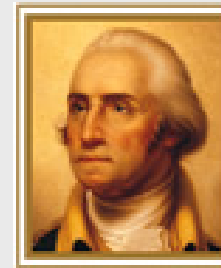


Compton Scattering at HIGS: from Giant Resonances to Spin Polarizabilities

Compton@HIGS Collaboration

□ George Washington University

- Jerry Feldman
- Mark Sikora



THE GEORGE
WASHINGTON
UNIVERSITY
WASHINGTON DC

□ Duke University/TUNL

- Luke Myers
- Henry Weller
- Mohammad Ahmed
- Jonathan Mueller
- Seth Henshaw



□ University of Kentucky

- Mike Kovash



Outline

- ❑ **What (and where) is HIGS?**
- ❑ **What have we done so far at HIGS?**
 - polarized Compton scattering study of IVGQR
 - elastic Compton scattering on ${}^6\text{Li}$
- ❑ **What are we planning to do at HIGS?**
 - elastic Compton scattering on deuterium
 - ✓ neutron polarizability
 - polarized Compton scattering on proton
 - ✓ proton electric polarizability
 - double-polarized Compton scattering on proton
 - ✓ proton spin polarizability
 - double-polarized Compton scattering on ${}^3\text{He}$
 - ✓ neutron spin polarizability

Background Information on HIGS

United States



North Carolina



Duke University



TUNL

Triangle Universities
Nuclear Laboratory

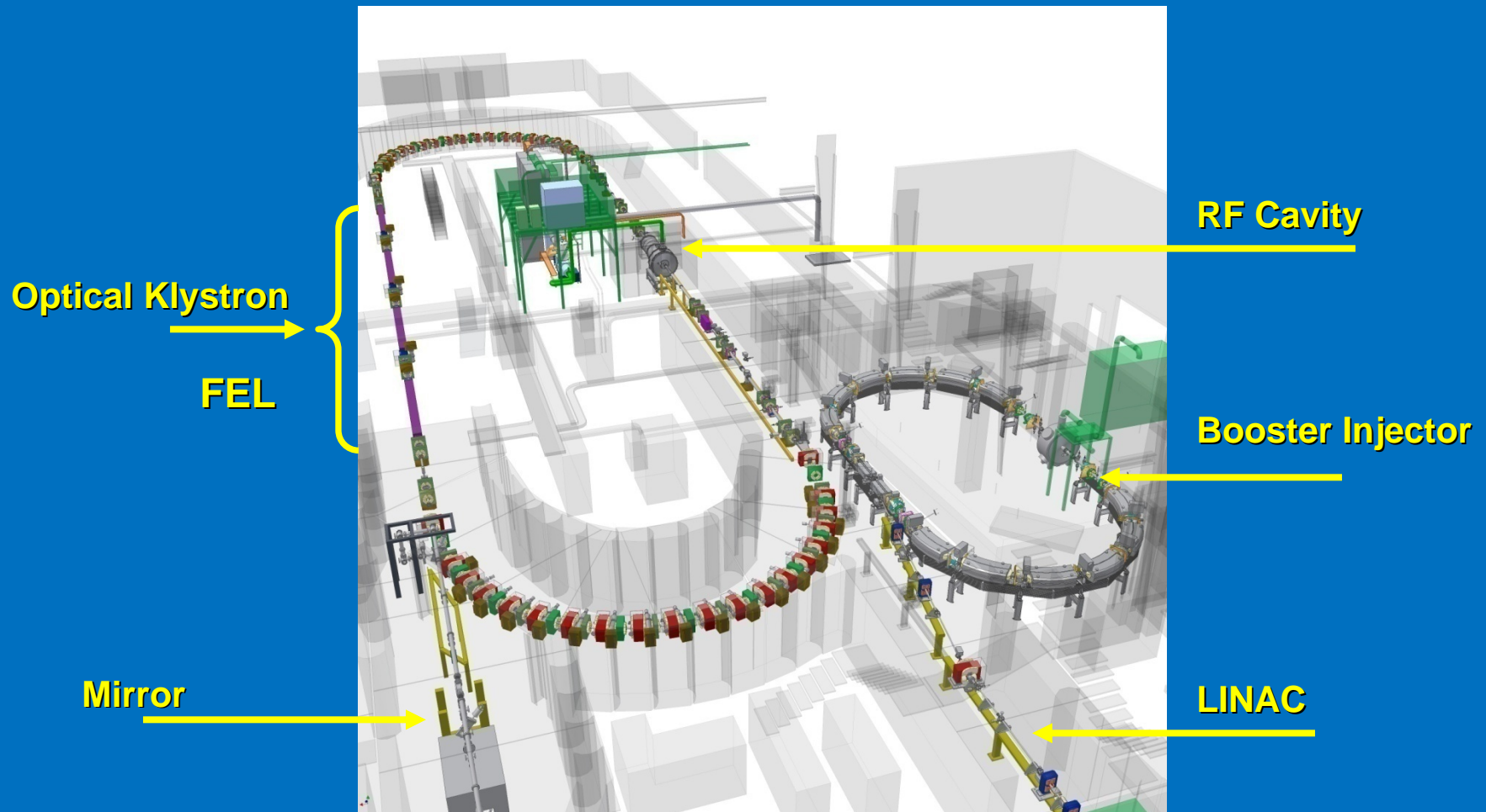


Duke Free-Electron Laser Lab



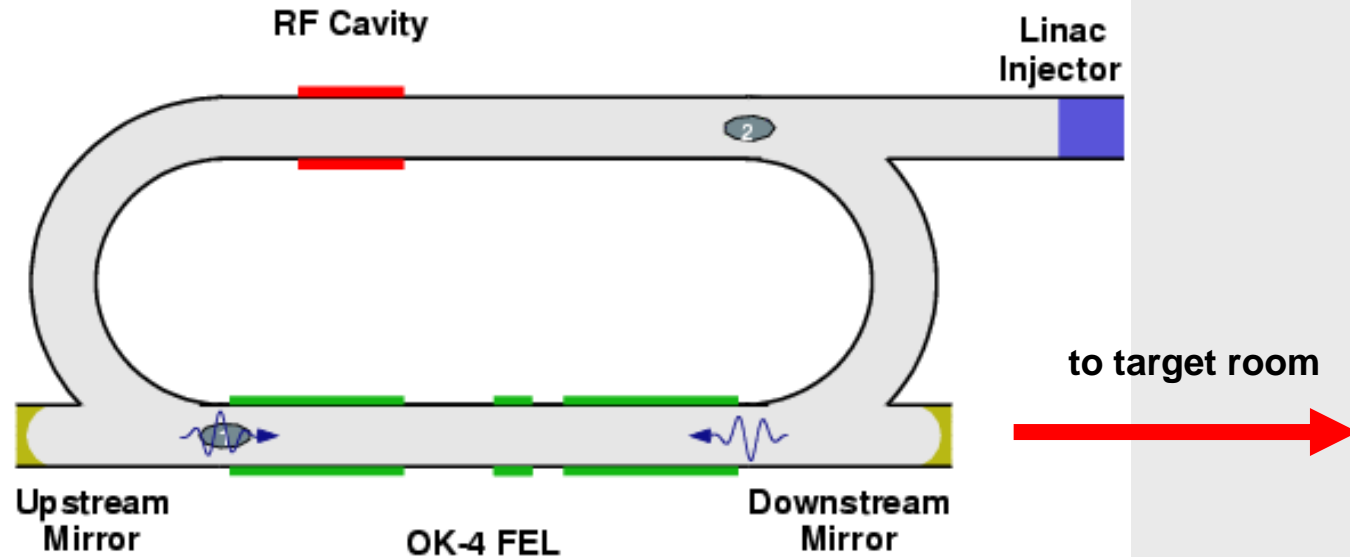
Storage Ring and Booster

Circularly and linearly polarized γ rays, nearly **monoenergetic** ($E_{\gamma} = 2\text{--}90$ MeV)
Utilizes Compton backscattering to generate γ rays



HIGS Photon Beam

Two Bunch Mode



HIGS Photon Beam

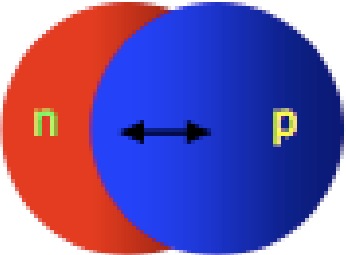
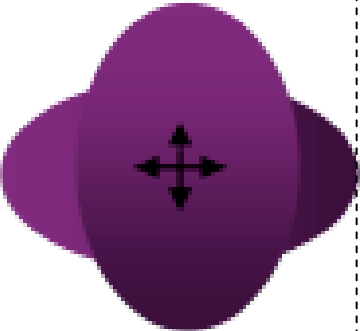
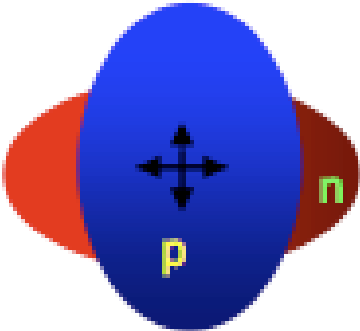
- ❑ monoenergetic photons up to ~ 90 MeV
 - energy will reach ~ 160 MeV by 2015
- ❑ 100% linear or circular polarization
- ❑ high photon beam intensity
 - $\sim 10^7$ Hz at 20-60 MeV
 - $\sim 10^8$ Hz below 15 MeV
- ❑ low beam-related background
 - no bremsstrahlung typical of tagged photons

Polarized Compton Scattering for IVGQR Systematics

Giant Resonances

- collective nuclear excitations
- GDR and ISGQR well known
- **IVGQR poorly known**
- photon as **isovector** probe

- **use pol. photons for IVGQR**
- map systematics vs. A
- nuclear symmetry energy
 - ✓ neutron star eqn. of state

	$\Delta T = 0$	$\Delta T = 1$
$L = 1$		
$L = 2$		

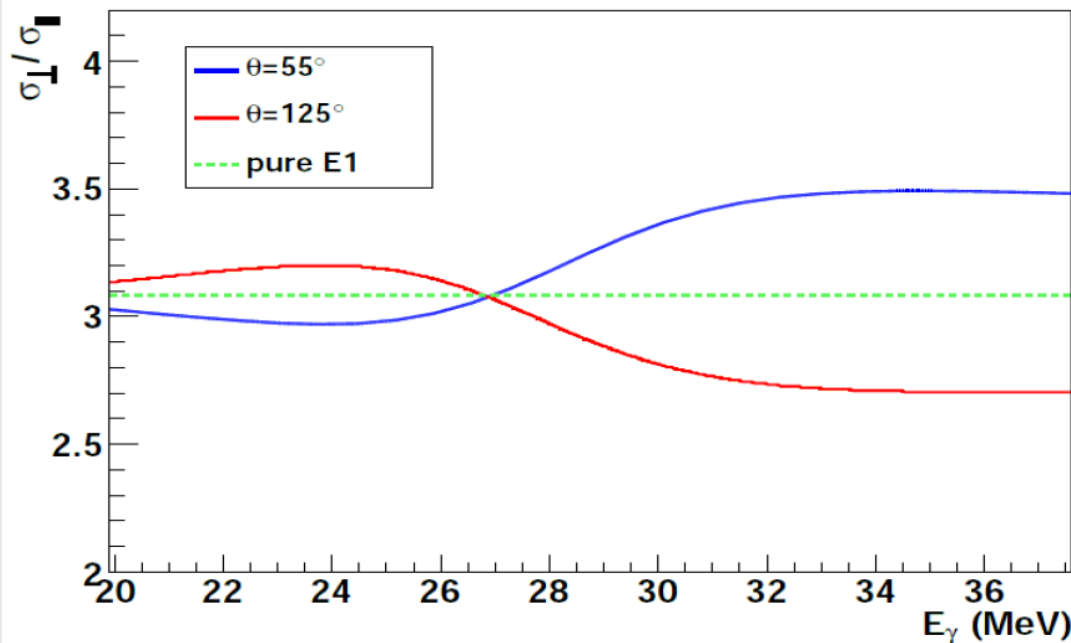
- ratio of H/V scattered photons is sensitive to E1/E2 interference
- sign difference in interference term at forward/backward angles

Photon Asymmetry in IVGQR

$$\frac{\sigma_{\parallel}}{\sigma_{\perp}} = \cos^2 \theta + \underbrace{\frac{2|C^{E2}|}{|C^{E1}|} \cos(\phi_{E2} - \phi_{E1}) \left[\cos^3 \theta - \cos \theta \right]}_{\text{E1/E2 interference}}$$

pure E1

E1/E2 interference



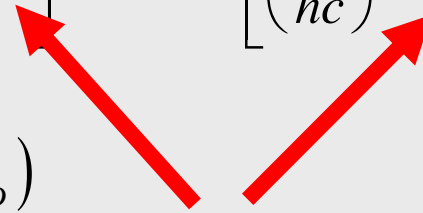
$$\cos(\phi_{E2} - \phi_{E1}) \begin{cases} < 0, E < E_{res} \\ > 0, E > E_{res} \end{cases}$$

θ	$\cos^2 \theta$	$\cos^3 \theta - \cos \theta$
125°	0.33	0.38
55°	0.33	-0.38

Phenomenological Formalism

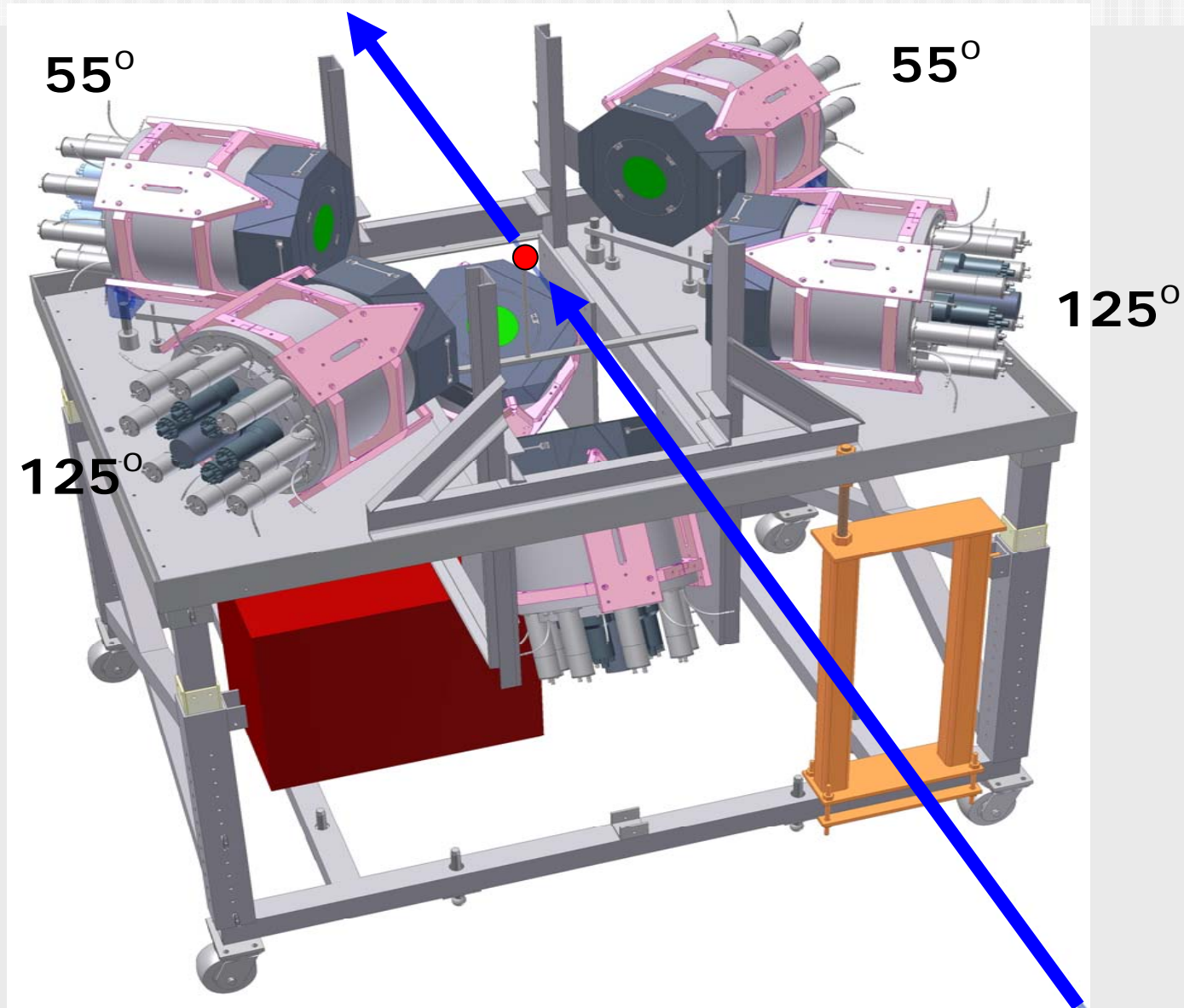
$$R(E, \theta) = R^{GR}(E, \theta) + R^{QD}(E, \theta) + R_1^{SG}(E, \theta) + R_2^{SG}(E, \theta)$$

$$\left\{ \begin{array}{l} R^{GR}(E, \theta) = f_{E1}(E)g_{E1}(\theta) + f_{E2}(E)g_{E2}(\theta) + \frac{NZ}{A}r_0[1 + \kappa_{GR}]g_{E1}(\theta) \\ R^{QD}(E, \theta) = \left[f_{QD}(E) + \frac{NZ}{A}r_0\kappa_{QD} \right] F_2(q)g_{E1}(\theta) \end{array} \right.$$

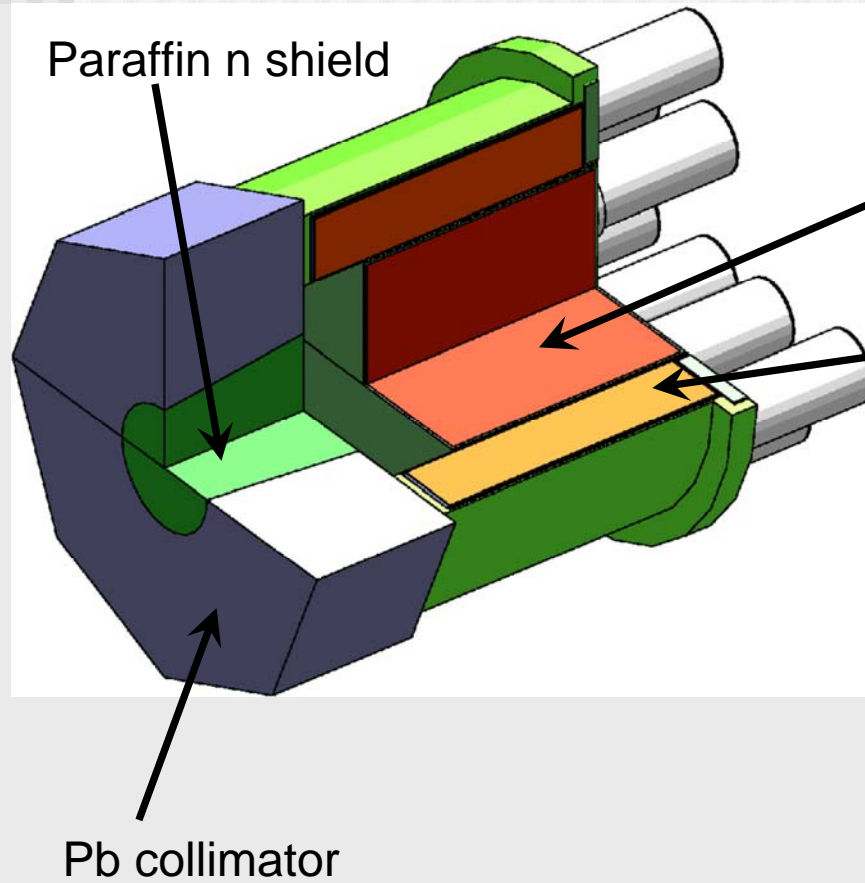
$$\left\{ \begin{array}{l} R_1^{SG}(E, \theta) = -F_1(q) \left\{ \left[Zr_0 - \left(\frac{E}{\hbar c} \right)^2 A\bar{\alpha} \right] g_{E1}(\theta) - \left[\left(\frac{E}{\hbar c} \right)^2 A\bar{\beta} \right] g_{M1}(\theta) + O(E^4) \right\} \\ R_2^{SG}(E, \theta) = -F_2(q) \frac{NZ}{A} r_0 (\kappa_{GR} + \kappa_{QD}) \end{array} \right.$$


HINDA Array

HI GS NaI Detector Array



Nal Detectors

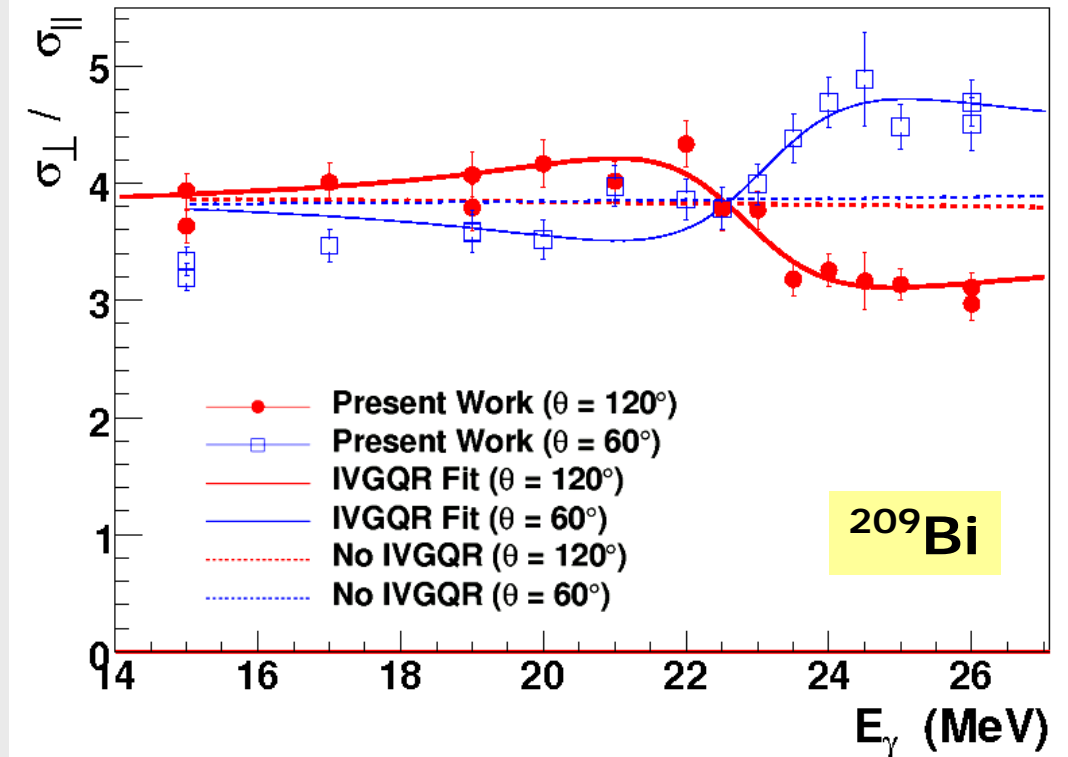
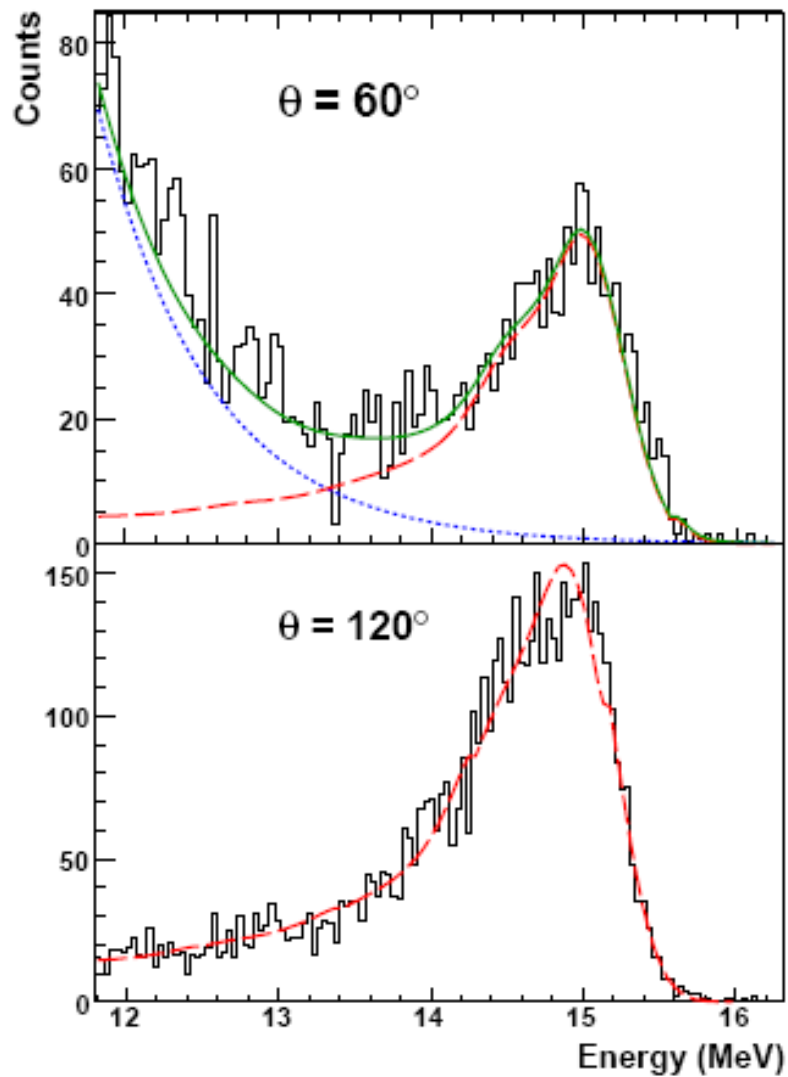


10" × 10" NaI
core detector

3" thick optically isolated NaI
shield segments (8 in total)



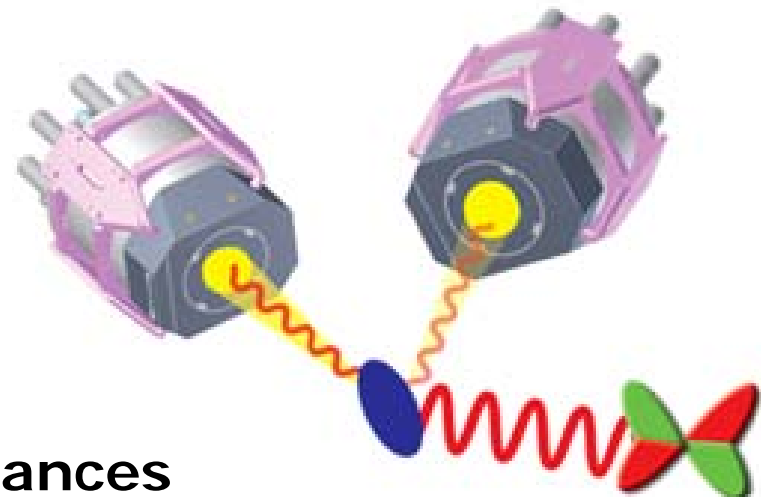
Results for ^{209}Bi



E_{res} (MeV)	Width (MeV)	Strength (IVQEWSRs)
$23.0 \pm 0.13(\text{stat})$ $\pm 0.18(\text{sys})$	$3.9 \pm 0.7(\text{stat})$ $\pm 0.6(\text{sys})$	$0.56 \pm 0.04(\text{stat})$ $\pm 0.05(\text{sys})$

New Method for Precise Determination of the Isovector Giant Quadrupole Resonances in NucleiS. S. Henshaw,¹ M. W. Ahmed,^{1,2} G. Feldman,³ A. M. Nathan,⁴ and H. R. Weller¹¹*Department of Physics and Triangle Universities Nuclear Laboratory, Duke University,
TUNL Box 90308, Durham, North Carolina 27708-0308, USA*²*Department of Physics, North Carolina Central University, Durham, North Carolina 27707, USA*³*Department of Physics, George Washington University, Washington, D.C. 20052, USA*⁴*Department of Physics, University of Illinois, Urbana-Champaign, Illinois 61801, USA*

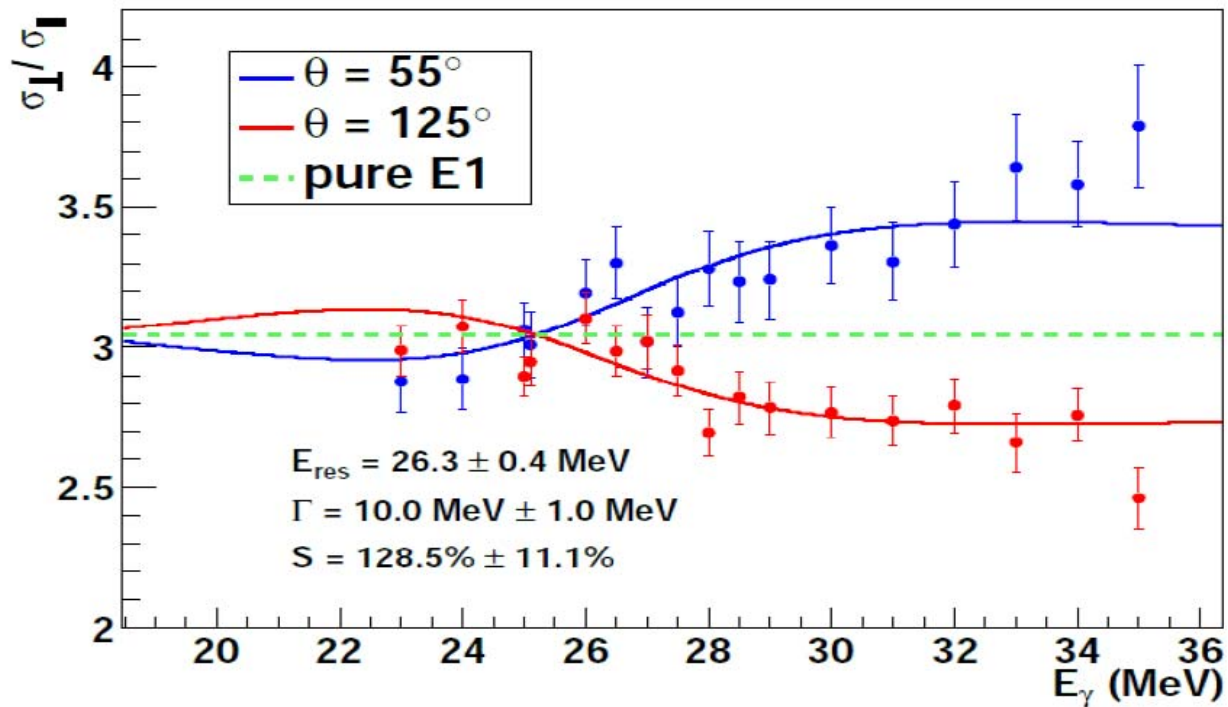
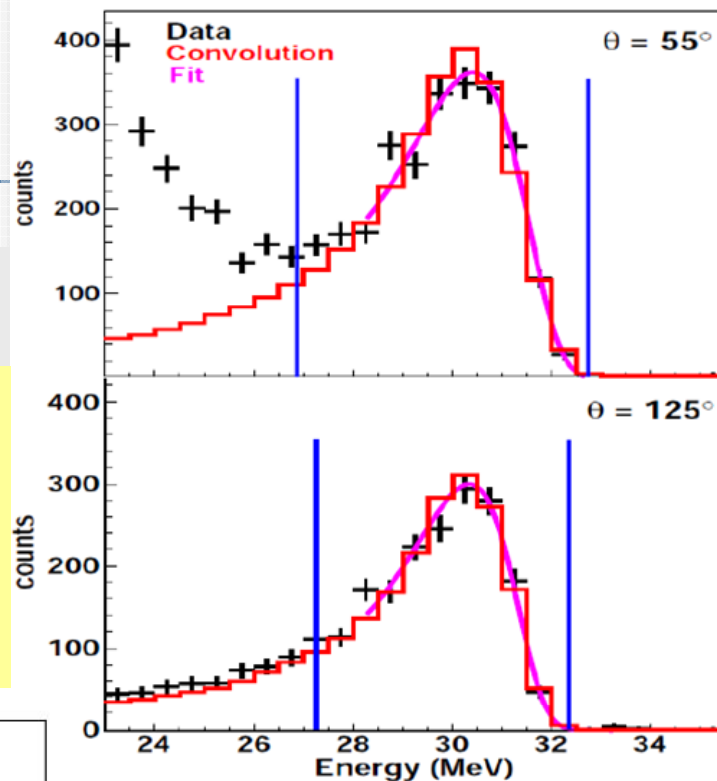
(Received 29 July 2011; published 23 November 2011)

**Synopsis: Ringing Nuclear Resonances**

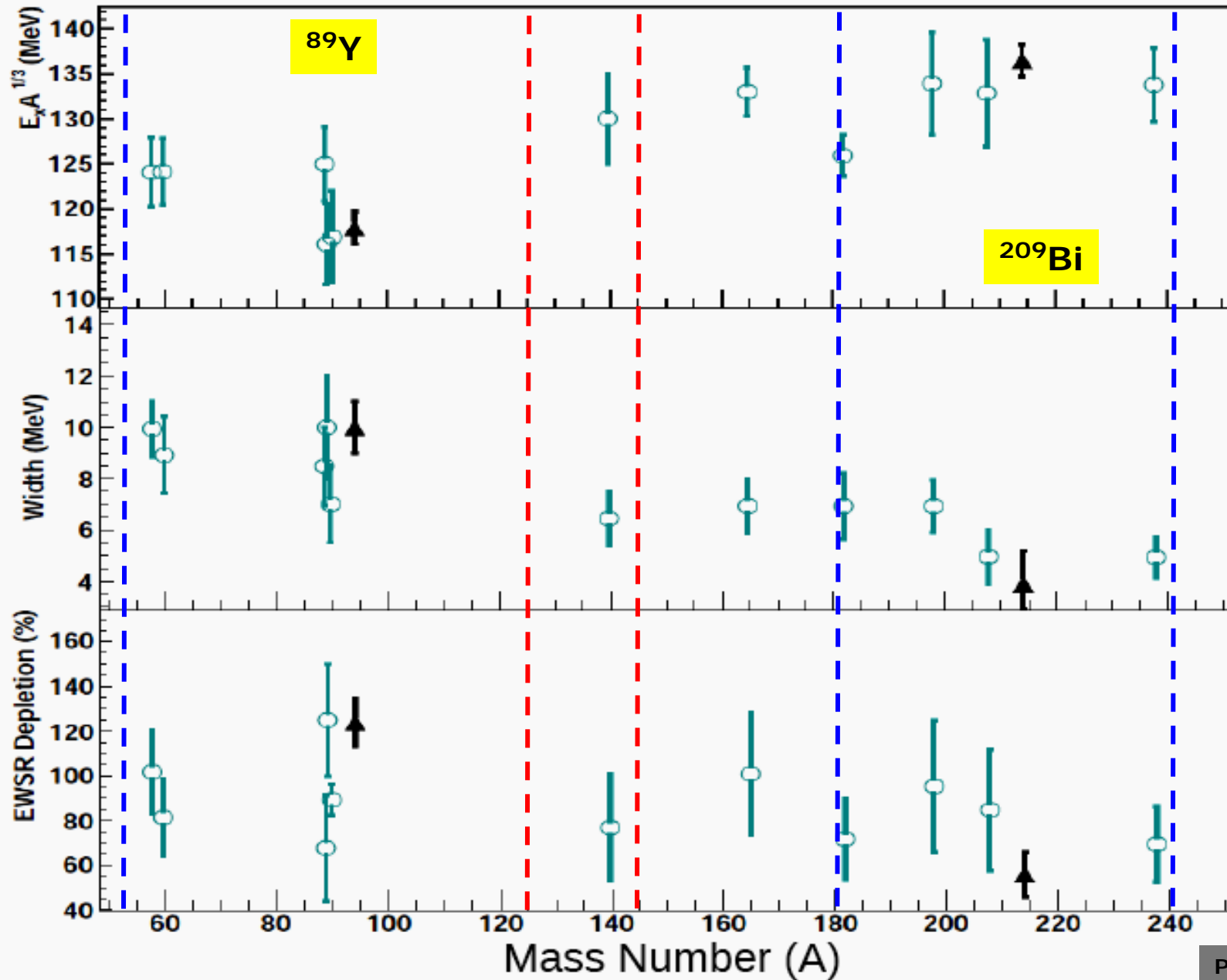
Courtesy Seth Henshaw, Duke University

Results for ^{89}Y

- extend measurements to ^{89}Y
- measure ^{124}Sn early next year
- lease ^{142}Nd target from ORNL for \$15k
- other tgts include $A = 51, 181, 238$



IVGQR Systematics

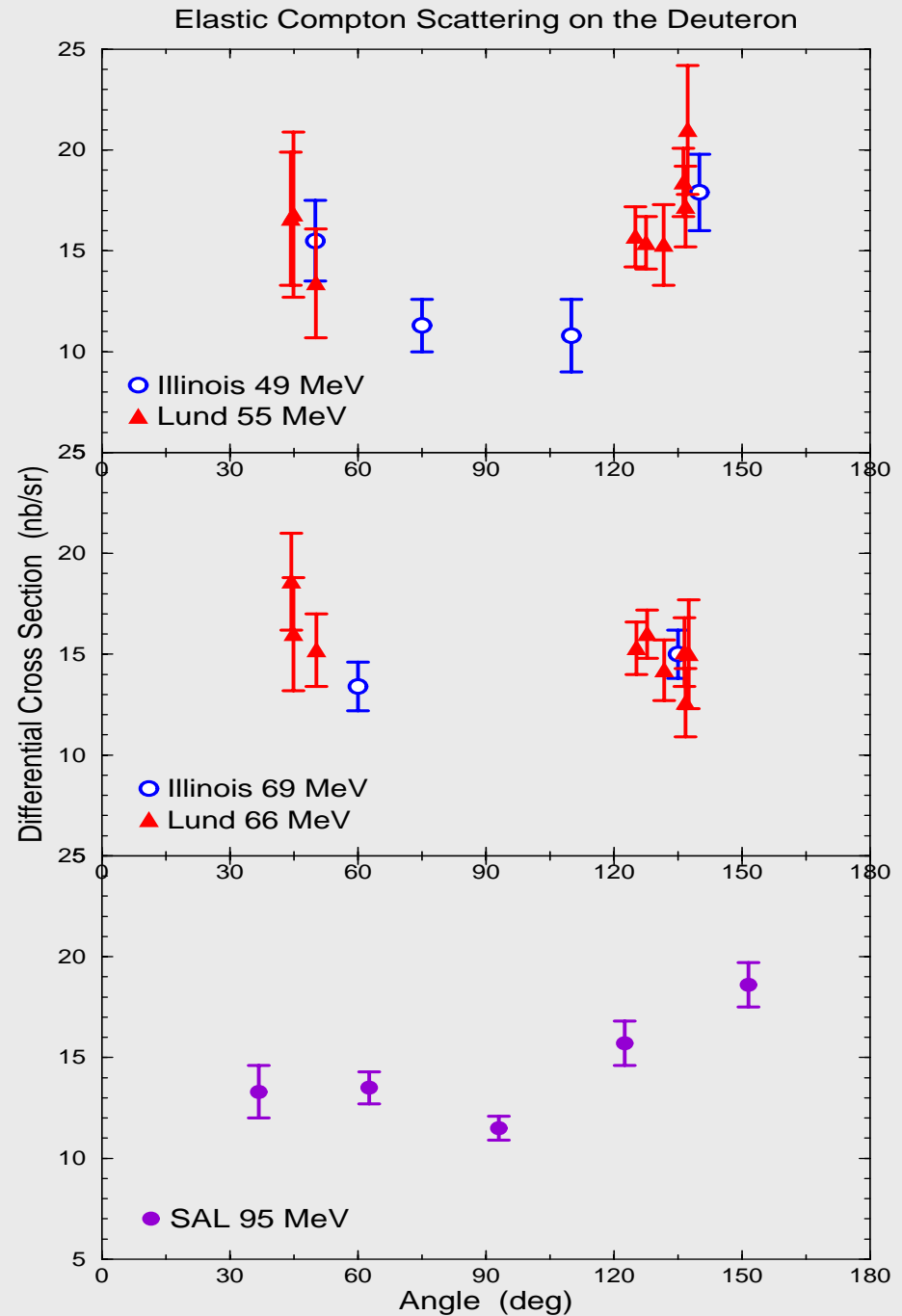


Compton Scattering on ${}^6\text{Li}$

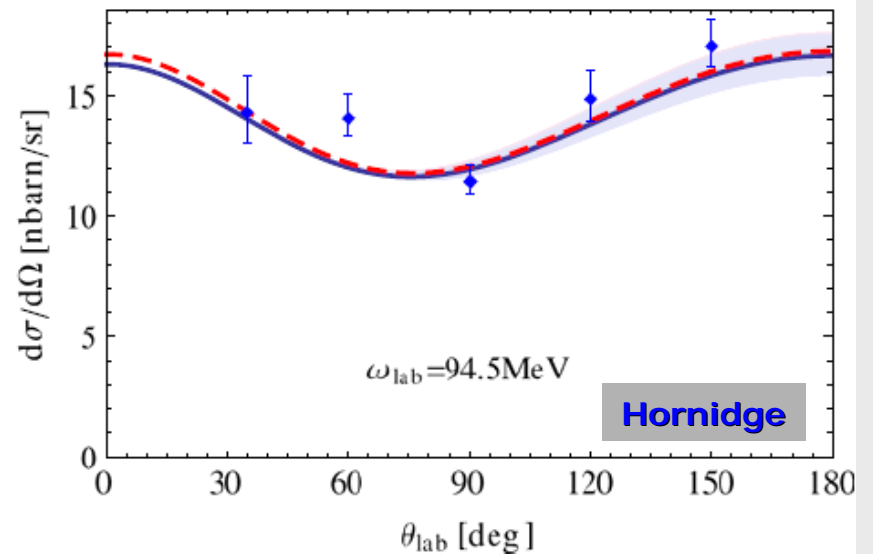
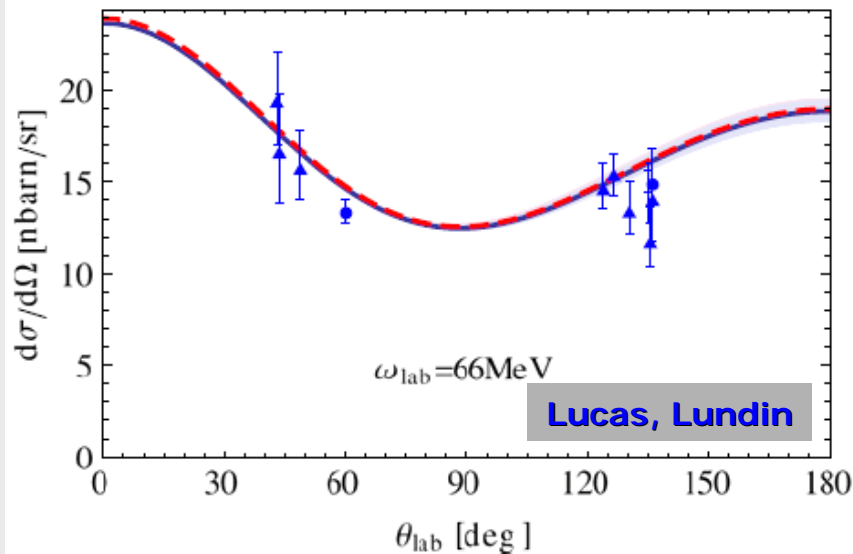
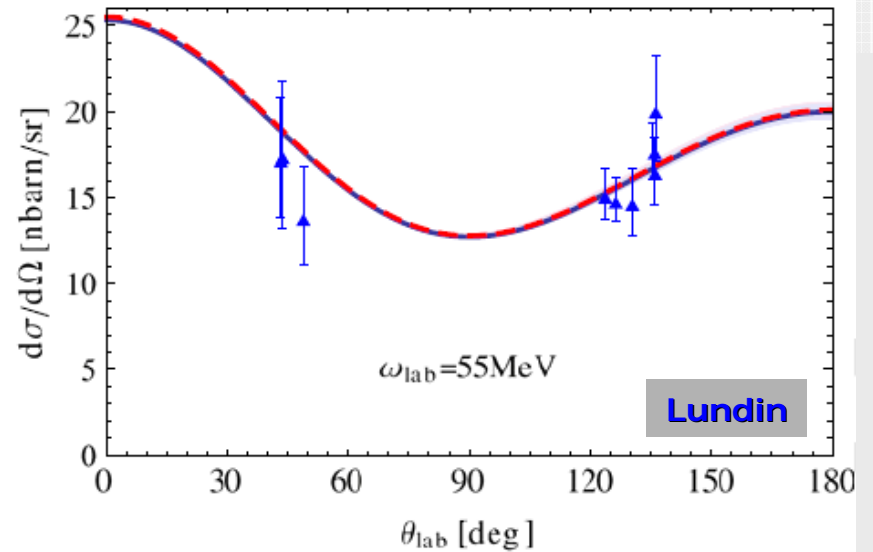
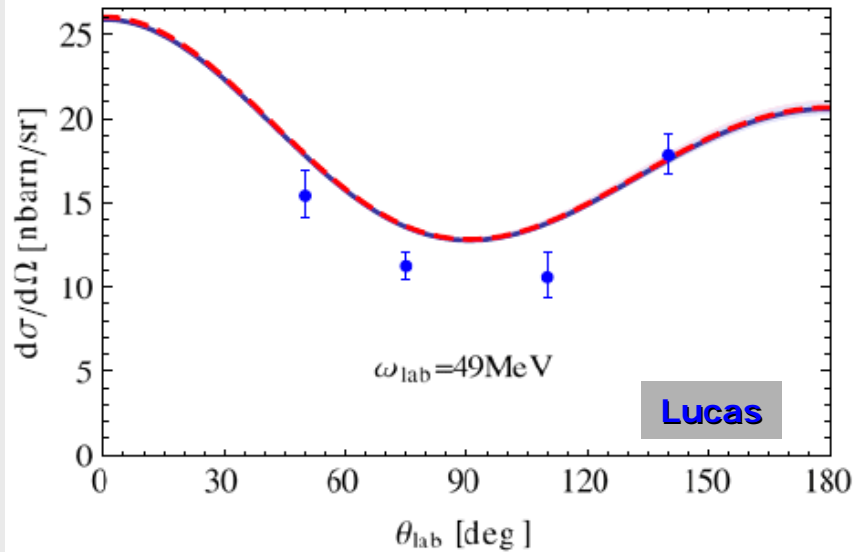
World Data Set

$$D(\gamma, \gamma)D$$

- **Lucas – Illinois (1994)**
 $E_\gamma = 49, 69 \text{ MeV}$
- **Hornidge – SAL (2000)**
 $E_\gamma = 85-105 \text{ MeV}$
- **Lundin – Lund (2003)**
 $E_\gamma = 55, 66 \text{ MeV}$
- **Myers and Shonyozov (coming 2012)**
Illinois, GW, UK, Lund
 $E_\gamma = 58-115 \text{ MeV}$



EFT Fits to Deuteron Data



Summary of Neutron Results

□ Neutron scattering

- Schmiedmayer (91)

$$\alpha_n = 12.6 \pm 1.5(\text{stat}) \pm 2.0(\text{syst})$$

□ Quasi-free Compton scattering

- Kossert (03)

$$\alpha_n = 12.5 \pm 1.8(\text{stat}) \begin{matrix} +1.1 \\ -0.6 \end{matrix} (\text{syst}) \pm 1.1(\text{model})$$

$$\beta_n = 2.7 \mp 1.8(\text{stat}) \begin{matrix} +0.6 \\ -1.1 \end{matrix} (\text{syst}) \mp 1.1(\text{model})$$

□ Elastic Compton scattering

- data from Lucas (94), Hornidge (00), Lundin (03)

$$\alpha_n = 11.1 \pm 1.8 (\text{stat}) \pm 0.4 (\text{Baldin}) \pm 0.8 (\text{theory})$$

$$\beta_n = 4.1 \mp 1.8 (\text{stat}) \pm 0.4 (\text{Baldin}) \pm 0.8 (\text{theory})$$

$$\alpha_n = 11.6 \pm 1.5 (\text{stat}) \pm 0.6 (\text{Baldin})$$

$$\beta_n = 3.6 \mp 1.5 (\text{stat}) \pm 0.6 (\text{Baldin})$$

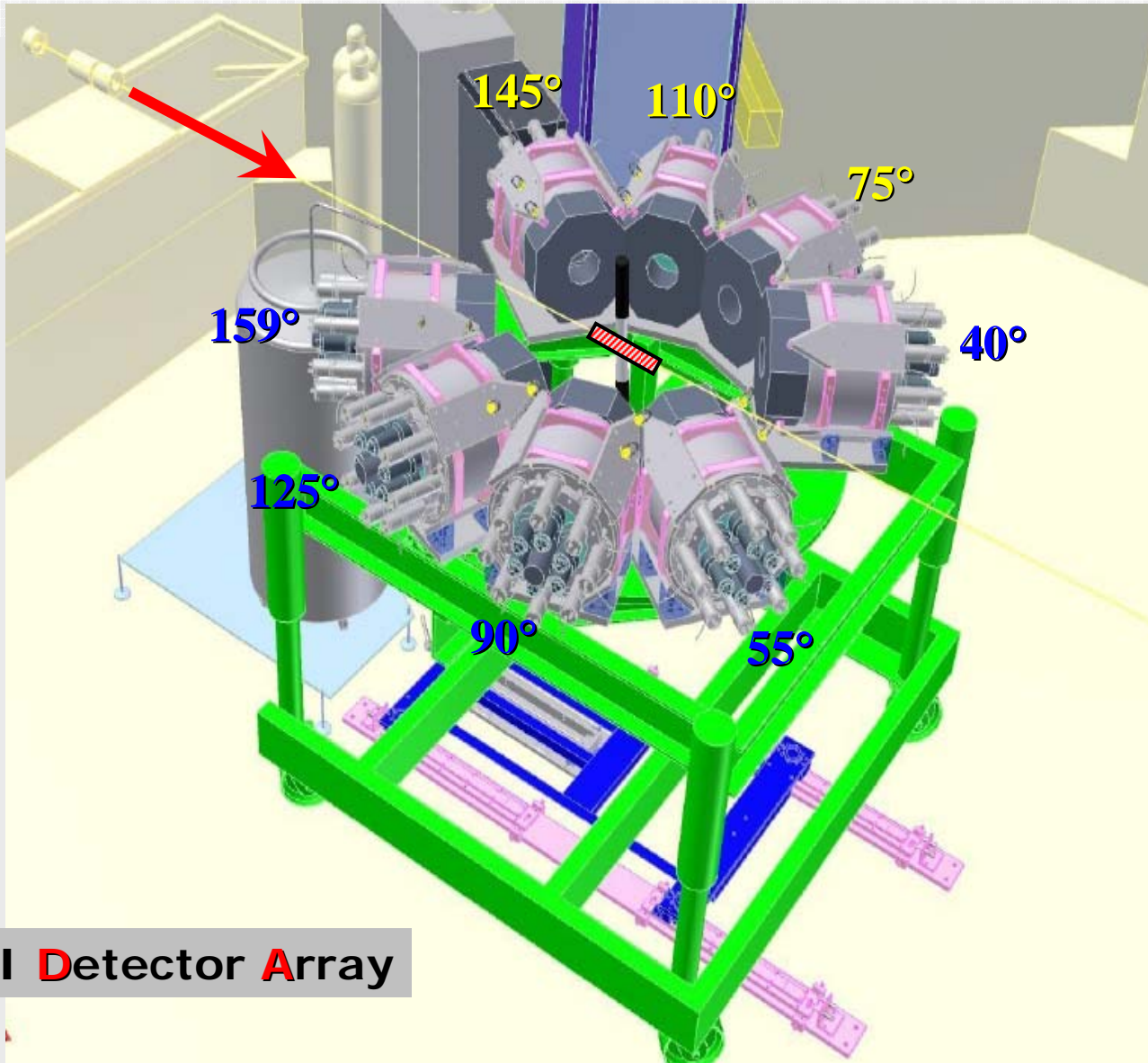
Nucleus	Energy (MeV)	Angles	Reference
D	49, 69	50°-140°	Lucas 1994
D	85-105	35°-150°	Hornidge 2000
D	55, 66	45°, 135°	Lundin 2003
D	60-115	60°, 90°, 120°, 150°	Myers, Shonyozov 2012
⁴ He	23-70	45°, 135°	Wells 1990
⁴ He	61	45°-150°	Proff 1999
¹² C	19-52	45°, 90°, 135°	Wright 1985
¹² C	58, 75	45°-135°	Hager 1995
¹² C	85-105	35°-150°	Warkentin 2001
¹⁶ O	58, 75	45°-150°	Hager 1995
¹⁶ O	61	50°, 135°	Proff 1999
¹⁶ O	27-108	45°, 90°, 135°	Feldman 1996
⁴⁰ Ca	19-52	45°, 90°, 135°	Wright 1985
⁴⁰ Ca	58, 74	45°-150°	Proff 1999

Experiment on ${}^6\text{Li}$ at HIGS

- ❑ experiment motivation
 - exploit higher nuclear cross section to measure α and β
 - ✓ cross section scales as Z^2 , so factor of 9x higher than ${}^2\text{H}$
 - solid ${}^6\text{Li}$ target is simple
 - ✓ provided by Univ. of Saskatchewan
 - no previous Compton data on ${}^6\text{Li}$ exists (except Pugh 1957)

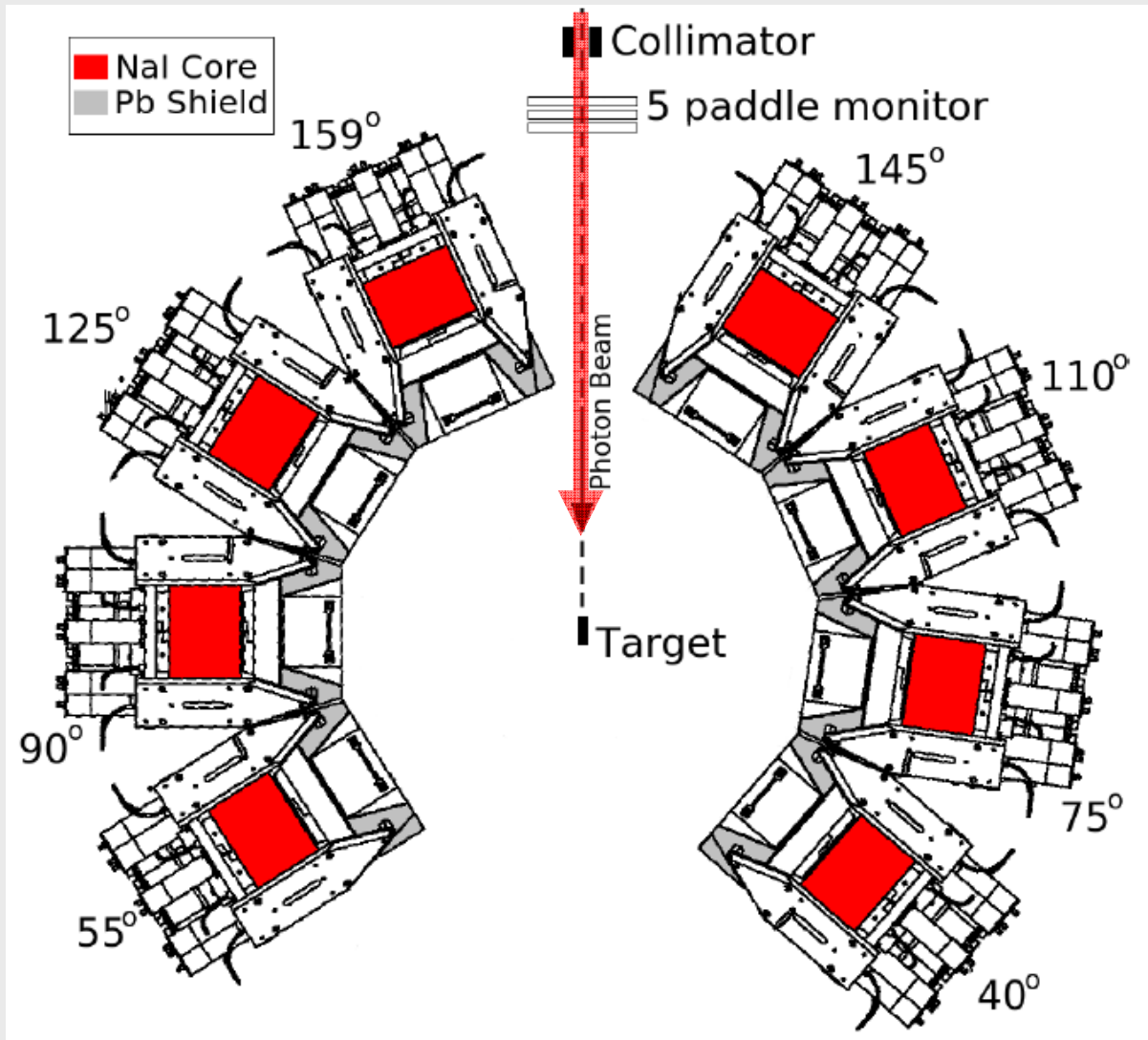
-
- ❑ energies: **$E_\gamma = 60, 80 \text{ MeV}$**
 - ❑ angles: **$\theta_\gamma = 40^\circ - 160^\circ$** ($\Delta\theta = 17^\circ$)
 - ❑ target: solid **12.7 cm long ${}^6\text{Li}$** cylinder (plus empty)
 - ❑ detectors: **eight 10"×12" NaI's** (HINDA array)
 - good photon energy resolution ($\Delta E_\gamma/E_\gamma < 5\%$)

HINDA Array

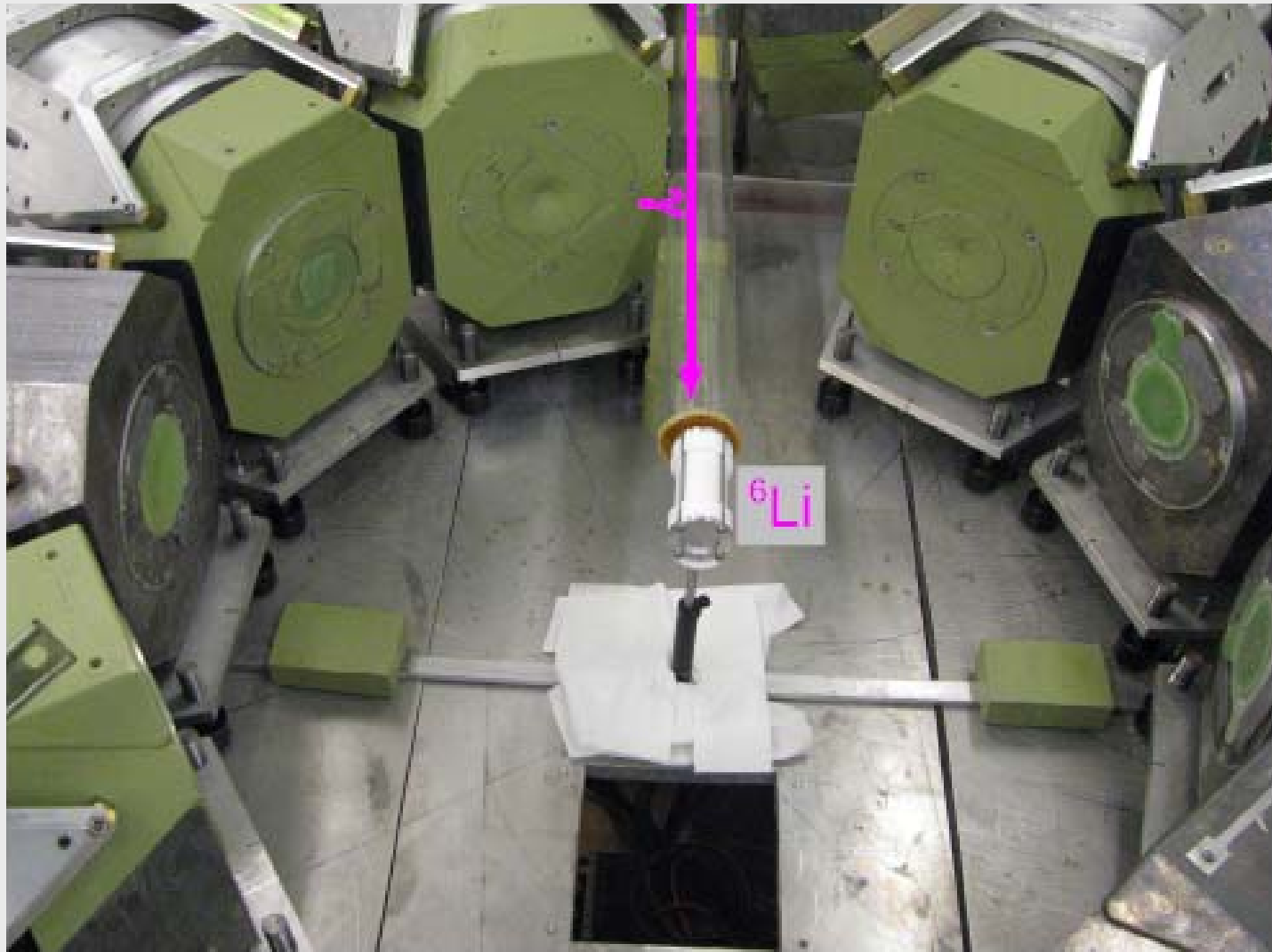


HIGS NaI Detector Array

HINDA Array



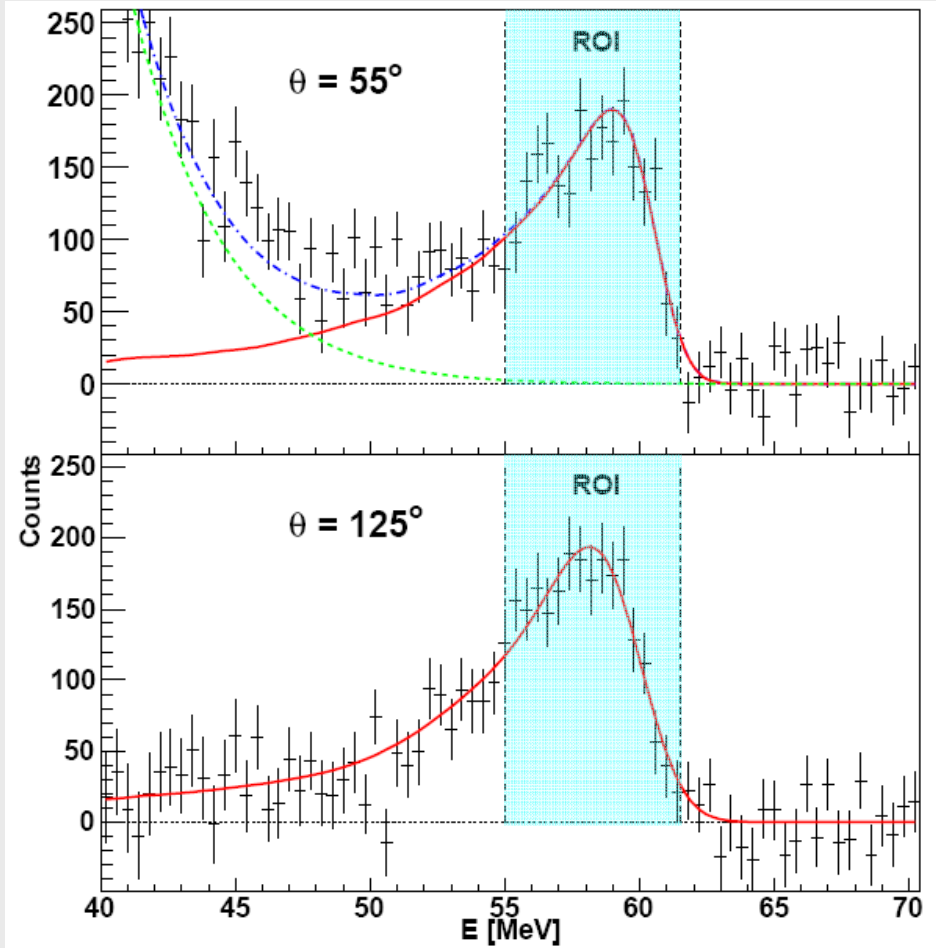
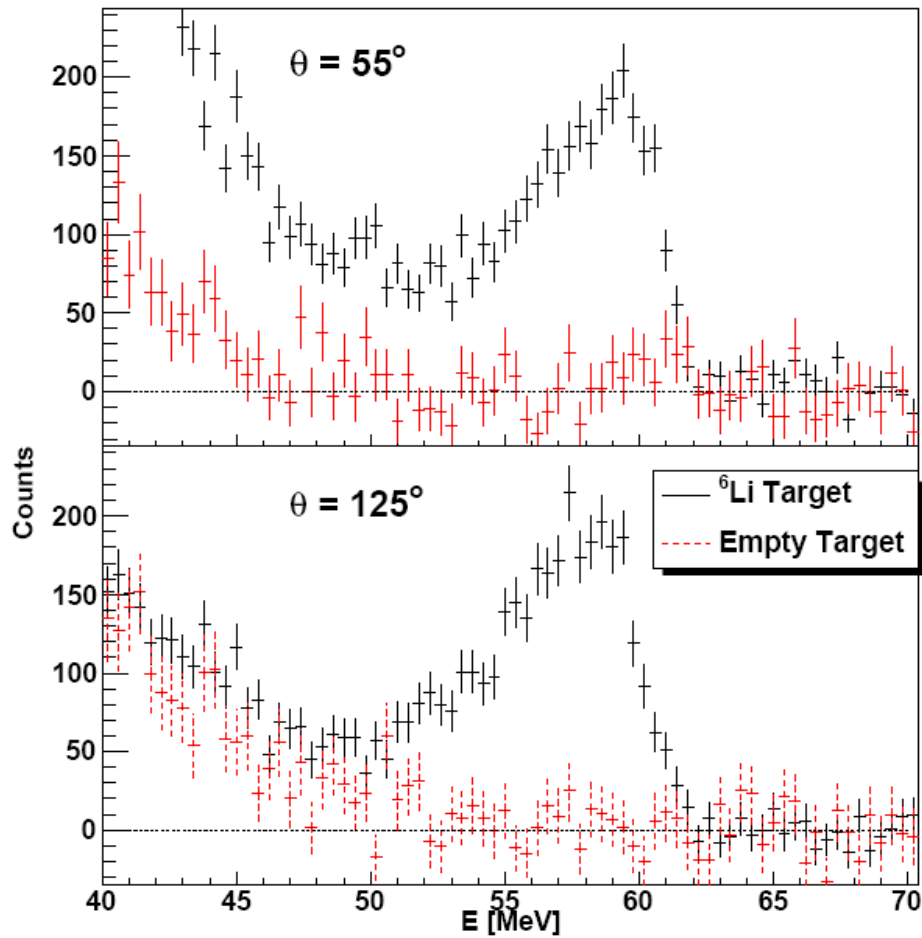
Experimental Setup



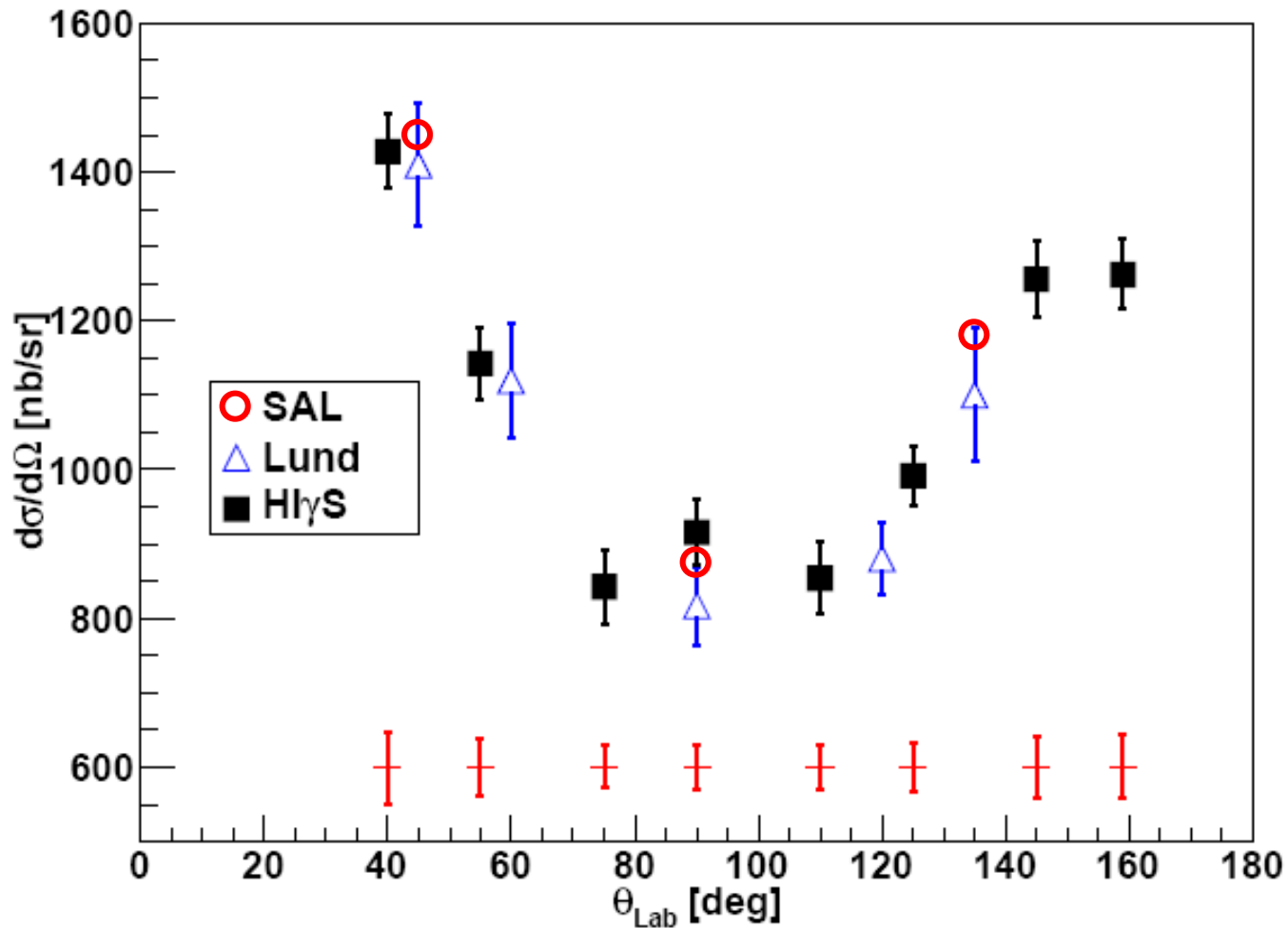
Sample Spectra

${}^6\text{Li}(\gamma,\gamma){}^6\text{Li}$

$E_\gamma = 60 \text{ MeV}$

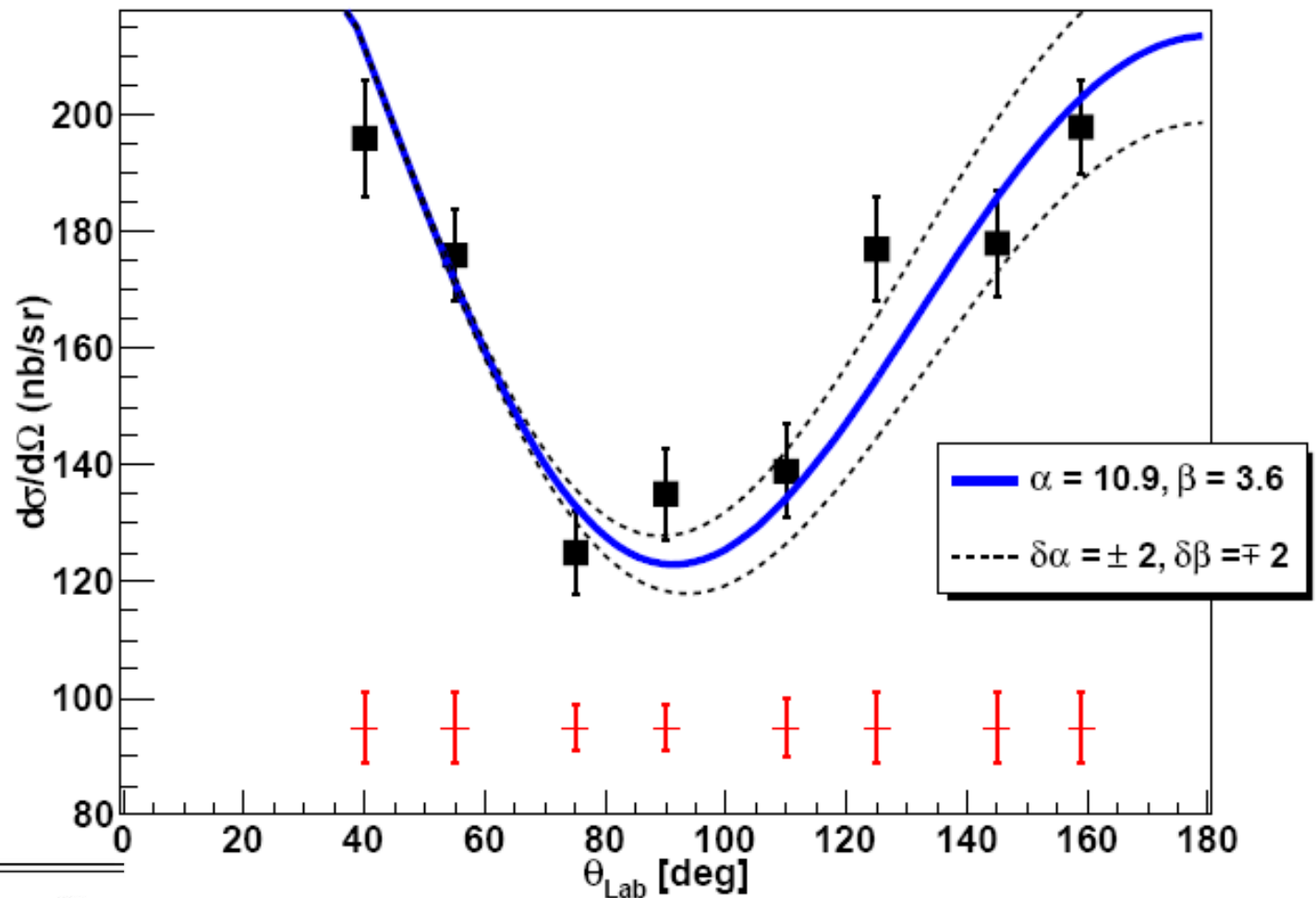


Cross Section for $^{16}\text{O}(\gamma,\gamma)^{16}\text{O}$



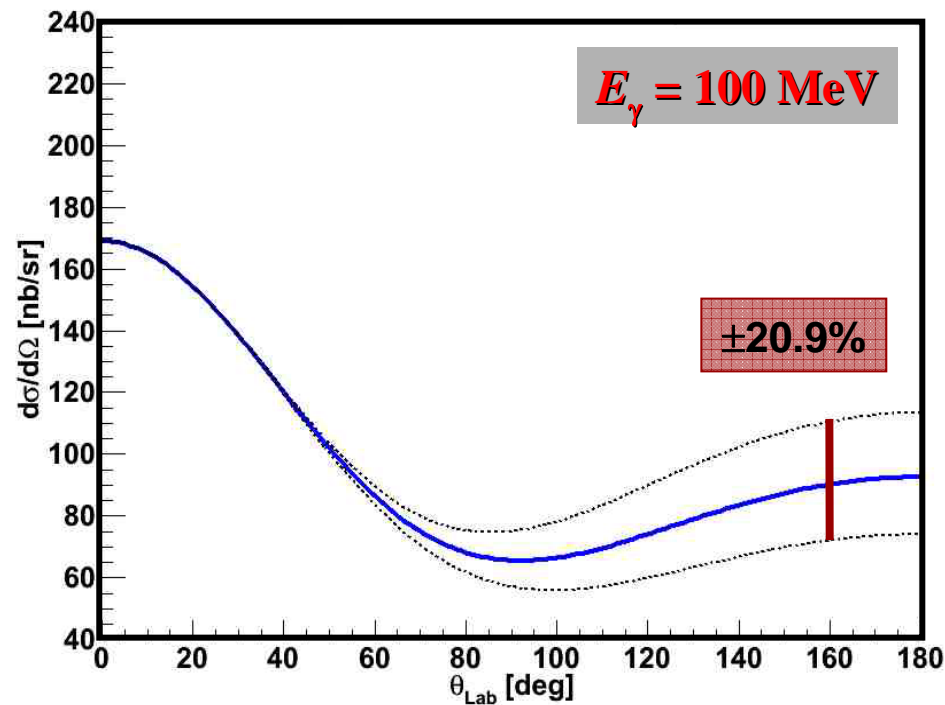
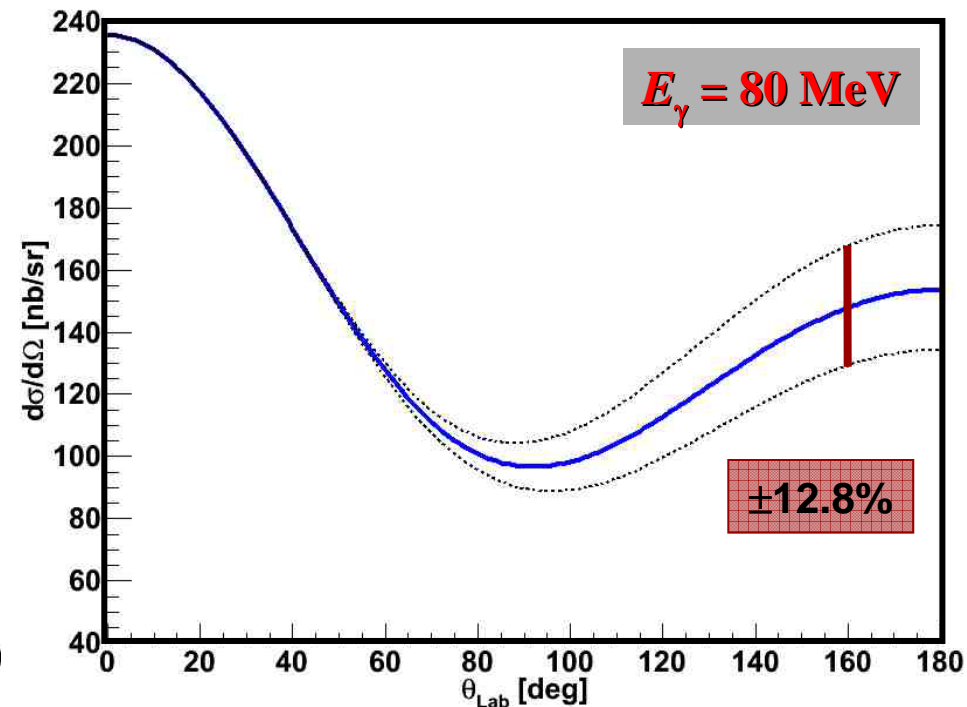
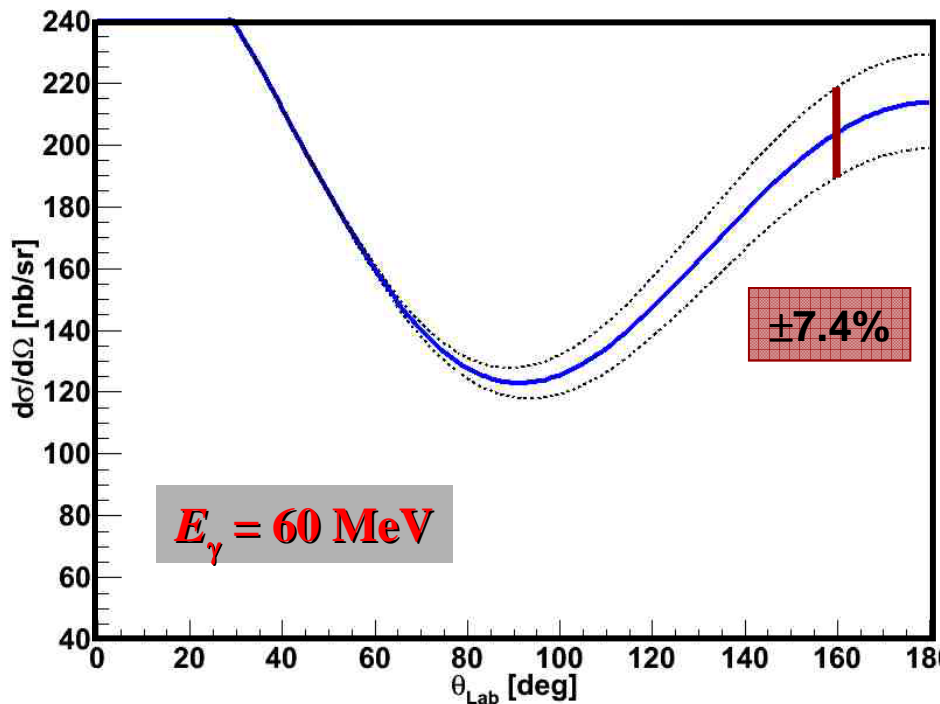
Cross Section for ${}^6\text{Li}(\gamma,\gamma){}^6\text{Li}$

L. Myers *et al.*
Phys. Rev. C86
(2012)



Resonance	E_{res} (MeV)	Γ_{res} (MeV)	σ_{res} (mb)
$E1$	25.0	6.0	7.2
$E2$	34.0	8.0	0.14
QD	40.0	100	1.1

sum rule: $\alpha + \beta = 14.5$



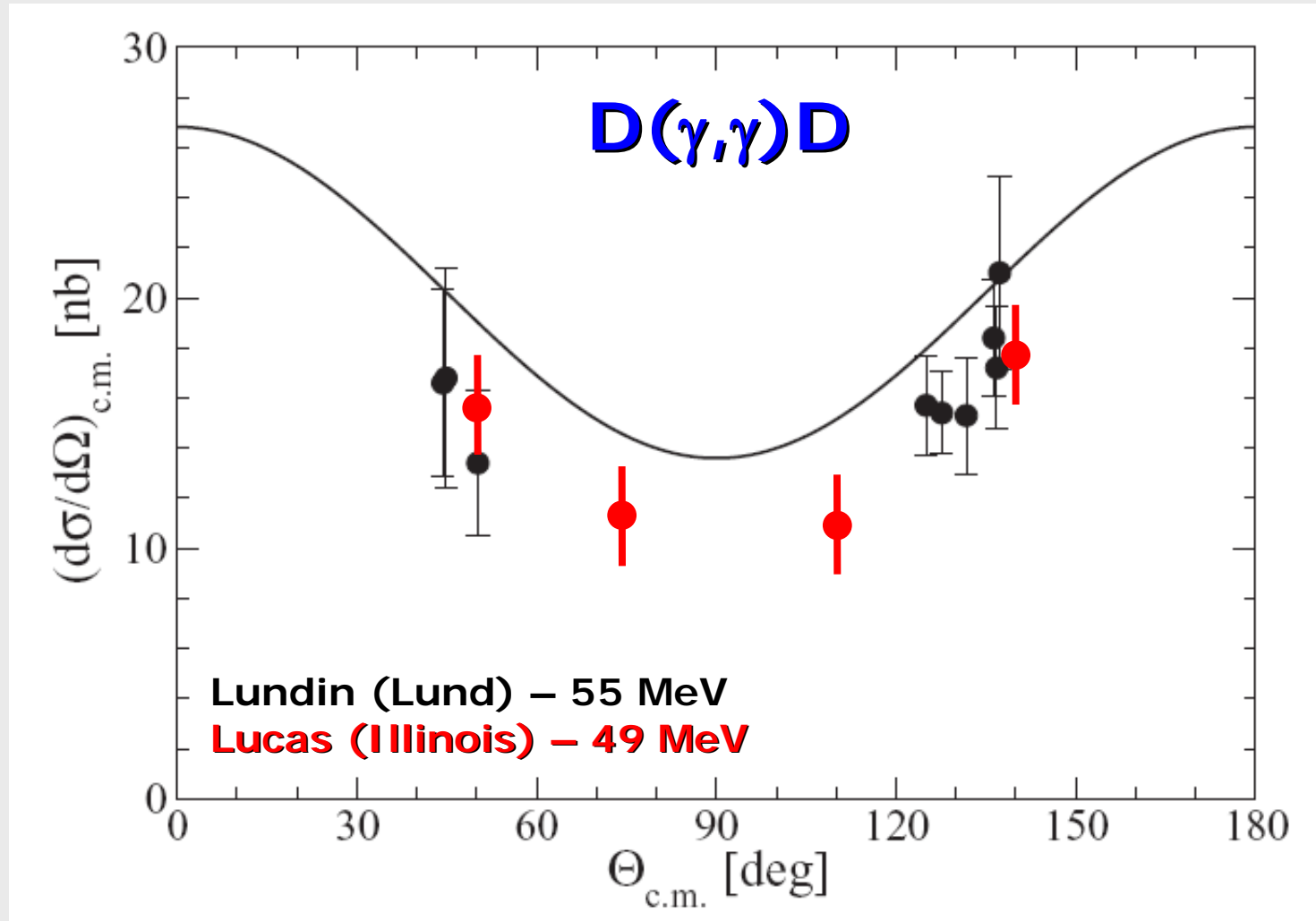
$$(\alpha, \beta) = (10.9, 3.6)$$

$$\Delta\alpha = \pm 2$$

$$\Delta\beta = \mp 2$$

$$\text{sum rule: } \alpha + \beta = 14.5$$

LIT Method for Compton Scattering

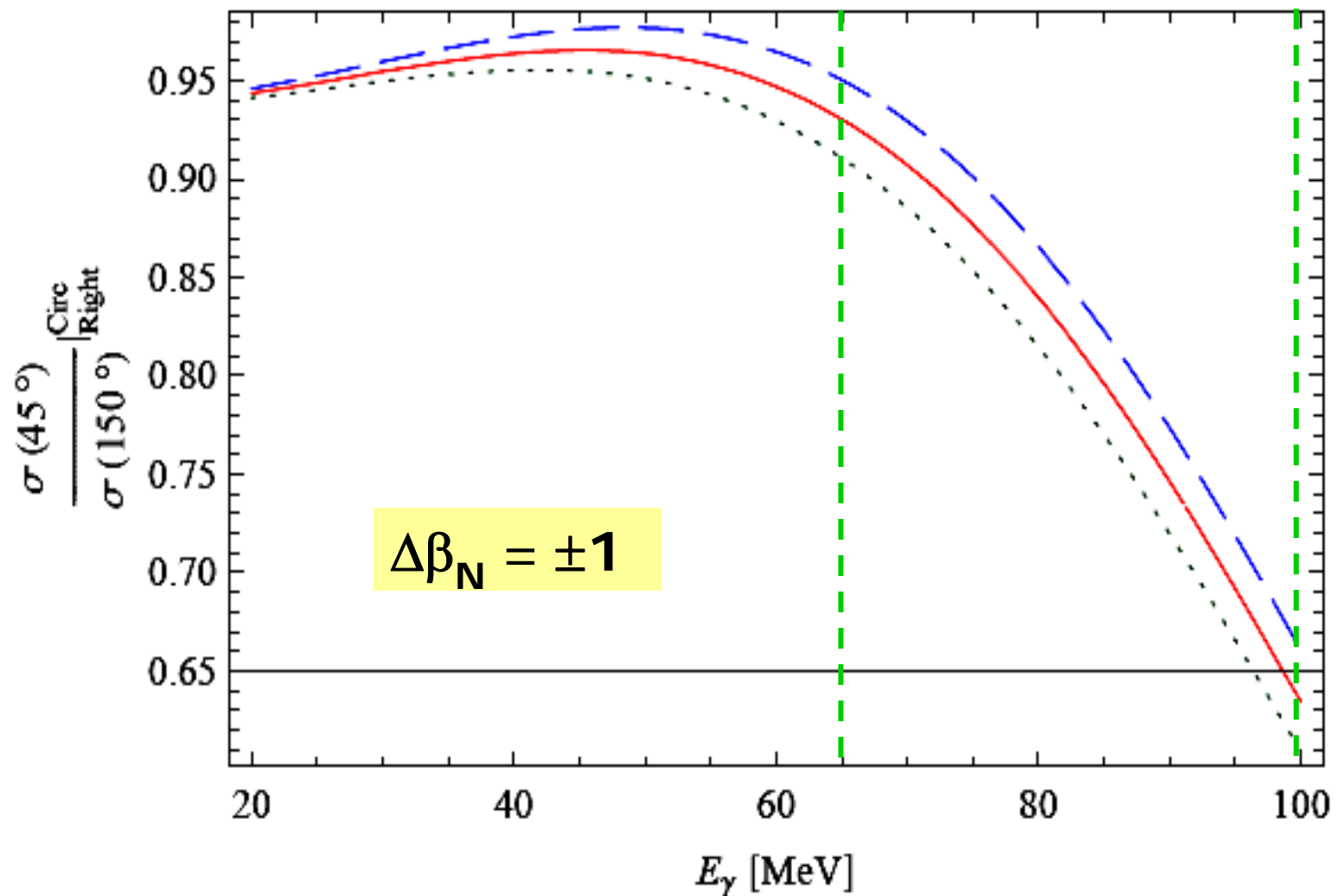


**Compton Scattering
on the
Proton and Deuteron**

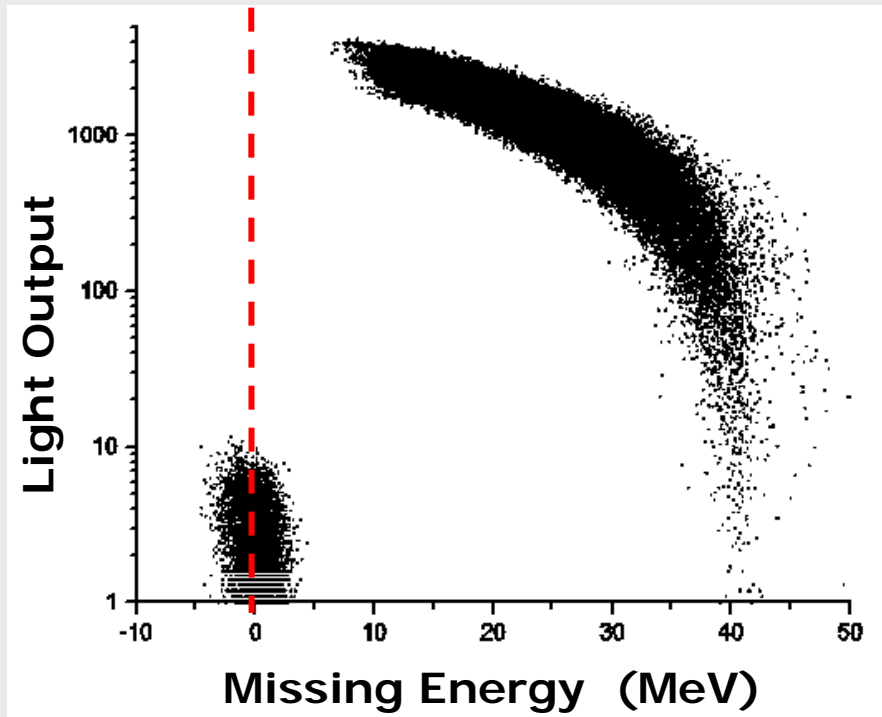
Cross-Section Ratios for Deuterium

- ❑ **proposal by Henry Weller**
- ❑ unpolarized photon beam and unpolarized deuterium tgt
 - scintillating active target (detect recoils in coincidence)
- ❑ scattering angles 45° , 80° , 115° , 150° ($E_\gamma = 65, 100$ MeV)
- ❑ requires 300 hrs (65 MeV) + 100 hrs (100 MeV)
- ❑ detectors: eight $10'' \times 12''$ NaI's
 - arranged symmetrically left/right

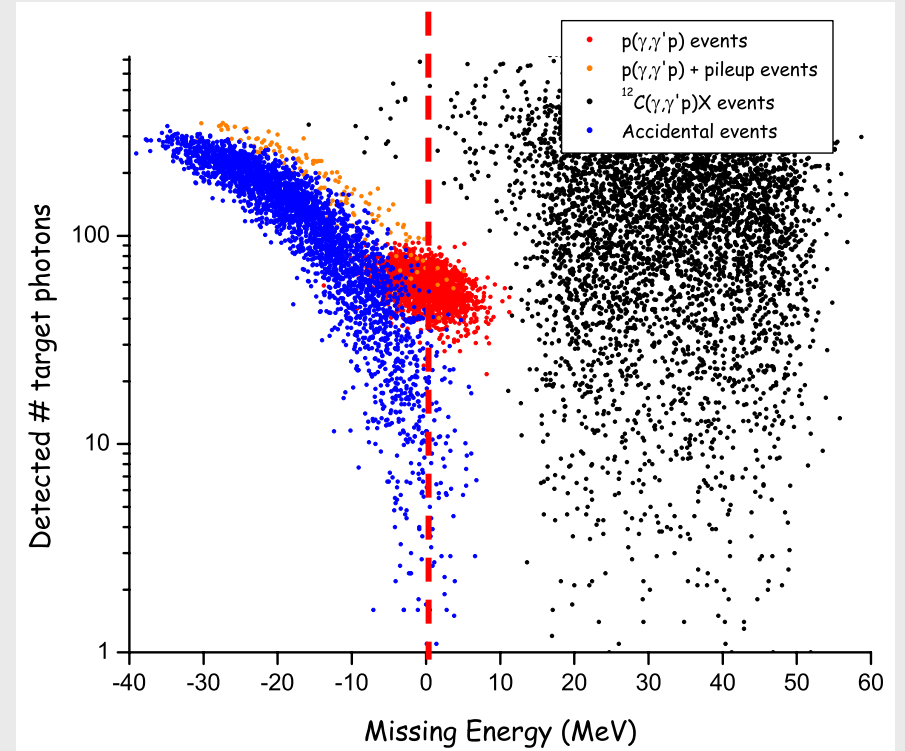
Cross-Section Ratios for Deuterium



Compton Scattering with scintillating target



deuteron



proton

simulations: R. Miskimen

Sum-Rule-Independent Measurement of α_p

- ❑ **proposal by Mohammad Ahmed**
- ❑ linearly polarized photon beam (unpolarized target)
 - scintillating active target (detect recoils in coincidence)
- ❑ measure scattered photons at 90° ($E_\gamma = 82$ MeV)
 - scattering cross section is independent of β_p
 - extraction of α_p is independent of the Baldin sum rule
 - extraction of α_p is model-independent
- ❑ requires 300 hrs for 5% uncertainty in α_p
- ❑ detectors: four 10"×12" NaI's (HINDA array)
 - located left, right, up, down

Sum-Rule-Independent Measurement of α_p

$$\left\{ \begin{array}{l} \frac{d\sigma_{\perp}}{d\Omega} = \frac{d\sigma_{\perp}}{d\Omega}(point) - \underbrace{\left[\frac{e^2}{Mc^2} \right] \left[\frac{\omega'}{\omega} \right]^2 \omega\omega' (2\bar{\alpha} - 2\bar{\beta} \cos \theta)}_{d\sigma_{\perp}^{dipole}} \\ \frac{d\sigma_{\parallel}}{d\Omega} = \frac{d\sigma_{\parallel}}{d\Omega}(point) - \underbrace{\left[\frac{e^2}{Mc^2} \right] \left[\frac{\omega'}{\omega} \right]^2 \omega\omega' (2\bar{\alpha} \cos^2 \theta + 2\bar{\beta} \cos \theta)}_{d\sigma_{\parallel}^{dipole}} \end{array} \right.$$

- The 90° parallel cross section is independent of $\bar{\alpha}$ and $\bar{\beta}$: $\frac{d\sigma_{\parallel}}{d\Omega}(90^\circ) = \left(\frac{d\sigma_{\parallel}}{d\Omega}(90^\circ) \right)_{point}$
- The cross section asymmetry $A(\omega, \theta) = \frac{d\sigma_{\perp} - d\sigma_{\parallel}}{d\sigma_{\perp} + d\sigma_{\parallel}}$

$$A(\omega, 90^\circ) = \frac{C_1(\omega) - C_2(\omega)\bar{\alpha}}{C_3(\omega) + C_2(\omega)\bar{\alpha}}$$

Nucleon Spin Polarizability

$$\begin{aligned} \mathcal{L}_{\text{pol}} = & 2\pi N^\dagger \left[\alpha_{E1}(\omega) \vec{E}^2 + \beta_{M1}(\omega) \vec{B}^2 + \right. \\ & + \gamma_{E1E1}(\omega) \vec{\sigma} \cdot (\vec{E} \times \dot{\vec{E}}) + \gamma_{M1M1}(\omega) \vec{\sigma} \cdot (\vec{B} \times \dot{\vec{B}}) \\ & \left. - 2\gamma_{M1E2}(\omega) \sigma_i B_j E_{ij} + 2\gamma_{E1M2}(\omega) \sigma_i E_j B_{ij} + \dots \right] N \end{aligned}$$

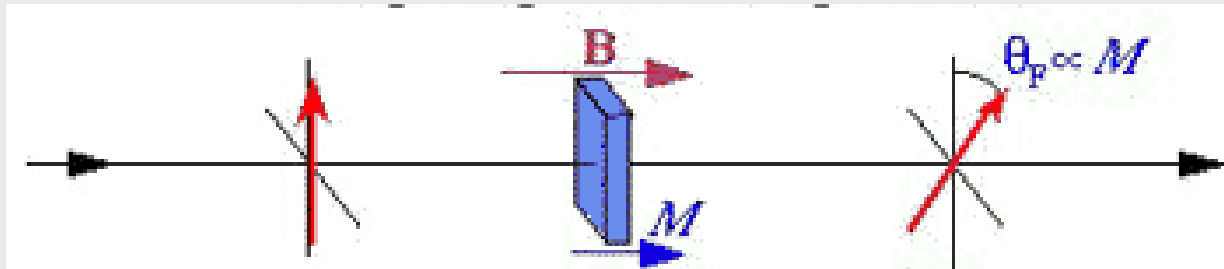
$$\gamma_0(\omega) = -\gamma_{E1E1}(\omega) - \gamma_{M1M1}(\omega) - \gamma_{E1M2}(\omega) - \gamma_{M1E2}(\omega)$$

$$\gamma_\pi(\omega) = -\gamma_{E1E1}(\omega) + \gamma_{M1M1}(\omega) - \gamma_{E1M2}(\omega) + \gamma_{M1E2}(\omega)$$

forward and backward spin polarizabilities

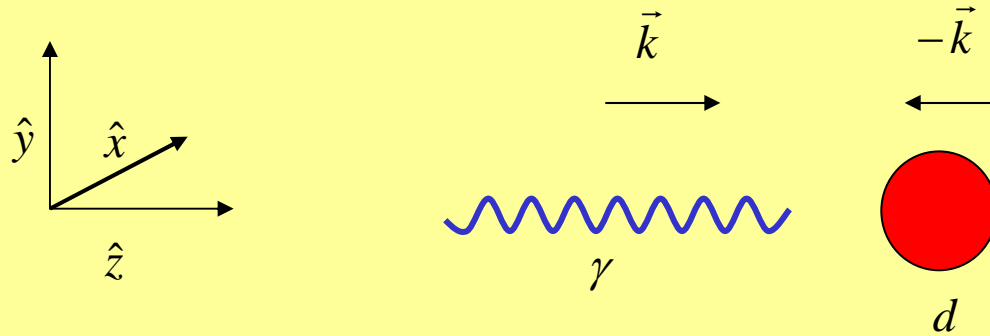
Nucleon Spin Polarizability

- classical analogy: Faraday rotation of linearly polarized light in a spin-polarized medium



- four spin polarizabilities: $\gamma_1, \dots, \gamma_4$
 - forward spin polarizability: $\gamma_0 = \gamma_1 - \gamma_2 - 2\gamma_4$
 - backward spin polarizability: $\gamma_\pi = \gamma_1 + \gamma_2 + 2\gamma_4$
- expt. asymmetries with circularly polarized photons
 - Σ_x : target spin \perp photon helicity (in reaction plane)
 - Σ_z : target spin parallel to photon helicity

Double Polarization Observables



<p>$h=+1$ RCP</p>	<p>\hat{z} $-\hat{z}$</p>
<p>$h=-1$ LCP</p>	<p>\hat{x} $-\hat{x}$</p>

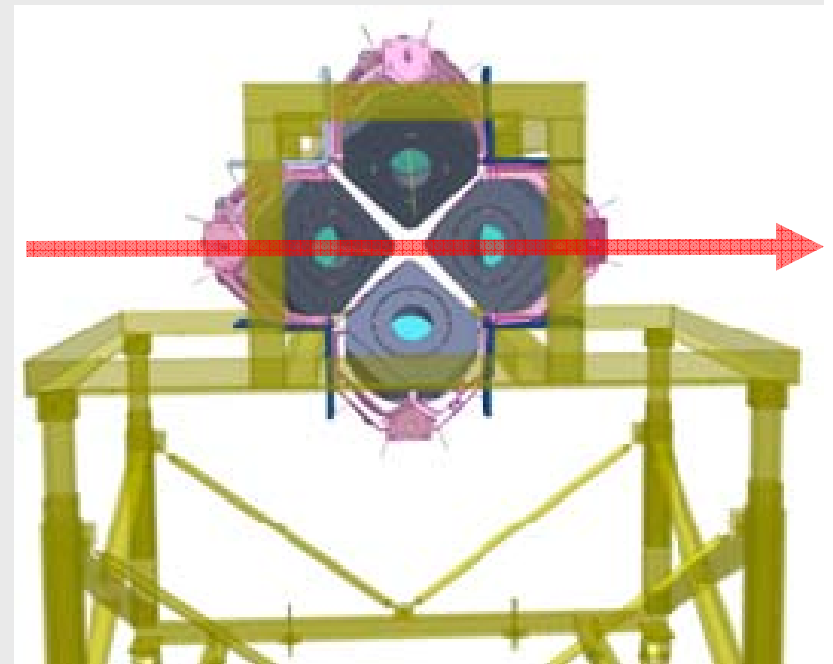
**circularly polarized beam
vector polarized target**

$$\left[\Sigma_z = \frac{\left(\frac{d\sigma}{d\Omega} \right)_{\uparrow\uparrow} - \left(\frac{d\sigma}{d\Omega} \right)_{\uparrow\downarrow}}{Sum} \right]_{h=\pm 1}$$

$$\left[\Sigma_x = \frac{\left(\frac{d\sigma}{d\Omega} \right)_{\uparrow\rightarrow} - \left(\frac{d\sigma}{d\Omega} \right)_{\uparrow\leftarrow}}{Sum} \right]_{h=\pm 1}$$

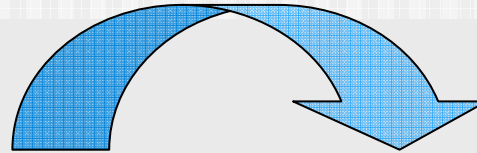
Spin Polarizabilities of the Proton

- ❑ **proposal by Rory Miskimen**
- ❑ first measurement of proton γ_{E1E1}
- ❑ circularly polarized photon beam
 - scintillating active **transverse** polarized target (P ~ 80%)
- ❑ scattering angles $65^\circ, 90^\circ, 115^\circ$ ($E_\gamma = 100$ MeV)
- ❑ requires 800 hrs for $\Delta\gamma_{E1E1} = \pm 1$
- ❑ detectors: eight 10"×12" NaI's
 - 4 in plane, 4 out of plane

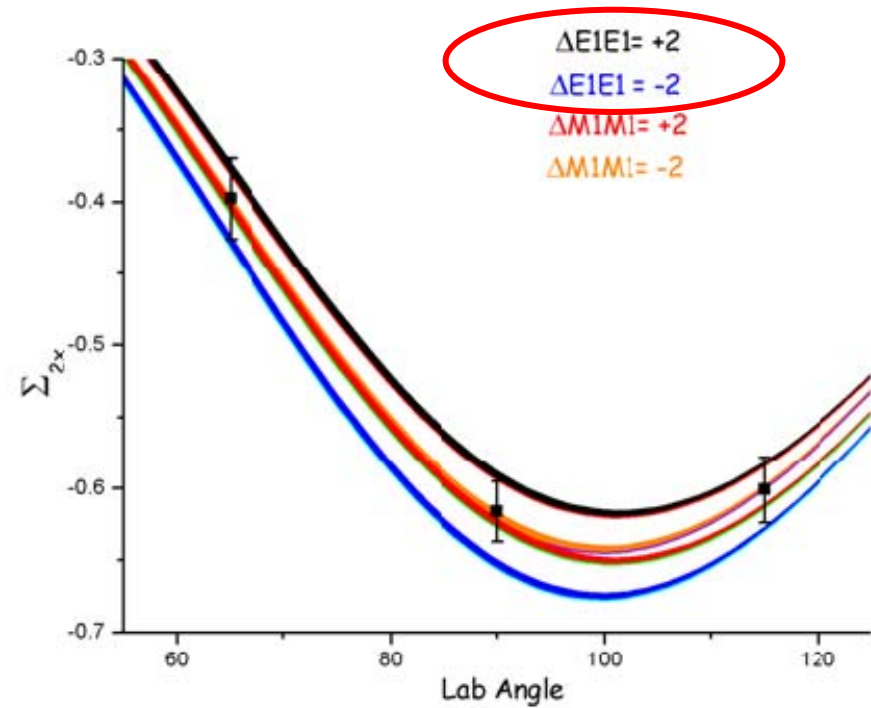
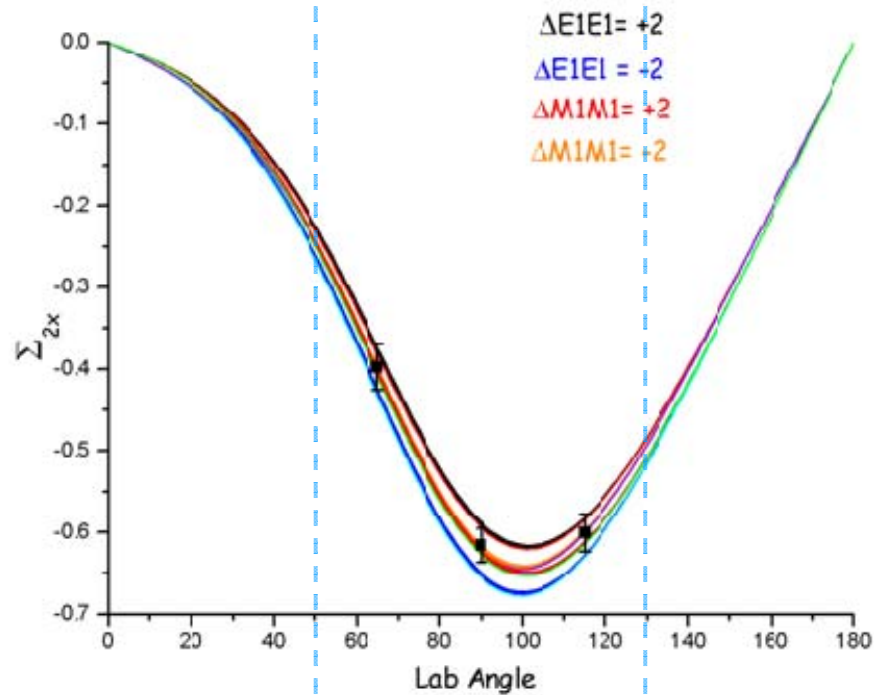


Spin Polarizabilities of the Proton

expand

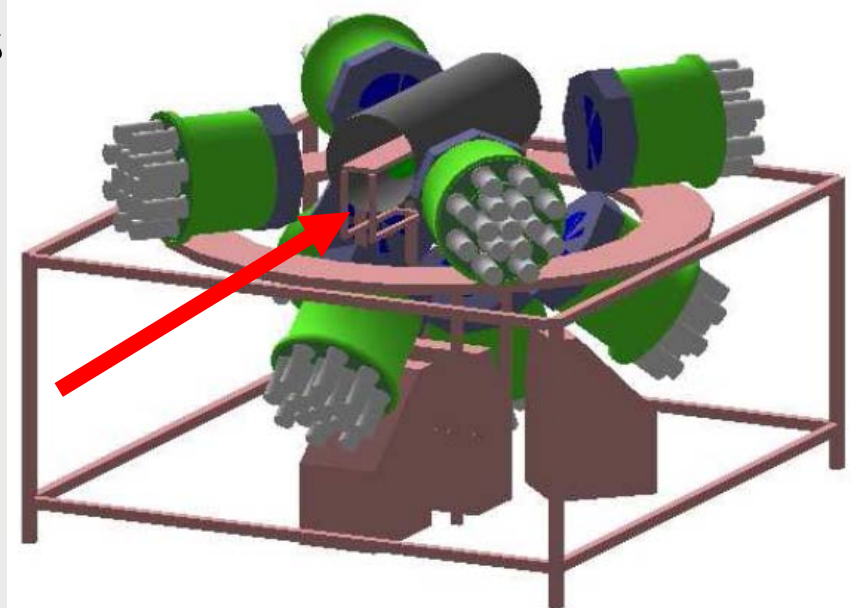


expanded view

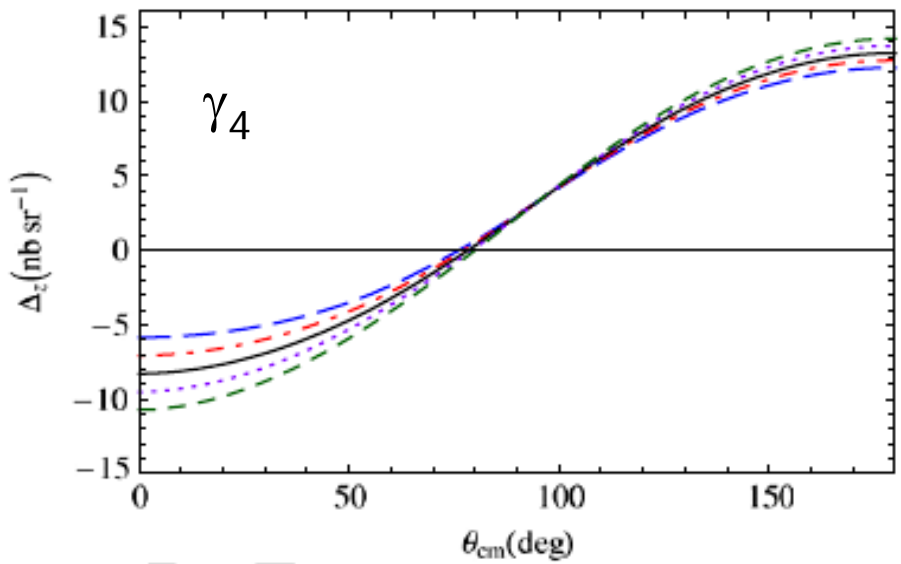
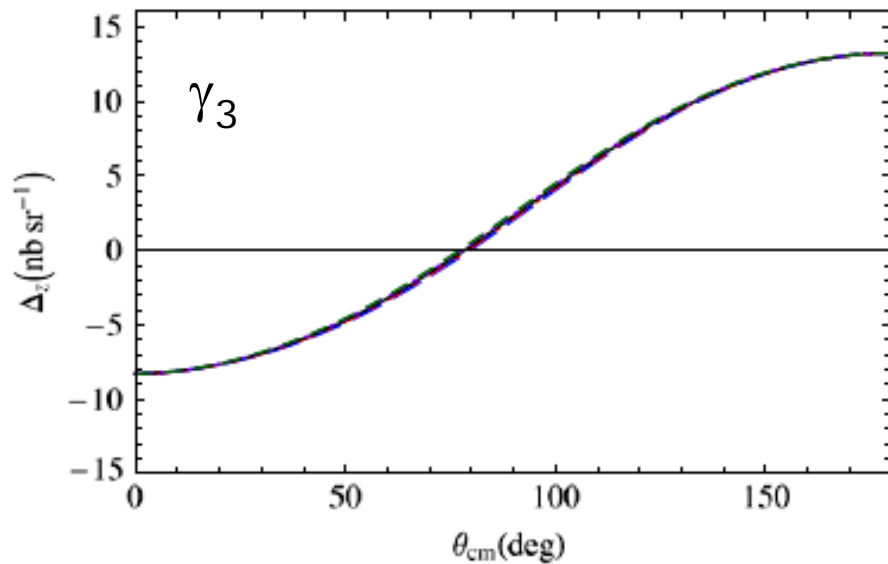
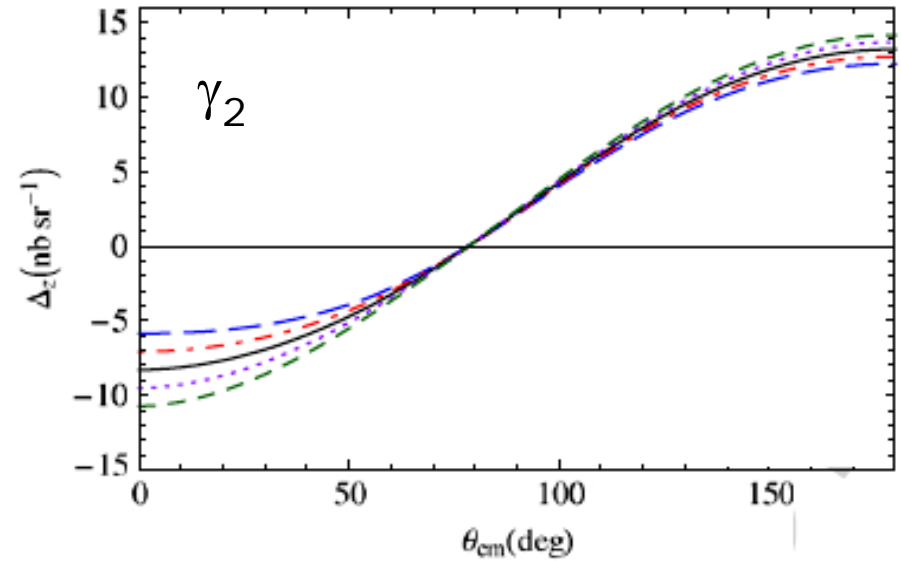
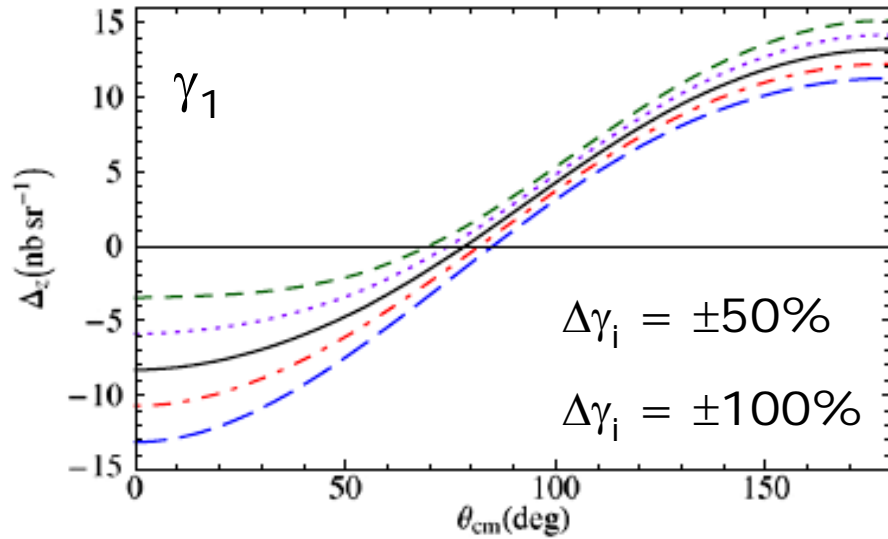


Polarized Compton Scattering from ^3He

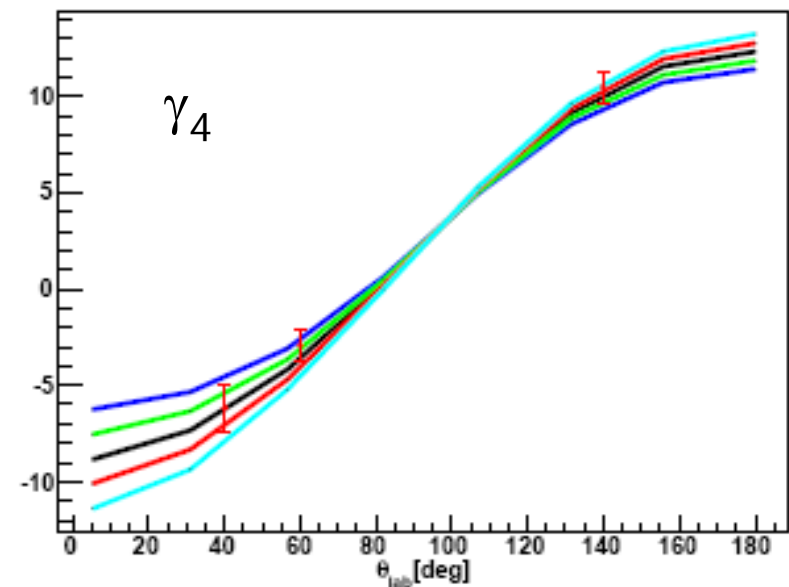
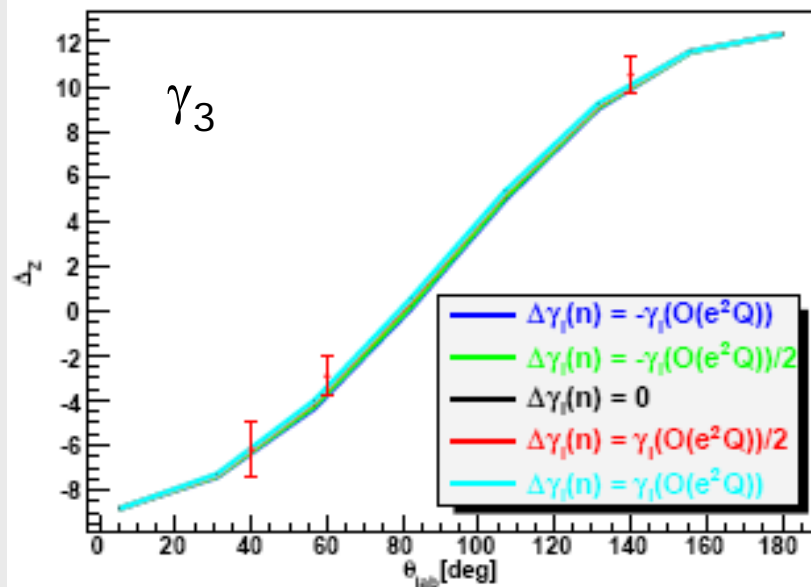
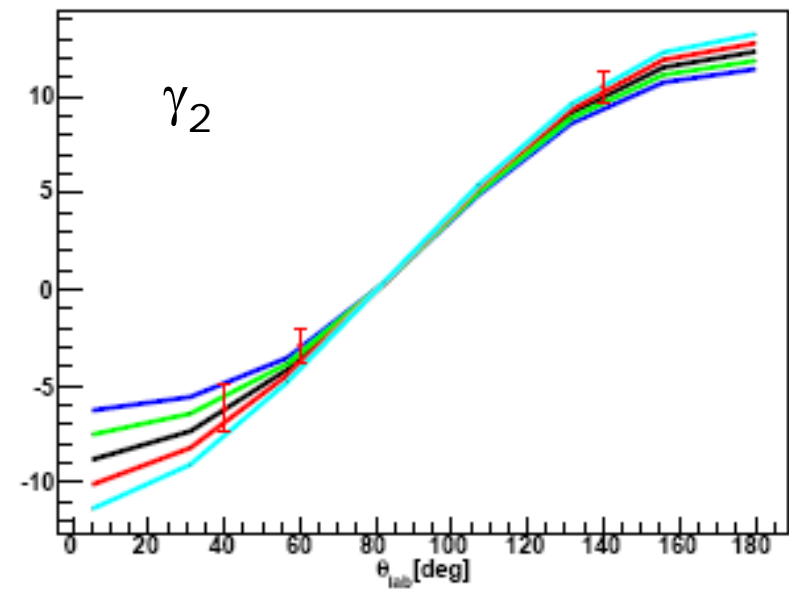
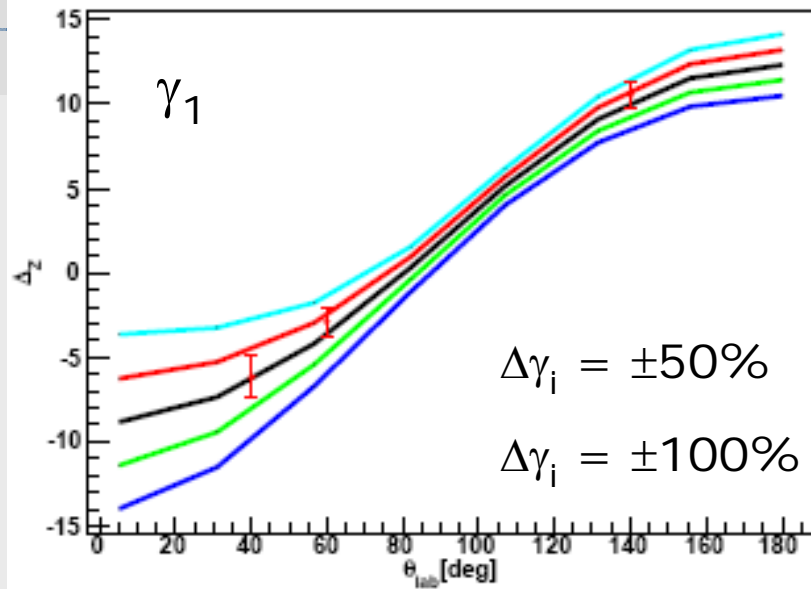
- ❑ **proposal by Haiyan Gao**
- ❑ first measurement of neutron spin polarizabilities
- ❑ circularly polarized photon beam
 - **longitudinally** polarized high-pressure ^3He target ($P \sim 50\%$)
- ❑ scattering angles $40^\circ, 60^\circ, 140^\circ$ ($E_\gamma = 125 \text{ MeV}$)
- ❑ requires 1200 hrs for $\sim 20\%$ uncertainty in $\gamma_1, \gamma_2, \gamma_4$
- ❑ detectors: eight $10'' \times 12''$ NaI's
 - 4 in plane, 4 out of plane



Polarized Compton Scattering from ^3He



Polarized Compton Scattering from ^3He





HIGS Capabilities for User Programs in 2012



Parameter	Value		Comments
E-beam Configuration E-beam current [mA]	Symmetric two-bunch beam 50 - 120		High flux configuration
Gamma-ray Energy [MeV]	1 - 100		with mirrors 1064 to 190 nm Available with existing hardware Extending wiggler current to 3.5 kA
(a) No-loss mode	Total flux [γ/s]	Collimated flux ($\Delta E/E \sim 5\%$) [γ/s]	Both Horizontal and Circular Polarizations
1 - 3 MeV ^(a)	$1 \times 10^8 - 1 \times 10^9$	$6 \times 10^6 - 6 \times 10^7$	
3 - 5 MeV	$6 \times 10^8 - 2 \times 10^9$	$3.6 \times 10^7 - 1.2 \times 10^8$	
5 - 13 MeV	$4 \times 10^8 - 4 \times 10^9$	$2.4 \times 10^7 - 2.4 \times 10^8$	
13 - 20 MeV	$1 \times 10^9 - 2 \times 10^9$	$6 \times 10^7 - 1.2 \times 10^8$	
(b) Loss mode	Total flux [γ/s]	Collimated flux ($\Delta E/E \sim 5\%$) [γ/s]	To extend mirror lifetime, circular polarization is preferred 1 st user experiment: March, 2011 190 nm, 1 st user experiment in 2013
21 - 54 MeV	$> 2 \times 10^8$ ^(b)	$> 1 \times 10^7$	
55 - 65 MeV	$\sim 2 \times 10^8$ ^(b)	$\sim 1 \times 10^7$	
66 - 100 MeV	1×10^8 ^{(b) (c)}	$\sim 5 \times 10^6$	

^(a) With present configuration of OK-5 wigglers separated by 21 m, the circular polarization is about 1/2 the values here.

^(b) The flux in loss mode is mainly limited by injection rate.

^(c) Thermal stability of FEL mirror may limit the maximum amount of current can be used in producing FEL lasing, thus flux.

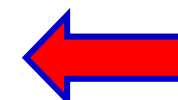
Highest Total Flux (2010): $> 2 \times 10^{10} \gamma/s$ @ 9 - 11 MeV



Projected energy upgrades above 100 MeV (circular pol)

2014: 110 - 120 MeV, $\sim 1 \times 10^8 \gamma/s$ (total)

• After 2015: 150+ MeV, $\sim 1 \times 10^8 \gamma/s$ (total)



Summary

- ❑ **Early measurements of Compton scattering at HIGS**
 - unpolarized expt. on ${}^6\text{Li}$
 - polarized expts. on $A = 89-238$ for IVGQR studies
 - new proposal: low-energy (3-15 MeV) for ${}^6\text{Li}$ nuclear pol.
- ❑ **Next generation of expts. on proton and deuteron**
 - electric and magnetic polarizability
 - ✓ unpolarized expt. on deuterium
 - ✓ **polarized** expt. on proton
 - spin polarizability
 - ✓ **double-polarized** expt. on proton
 - ✓ **double-polarized** expt. on ${}^3\text{He}$
- ❑ **HIGS can contribute high-quality polarized data!**
 - stay tuned for further developments in the future...