Unbound exotic nuclei studied by projectile fragmentation

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Plan of the Presentation Reactions to study halo nuclei

Transfer to the continuum Fragmentation reaction

2 Simple time dependent model

Inelastic excitation

General wave functions (asymptotic form)

Simple time dependent model

Comparison to the transfer to the continuum

Cross section.

Determination of the S-matrix.

Potential correction

3 Results

Comparison between time dependent and sudden approximation Dependence on the binding energy of the initial state Strength of every transition Dependence on the scattering length of the final s-state Add of a complex part to the potential Reactions to study halo nuclei

Transfer to the continuum reaction



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Fragmentation reaction



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Transfer to the continuum



Figure: ¹²Be (d,p) RIKEN (Korsheninnikov) (1995)

Fragmentation reaction.



Figure: (a) LPC GANIL (Lecouey, Orr) (2002).

1.6 do/dE^{*}[mb/MeV] $^{13}\text{Be} \rightarrow ^{12}\text{Be} + \pi$ 1.4 Eo το 1.2 0.75+0.01 1.07 ± 0.01 2.5+0.21 0.43+0.93 0.8 0.6 0.4 0.2 10 12 0 14 Erel [MeV]

Figure: (b) GSI (U Datta Pramanik) (Surrey conference Jan.2005).





Figure: (a) GSI (Simon Nucl. Phys. A734 (2004) 323-326.

Figure: (b) RIKEN (Nakamura)(ECT* 2004)unpublished.

Inelastic excitation.

Inelastic-like excitations can be described by the first order time dependent perturbation theory amplitude:

$$egin{aligned} \mathsf{A}_{\mathit{fi}} &= rac{1}{i\hbar} \int_{-\infty}^{\infty} dt \langle \psi_{\mathit{f}}(t) | V_2(\mathbf{r}) | \psi_{\mathit{i}}(t)
angle \end{aligned}$$

In order to obtain a simple analytical formula we consider the special case in which $V_2(r) = v_2 \delta(x) \delta(y) \delta(z)$.

$$A_{fi} = \frac{v_2}{i\hbar v} \int_{-\infty}^{\infty} dz \ \psi_f^*(b_c, 0, z) \psi_i(b_c, 0, z) e^{iqz}$$

General wave functions (asymptotic form).

For the initial state:

$$\psi_i(b_c, 0, z) = -C_i i' \gamma h_{l_i}^{(1)}(i \gamma r) P_{l_i}(z/r).$$

For the final continuum state:

$$\psi_f(b_c, 0, z) = C_f k \frac{i}{2} (h_{l_f}^{(+)}(kr) - S_{l_f} h_{l_f}^{(-)}(kr)) P_{l_f}(z/r).$$

Simple time dependent model.

$$A_{fi} = \frac{v_2}{i\hbar v} \int_{-\infty}^{\infty} dz \ \psi_f^*(b_c, 0, z) \psi_i(b_c, 0, z) e^{iqz}$$

$$I(k,q) = I_R + iI_I = |I|e^{i\alpha}$$

$$\bar{S} = Se^{2i\alpha} = e^{2i(\delta + \alpha)}$$

$$|A_{fi}|^2 = C^2 |I|^2 |1 - \bar{S}|^2.$$

Comparison to the transfer to the continuum.

Fragmentation:

$$rac{dP_{in}}{darepsilon_{f}} = rac{2}{\pi} rac{v_2^2}{\hbar^2 v^2} C_i^2 rac{m}{\hbar^2 k} \Sigma_{I_f} (2I_f+1) |1-ar{S}_{I_f}|^2 |I_{I_f}|^2.$$

Transfer:

$$rac{dP_t(b_c)}{darepsilon_f}~pprox~rac{4\pi}{k^2}\Sigma_{l_f}(2l_f+1)|1-S_{l_f}|^2B_{l_f,l_i}$$

(G. Blanchon, A. Bonaccorso and N. Vinh Mau, Nucl. Phys. A739 (2004) 259.) \otimes

Cross section.

$$\frac{d\sigma}{d\varepsilon_f} = C^2 S \int_0^\infty d\mathbf{b_c} \frac{dP_{in}(b_c)}{d\varepsilon_f} P_{ct}(b_c),$$

The core survival probability:

$$P_{ct}(b_c) = |S_{ct}|^2$$

Determination of the S-matrix.

$$\begin{array}{rcl} h &=& t + U. \\ U(r) &=& V_{WS} + \delta V. \\ \delta V(r) &=& 16 \alpha e^{2(r-R)/a} / (1 + e^{(r-R)/a})^4. \end{array}$$

 V_{WS} = Woods-Saxon potential plus spin-orbit. δV = correction which originates from particle-vibration couplings. (*N. Vinh Mau and J. C. Pacheco, Nucl. Phys. A607 (1996) 163.*) \otimes

Potential correction.



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Comparison between time dependent and sudden approximation.



Dependence on the binding energy of the initial state.



Strength of every transition.



Dependence on the scattering length of the final s-state.



Introduction of an imaginary part to the potential.



Conclusions and outlooks

- ¹³Be is a signature of the halo state of the neutron.
- Possibility to use s resonances.
- One or two step calculation.