

Neutrino Studies By Double Beta Decays and
Nuclear Neutrino Responses*

Hiro Ejiri
NPL, UW, Seattle, WA

1. Neutrino Studies By Double Beta Decays
2. Double Beta Decay Experiments
 - 2.1 ELEGANT's Exp. at Kamioka-Oto
 - 2.2 Present Status of Exp.
3. Neutrino Nuclear Responses
 - 3.1 Nuclear Responses for Double Beta Decays
 - 3.2 Nuclear Responses for Solar Neutrinos
4. Perspective of Mo Exp, MOON
5. Summary

* Presented at the Workshop on Low Energy Neutrino Physics, July 26-30, INT, UW, Seattle, WA

Collaborators

Limits on neutrino-less double beta decay of
 ^{100}Mo

$\beta\beta$ H. Ejiri^{a,b}, K. Fushimi^{b,1}, K. Hayashi^a, R. Hazama^b, T. Kishimoto^b,
N. Kudomi^a, K. Kume^a, K. Nagata^b, H. Ohsumi^b, K. Okada^{b,2},
T. Shima^{b,3}, J. Tanaka^b

^a Research Center for Nuclear Physics, Osaka University, Ibaraki, Osaka 567, Japan

^b Department of Physics and Laboratory of Nuclear Studies, Osaka University, Toyonaka, Osaka 560, Japan

Received 28 May 1996; revised 22 July 1996

13 August 1998

PHYSICS LETTERS B

Physics Letters B 433 (1998) 257-262

ν -Responses

Spin-isospin responses of ^{71}Ga for solar neutrinos
studied by $^{71}\text{Ga}({}^3\text{He},\gamma)^{71}\text{Ge}$ reaction

H. Ejiri^a, H. Akimune^a, Y. Arimoto^a, I. Daito^a, H. Fujimura^a, Y. Fujita^b,
M. Fujiwara^a, K. Fushimi^c, M.B. Greenfield^d, M.N. Harakeh^e, F. Ihara^a,
T. Inomata^a, K. Ishibashi^a, J. Jänecke^f, H. Kohri^a, S. Nakayama^c,
C. Samanta^g, A. Tamii^h, M. Tanakaⁱ, H. Toyokawa^a, M. Yosoi^h

^a Research Center for Nuclear Physics, Osaka University, Ibaraki, Osaka 567, Japan

^b Laboratory of Nuclear Studies, Osaka University, Toyonaka, Osaka 560, Japan

^c Department of Physics, Tokushima University, Tokushima, Japan

^d Natural Science Division, International Christian University, Mitaka, Tokyo 113, Japan

^e Koninkrijk Vermoeder Instituut, Zwartkolklaan 25, 9747 AA Groningen, The Netherlands

^f Department of Physics, University of Michigan, Ann Arbor, MI, USA

^g Saha Institute of Nuclear Physics, Calcutta 700064, India

^h Department of Physics, Kyoto University, Kyoto 605-01, Japan

2 Neutrino (ν) Studies by Double Beta Decays ($\beta\beta$) and Nuclear Spin Responses

$\beta\beta$: Sensitive To ν & Weak Interactions

$$2\nu\beta\beta: A(nn) \rightarrow B(pp) + \beta^- + \beta^- + \bar{\nu} + \bar{\nu}$$

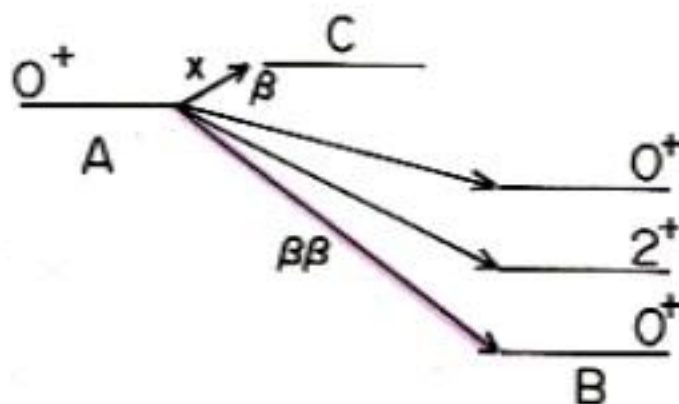
Lepton Number $L = +2 - 2 = 0$ Conserve
 Within Standard $SU(2)_L \times U(1)$ Model

$$0\nu\beta\beta: A(nn) \rightarrow B(pp) + \beta^- + \beta^- \text{ (no } \nu)$$

Lepton Number $\Delta L = 2$ Violation

ν & Weak Interactions Beyond Standard Model

- ν -Majorana Particle with Mass $\langle m_\nu \rangle$
- Right-Handed Weak Interactions
- ν -Majoron Coupling,
- SUSY Particle Exchange
- Heavy Neutrino
- Composite ν
- etc



1 Neutrino (ν) Studies in Nuclei and Nuclear Spin Responses

1.1 ν -Studies in Nuclei & Nuclear Spin Responses -Nuclear Medium Effects-

Nucleus as Micro-Lab. for

Astroparticles (Leptons) &
Fundamental Interactions (Weak)

Nucleus is Isolated & Cold Quantum System

Nucleons in Good E, J^π , T ...states

Unique Features of Nuclear Micro-Lab.

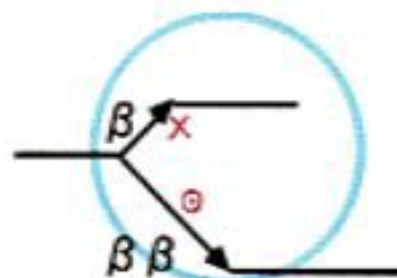
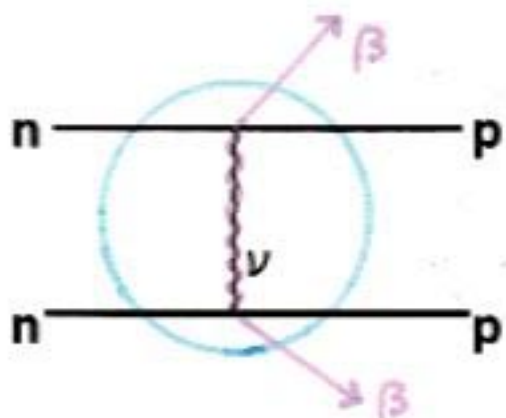
Selectivity of Particular Process

$$\langle E_f J_f T_f | H_{JT} | E_i J_i T_i \rangle$$

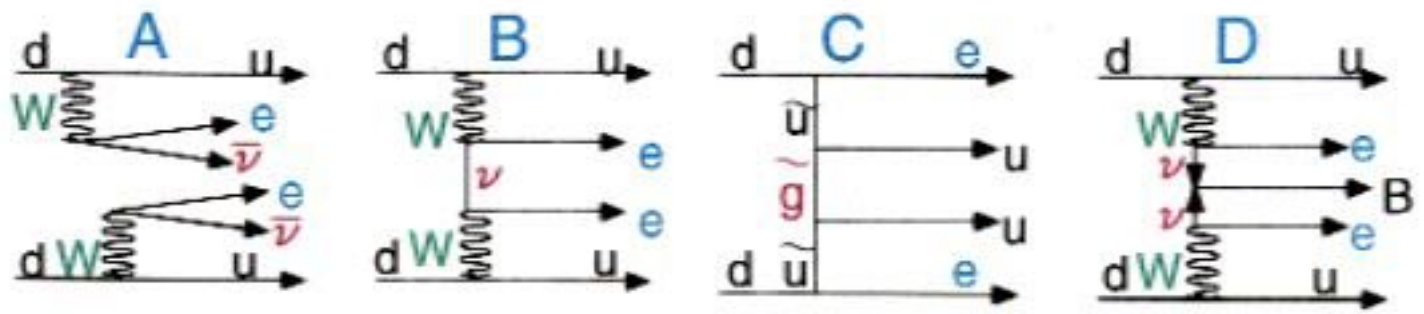
Enhancement / Filter \rightarrow Telescope

$$\nu\text{-exchange} \sim 10^7 \cdot (m_\nu / m_e)^2$$

$$T_\beta / T_{\beta\beta} = 10^{25} \rightarrow 0$$



2.3 $2\nu\beta\beta$ & $0\nu\beta\beta$ Processes



A. $2\nu\beta\beta$ within SM

$$T^{2\nu} = G^{2\nu} |M^{2\nu}| \quad G^{2\nu} \propto Q_{\beta\beta}^{11}$$

$$M^{2\nu} \propto M_{GT}(\sigma\tau\sigma\tau) + M_F(\tau\tau) \quad \text{S-wave } \beta$$

B. $0\nu\beta\beta$ with m_ν , $M(W^R)$, R/L Mixing

$$T^{0\nu} = G^{0\nu} |M^{0\nu}|^2 (\langle m_\nu \rangle + \langle \lambda \rangle + \langle \eta \rangle)^2 \quad G^{0\nu} \propto Q_{\beta\beta}^5$$

$$M^{0\nu} \propto M(h(r_{12}), p_1, p_2, \sigma_1, \sigma_2, \tau_1, \tau_2)$$

Neutrino Potential, Recoil, etc for ν -exchange

$$\langle m_\nu \rangle = \sum m_j U_{ej}^2$$

$$\langle \lambda \rangle = \lambda \sum U_{ej} \cdot V_{ej} \quad \lambda = (M_W^L / M_W^R)^2$$

$$\langle \eta \rangle = \eta \sum U_{ej} \cdot V_{ej} \quad \eta = W_L / W_R \text{ Mixing}$$

C. $0\nu\beta\beta$ with SUSY Exchange (\tilde{g})

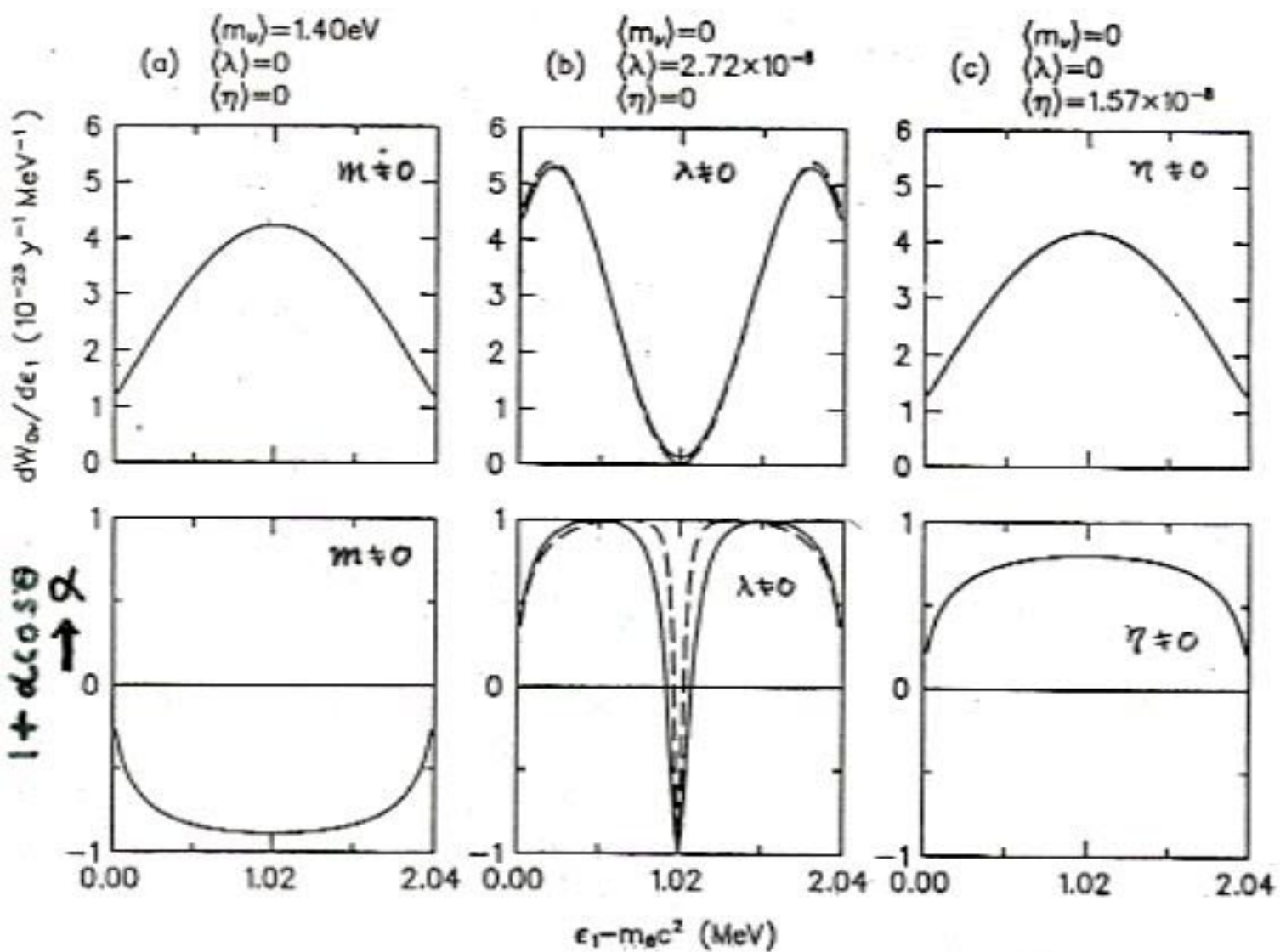
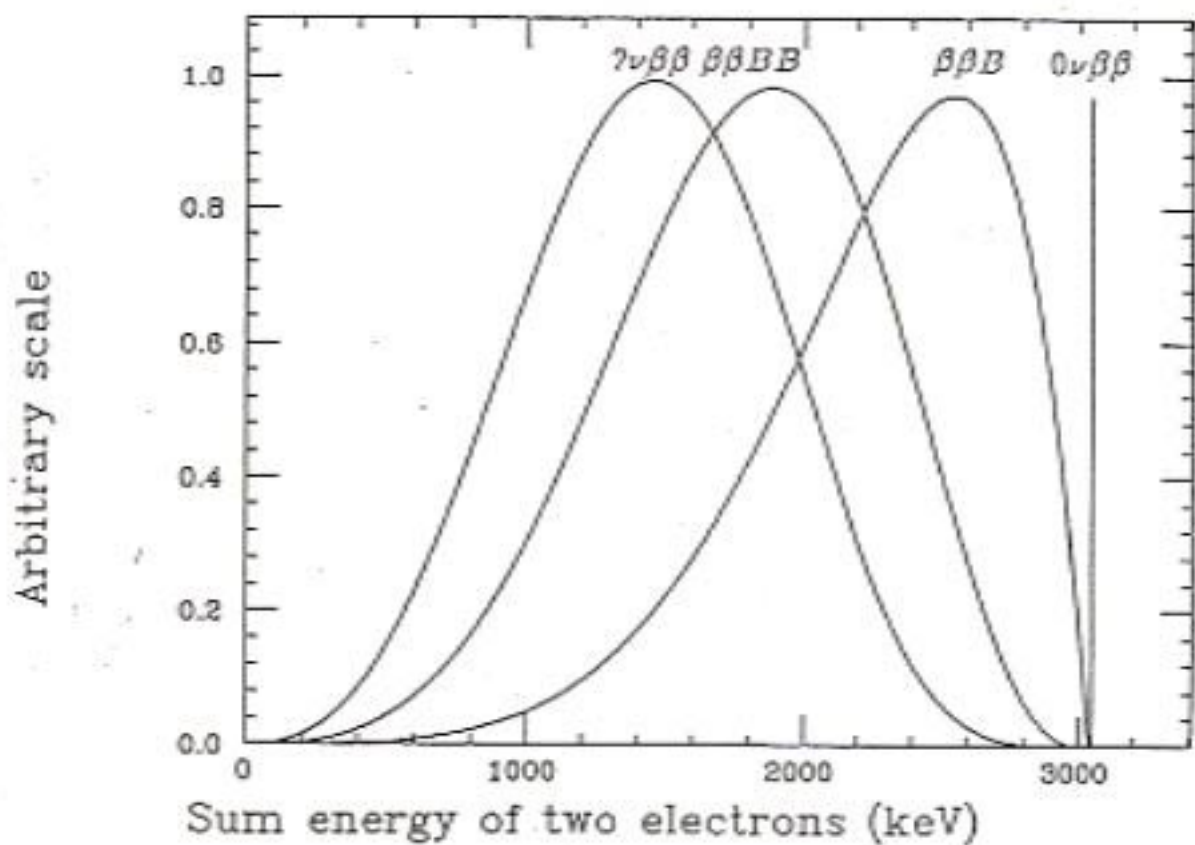
$$T^{0\nu}(\tilde{g}) = G f^2 M(\tilde{g}) A(M(\tilde{g})) / (M(\tilde{u}))^4 \quad f = L - B \neq 0 \text{ Int.}$$

D. $0\nu\beta\beta$ M with Majoron (G-Boson for L-B Break)

$$T^{0\nu M} = G^M (M^B)^2 \langle g_M \rangle^2$$

$$\langle g_M \rangle = \sum g_{jk} U_{ej} \cdot U_{ek} \quad g_M: M - \nu \text{ Coupling}$$

Haxton, Kotani, Mohapatra, Gilman, Hirsh, Takasugi, et al.
Moe-Vogel. Review



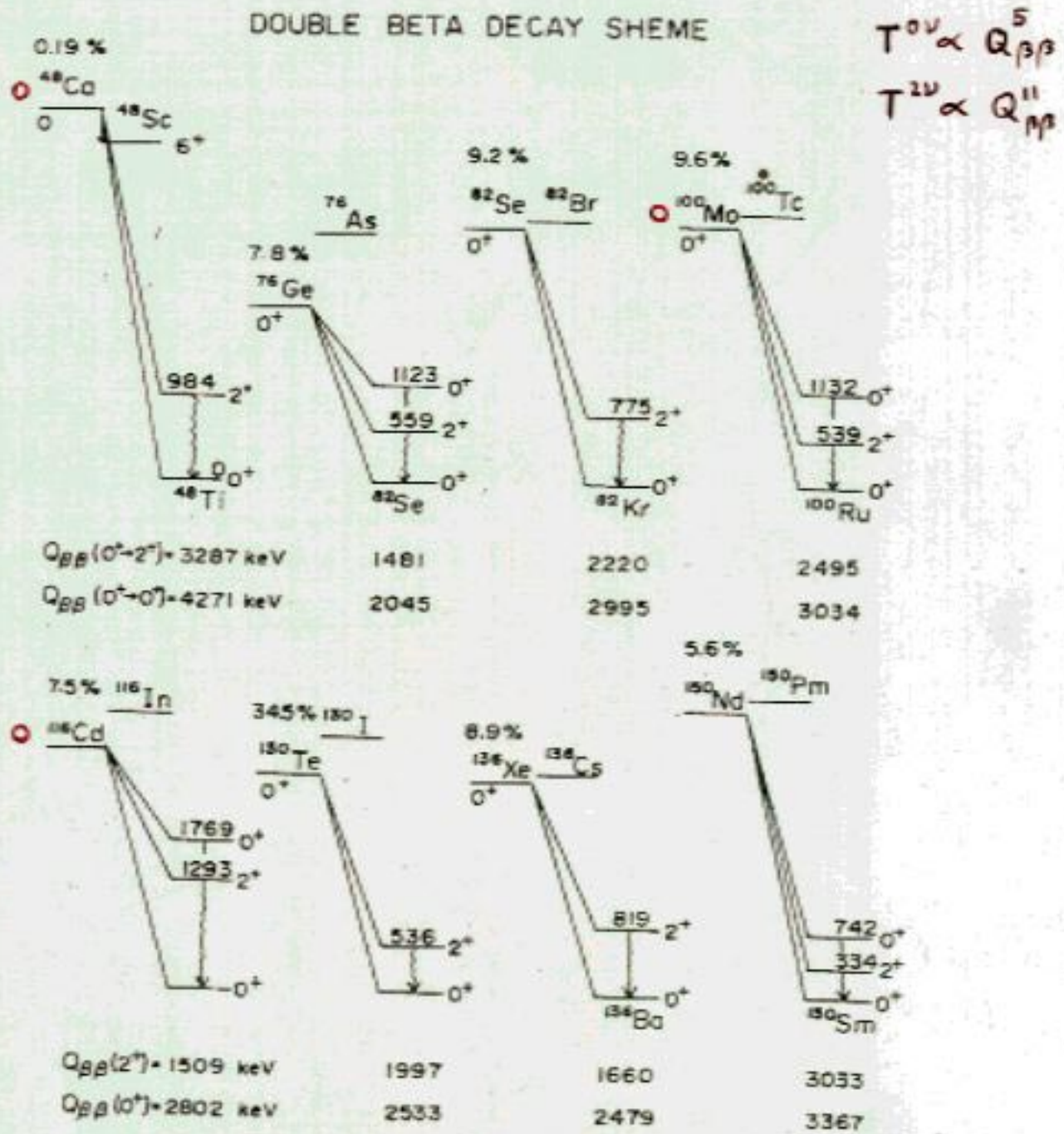


Figure 5: Level schemes of typical double beta decay.

$\beta\beta$ Exp. $A \rightarrow B + \beta + \beta + (\nu + \nu)$

$$N_t = N_0 k \times G M^2 \times (m_\nu^2) \times t$$

G : Phase Space $G^{0\nu} \propto Q_{\beta\beta}^5$, $G^{2\nu} \propto Q_{\beta\beta}^{11}$

M : Nucl. Matrix Element $M^{0\nu}$, $M^{2\nu}$

N_0 : No of Source Nucle

k : Efficiency

$$(N_{BG})^{1/2} = (N_{BG} \cdot \Delta E \cdot t)^{1/2}$$

I Indirect Geochemical & Radiochemical Analysis

Isotope B & Activity of B

Inclusive 0ν & 2ν , 0^+ , 2^+ , ... Final states

Long t Accumurate B

^{82}Se , ^{96}Zr , ^{128}Te , ^{128}Te , ^{238}U , etc

II Direct Counter Exp. Exclusive

1 Sum-Energy $\beta + \beta$, Source-Detector : $k \sim 1$

Ge (^{76}Ge) Detector $\Delta E = 2 \sim 3$

Milano, USC/PNL, UCSB/LBL, Heid · Moscow

Osaka EL III, Zaragoza-Bordeaux

Scintillators ^{48}Ca Bejjin, Osaka EL VI, ^{116}Cd Kiev

Thermal Detectors $^{130}\text{TeO}_2$ etc Milano, etc, ΔE

2 $\beta - \beta$ Tracking $\beta - \beta$ Energy & Angular Correlations separate m_ν , λ , γ , etc.

TPC : ^{82}Se Irvine, ^{136}Xe Caltech · Neuchatel PSI

DC · PL : ^{100}Mo , ^{116}Cd Osaka EL.V, MEMO

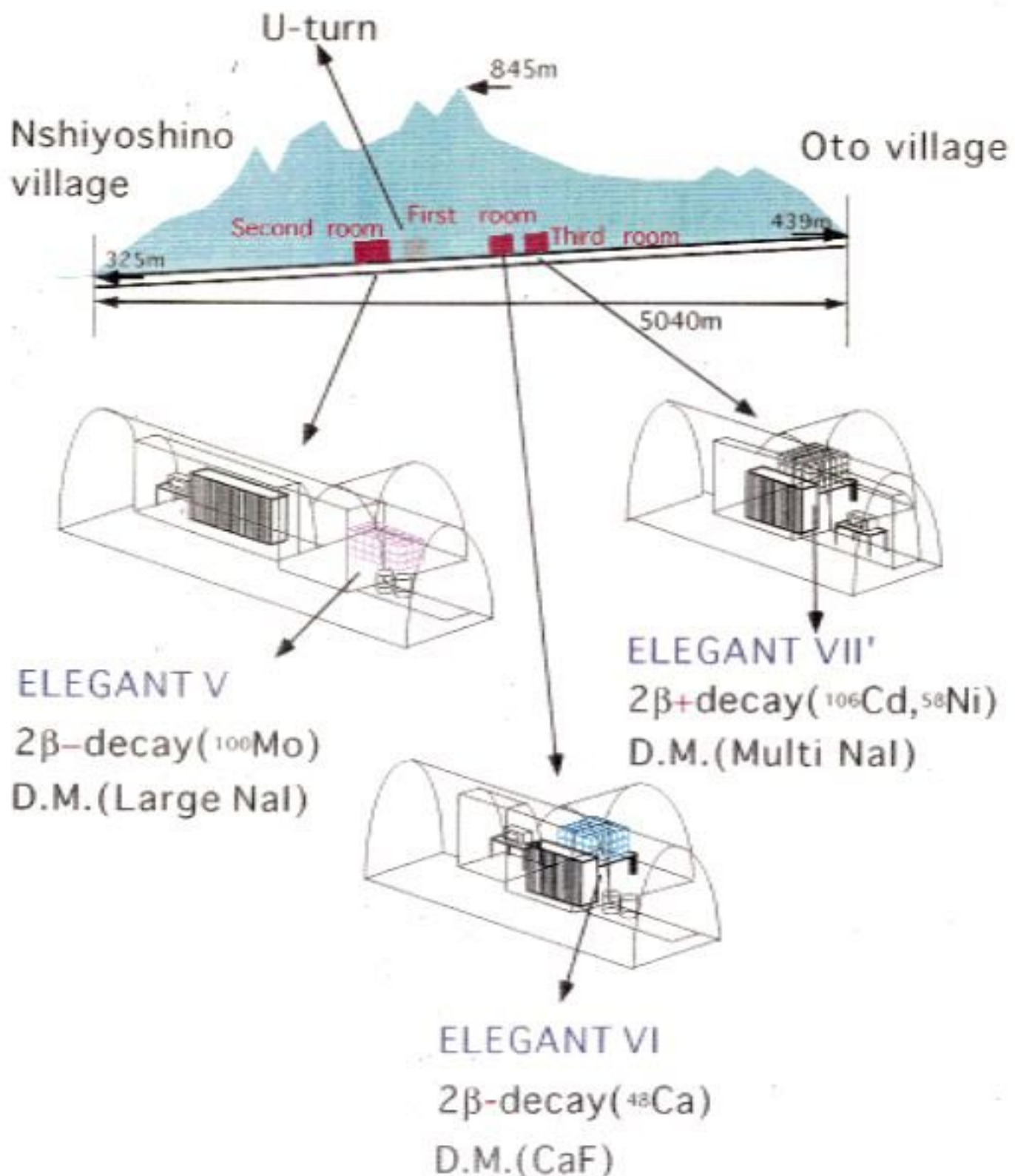
3 Multi-S_i ^{100}Mo Osaka, EL VI LBL

Oto Cosmo Observatory

Oto Village, Nara prefecture
100km from RCNP

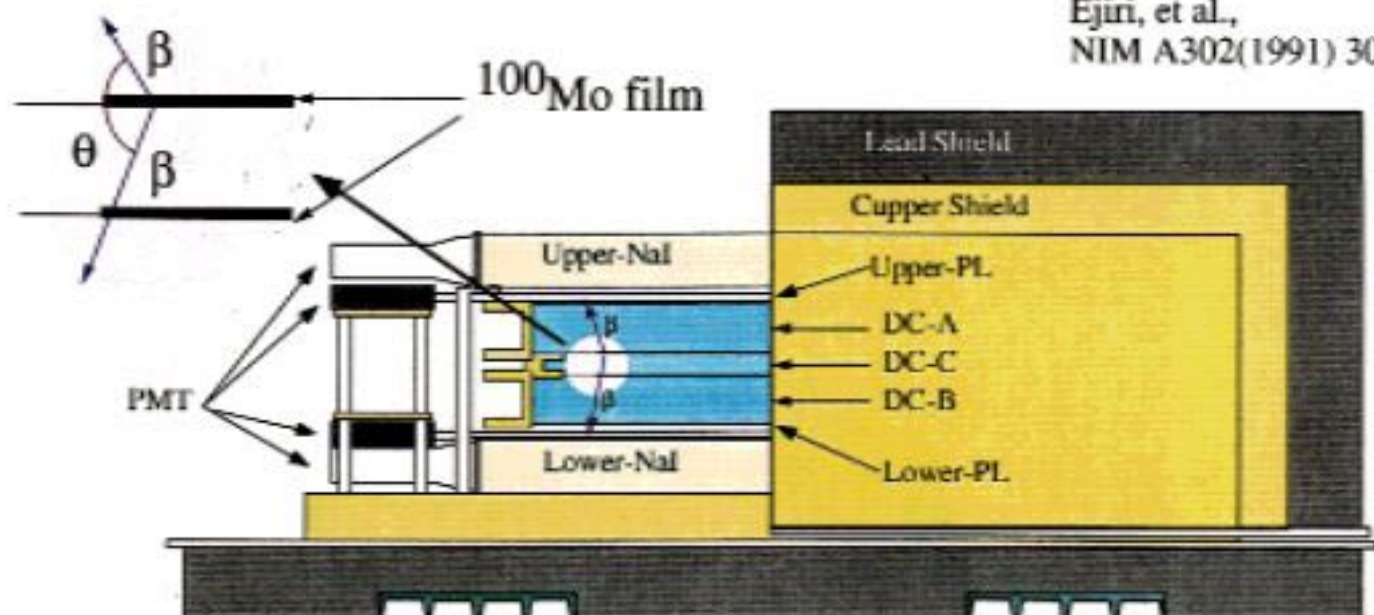
Cosmic ray $4 \times 10^7 \text{ cm}^2 \text{ sec}^{-1}$ (1500m w.e.)

Radon concentration $10 \text{ Bq/m}^3 \rightarrow 0.1 \text{ in ELV}$

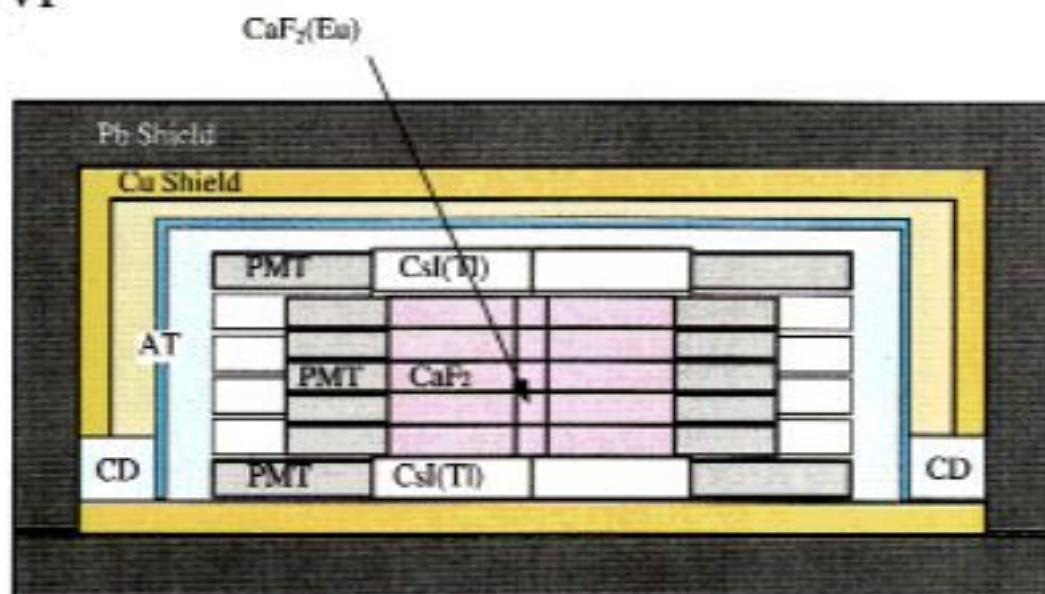


ELECTRON GAMMA-ray Neutrino Telescope ELEGANT V & VI

ELEGANT V



ELEGANT VI



2.6 $2\nu\beta\beta$ & $0\nu\beta\beta$ on ^{100}Mo by EL V

^{100}Mo

$2\nu\beta\beta$ $1.15 \cdot 10^{19}$ y

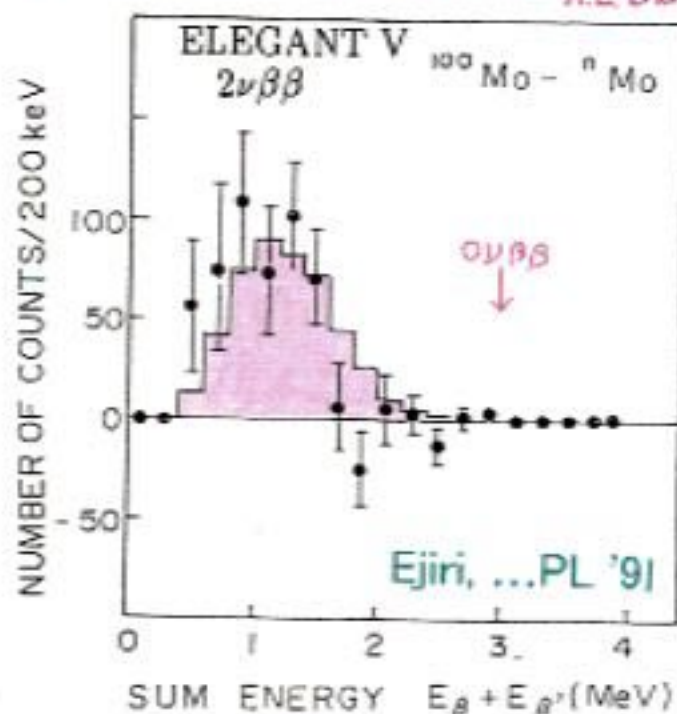
$M^{2\nu} = 0.09$ (m_e)

$0\nu\beta\beta > 0.52 \cdot 10^{23}$ y

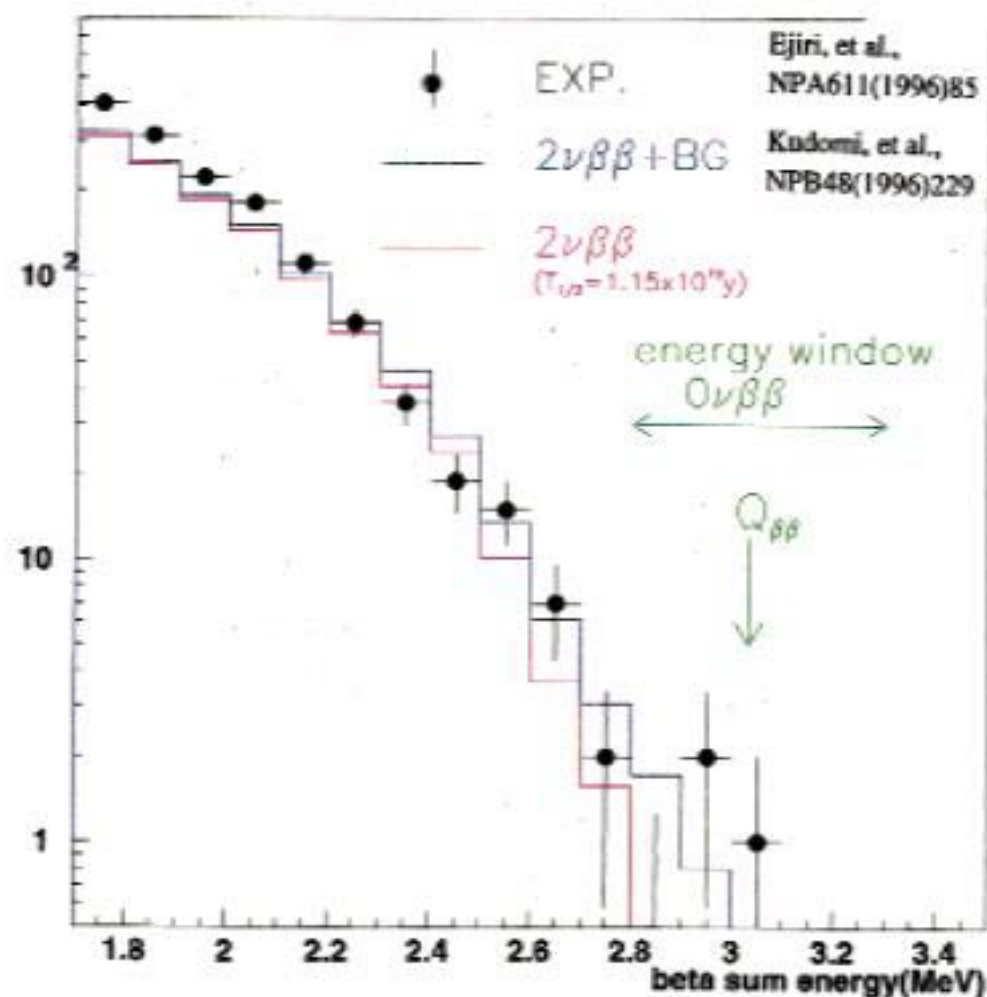
^{116}Cd

$2\nu\beta\beta$ $2.6 \cdot 10^{19}$ y

$M^{2\nu} = 0.069$ (m_e)



$E_{\beta_1} + E_{\beta_2}$ Energy Spectrum



$m_\nu > 0.65 \cdot 10^{23}$ y

$< 1.9 \text{ eV}$

$\lambda > 0.49 \cdot 10^{23}$ y

$< 3.2 \cdot 10^{-6}$

$\eta > 0.64 \cdot 10^{23}$ y

$< 2.2 \cdot 10^{-8}$

$g_B > 5.4 \cdot 10^{21}$ y

$< 7.3 \cdot 10^{-5}$

$m(\nu^*) > 1.8 \cdot 10^4 \text{ TeV}$

CL 68%

^{100}Mo , $0\nu\beta\beta$, EL V at Oto (New) Lab.

^{214}Bi α Vet

EL V inside Air-Tight with $\sim 20 \text{ mBq/m}^3 \text{ N}_2$ gass

Goal $0\nu\beta\beta \sim 1.4 \cdot 10^{23}$ y, $m_\nu \sim 1.3 \text{ eV}$, $g_B \sim 3 \cdot 10^{-5}$

Isotope	$T_{1/2}^{0\nu}$ (y)	$\langle m_\nu \rangle$ eV
^{48}Ca	$>9.5 \cdot 10^{21} +$	<8.3 Beijin
^{76}Ge	$>6.4 \cdot 10^{24}$	<0.6 Heid · Moscov $\rightarrow 0.2-0.39$
^{82}Se	$>2.7 \cdot 10^{22} *$	<5 Irvine
^{100}Mo	$>3.7 \cdot 10^{22}$	<2.5 Osaka
^{116}Cd	$>3.2 \cdot 10^{22}$	<4.1 Kiev
^{130}Te	$>5.6 \cdot 10^{22}$	<3 Milano
^{136}Xe	$>4.4 \cdot 10^{23}$	$<2-3$ Caltech Neuchatel PSI
^{150}Nd	$>1.2 \cdot 10^{24}$	<4 Irvine
	$T_{1/2}^{c\nu B}$	$\langle g_B \rangle 10^{-4}$
^{76}Ge	$>7.9 \cdot 10^{21}$	<2.4 Heid · Moscow
^{100}Mo	$>5.4 \cdot 10^{21} *$	<0.73 Osaka
^{136}Xe	$>1.1 \cdot 10^{22}$	$<0.8-1.3$ Caltech Neuchatel PSI
^{150}Nd	$>5.3 \cdot 10^{20}$	<0.7 Irvine

Table 1 Top: Lower limits on halflives for neutrino-less double beta decay and upper limits on the Majorana neutrino masses. Bottom: Lower Limits on halflives for neutrino-less double beta decays followed by the Majoron(B) and upper limits on the Majoron-neutrino couplings. Some recent data with 90%, 68 %(*) and 76%(+) confidential levels.

Nuclear Matrix Elements

$M^{0\nu}$ for $0\nu\beta\beta$ & $M^{2\nu}$ for $2\nu\beta\beta$

$M^{2\nu} \approx M^{2\nu}(1^+)$ Since M_F is only to $|IAS * IAS\rangle$

Derived From $T^{2\nu}(\text{EXP}) = G^{2\nu}(M^{2\nu})^2$

$$M^{0\nu} = \sum M^{0\nu}(J^\pi) = M^{0\nu}(1^+) + \sum_J M^{0\nu}(J)$$

$M^{2\nu}$ leads to $H_{\tau\tau}, g_{pp}$, for $M^{0\nu}$ & $M^{0\nu}(1^+)$

Calculations of $M^{0\nu}, M^{2\nu}$

- 1 Shell Model
Vergados, Haxton, Zanic, Brown, Song, etc
- 2 Quasi-Particle RPA
Vogel et al., Faessler Civitarese Tomoda et al.,
Muto Klapdor Hirsh, et al., Kuo et al., Suhonen,
Sensitive to P-P Interaction
 $M^{2\nu} \sim 0$ at $g_{pp} = 1$, $M^{0\nu} \neq 0$ For $J \neq 1^+$
- 3 Operator Expansion Method
Chin & Ho, Muto et al.,
- 4 Exchange Current & Isobar
Ericson..., Vergados..., Wu Huang...,

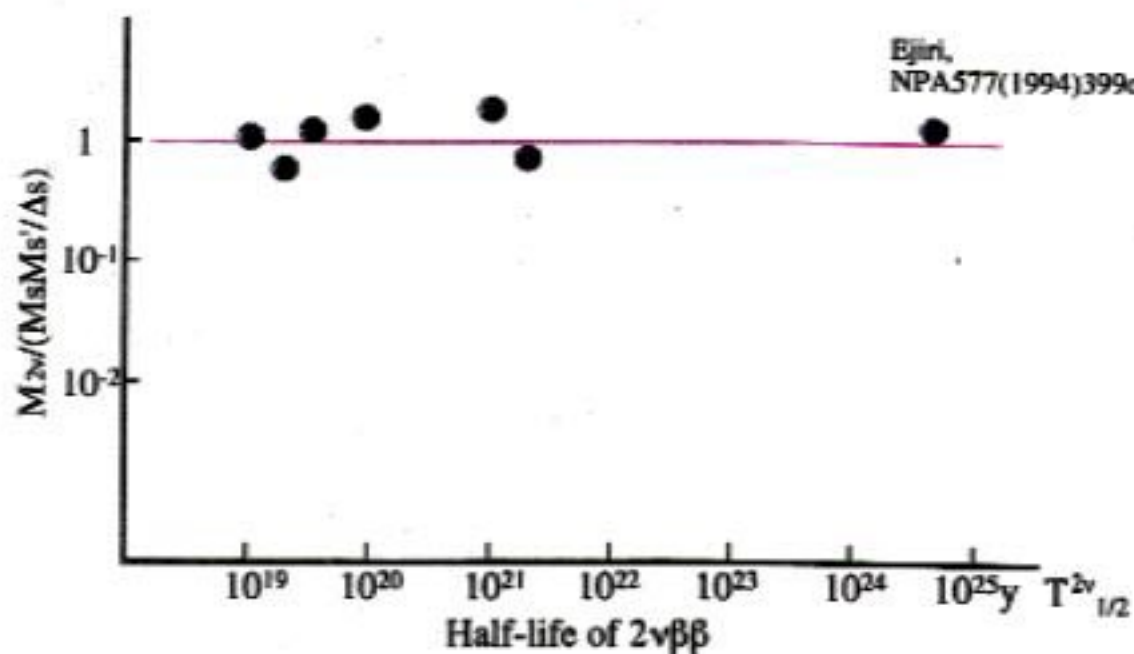
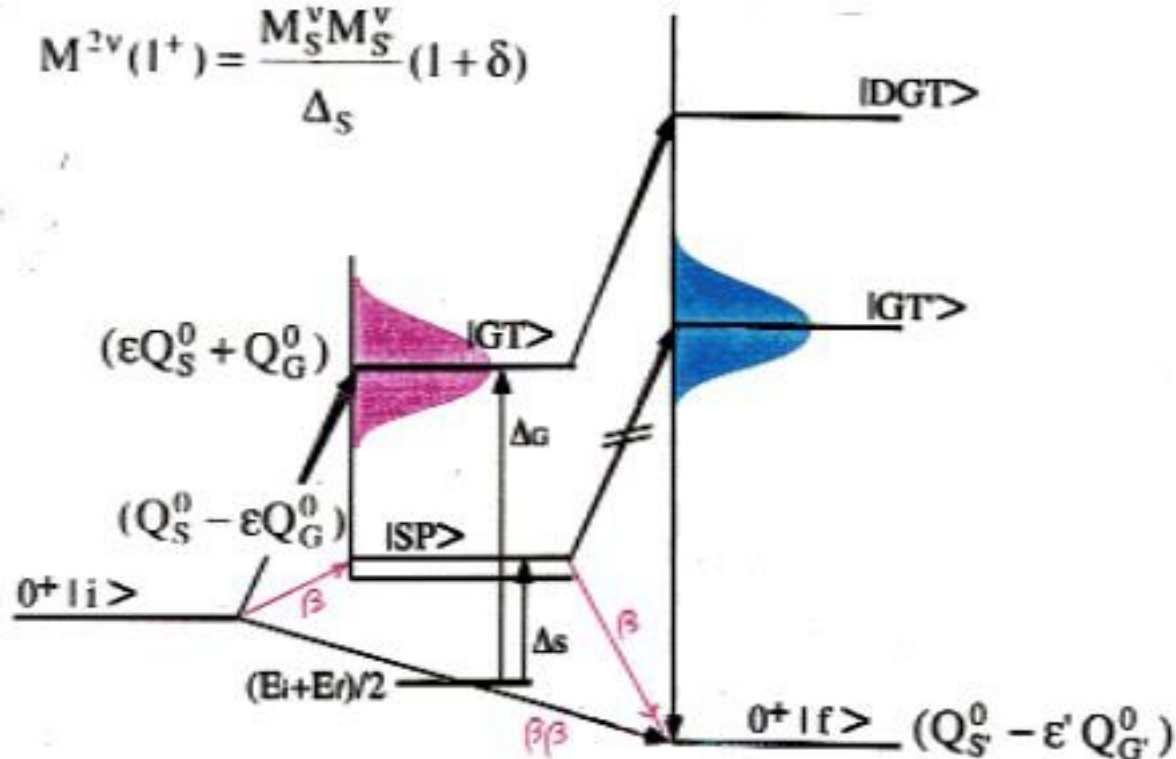
2.7 Nuclear Responses for $2\nu\beta\beta$

$H = (\tau \sigma)(\tau \sigma)$

H. Ejiri & H. Toki, JPSJ-Lett. Jan. 96

$$M^{2\nu}(1^+) = \sum_{\kappa} \frac{M_{\kappa}^{\nu} M_{\kappa'}^{\nu}}{\Delta_{\kappa}} = \frac{M_S^{\nu} M_S^{\nu}}{\Delta_S} + \frac{M_G^{\nu} M_G^{\nu}}{\Delta_G}$$

$$M^{2\nu}(1^+) = \frac{M_S^{\nu} M_S^{\nu}}{\Delta_S} (1 + \delta)$$



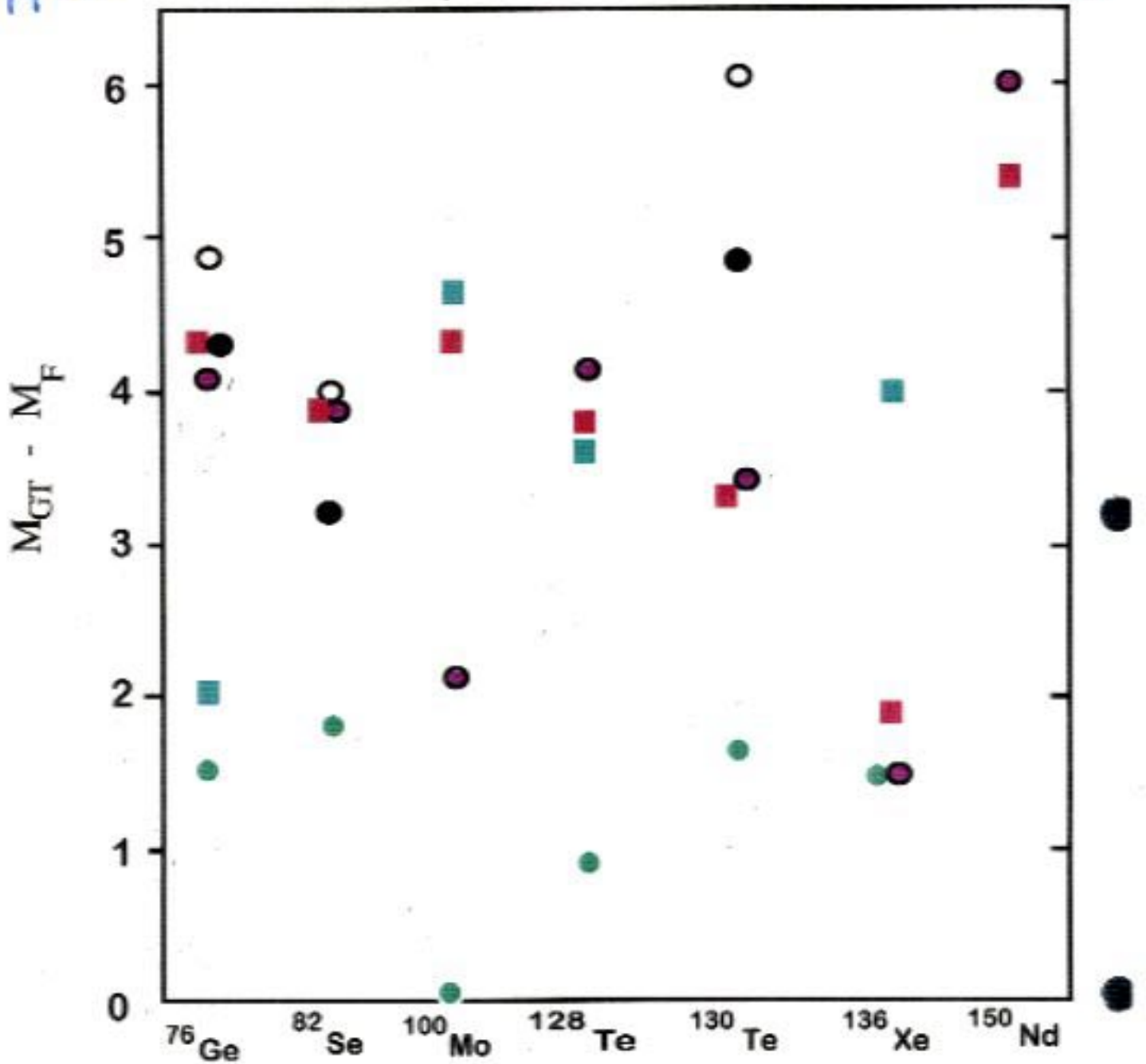
$$M_S^{\nu} = |0_i\rangle \rightarrow |S\rangle = g^{\text{eff}} M_S^0 \quad g^{\text{eff}} \approx 0.3 \text{ by } -\epsilon Q_G^0$$

$$M_S^{\nu} = |S\rangle \rightarrow |0_f\rangle = g^{\text{eff}} M_S^0 \quad g^{\text{eff}} \approx 0.3 \text{ by } -\epsilon' Q_G^0$$

$$M_S^{\nu} M_S^{\nu} = (g^{\text{eff}})^2 M_S^0 M_S^0 \approx 0.1 M_S^0 M_S^0$$

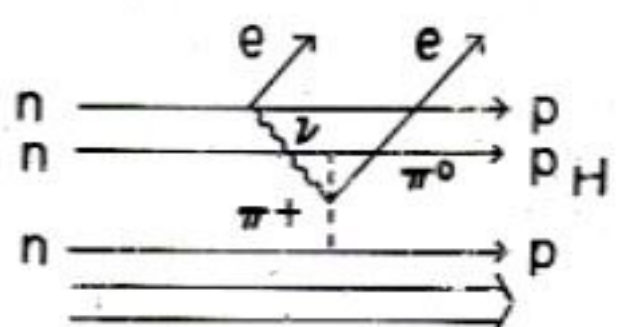
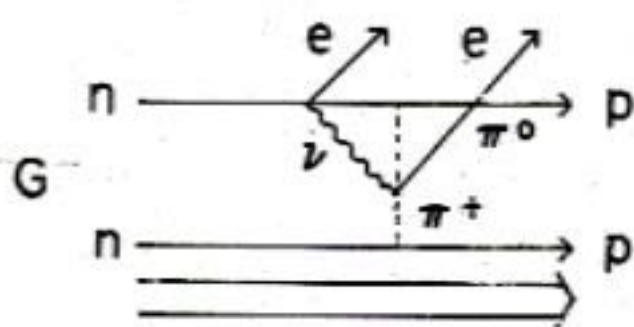
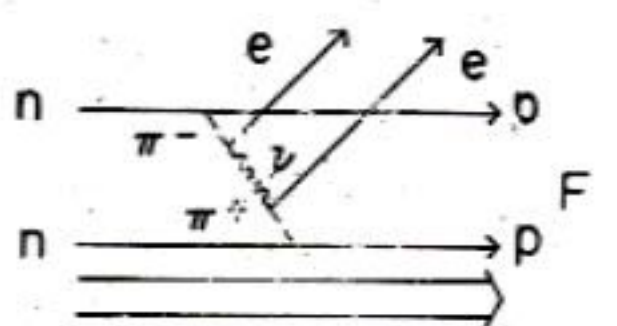
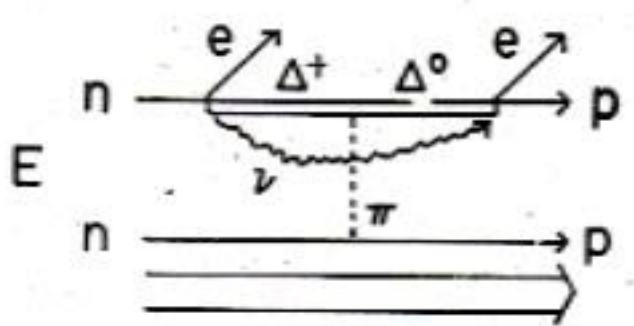
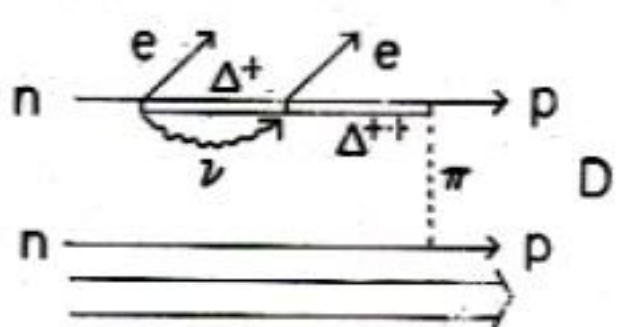
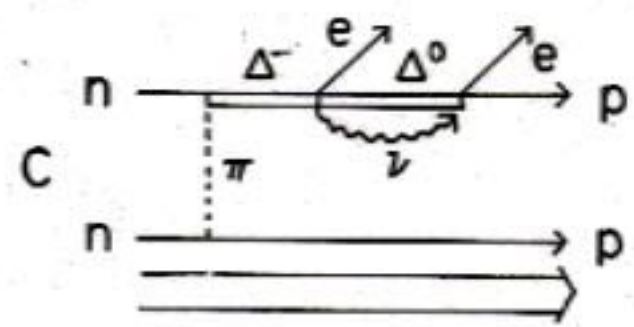
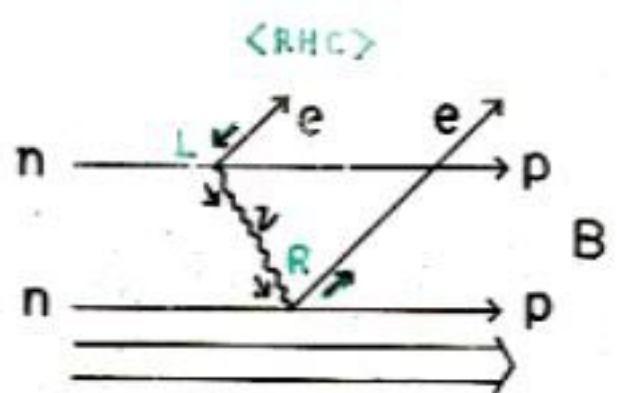
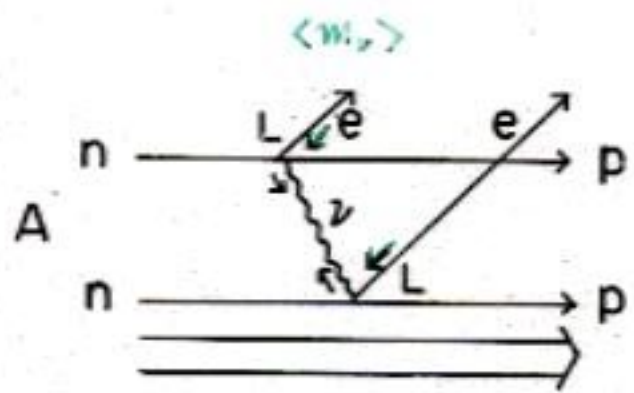
$M^{0\nu}$

Kadomi



- Haxton 84
- Engel, Vogel, et al. 89
- Staudt, Muto, Klapdor 90
- Tomoda, Faessler 91
- Pantis, Faessler, et al. 96
- Pantis, Faessler, et al. 97

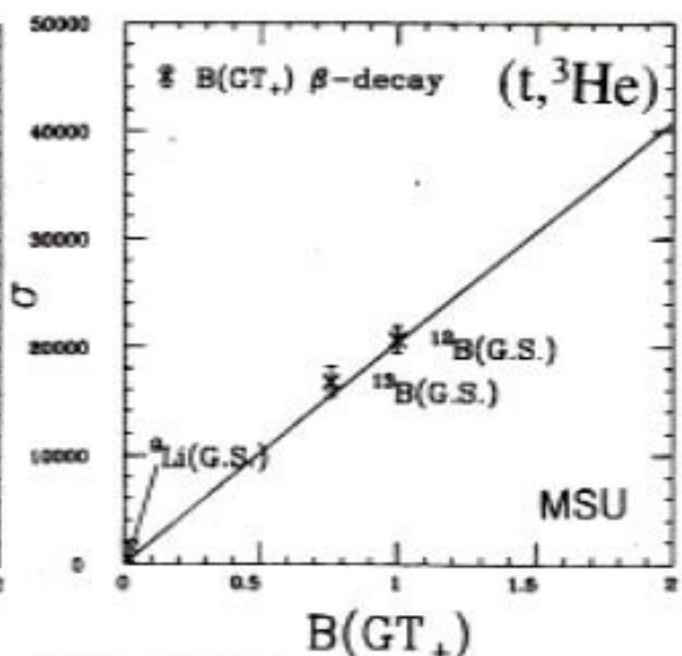
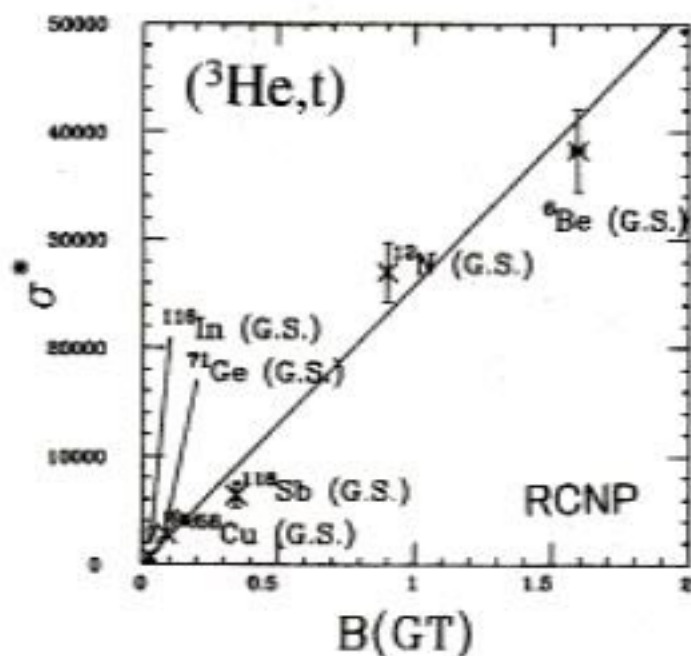
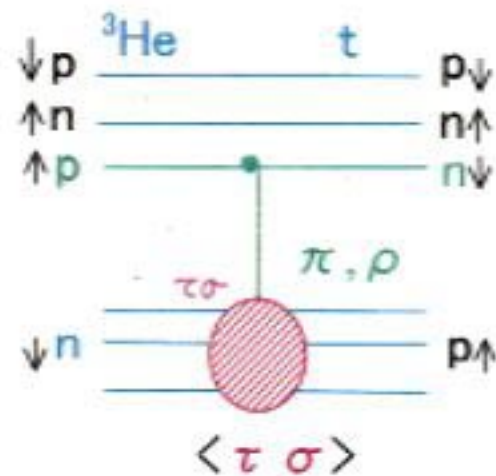
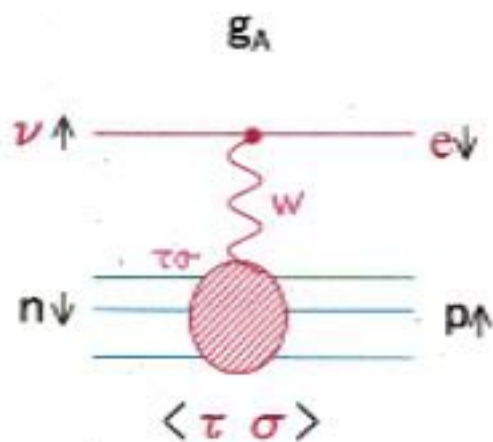
Need Exp. for $M^{0\nu}$



3.3 Charge Exchange Spin-Flip Reactions for ν - τ σ Responses

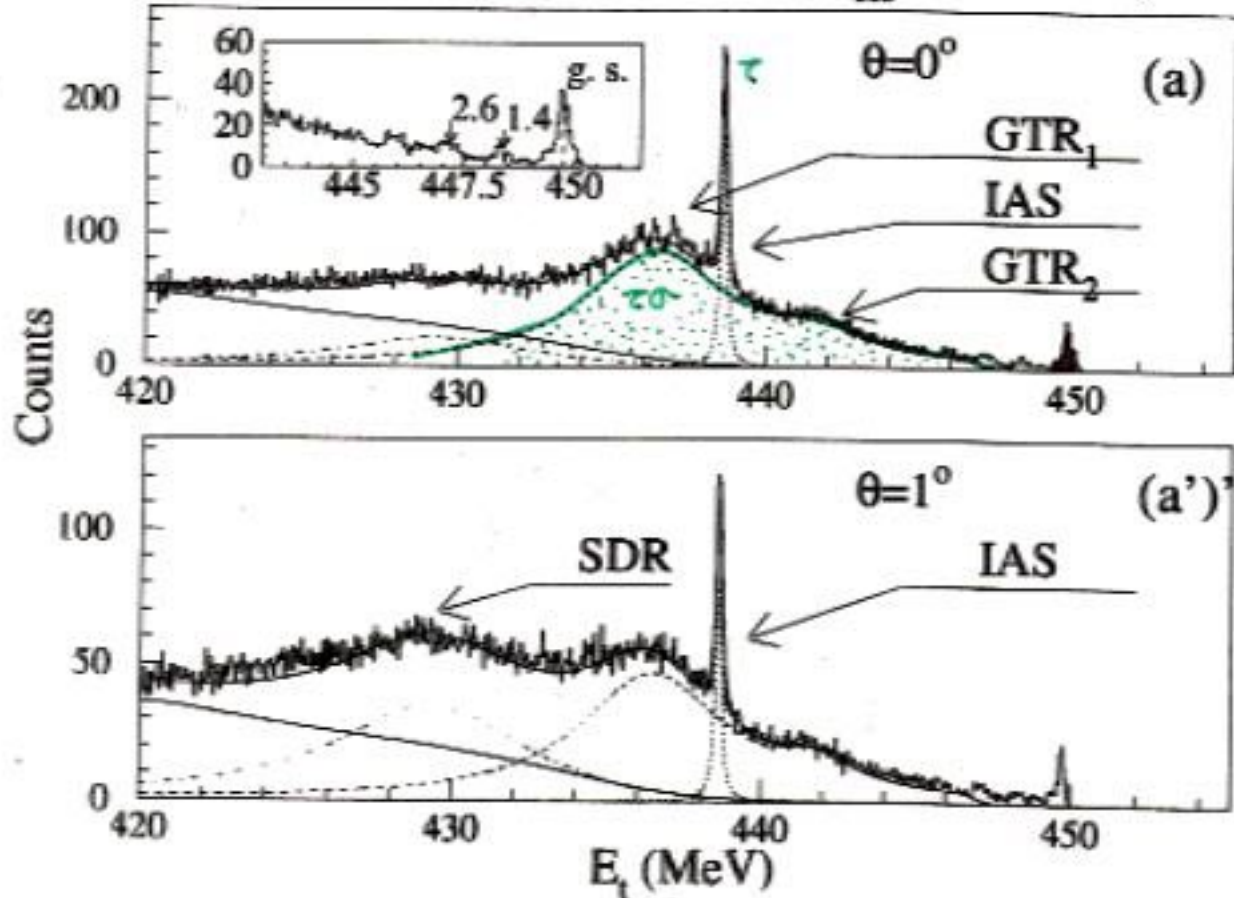
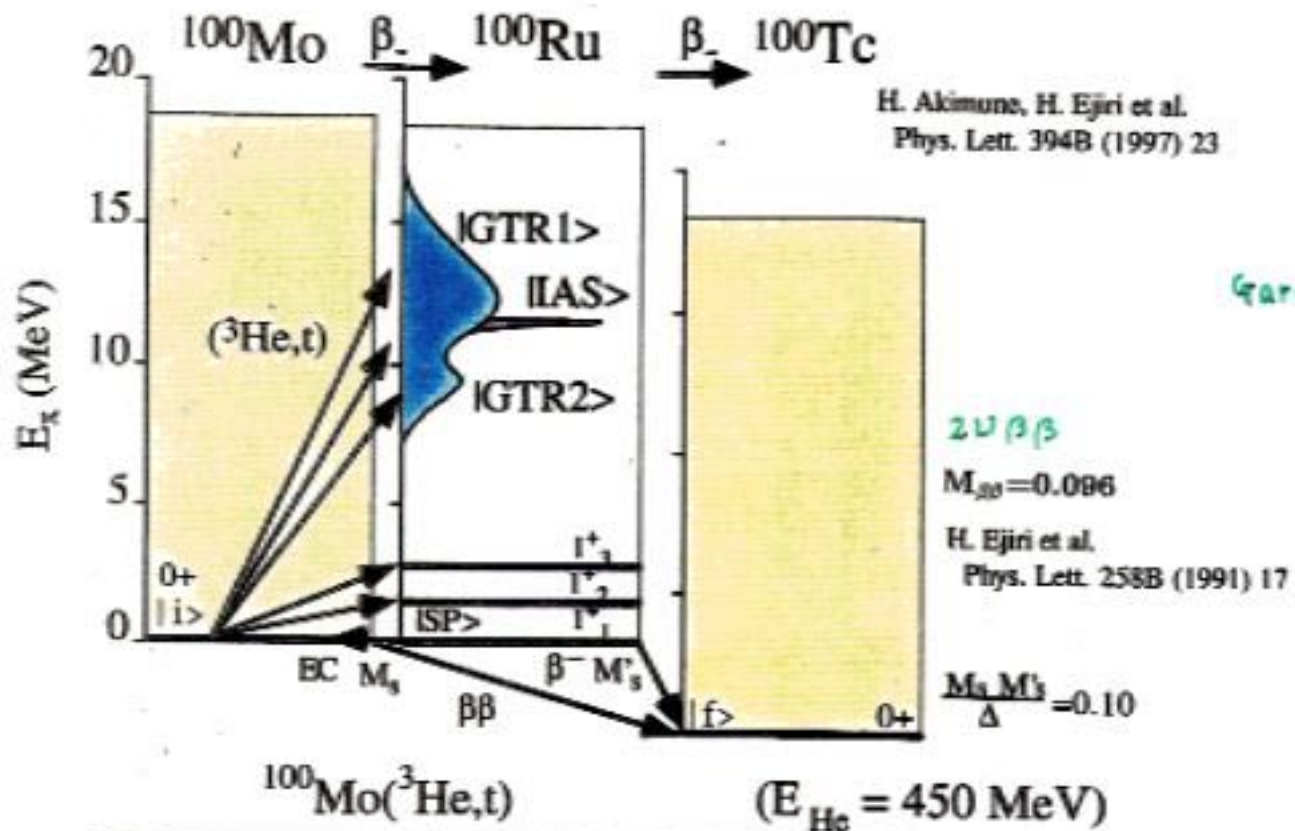
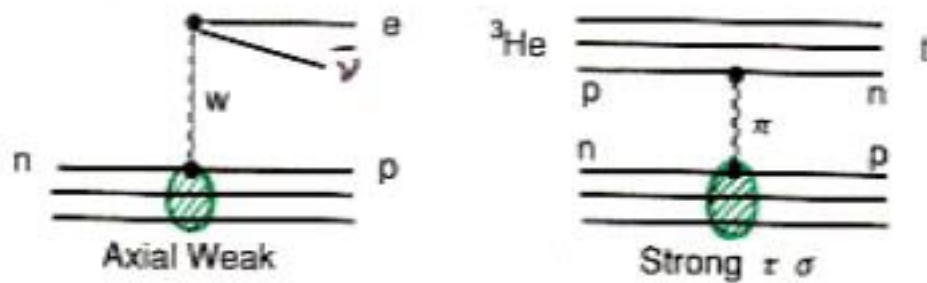
-RCNP, MSU, IUCF, KVI, MU, Kyoto, ... Coll.-

- a. Charge Exchange Spin Flip Reactions at Medium Energies
(p, n), (n, p), (d, ^2He), (^3He , t), (t, ^3He), (^7Li , $^7\text{Be}^*$)
- b. RCNP Cyclotron $E(\bar{p})=0.4$ GeV, $E(^3\text{He})=0.45$ GeV
Small V_0 Distortion, Relatively Large $V_{\tau\sigma}$
- c. MSU Cyclotron α -Fragm. t with 0.38 GeV
A1200 Beam-Line Analyzer, and K800 Spectrograph



Fujiwara et al.

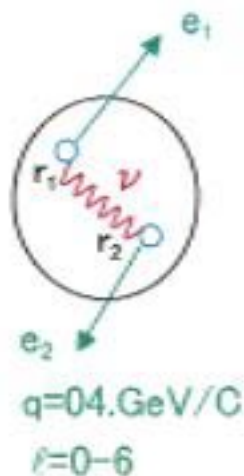
Spin Isospin Responses for $\beta\beta-\nu\nu$



b. Nuclear Responses for $0\nu\beta\beta$

$$H(r_1, r_2, \tau_1, \tau_2, \sigma_1, \sigma_2) \sim f(r_1, r_2) \tau_1 \tau_2 \sigma_1 \sigma_2 \dots$$

$$f(r_1, r_2) = 1/|r_1 - r_2|$$



Separable Form for Nucleon $r_n < r_i, r_j < \text{Nuclear } R_N$

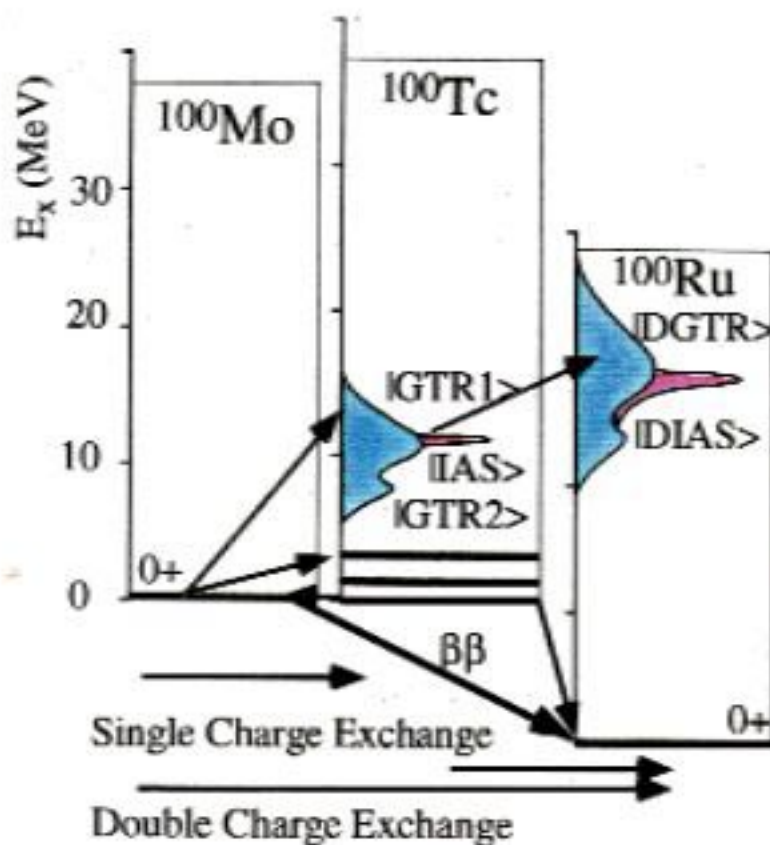
$$f(r_1, r_2) \sim \sum_f f_\ell h_\ell(r_1) h_\ell(r_2) \quad \text{Ejiri, Belyaev, Toki PTP '99}$$

$$M^{0\nu} \sim \sum f_\ell \langle 0_f | T_\ell^+ | i \rangle \langle i | T_\ell^+ | 0_i \rangle \quad T_\ell = h_\ell(\gamma) \tau \sigma$$

$$M^{0\nu} \sim \sum M_\ell^+(\text{SP}) M_\ell^-(\text{SP}) + (M_\ell^+(\text{GR}) M_\ell^-(\text{GR}) \rightarrow \varepsilon)$$

Studied by τ^- and τ^+ Charge Exchange Reactions

Proposal Double Gamow-Teller Excitation



IAS: $J^\pi=0^+, T=T_0$

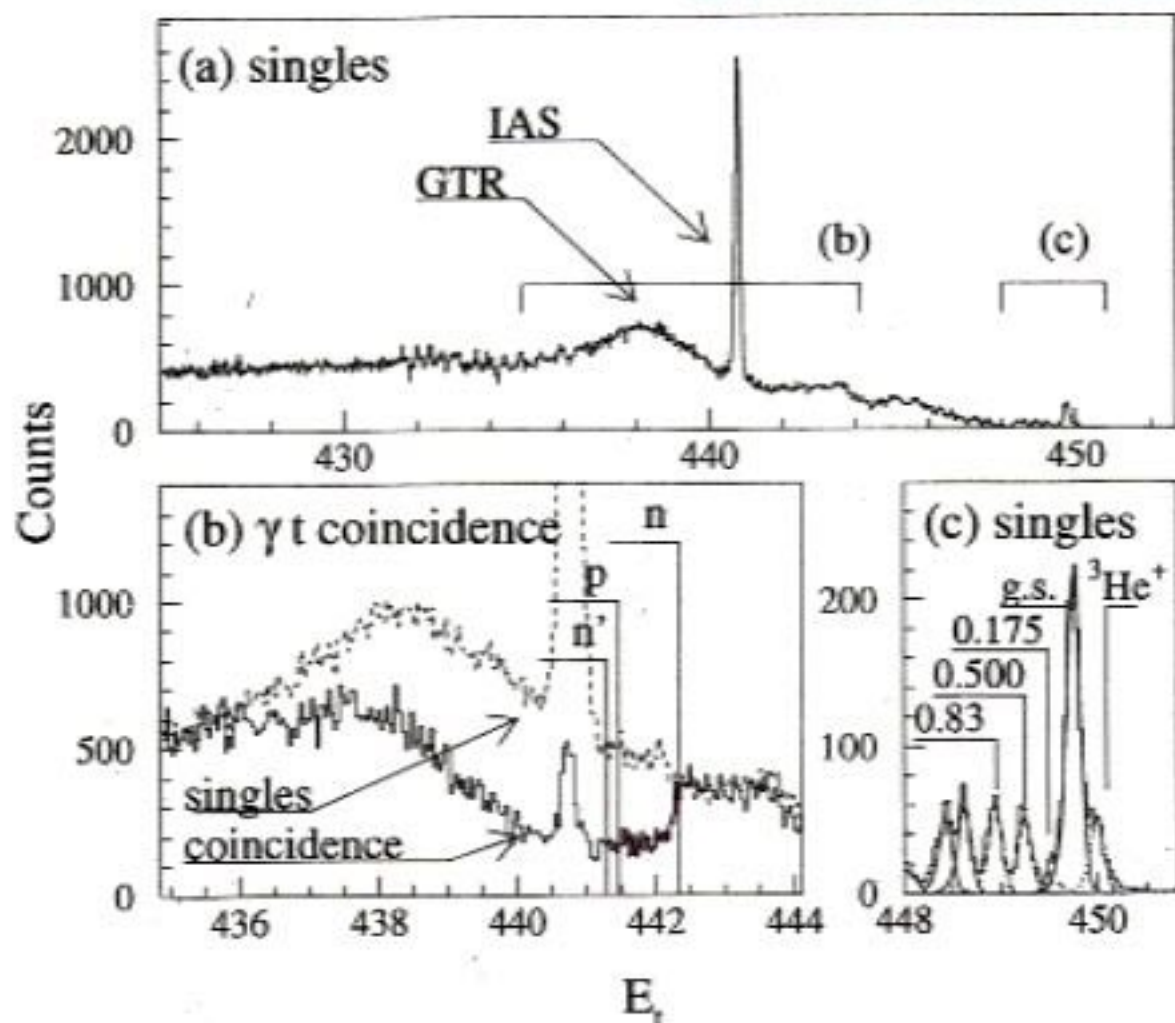
GTR: $J^\pi=1^+, T=T_0-1$

DIAS: $J^\pi=0^+ T=T_0$

DGT: $J^\pi=0^+, 2^+ (1:5)$
 $T=T_0-2$

$^{71}\text{Ga}(^3\text{He}, t \gamma)^{71}\text{Ge}$

-RCNP, MSU, IUCF, KVI, MU, Kyoto, ... Coll.-
Fujiwara, Akimune, Daito, et al., NP '96
Ejiri, Akimune, Ishibashi, et al., PL '98



$(^3\text{He}, t \gamma) \rightarrow \text{B(GT)} \rightarrow \text{SNU}$

Gs($1/2^-$) 114.9 SNU

1st ($5/2^-$) 1.75

Tot 131.72

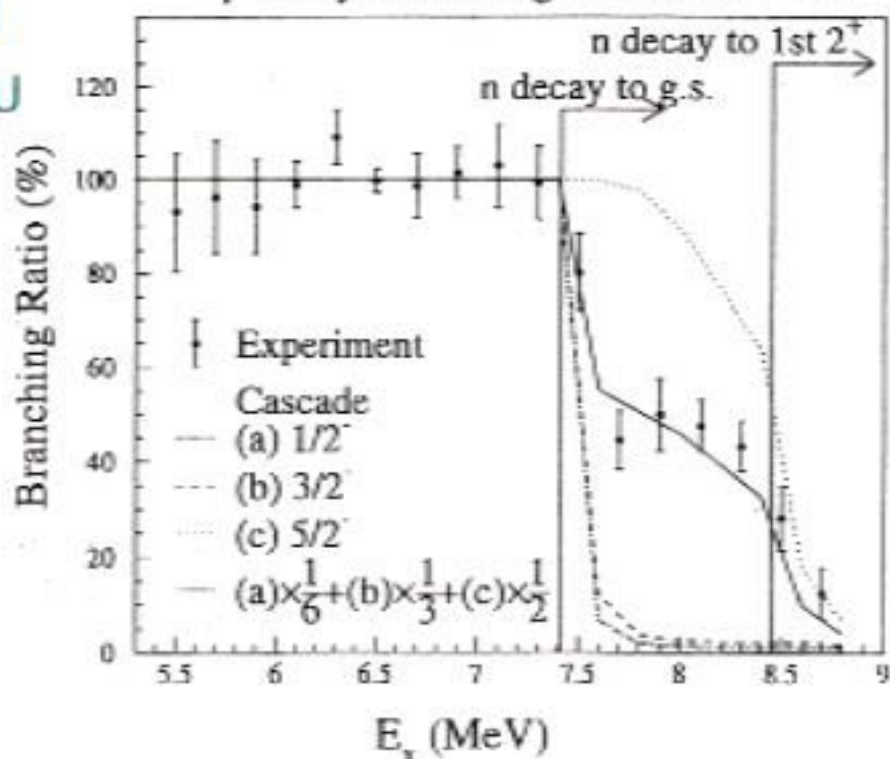
Barcall 132

^8B all 12.9

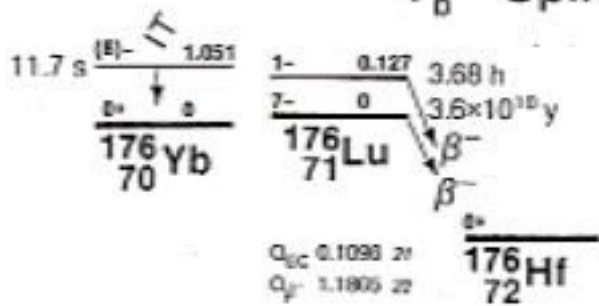
unbound 0.35

3%

γ Decay Branching Ratio from $^{71}\text{Ge}^*$

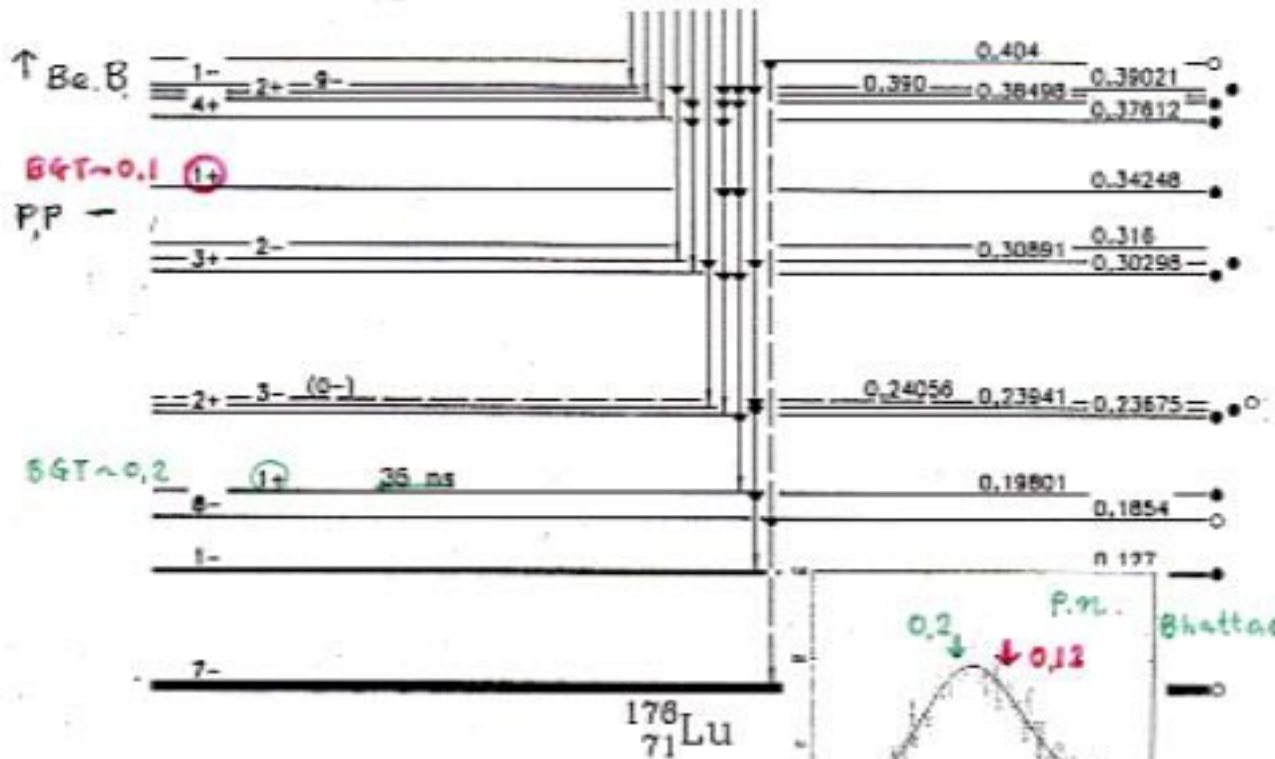


^{176}Yb Spin Responses

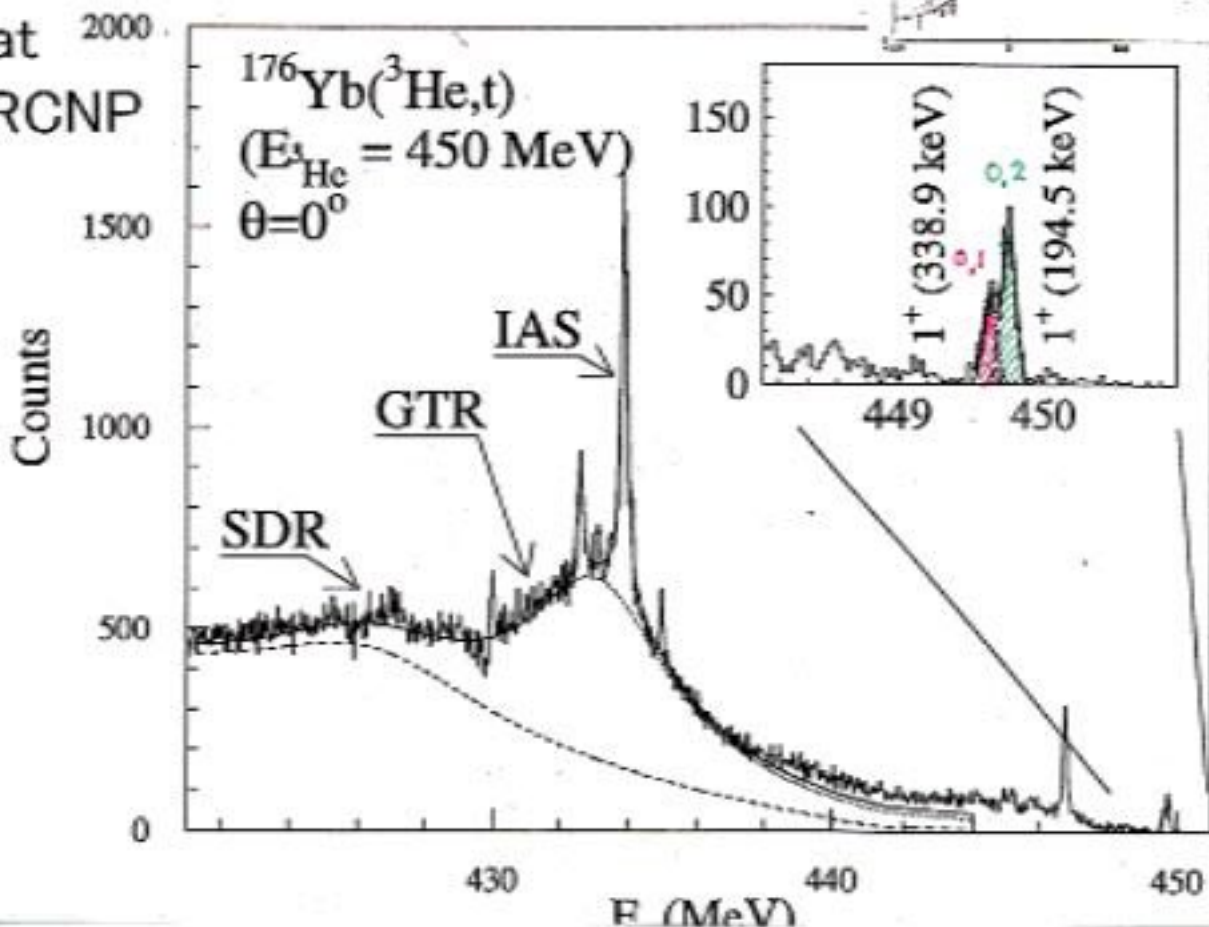


R.S. Raghavan

PRL '97



at 2000
RCNP



IUCF,
RCNP,
KVI, etc
Coll.

FUTURE PLANS FOR 0.01eV region

GENIUS

Ge(76) 1t in Liq. N Goal 0.01eV
(if BG is as present $\lesssim 0.05\text{eV}$)
High E resolution, but large $BG < 3\text{MeV}$
Low $Q(\text{bb}) = 2\text{ MeV}$
Calorimetric Method No m/V+A/etc

NEMO

Mo100 7-10kg Goal 0.1eV
2 Neu bb + BG $\lesssim 0.5\text{eV}$
Low E resolution
High $Q(\text{bb}) = 3\text{MeV}$ Low BG
Spectroscopic Method (like ELEGANT)

LENS (Solar ν)

Yb176 etc 1t $\sim, > 0.1\text{eV}$

MOON

Mo100 10t Goal 0.02eV

UWThPh-1999-41
 DFTT 36/99
 July 1999

Constraints from Neutrino Oscillation Experiments on the Effective Majorana Mass in Neutrinoless Double β -Decay

S.M. Bilenky

Joint Institute for Nuclear Research, Dubna, Russia, and
 Institute for Theoretical Physics, University of Vienna,
 Boltzmanngasse 5, A-1090 Vienna, Austria

C. Giunti

INFN, Sezione di Torino, and Dipartimento di Fisica Teorica, Università di Torino,
 Via P. Giuria 1, I-10125 Torino, Italy

W. Grimus

Institute for Theoretical Physics, University of Vienna,
 Boltzmanngasse 5, A-1090 Vienna, Austria

B. Kayser

National Science Foundation, Division of Physics,
 Arlington, VA 22230, U.S.A.

S.T. Petcov*

Scuola Internazionale Superiore di Studi Avanzati,
 and INFN, Sezione di Trieste, I-34013 Trieste, Italy

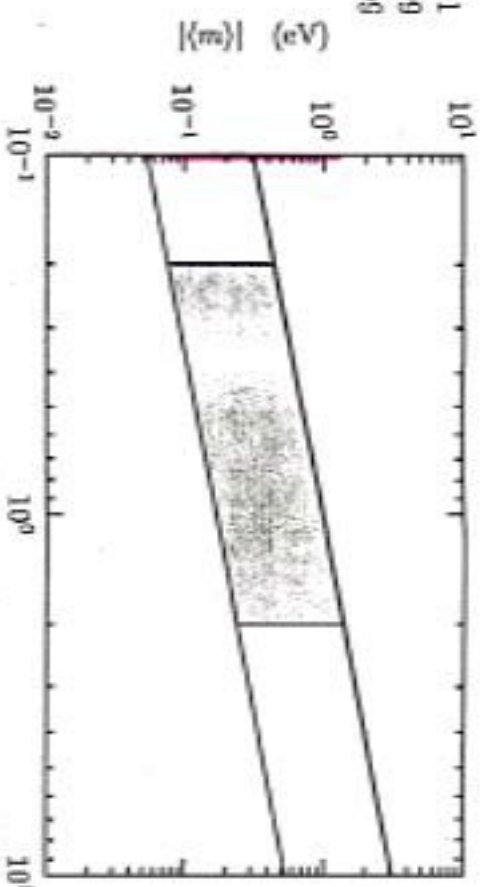


FIG. 1. Four neutrinos in Scheme (A). The shaded area shows the possible values of the effective Majorana mass $|m|$ in the range of Δm^2_{SMD} .

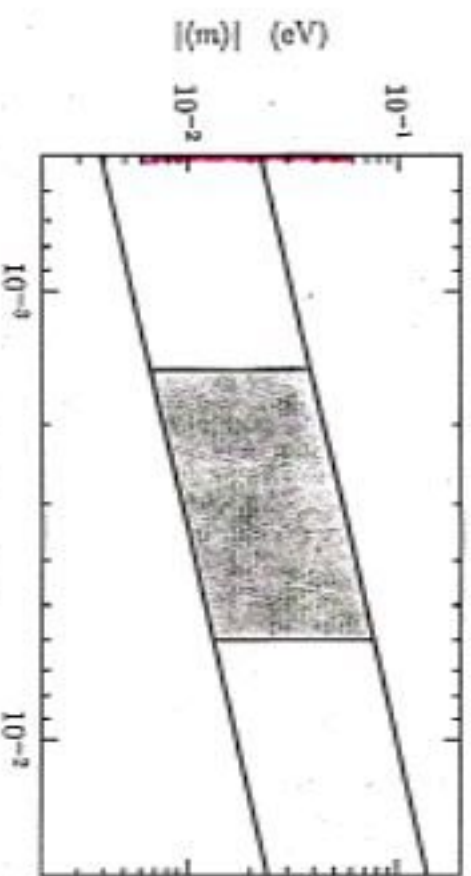


FIG. 2. Three neutrinos with inverted mass hierarchy. The shaded area shows the possible values of the effective Majorana mass $|m|$ in the range of Δm^2_{sun} .

(A) $\underbrace{m_1 < m_2 < m_3 < m_4}_{\text{LSND}}^{\text{atm}}$ and (B) $\underbrace{m_1 < m_2 < m_3 < m_4}_{\text{LSND}}^{\text{atm}}$

Majorana neutrino masses from neutrinoless double beta decay and cosmology

V. Barger ^a, K. Whisnant ^a

^a Department of Physics, University of Wisconsin, Madison, WI 53706, USA

^b Department of Physics and Astronomy, Iowa State University, Ames, IA 50011, USA

Received 9 April 1999; received in revised form 21 April 1999

Editor: M. Cvetič

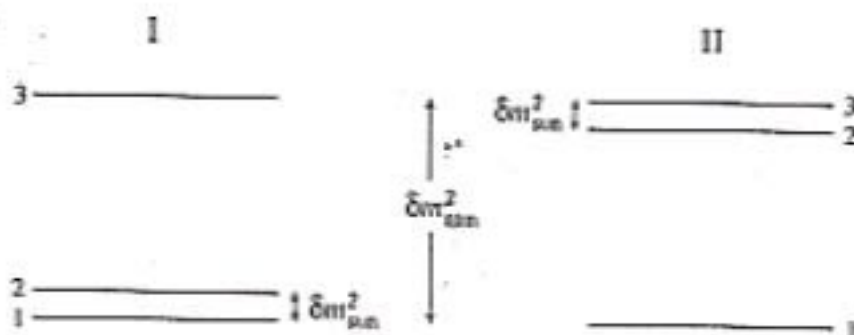
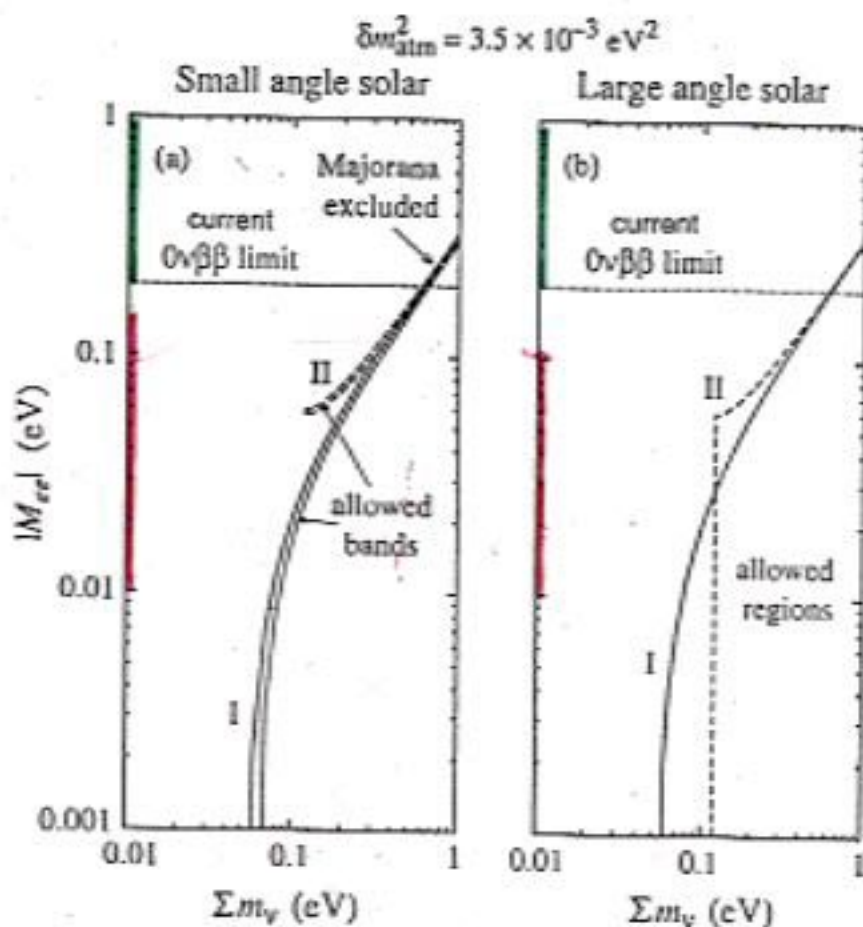


Fig. 1. The two possibilities for the three-neutrino mass spectrum.



Electron-neutrino Majorana mass and solar neutrino oscillations

Ernest Ma

P.L. B 456 '99

Department of Physics, University of California, Riverside, CA 92521, USA

Received 5 March 1999

Editor: M. Cvetič

Abstract

Assuming the Majorana masses of ν_e and the linear combination $c\nu_e - s\nu_\mu$ to be equal from their couplings to a heavy scalar triplet ξ , I show that their radiative splitting is given by $\Delta m^2/m_e^2 = (3c^2/4\pi^2)(G_F/\sqrt{2})m_\xi^2 \ln(m_\xi^2/m_e^2)$. This is applicable to the small-angle matter-enhanced oscillation solution of the solar neutrino deficit and restricts m_e to be between 0.20 and 0.36 eV if $c^2 = 0.7$ and $m_\xi = 10^{14}$ GeV. © 1999 Elsevier Science B.V. All rights reserved.

Weighing Neutrinos with Galaxy Surveys

Wayne Hu, Daniel J. Eisenstein, and Max Tegmark

Institute for Advanced Study, School of Natural Sciences, Princeton, New Jersey 08540

(Received 3 December 1997; revised manuscript received 13 March 1998)

We show that galaxy redshift surveys sensitively probe the neutrino mass, with eV mass neutrinos suppressing power by a factor of 2. The Sloan Digital Sky Survey can potentially detect N nearly degenerate massive neutrino species with mass $m_\nu \approx 0.65(\Omega_m h^2/0.1N)^{0.8}$ eV at better than 2σ once microwave background experiments measure two other cosmological parameters. Significant overlap exists between this region and that implied by the Liquid Scintillator Neutrino Detector experiment, and even $m_\nu \sim 0.01-0.1$ eV, as implied by the atmospheric anomaly, can affect cosmological measurements. [S0031-9007(98)06410-2]

PACS numbers: 95.35.+d, 14.60.Pg, 98.62.Py

Degenerate and Quasidegenerate Majorana Neutrinos

G. C. Branco^a and M. N. Rebelo^bCentro de Física das Interações Fundamentais (CFIF), Instituto Superior Técnico,
Avenida Rovisco Pais, P-1096 Lisboa-Codex, PortugalJ. I. Silva-Marcos^b

NIKHEF, Kruislaan 409, 1098 SJ Amsterdam, The Netherlands

(Received 13 October 1998)

We study mixing and CP violation of three left-handed Majorana neutrinos in the limit of exactly degenerate masses, identify the weak-basis invariant relevant for CP violation, and show that the

Double beta decay*

Amand Faessler¹ and Fedor Šimković²

	$T_{1/2}^{0\nu-theor.}(\langle m_\nu \rangle, \langle \lambda \rangle, \langle \eta \rangle, \langle g \rangle) [\text{years}^{-1}]$									
	⁴⁸ Ca	⁷⁶ Ge	⁸² Se	⁹⁶ Zr	¹⁰⁰ Mo	¹¹⁶ Cd	¹²⁸ Te	¹³⁰ Te	¹³⁶ Xe	¹⁵⁰ Nd
Ref.	10 ²⁴	10 ²⁴	10 ²⁴	10 ²⁴	10 ²⁴	10 ²⁴	10 ²⁵	10 ²⁴	10 ²⁴	10 ²⁴
	$\langle m_\nu \rangle = 1\text{eV} \quad \langle \lambda \rangle = 0 \quad \langle \eta \rangle = 0 \quad \langle g \rangle = 0$									
[156]	6.42	17.4	2.40						12.1	
[1]	3.17	1.68	0.58				0.40	0.16		
[191]		2.30	0.92				0.45	0.24		
[167]		14.0	5.60				1.50	0.66	3.30	
[132]		4.06	1.43				1.80	0.83		
[168]		2.33	0.60		1.27		0.77	0.49	2.21	3.37
[79]		2.16	0.61		0.26		0.98	0.54	1.40	4.45
p.w.		<u>3.15</u>	0.80	1.09	<u>0.34</u>	0.77	1.63	0.94	5.29	6.11
[109]		8.95			0.25	0.70	1.09		8.76	
	$\langle m_\nu \rangle = 0 \quad \langle \lambda \rangle = 0 \quad \langle \eta \rangle = 0 \quad \langle g \rangle = 10^{-5}$									
[156]	7.96	70.9	5.24						32.5	
[1]	3.93	6.85	1.27				5.70	4.20		
[132]		16.5	3.13				25.7	2.19		
[191]		9.36	2.01				6.41	0.63		
[167]		57.0	12.2				21.4	1.73	8.86	
[168]		9.49	1.32		2.60		11.1	1.28	5.94	5.30
[79]		8.77	1.32		0.53		13.9	1.42	3.76	6.90
p.w.		12.8	1.75	1.92	0.68	1.76	23.2	2.47	14.2	9.61
[109]		36.4			0.52	1.61	15.0		23.5	

*Mo Observatory Of Neutrino**

MOON

Hiro Ejiri NPL UW

1. Majorana Neutrino With Mass $\sim 0.02 \sim 0.03$ eV
By Mo100 Double Beta Decays With Large $Q=3$ MeV Spectroscopic Measurement.

2. Semi Real Time Solar Neutrinos of Be7, pp. B8.
*Large Known B(GT). Factor 5~7 of Ga.SNU.
Low Threshold .Mo100 168 keV, Mo97 562 keV
. Low BG by T-Window 3(-8)—1(-6)y (1-30sec).*

4. Realistic Detector With Purity of 1ppt, 1.3 Bq/gr(8)
*10% Mo100 10% Mo97. Isotopic Abundance.
100t Mo, 600t Total, 10m*10m*5m.*

** Preliminary*

S_p 11146

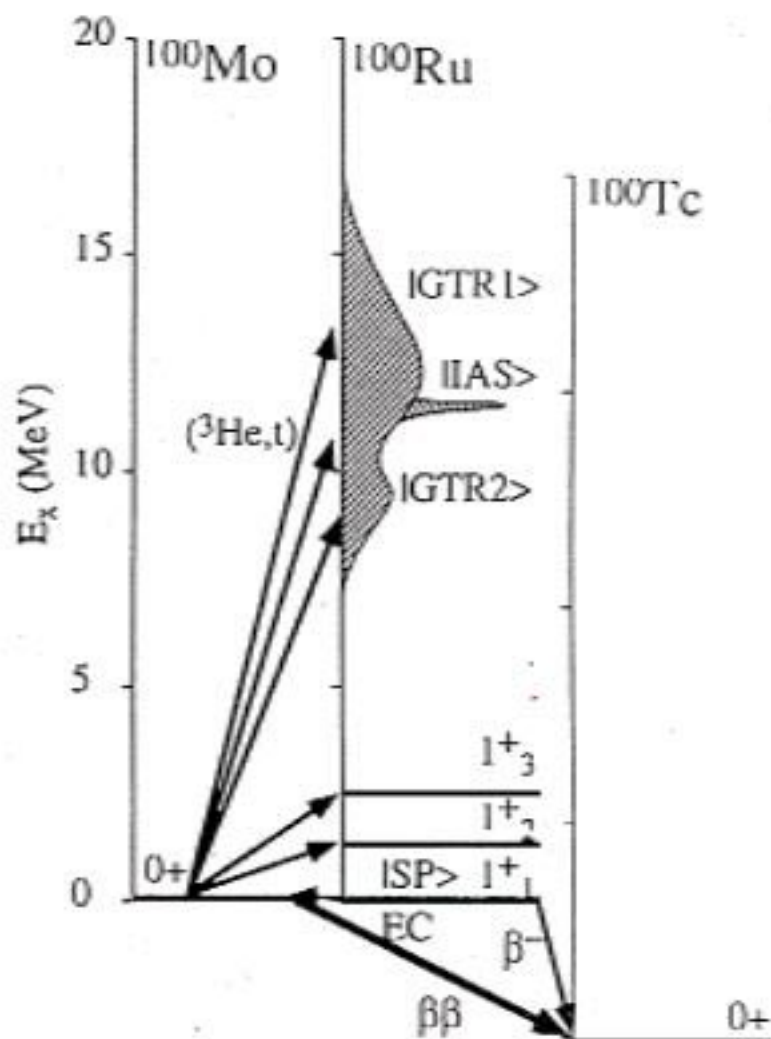
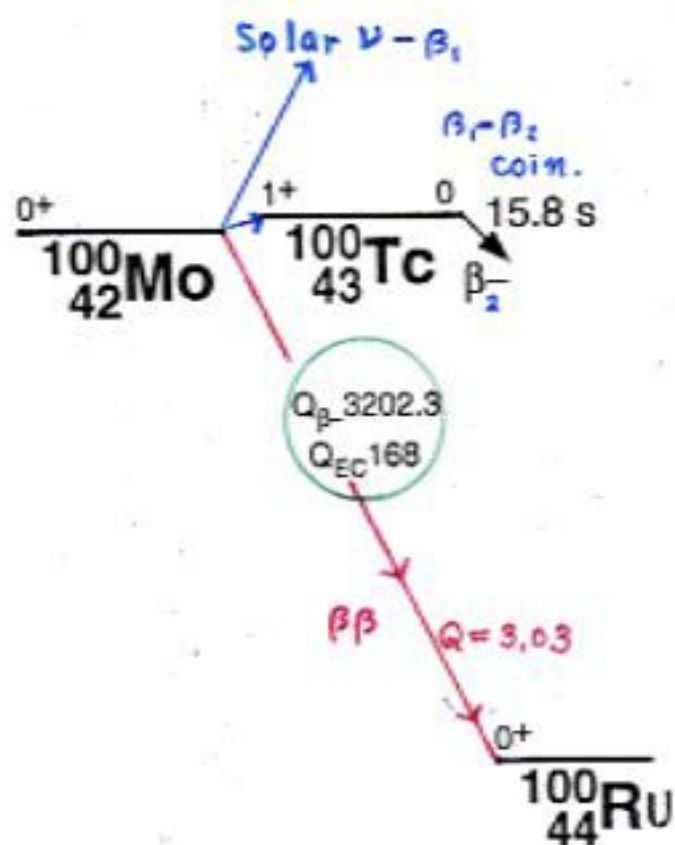
S_n 8289

S_p 7339.3

S_n 6764.4

S_n 96

S_p 9



Excited states	^{100}Tc	
	E_x (MeV)	$B(GT)^2$
g.s.	0.0	0.33 ± 0.04
1st 1^+	1.4^d	0.13 ± 0.02
2nd 1^+	2.6^d	0.23 ± 0.03
GTR1	13.3^e	23.1 ± 3.8
GTR2	8.0^e	2.9 ± 0.5

GT States in Ga71 & Mo100

		Ga71-Ge71	Mo100-Tc100
	$3/2-1/2$		$0-1$
Spin factor	0.25		1
<u>Q(ec) MeV</u>	<u>0.236</u>		<u>0.168</u>
<u>B(GT)</u>			
	g.s.	<u>0.089</u>	g.s. <u>0.33</u>
	0.175	0.005	1.4 0.13
	0.5	} 0.088	2.6 0.23
	1.36		
	GR	3.6	GR 4.4
	Sum	3.8	Sum 5.1
<u>SNU</u>			
	pp	71	~640 *
	Be7	34	~210 *
	B8	14	~ 20 *
	Sum	132	~900 *

* Preliminary

DETECTOR AND COUNTING RATE

1. Detector 100t Mo (10t Mo100 , 10t Mo97)
Mo 0.1gr/cm**2 PL 0.5gr/cm**2,
10mx10mx1000 (~5m)

2. Position 1cm**2 0.1gr/100t=10(-9)
Time Window 1-30sec. 10(-6)y

3. N(0v) 5.3(2)/5y 5.5 10(26)y 2.5 10(-2) eV

4. N(Be) /y ~ 200 (Mo100) + Mo97
N(pp) /y ~ 260 (Mo100)

5. N(BG) 1 ppt U Th 1.3 10(-8) Bq/gr
N(ac), N(c) T window 0.06/y ~0/y
N(dc) Pb214-Bi214 ~170/y
N(bb) ac ~250/y
N(BG) can be measured to be corrected for

SUMMARY

1. Double Beta Decays Sensitive To
Majorana Neutrino Masses 0.01-1 eV
Majoron, Right Handed Weak Current
SUSY etc, Beyond Standard Theory

2. Present Experiments Set Limits

Calorimetric Method Ge 76 by H-M
0.2(0.4) < 1 eV depending on $M(\text{bb})$

Spectroscopic Method Energy & Angle Corr.
Mass/Right Handed Weak, ...
Mo100, Xe136, ... 1.5-3 eV, will be 0.5-1

3. Nuclear Responses

2-nbb By He3-t and p-n Reactions
 $M(2nbb) \sim M(\text{SP.b}) * M(\text{SP.b})$ Through SP.1+.
 $M(0nbb)$ with $J=0, 1, 2, 3, \dots, 6$. Also By
Nuclear Reactions, If Separable.

Solar Neutrino Responses

By He3-t Reactions For Excited States

4. Perspectives

GENIUS Ge76 1t Goal 0.01 eV (< 0.04)
Also For SUSY DM

MOON Mo100 10t Goal 0.03 eV
Also For Solar Neutrinos Be7, pp, B8.