

The Role Of Internal Degrees Of Freedom In Reactions With Composite Systems

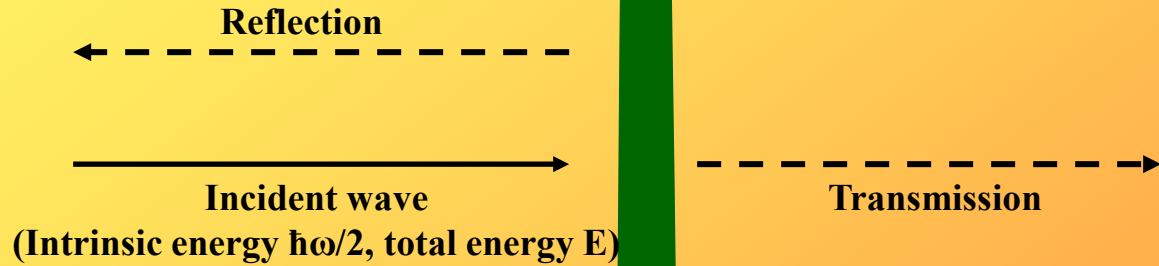


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Description of the System

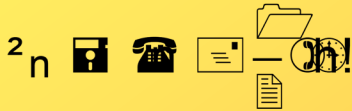
The composite object



Intrinsic Potential:



Energy levels:



$$\psi_{in} = \sum_n C_{i;n} e^{iK_n R_j} \psi_{jn}$$

$$\psi_{out} = \sum_n C_{t;n} e^{iK_n R_j} \psi_{jn}$$

$$R_n = \frac{K_n}{K} C_{i;n}$$

$$T_n = \frac{K_n}{K} C_{t;n}$$

CM Momentum:

$$K_n = \frac{M \omega_j^2}{\omega}$$

The External Potential:




Why is this project interesting?

- We took a non-perturbative approach. We solved the problem **EXACTLY**.
- This can be useful in understanding processes like fission, fusion, particle emission.
- The problem is well-formulated but numerically difficult.
- It is a very general solution of a simple model which can be applied to fields beyond nuclear physics.

Energy scales used in this project:

● $E!$  

● E_P  E_i   

● E_{\pm}  $\frac{M \text{ (R)} \text{ (document icon)}}{\text{(clock icon) (document icon)}}$

Parameters:

● E  $E_P = E!$

● \bigcirc  $E_{\pm} = E!$

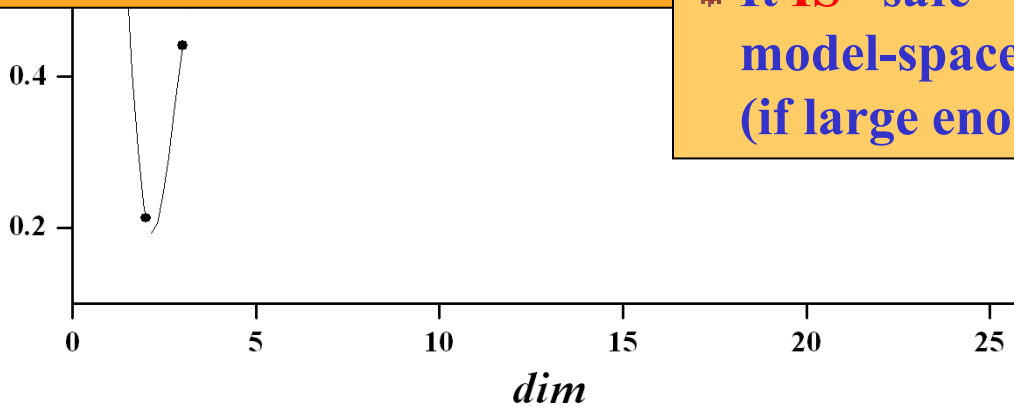
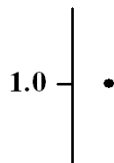
● $\frac{1}{2}$  $\frac{m \text{ (document icon)}}{m \text{ (folder icon)}}$

Example: R_0

Parameters:
 $E=1.1$,
 $D=\text{infinity}$,
 $\rho=1$

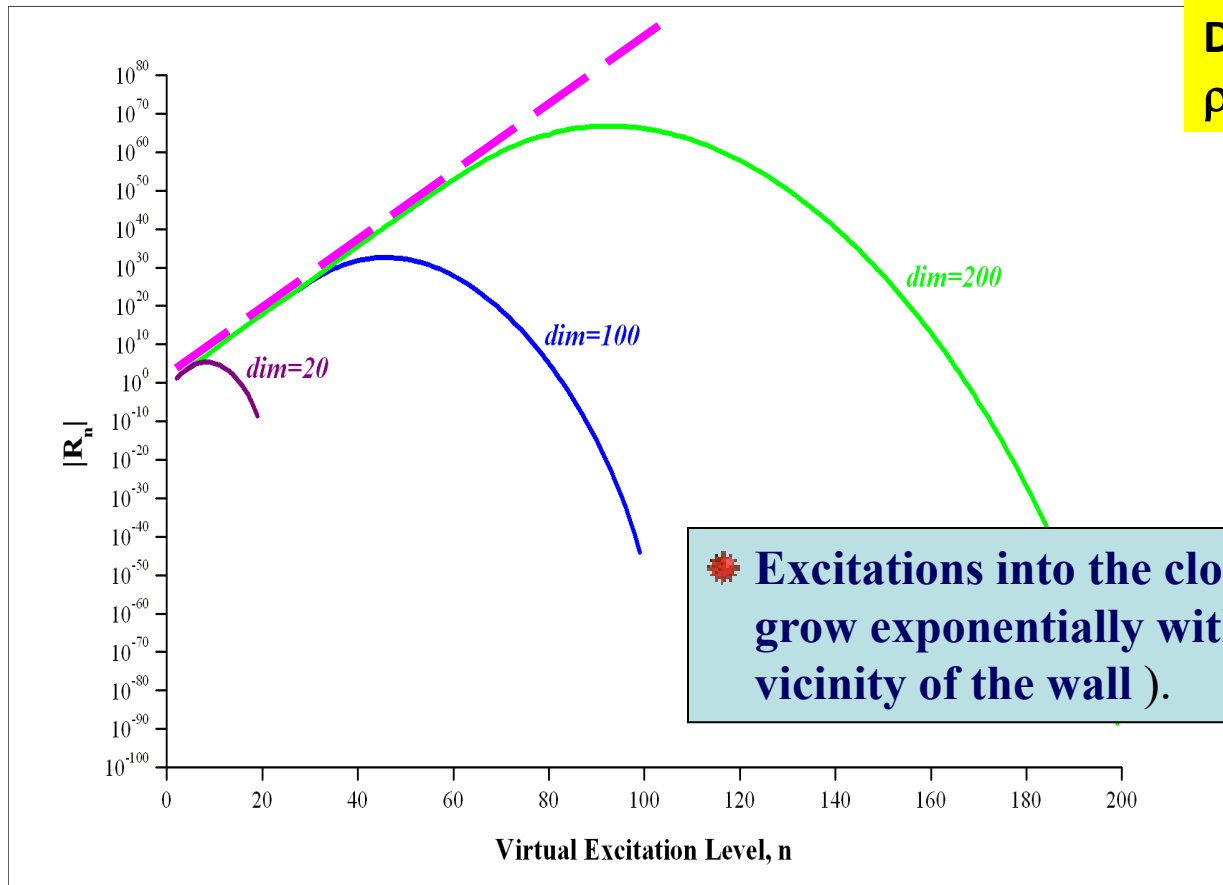
❄ Is it “safe” to truncate the model-space to a finite size?

❄ It **IS** “safe” to truncate the model-space to a finite size (if large enough).



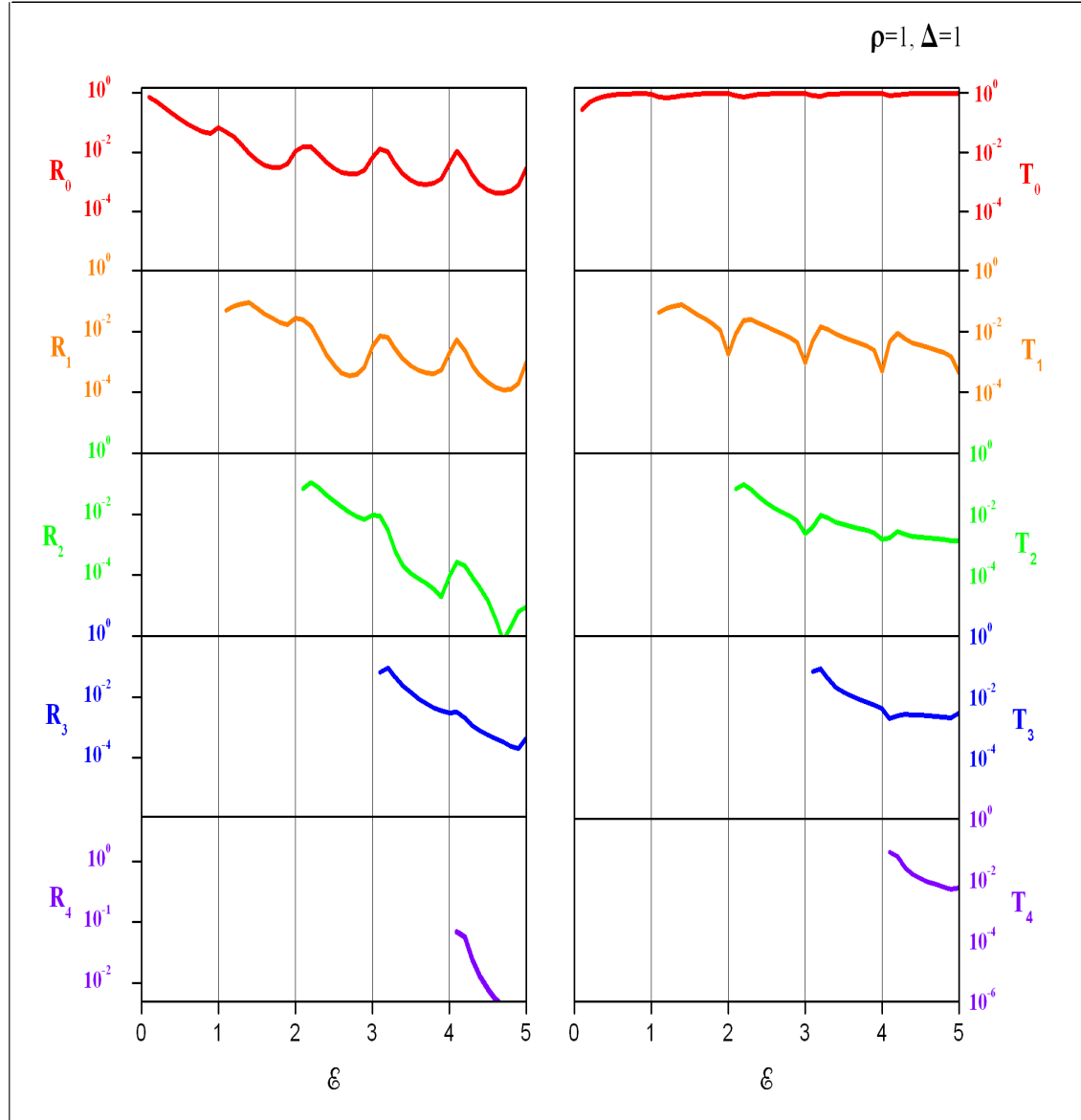
Growth of Virtual Excitations with n

Parameters:
 $E=1.1$,
 $D=\text{infinity}$,
 $\rho=1$



✿ Excitations into the closed channels grow exponentially with “n” (in the vicinity of the wall).

The first few R's and T's as functions of E



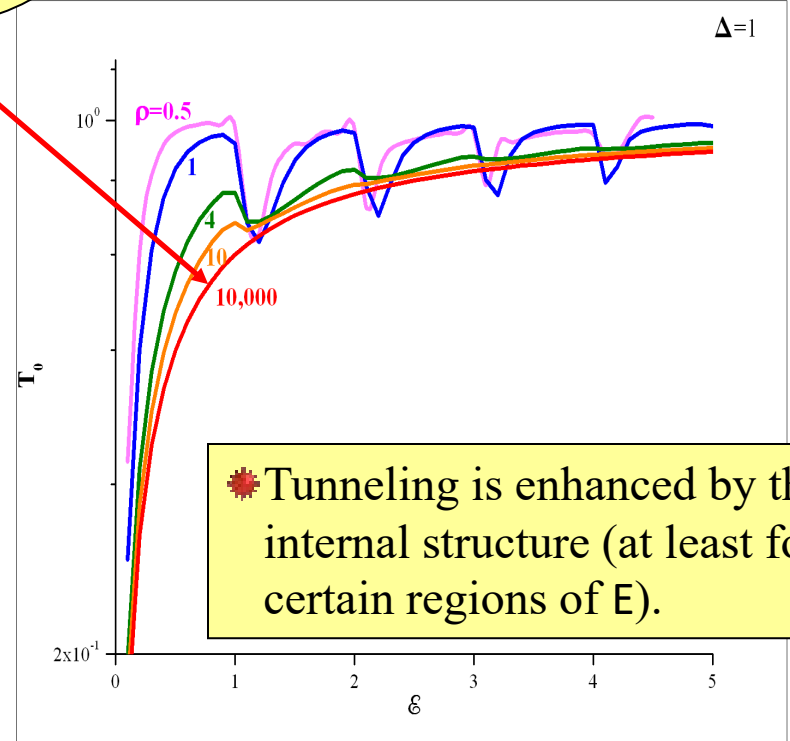
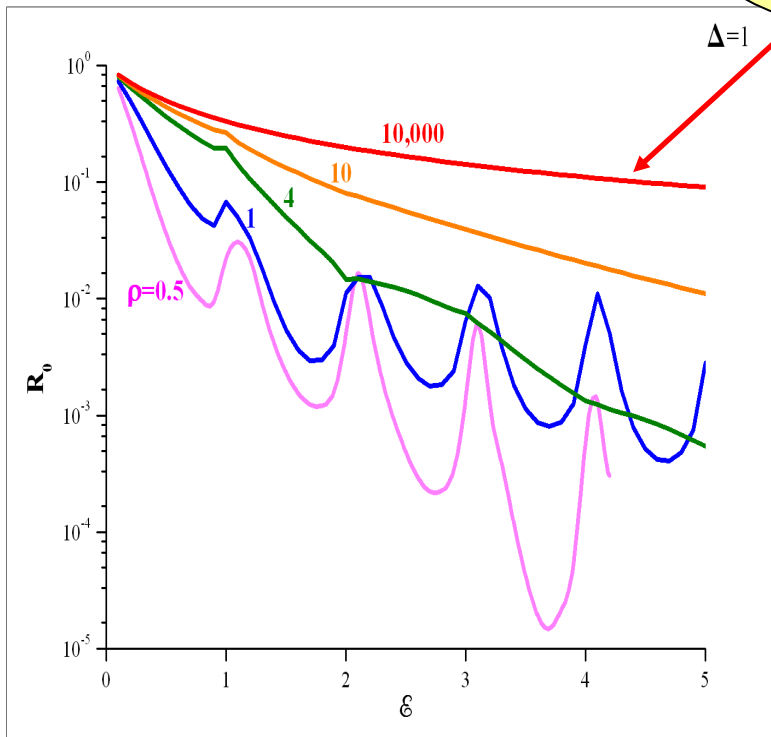
✿ A new channel opens at each integral value of E .

✿ Away from the thresholds there are bumps. \longrightarrow

UNEXPECTED

R_0 and T_0 for different r 's

Limit of a Structure-less Particle.

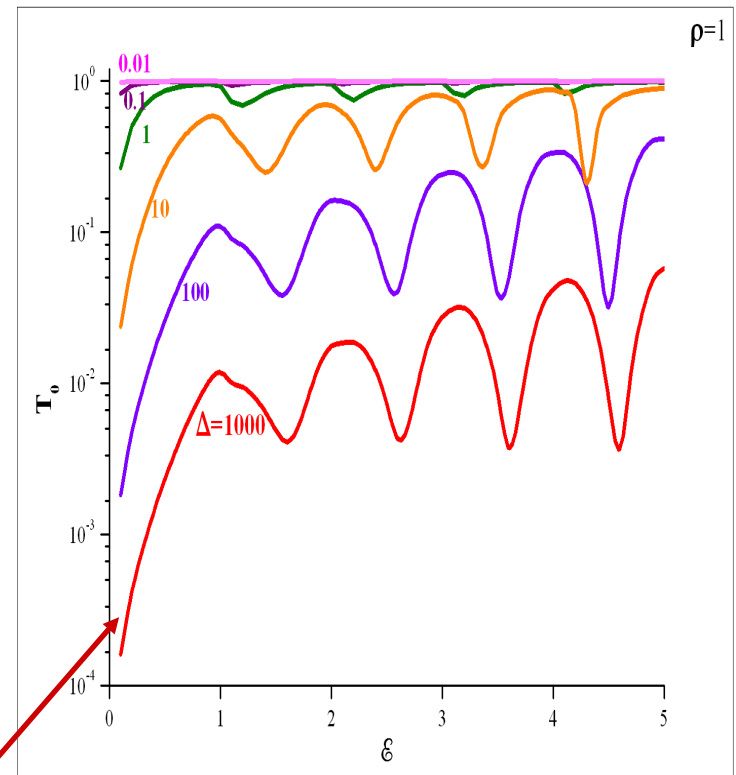
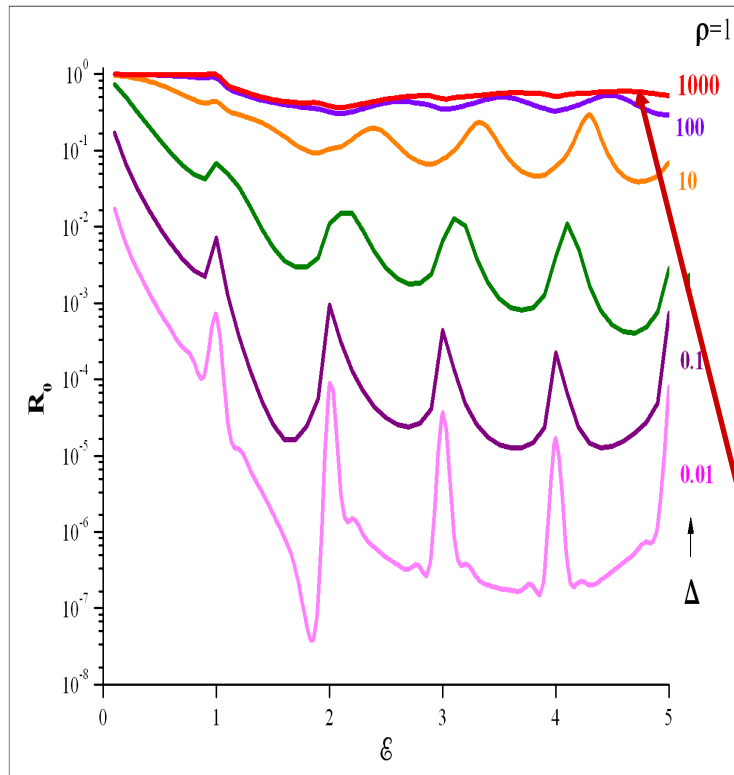


• Tunneling is enhanced by the internal structure (at least for certain regions of E).

• $\frac{1}{2} \frac{m_i}{m_j}$ The wiggles start to smooth out with growing r .

m_i mass of interacting particle
 m_j mass of non-interacting particle

R_0 and T_0 for different D 's



Approaches the limit of an infinite wall.

✿ As D increases there is, naturally, more reflection and less transmission.

Immediate Future Plans

1. Explore resonances that occur away from the channel-thresholds.
2. Study the phase-shifts and time-delays associated with these processes.
3. Now that a mathematical layout of the method is handy, we would like to extend this to a problem which is more general and more realistic.