

# Quantum Information Processing with Single Atoms

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# ***“There's Plenty of Room at the Bottom”*** **(1959 APS annual meeting)**



**Richard Feynman**

“When we get to the very, very small world – say circuits of seven atoms - we have a lot of new things that would happen that represent completely new opportunities for design. **Atoms on a small scale behave like nothing on a large scale, for they satisfy the laws of quantum mechanics...**”

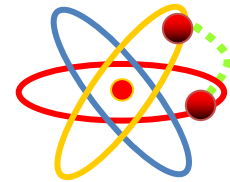


# THE GOLDEN RULES OF QUANTUM MECHANICS

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1. Quantum objects are waves and can be in states of superposition.....

“quantum bit”:  $\alpha|0\rangle + \beta|1\rangle$



2. .... as long as you don't look!

$$\alpha|0\rangle + \beta|1\rangle \begin{cases} \rightarrow |0\rangle \\ \text{or} \\ \rightarrow |1\rangle \end{cases}$$

# Massive storage and parallelism

- ◇ One qubit:  $|\psi\rangle = (1/2)^{1/2} (|0\rangle + |1\rangle)$
- ◇ Two qubits:  $|\psi\rangle = (1/2) (|0\rangle + |1\rangle) \times (|0\rangle + |1\rangle) =$   
 $(1/2) (|00\rangle + |01\rangle + |10\rangle + |11\rangle)$   
 $(1/2) ("0" + "1" + "2" + "3")$
- ◇ .....
- ◇ N qubits:  $|\psi\rangle = (1/2)^{N/2} (|0\rangle + |1\rangle) \times (|0\rangle + |1\rangle) \times \dots =$   
 $(1/2)^{N/2} (|00\dots0\rangle + |0\dots01\rangle + |0\dots10\rangle$   
 $\dots + |11\dots1\rangle)$   
 $(1/2)^{N/2} ("0" + "1" + "2" + \dots + "2^N-1")$
- ◇ Mere 1000 qubits can store **all numbers** between 0 and  $2^{1000}-1 \approx 10^{301} \gg$  number of atoms in Universe!

# The Entanglement

- A particular superposition state of a complex quantum system which cannot be reduced to a product state of the components of the system. Simplest case: two qubits:

$$\frac{1}{\sqrt{2}} (|00\rangle + |11\rangle)$$

- One consequence: measurement of one part of the system yields information about other part(s) of the system without directly measuring those.

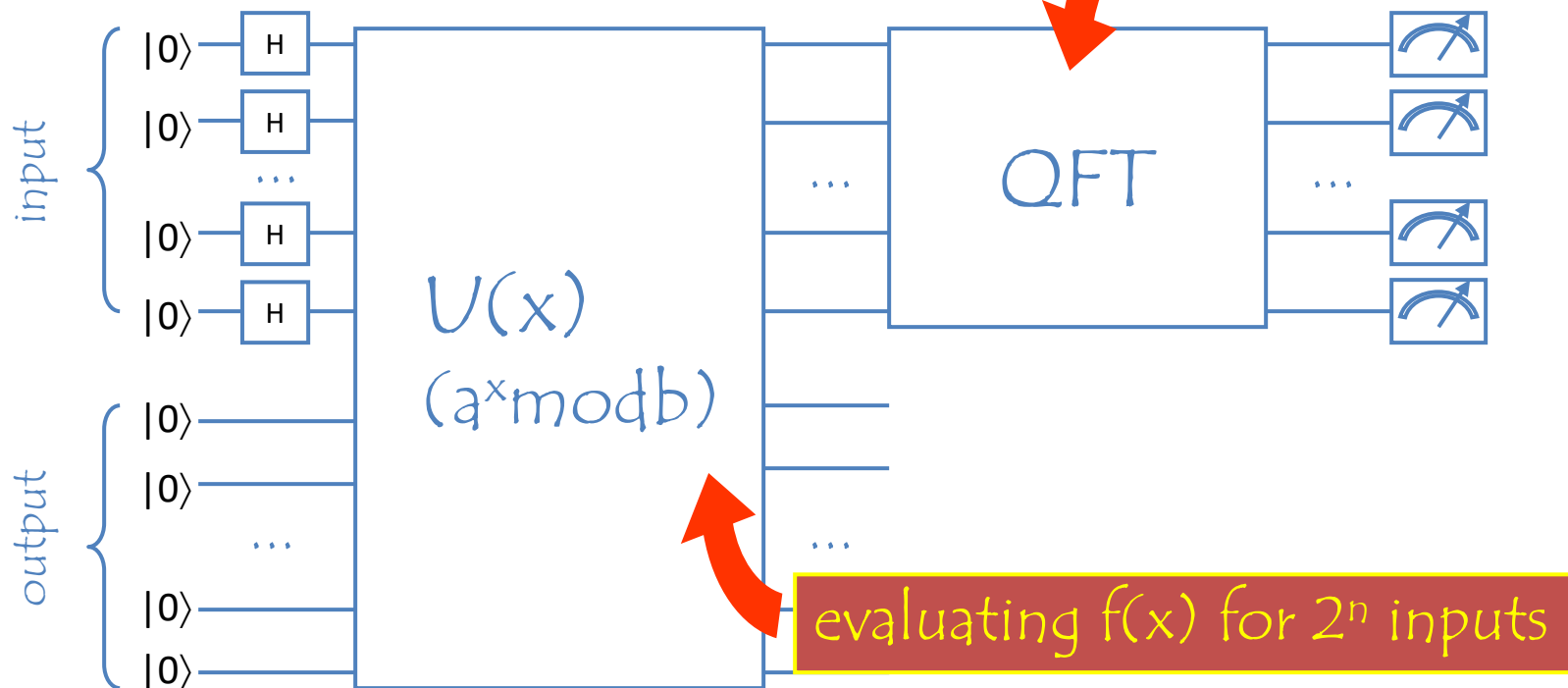
# Quantum computing in nutshell

◇ The power of quantum computing is twofold:

- parallelism and
- entanglement

◇ Example: Shor's factoring algorithm

massive entanglement

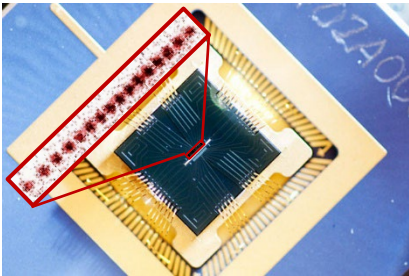


# Quantum Simulations

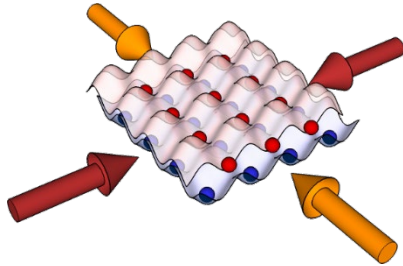
**Quantum modelling is hard:**  $N$  quantum systems require solving  $2^N$  coupled equations

$$i\hbar \frac{\partial \Psi}{\partial t} = H\Psi$$

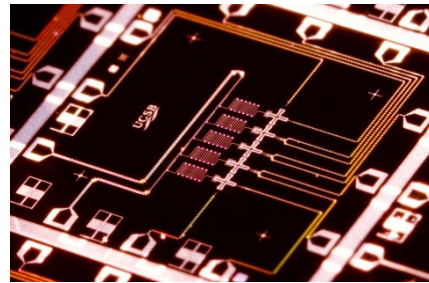
**Alternative approach:** Implement model of interacting system on a *quantum simulator*, a standard set of qubits with programmable interactions



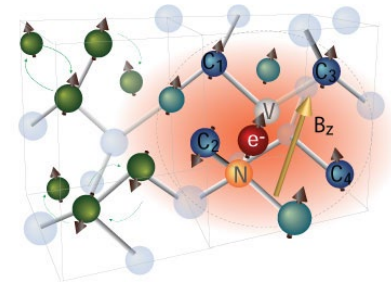
## Atomic ions



## Trapped atoms

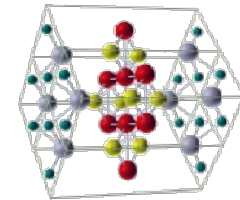


## Superconductors

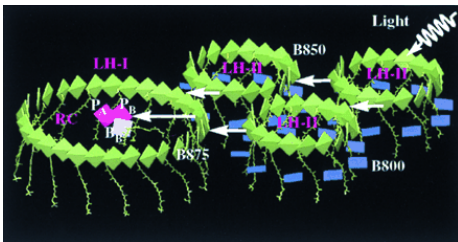


## NV-diamond

**Quantum Material Design** Understand exotic material properties or design new quantum materials from the bottom up



*high- $T_c$   
super-  
conductor*

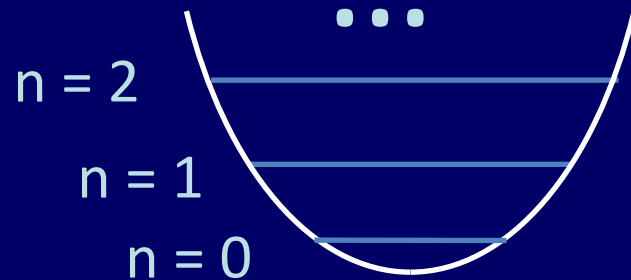
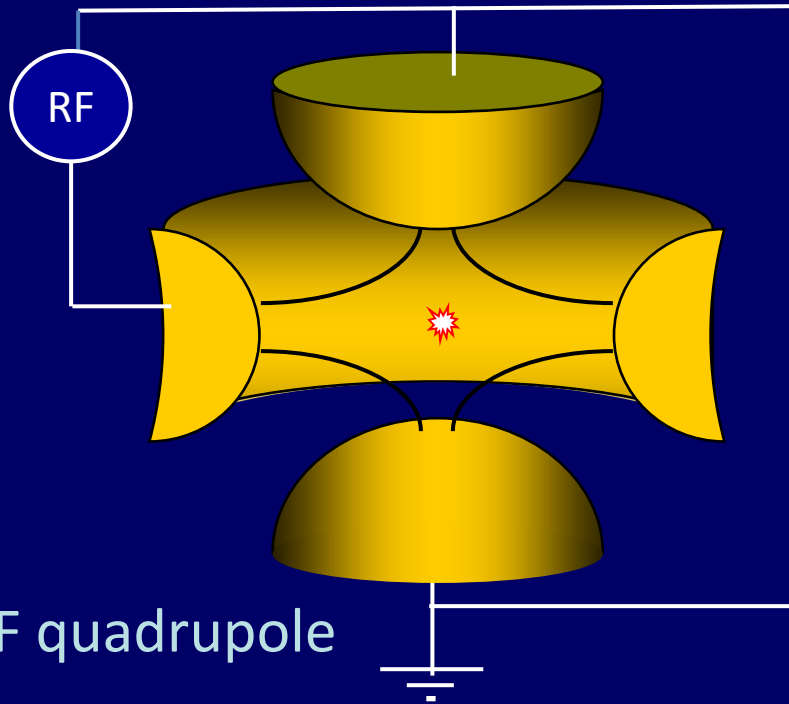


**Energy and Light Harvesting** Use quantum simulator to model photosynthesis and such to develop light harvesting materials.

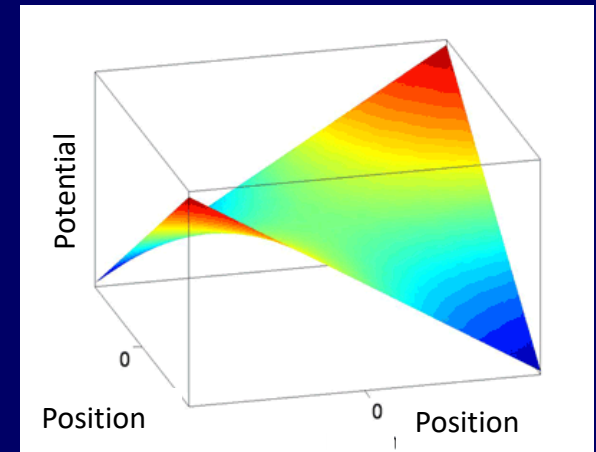
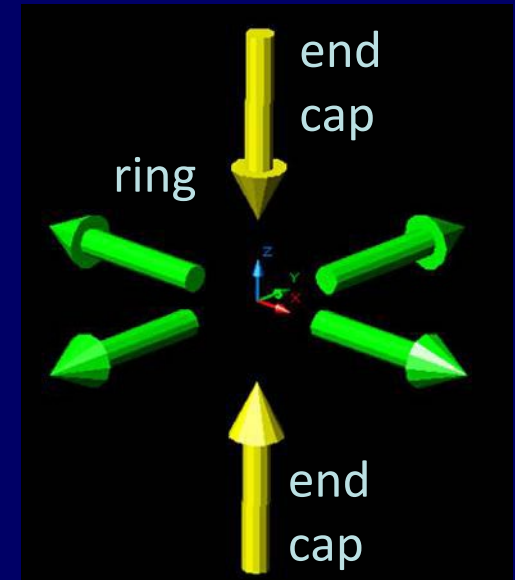
**Quantum Field Theories** Program QCD lattice gauge theories, test ideas connecting cosmology to information theory (AdS-CFT etc..)

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# RF (Paul) ion trap



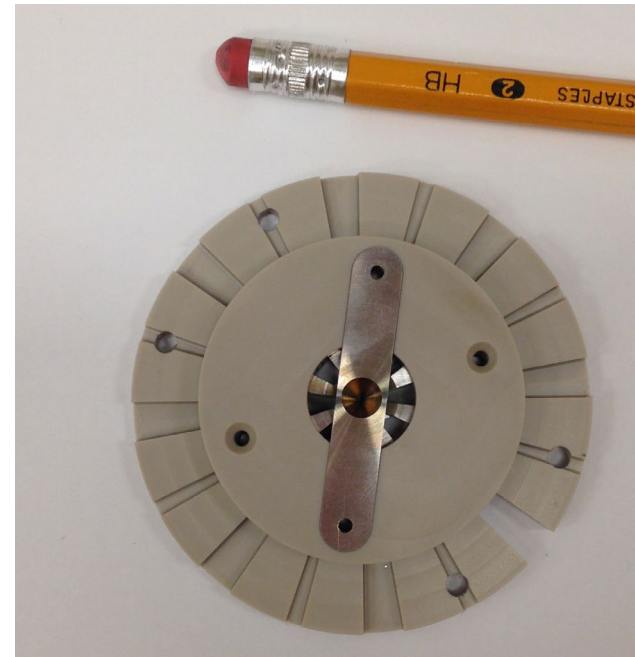
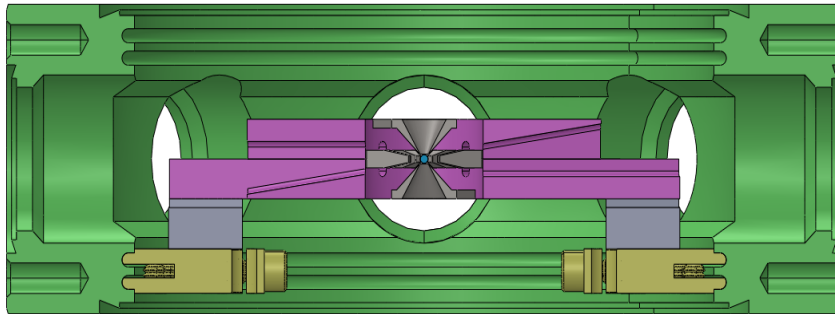
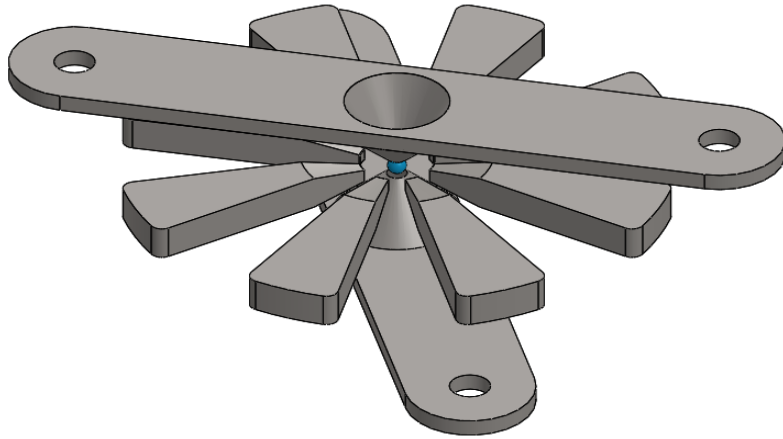
harmonic potential





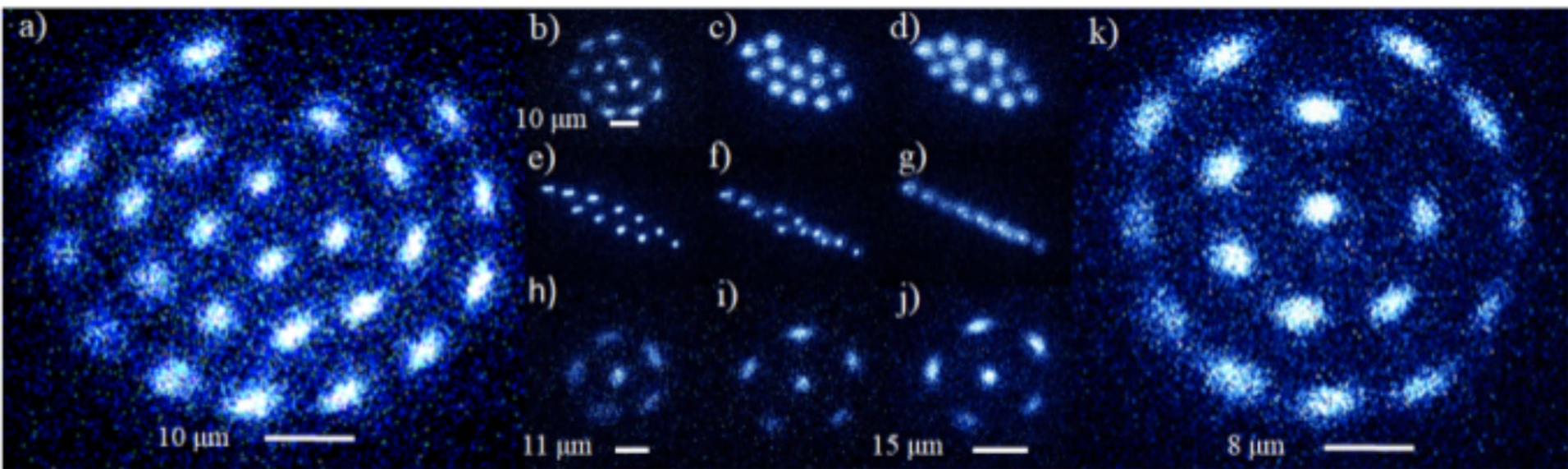


# Oblong trap for large 2-d crystals



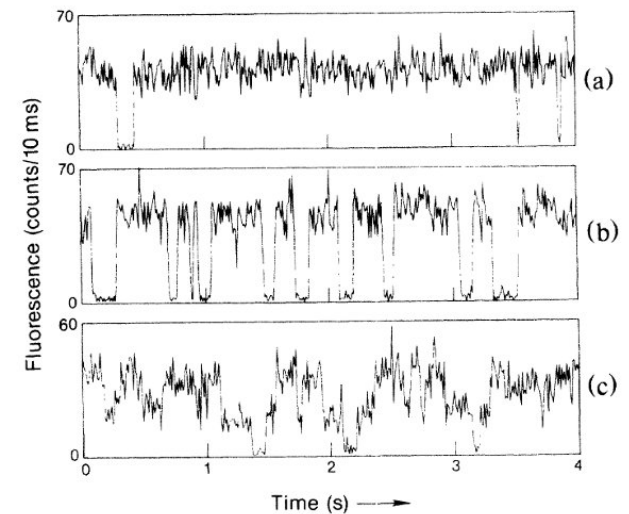
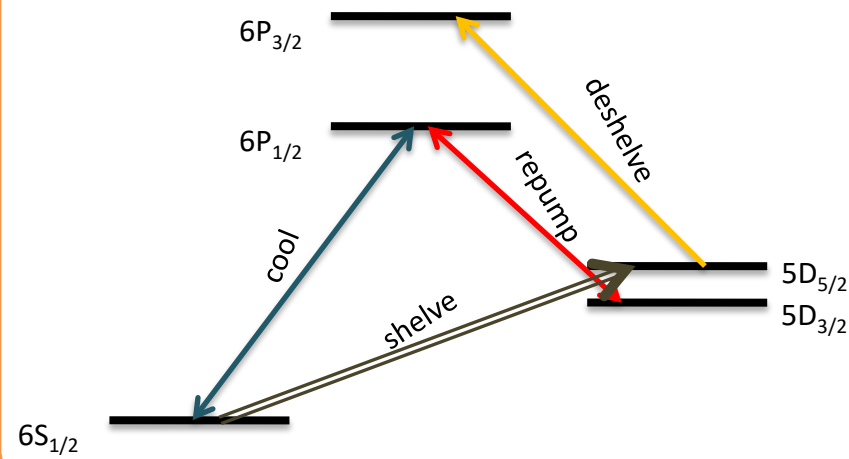
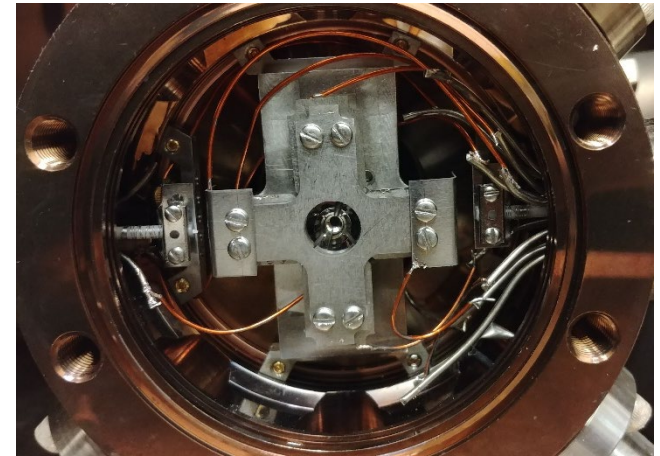
We designed and built a version of Paul trap with segmented ring electrode and hollow cone-shaped endcap electrodes for producing 2-dimensional ion crystals.

# 2-d crystals



# Parabolic mirror trap

- Ion is trapped at the focus of a parabolic mirror.
- About 40% of the photons emitted by the ion are collected into a collimated beam.
- Study ion-photon entanglement, single photon generation and quantum jumps.

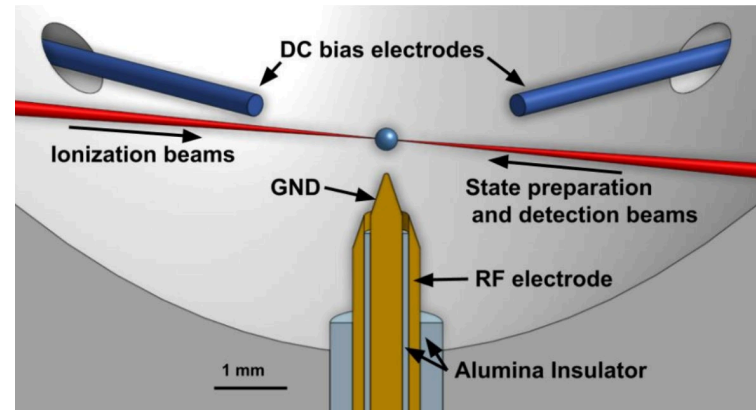
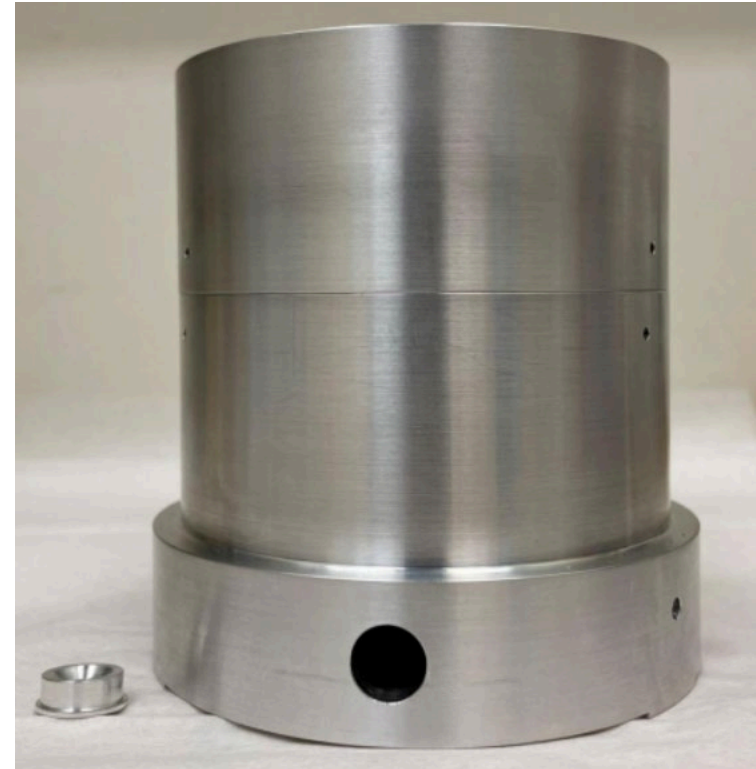
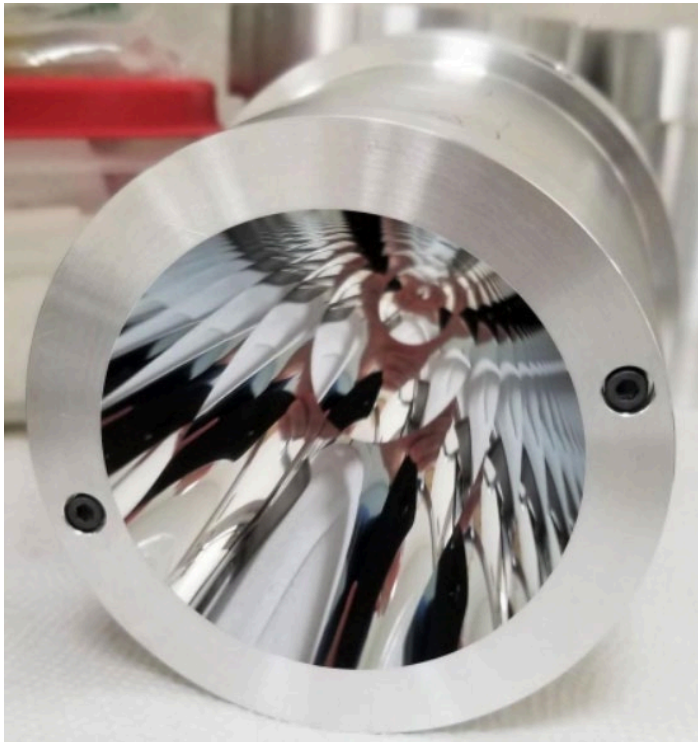


Bergquist, J., Hulet, R., Itano, W., & Wineland, D. (1986). Observation of Quantum Jumps in a Single Atom *Physical Review Letters*,

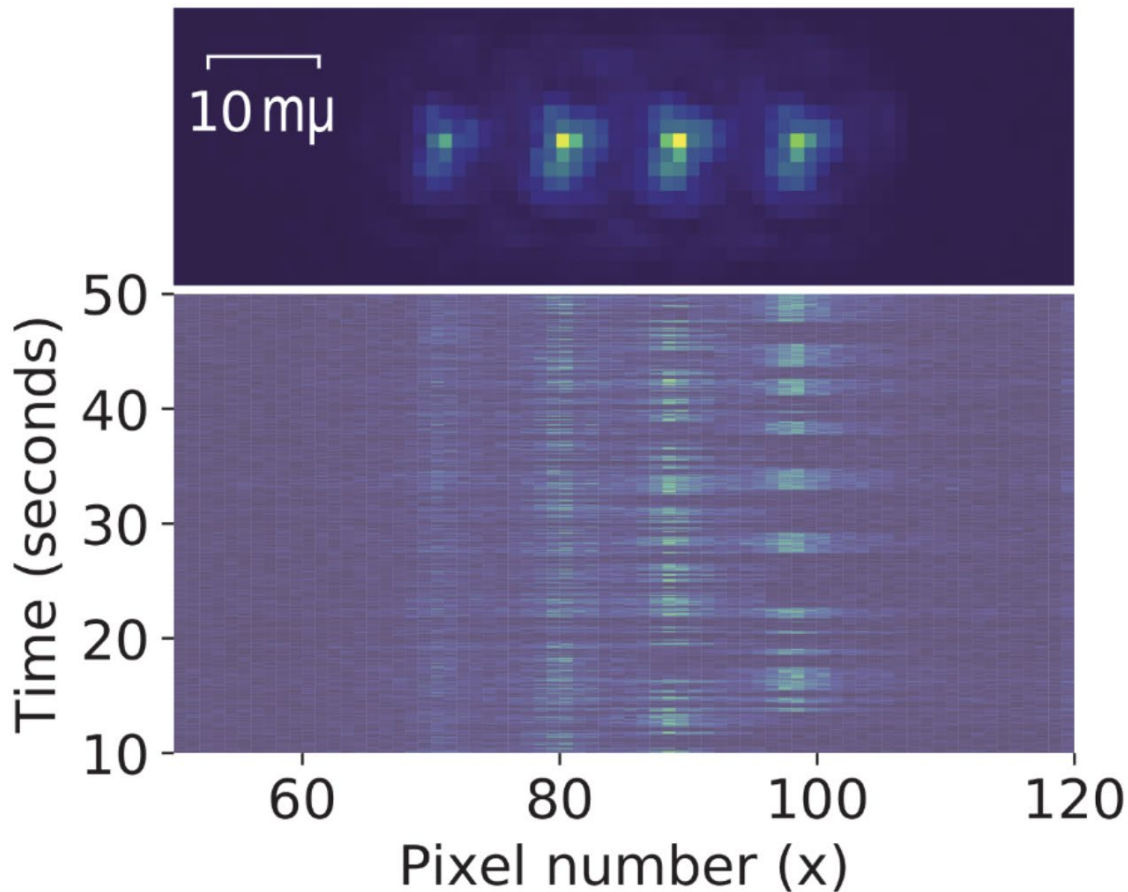


# BIGGER parabolic mirror trap

- New, larger parabolic mirror with  $>95\%$  solid angle coverage
- Need  $>80\%$  photon detection efficiency to “catch and reverse” quantum jumps
- Geometry is known. Now, knowing exact reflectivity is key

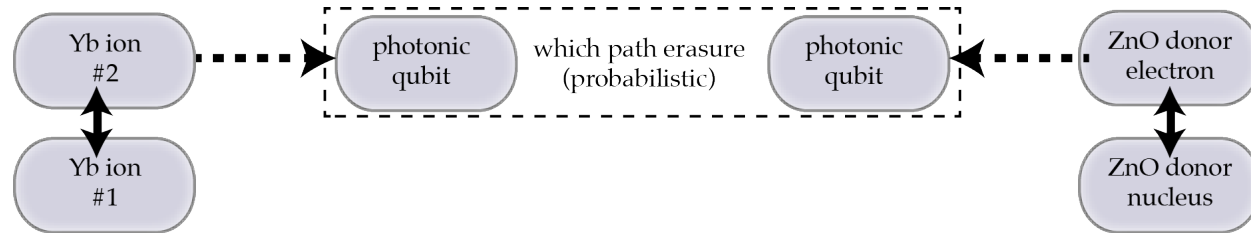


# Quantum jumps in a linear trap

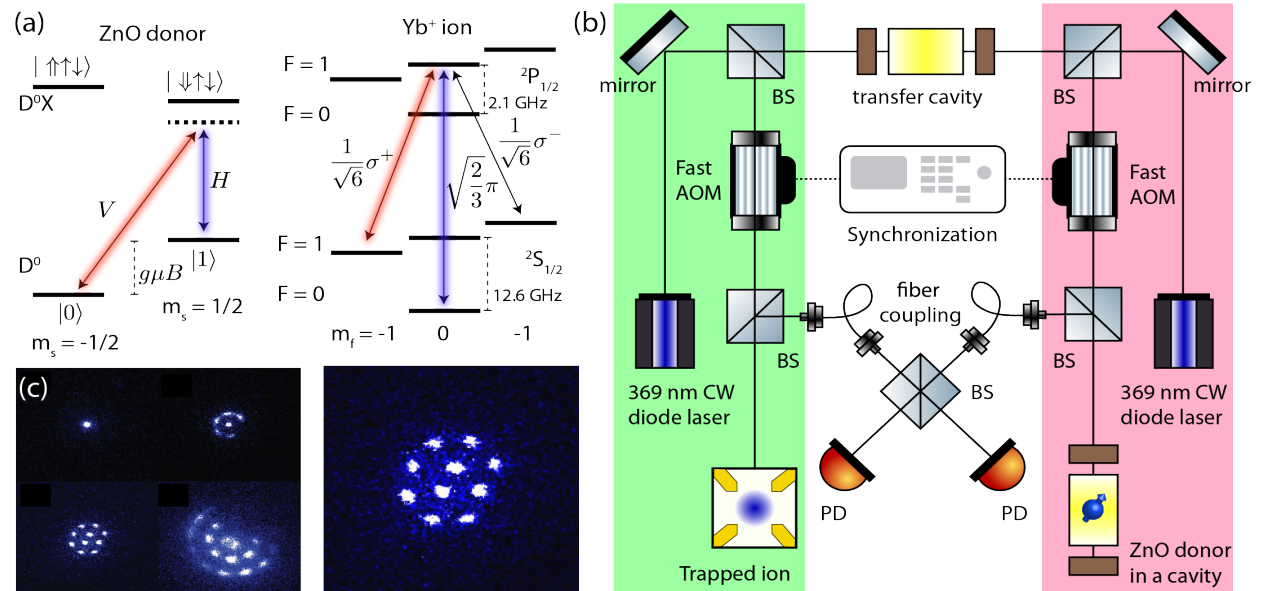


- 4 Ba<sup>+</sup> ions undergoing quantum jumps
- High-resolution CMOS camera with 1.5 ns temporal resolutions records time of arrival of every photon
- We are able to track and study quantum jumps in several ions at the same time

# QUANTUM ENTANGLEMENT BETWEEN A SOLID-STATE SPIN AND A TRAPPED ION VIA A PHOTONIC LINK



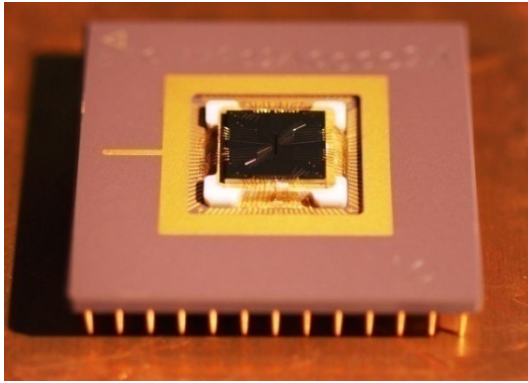
Yb ions and quantum defects in zinc oxide (ZnO) have very similar (but not quite) transition frequencies, so their emitted photons can be made identical. “Which-path erasure” is performed by interfering the two photons on a beam splitter. Long-term quantum information storage is accomplished by local quantum gates.



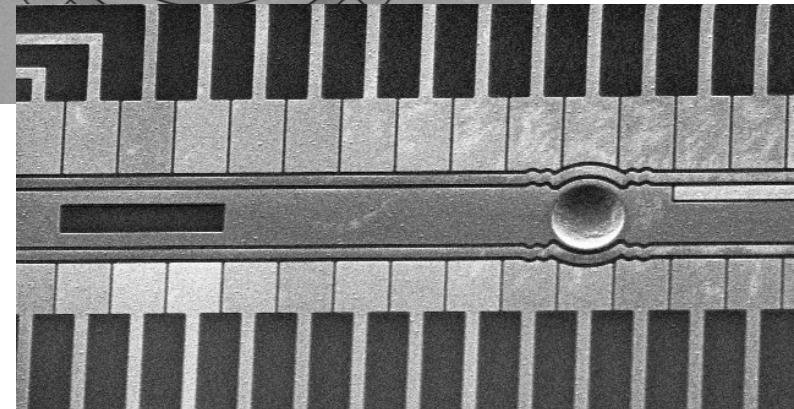
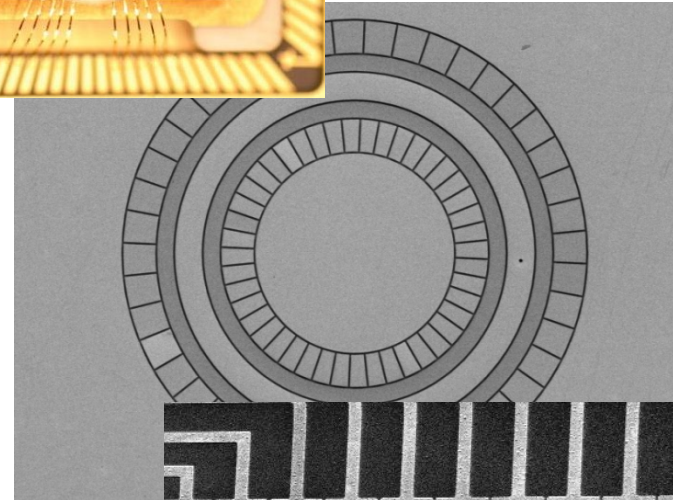
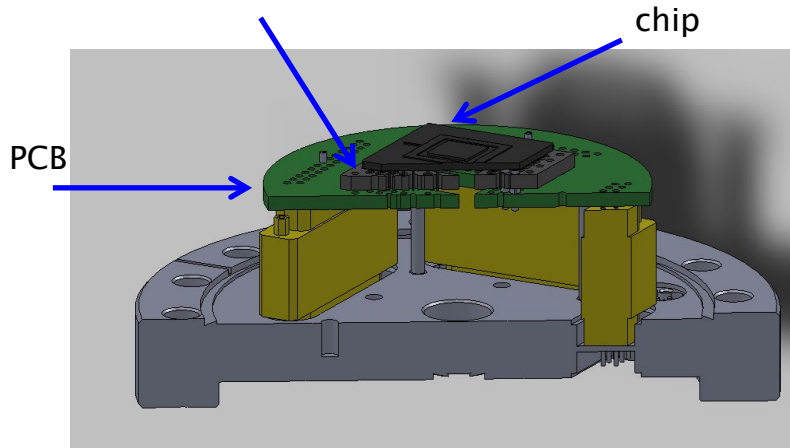
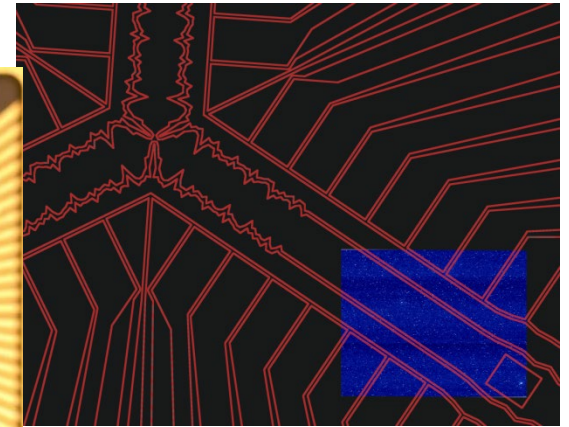
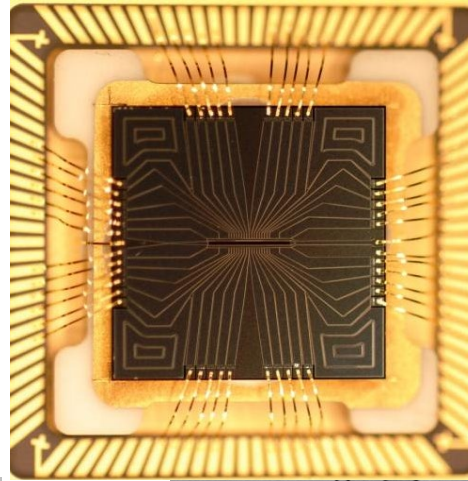
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# Microfabricated ion traps



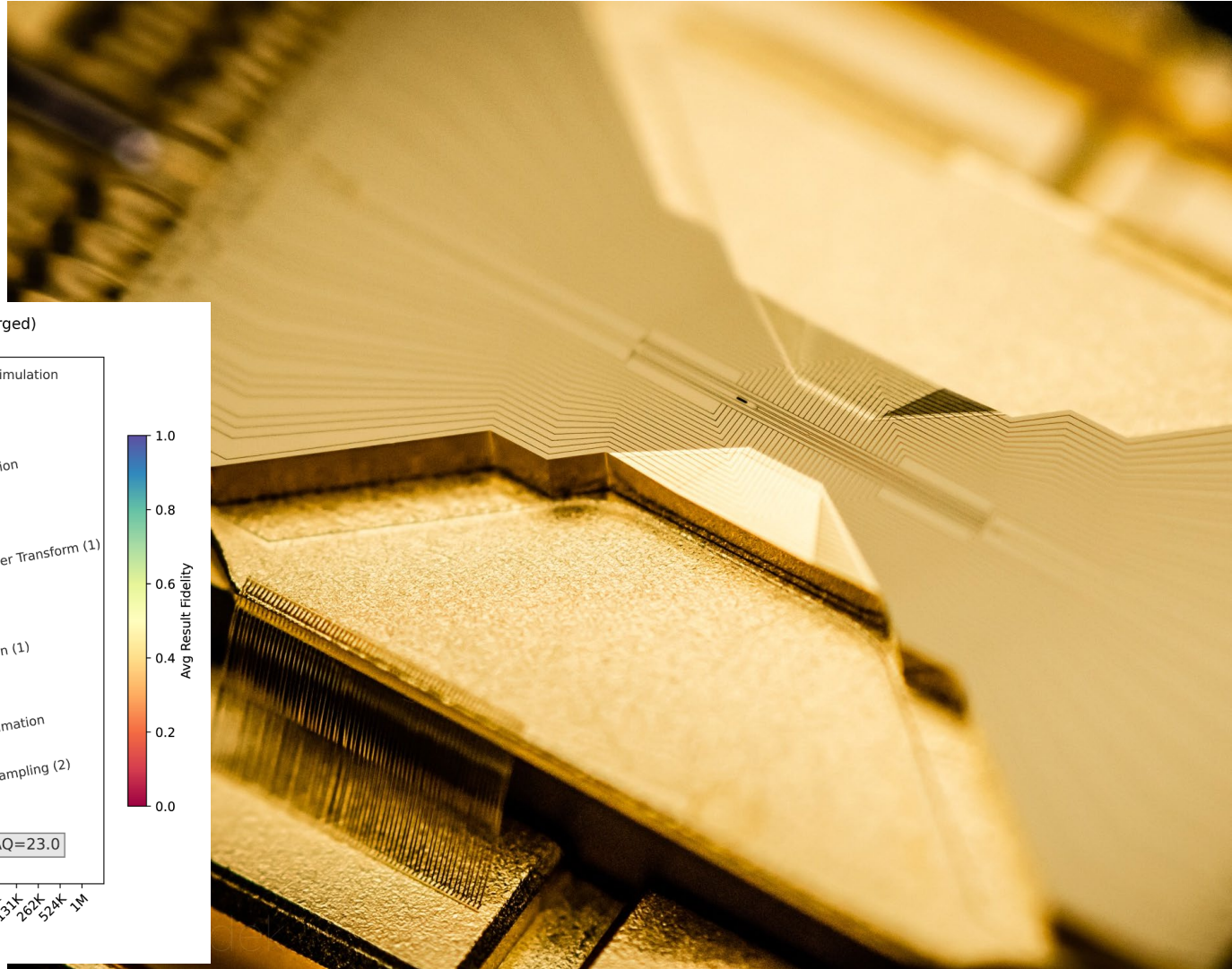
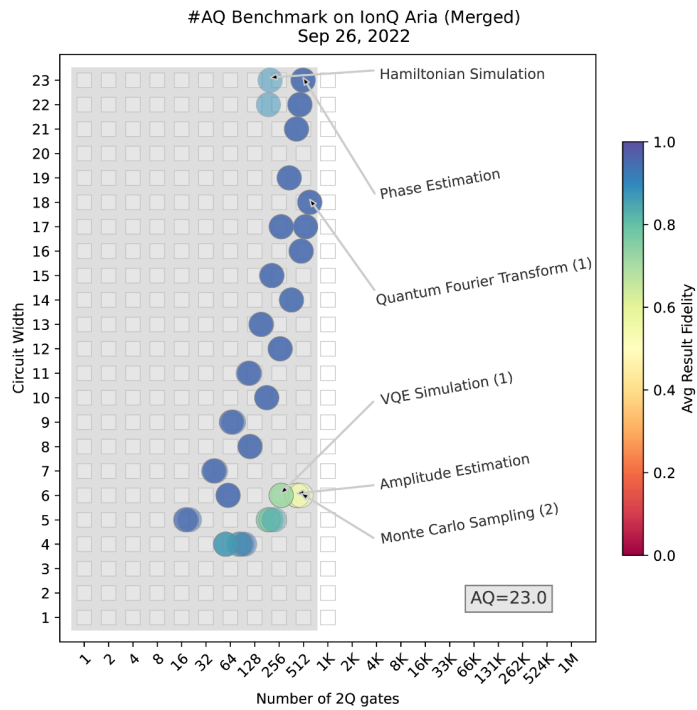
ZIF socket



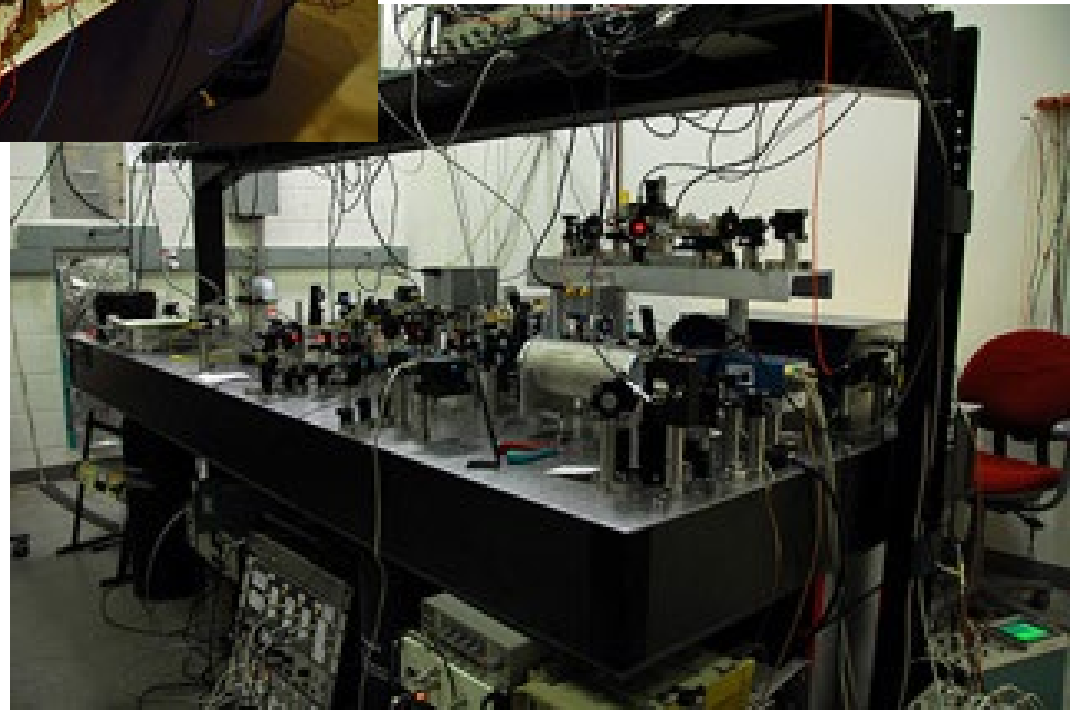
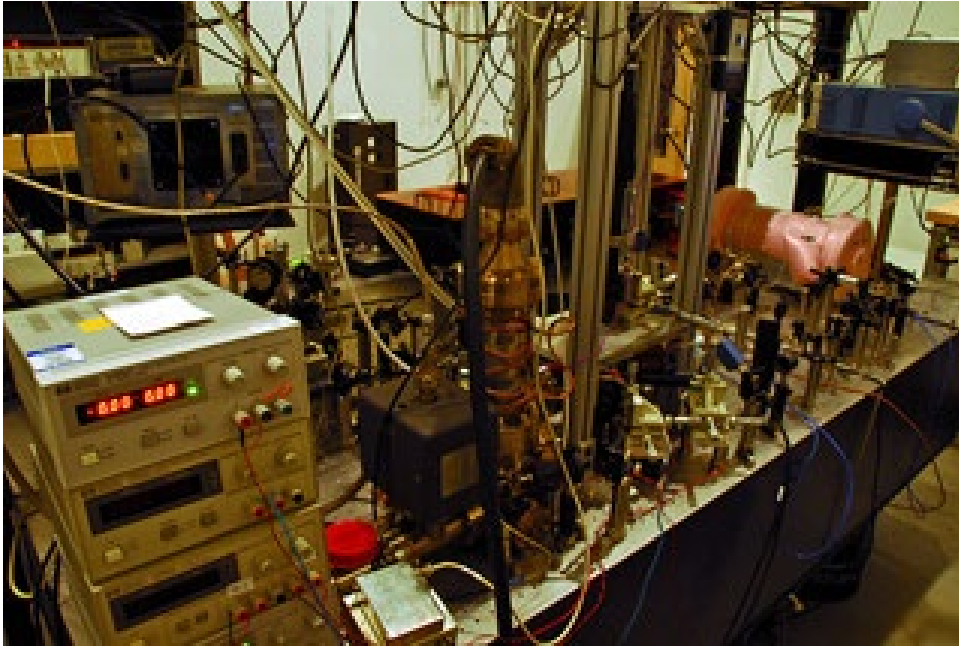
- Traps mounted in a UHV-compatible PCB system with in-vacuum RF filtering
- ZIF-socket to prevent solder joint cracking
- Laser-cooled lifetimes of order 1 hour or more

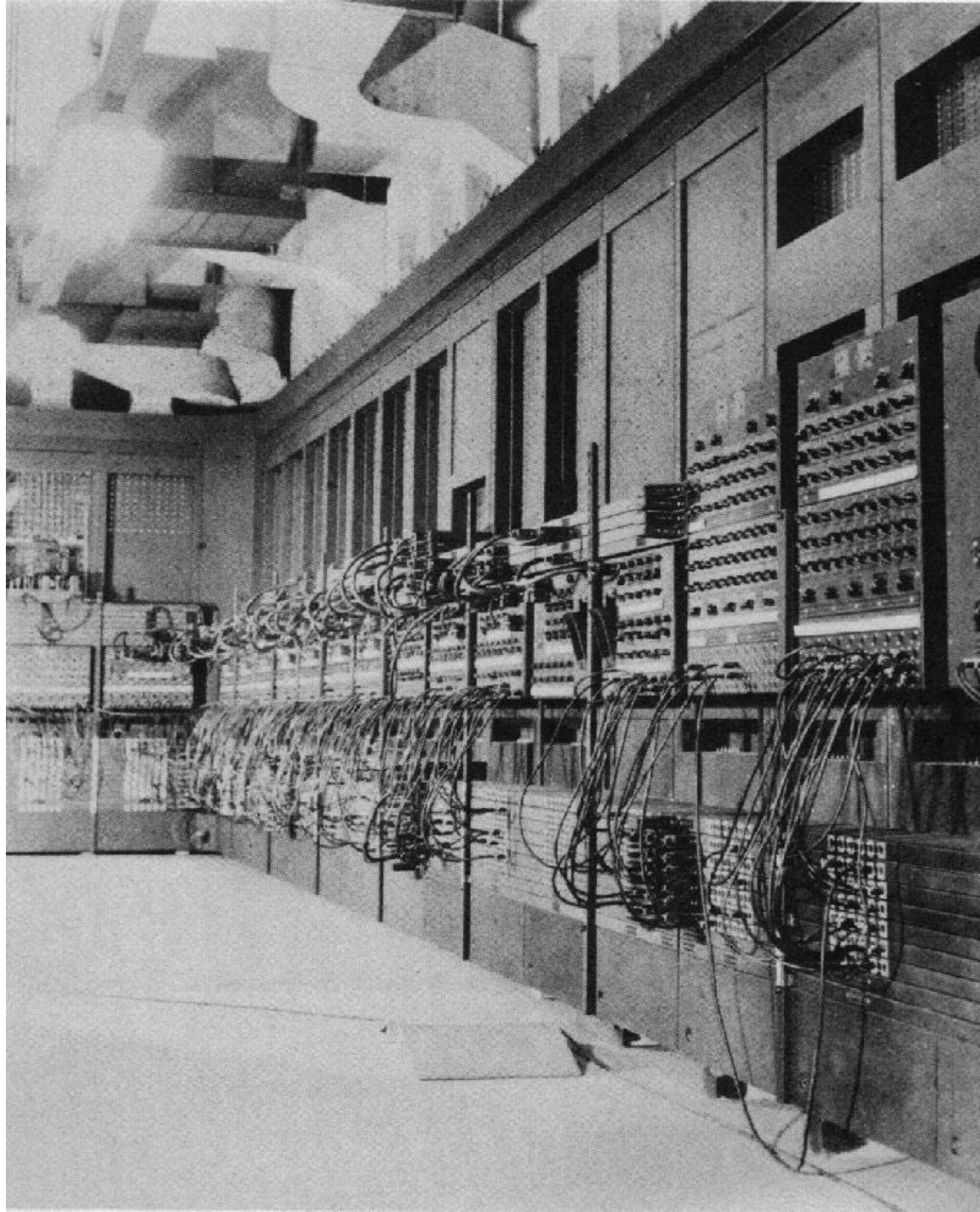


# IonQ



In the lab...





ENIAC  
(1946)







UW ion trappers