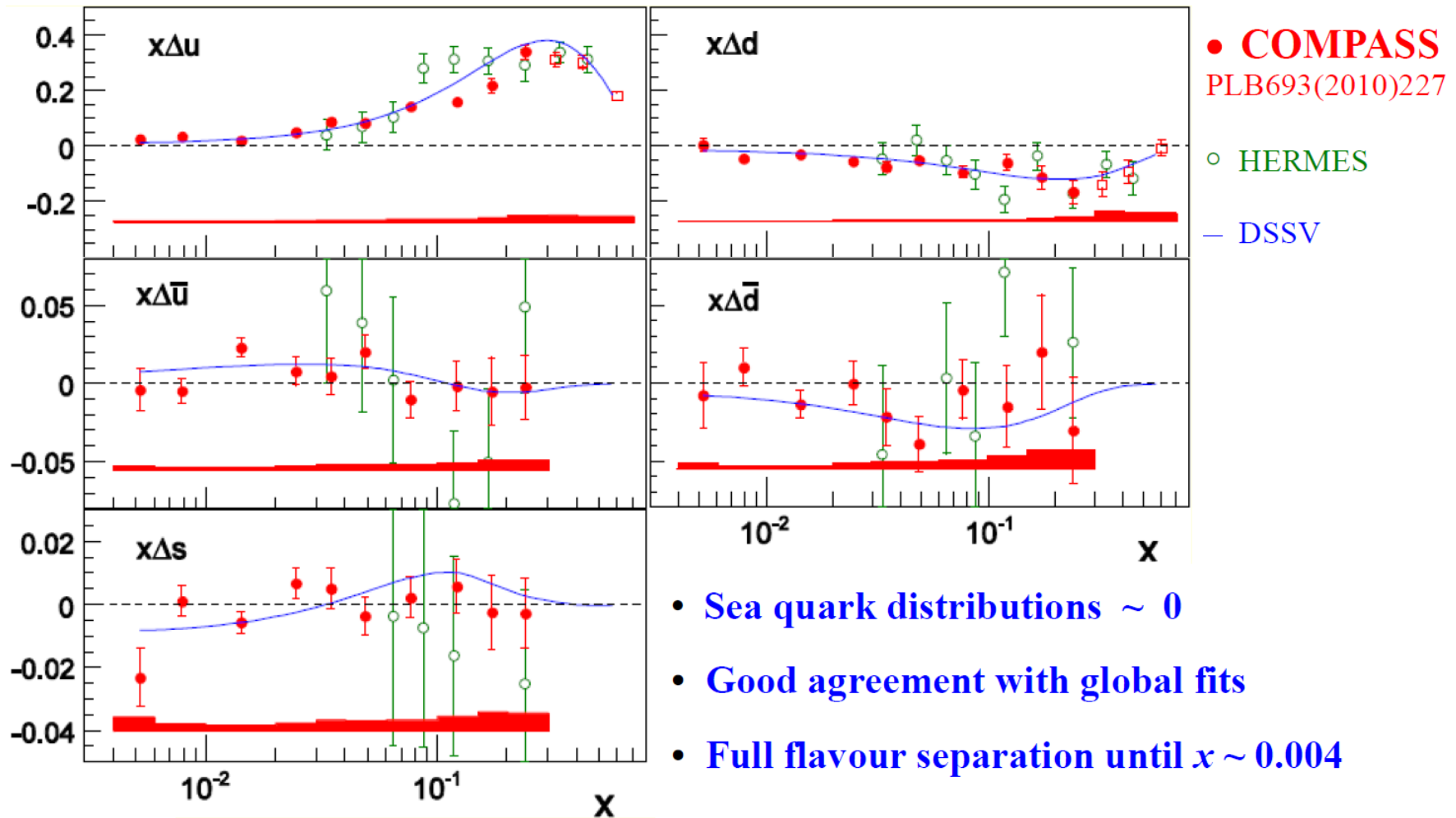
COMPASS, PLB 693 (2010) 227-235



$\Delta s - \Delta \bar{s}$ is compatible with 0

$\Delta s = \Delta \bar{s}$ is assumed in the following analysis

Quark helicities from SIDIS ($Q^2=3 \text{ GeV}^2$ and $x < 0.3$)



$$\int_{0.004}^{0.3} \Delta s \, dx = \Delta s(\text{SIDIS}) = -0.01 \pm 0.01(\text{stat}) \pm 0.01(\text{syst})$$

■ puzzle?

From DIS first moment of $g_1 +$ (neutron and hyperon β decay + SU3):

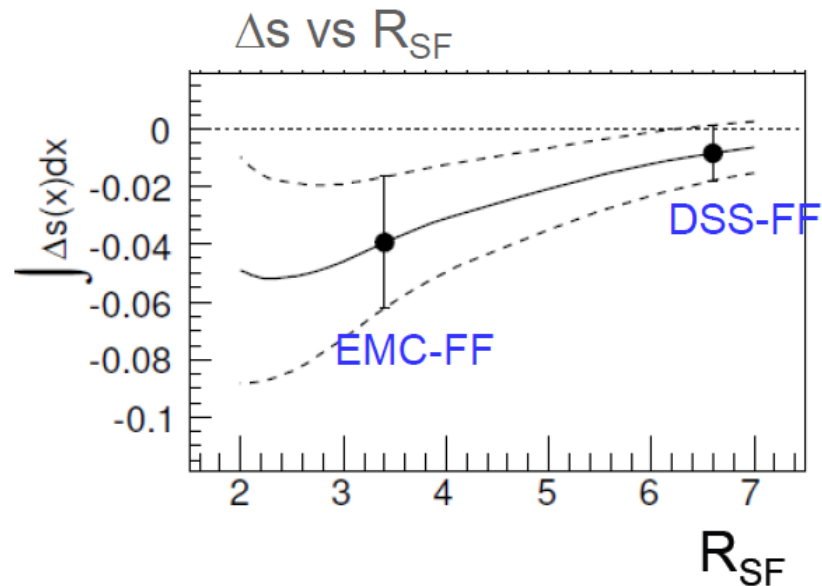
$$(\Delta s + \Delta \bar{s}) = \frac{1}{3}(\Delta \Sigma^{\overline{MS}} - a_8) = -0.08 \pm 0.01(\text{stat}) \pm 0.02(\text{syst})$$

From SIDIS:

$$\Delta s(\text{SIDIS}) = -0.01 \pm 0.01(\text{stat}) \pm 0.01(\text{syst})$$

The relation between SIDIS asymmetries and Δs depends on R_{SF} the ratio of strange to favoured fragmentation functions FF for kaons

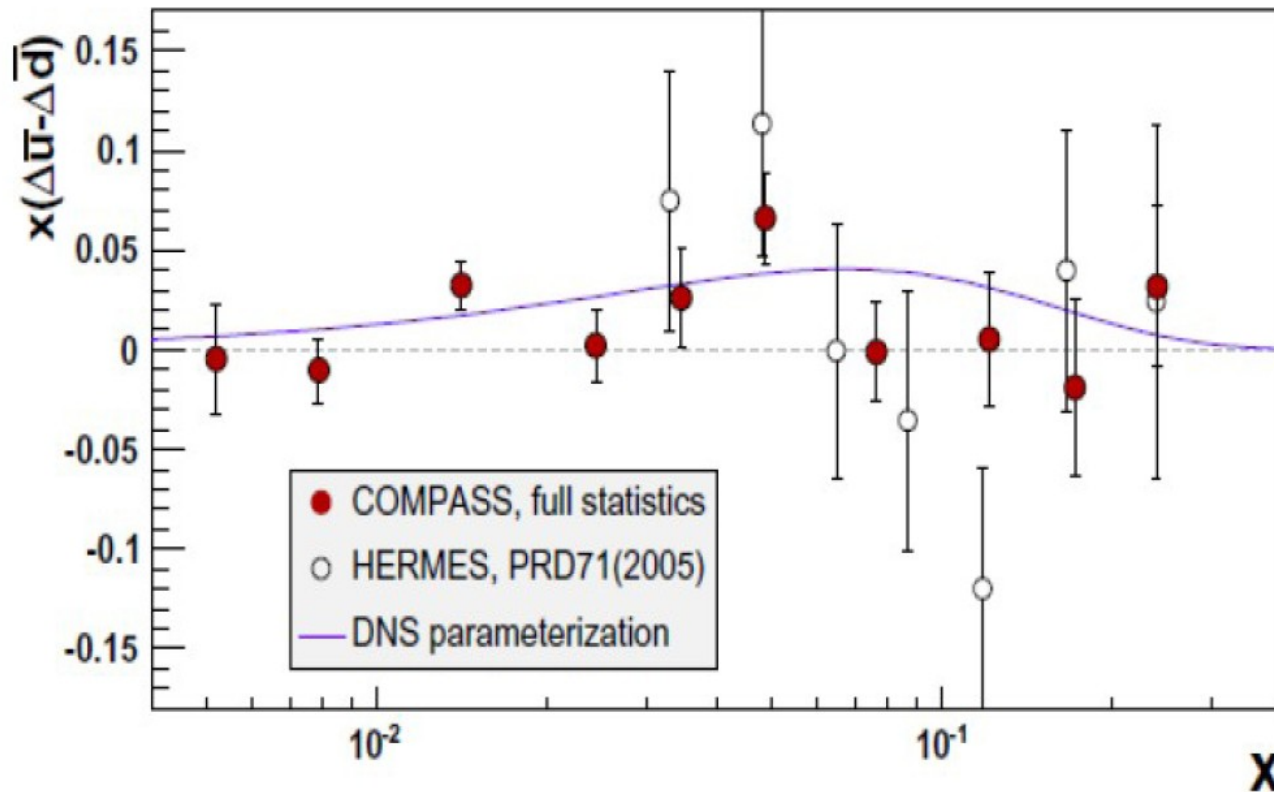
$$R_{SF} = \frac{\int D_{\bar{s}}^{K^+}(z) dz}{\int D_u^{K^+}(z) dz}$$



➔ Need more data on FF

Flavour symmetry breaking

The considerable asymmetry observed for $(\bar{u} - \bar{d})$ is not verified for the polarized case



$$\int_{0.004}^{0.3} (\Delta\bar{u} - \Delta\bar{d}) dx = 0.06 \pm 0.04(\text{stat}) \pm 0.02(\text{syst})$$

slightly positive but compatible with zero

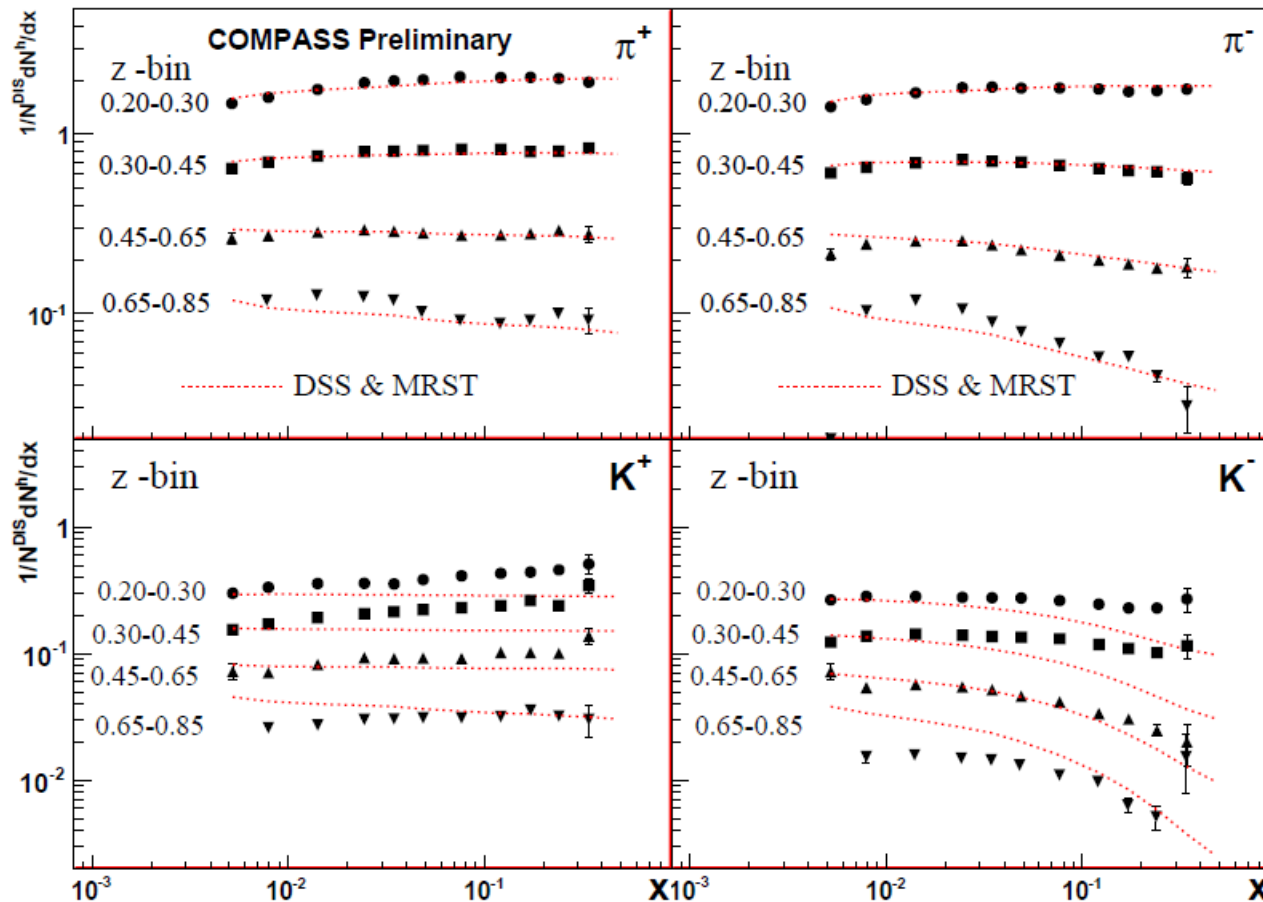
$$\int (\bar{u} - \bar{d}) dx = -0.118 \pm 0.012$$

First look on multiplicities

x dependence of
 $\frac{1}{N_{\text{DIS}}} \cdot \frac{dN^h}{dzdx}$

$$\frac{dM^h(x, Q^2, z)}{dz} = \frac{\sum_q e_q^2 f_q(x, Q^2) D_q^h(z, Q^2)}{\sum_q e_q^2 f_q(x, Q^2)}$$

PDF *FF*



related in LO
to product of **PDFs**
and **FFs**

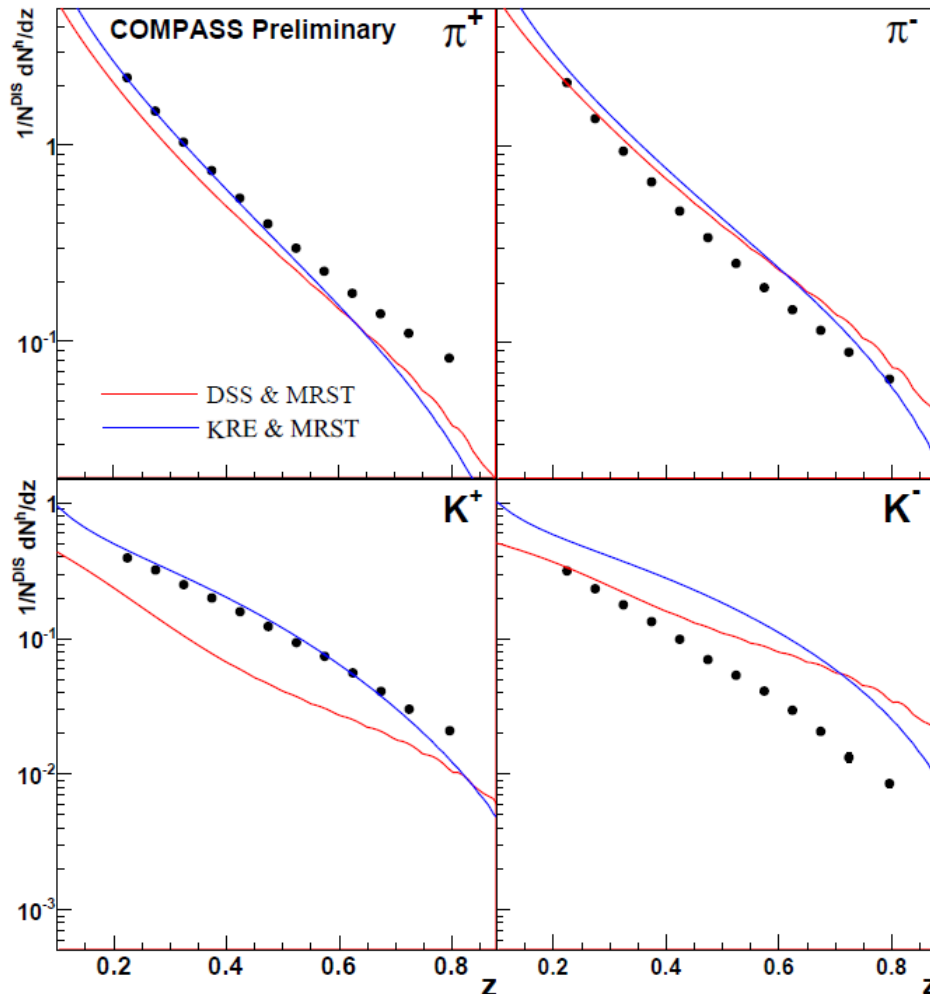
obtained from
small part
of ${}^6\text{LiD}$ data

kaons and pions

Comparison to parametrisations

$$\frac{dM^h(x, Q^2, z)}{dz} = \frac{\sum_q e_q^2 f_q(x, Q^2) D_q^h(z, Q^2)}{\sum_q e_q^2 f_q(x, Q^2)}$$

PDF *FF*



$$\frac{1}{N_{\text{DIS}}} \cdot \frac{dN^h}{dz}$$

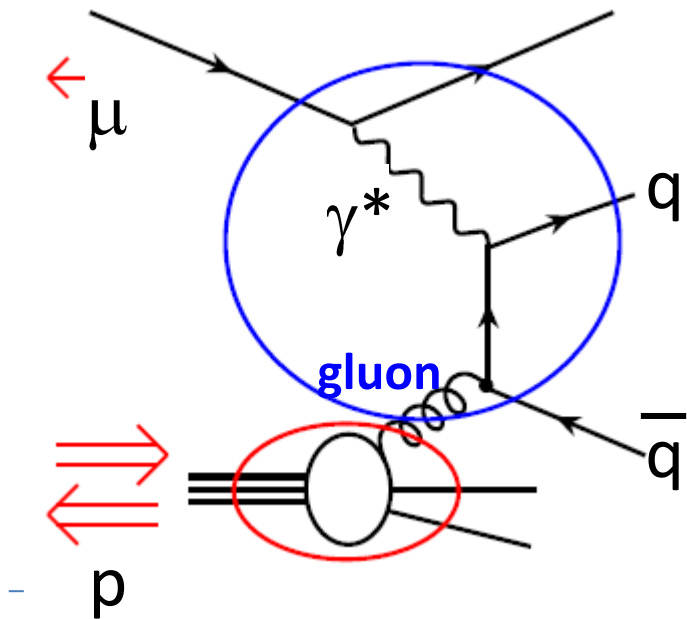
- some discrepancies, especially for kaons
- data can be used for LO extraction of FF and PDF
- will significantly contribute to knowledge on hadronisation process

Gluon Polarization

Direct measurement of ΔG

photon-gluon fusion (PGF)

There are two methods to tag this process:



$$A_{||} = R_{pgf} \hat{a}_{LL}^{pgf} \frac{\Delta G}{G} + A_{bdf}$$

Fraction of process \downarrow R_{pgf}
 Analyzing power calculable at LO and NLO \downarrow \hat{a}_{LL}^{pgf}
 Background \downarrow A_{bdf}

- **Open Charm production**
 - $\gamma^* g \rightarrow c\bar{c} \Rightarrow$ reconstruct D^0 mesons
 - Hard scale: M_c^2
 - No intrinsic charm in COMPASS kinematics
 - No physical background
 - Weakly Monte Carlo dependent
 - Low statistics
- **High- p_T hadron pairs**
 - $\gamma^* g \rightarrow q\bar{q} \Rightarrow$ reconstruct 2 jets or h^+h^-
 - Hard scale: Q^2 or Σp_T^2 [$Q^2 > 1$ or $Q^2 < 1$ (GeV/c)²]
 - High statistics
 - Physical background
 - Strongly Monte Carlo dependent
- **and single hadron production at high- p_T ?**

High p_T hadron pairs

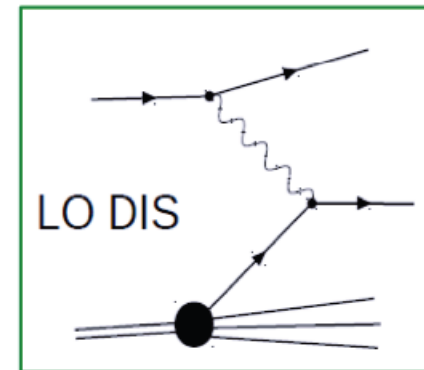
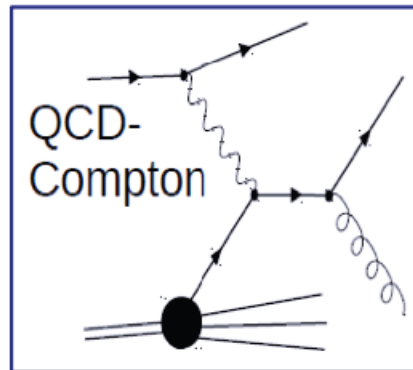
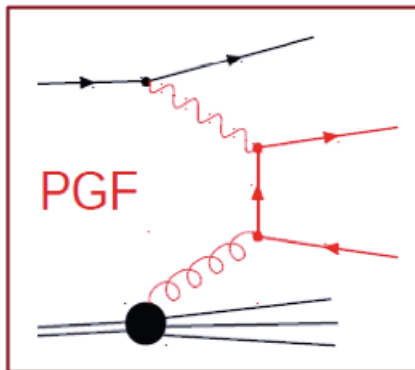
High- p_T asymmetries $Q^2 > 1 \text{ GeV}^2$

The values of $R = \sigma^i / \sigma^{\text{tot}}$ and a_{LL}^i estimated using MC based on LEPTO generator

A_1^{LO} polarized and unpolarized PDF? JETSET parameter tuning for fragmentation ?

$$\mathbf{A}_{\text{LL}}^{2h}(\mathbf{x}) = \left(\frac{\mathbf{A}^{\text{exp}}}{\mathbf{f} \mathbf{P}_\mu \mathbf{P}_T} \right) = \frac{\Delta \mathbf{G}}{\mathbf{G}}(\mathbf{x}_g) \left(\mathbf{a}_{\text{LL}}^{\text{PGF}} \frac{\sigma^{\text{PGF}}}{\sigma^{\text{Tot}}} \right) + \mathbf{A}_1^{\text{LO}}(\mathbf{x}_C) \left(\mathbf{a}_{\text{LL}}^{\text{C}} \frac{\sigma^{\text{C}}}{\sigma^{\text{Tot}}} \right) + \mathbf{A}_1^{\text{LO}}(\mathbf{x}_{\text{Bj}}) \left(\mathbf{D} \frac{\sigma^{\text{LO}}}{\sigma^{\text{Tot}}} \right)$$

high- p_T hadron pairs ($p_{T1} / p_{T2} > 0.7 / 0.4 \text{ GeV}/c$) \Rightarrow enhancement of the PGF contribution



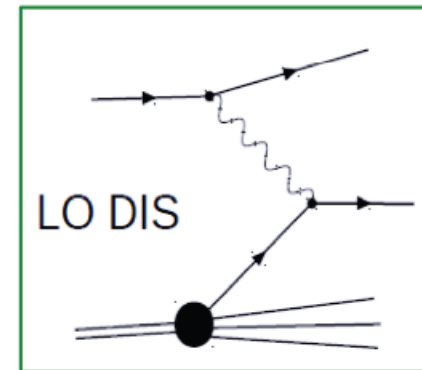
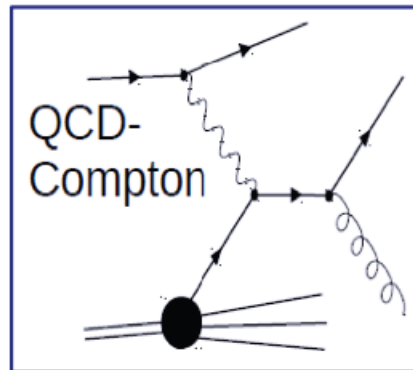
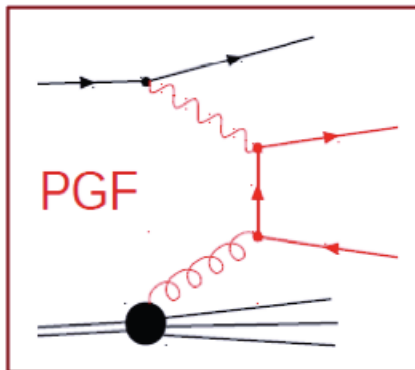
High- p_T asymmetries $Q^2 > 1 \text{ GeV}^2$

- Two samples are considered:

Inclusive asymmetry

$$\begin{aligned}
 \mathbf{A}_1^d(\mathbf{x}) &= \frac{\Delta \mathbf{G}}{\mathbf{G}}(\mathbf{x}_g) \left(\mathbf{a}_{LL}^{\text{PGF,inc}} \frac{\sigma^{\text{PGF,inc}}}{\sigma^{\text{Tot,inc}}} \right) + \mathbf{A}_1^{\text{LO}}(\mathbf{x}_C) \left(\mathbf{a}_{LL}^{\text{C,inc}} \frac{\sigma^{\text{C,inc}}}{\sigma^{\text{Tot,inc}}} \right) + \mathbf{A}_1^{\text{LO}}(\mathbf{x}_{\text{Bj}}) \left(\mathbf{D} \frac{\sigma^{\text{LO,inc}}}{\sigma^{\text{Tot,inc}}} \right) \\
 \mathbf{A}_{LL}^{2h}(\mathbf{x}) &= \left(\frac{\mathbf{A}^{\text{exp}}}{\mathbf{f} \mathbf{P}_\mu \mathbf{P}_T} \right) = \frac{\Delta \mathbf{G}}{\mathbf{G}}(\mathbf{x}_g) \left(\mathbf{a}_{LL}^{\text{PGF}} \frac{\sigma^{\text{PGF}}}{\sigma^{\text{Tot}}} \right) + \mathbf{A}_1^{\text{LO}}(\mathbf{x}_C) \left(\mathbf{a}_{LL}^{\text{C}} \frac{\sigma^{\text{C}}}{\sigma^{\text{Tot}}} \right) + \mathbf{A}_1^{\text{LO}}(\mathbf{x}_{\text{Bj}}) \left(\mathbf{D} \frac{\sigma^{\text{LO}}}{\sigma^{\text{Tot}}} \right)
 \end{aligned}$$

high- p_T hadron pairs ($p_{T1} / p_{T2} > 0.7 / 0.4 \text{ GeV}/c$) \Rightarrow enhancement of the PGF contribution



High- p_T asymmetries $Q^2 > 1 \text{ GeV}^2$

The gluon polarization is determined from two asymmetry samples:
the high- p_T hadron pairs $A_{LL}^{2h}(\mathbf{x})$ and the inclusive data $A_1^d(\mathbf{x})$

$$\frac{\Delta G}{G}(x_g) = \frac{1}{\beta} [A_{LL}^{2h}(\mathbf{x}) + A_{\text{corr}}]$$

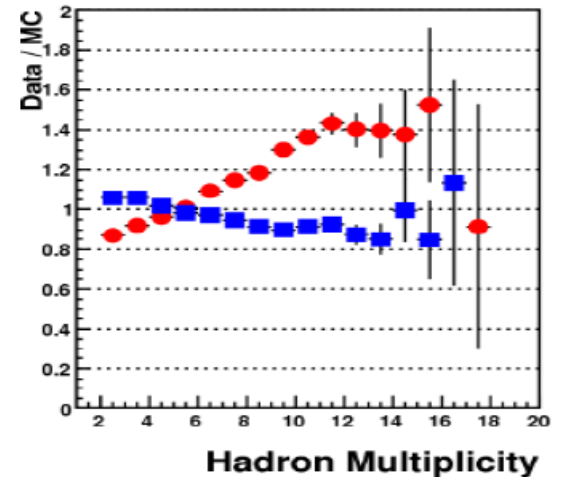
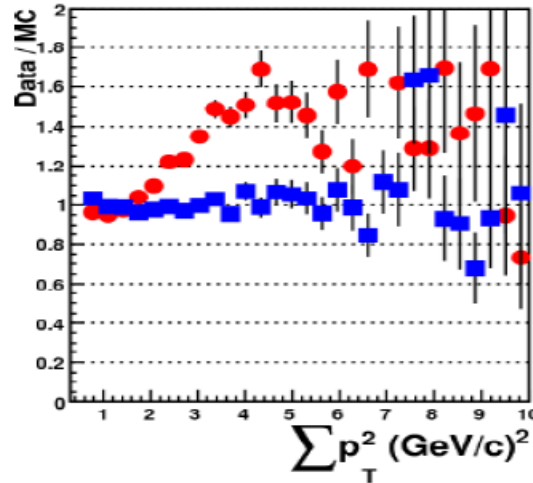
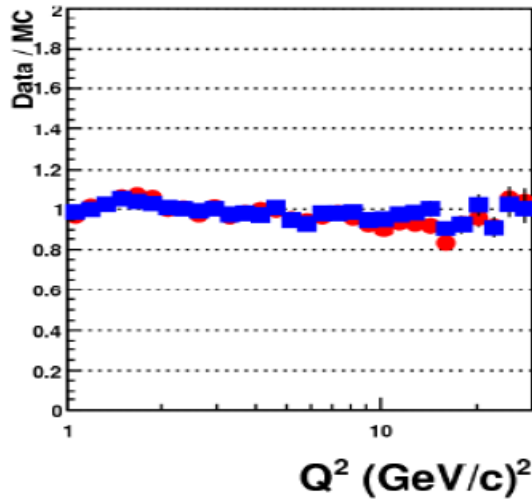
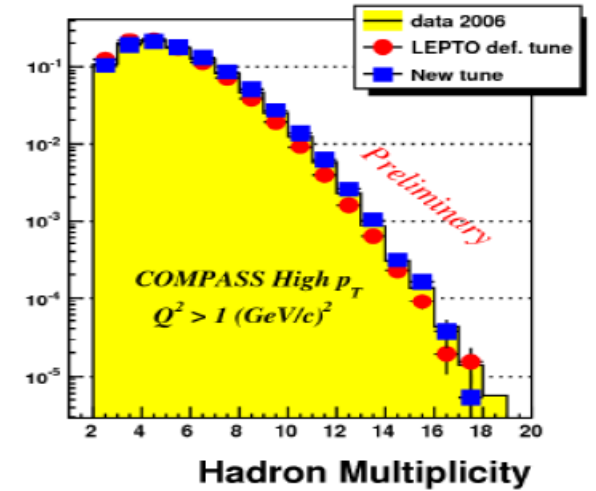
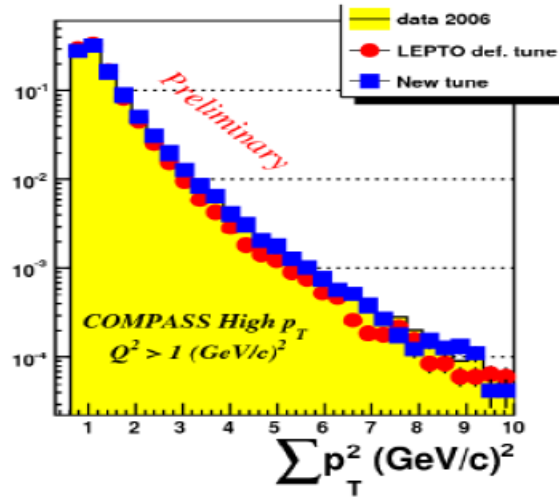
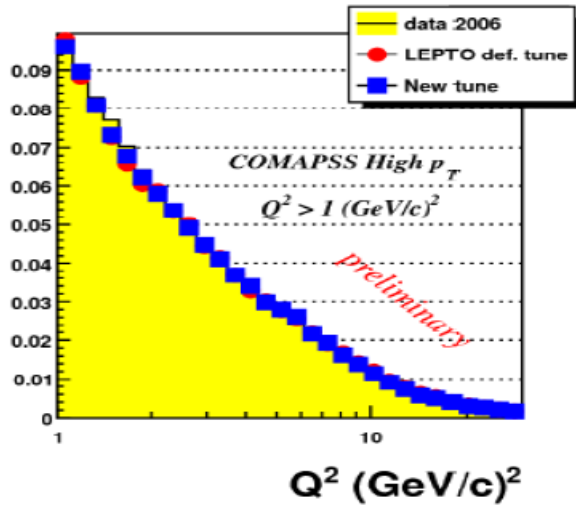
The MC based on LEPTO generator is improved, JETSET is tuned, and all the following parameters to evaluate β and A_{corr}

$$R_{\text{PGF}}, R_C, R_{\text{LO}}, R_{\text{PGF}}^{\text{inc}}, R_C^{\text{inc}}, R_{\text{LO}}^{\text{inc}}, a_{LL}^{\text{PGF}}, a_{LL}^C, a_{LL}^{\text{LO}}, a_{LL}^{\text{PGF, inc}}, a_{LL}^{\text{C, inc}} \text{ and } a_{LL}^{\text{LO, inc}}$$

are parametrized event by event using a Neural Network approach

Data vs MC: comparison of Q^2 and hadron variables

Monte Carlo (PS on): LEPTO generator with PDFs from MSTW2008LO



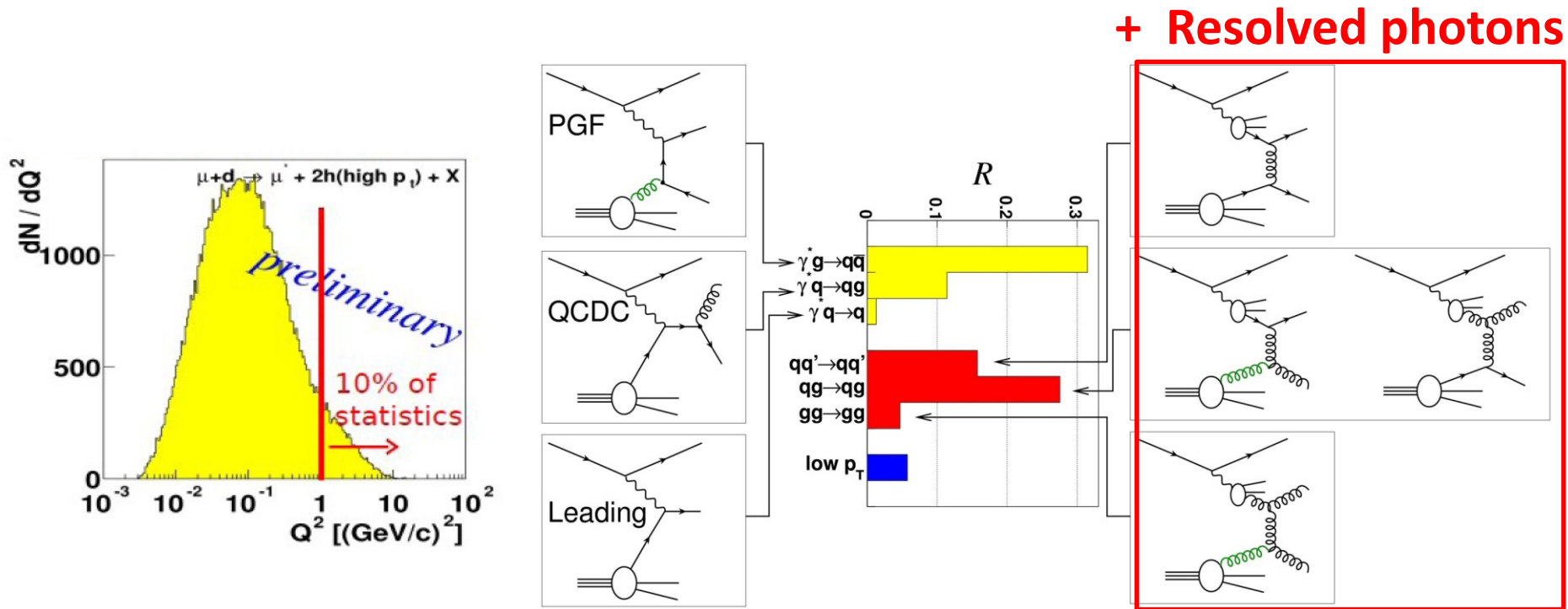
High- p_T results $Q^2 > 1 \text{ GeV}^2$

$$\frac{\Delta G}{G} = 0.125 \pm 0.060(\text{stat}) \pm 0.063(\text{syst}) \quad @ \langle x_g \rangle = 0.09_{-0.04}^{+0.08}, \langle \mu^2 \rangle = 3.4 \text{ (GeV/c)}^2$$

Very good statistics to allow 3 bins in x_g

1 st point:	$0.147 \pm 0.091_{\text{stat}} \pm 0.088_{\text{sys}}$	@ $x_g = 0.07_{-0.03}^{+0.05}$
2 nd point:	$0.079 \pm 0.096_{\text{stat}} \pm 0.082_{\text{sys}}$	@ $x_g = 0.10_{-0.04}^{+0.07}$
3 rd point:	$0.185 \pm 0.165_{\text{stat}} \pm 0.143_{\text{sys}}$	@ $x_g = 0.17_{-0.06}^{+0.10}$

High- p_T results $Q^2 < 1 \text{ GeV}^2$



2002-2004 Preliminary:

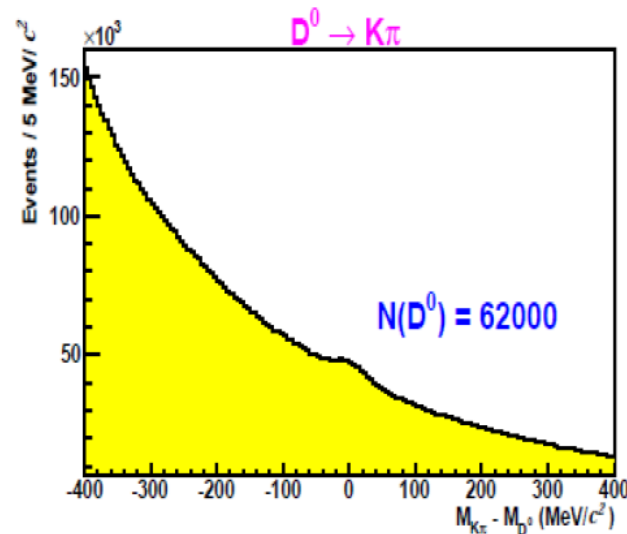
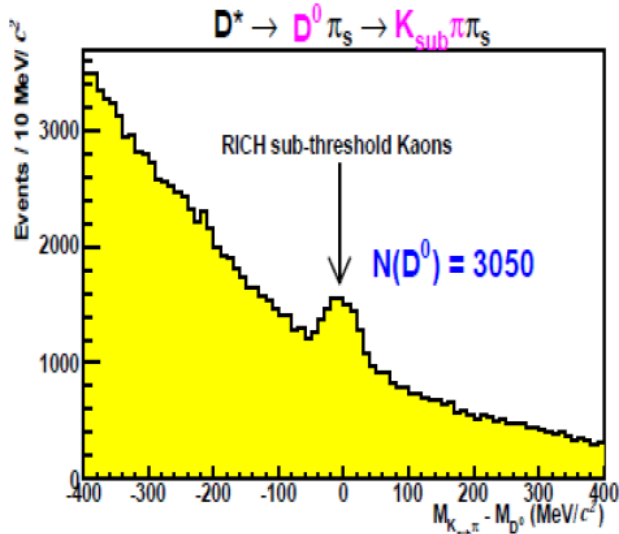
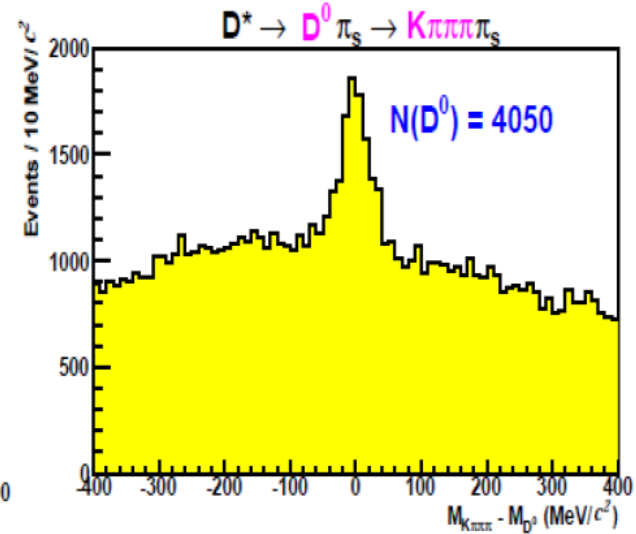
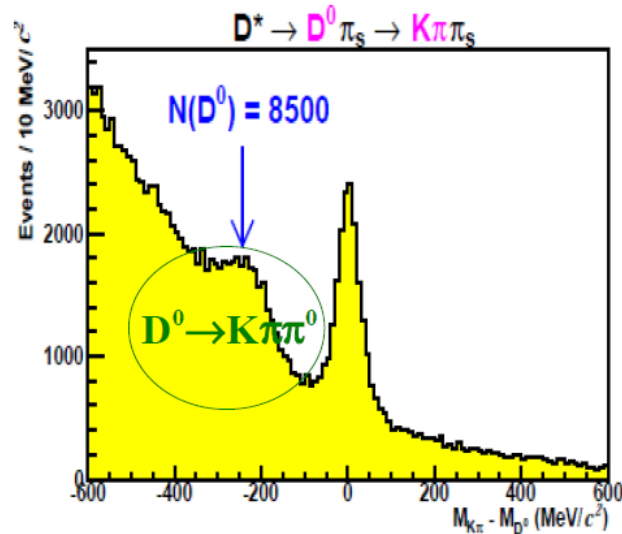
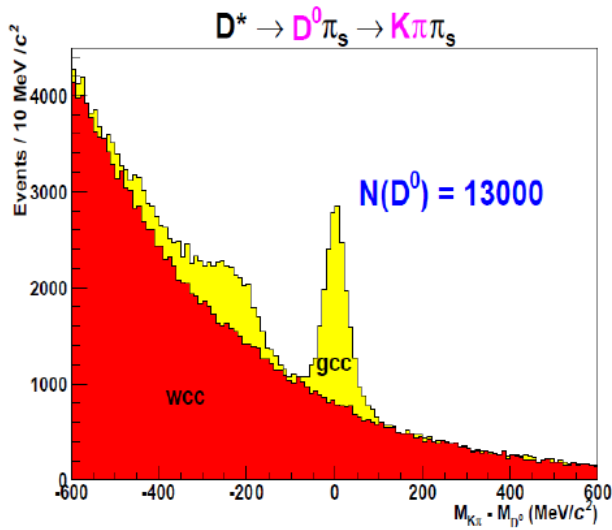
$$\Delta G/G = 0.016 \pm 0.058 \text{ (stat)} \pm 0.055 \text{ (syst)}$$

2002-2003 Published:

$$\Delta G/G = 0.024 \pm 0.089 \text{ (stat)} \pm 0.057 \text{ (syst)} \quad \text{COMPASS, PLB 633 (2006) 25-32}$$

Open Charm production

D⁰ invariant mass spectra



Number of D⁰:

2002-2007

- Total \rightarrow 90600
- ⁶LiD \rightarrow 65600
- NH₃ \rightarrow 25000

Refined analysis for open charm selection

The D^0 meson is selected using the invariant mass distribution for identified K and π

The selection is performed with the help on a Neural Network which is trained on two data samples (with signal and pure background)

The Neural Network is able to distinguish the signal from the combinatorial background on a event by event basis

→ Determination of open charm probability = $S/(S+B)$ event by event

Analysis Power in LO

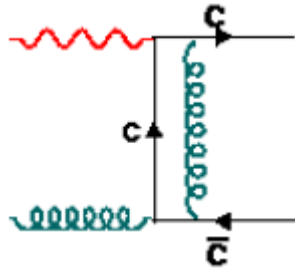
$$a_{LL} = \frac{\Delta \sigma^{\text{PGF}}}{\sigma_{\text{PGF}}}(y, Q^2, x_g, z_C, \phi)$$

a_{LL} depends on the knowledge of the partonic kinematics and cannot be experimentally obtained

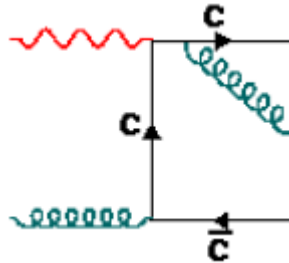
a_{LL} is calculated with a MC using the AROMA generator (in LO QCD) and parametrized using a Neural Network approach on the reconstructed kinematic variables $y, x_B, Q^2, z_{D^0}, p_T$

Analysis Power in NLO

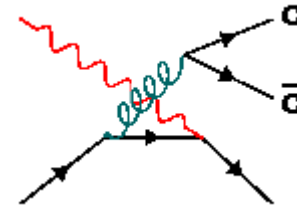
a_{LL} is also calculated event by event using theoretical formulas for NLO



virtual gluon
correction



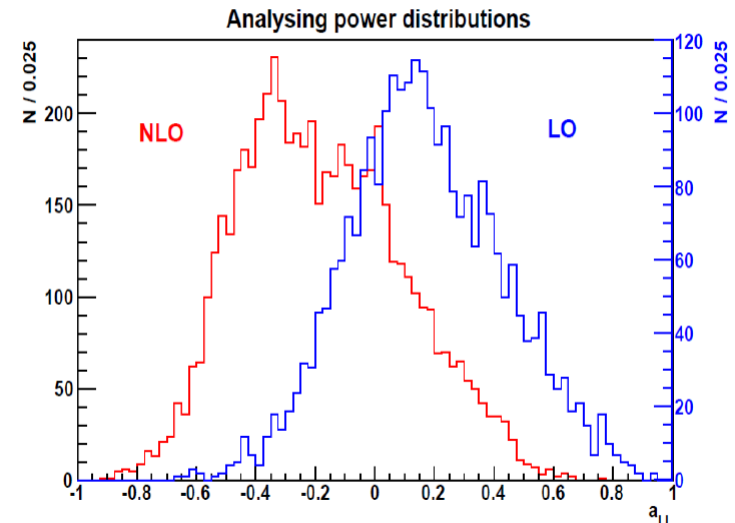
real gluon
emission



gluon originating
from light quark
producing a $c\bar{c}$ pair

The phase space needed for NLO real gluon emission is generated through parton showers included in the standard LO AROMA generator

Light quark correction using the direct measurement of A_1



/G with open charm in LO and NLO

In LO

$$\frac{\Delta G}{G} = -0.08 \pm 0.21(\text{stat}) \pm 0.08(\text{syst}) \quad @ \langle x_g \rangle = 0.11_{-0.05}^{+0.11}, \quad \langle \mu^2 \rangle = 13 \text{ (GeV/c)}^2$$

In NLO

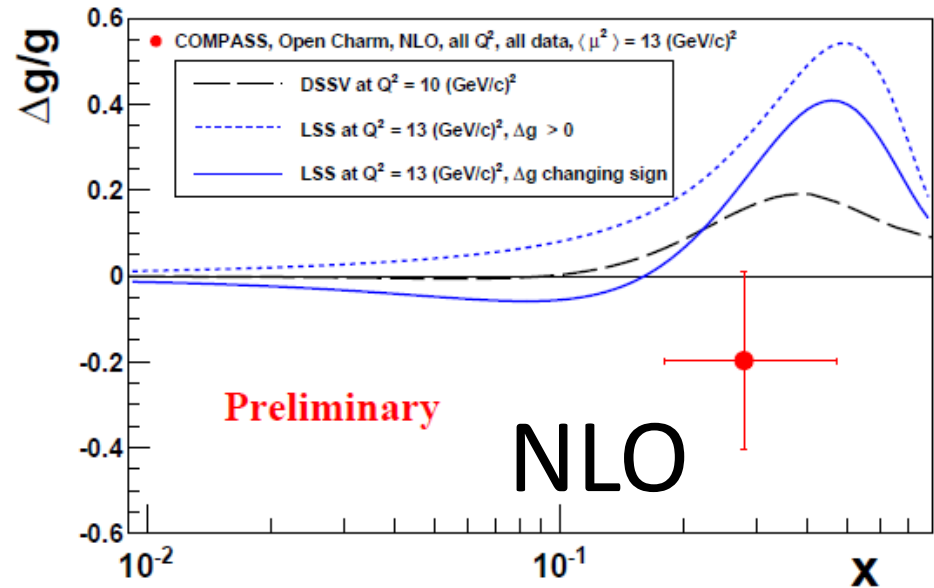
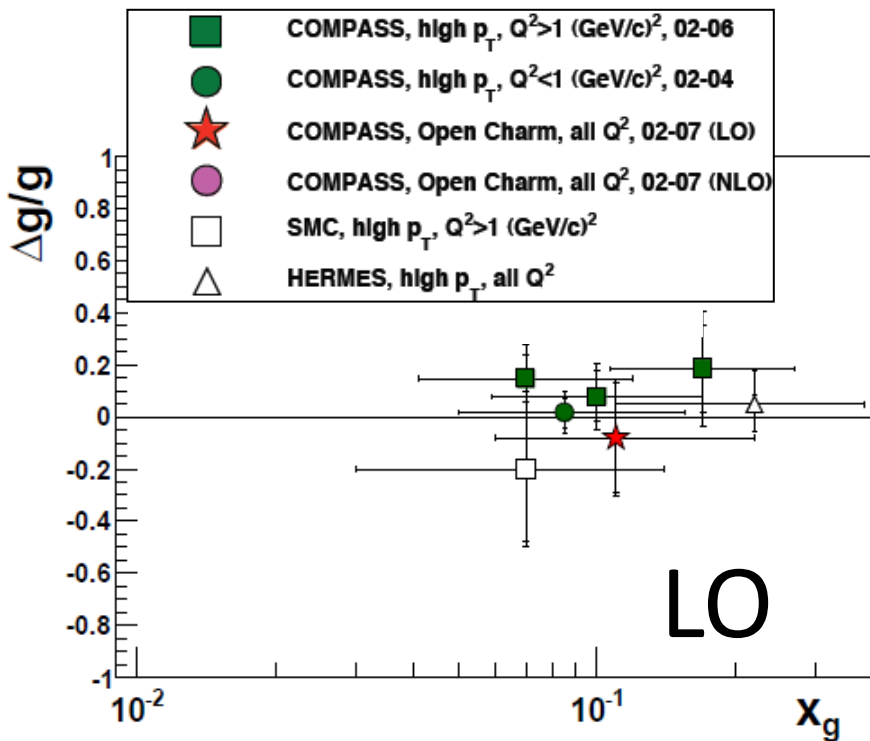
$$\frac{\Delta G}{G} = -0.20 \pm 0.21 \pm 0.08(\text{syst}) \quad @ \langle x_g \rangle = 0.28_{-0.10}^{+0.19}, \quad \langle \mu^2 \rangle = 13 \text{ (GeV/c)}^2$$

↓
still preliminary

$\langle x_g \rangle$ shifted to higher values

- depends on the order of the QCQ calculation of a_{LL} causing a change in the relative weight of the each event
- due to the real gluon emission at NLO, the energy of the photon-gluon system is higher

Results for $\Delta G/G$



LO results from:

- ✓ High p_T hadron pairs: COMPASS compared to SMC, HERMES
- ✓ Open charm from COMPASS

NLO result from charm at COMPASS (systematic error still under investigation)

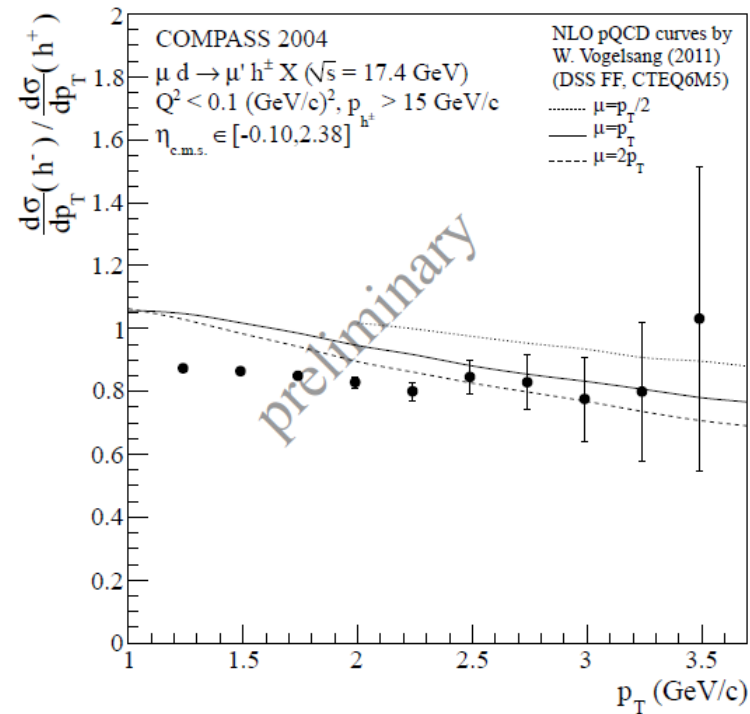
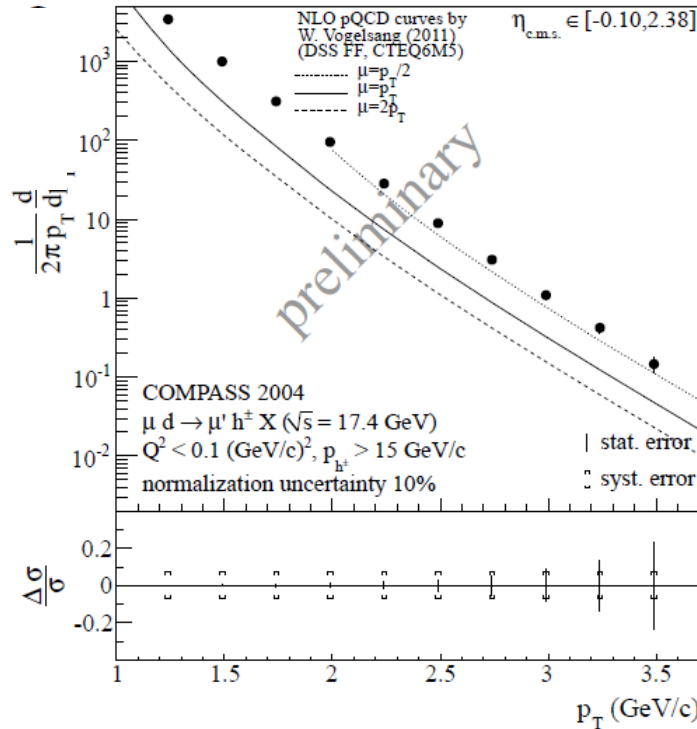
$\Delta G/G$ predicted small,
with a node around $x_g \sim 0.1$?

and $\int \Delta G(x) dx = ?$

Single hadron production for $Q^2 < 0.1 \text{ GeV}^2$ and high p_T

$\mu^+d \rightarrow \mu^+h^\pm X$
 $Q^2 < 0.1 \text{ GeV}^2$
 $p_h > 15 \text{ GeV}$

COMPASS
 $\sqrt{s} = 17.4 \text{ GeV}$



Calculations exist in NLO for small Q^2 and large p_T

However is theory applicable at COMPASS?

- experimental cross section $>$ prediction: preferred scale $\mu = p_T/2$, resummation needed?
- p_T dependence of charge ratio from pQCD not confirmed, pb of fragmentation functions?

Next steps: much more data on tape for ΔG determination

Summary and Outlook

Results from COMPASS:

- ✓ Quark spin contribution to nucleon spin: $\Delta\Sigma = 0.33 \pm 0.03(\text{stat}) \pm 0.05(\text{syst})$
- ✓ Flavour separation Δq from SIDIS data for $0.004 < x < 0.3$
- ✓ Update of gluon polarization: ΔG is small

Still to come:

- ✓ Study of fragmentation and strange quark distribution
- ✓ Gluon polarization from single hadrons
- ✓ More data with longitudinal polarized NH_3 and $E_\mu = 200$ GeV in 2011
- ✓ Proton g_1 at low x and flavour separation
- ✓ Future COMPASS-II: DVCS, DVMP for GPD, DY for TMD → OAM ?
still unpolarized measurements to improve the unpol. PDF and FF