

Developing a Technique to Differentiate Axion Signals from Radio-Frequency Interference signals in ADMX

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Outline

- What is Dark Matter? How do we know it exists?
- Where do Axions come from? Why are they good DM candidates?
- Brief ADMX Background
- My Project
- Conclusions & Future Work

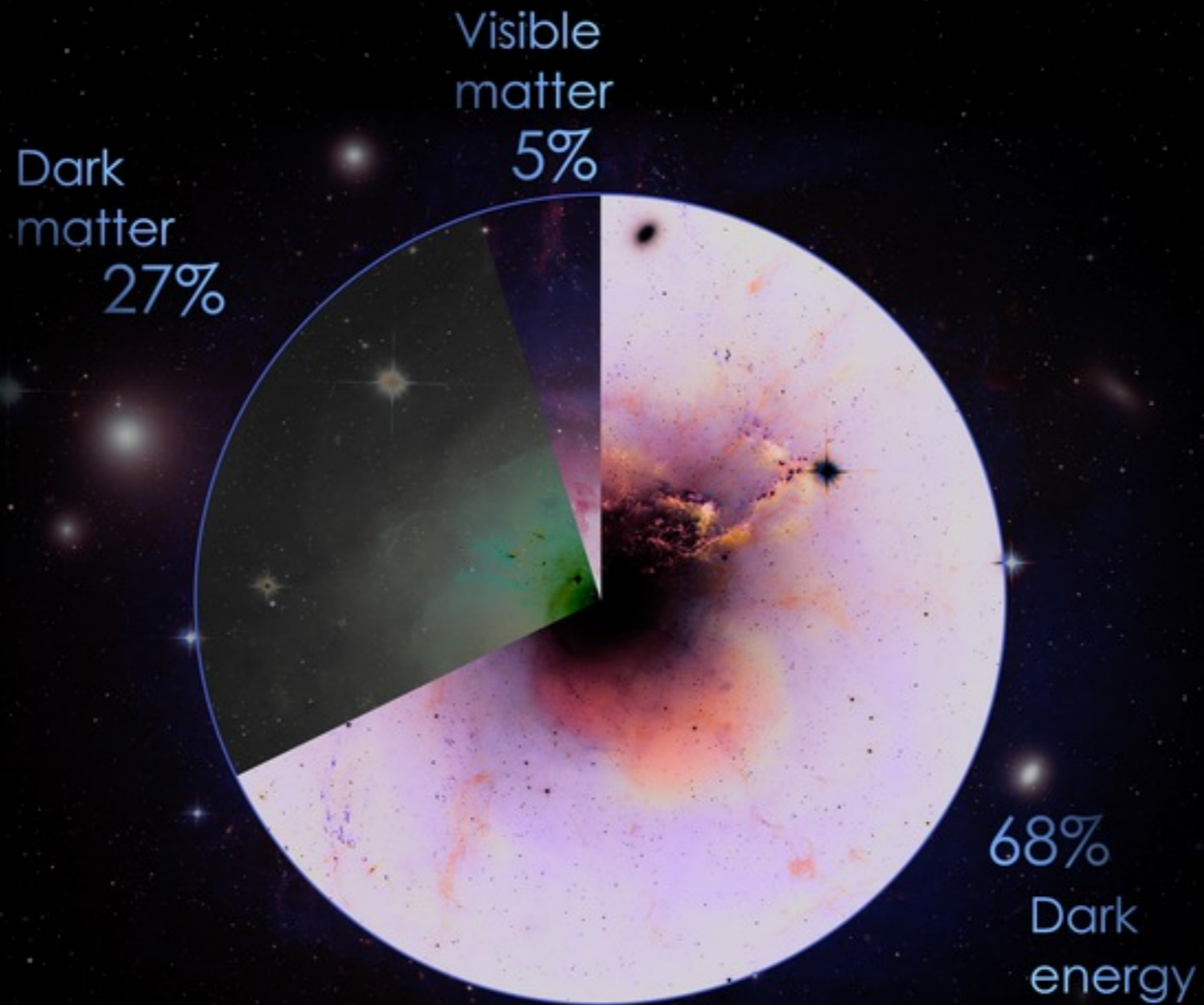


Image credit: NASA Goddard

Dark Matter

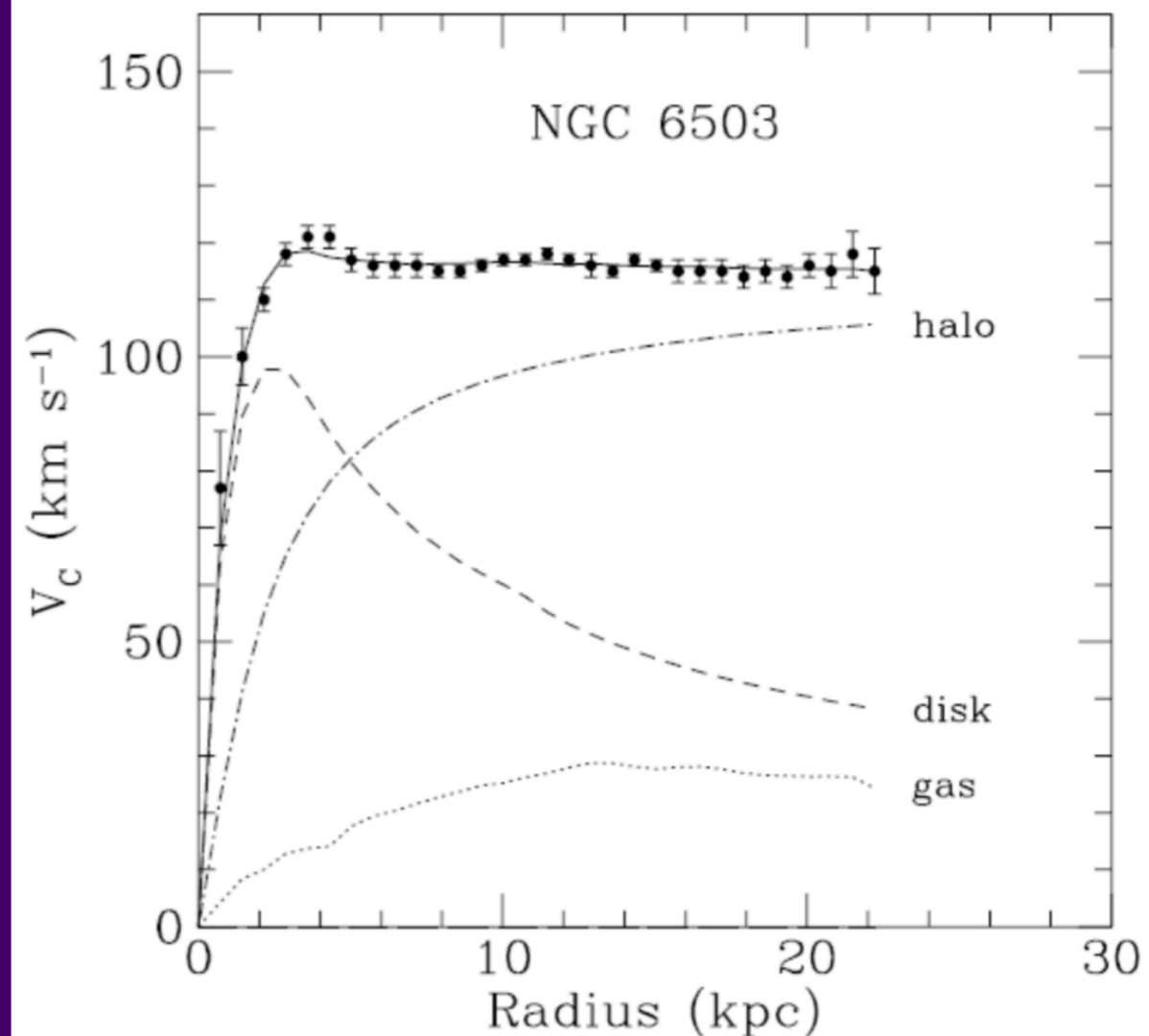
- Interacts primarily gravitationally
- Must be cold

Galactic Rotation Curves

- Expected shape for spherically symmetric mass

$$v_c(r) = \left(\frac{GM(r)}{r} \right)^{1/2}$$

- Expected contributions from the disk and gas alone do not create curves which match measured rotation curves



Structural Evolution

- At $t \sim 50,000$ yrs universe becomes matter dominated
- Regular matter cannot clump together until $t \sim 380,000$ yrs
- Dark matter is unaffected by photons and can therefore clump together at 50,000 yrs, baryons can quickly catch up at the time of decoupling

AXIONS



Strong CP Problem: Axions to the Rescue

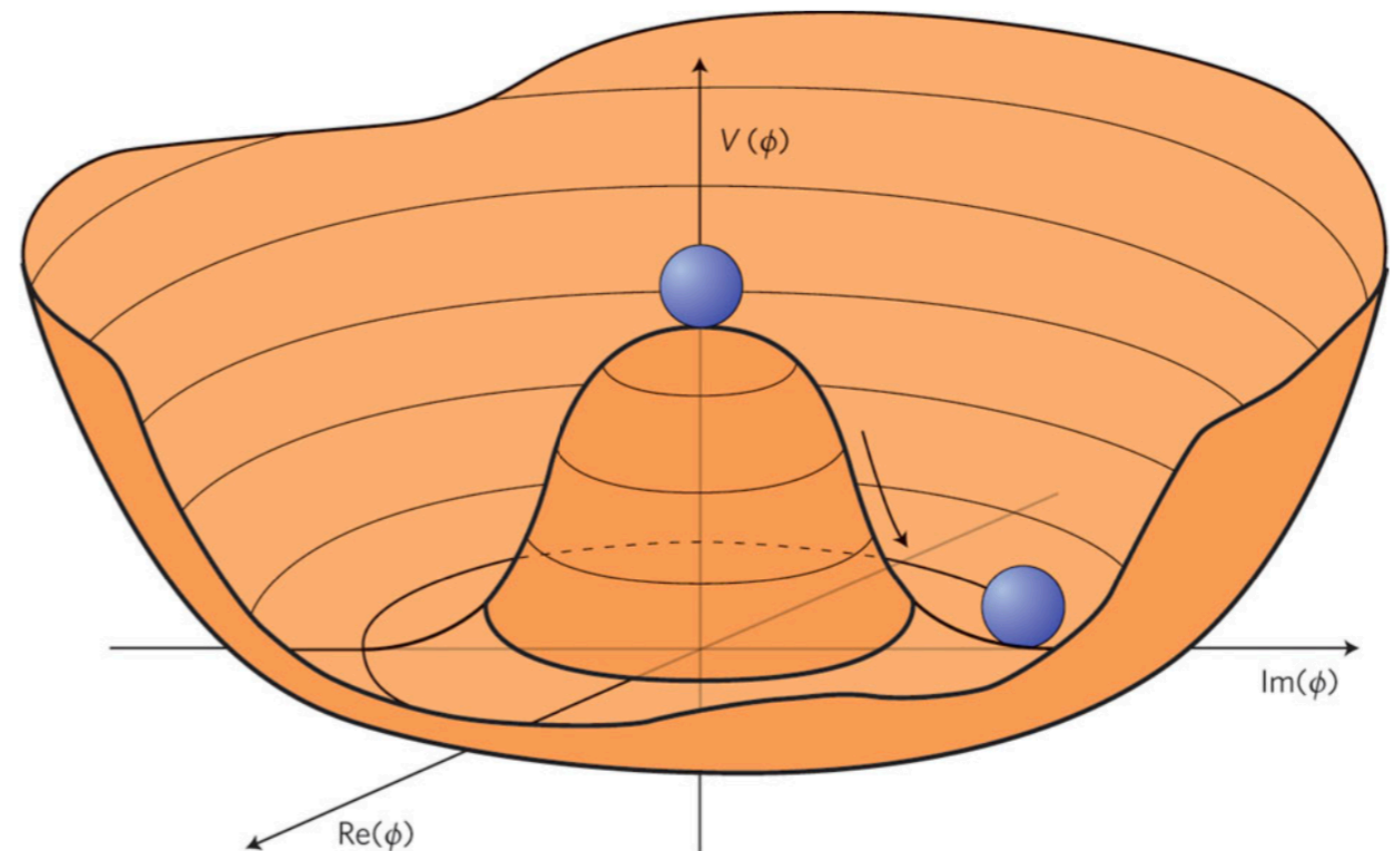
$$L_\theta = \theta \frac{g^2}{32\pi^2} F_a^{\mu\nu} \tilde{F}_{a\mu\nu}$$

← This term in the QCD Lagrangian violates P and T reversal invariance but conserves charge conjugation invariance, so it violates CP invariance

As a result, a large neutron EDM (strong CP violation) is expected, but has not been observed! This requires an “unnaturally” small ($< 10^{-10}$) value for θ .

Peccei-Quinn Solution

- Introduces a new global (PQ) symmetry and transforms θ from a parameter into a dynamic variable
- The combination of simultaneous and explicit PQ symmetry breaking creates a pseudo-Goldstone boson, namely the axion



Brubaker 2018

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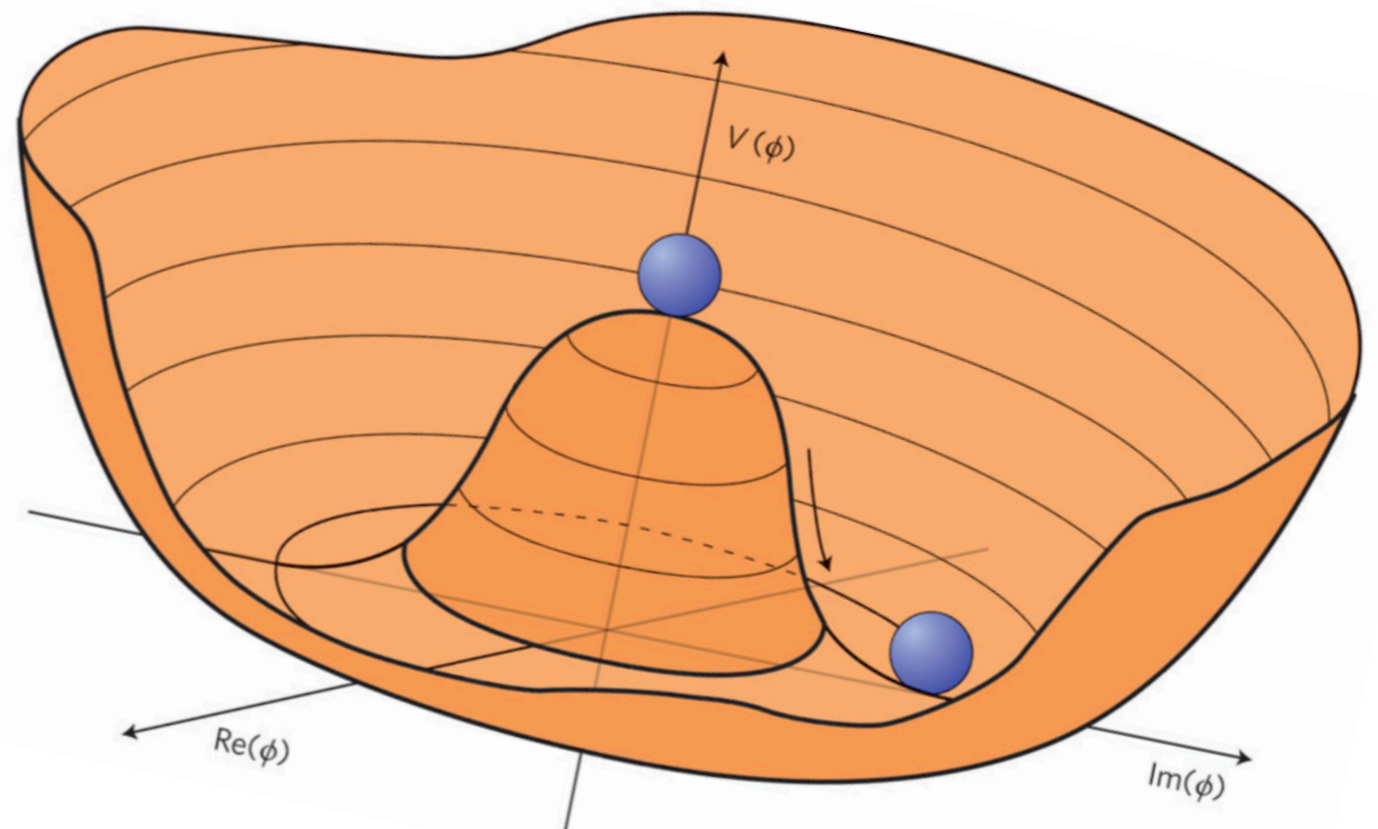
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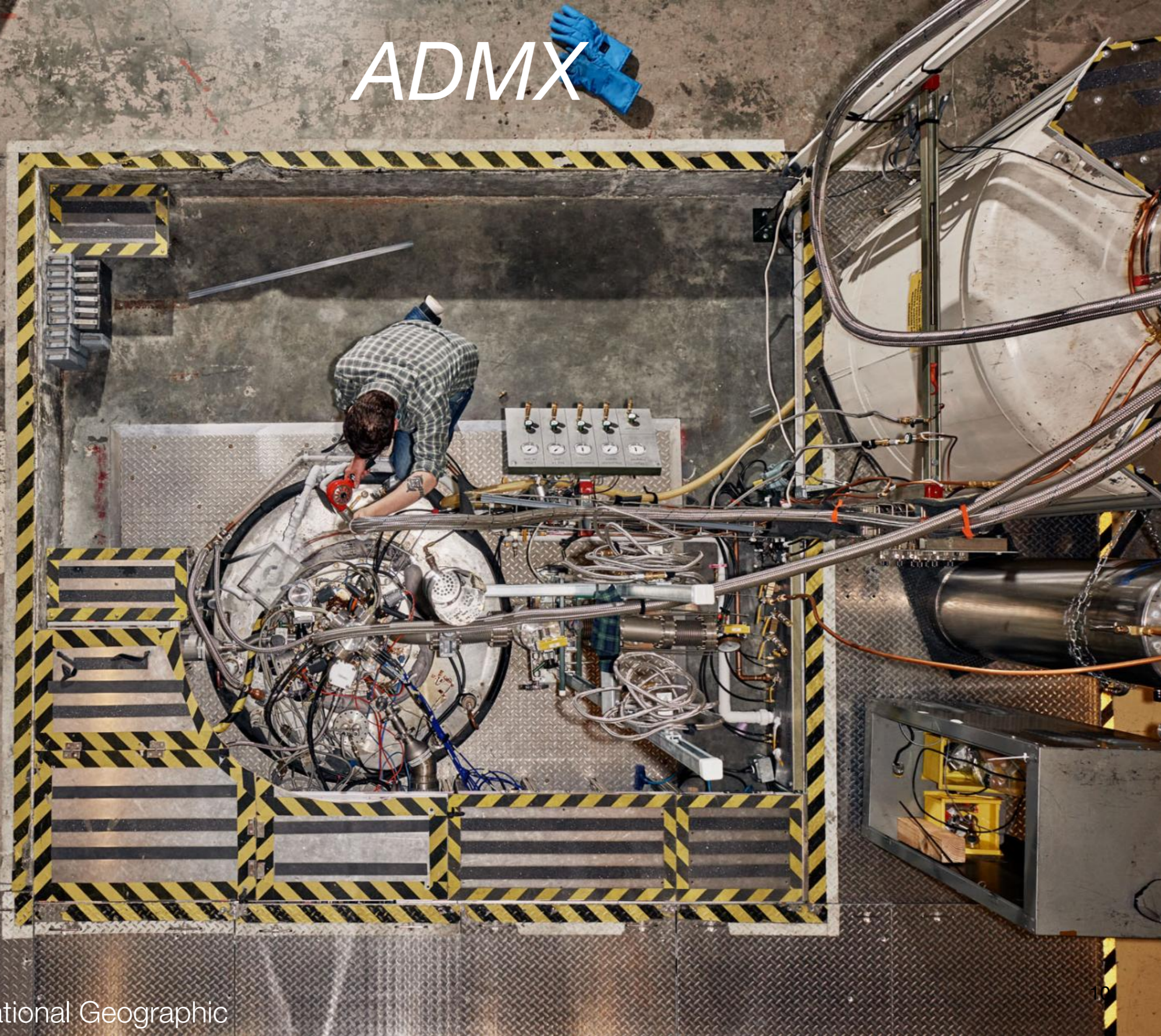


Brubaker 2018

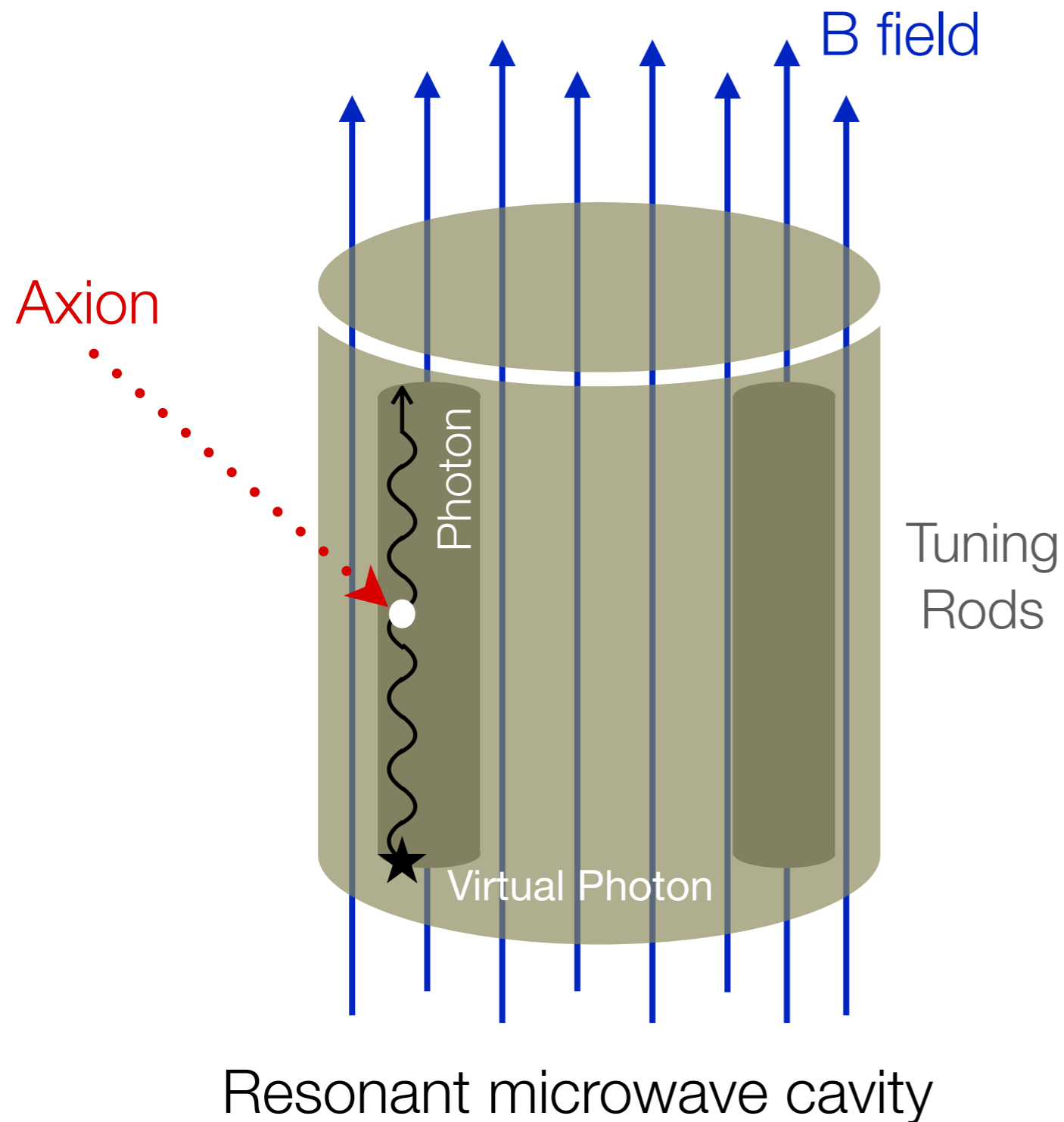
Axions as CDM

- Electrically neutral
- Have an athermal production mechanism -> born cold and stay cold
- QCD numerical & analytical studies show the most likely axion mass to be $\sim 1-100 \mu\text{eV}$
 - Stable on cosmological timescales
 - $\Omega_a \approx \Omega_{DM}$

ADMX

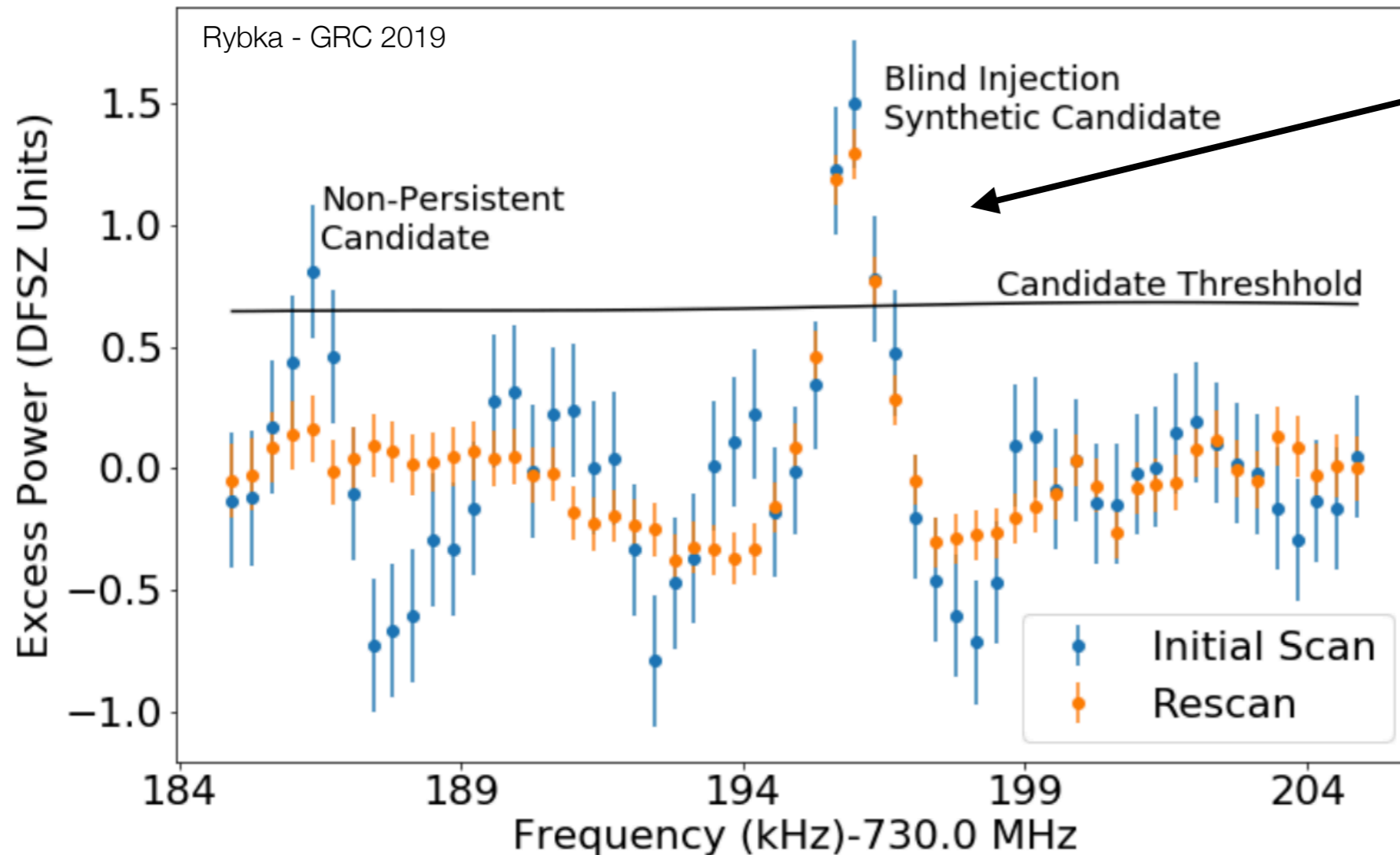


Axion Haloscope



- Converts invisible axions into detectable microwave photons in a large magnetic field via the inverse Primakoff effect
- Tunable so we can scan a range of frequencies

What does it mean to detect a candidate?



candidate: any excess power signal above a specified SNR threshold

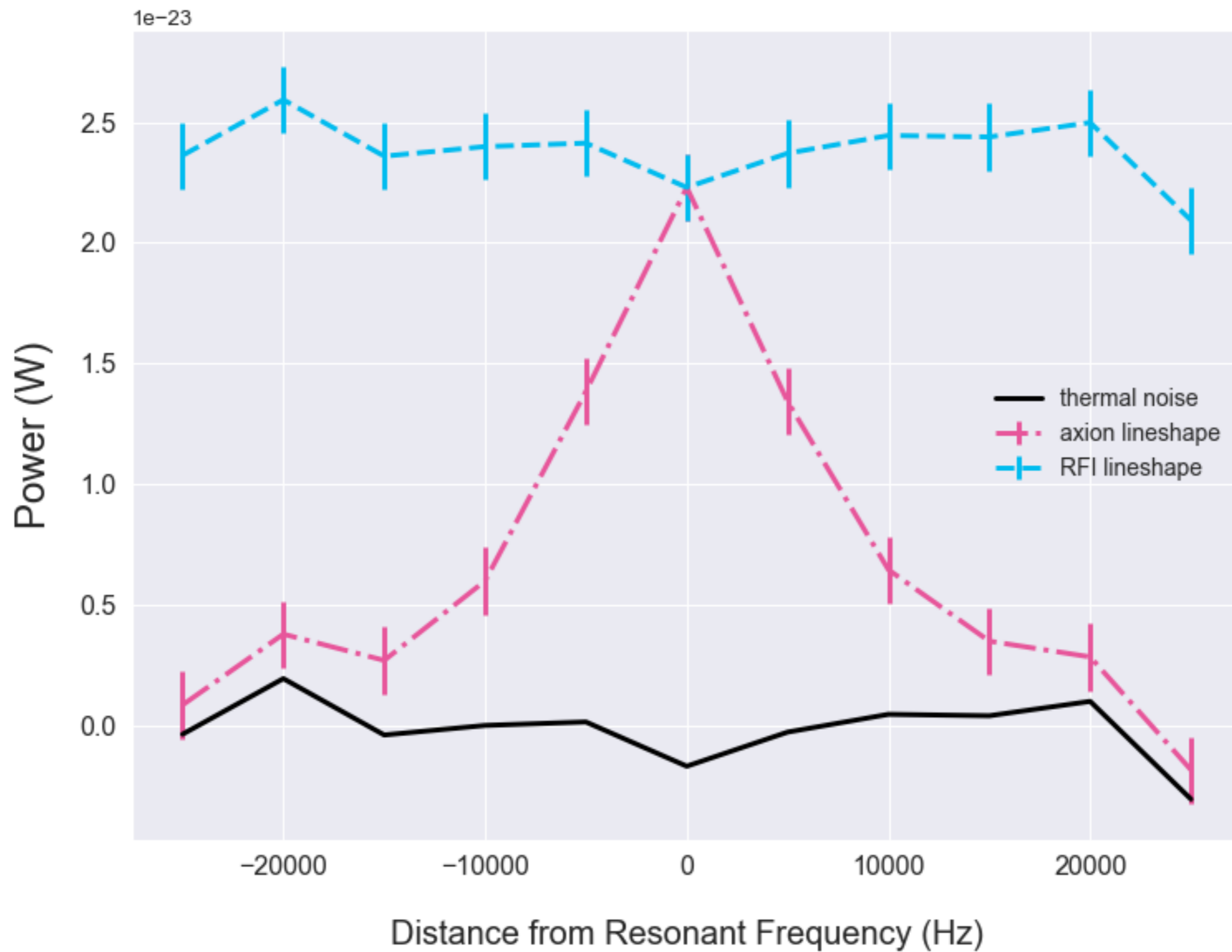
- Radio-Frequency Interference (RFI)
 - does not enter the cavity, enters somewhere in the electronics
 - does not show dependence on the cavity resonant frequency

My Goal

- Reduce the amount of Radio-Frequency Interference (RFI) signals we rescan as potential candidates
- Use chi-squared statistics to analyze how well a certain signal fits an axion-like cavity line shape vs. an RFI-like out-of-cavity line shape

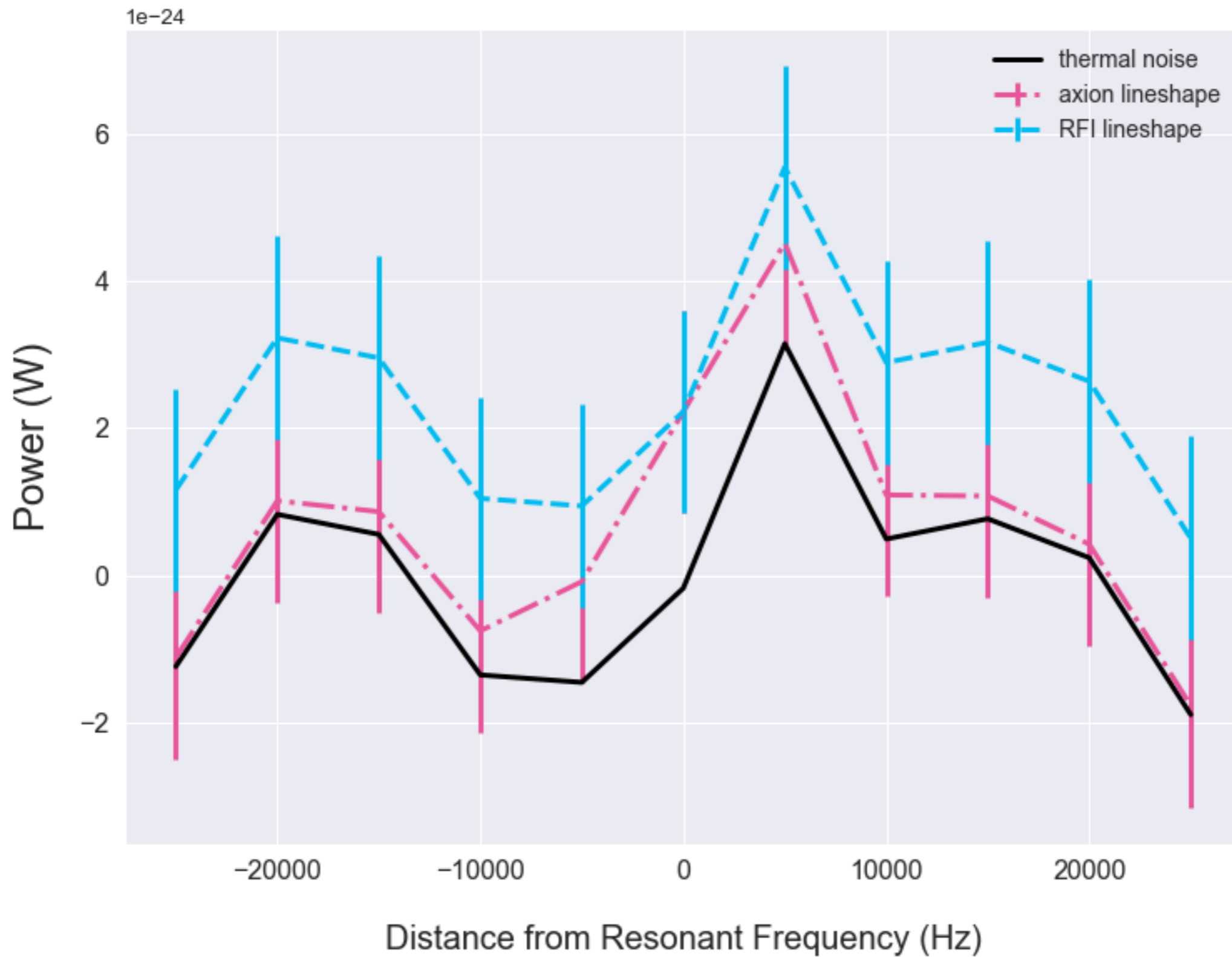
SNR = 30

Power vs. Cavity Frequency Offset



SNR = 3

Power vs. Cavity Frequency Offset



My Model

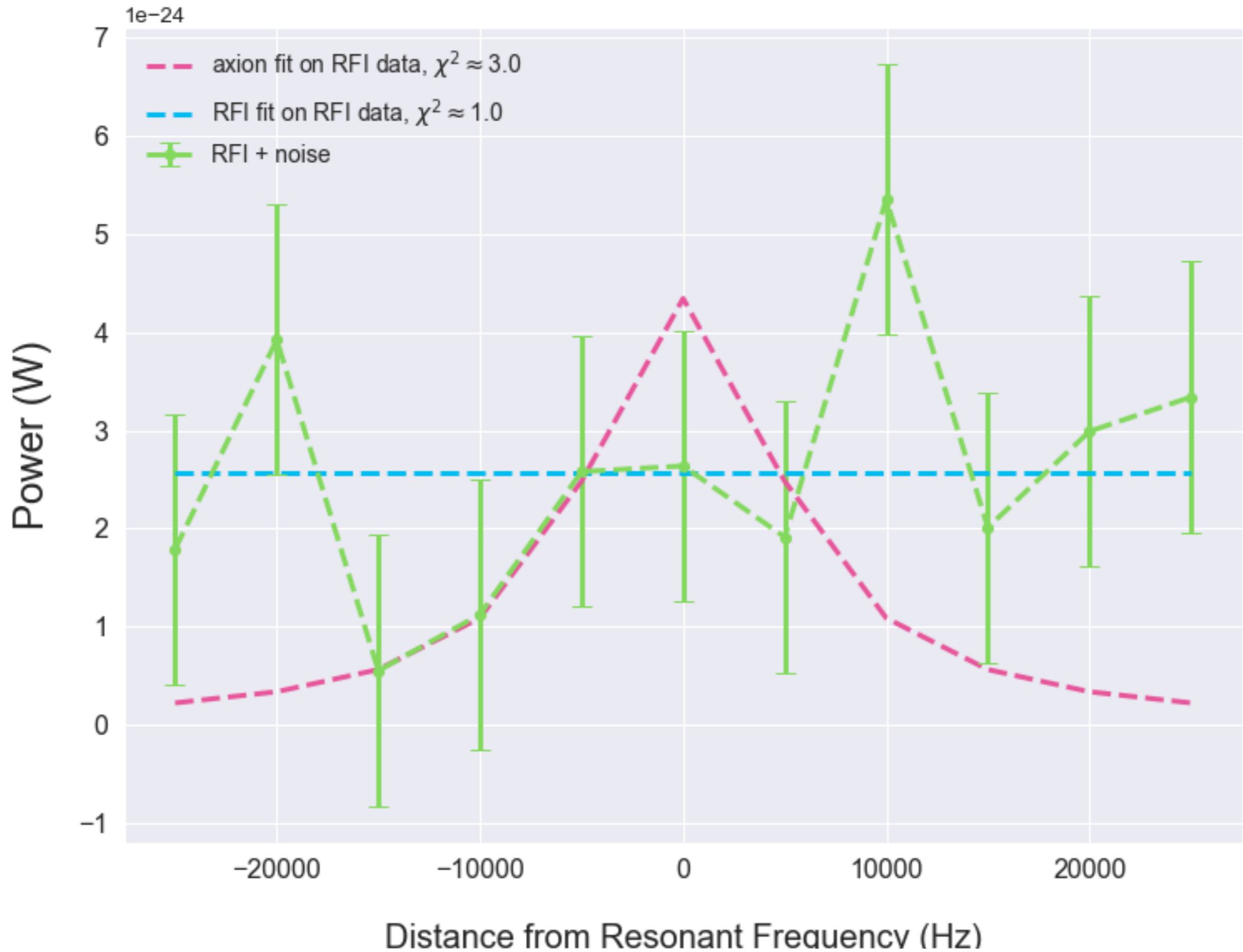
- I assume signals are either axion-like (follow the cavity line shape) or RFI-like (do not follow the cavity shape)
- I have a signal sampled at several frequency offsets from the cavity center
- I'm testing with simulated data where we have 20,000 scans within +/- 25 kHz of the cavity resonance moving in steps of 5 kHz, each scan with a Gaussian noise distribution centered on zero with a standard deviation of $1.3\text{E-}24$ W

Using chi-squared statistics to distinguish low SNR signals

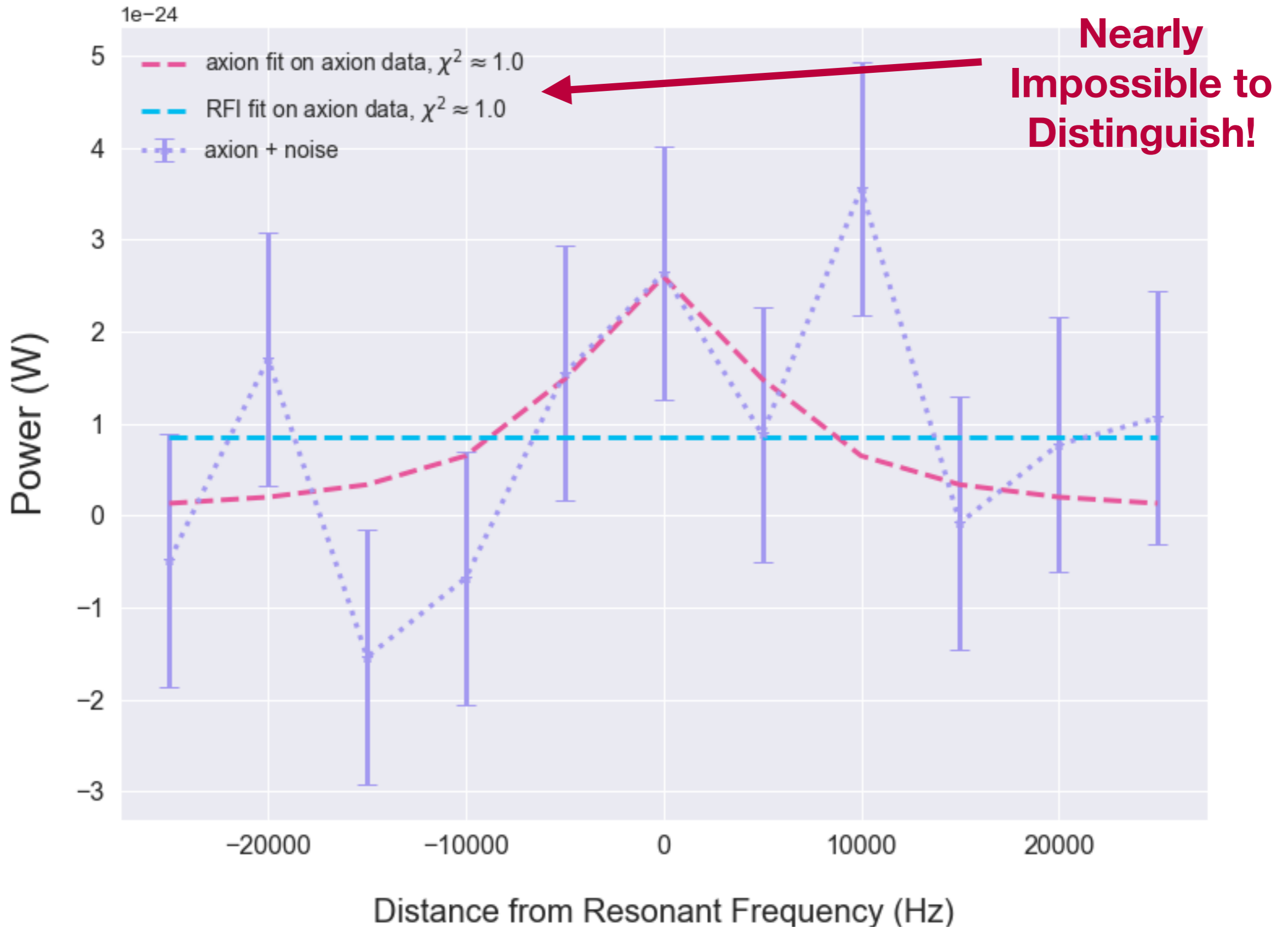
1. Fit a given signal twice, one using the axion-like (Lorentzian) function and the other using the RFI-like (constant) function
2. Calculate a chi-squared value for each of the two fits
3. Use the difference, $\chi_{axion}^2 - \chi_{RFI}^2$, to categorize the signals into either axion-like or RFI-like

ex. $\chi_{axion}^2 = 1$ $\chi_{RFI}^2 = 2 \longrightarrow$ axion fit is better $\chi_{axion}^2 - \chi_{RFI}^2 = -1$
 $\chi_{axion}^2 = 2$ $\chi_{RFI}^2 = 1 \longrightarrow$ RFI fit is better $\chi_{axion}^2 - \chi_{RFI}^2 = +1$

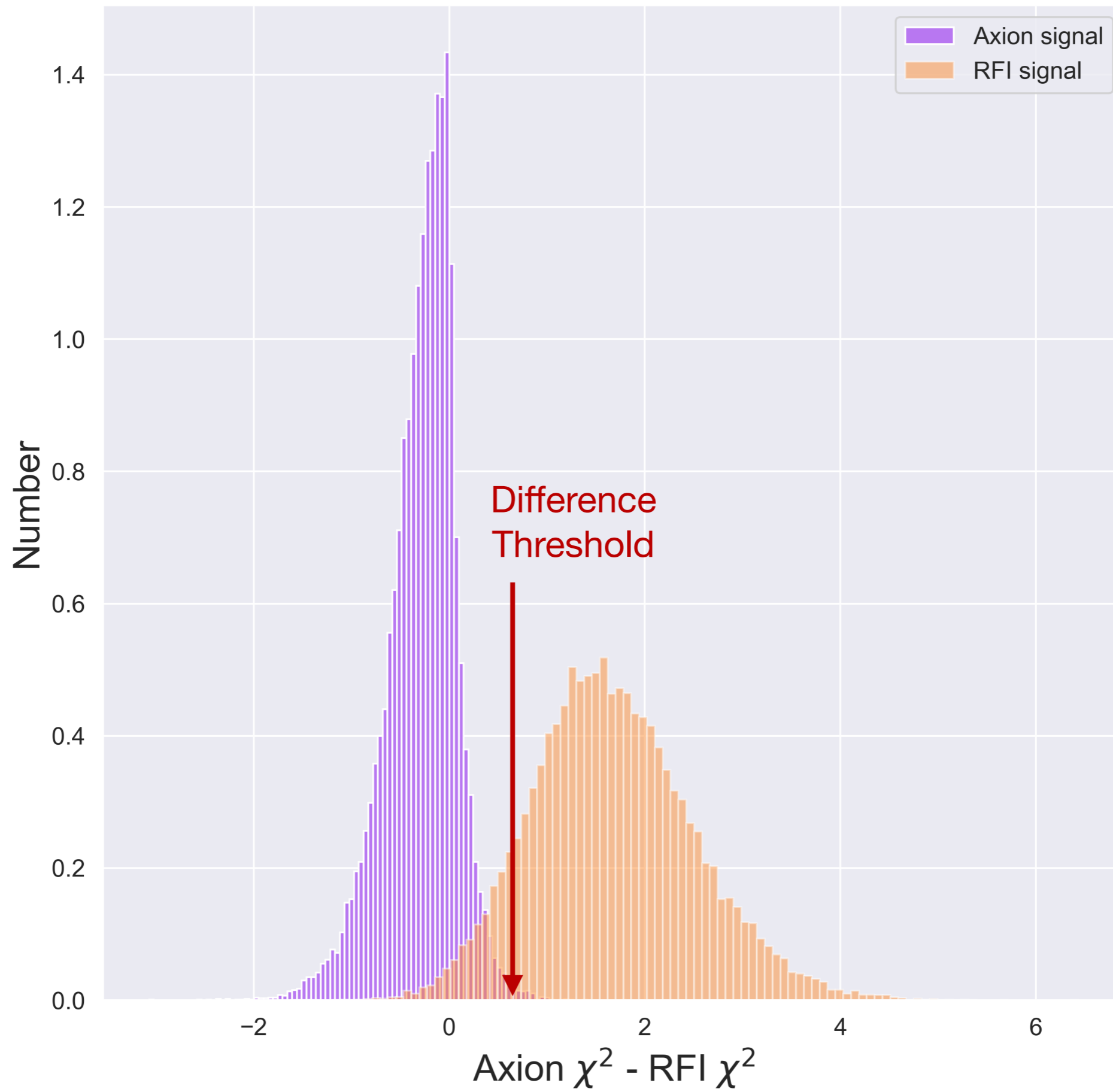
Power vs. Cavity Frequency Offset



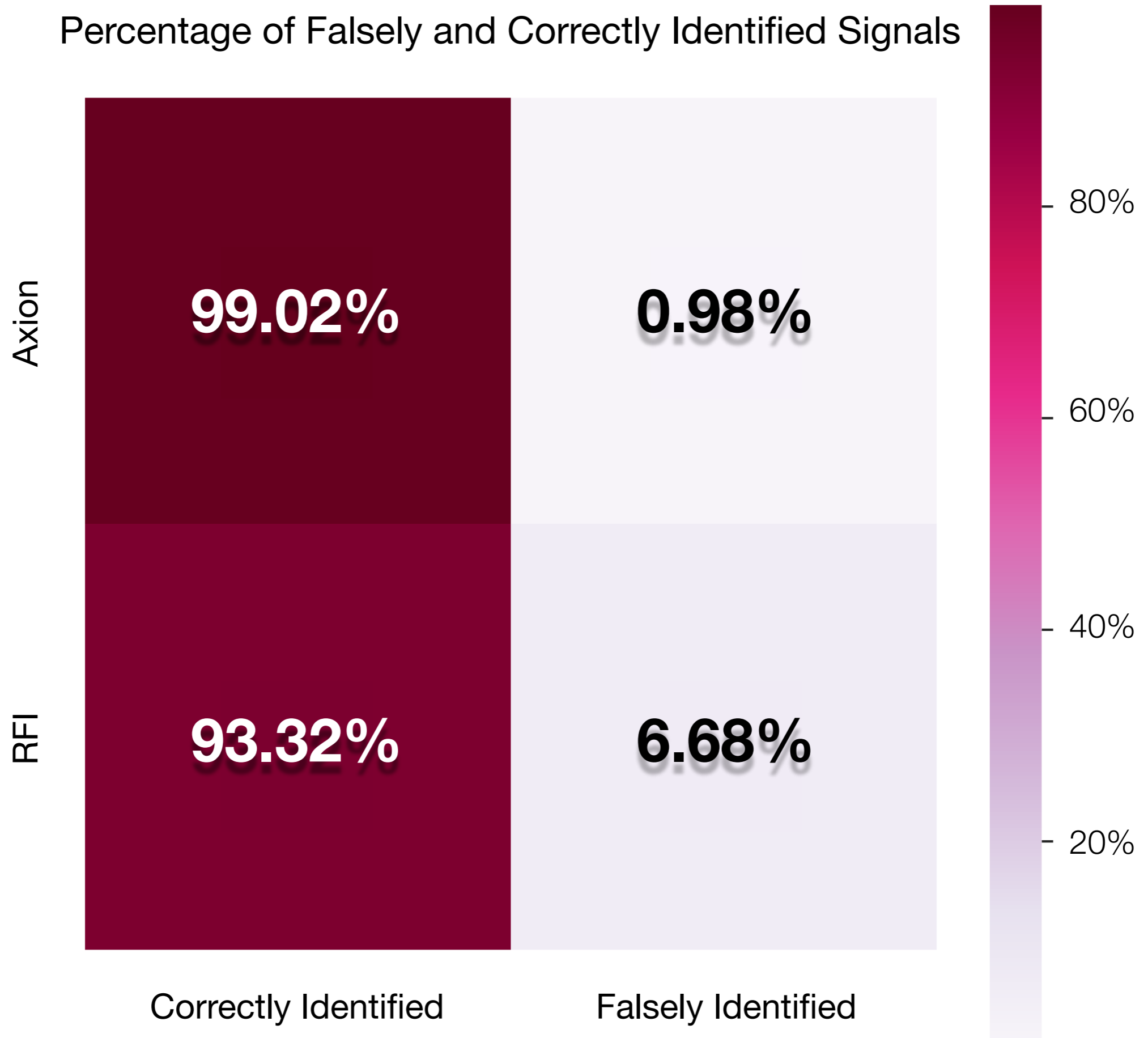
Power vs. Cavity Frequency Offset



χ^2 difference for Axion and RFI signals



Percentage of Falsely and Correctly Identified Signals



Conclusions

- Using this model we can reject $\sim 93\%$ of RFI signals for rescanning (given an SNR of 3), while still having less than a 1% chance of missing an axion. This could greatly increase scan speed.
- If the SNR is lower or there are fewer data points (bigger steps) this method still works but not quite as well. For example, if $\text{SNR} = 2.2$, we can only reject $\sim 73\%$ of RFI signals while only missing less than 1% of axions. However, this is still a great improvement from before.

Future Work

- Test this model using real data and ensure that it can be a trusted method before implementing it into the greater analysis procedure

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-
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References

- Brubaker, B. (2018). First results from the HAYSTAC axion search (Ph.D. Thesis).
- Du, N. et al. (ADMX Collaboration), Phys. Rev. Lett. 120, 151301 (2018).