

New particles hints

- in loops
- mediators of interaction
- ...

New particles produced directly

Low energy

High energy



BSM NEW FUNDAMENTAL INTERACTIONS

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★ Effective field theories for low energy

→ New (heavy) dof integrated out

★ Consider all Dirac bilinears for EW interactions

→ $1, \gamma_5, \gamma_\mu(1+\gamma_5), \sigma_{\mu\nu}$

→ Define "Wilson coefficient" for new interaction

Read "Beyond V-A"

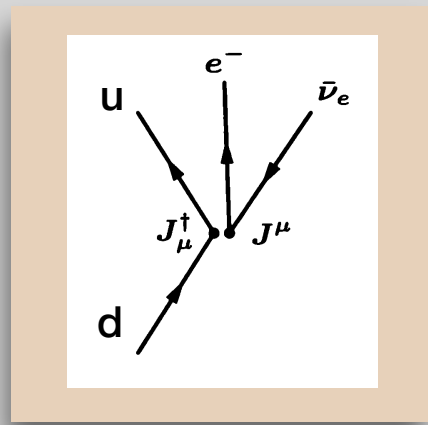
Includes scalar and tensor bil.

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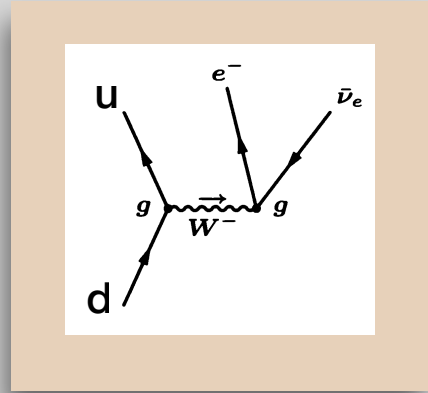
EFT AT THE QUARK LEVEL

$$d_j \rightarrow u_i l^- \nu_l$$

$$\mathcal{L}^{(\text{eff})} = \mathcal{L}_{\text{SM}} + \sum_i \frac{1}{\Lambda_i^2} \mathcal{O}_i$$



4-fermion interaction



SM

$$\begin{aligned} \mathcal{L}_{d_j \rightarrow u_i l^- \bar{\nu}_l} = & \frac{-g^2}{2m_W^2} V_{ij} [(1 + [v_L] \ell_{ij}) \bar{\ell}_L \gamma_\mu \nu_{eL} \bar{u}_L^i \gamma^\mu d_L^j + [v_R] \ell_{ij} \bar{\ell}_L \gamma_\mu \nu_{eL} \bar{u}_R^i \gamma^\mu d_R^j \\ & + [s_L] \ell_{ij} \bar{\ell}_R \nu_{eL} \bar{u}_R^i d_L^j + [s_R] \ell_{ij} \bar{\ell}_R \nu_{eL} \bar{u}_L^i d_R^j \\ & + [t_L] \ell_{ij} \bar{\ell}_R \sigma_{\mu\nu} \nu_{eL} \bar{u}_R^i \sigma^{\mu\nu} d_L^j] + \text{h.c.}, \end{aligned}$$

right

Tensor
 $\epsilon_T \equiv t_L$

Scalars
 $\epsilon_S \equiv s_L + s_R$

$$\begin{aligned} \langle p(p_p) | \bar{u} \gamma_\mu d | n(p_n) \rangle &= \bar{u}_p(p_p) \left[g_V(q^2) \gamma_\mu + \frac{\tilde{g}_T(v)(q^2)}{2M_N} \sigma_{\mu\nu} q^\nu + \frac{\tilde{g}_S(q^2)}{2M_N} q_\mu \right] u_n(p_n) \\ \langle p(p_p) | \bar{u} d | n(p_n) \rangle &= g_S(q^2) \bar{u}_p(p_p) u_n(p_n) \\ \langle p(p_p) | \bar{u} \sigma_{\mu\nu} d | n(p_n) \rangle &= \bar{u}_p(p_p) [g_T(q^2) \sigma_{\mu\nu} + \text{induced}] u_n(p_n) \end{aligned}$$

Hadronic Form Factors

BETA DECAY IN EFT

[Bhattacharya et al., PRD85]

[Cirigliano et al., NPB 830]

$$e^q(x) = e_{\text{loc}}^q(x) + e_{\text{gen}}^q(x) + e_{\text{mass}}^q(x)$$

$$\int_{-1}^1 dx e^q(x, Q^2) = \int_{-1}^1 dx e_{\text{loc}}^q(x, Q^2) = \frac{1}{2M} \langle P | \bar{\psi}_q(0) \psi_q(0) | P \rangle (Q^2) = \sigma_q(Q^2)$$

The scalar charge is here too!

ChiPT gets it at the Chern-Dashen point.

We could get it straight at 0 mmt transfer!

Very indirect though...

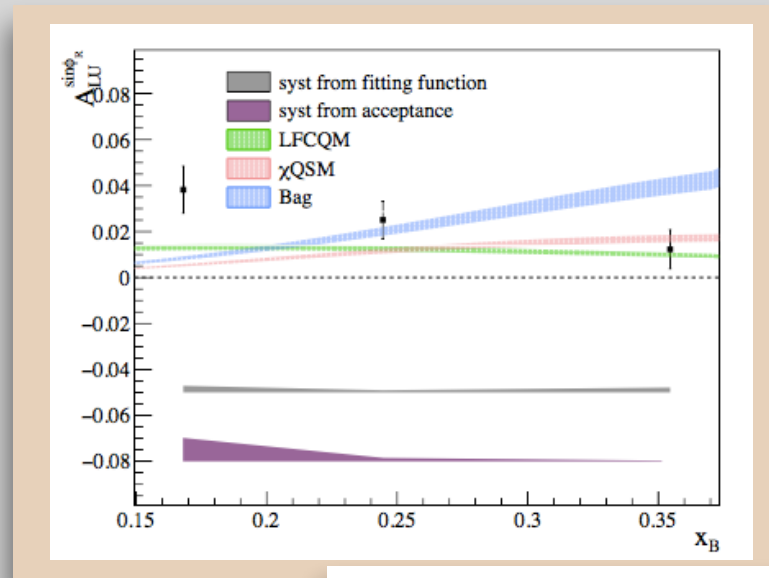
$$F_{LU}^{\sin \phi_R} = - \sum_q e_q^2 x \frac{|R| \sin \theta}{Q} \left[\frac{M}{m_{hh}} x e^q(x) H_1^{\triangleleft q}(z, \cos \theta, m_{hh}) + \frac{1}{z} f_1^q(x) \tilde{G}^{\triangleleft q}(z, \cos \theta, m_{hh}) \right]$$

DIHADRON ASYMMETRY FOR UNPOLARIZED TARGET INVOLVING SCALAR PDF (subleading)

CLAS collaboration

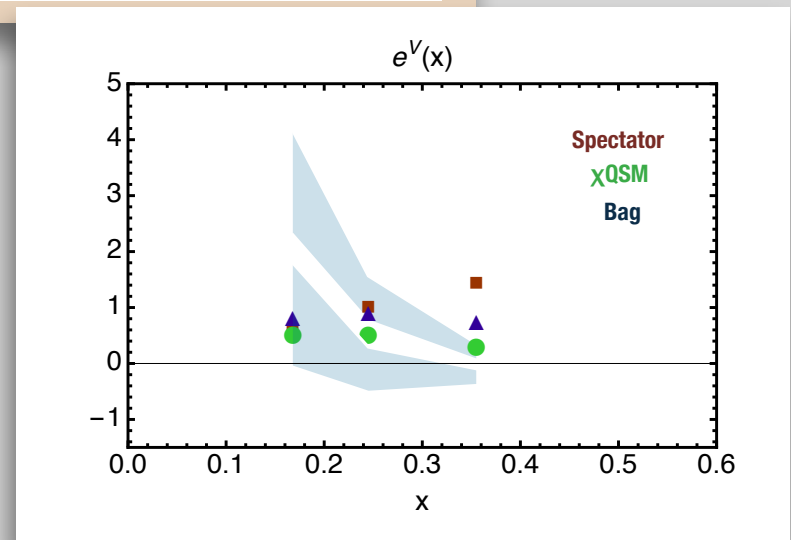
S. Pisano et al., to be published?

A.C. et al. 1405.7659



SCALAR CHARGE related to $e(x=0)$

lots of things to think of...



FIRST STEP OF A LONG WAY TOWARDS THE SCALAR CHARGE