

# Weak and rare nuclear processes

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Speak with Hilla Deleon  
@workshop



# Outline

- The role of theory in calculating rare nuclear processes.
- Calculating weak reactions in chiral EFT.
- ***Gamow-Teller transitions within chiral EFT***: from  ${}^3\text{H}$  through  ${}^6\text{He}$  to medium-mass nuclei.
- $0\nu\beta\beta$  decay rates at medium-heavy nuclei.
- Spin-dependent WIMP scattering on nuclei.
- Summary.



# Weak and rare nuclear processes

- Nuclear weak processes play a major role in:
  - Nuclear structure: Giant Gamow-Teller resonance, Fermi and GT Strength Functions.
  - Superaligned Fermi transitions: isospin symmetry breaking, CKM matrix unitarity.
  - $^3\text{H}$  single  $\beta$ -decay: measurement of the neutrino mass
  - $0\nu\beta\beta$  decay: Lepton Number Conservation, Majorana nature of neutrinos
  - Astrophysical phenomena.
- Dark matter as a weakly interacting massive particle.



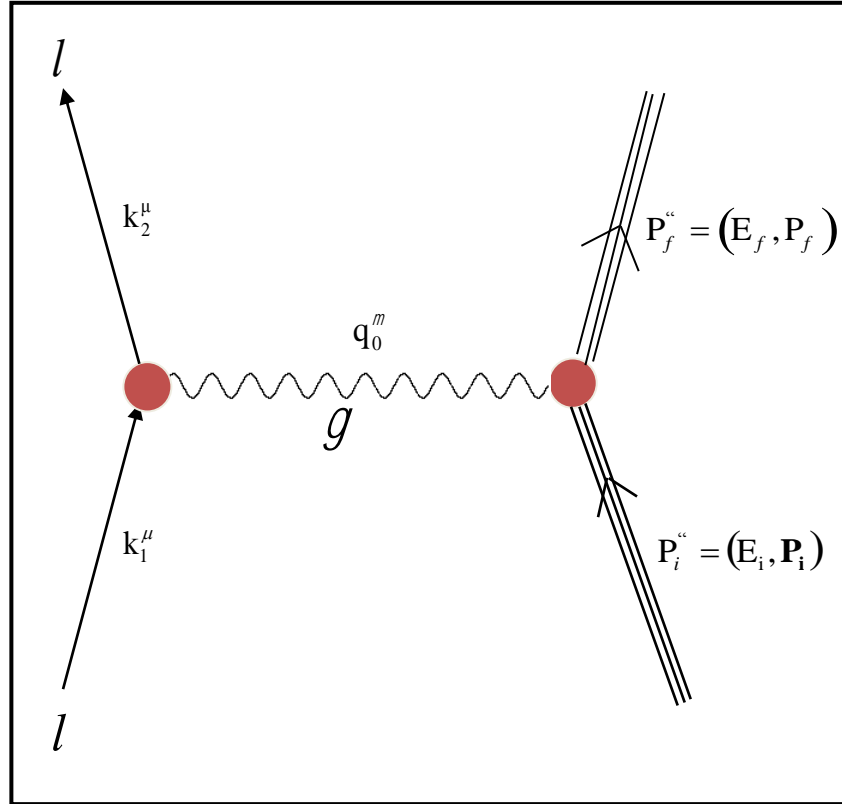
# The role of theory

- Rare processes are usually hard to measure. Accurate, parameter free predictions are needed to :
  - Constrain fundamental symmetries of QCD.
  - Quantify “beyond the standard model” effects for experiments and assessing the feasibility of experiments.
  - Describe the microscopic dynamics of astrophysical phenomena.
- Connecting reactions and structure in the nuclear domain.
- Understanding the nuclear regime from first principles is essential for a correct interpretation of natural phenomena and experiments.



# Introduction

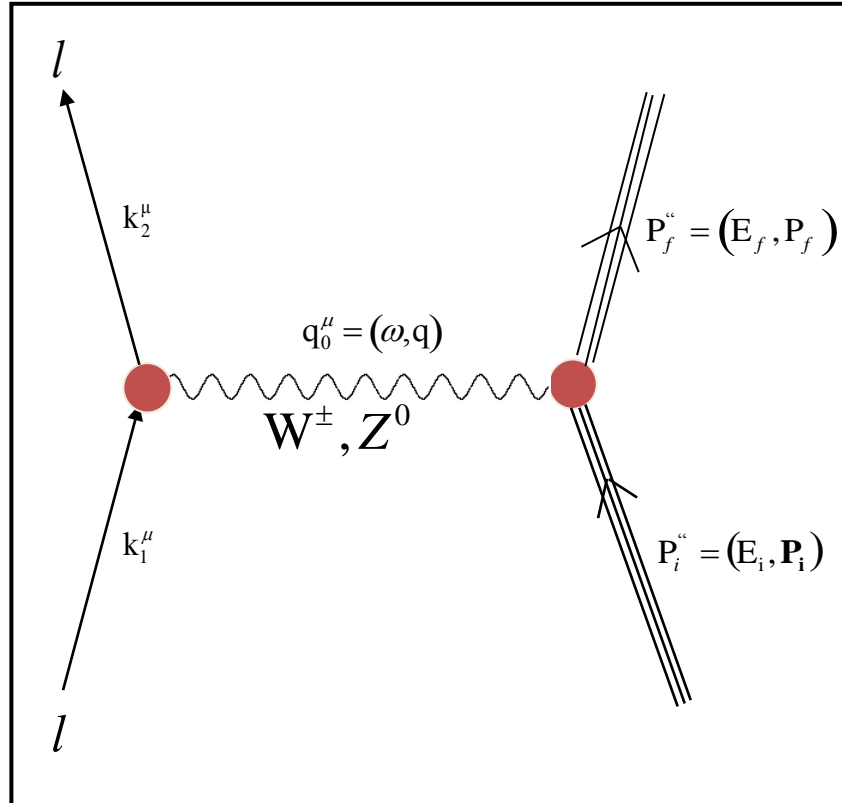
- *Low energy electromagnetic reaction*





# Introduction

- *Low energy weak reaction*



$$W, Z \text{ propagator} = \frac{g_{mn} + \frac{q_m q_n}{M_W^2}}{q^2 + M_W^2}$$



# Introduction

## • Neutrino-less double beta-decay

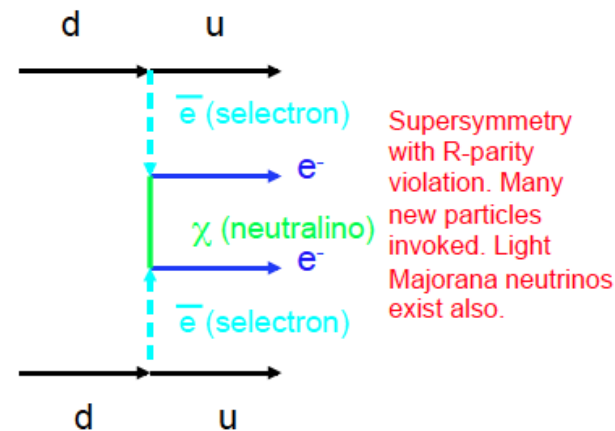
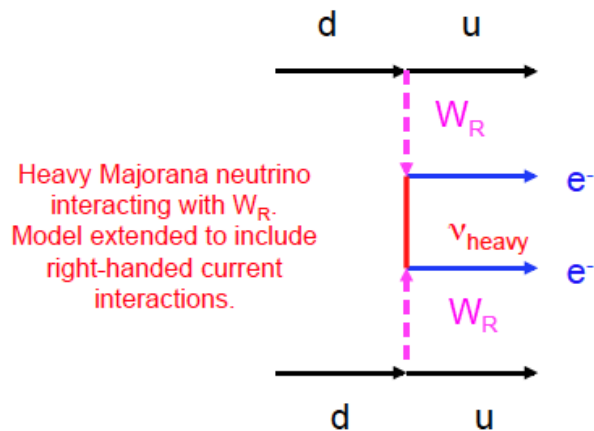
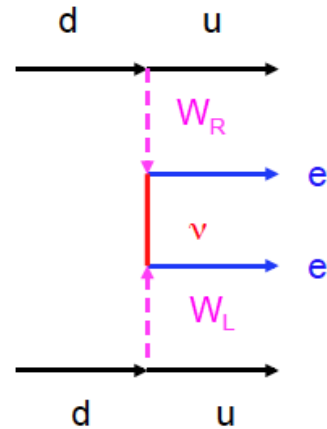
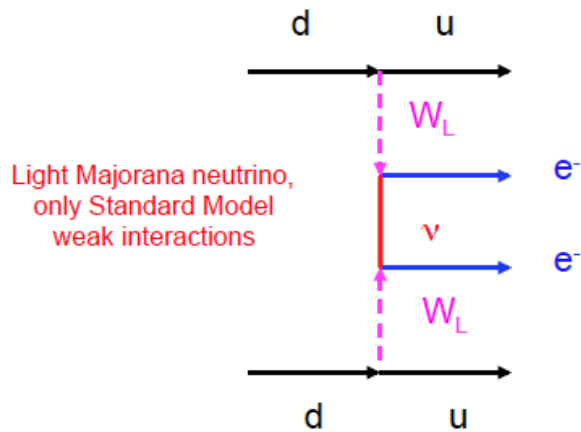
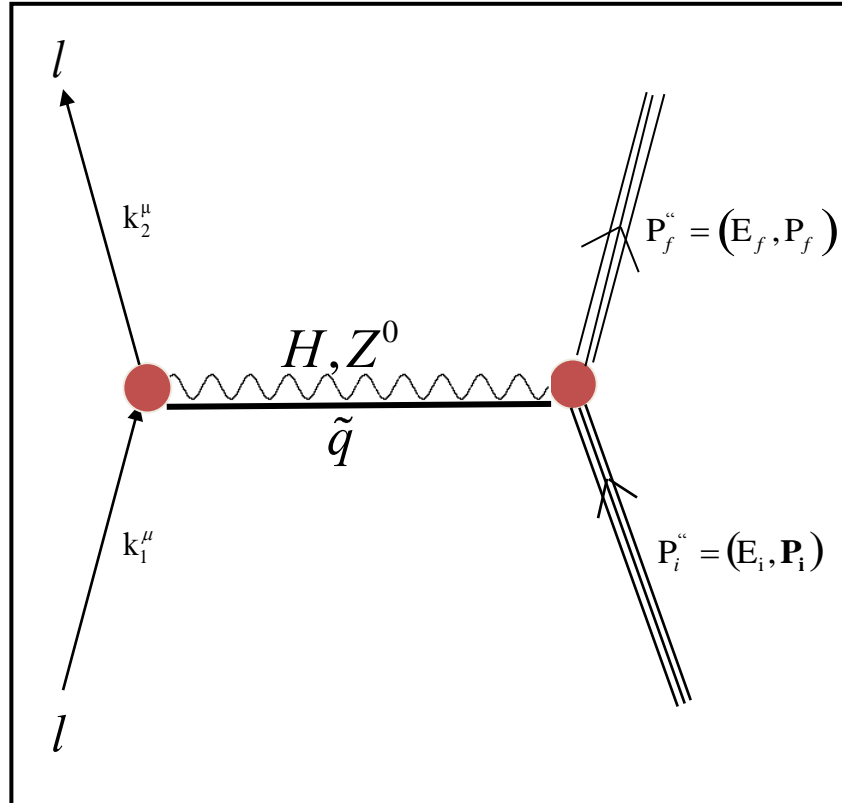


Figure taken from P. Vogel



# Introduction

- *Neutralino scattering off a nucleus*

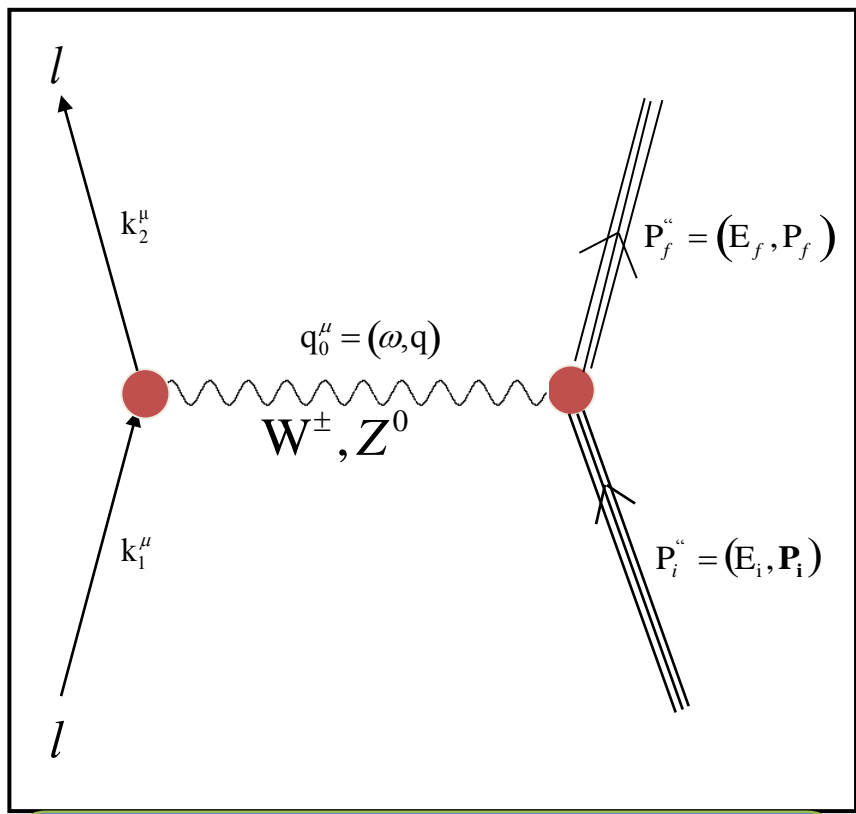






# *“All happy families are alike, every unhappy family is unhappy in its own way”*

- **Low energy weak reactions**



$$W, Z \text{ propagator} = \frac{g_{mn} + \frac{q_m q_n}{M_W^2}}{q^2 + M_W^2}$$



# Introduction

- *Low energy reactions*

$$\hat{H}_W \sim \int d^3\vec{x} \hat{j}_m^+(\vec{x}) \hat{j}_m^-(\vec{x})$$

Probe current of known symmetry

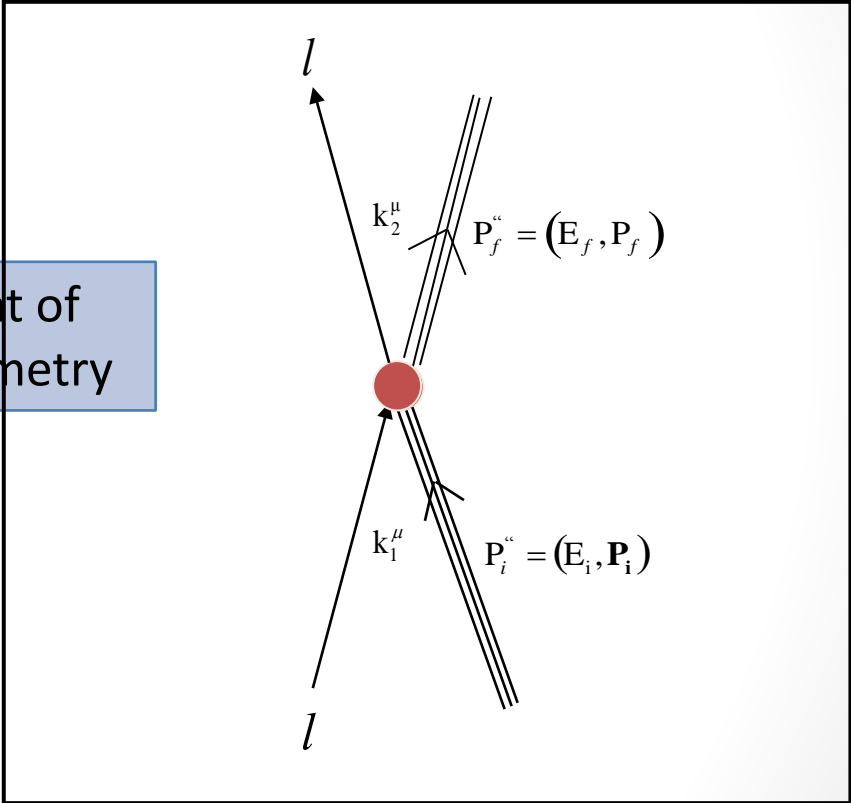
Nuclear current of the same symmetry

$$\mathcal{O} \sim \langle \psi_i | \hat{J}^\mu | \psi_f \rangle$$

Scattering operator



Currents in the nucleus





## *Low energy nuclear reactions induced by an external probe*

- ***Same symmetry*** will induce the ***same structure of the nuclear current***.
- Differences lie in ***coupling constants***.
- The currents are ***reflections*** of the ***symmetries*** and ***properties*** of the nuclear interaction, in particular can be used to characterize the elusive ***three nucleon force***.
- Thus, one can ***relate electro-weak properties and reaction rates*** with non-trivial properties not only of the ***target***, but also of the ***fundamental theory*** leading to its structure!



# Chiral Effective Field Theory

- Symmetries are important **NOT** degrees of freedom.
- In QCD – an approximate chiral symmetry:
  - The  $u$  and  $d$  quarks are (almost) massless ( $\sim 5-10$  MeV).

$$SU(2)_L \times SU(2)_R \rightarrow SU(2)_V$$

- The  $SU(2)_V$  symmetry is the isospin symmetry.
- The **pions** are the **Nambu-Goldstone bosons** of the spontaneous chiral symmetry breaking.
- The order-parameter is the pion-decay constant:  
$$\Lambda_{QCD} = 4\pi f_\pi$$
- Identify **Q** – the momentum scale of the process.
- In view of Q-identify the effective degrees of freedom:
- Write a Lagrangian composed of ALL possible operators invariant under symmetries of the underlying theory.

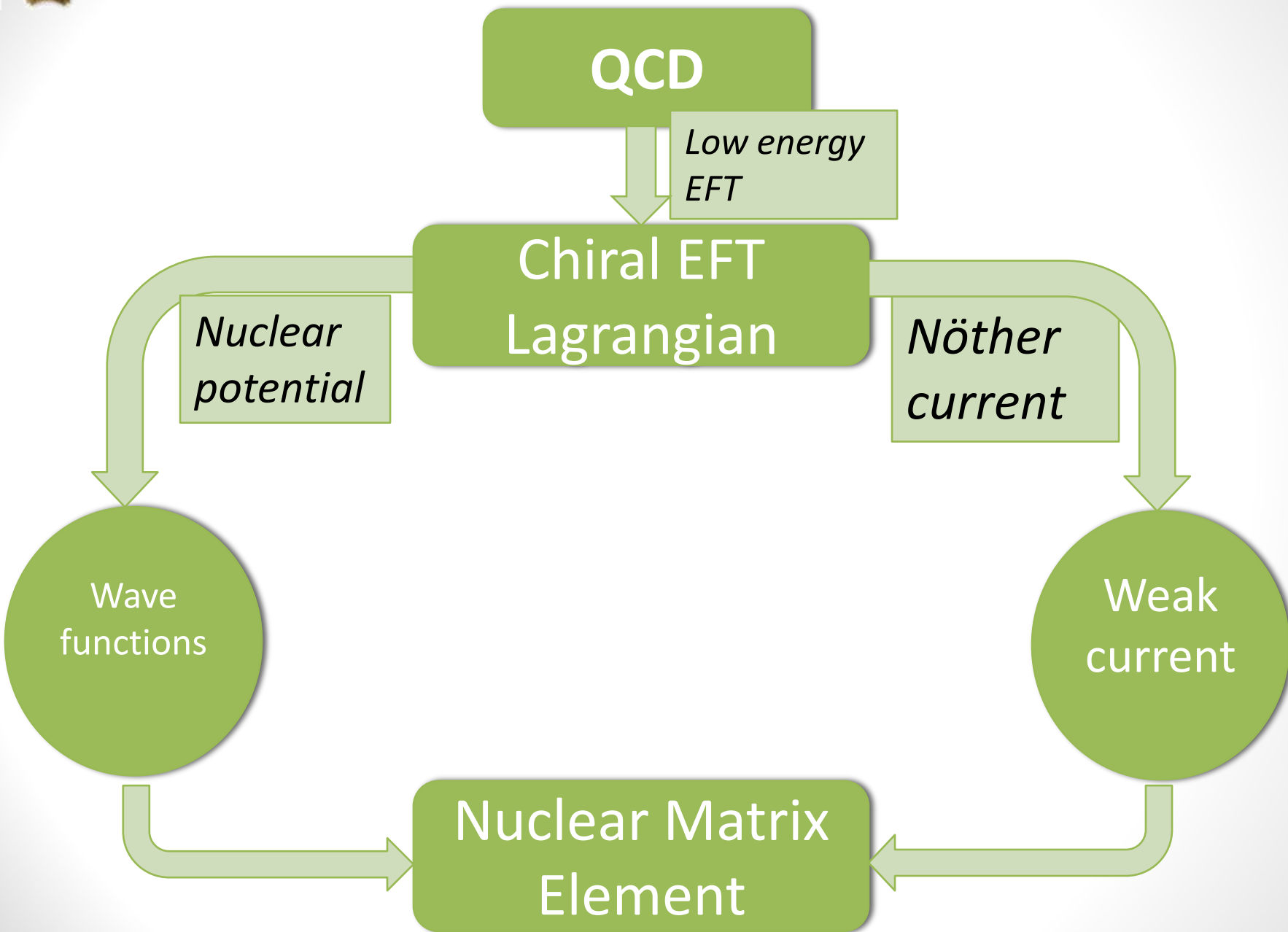


# Chiral Effective Field Theory

- Find a **systematic** way to organize diagrams according to their contribution to the observable.
  - Expand in the inverse of the nucleon's mass (take  $\Lambda^{\alpha} \sim M_N$ )  $\rightarrow$  **Heavy Baryon  $\chi$ PT!**
  - **Weinberg's Power Counting:** Each Feynman diagram can be characterized by: 
$$\left(\frac{Q}{\Lambda}\right)^{\nu}$$
  - Weinberg showed that  $\nu$  is bound from below.
- **Issues!**

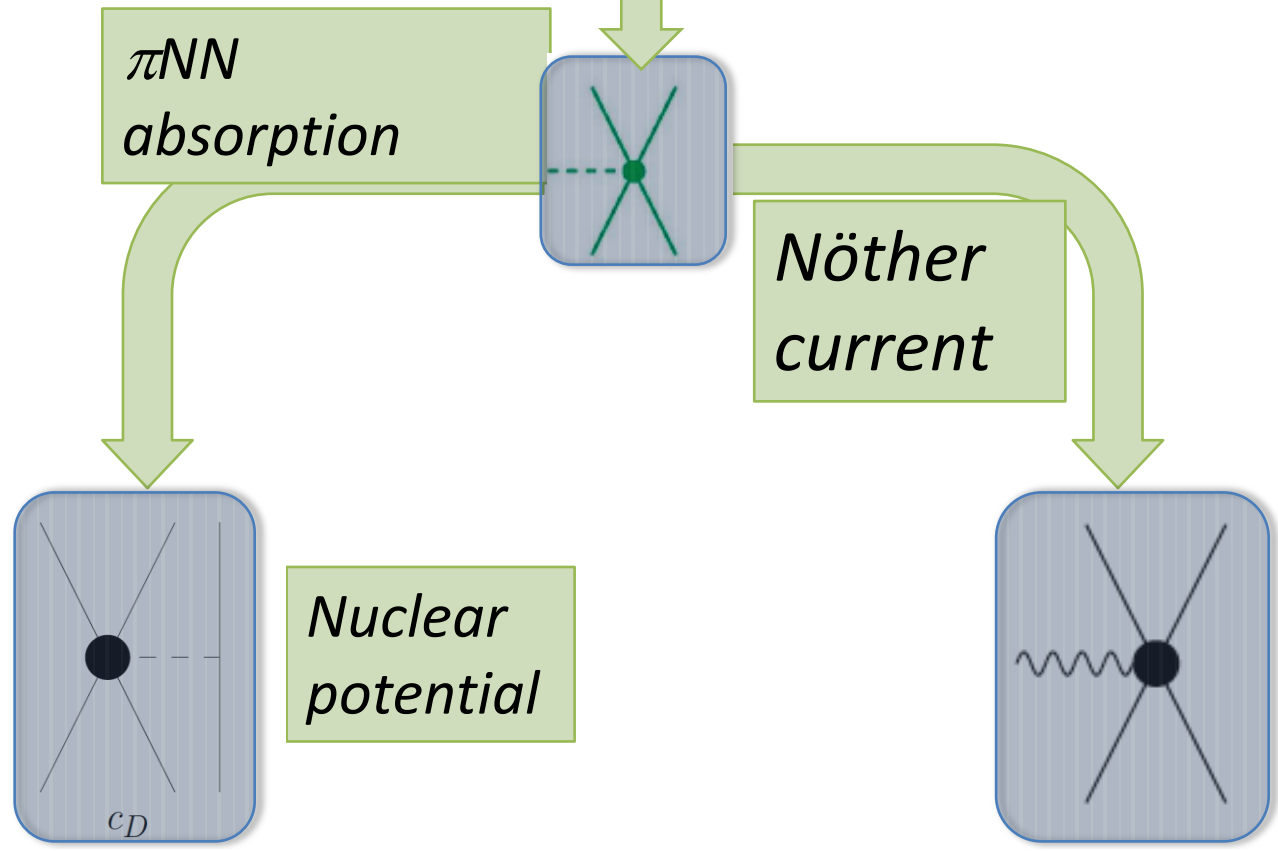


# $\chi$ PT approach for low-energy EW nuclear reactions:



# Unites phenomena: 3 body forces and reactions

$$\mathcal{L}_4 \sim \bar{N} \gamma_\mu \gamma_5 a_\mu N \bar{N} N$$

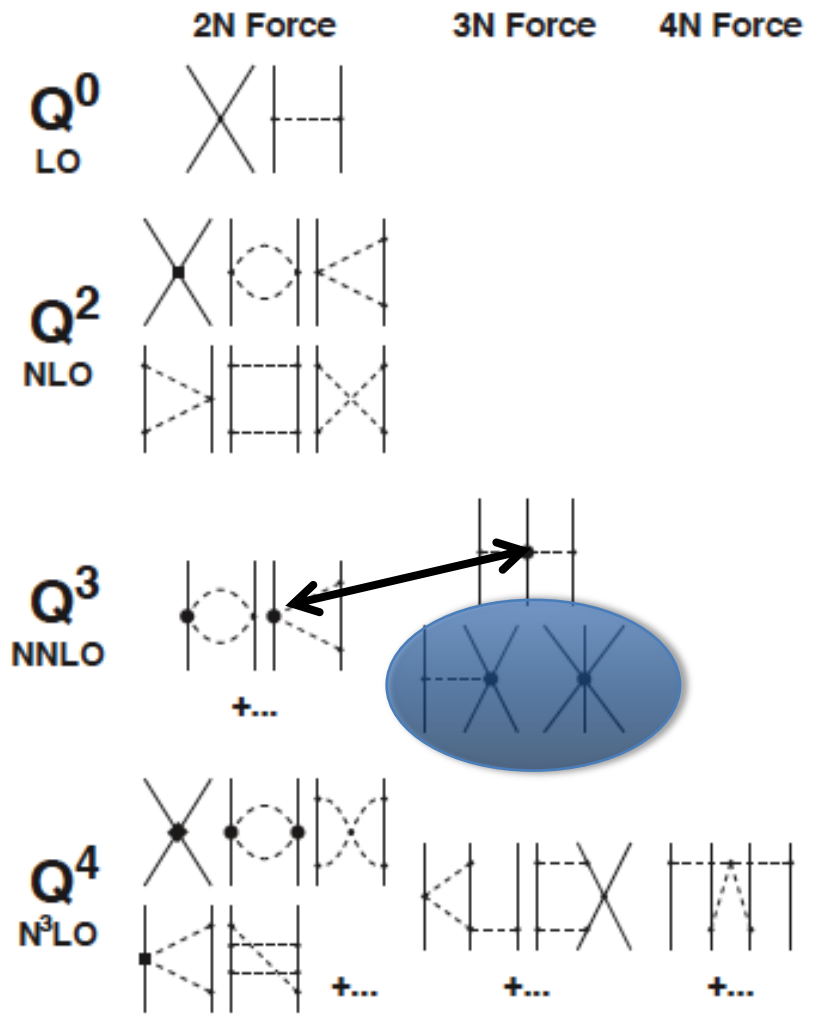


Same LEC appears in the potential and in the current!



# Forces in pionfull $\chi$ EFT

- The leading order NNN forces are at  $N^2$ LO.
- They include 2 new contact parameters.
- No new parameters at  $N^3$ LO.







# Differences from $\Delta$ -full

	$\Delta$ -less theory	$\Delta$ -full theory: additional graphs
LO		
NLO		
N <sup>2</sup> LO	  	

van Kolck 1996

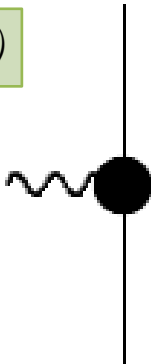
Figure adopted from Ulf Meissner.



# $\chi$ EFT axial weak currents to $O(Q^3)$

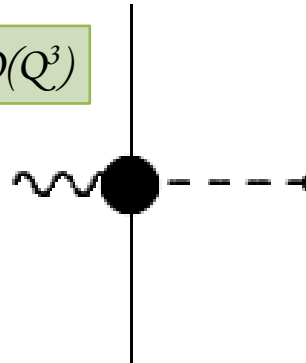
Single nucleon current

$O(Q^0), O(Q^2)$

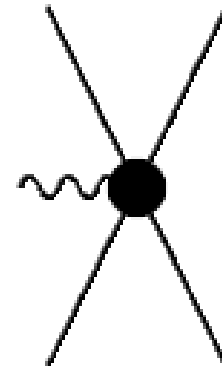


1 pion exchange

$O(Q^3)$



Contact term





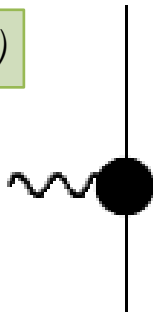
# $\chi$ EFT axial weak currents to $O(Q^3)$

Single nucleon current

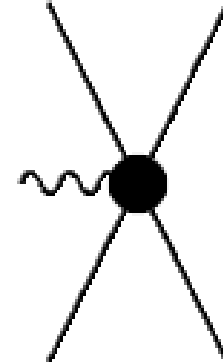
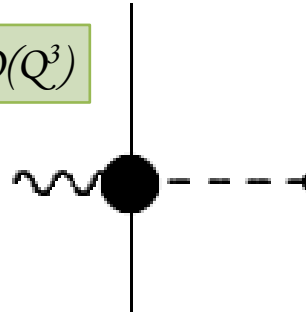
1 pion exchange

Contact term

$O(Q^0), O(Q^2)$



$O(Q^3)$



$$J_n^0(p^2) = \tau_n^- \left[ g_V(p^2) - g_A(p^2) \frac{\mathbf{P} \cdot \sigma_n}{2m_N} + g_P(p^2) \frac{E(\mathbf{p} \cdot \sigma_n)}{2m_N} \right]$$
$$J_n^{1B}(p^2) = \tau_n^- \left[ g_A(p^2) \sigma_n - g_P(p^2) \frac{\mathbf{p}(\mathbf{p} \cdot \sigma_n)}{2m_N} + \right. \\ \left. + i(g_M(p^2) + g_V(p^2)) \frac{\sigma_n \times \mathbf{p}}{2m_N} - g_V(p^2) \frac{\mathbf{P}}{2m_N} \right]$$



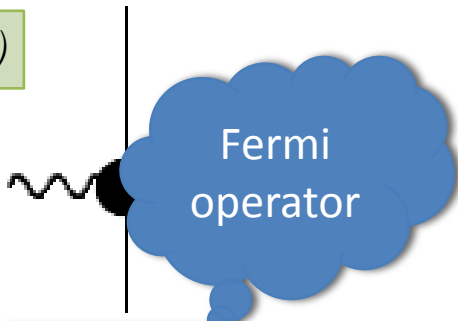
# $\chi$ EFT axial weak currents to $O(Q^3)$

Single nucleon current

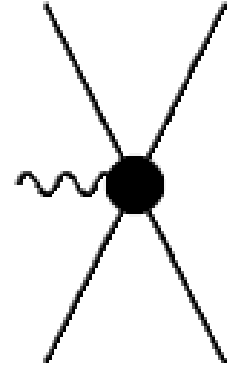
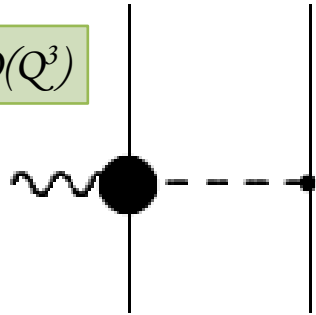
1 pion exchange

Contact term

$O(Q^0), O(Q^2)$



$O(Q^3)$



$$J_n^0(p^2) = \tau_n^- \left[ g_V(p^2) - g_A(p^2) \frac{\mathbf{P} \cdot \sigma_n}{2m_N} + g_P(p^2) \frac{E(\mathbf{p} \cdot \sigma_n)}{2m_N} \right]$$

$$J_n^{1B}(p^2) = \tau_n^- \left[ g_A(p^2) \sigma_n - g_P(p^2) \frac{\mathbf{p}(\mathbf{p} \cdot \sigma_n)}{2m_N} + i(g_M(p^2) + g_V(p^2)) \frac{\mathbf{P}}{2m_N} \right]$$

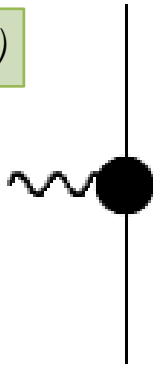
Gamow-Teller operator



# $\chi$ EFT axial weak currents to $O(Q^3)$

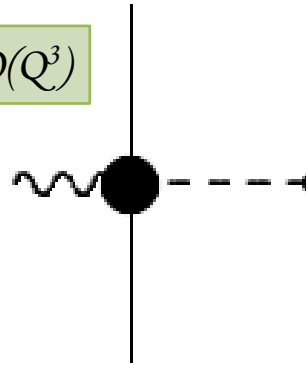
Single nucleon current

$O(Q^0), O(Q^2)$



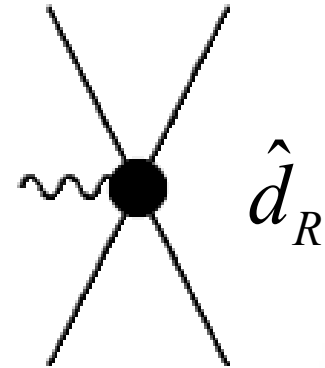
1 pion exchange

$O(Q^3)$



*Nucleon-pion  
interaction,  
NO new parameters*

Contact term



*Contact term*



# $\chi$ EFT axial weak currents to $O(Q^3)$

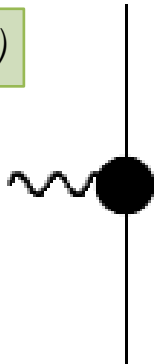
$$\hat{d}_R \equiv \frac{M_N}{\Lambda_\chi g_A} c_D + \frac{1}{3} M_N (c_3 + 2c_4) + \frac{1}{6}$$

Single nucleon current

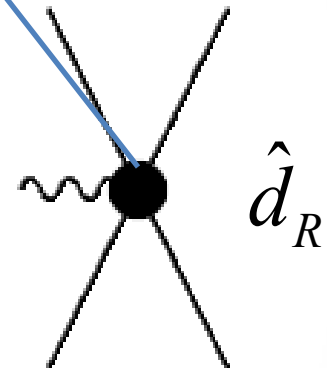
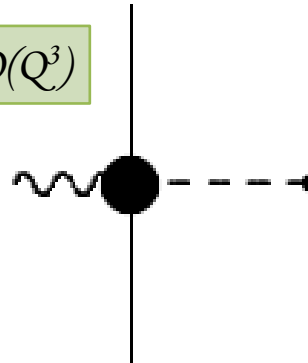
1 pion exchange

Contact term

$O(Q^0), O(Q^2)$

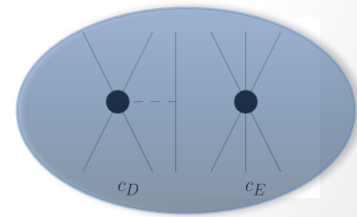


$O(Q^3)$



*Nucleon-pion interaction,*  
**NO** new parameters

*Contact term*





# Nuclear $\beta$ decays

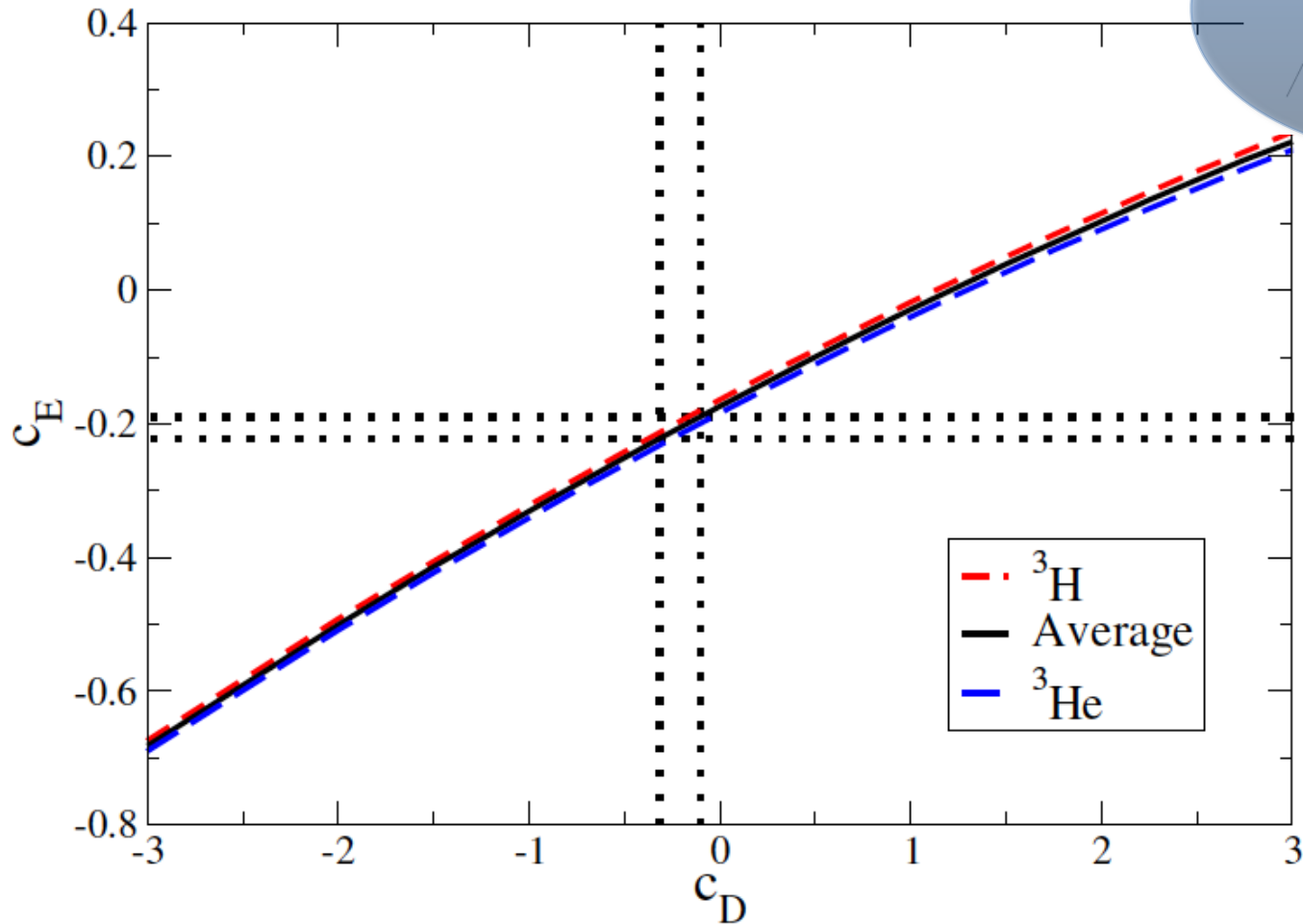
- Typically, a very low momentum transfer.

$$ft = \frac{2\pi^3 \ln 2 / m_e^3}{G_F^2 V_{ud}^2 \left[ \left(1 + \Delta_R^V\right) F_V^2 |M_V|^2 + \left(1 + \Delta_R^A\right) g_A^2 |M_A|^2 \right]}$$

$$|M_V|^2 = \frac{1}{2J_i + 1} \left| \left\langle y_i \left\| \hat{a}_{k=1}^A t_k^\pm \right\| y_f \right\rangle \right|^2 = \frac{1}{2} [T(T+1) - T_z(T_z+1)] (1 - d_c)$$

$$|M_A|^2 = \left| \left\langle y_i \left\| E_1^A / g_A \right\| y_f \right\rangle \right|^2 = \frac{1}{3\rho(2J_i + 1)} \left| \left\langle y_i \left\| \hat{a}_{k=1}^A \vec{s}_k t_k^\pm \right\| y_f \right\rangle \right|^2 + \text{corrections}$$

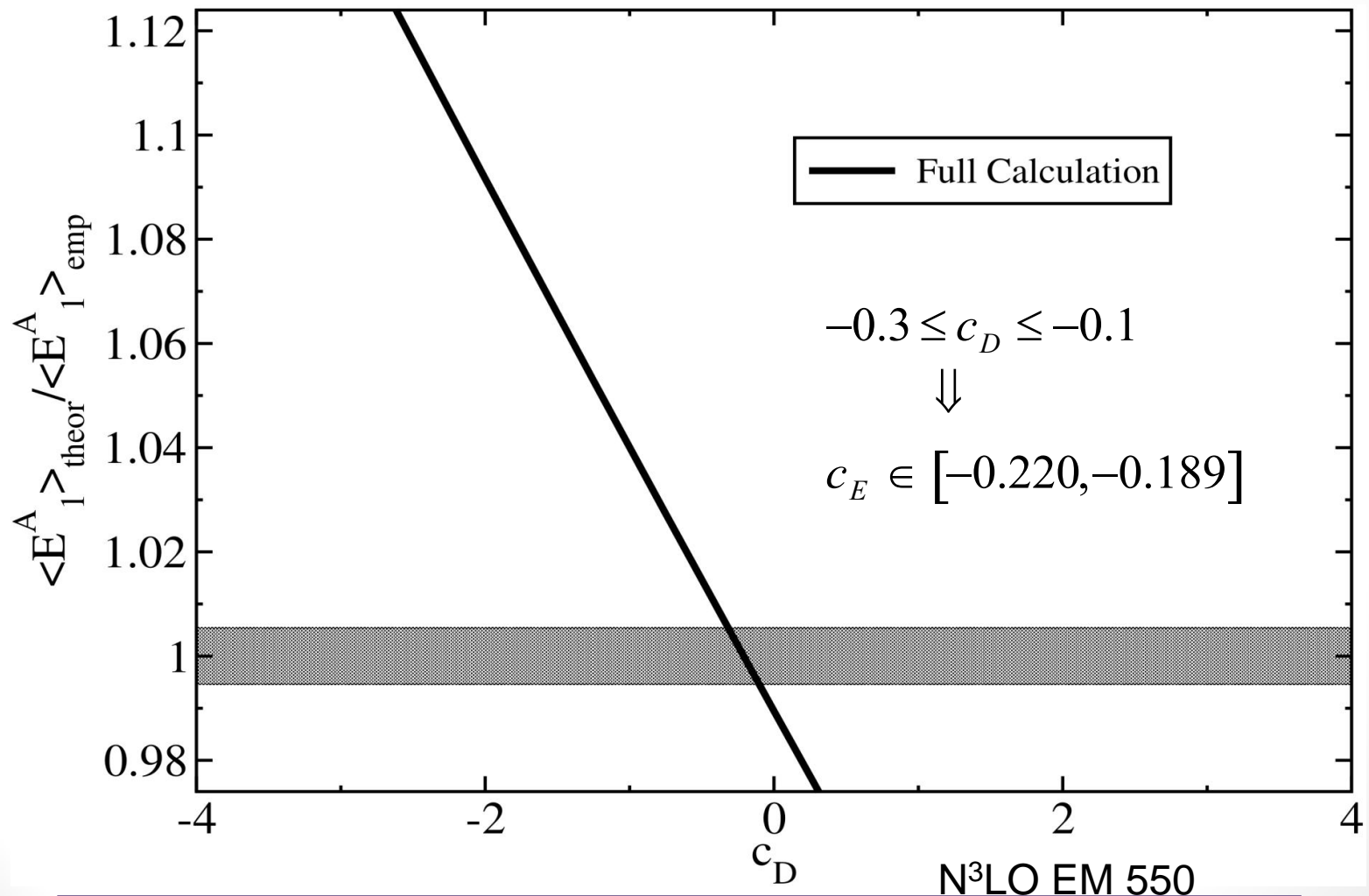
# Step 1: use the trinuclei binding energies to find a $c_D$ - $c_E$ relation



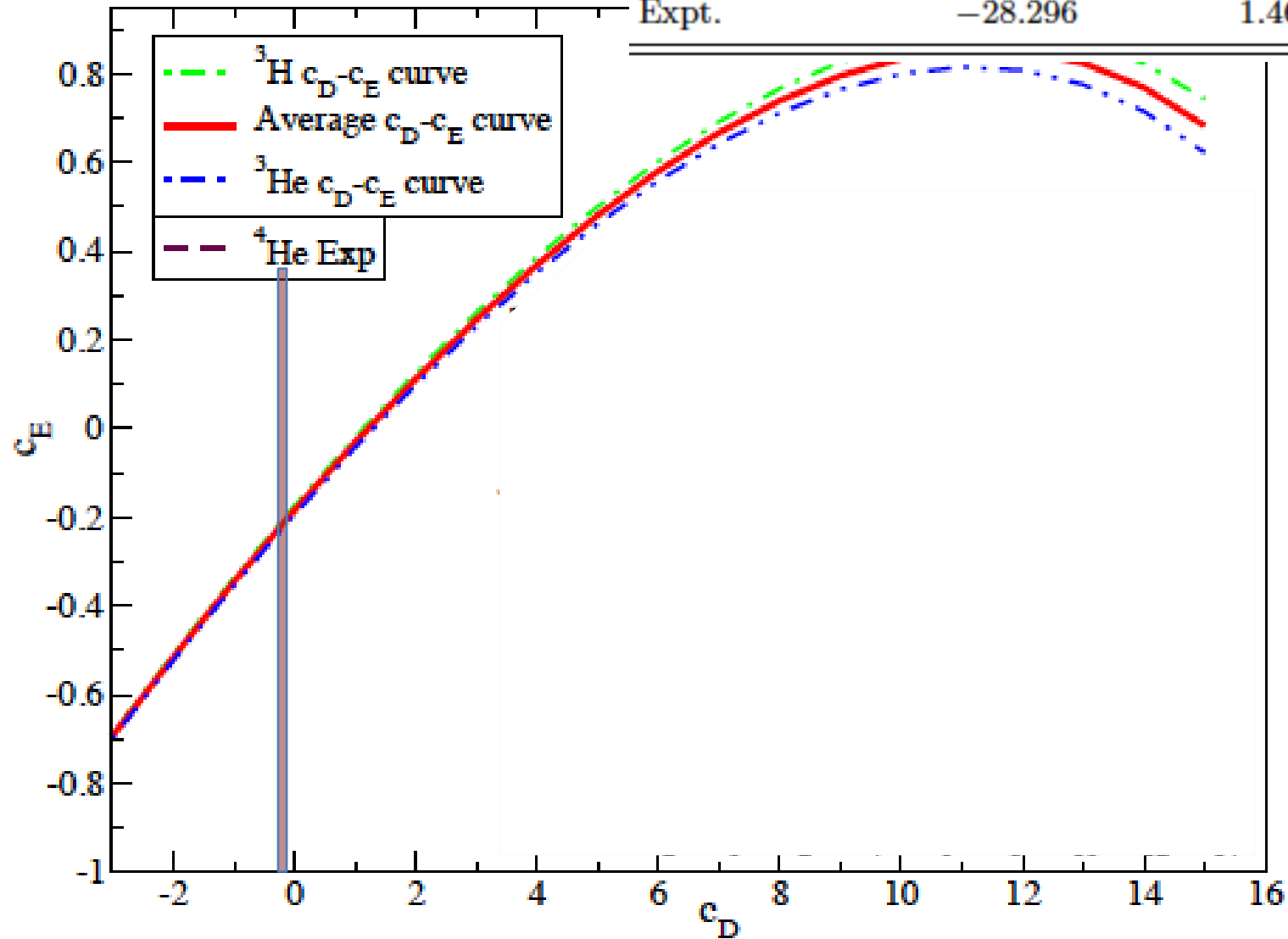
Navratil *et al.*, Phys. Rev. Lett. 99, 042501 (2007).



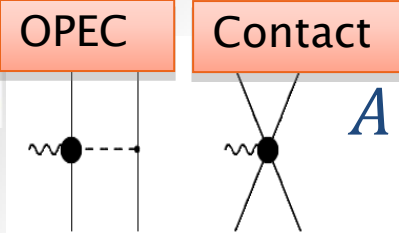
*Step 2: calibrate  $c_D$  according to the triton half life.*



# A prediction of $^4\text{He}$ properties

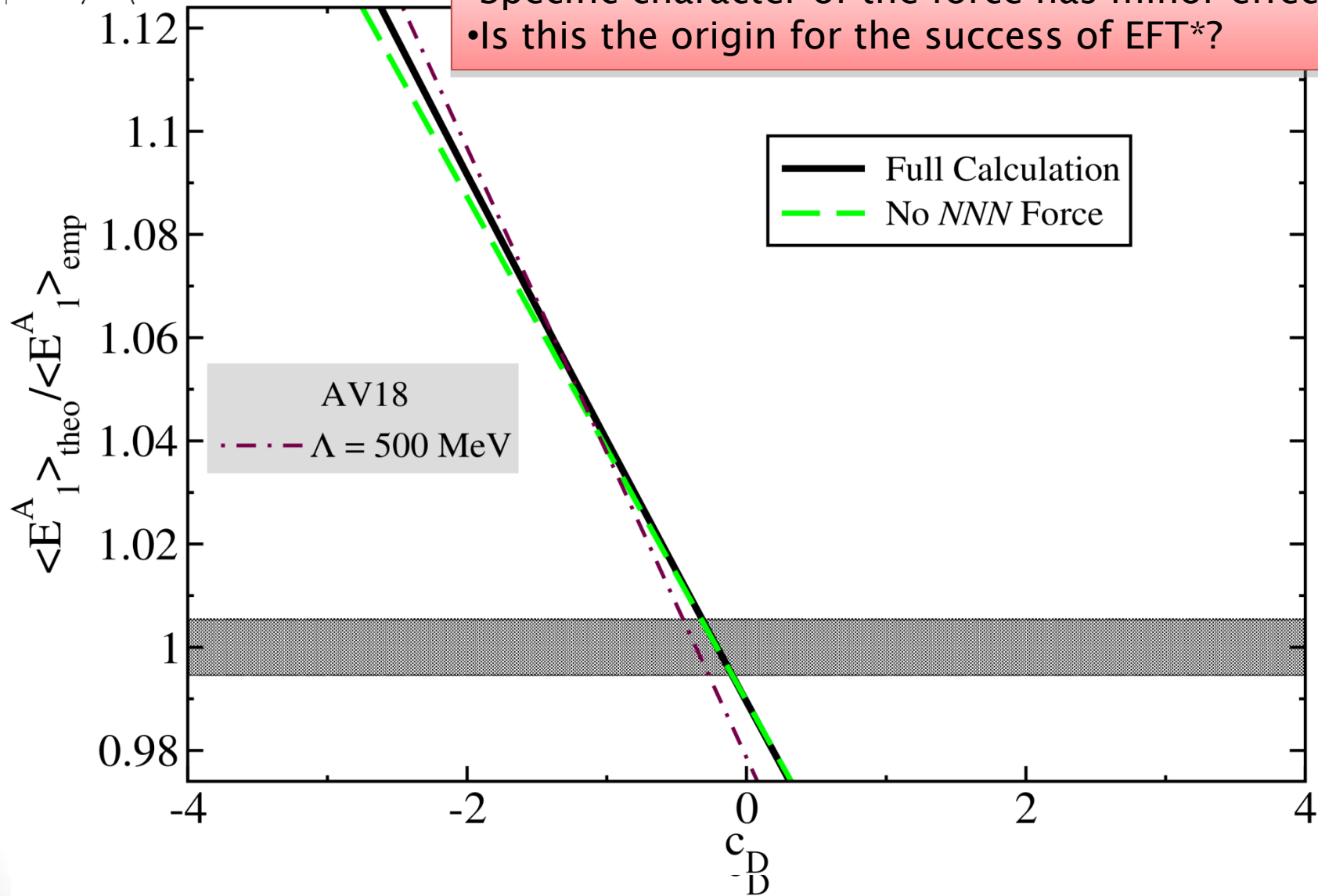


	$^4\text{He}$	
	$E_{g.s.}$	$\langle r_p^2 \rangle^{1/2}$
$NN$	-25.39(1)	1.515(2)
$NN + NNN$	-28.50(2)	1.461(2)
Expt.	-28.296	1.467(13) [24]



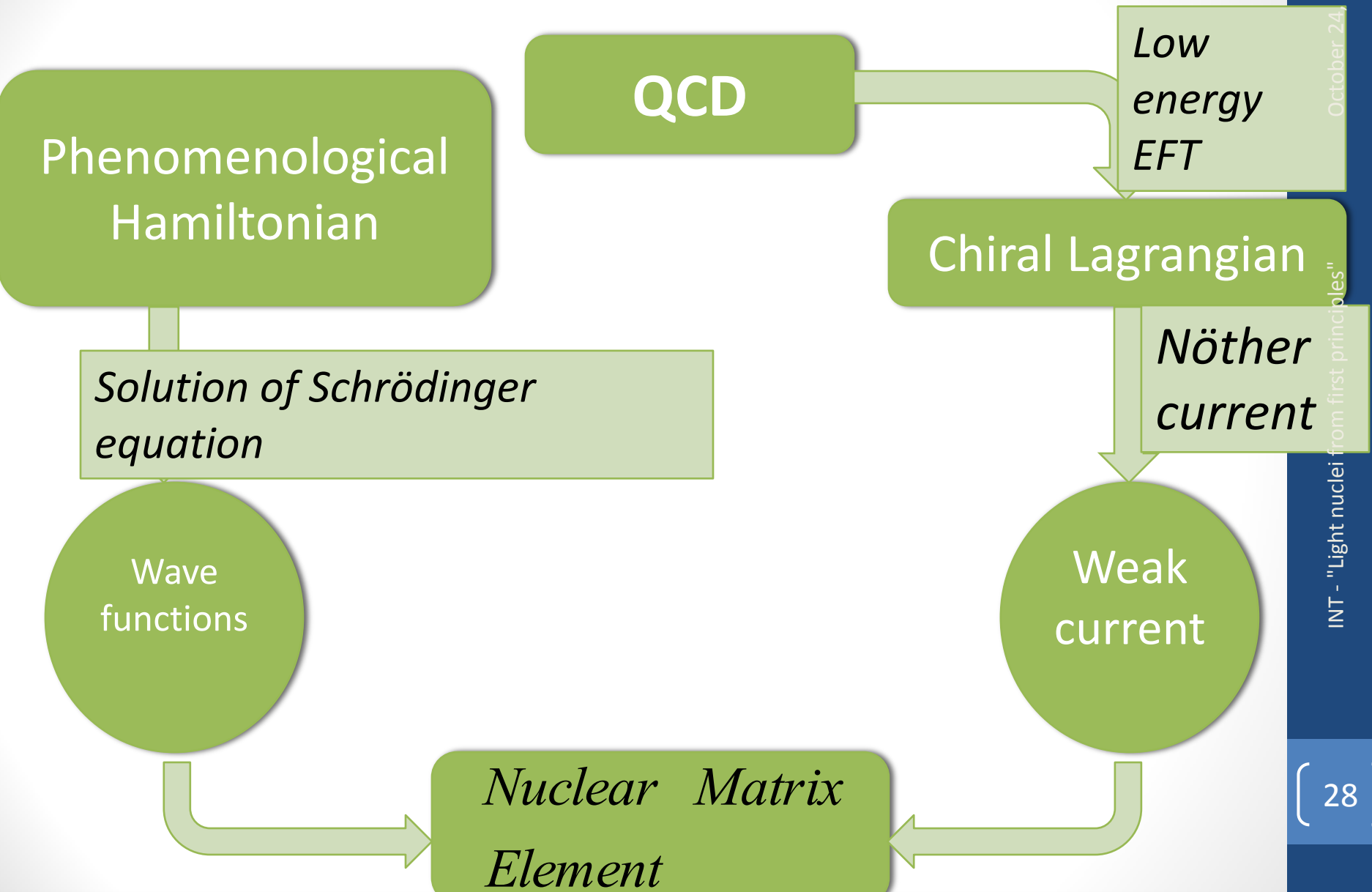
# A closer look into the weak axial correlations in $^3H$

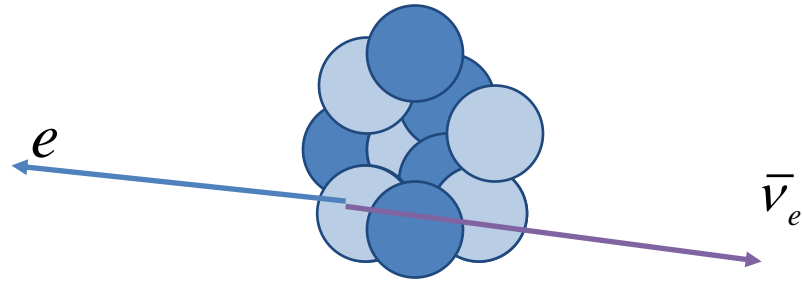
- Specific character of the force has minor effect
- Is this the origin for the success of EFT\*?





# EFT\* approach for low-energy weak reactions:





$$M_A^2 = \langle y_i | GT | y_f \rangle^2$$

$$GT|_{LO} = \sum_{i=1}^A \hat{a} s_i t_i^\pm$$

$$ft = \frac{K}{G_F^2 V_{ud}^2 \left[ (1 + \Delta_R^V) F_V^2 |M_V|^2 + (1 + \Delta_R^A) g_A^2 |M_A|^2 \right]}$$

# GAMOW-TELLER TRANSITIONS



# Gamow-Teller Quenching

$$J_{n,1B} = g_A \sigma_n \frac{\hbar}{A}$$

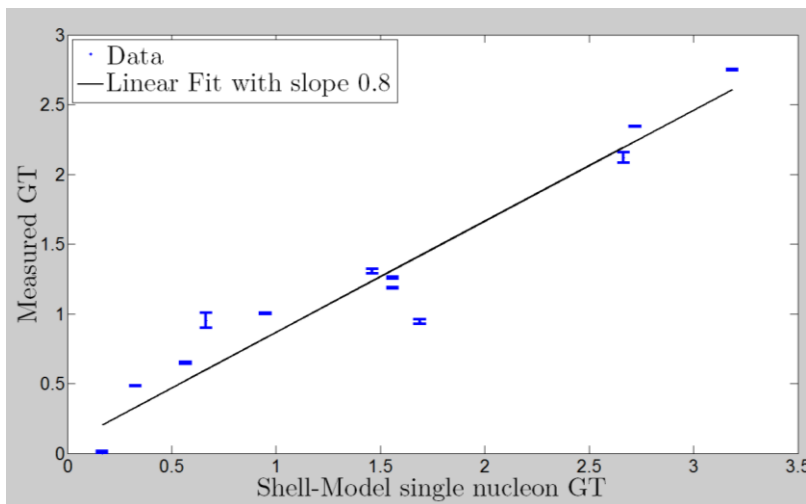
**sd shell**

$$g_A^{\text{eff}} = q g_A$$

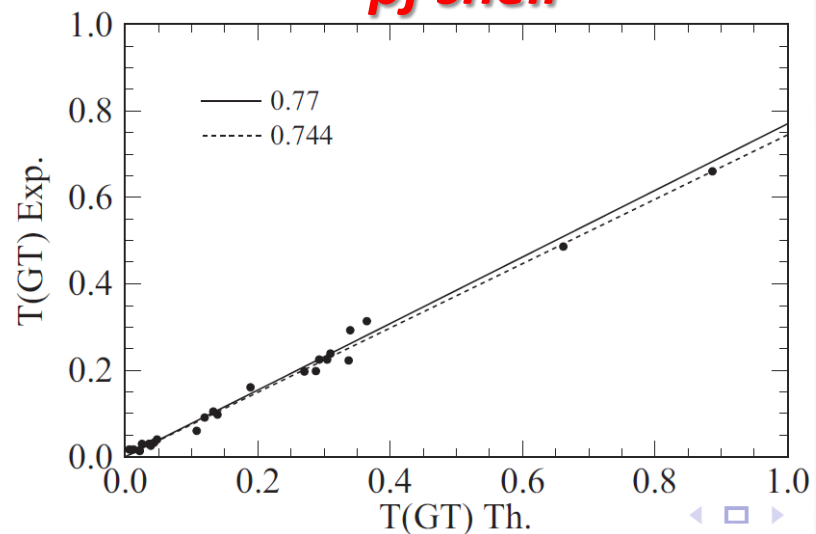
“Large quenching”

$q \uparrow 0.75$

**pf shell**



Chou, Warburton, Brown, Phys. Rev. **C47**, 163 (1993)



Martinez-Pinedo *et al*, Phys. Rev. **C53**, 2602 (1996)

Alvarez-Rodriguez *et al*, Phys. Rev. **C70**, 064309 (2004)

Bender *et al*, Phys. Rev. **C65**, 054322 (2002)  
Rodriguez *et al*, Phys. Rev. Lett. **105**, 252503 (2010)

- QRPA calculations reach similar results.
- Energy Density Functional Methods
- Quenching needed in regions where spectroscopy is well reproduced.



# Gamow-Teller Quenching

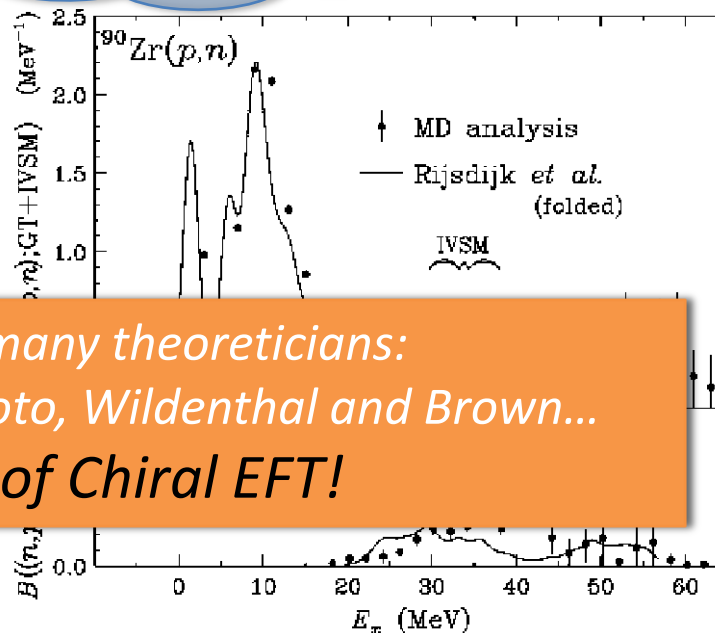
Sesano *et al*, Phys. Rev. **C79**, 024602 (2009); Yako *et al*, Phys. Lett. **B615**, 193 (2005)

- (much debated) Measurements of Ikeda sum-rule in  $^{90}\text{Zr}$  up to high energies, show very small quenching!

$$q^2 = \frac{S_{\beta^-} - S_{\beta^+}}{3(N - Z)} = 0.92 \pm 0.11 \Rightarrow q = 0.96 \pm 0.06$$

"Small quenching"

- Suggesting:  
many body approximations  
responsible for the discrepancy.



*The quenching puzzle attracted many theoreticians:  
Arima, Rho, Towner, Bertsch and Hamamoto, Wildenthal and Brown...  
Revisit in the framework of Chiral EFT!*



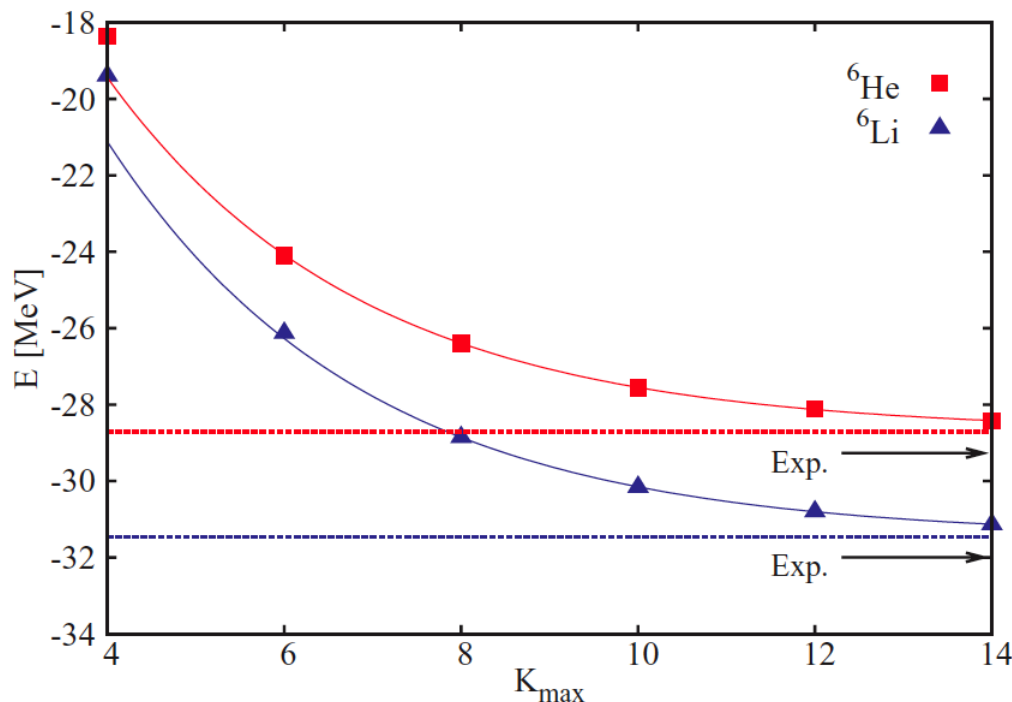
# ${}^6\text{He}$ $\beta^-$ decay

- We use the HH method to solve the 6 body problem, with **JISP16 NN** potential.
- We use  $\chi$ EFT axial MEC with  $c_D$  fixed using triton  $\beta$  decay
- Very rapid convergence:

$E_\infty({}^6\text{He}) = 28.70(13)$  MeV  
 $E_{\text{exp}}({}^6\text{He}) = 29.269$  MeV

$E_\infty({}^6\text{Li}) = 31.46(5)$  MeV  
 $E_{\text{exp}}({}^6\text{Li}) = 31.995$  MeV

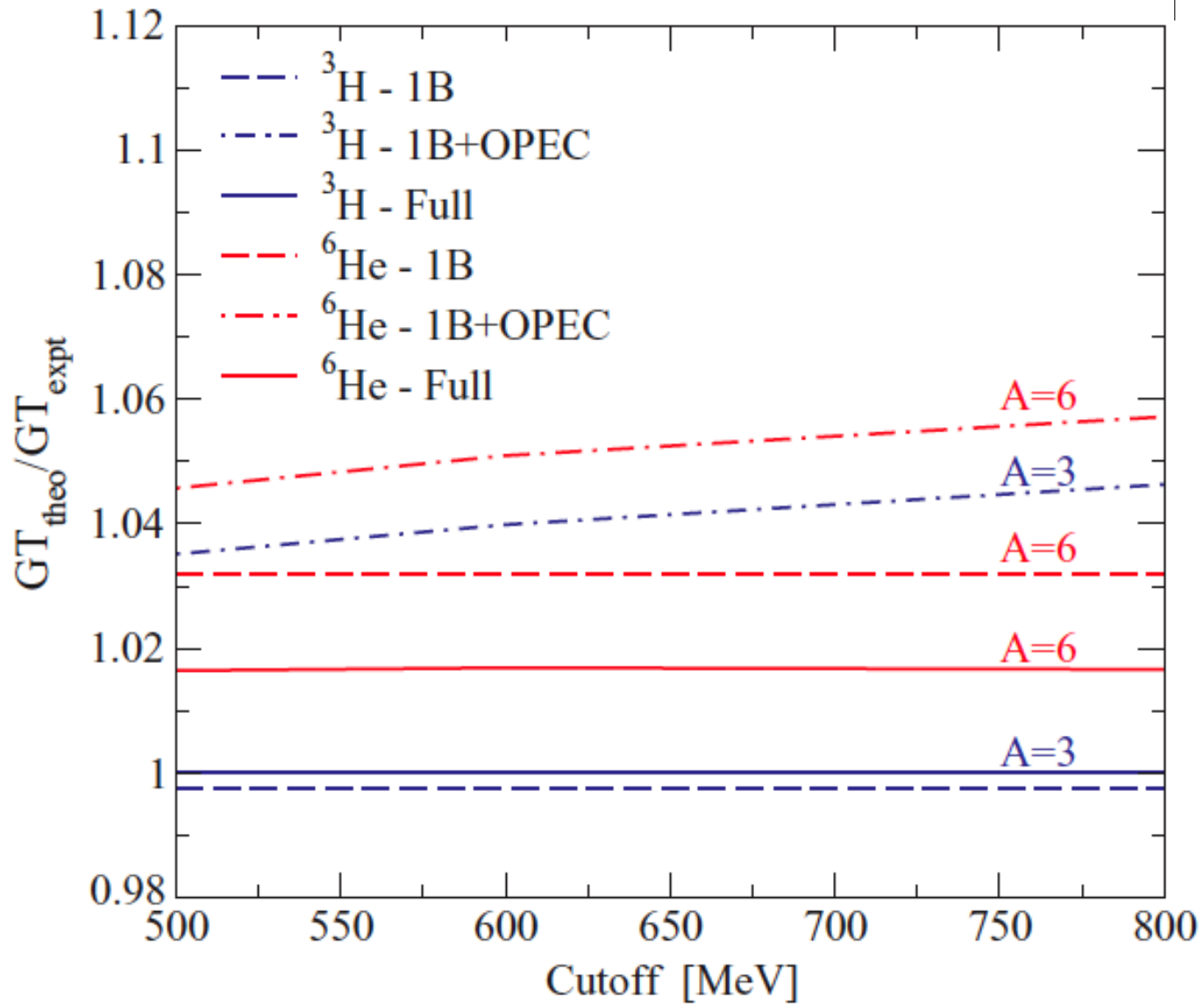
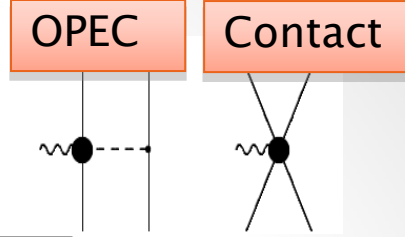
$GT|_{\text{LO}} = 2.225(2)$   
 $GT = 2.198(2)$







# ${}^6\text{He}$ $\beta$ decay



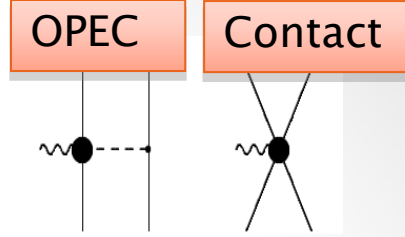
October 24, 2012

Vaintraub, Barnea, DG, Phys. Rev. C, 79 065501 (2009).

INT - "Light nuclei from first principles"



# ${}^6\text{He}$ $\beta$ decay



- The contact interaction that does not exist in pheno. MEC, has an opposite sign with respect to the long range one.
- The final GT is just 1.7% away from the experimental one!
- MEC brings the theory closer to experiment!
- No dependence on the cutoff!

$$|GT|^{JISP16}({}^6\text{He})=2.198(7)$$
$$|GT|^{\text{exp}}({}^6\text{He})=2.161(5)$$



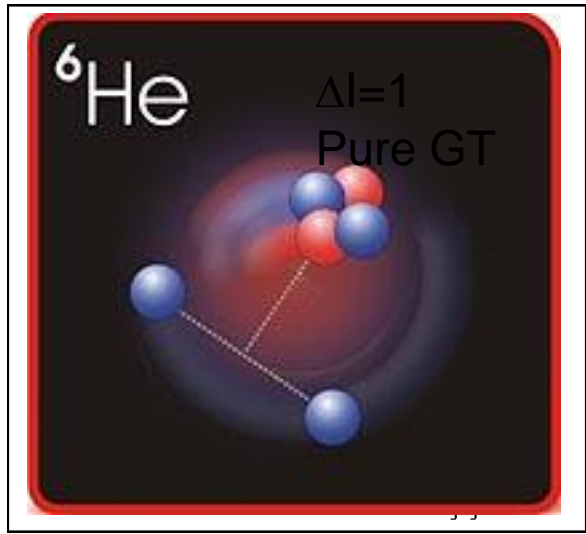
# ${}^6\text{He}$ $\beta$ decay and a hint to heavier nuclei

- The inclusion of  $\chi$ EFT based MEC is helpful, even when one uses phen. interaction.
- The need of  $\chi$ EFT based MEC is observed in  $\mu$  capture on light nuclei.  
DG, Phys. Lett. B666, 472 (2008),  
Marcucci et al., Phys. Rev. C 83, 014002 (2011).
- The conclusion is that the **weak correlations** inside the nucleus **can lead** to (at least part of) the **observed suppression**.
- Going to heavier nuclei demands approximations.

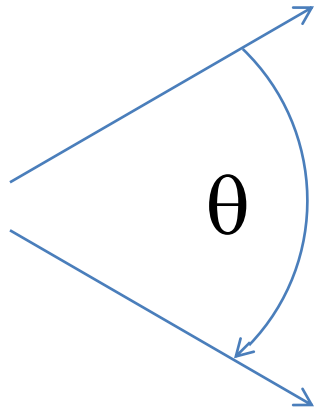


# Intermission: $\beta$ -decay and fundamental symmetries

${}^6\text{Li}$   
daughter nucleus



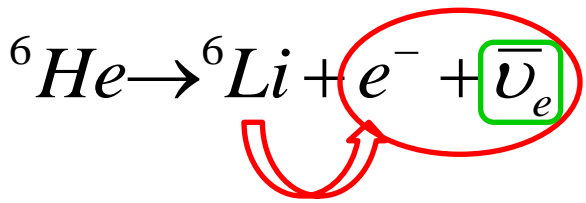
$e^-$  Electron



$\bar{\nu}_e$  Electron  
anti-neutrino

$$dW \propto a \xi \left( \frac{p_e \cos \theta}{E_e} \right)$$

$$dW_{SM}({}^6\text{He}) \propto -\frac{1}{3} \left( \frac{p_e \cos \theta}{E_e} \right)$$



- Theoretical input needed!
- ${}^6\text{He}$  produced using a BeO target – enormous yield @ SARAF

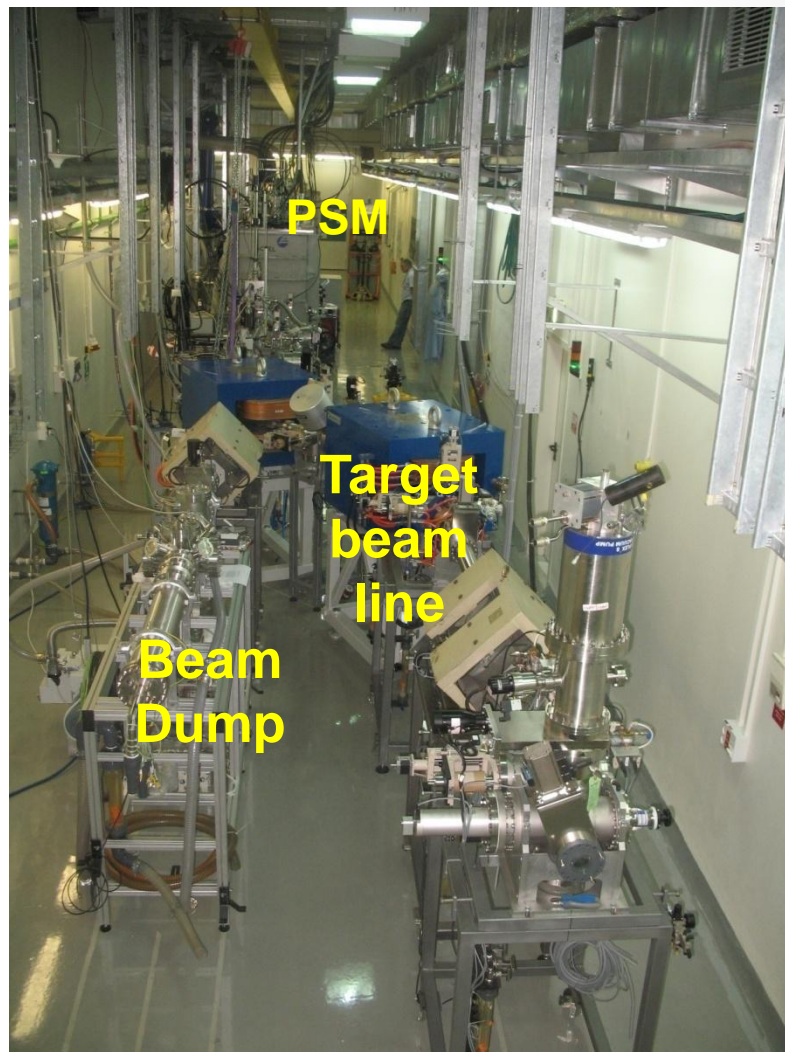


# SARAF Phase I

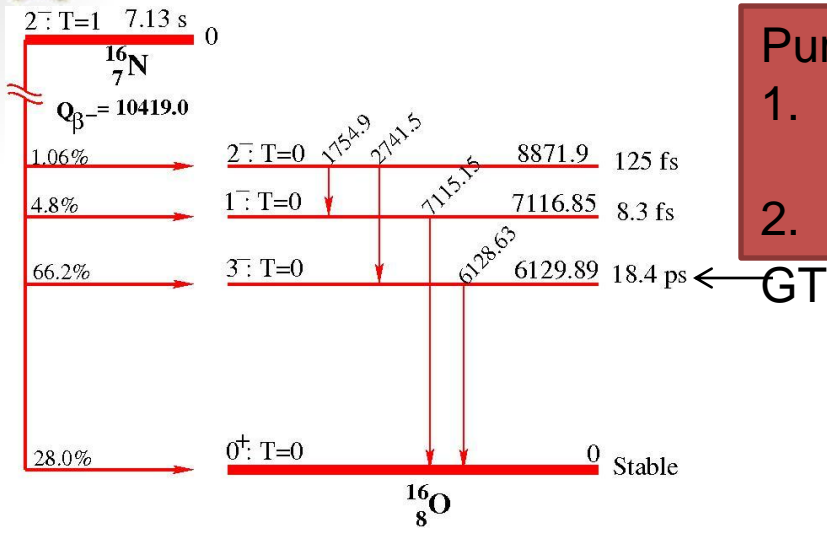
@

## Soreq Center - Israel

- ❖ Commissioning of Phase-I is approaching finalization
- ❖ 1 mA CW proton beam has been accelerated up to an energy of 3.7 MeV
- ❖ Low duty cycle ( $\sim 0.2$  mA) deuteron beam has been accelerated up to an energy of 4.3 MeV
- ❖ Phase-II – up to 40 MeV (2015)



# The case of $^{16}\text{N}$



Pure E2 transition:  
 1. No MEC contribution – pinpointing suppression origin  
 2. Different  $\beta$ - $v$  correlation properties!

$^{16}\text{N}$  is produced simultaneously with  $^6\text{He}$ , and with a comparable yield, in the BeO target

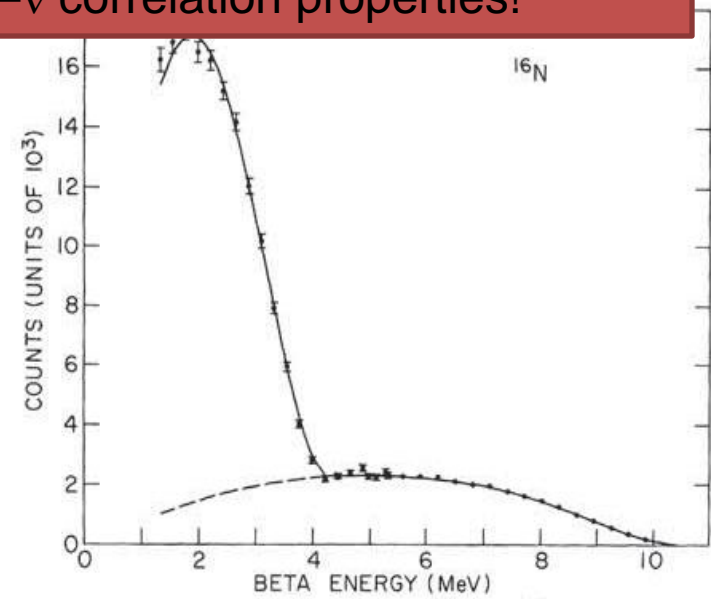
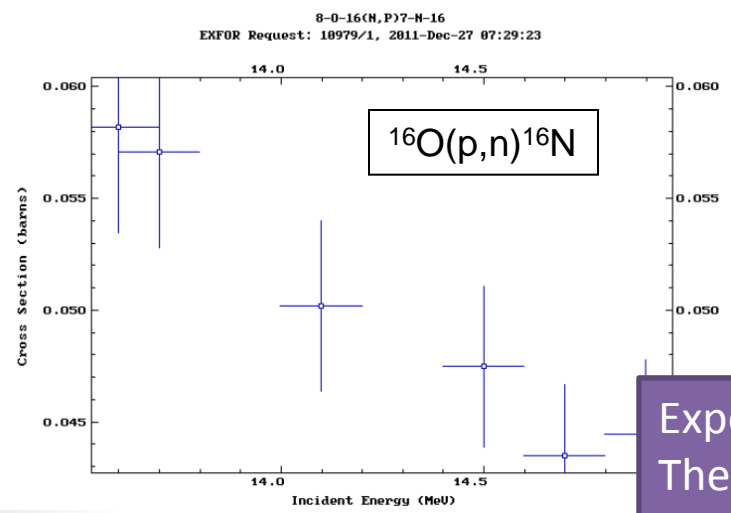


FIG. 1. Beta-ray spectrum for  $^{16}\text{N}(\beta^-)^{16}\text{O}$ . The data are from Ref. 1. The least squares fit assumed four branches to  $^{16}\text{O}$  levels at 0, 6.13, 7.12, and 8.87 MeV and the intensities of the branches to these levels were varied. For the fit shown the uncertainties assigned to the data were adjusted so that the normalized  $\chi^2$  was unity. The shape factor for the g.s. branch was fixed at the unique value.



Experiment: Hass, Vaintraub (2013)  
 Theory: DG (2012) in preparation.  
 Vary, DG, Maris, Schwenk, WIP





TO MEDIUM-HEAVY NUCLEI LAND



# Effective 2-body current

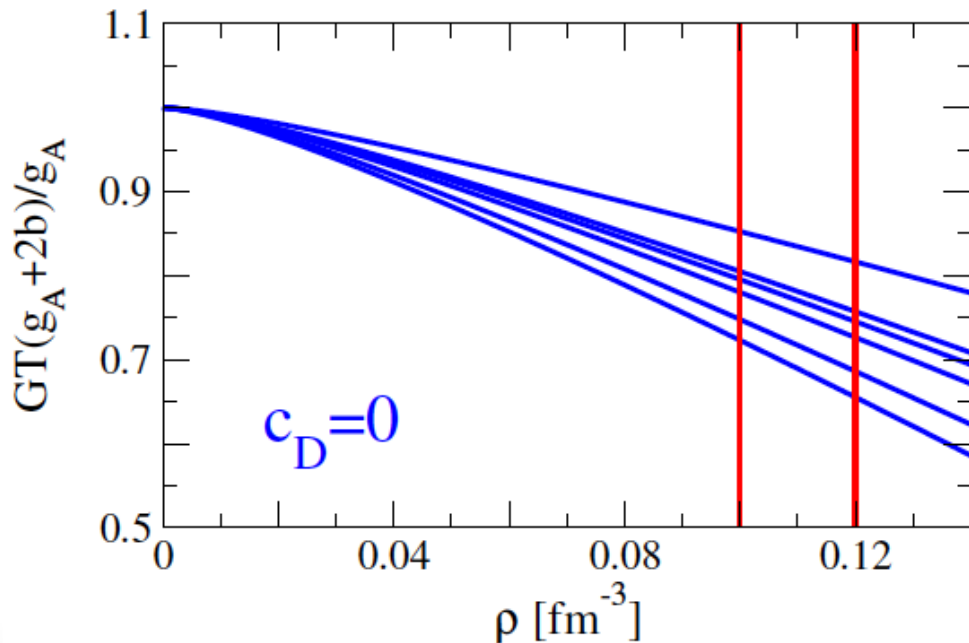
- The **normal-ordered two-body currents** are, neglecting (small) tensor-like terms

$$J_{n,2b}^{eff} = -g_A S_n t_n^- \frac{r}{m_N f_\rho^2} F(r, c_3, c_4, c_D, p)$$



# Long range GT and quenching

At  $\rho = 0$  and  $c_D = 0$  (long-range part of the currents only)  
 2B currents suppress 1B currents by  $q = 0.85 \dots 0.66$



- For density  $\rho$  consider the general range  $0.10 \dots 0.12 \text{ fm}^{-3}$
- Couplings  $c_3, c_4$  taken from NN potentials

Entem et al. PRC68 041001(2003)

Epelbaum et al. NPA747 362(2005)

Rentmeester et al. PRC67 044001(2003)

$$\delta c_3 = -\delta c_4 \approx 1 \text{ GeV}^{-1}$$

$\Rightarrow$  Long-range 2B currents predict  $g_A$  quenching

# Short range contributions to GT and quenching

Short-range part ( $c_D$ ) not so well-known

⇒ Adjust  $c_D$  according to the empirical quenching required in Gamow-Teller transitions

⇒ compare to  $c_D$  values obtained by 3N fits

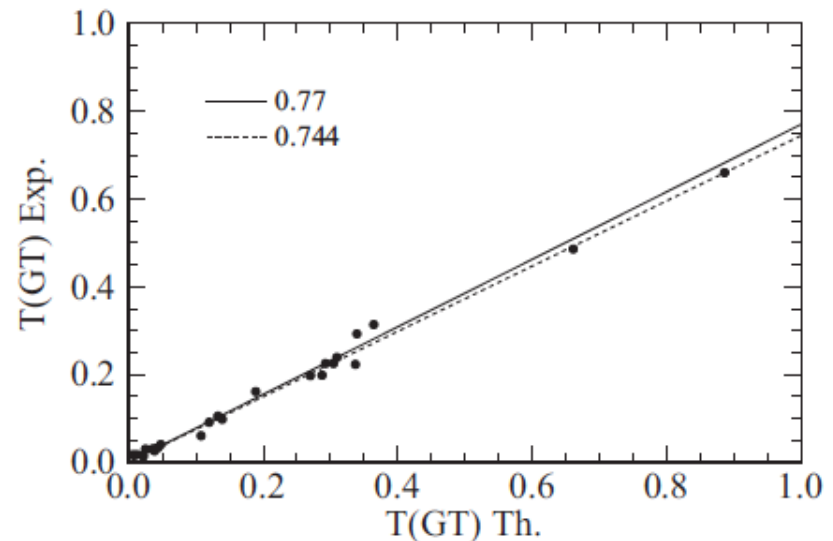
Extreme scenario (big quenching)

2B currents cause all  $g_A$  quenching suggested by theoretical calculations

$g_A^{\text{eff}} = qg_A$  due to the operator

⇒ contribution of the 2B currents

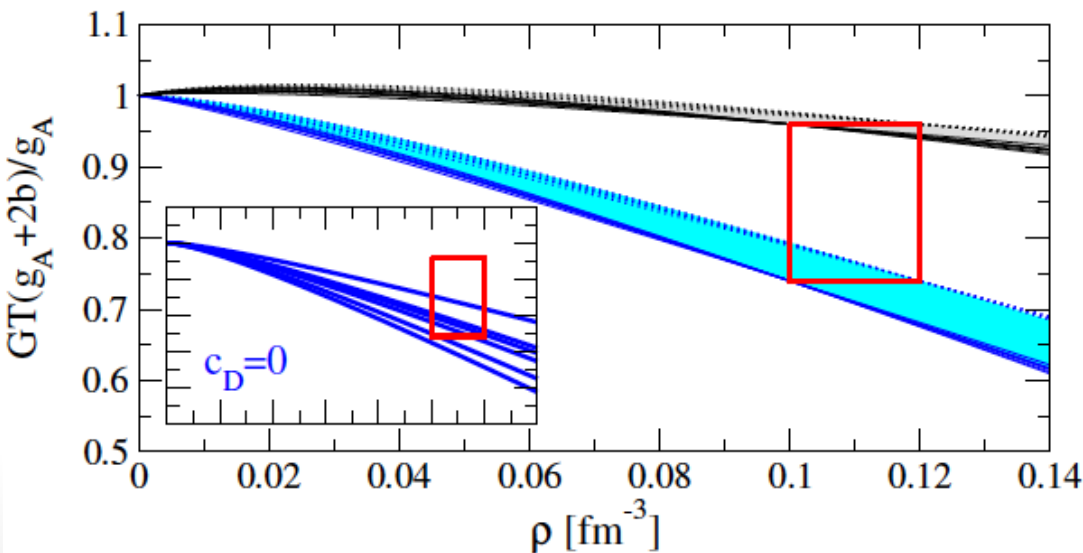
$q = 0.74$



# Short range contributions to GT and quenching

We use  $q = 0.74$  and  $q = 0.96$  to constrain  $c_D$

Allowed  $c_D$  lead to  $q$  values that lie inside the box



Menendez, DG, Schwenk, PRL 107, 062501 (2011)

Using EM  $c_i$ 's,  $-0.3 \leq c_D \leq -0.1$   
from  ${}^3\text{H}$  BE and  $\beta$  decay fit  
favors empirical quenching

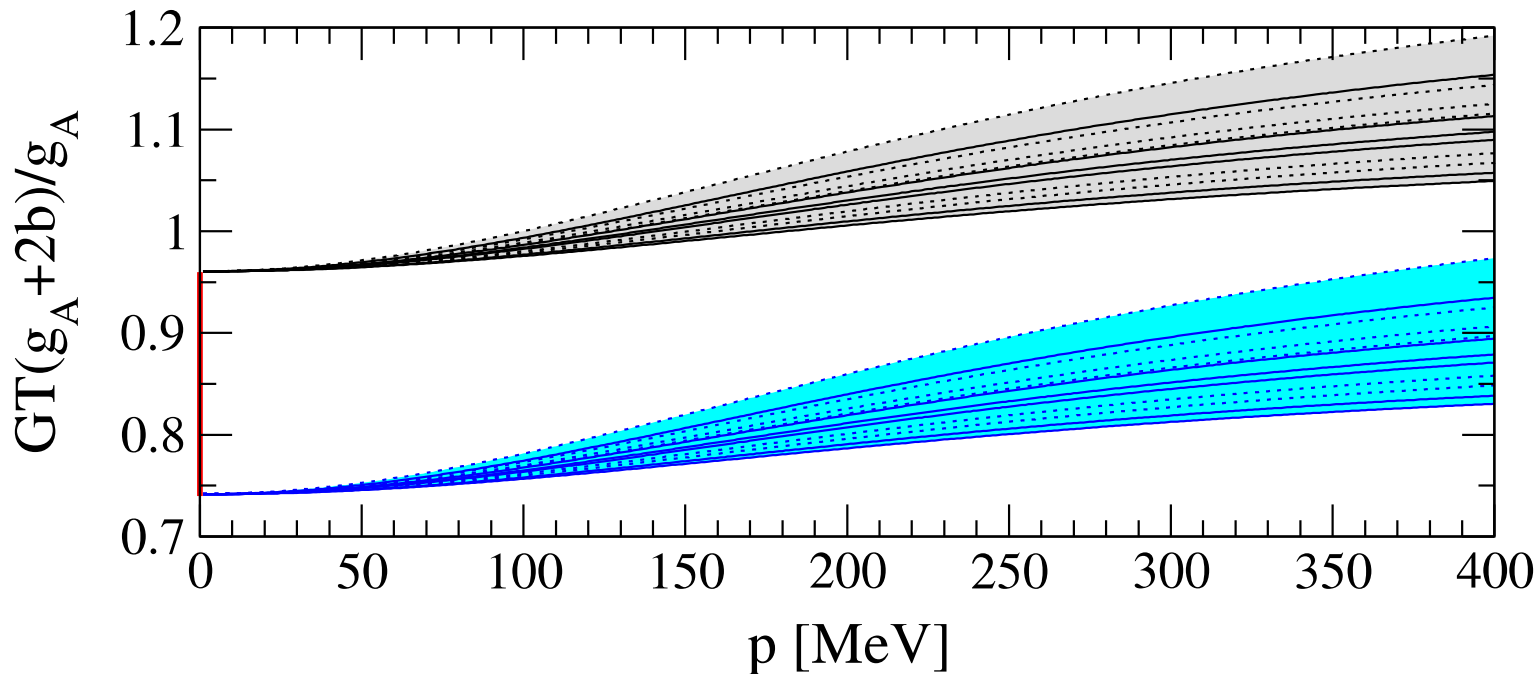
$c_D$  values from fits to  ${}^3\text{H}$  BE and  
 ${}^4\text{He}$  radius also compatible with  
empirical quenching

Small quenching  $q = 0.96$   
cannot be ruled out  
compatible with  ${}^3\text{H}$  BE,  
 ${}^4\text{He}$  radius fits in some cases  
(not EM)



# GT $p$ dependence

The  $\sigma\tau^-$  term, when **two-body currents** are included, **depends on** transferred momentum  $p$  through the  $\frac{2}{3} c_3 \frac{p^2}{4m_\pi^2 + p^2}$  term



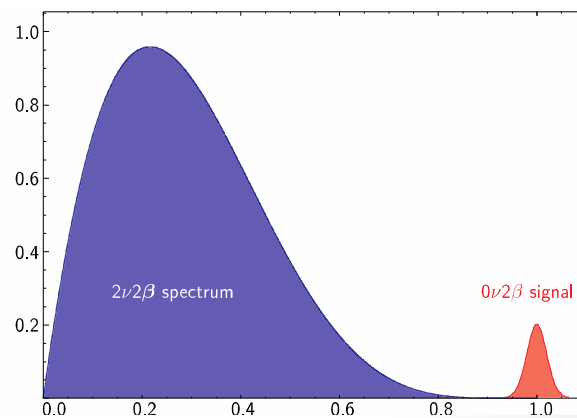
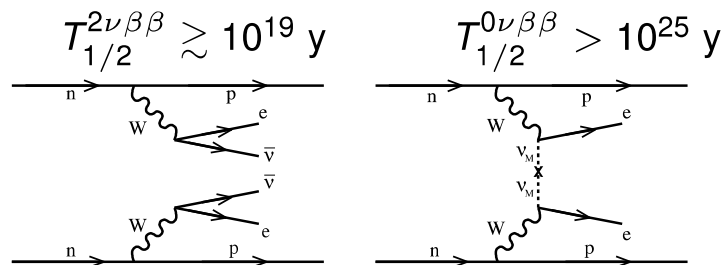
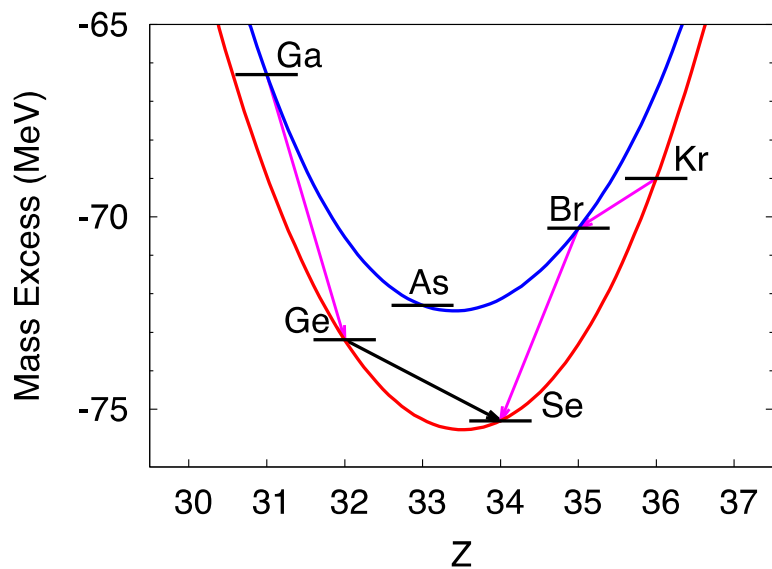
**Quenching** gets **weaker** at  $p \neq 0$

Menendez, DG, Schwenk, PRL 107, 062501 (2011)



# Neutrino-less double beta decay

- Double  $\beta$ -decay only appears when regular  $\beta$ -decay is energetically forbidden or hindered by large  $J$  difference.





# Neutrino-less double beta decay

- $0\nu\beta\beta$  decay needs also massive Majorana neutrinos  $\rightarrow$  detection would prove Majorana nature of neutrinos.

$$\left( T_{1/2}^{0\nu\beta\beta} (0^+ \rightarrow 0^+) \right)^{-1} = G_{01} |M^{0\nu\beta\beta}|^2 \left( \frac{m_{\beta\beta}}{m_e} \right)^2$$

$$m_{bb} = \left| \sum_k \hat{a}_k U_{ek}^2 m_k \right|$$

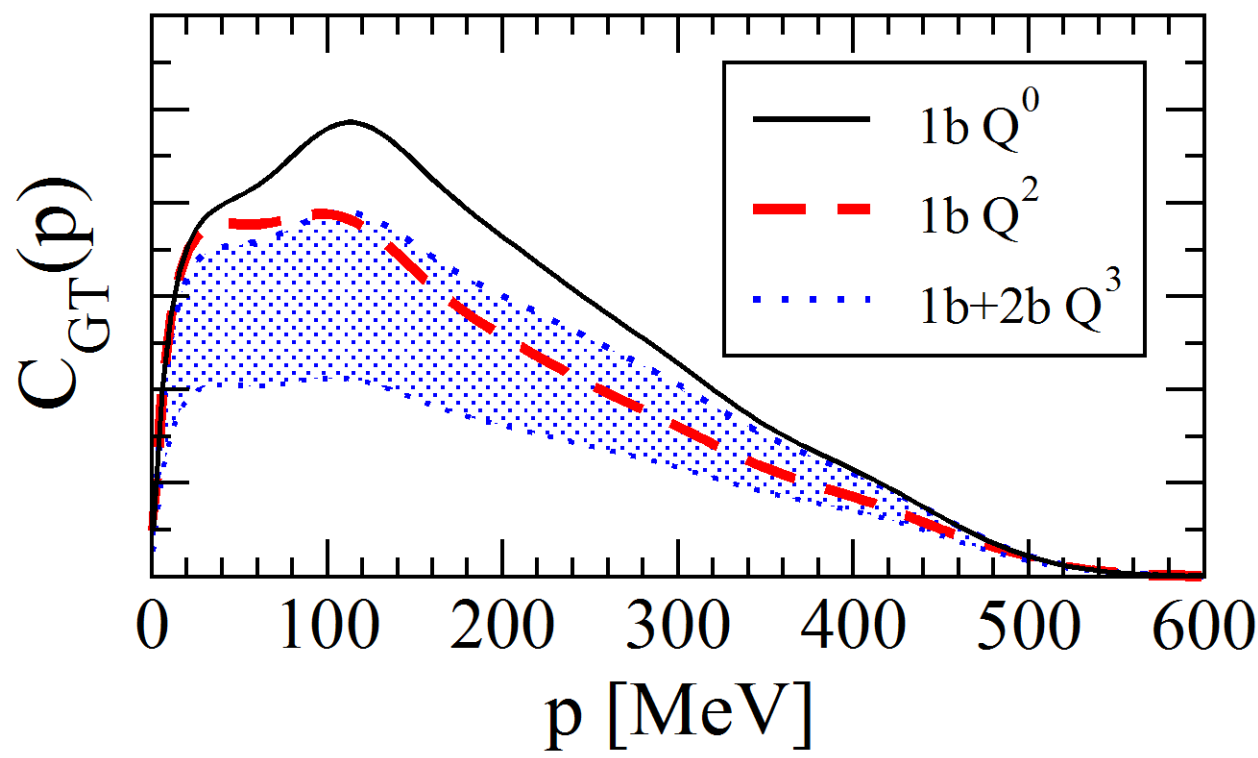
Nuclear Matrix element, biggest uncertainty due to  $g_A$ :  $T_{1/2}^{0nbb} \propto g_A^{-4}$   
 Relevant momentum transfer:  $p \sim 100 \text{ MeV}$ .

Common debate:  
*Is  $g_A$  quenched at these momenta?*



# relevant $p$ for $0\nu\beta\beta$ ME

Check transferred momenta  $p \approx m_\pi$  dominate the NME, true at different orders  $Q$  in the calculation

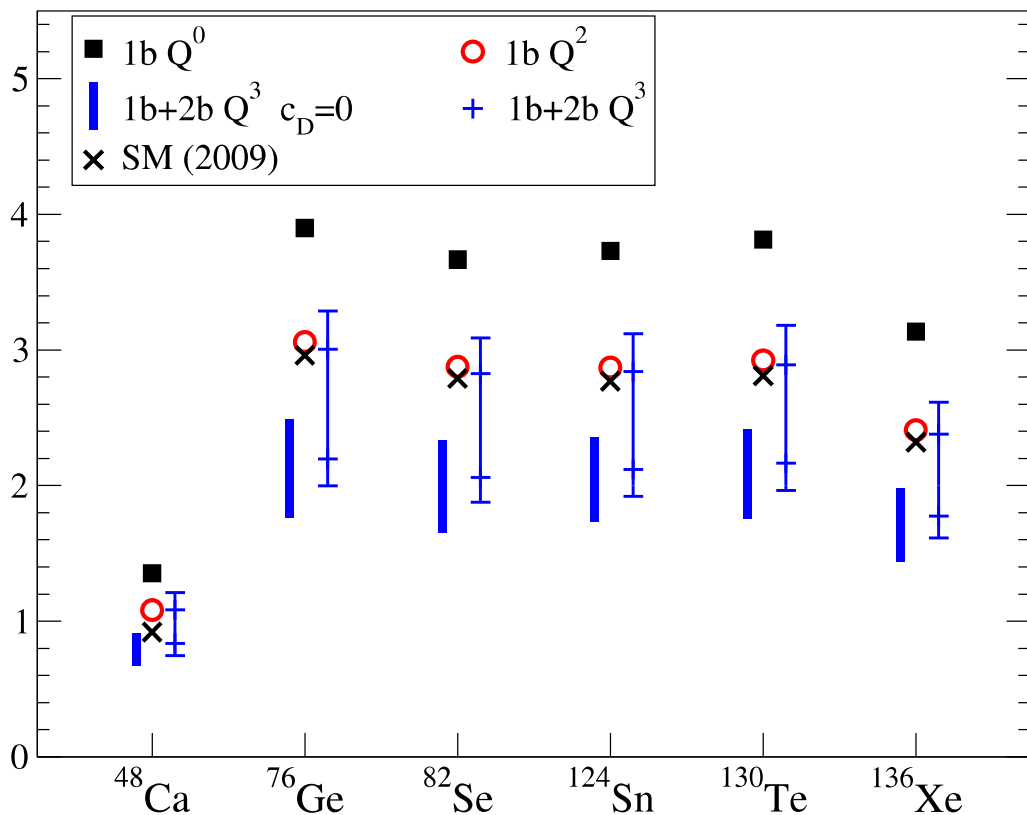


where 
$$M^{0\nu\beta\beta} = \int_0^{R_1} C(p) dp$$

Menendez, DG, Schwenk, Phys. Rev. Lett. 107, 062501 (2011)



# ME predictions



Order  $Q^2$  similar to phenomenological current

Long-range  $Q^3$  predicts NME  $\sim 35\%$  reduction  
They are order  $Q^2$  in Chiral EFT with explicit Deltas

Effect of **2B currents**  $Q^3$  ranges from **+10% to -35%** of the NME  
(Smaller than -45% expected by  $q^2 = 0.74^2$  due to  $p \neq 0$ )

Menendez, DG, Schwenk, Phys. Rev. Lett. 107, 062501 (2011)





# Conclusions for $0\nu\beta\beta$ ME

- 2B currents modify Gamow-Teller ( $\sigma\tau^-$ ) term
  - The long range 2B currents predict  $g_A$  quenching
  - $p$  dependence of the quenching is also predicted
- Nuclear Matrix Elements for  $0\nu\beta\beta$  decay modified  $-35 \dots 10\%$  by chiral 2B currents

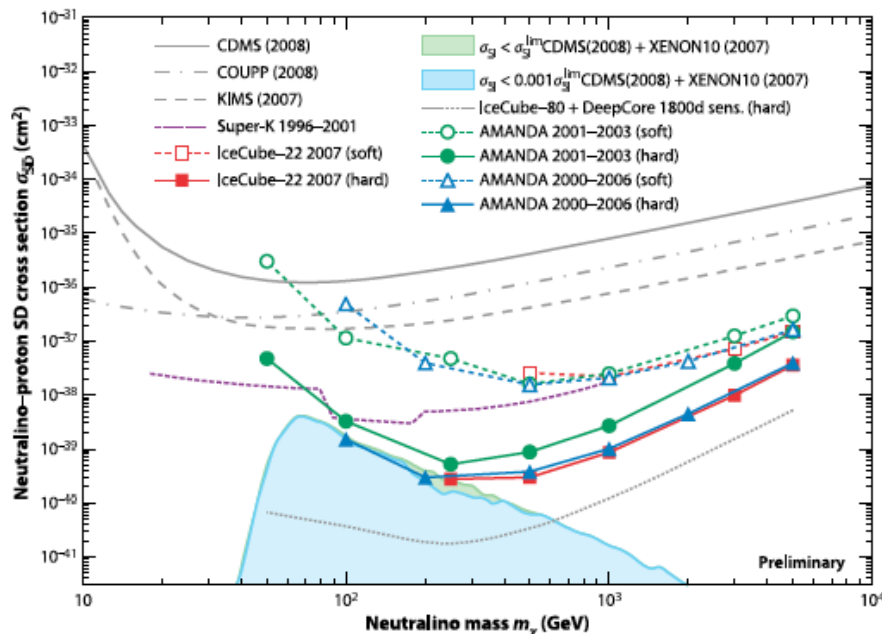


# Spin-dependent WIMP scattering on nuclei

- More than 20% of the energy density of the Universe is understood as dark matter.
- Promising candidates are WIMPs, such as neutralinos.
- This has spurred direct detection of cold dark matter via elastic scattering off nuclei, requiring detailed knowledge of the response to WIMP induced currents in nuclei.
- This presents a challenging problem, because even if the coupling of to quarks is known, it needs to be evaluated at the nucleus level in the nonperturbative regime of quantum chromodynamics
- Chiral EFT provides an ideal theoretical framework since the typical momentum transfers in direct dark matter detection are of the order of 100 MeV/c.



# Dark matter



Feng ARAA48 495 (2010)

Indirect evidence  $\Rightarrow$  challenge is direct detection of Dark Matter

Put big amount of material (like in  $0\nu\beta\beta$  decay), search WIMP-matter signal  
WIMP-nucleus signal!



# WIMP-nucleus scattering

- At low energies:

Spin dependent

$$\mathcal{L} = \underbrace{\bar{\chi} \gamma_\mu \gamma_5 \chi J_5^\mu(x)}_{\text{Spin dependent}} + \underbrace{\bar{\chi} \chi S(x)}_{\text{Spin independent}}$$

Spin independent

- Spin dependent:

$$\mathcal{L} = -\frac{G_F}{\sqrt{2}} \bar{\chi} \gamma \gamma_5 \chi \cdot \sum_q A_q \bar{\psi}_q \gamma \gamma_5 \psi_q$$

- When moving to the nucleon level:

$$\begin{aligned} \sum_q A_q \bar{\psi}_q \gamma \gamma_5 \psi_q &\longrightarrow \sum_{i=1}^A \mathbf{J}_{i,1b} = \sum_{i=1}^A (\mathbf{J}_{i,1b}^0 + \mathbf{J}_{i,1b}^3) \\ &= \sum_{i=1}^A \frac{1}{2} \left[ a_0 \boldsymbol{\sigma}_i + a_1 \tau_i^3 \left( \boldsymbol{\sigma}_i - \frac{g_P(p^2)}{2mg_A} (\mathbf{p} \cdot \boldsymbol{\sigma}_i) \mathbf{p} \right) \right], \end{aligned}$$

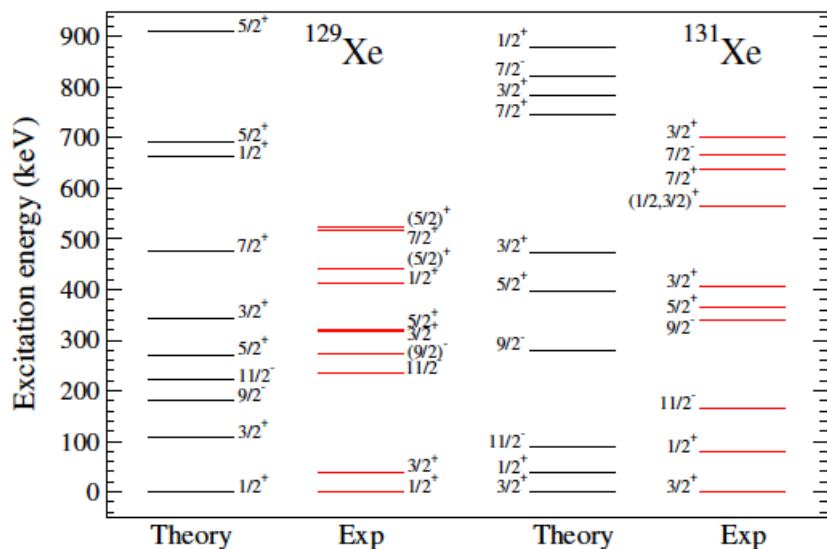
- In the nucleus level the isovector part has 2b corrections – identical to the weak current!



# Spin dependent WIMP scattering

For spin-dependent WIMP scattering off nuclei

$$\frac{d\sigma}{dp^2} = \frac{8G_F^2}{(2J+1)v^2} S_A(p), \quad S_A(p) = \sum_L \left( |\langle J || \mathcal{T}_L^{e15}(p) || J \rangle|^2 + |\langle J || \mathcal{L}_L^5(p) || J \rangle|^2 \right)$$



Isotopes  $^{129}\text{Xe}$  and  $^{131}\text{Xe}$  for liquid Xenon detectors, which provide most stringent experimental limits

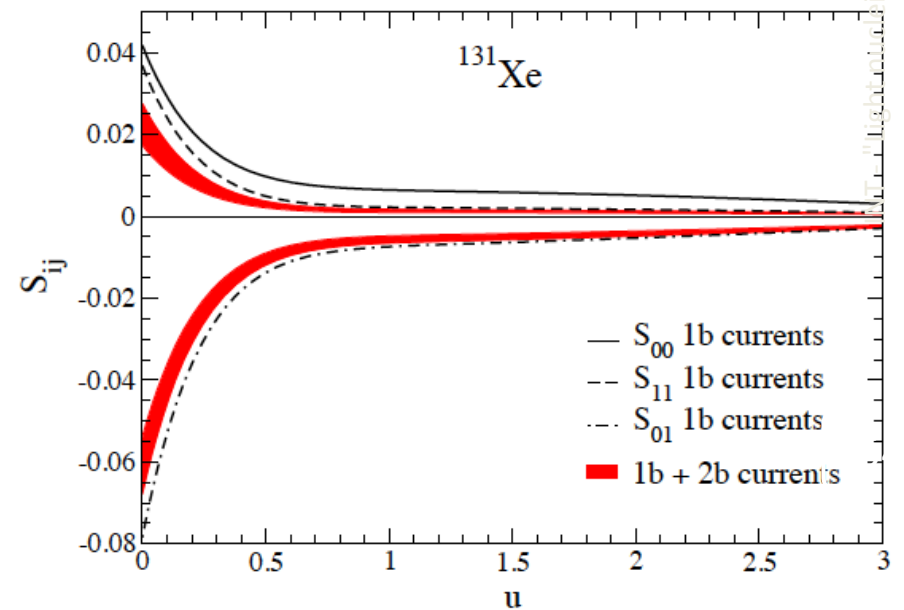
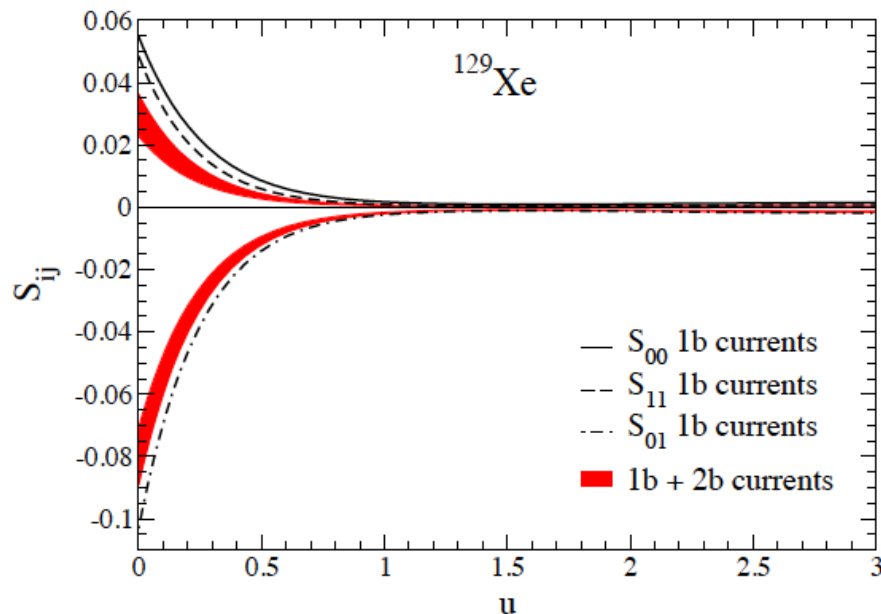
Calculations in the  $0g_{7/2}$ ,  $1d_{3/2}$ ,  $1d_{5/2}$ ,  $2s_{1/2}$  and  $0h_{11/2}$  valence space using the  $gcn.5082$  interaction

# Spin dependent WIMP scattering

$$S_A(p) = \sum_{L \text{ odd}} \left( |\langle J || \mathcal{T}_L^{\text{el}5}(p) || J \rangle|^2 + |\langle J || \mathcal{L}_L^5(p) || J \rangle|^2 \right)$$

$$S_A(p) = a_0^2 S_{00}(p) + a_0 a_1 S_{01}(p) + a_1^2 S_{11}(p)$$

$$u = p^2 b^2 / 2$$





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September 17 - November 16, 2012  
N. Barnea, D. Lee, L. Platter

### ▶ 2013 Programs

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March 25 - April 19, 2013  
C. Barbieri, T. Duguet, G. Hagen, S. Bogner

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**Nuclei and Fundamental Symmetries: Theory Needs of Next-Decade Experiments** (INT-13-2b)  
August 5 - August 30, 2013  
D. Gazit, W. Haxton, A. Schwenk, N. Tolich

**Quantitative Large Amplitude Shape Dynamics: Fission and Heavy Ion Fusion** (INT-13-3)  
September 23 - November 15, 2013  
G.F. Bertsch, W. Nazarewicz, A.N. Andreyev, W. Loveland

INT-12-3 "Light nuclei from first principles"



# Summary

Constrain the Nuclear interaction and structure.

Extract microscopic information about the fundamental theory and its symmetries.

Using  $\chi$ PT to calculate weak reactions with nuclei can be useful to:

Predict in-medium evolution of nuclear properties.

Probe the limits of the standard model.

***Nuclear theory is in the process of building a unified fundamental understanding of reactions and structure, which can shed light on many physical mysteries.***





# Collaborators



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