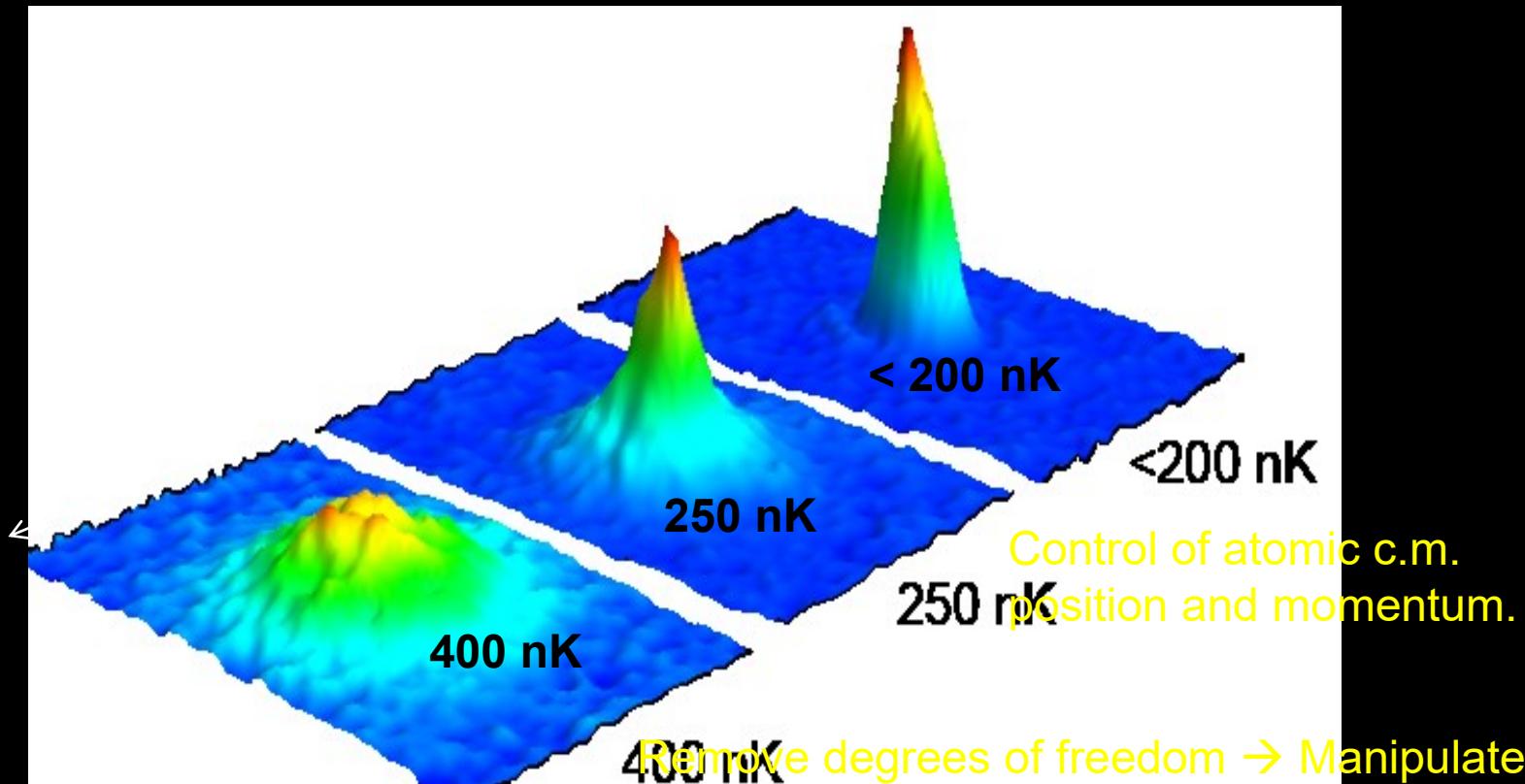


Quantum Engineering with Ultracold Atoms

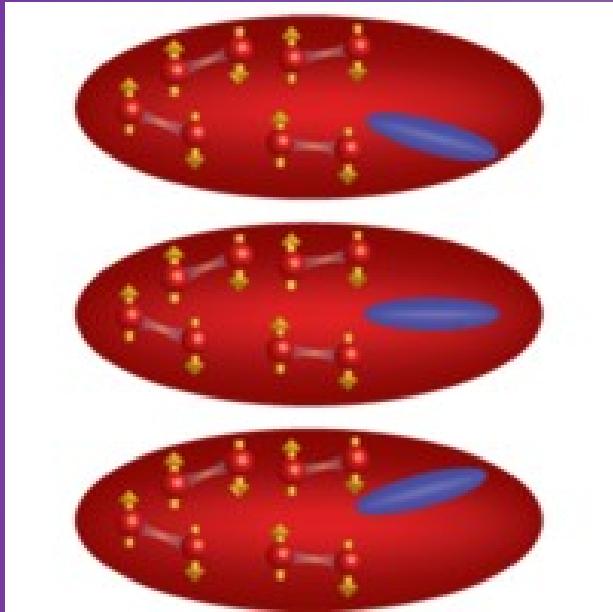


Today:
Bose-Fermi double superfluid
Ultracold Molecules
Precision BEC interferometry

Remove degrees of freedom → Manipulate
→ Controllably/usefully introduce complexity
→ Address Q's in AMO, CM, nuclear, particle

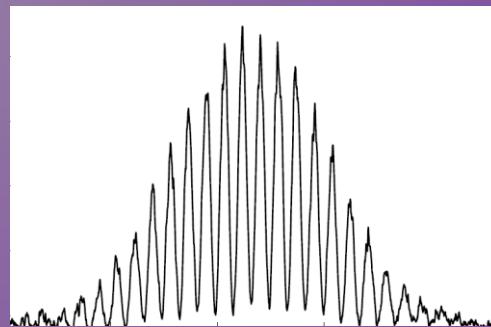
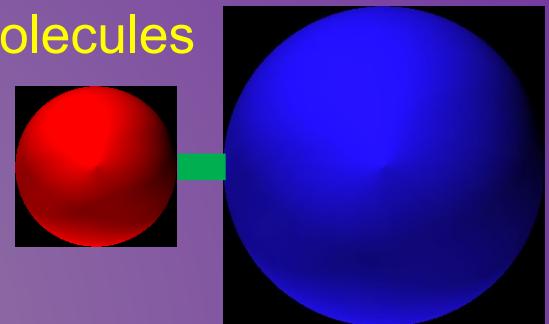
Subhadeep Gupta
UW NSF-INT Phys REU, 12th August 2019

NanoKelvin Quantum Engineering



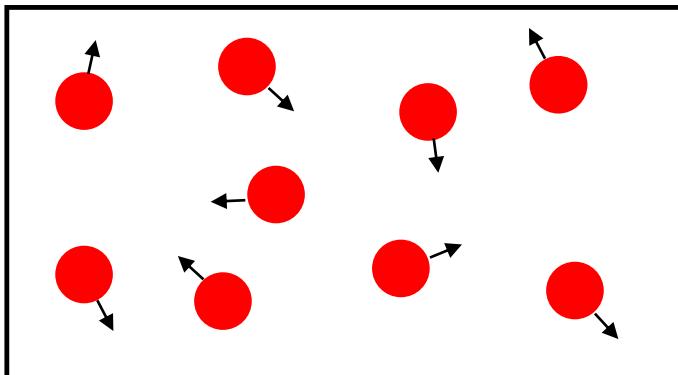
Two-Element
Bose-Fermi double superfluid

Ultracold
Molecules



Precision BEC
interferometry

Quantum Degeneracy in a gas of atoms



1 atom per quantum state

N atoms

V volume

T temperature

$$(\Delta x)^3 \sim V$$

$$(\Delta p)^3 \sim (m k_B T)^{3/2}$$

Number of atoms = $\frac{(\text{available position space})(\text{available momentum space})}{\hbar^3}$

Quantum Phase
Space Density

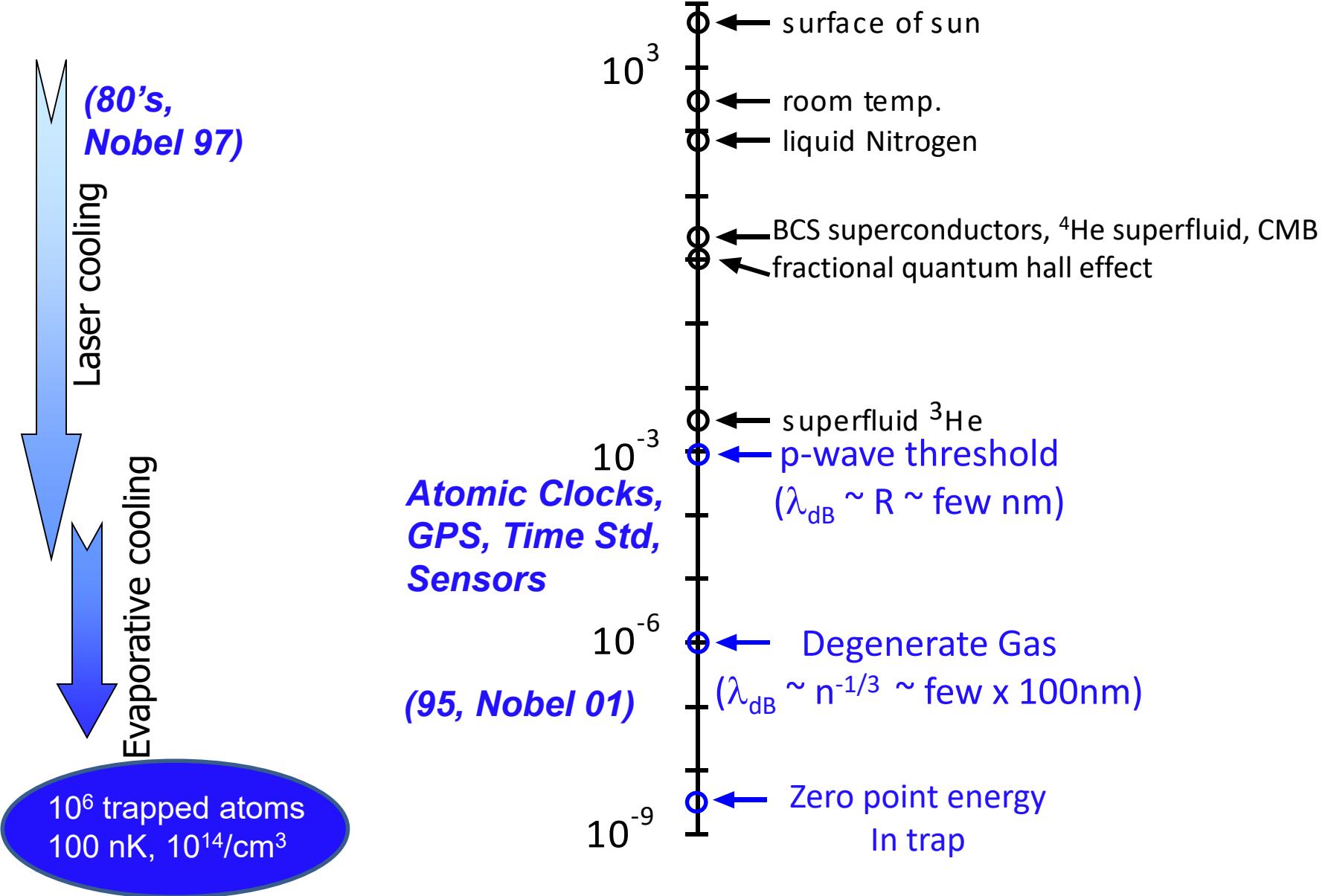
$$\frac{n \hbar^3}{(m k_B T)^{3/2}} \sim 1 \quad (n=N/V)$$

Air $n \sim 10^{19}/\text{cm}^3$, $T_c \sim 1\text{mK}$
Stuff $n \sim 10^{22}/\text{cm}^3$, $T_c \sim 0.1\text{K}$
Everything (except He) is solid

Dilute metastable gases $n \sim 10^{14}/\text{cm}^3$
 $T_c \sim 1\mu\text{K}$!! Ultracold !!

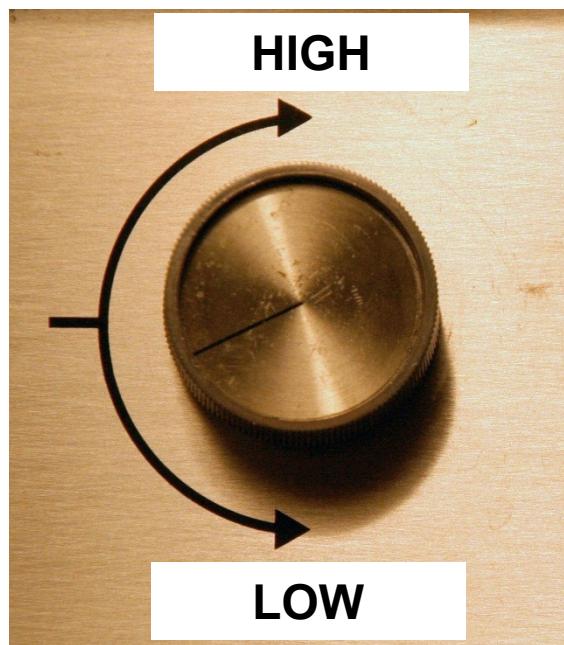
and ~ non-interacting

Relevant Ultracold Temperatures on the Log Kelvin Scale



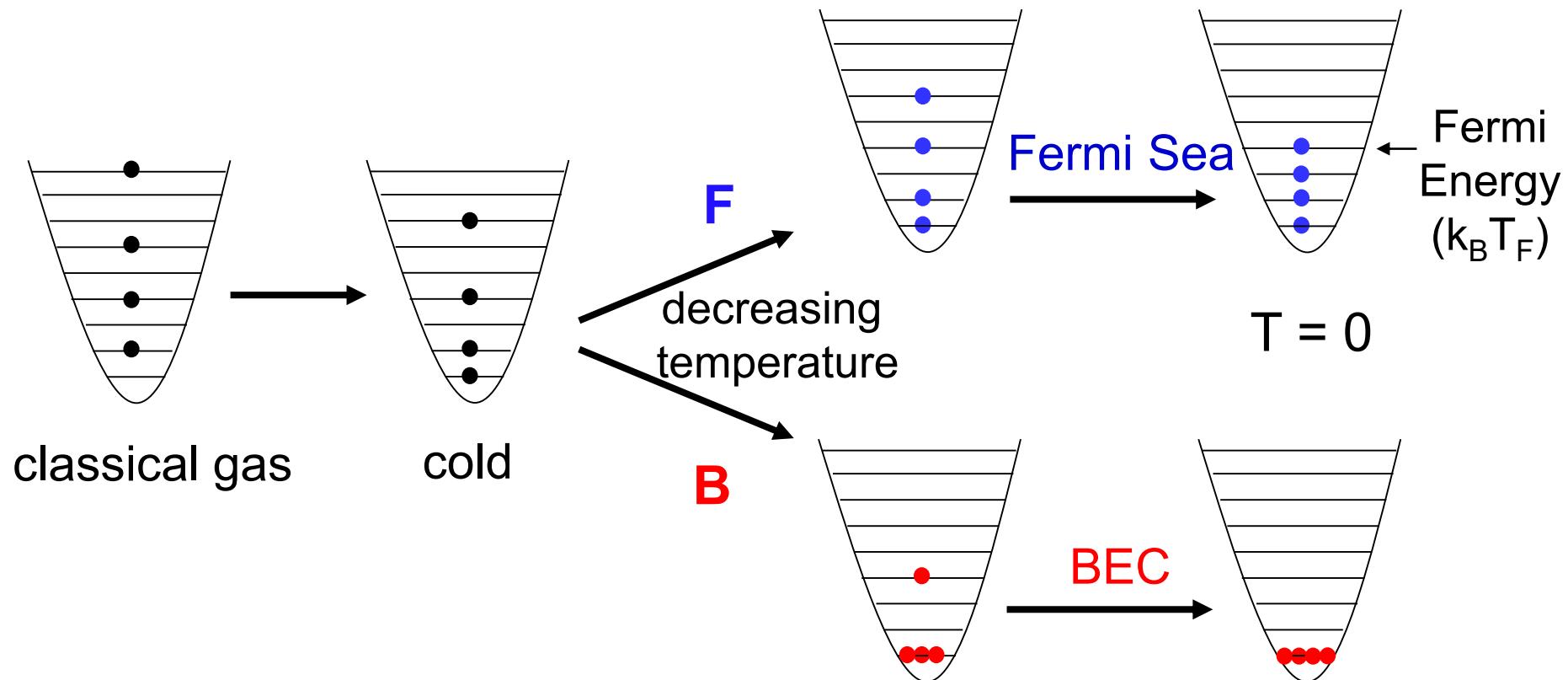
“Knobs” for Quantum Engineering

In ultracold, dilute gases,
using e-m fields, can control
(relatively) easily



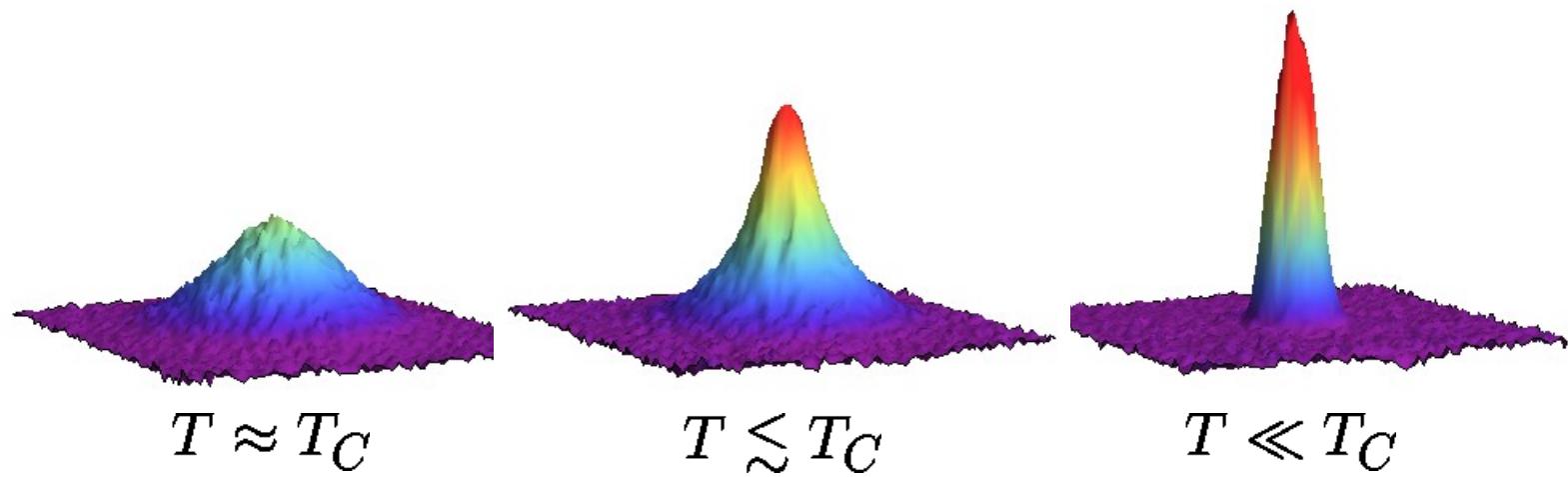
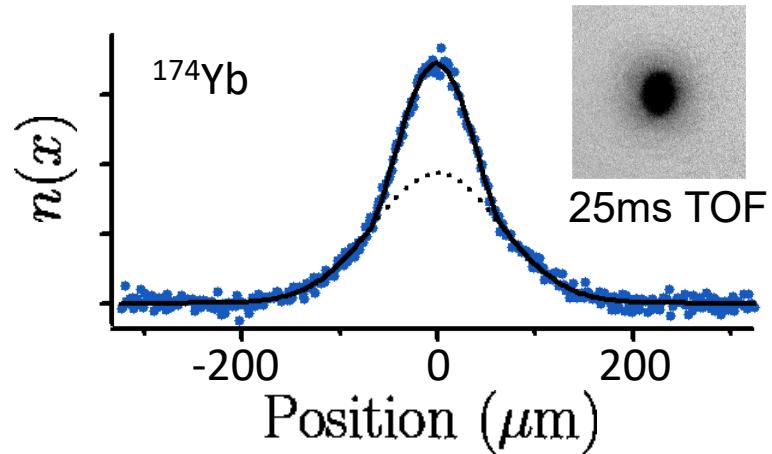
Temperature & density
Dimensionality
Magnetization
Magnitude & sign of the “charge”
Optical crystals (tunnel/on-site),
CM models, new systems
Chemical structure – form molecules

Different Quantum Matters

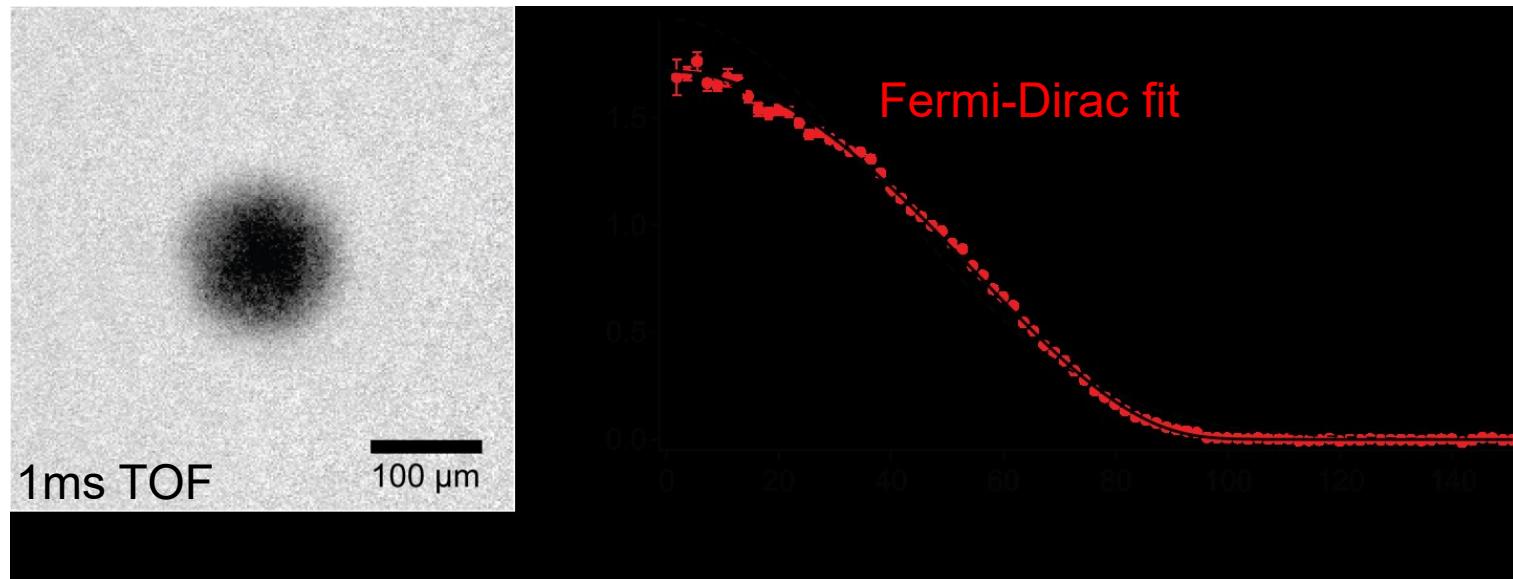


Boson degeneracy: Bose-Einstein condensate

$$n(\vec{r}) = n_{\text{BEC}}(\vec{r}) + n_{\text{th}}(\vec{r})$$



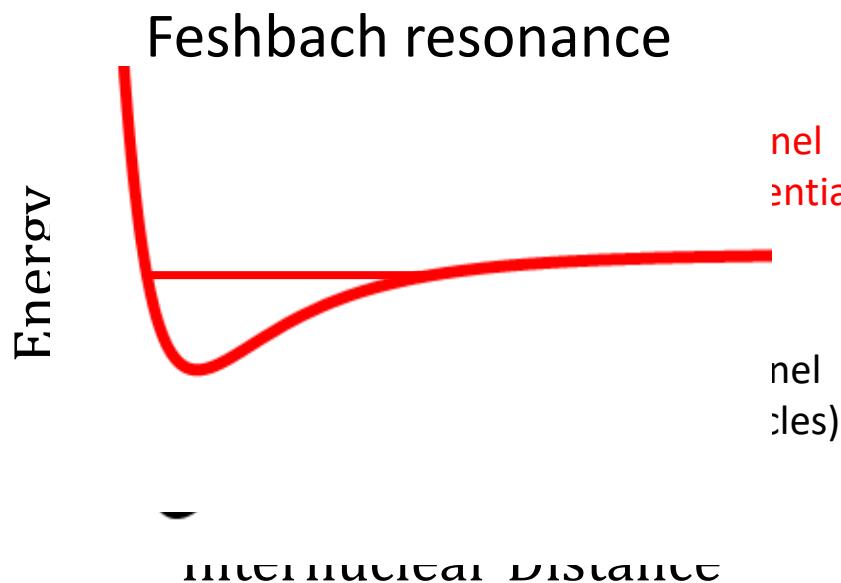
Fermion Degeneracy



Fermi pressure due to Pauli Exclusion principle

Quantum Degeneracy: $n\lambda_{dB}^3 \sim 1 \Rightarrow T_F \sim 1\mu K$

Controlling interactions



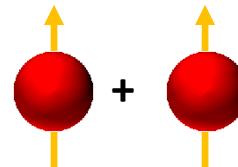
Resonance between two free atoms and a molecule
Control with external magnetic field

- Example

Entrance channel

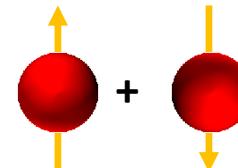


Triplet:

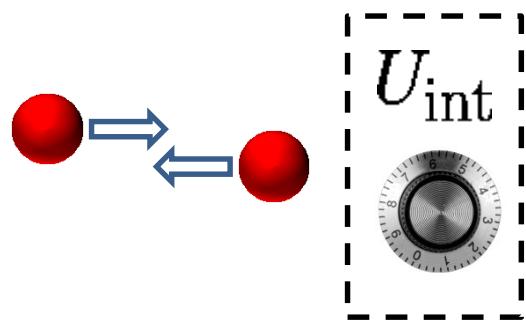


Closed channel

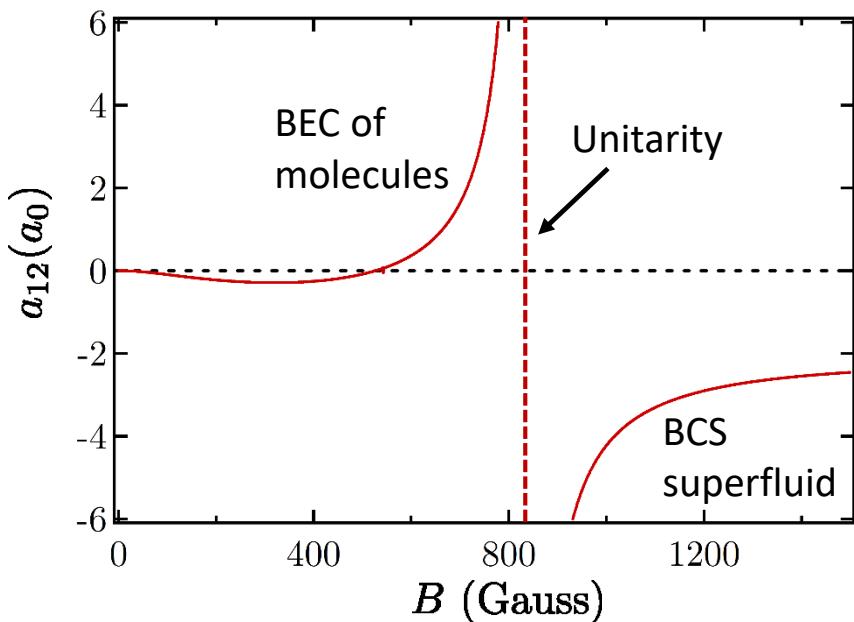
Singlet:



Strongly interacting Fermi gases



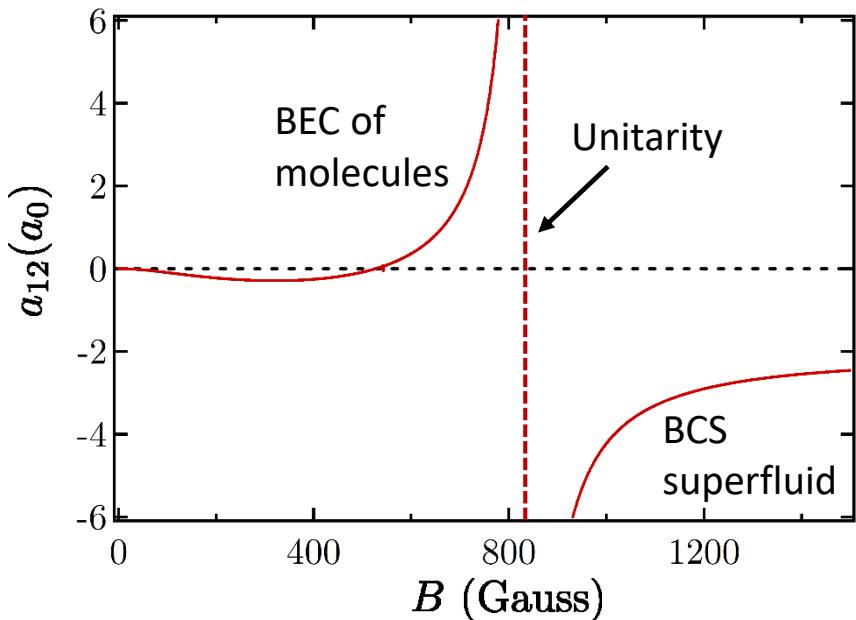
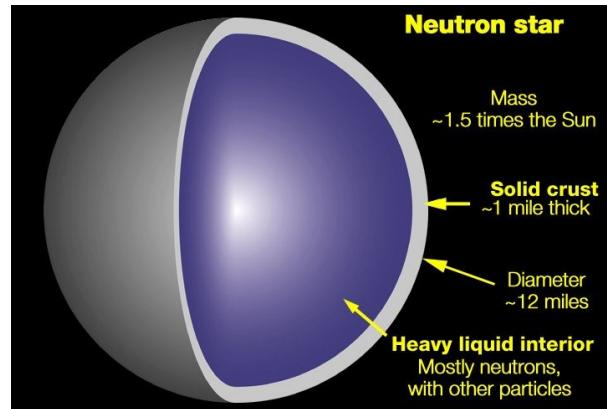
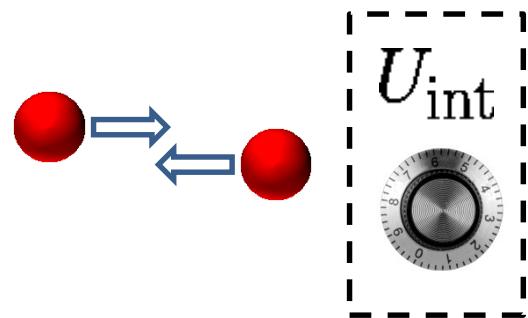
$$a(B) = a_{\text{bg}} \left(1 + \frac{\Delta}{B - B_0} \right)$$



Strong interactions
 $|k_F a| > 1$
betw. 2 spin states

Unitary Fermi Gas ($\frac{1}{k_F a} = 0$):
“Hydrogen Atom”
“Harmonic Oscillator”
of many-body physics

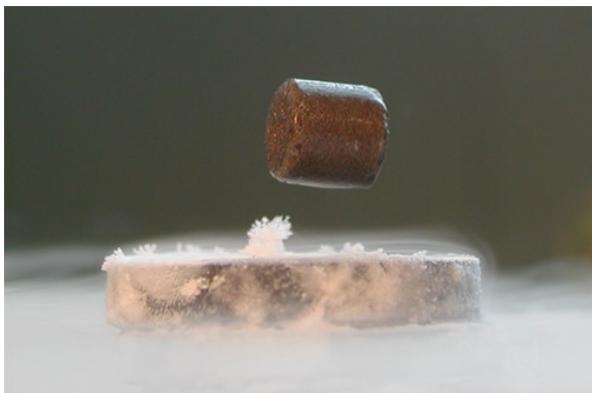
Strongly interacting Fermi gases



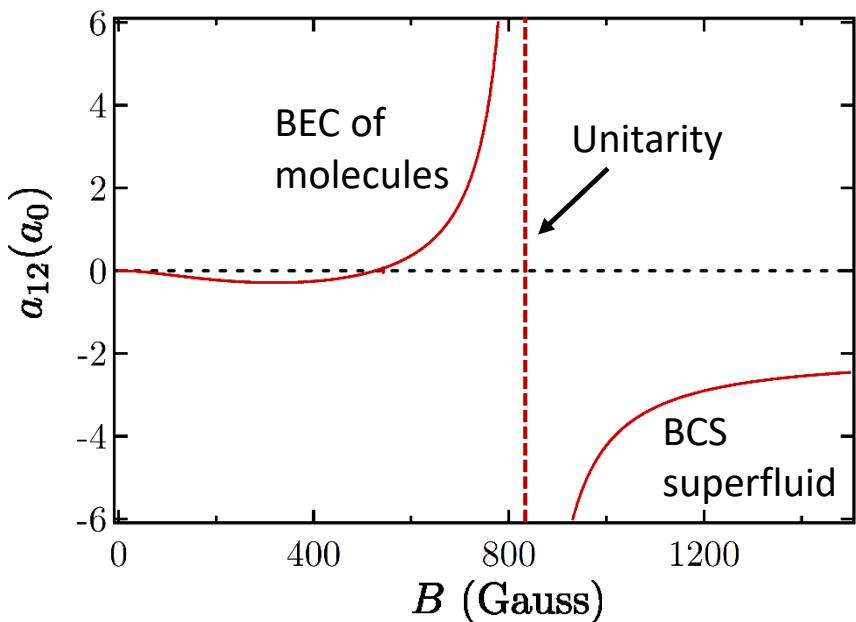
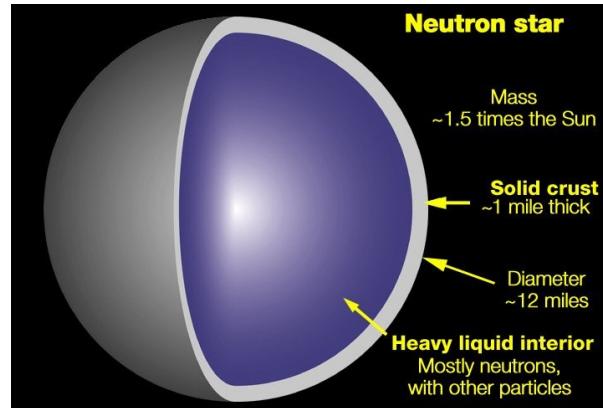
Strong interactions
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Strongly interacting Fermi gases



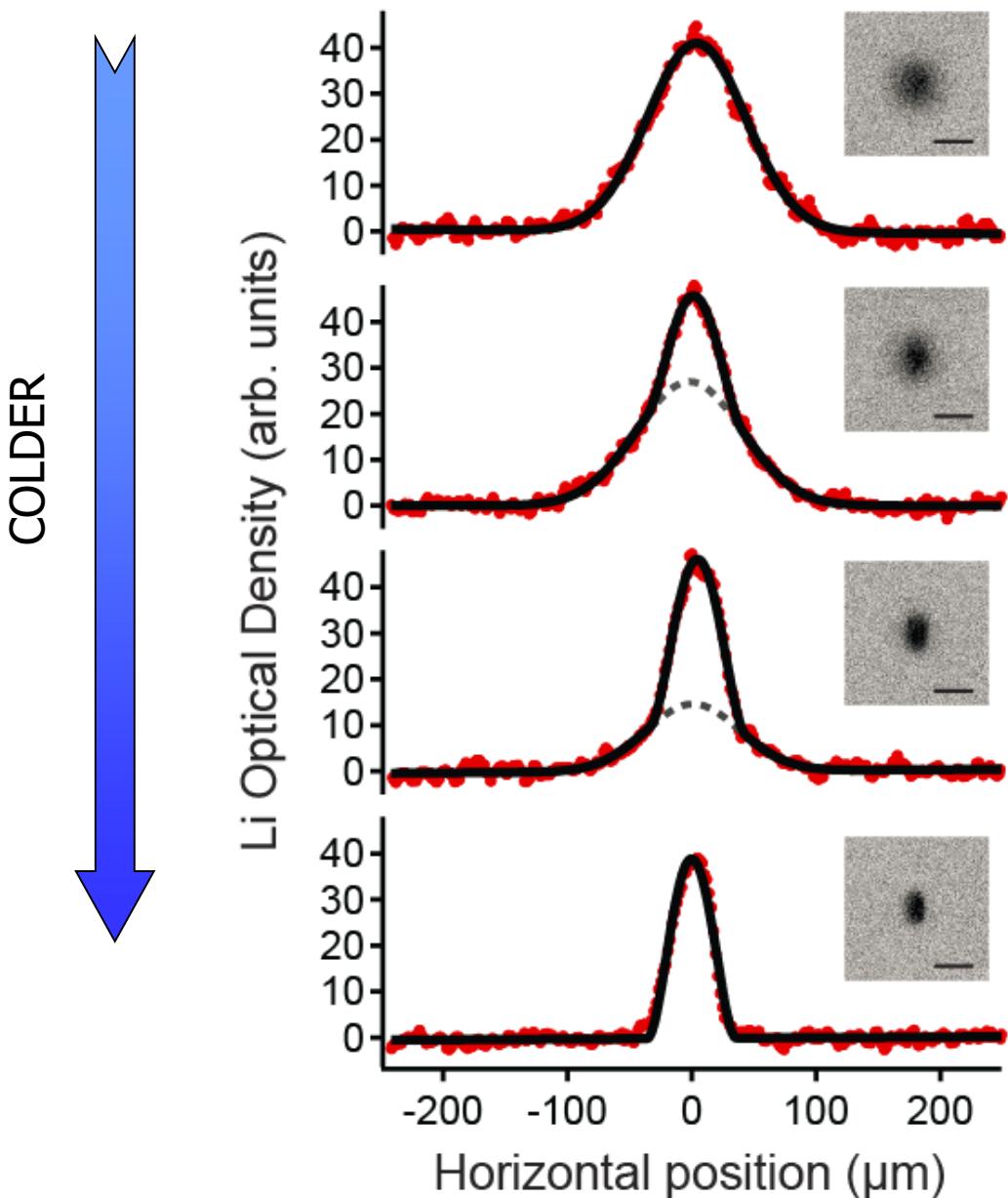
Source: <http://www.wou.edu/~rmiller09/superconductivity/>



Strong interactions
 $|k_F a| > 1$
betw. 2 spin states

Unitary Fermi Gas ($\frac{1}{k_F a} = 0$):
“Hydrogen Atom”
“Harmonic Oscillator”
of many-body physics

Fermionic Superfluidity



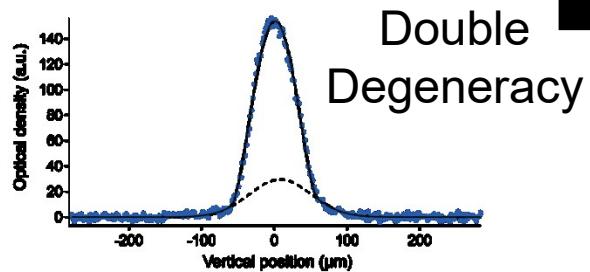
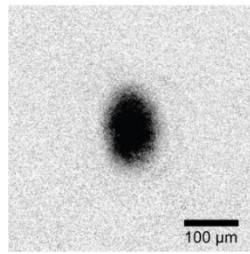
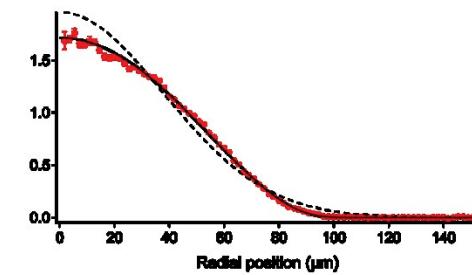
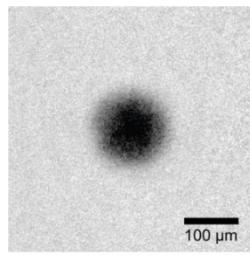
Final Cooling at unitarity

Observe condensation in TOF
on the molecular side
(adiabatic transfer from unitarity
to BEC side 832G \rightarrow 690G)

Condensation of paired fermions
($T_c \sim 0.17 T_F$)

Paired Fermi superfluid of
 ${}^6\text{Li}$ at $T/T_c = 0.55$

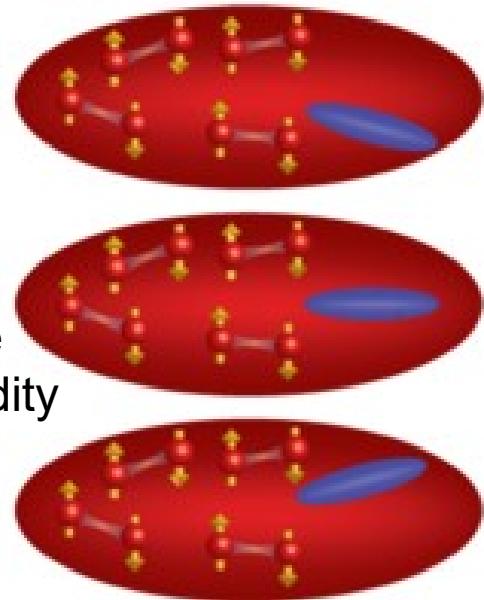
^{174}Yb - ^6Li Bose-Fermi Superfluid Mixture



Double
Degeneracy



Double
Superfluidity



Preparing and observing the double superfluid

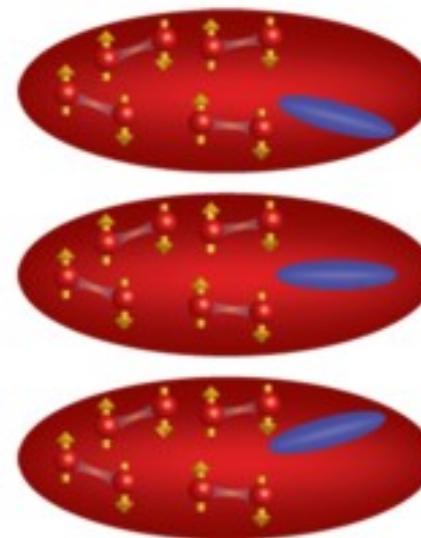
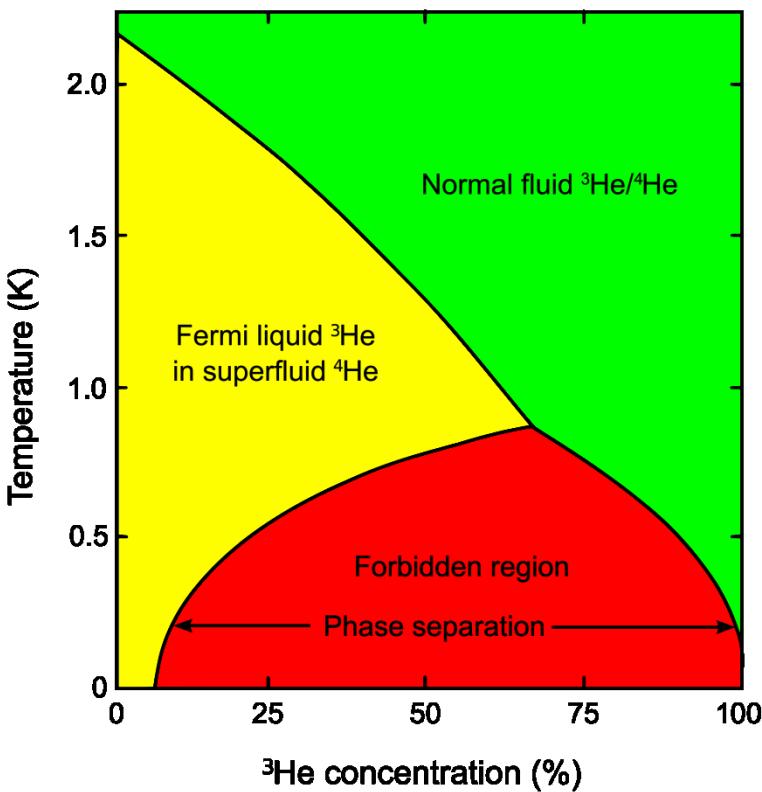
Demonstration of Elastic Coupling between superfluids

Angular Momentum Exchange between superfluids

Bose-Fermi Double Superfluid

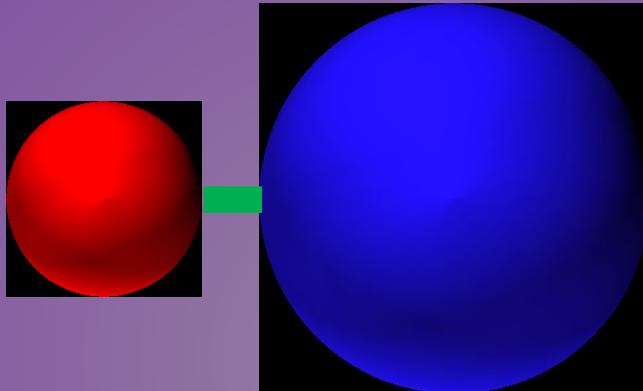
^4He - ^3He mixtures.
Strong B-F repulsion.
B-F superfluid not yet realized

Recently B-F superfluids in atomic systems in ^7Li - ^6Li , ^{174}Yb - ^6Li , ^{41}K - ^6Li
NEW QUANTUM SYSTEM!



Diatomeric Molecules

(One atom too many?)



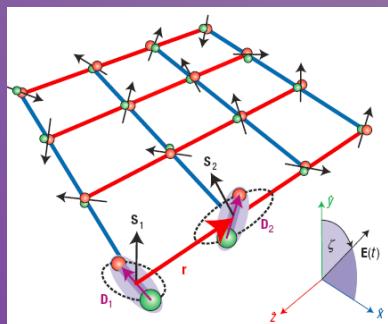
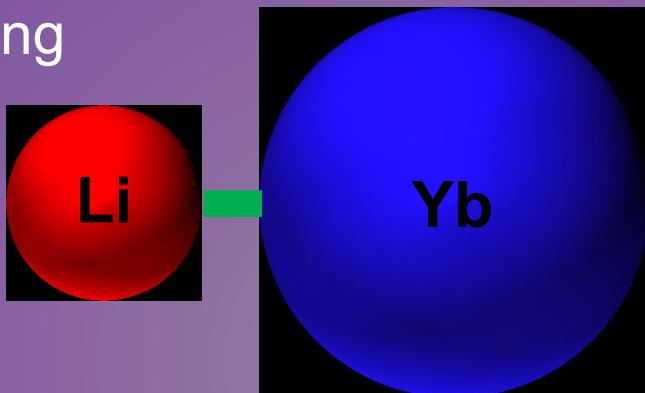
New degrees of freedom:

Scientific Advantages & Technical Challenges

Can cool individual atomic species first and
then combine them into ultracold molecules

Ultracold Polar Molecules

Long range (d^2/r^3)
interaction for quantum
Information processing

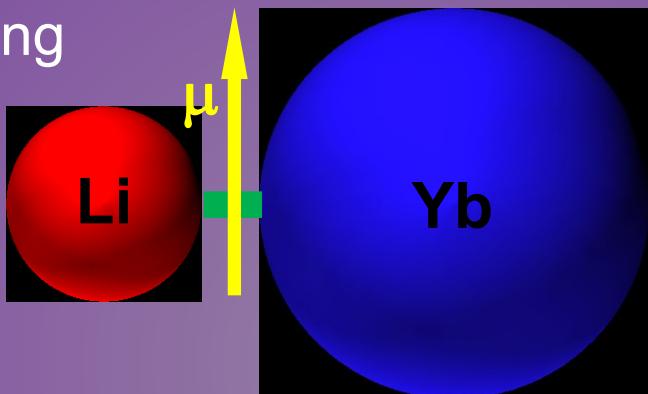


1 Debye dipoles, $0.5\mu\text{m}$ lattice
interact $\sim d^2/r^3 \sim h \times 1\text{kHz}$, $k_B \times 50\text{nK}$.

LiYb: low (0.2 D) and high (5 D) EDM
calculated in different electronic states.

Ultracold Polar Molecules

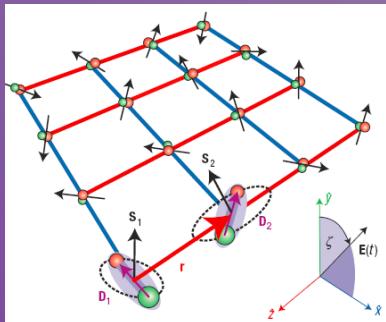
Long range (d^2/r^3)
interaction for quantum
Information processing



Dipolar superfluids

Precision Spectroscopies
eg. m_p/m_e time variation

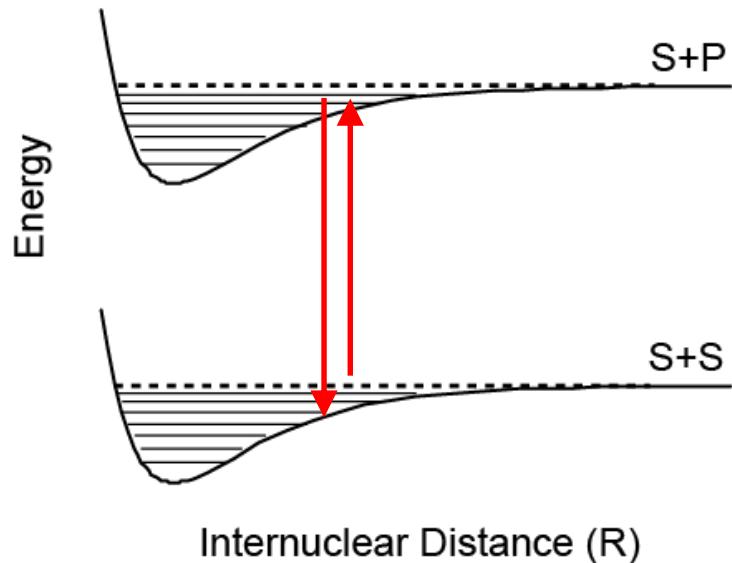
Quantum controlled
chemical reactions



1 Debye dipoles, $0.5\mu\text{m}$ lattice
interact $\sim d^2/r^3 \sim h \times 1\text{kHz}$, $k_B \times 50\text{nK}$.

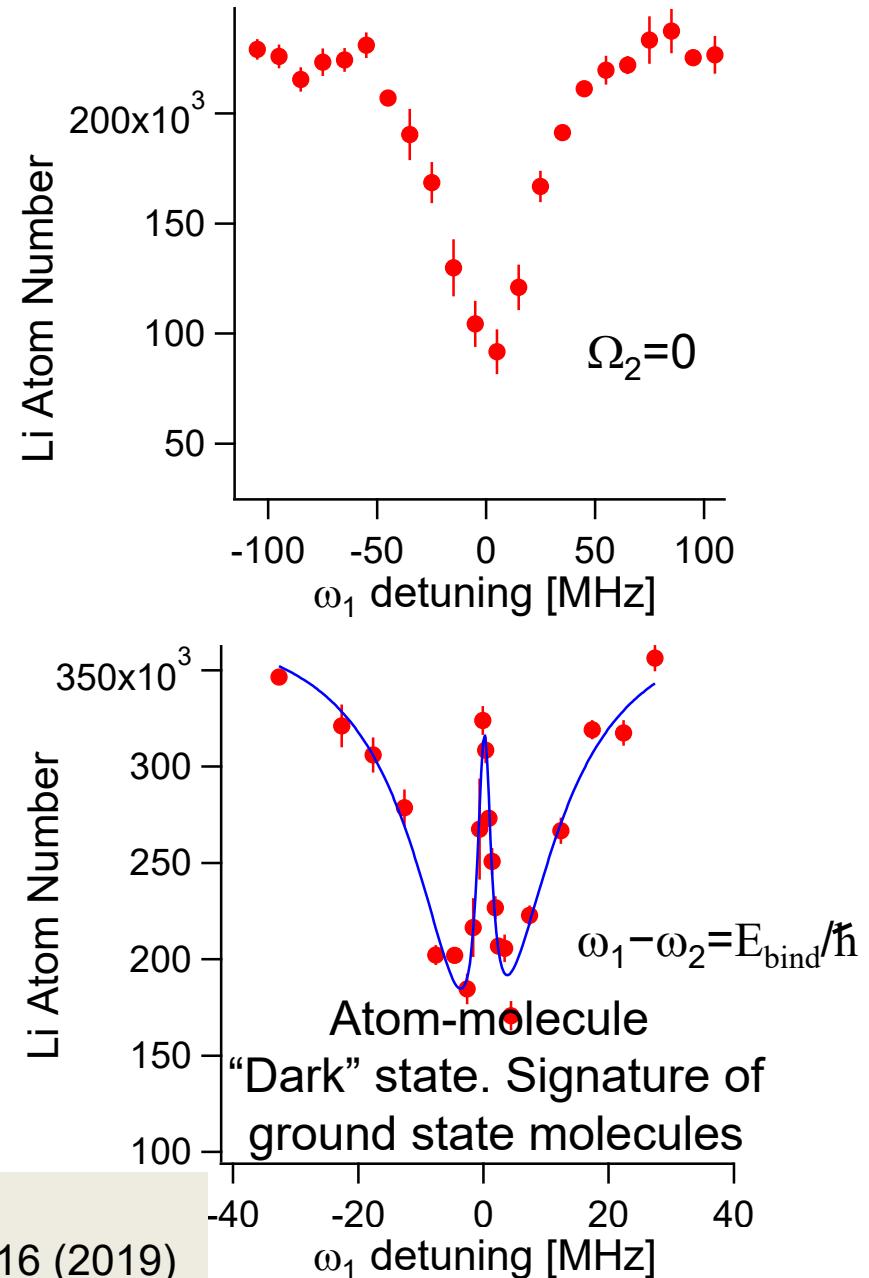
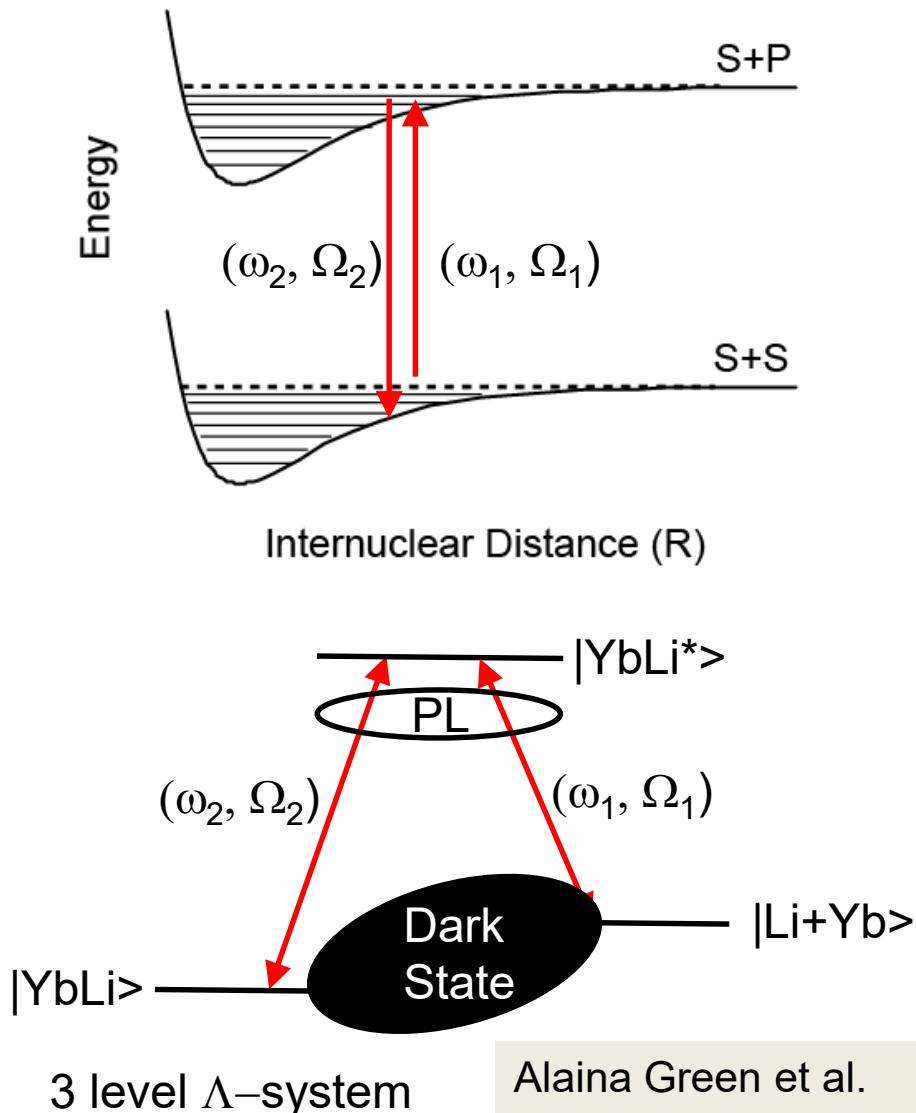
LiYb: low (0.2 D) and high (5 D) EDM
calculated in different electronic states.

Optical Feshbach Resonance

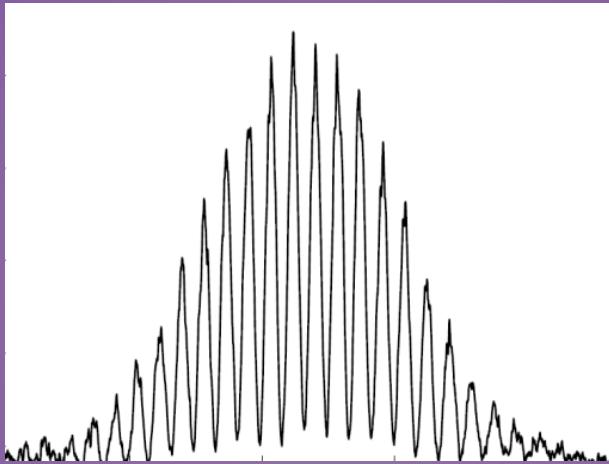


Couple (ultracold) free atoms and molecules
using a coherent 2-photon Raman process

Atom-Molecule Coherence



Precision Contrast Interferometry with Yb BECs: α and Development of BEC-based precision sensors



“Scaling up” Yb BEC CIFM
to large momentum separation

Photon Recoil for the Fine-Structure Constant, α

Test of QED and Standard Model

0.008 ppb: hydrogen spectroscopy

(Udem et al., 1997; Schwob et al., 1999)

~ 0.1 ppb: penning trap mass spec.

(Bradley et al., 1999, Ed Myers 2012)

$$\alpha^2 = \left(\frac{e^2}{\hbar} \right)^2 = \frac{2R_\infty}{c} \frac{h}{m_e} = \frac{2R_\infty}{c} \frac{M}{M_e} \frac{h}{m}$$

0.03 ppb: penning trap mass spec.

(Sturm et al., 2014)

α at 0.25 ppb (2008, 2012)

Penning trap @ Harvard (Gabrielse)

QED calculations by Kinoshita group

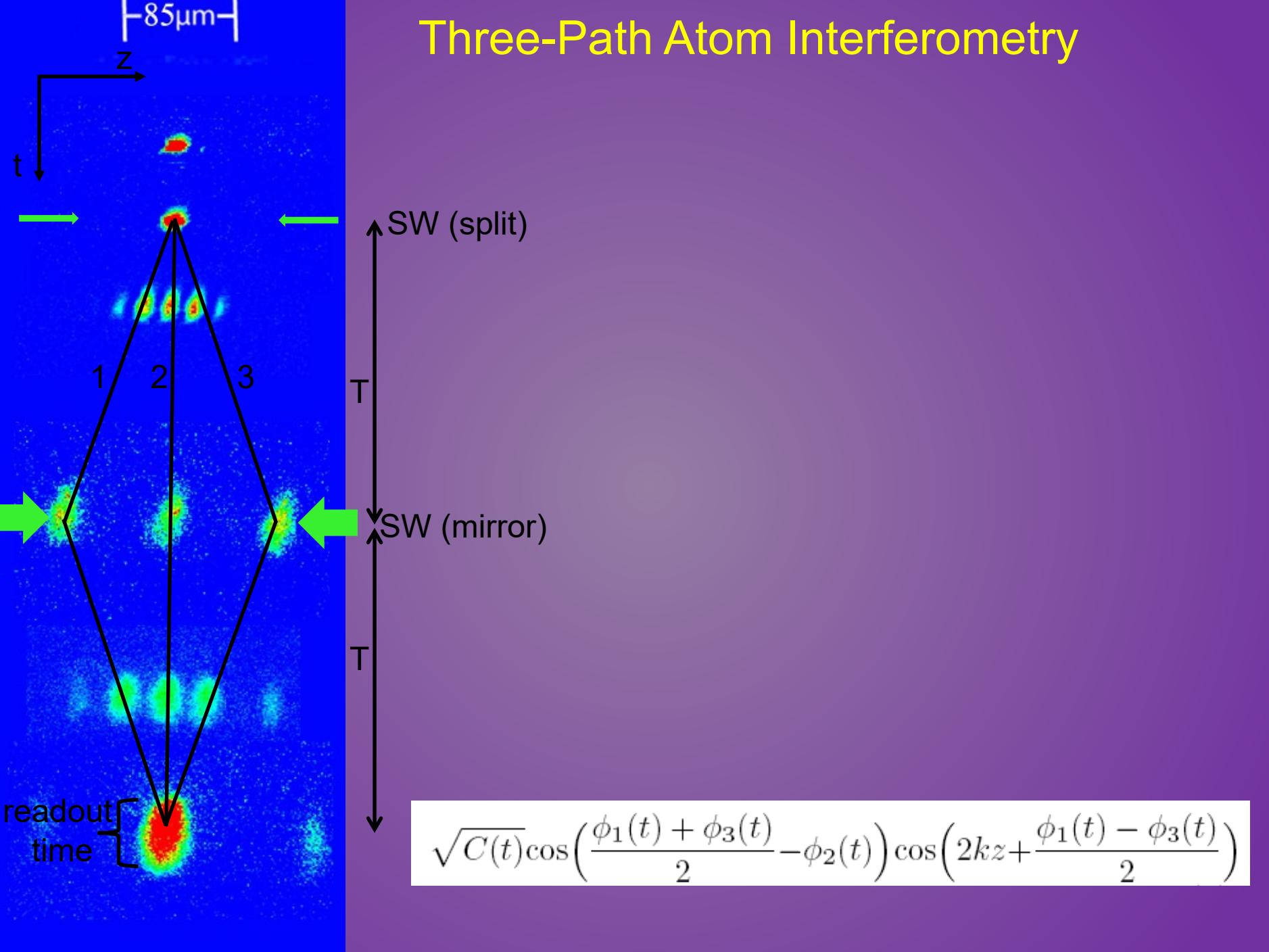
$$\omega_{\text{rec}} = \frac{1}{2} \frac{\hbar}{m} \kappa$$

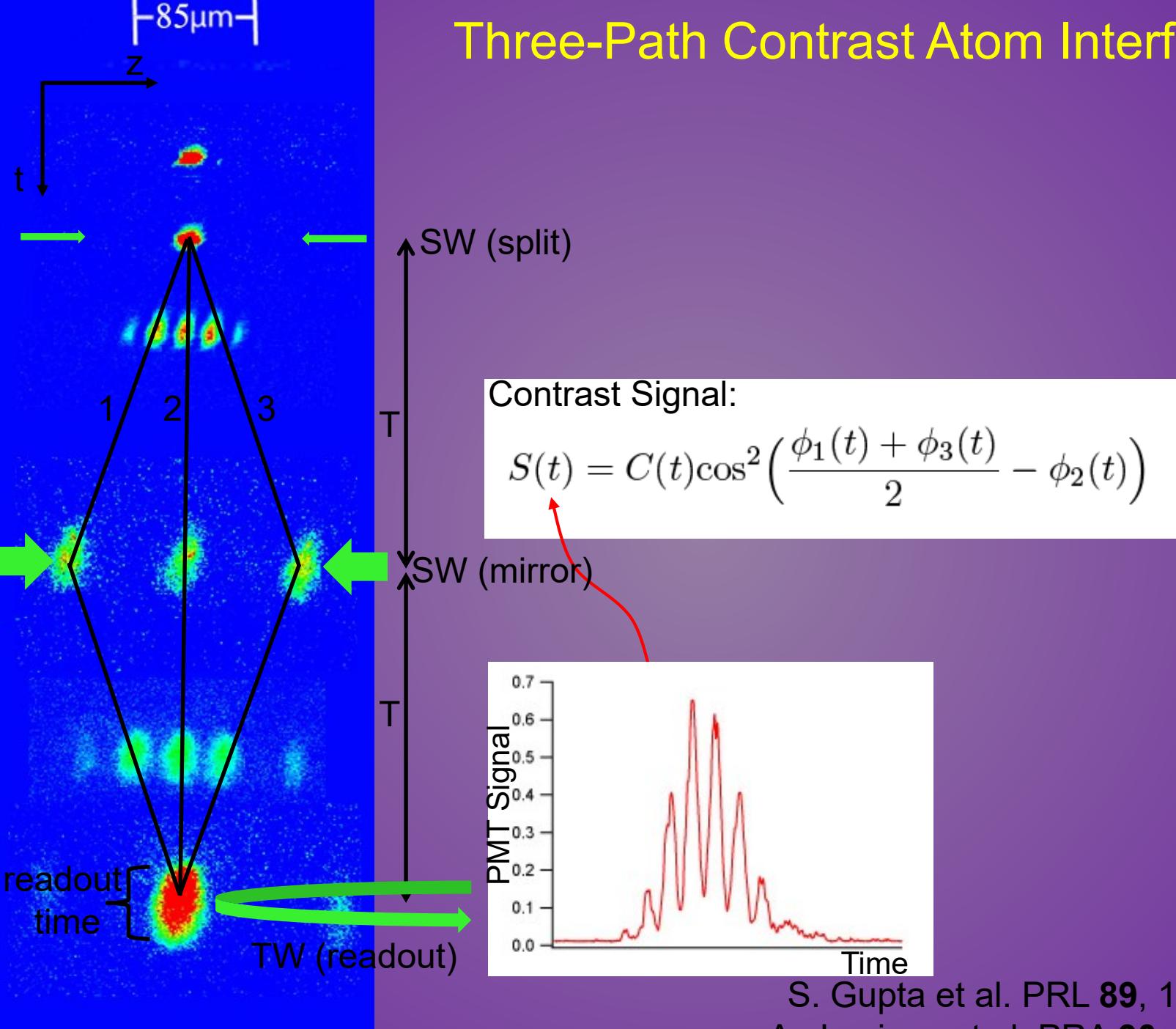
Photon Recoil Measurement by
light-pulse Atom Interferometry

Rb (Paris 2011) 1.3 ppb

Cs (Berkeley 2018) 0.4 ppb

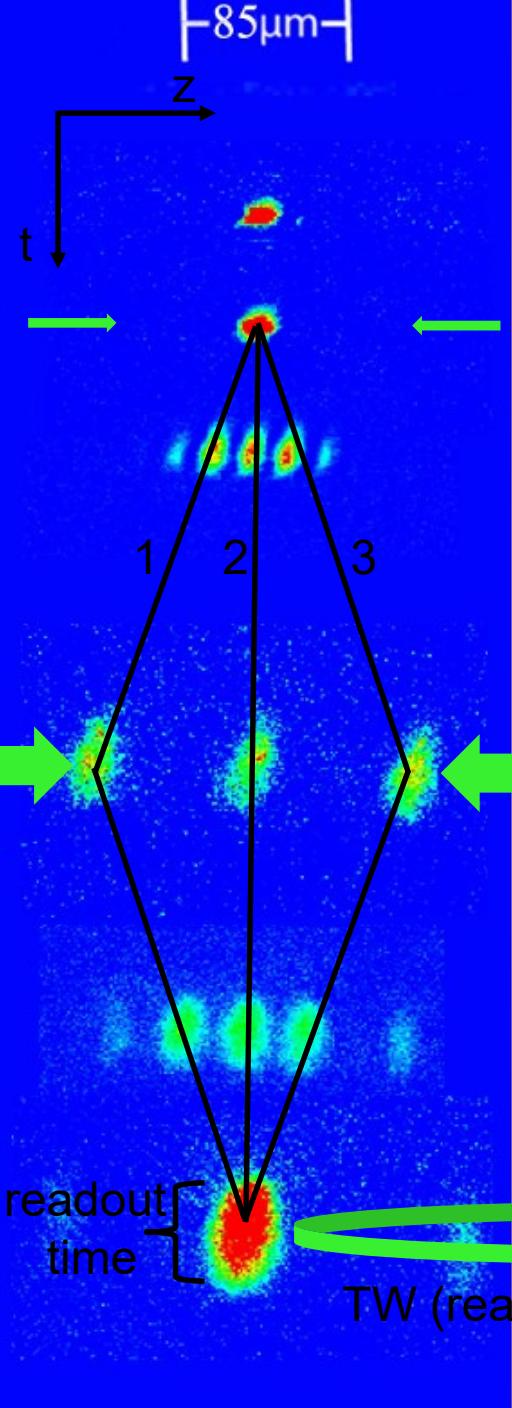
Our target with Yb BEC is < 0.1 ppb in α





S. Gupta et al. PRL 89, 140401 (2002)

A. Jamison et al. PRA 90, 063606 (2014)



Three-Path Contrast Atom Interferometry

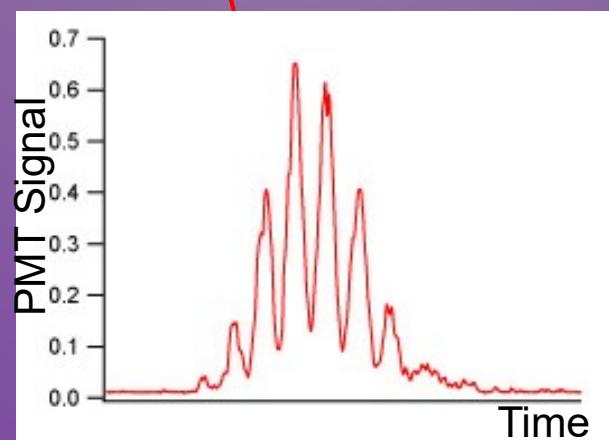
Sensitive to photon recoil, α

Symmetric geometry suppresses various systematics

Sensitive to gravity gradients

Contrast Signal:

$$S(t) = C(t) \cos^2 \left(\frac{\phi_1(t) + \phi_3(t)}{2} - \phi_2(t) \right)$$

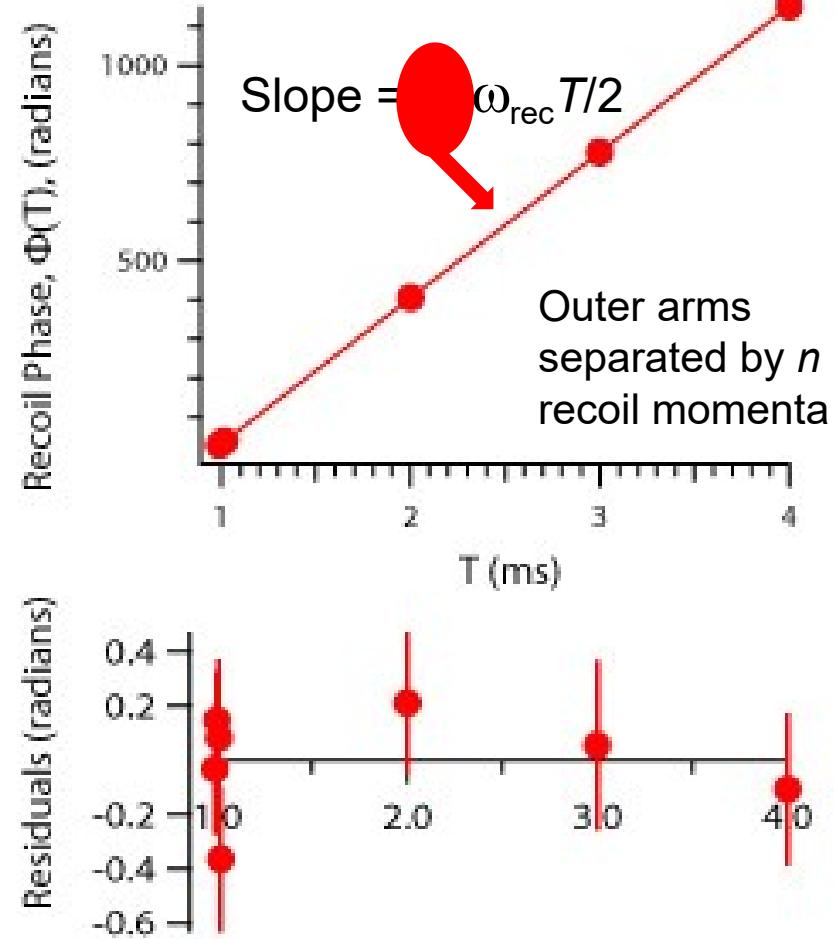
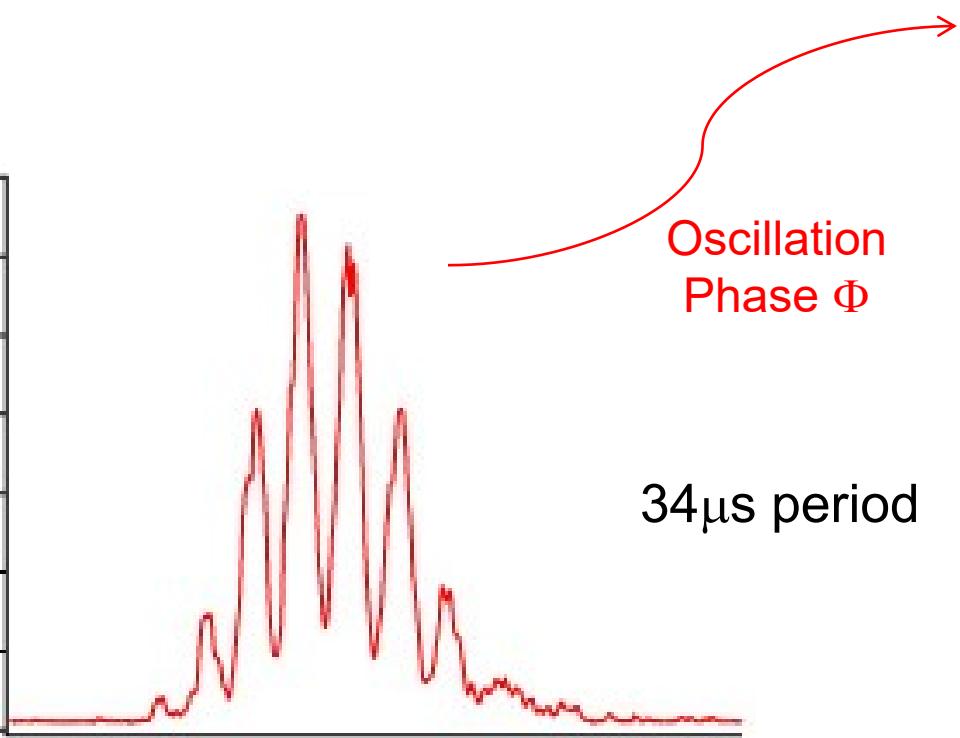


S. Gupta et al. PRL 89, 140401 (2002)

A. Jamison et al. PRA 90, 063606 (2014)

Contrast Interferometer with Yb BEC

$$\frac{\delta\omega_{\text{rec}}}{\omega_{\text{rec}}} = \frac{\delta\Phi}{\Phi} = \frac{\delta\Phi}{\frac{1}{2}\omega_{\text{rec}}\Delta T \sqrt{M}}$$

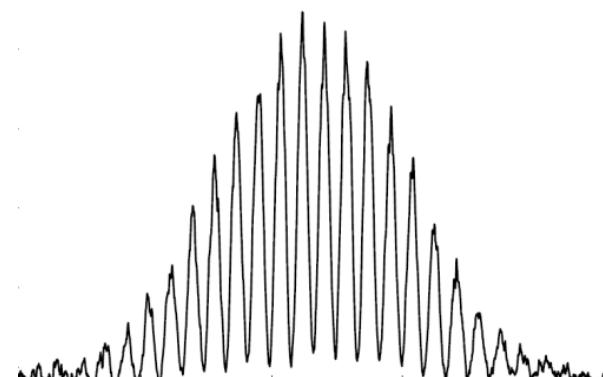
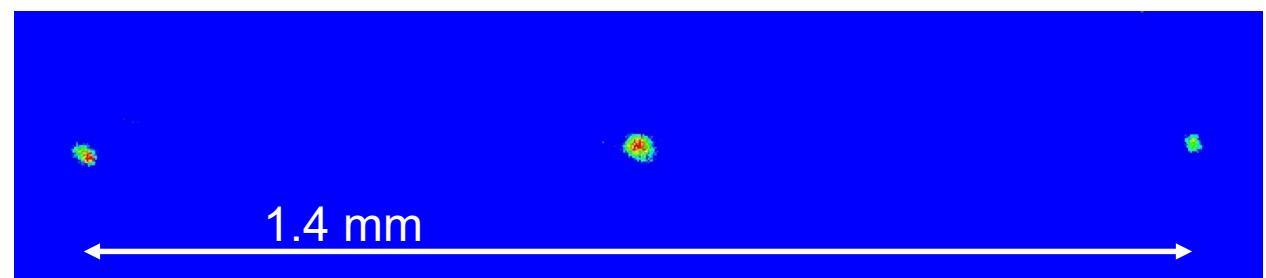


85 μ m

“Scaling-up” Contrast Interferometer to large momentum separation

← 4 photons
(between outer paths)

76 photons
(between outer paths)

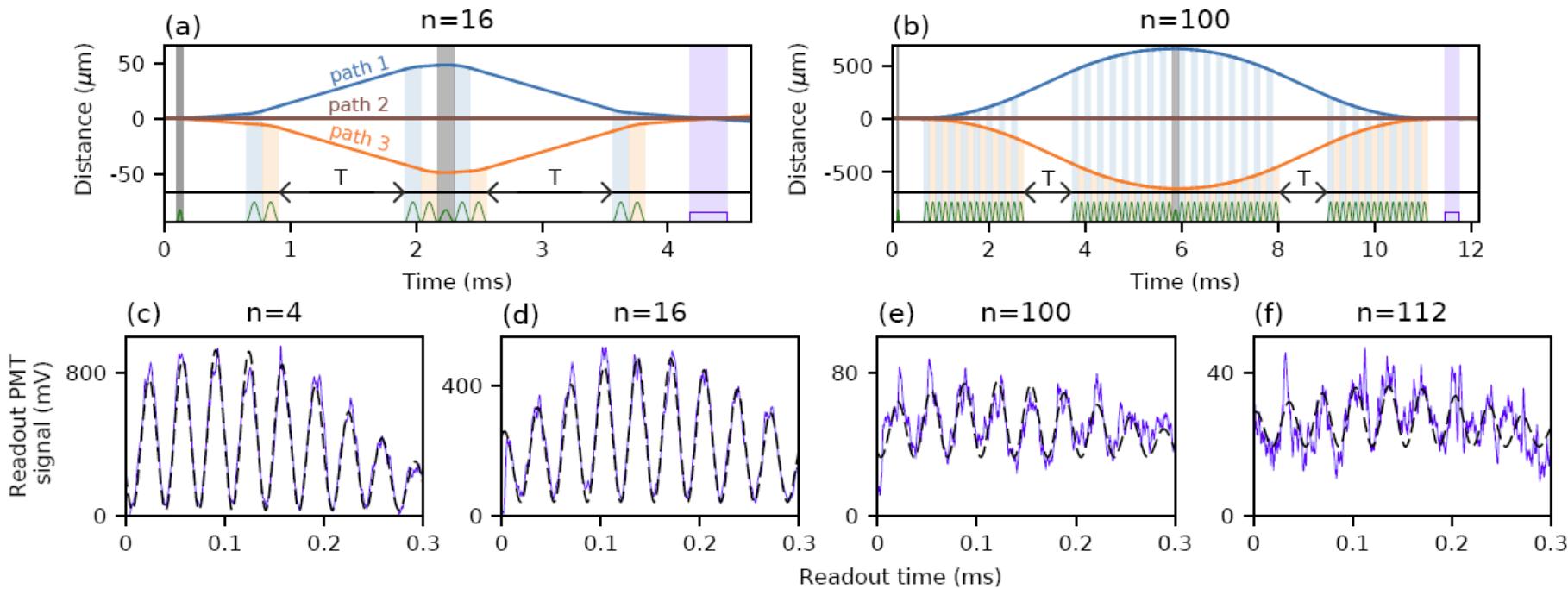


Improved readout

Use sequence of
3rd order (6 recoil)
Bragg pulses for
acceleration

Three-Path contrast interferometer with large momentum separation

High Visibility for > 100 photon recoils



$n = \#$ photon recoils between path 1 and path 3
Signals are averages of between 20 and 100 shots

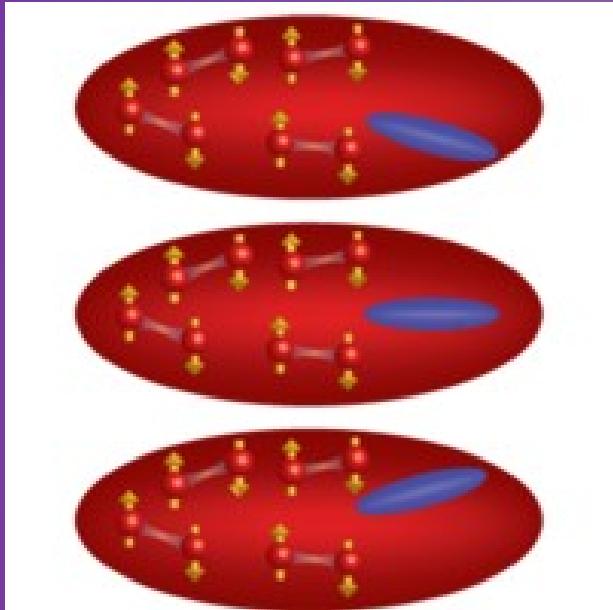
Stability acquired from:
- Interferometer symmetry
- Atom-optics pulse control

Largest momentum separation phase-stable interferometer Scaling promising for competitive α measurement

Related large LMT works:
Kasevich, Rasel, Muller groups

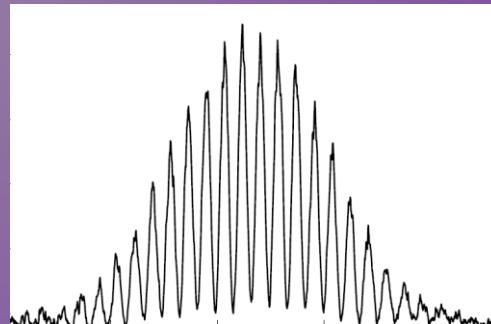
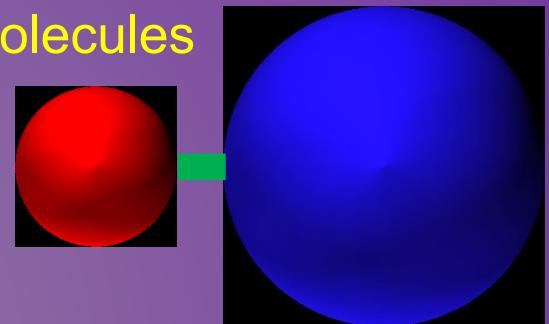
Ben Plotkin-Swing et al.
Phys. Rev. Lett. **121**, 133201 (2018)

NanoKelvin Quantum Engineering



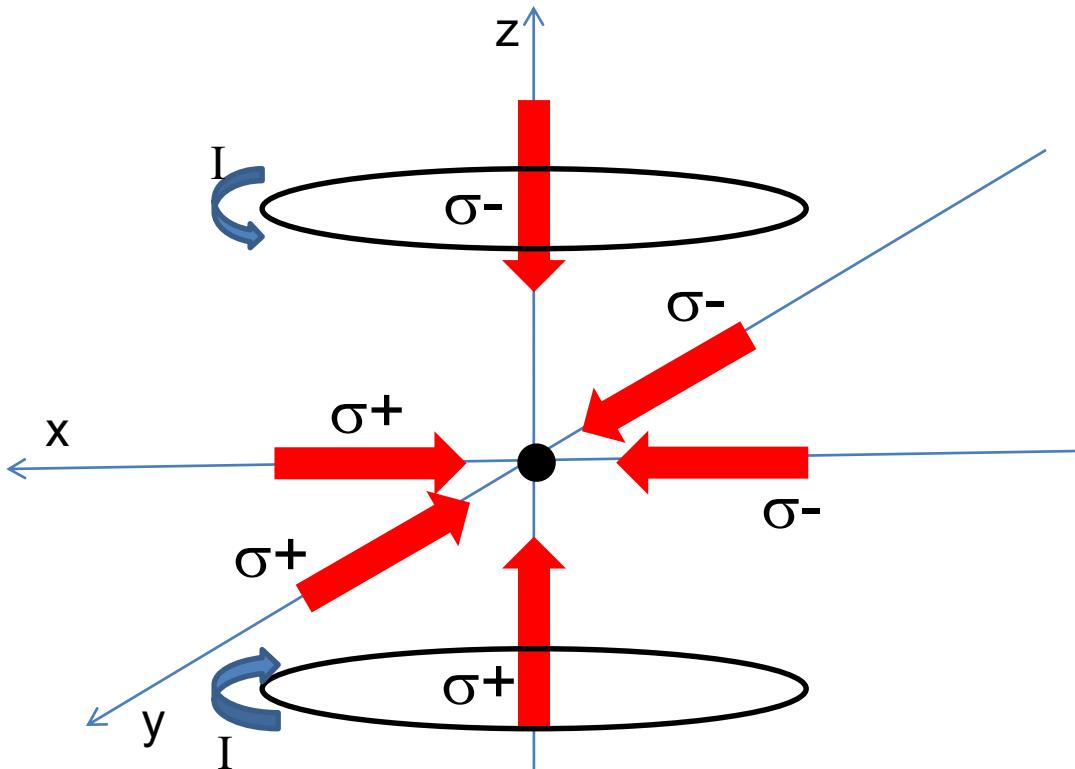
Two-Element
Bose-Fermi double superfluid

Ultracold
Molecules



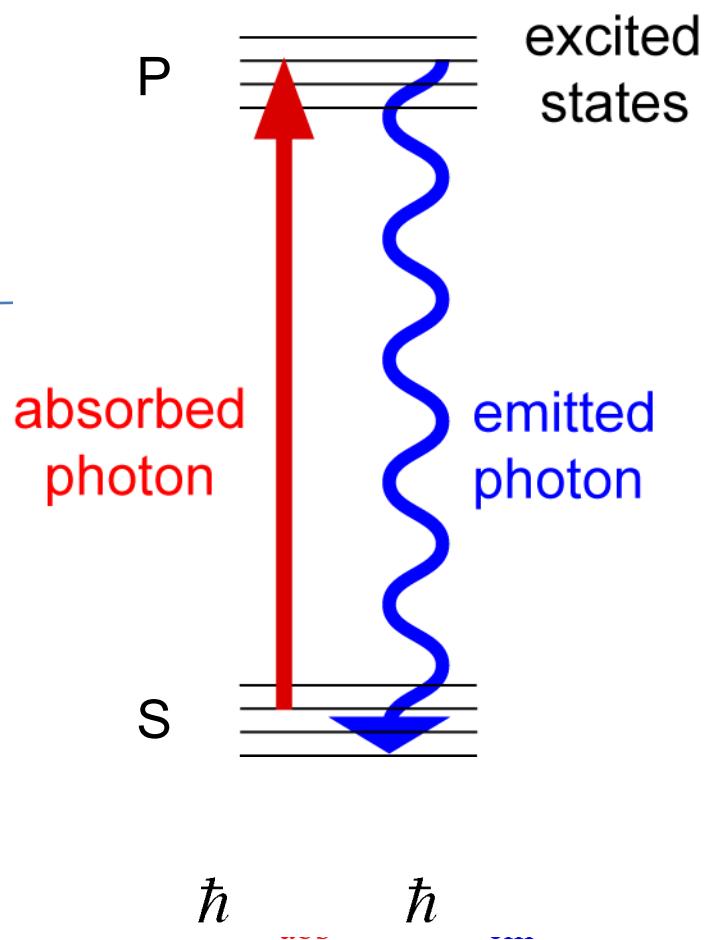
Precision BEC
interferometry

Laser Cooling



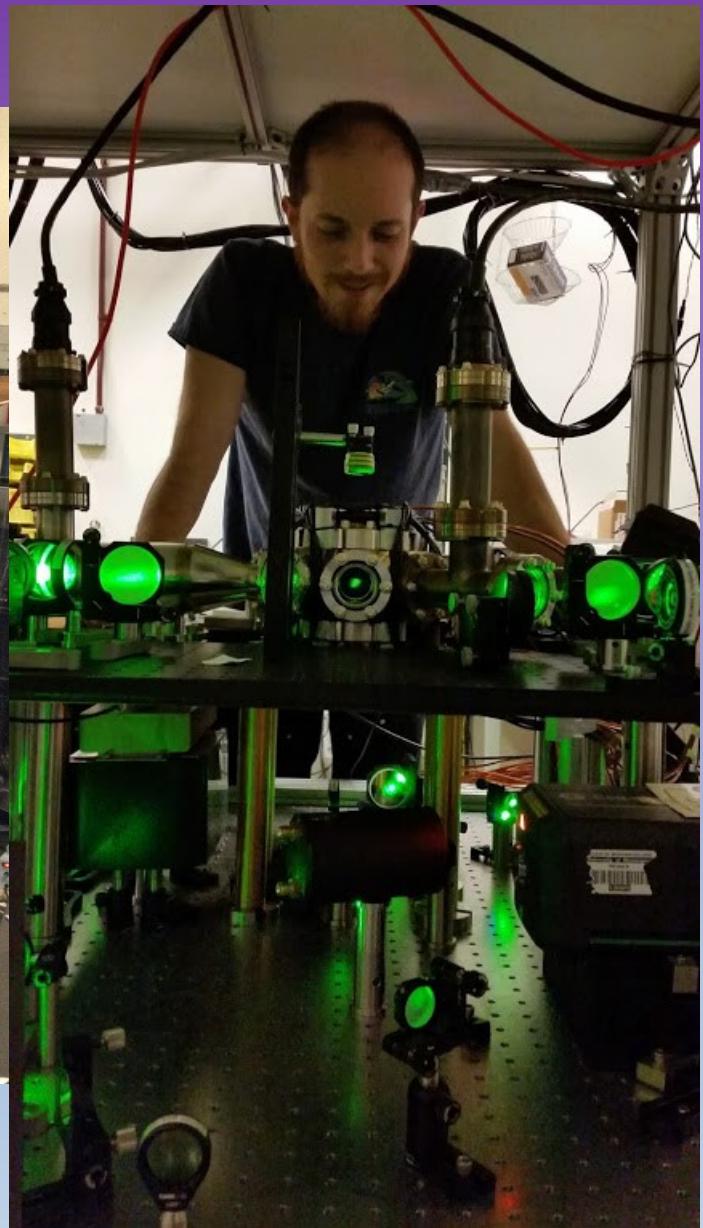
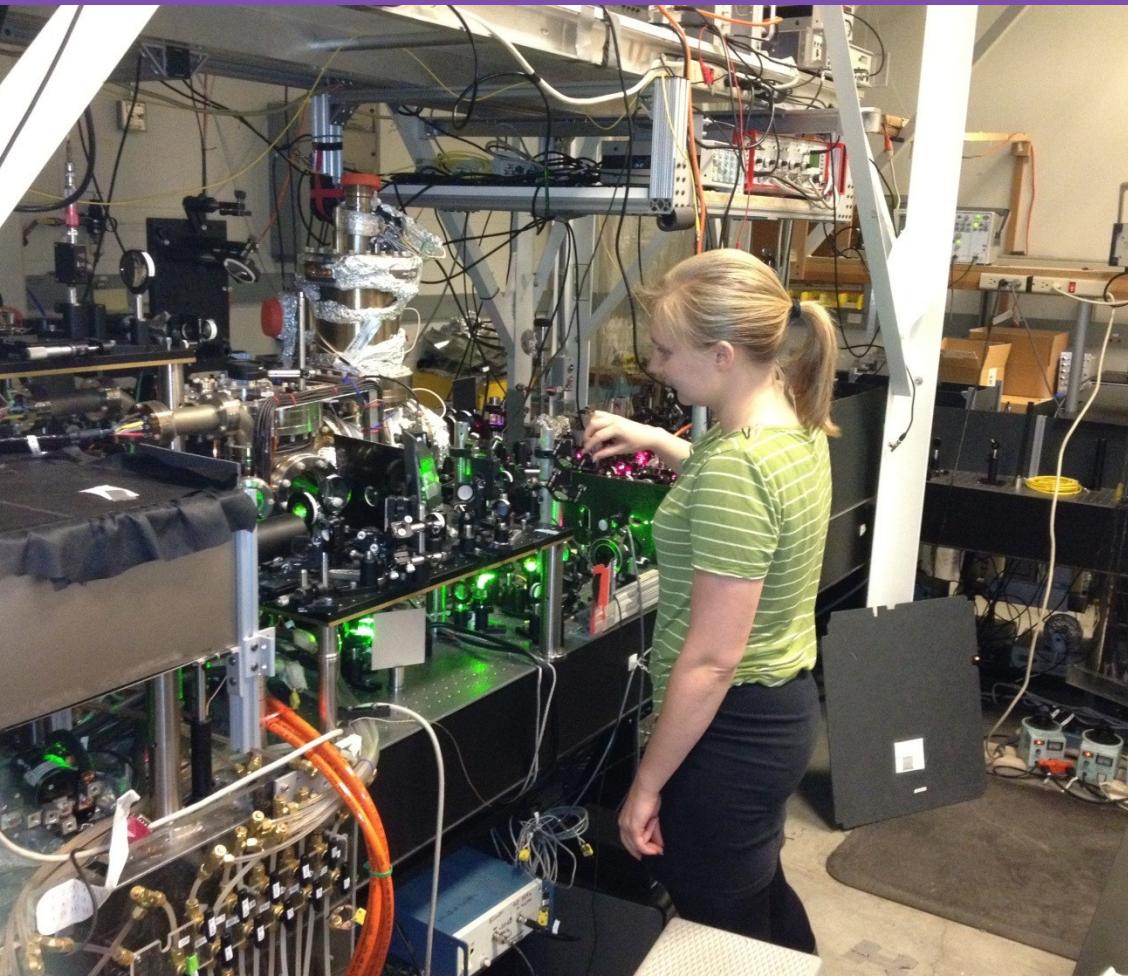
Magneto-Optical Trap (MOT)
“Workhorse” of laser cooling

Atom Source ~ 600 K; UHV environment



=> COOLING !
(Need a 2 level system)

UW Ultracold Atoms Labs



UW Ultracold Atoms Group



*Ben Plotkin-Swing
Ricky Roy
Katie McAlpine
Alaina Green
Dan Gochnauer
Jun Hui See Toh
Xinxin Tang
Anna Wirth
Katie McCormick
DG*



ARO MURI



AFOSR

