

Short-Range Correlations Or Hen (MIT)

- (new) Exp. results
- (new) Implications
- (new) Theory results



Flower
Power

Power

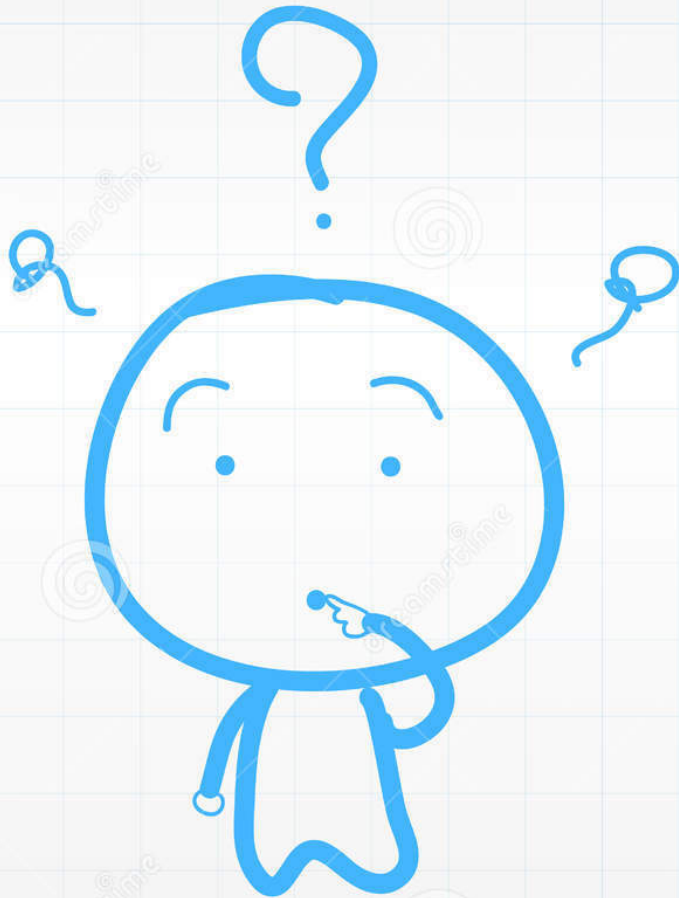
Flower
Power



What Are SRCs?

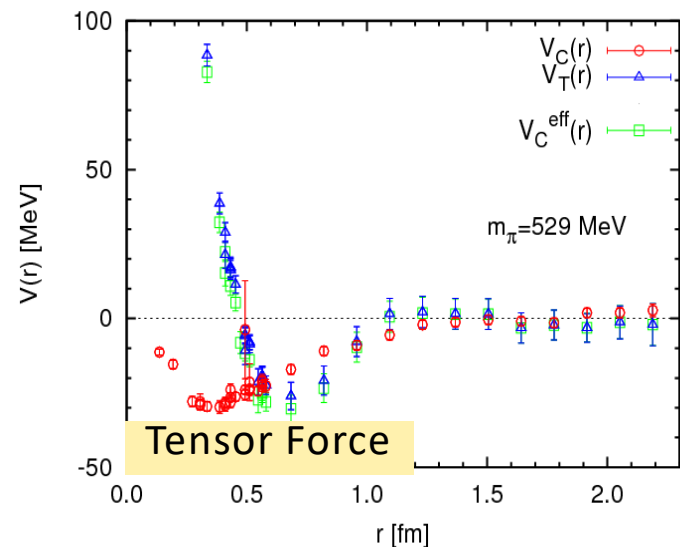
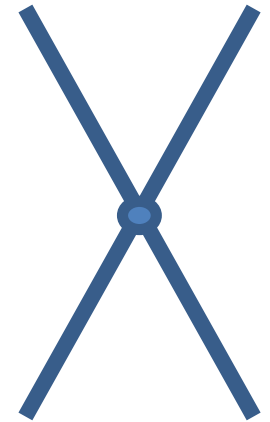
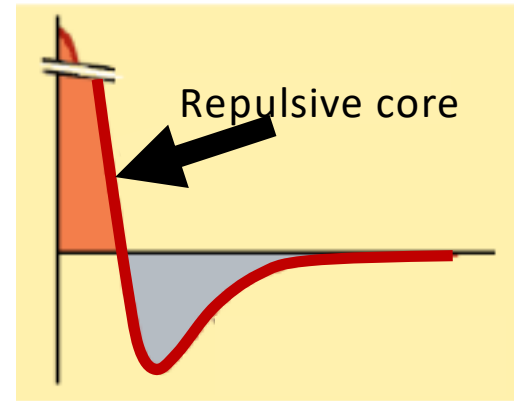
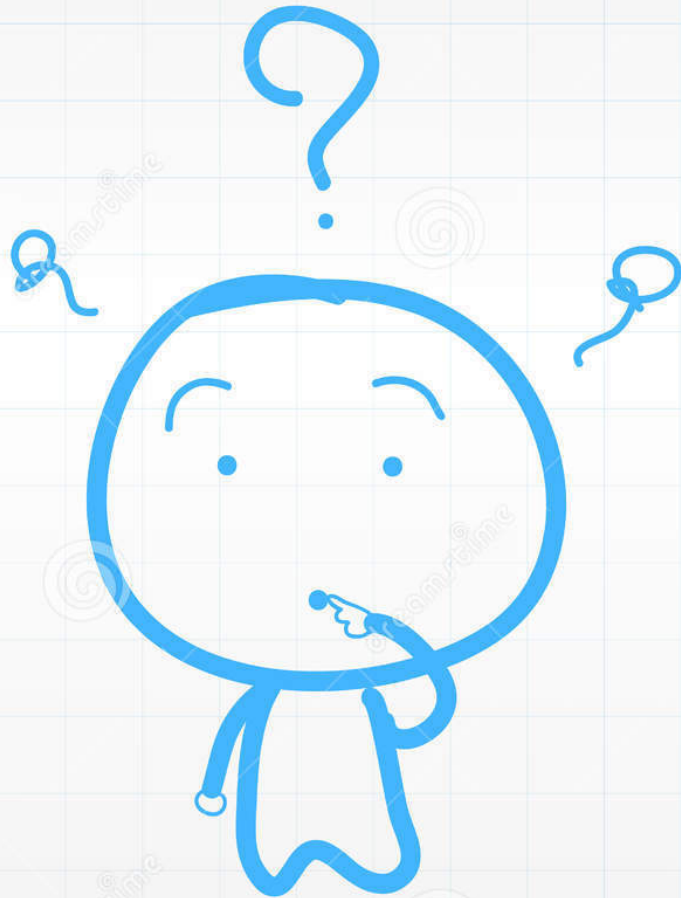
What Are SRCs?

I don't know...



What Are SRCs?

I don't know...

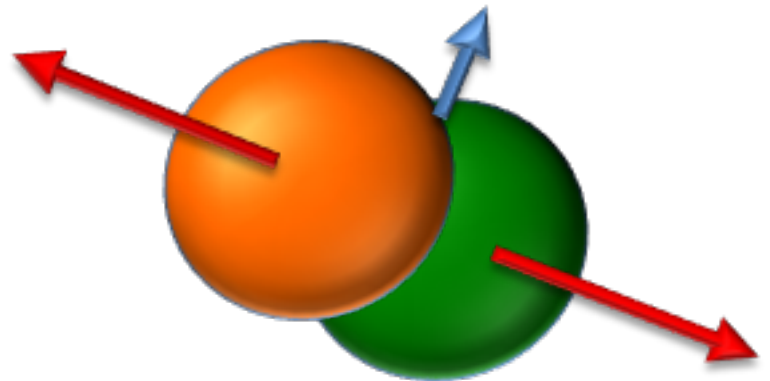


What Do I Mean by SRCs?

What Do I Mean by SRCs?

Nucleon pairs that are close together in the nucleus

Momentum space: *high relative* and *low c.m.*
momentum, compared to the Fermi momentum (k_F)

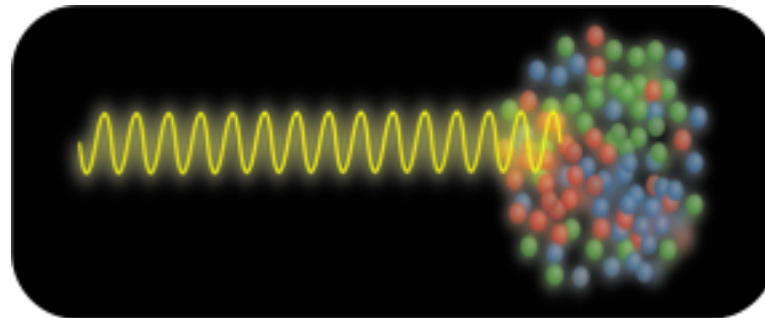
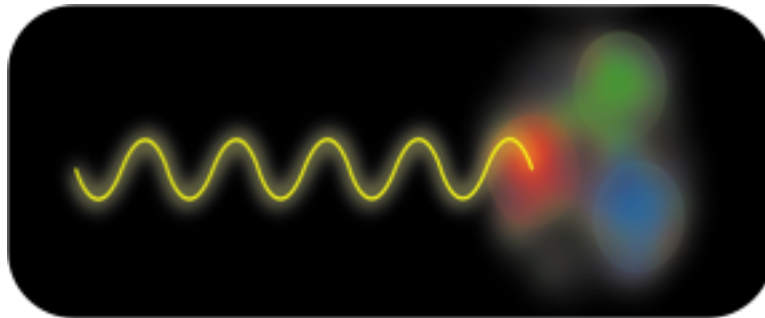
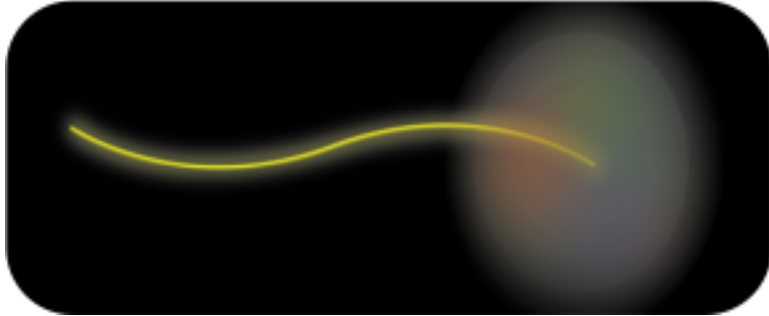


Why Study SRCs?

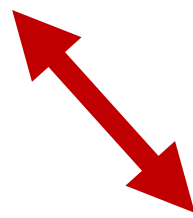
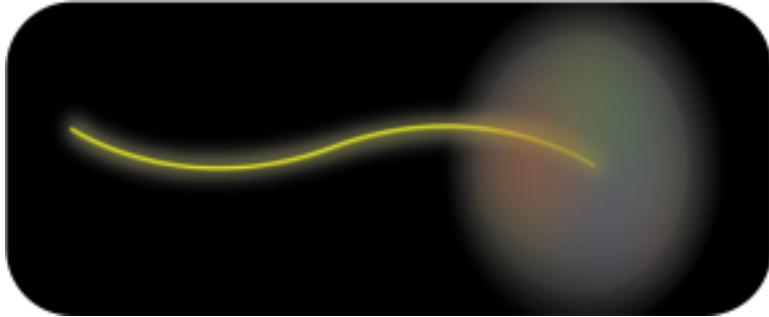
Why Study SRCs?

- Significant part of the nuclear w.f. / response
[20% of the density; 40% of the amplitude]
- NN interaction at short distances
[/ effective short-distance operators in EFT]
- Implications
 - Bound nucleon structure; Nuclear matter EOS; ν -interactions; ...

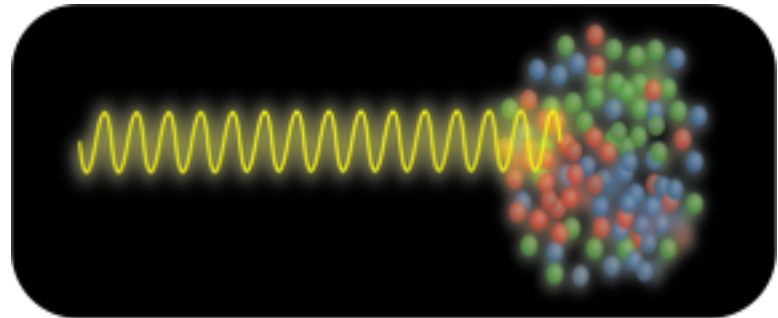
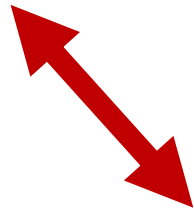
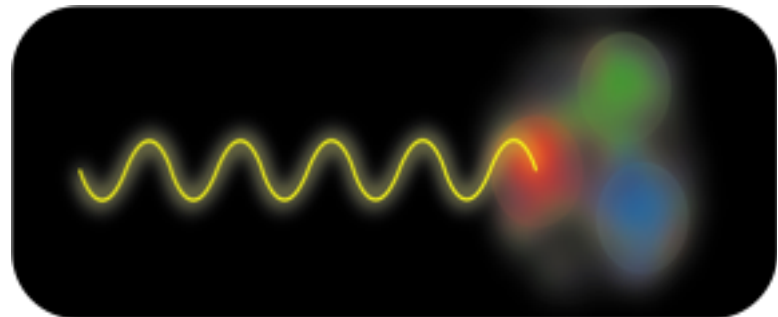
Physics is resolution dependent



Physics is resolution dependent



SRC play an important role across resolutions



Flower
Power

Power

Flower
Power





SRC

20% High-p
Tails

Hard
Interactions

One Body
Currents



SRC

EFT

20% High-p
Tails

Chiral
Interactions

Hard
Interactions

Soft
Potentials

One Body
Currents

Transformed
operators

SRC

EFT

**20% High-p
Tails**

**While differences still stand,
many commonalities exist.**

**Chiral
Interactions**

**Hard
Interactions**

Data can guide & test theory!

Potentials

**One Body
Currents**

**Transformed
operators**

My Goals for Today:

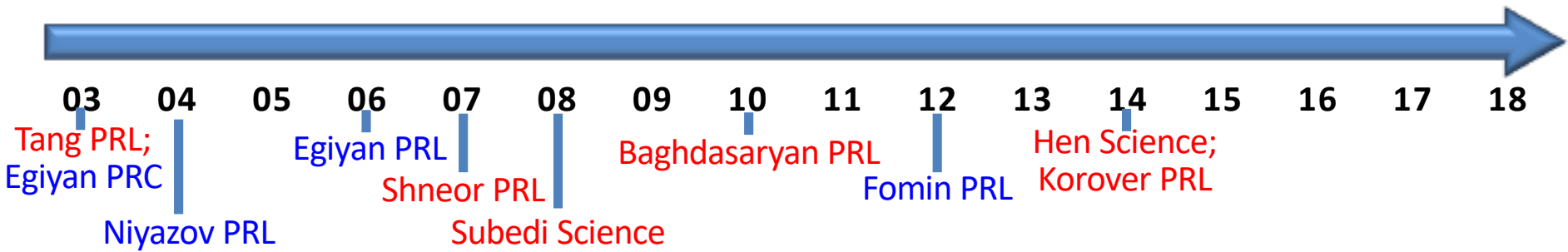
1. Present new data,
2. Showcase its importance,
3. Initiate discussion:
 - Data Interpretation?
 - Getting Quantitative!
 - Where we are and where we're going?

Short-Range Correlations Or Hen (MIT)

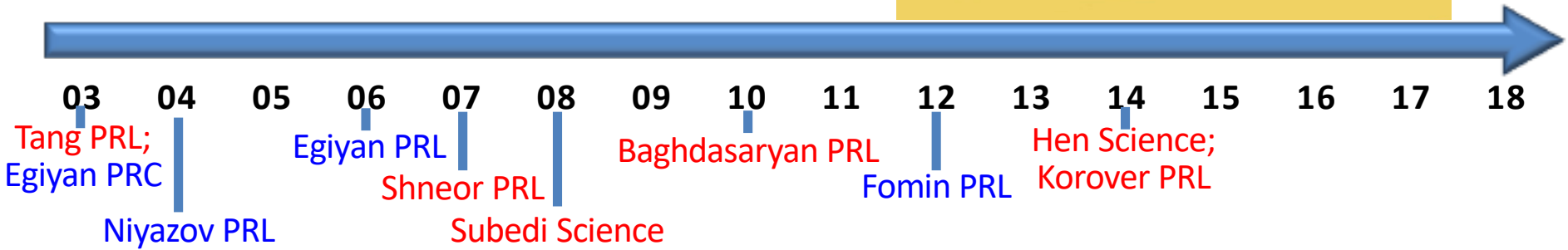
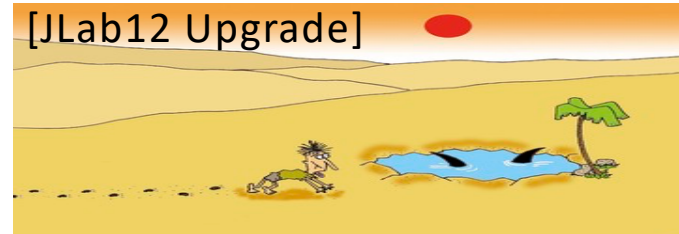
- **(new) Exp. results**
- **(new) Implications**
- **(new) Theory results**



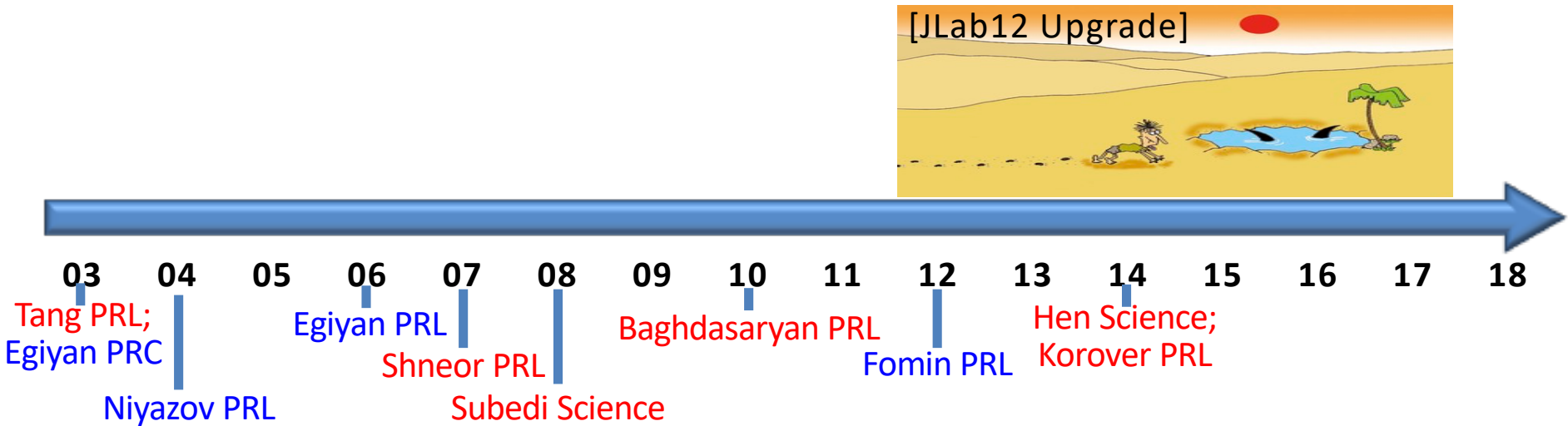
Past Data



Past Data



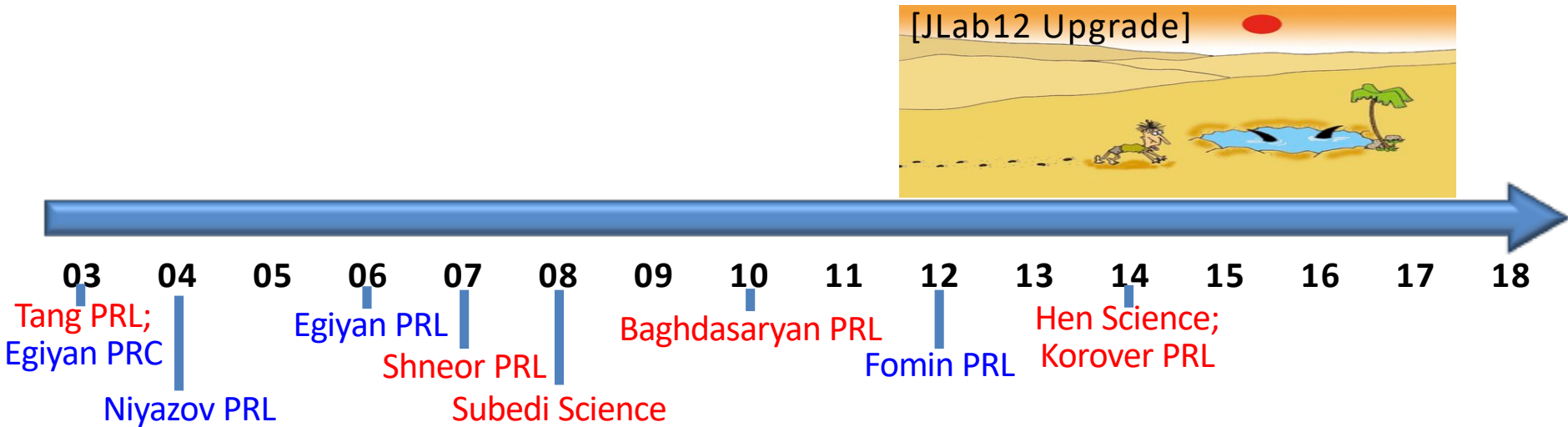
Past Data



10 papers in 15 years 😬. Two main conclusions:

- **Exclusive measurements:** SRCs are np-pairs [Tensor Interaction]
- **Inclusive measurements:** Deuteron scaling-factors measured

Past Data

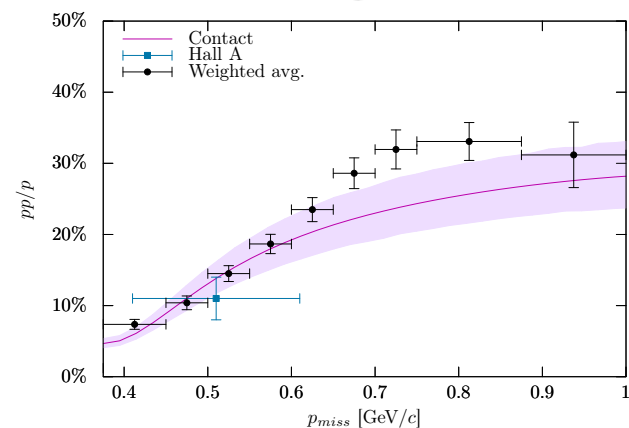
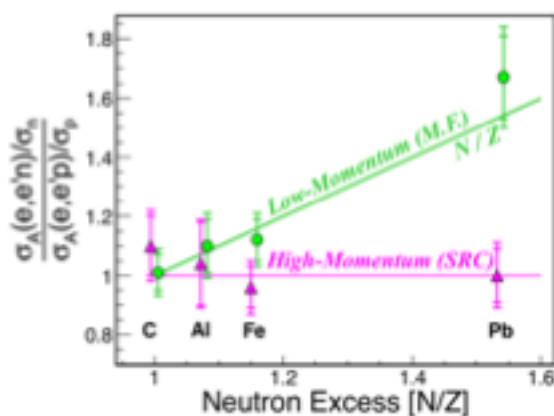
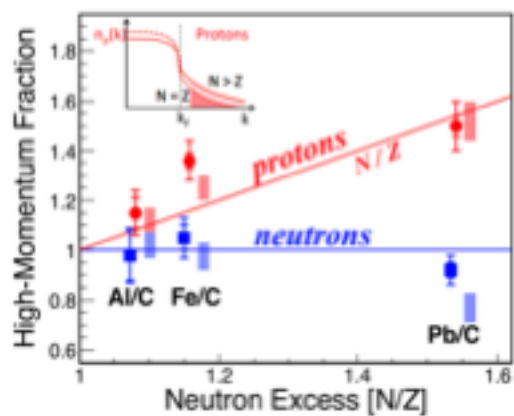
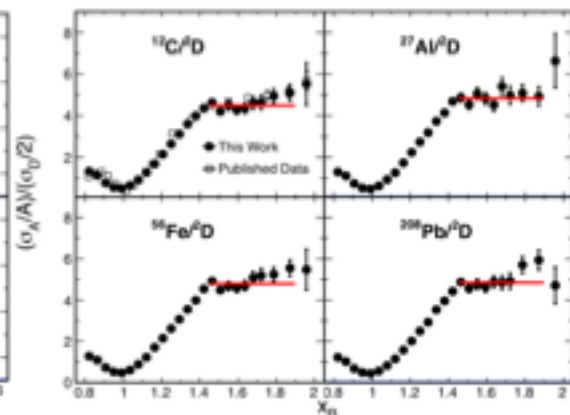
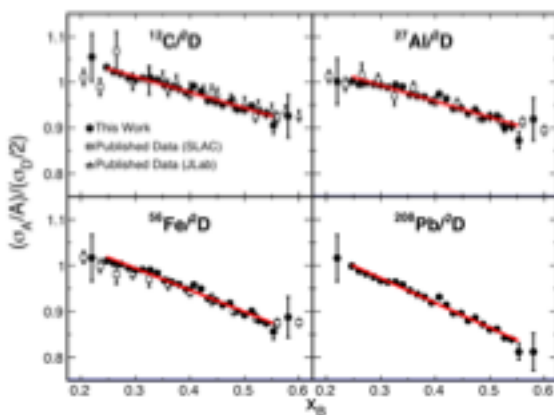
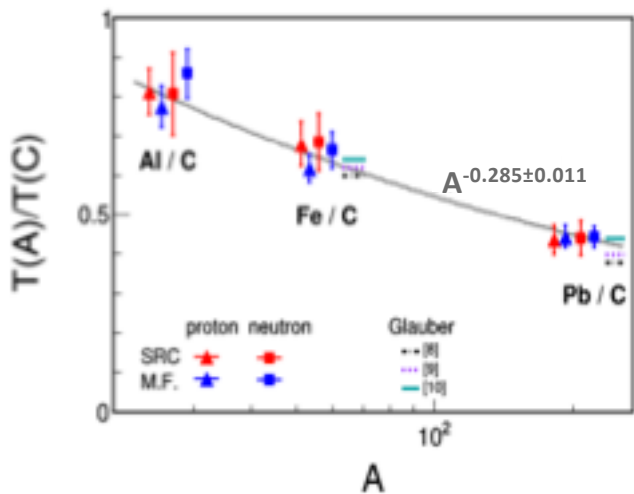
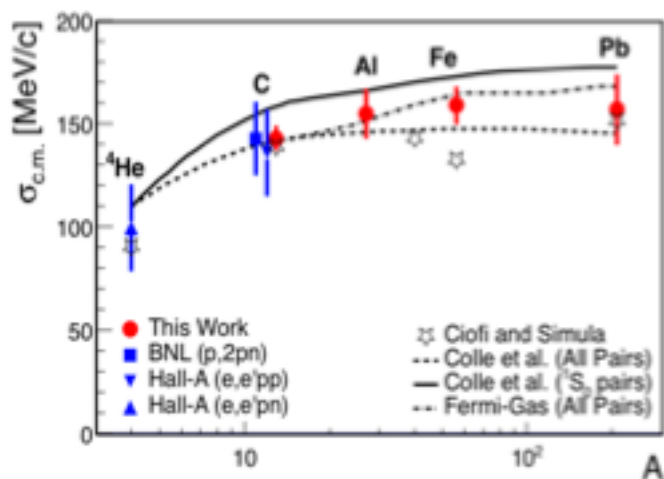
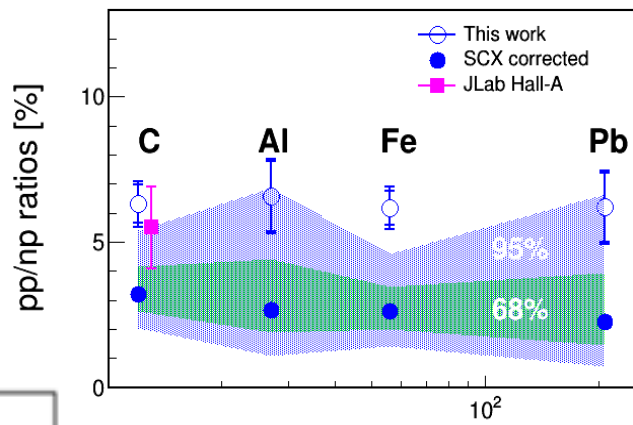


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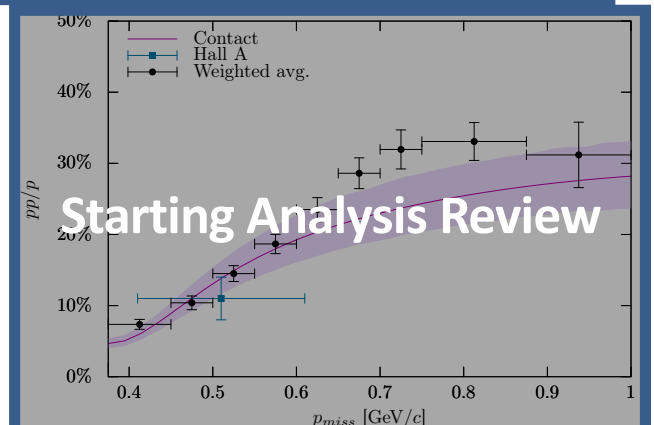
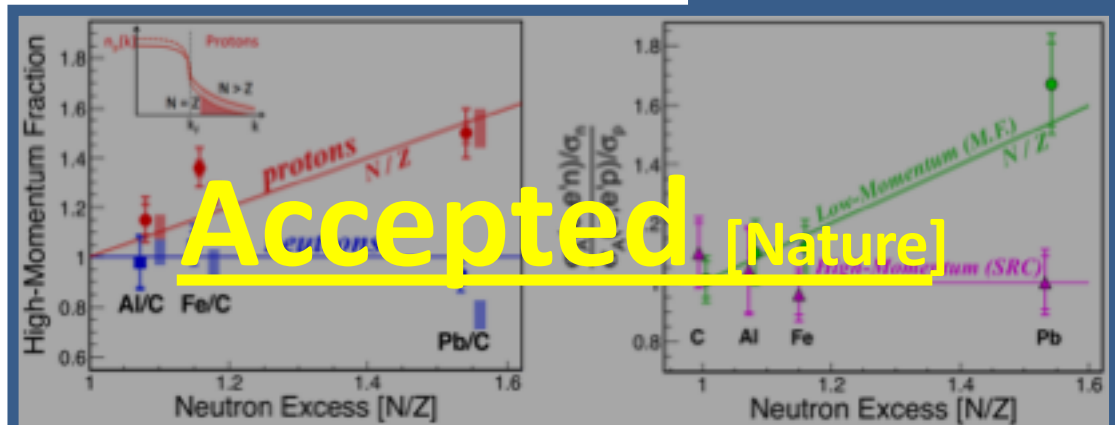
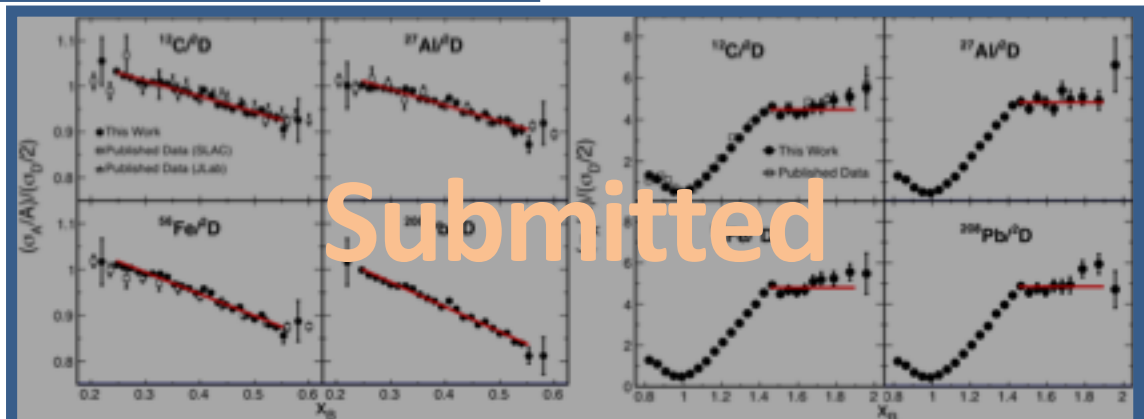
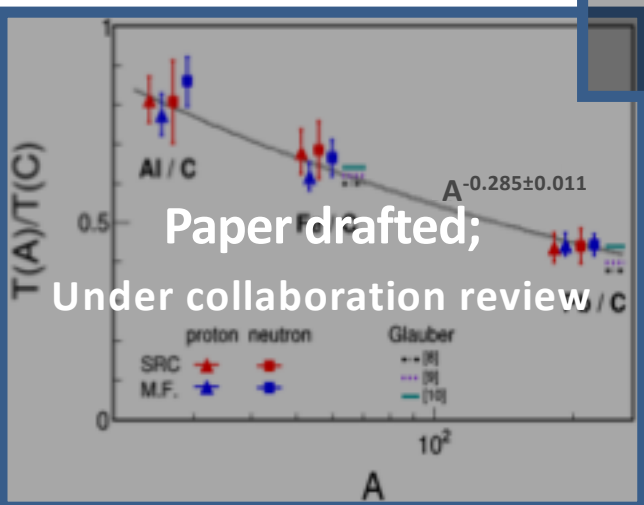
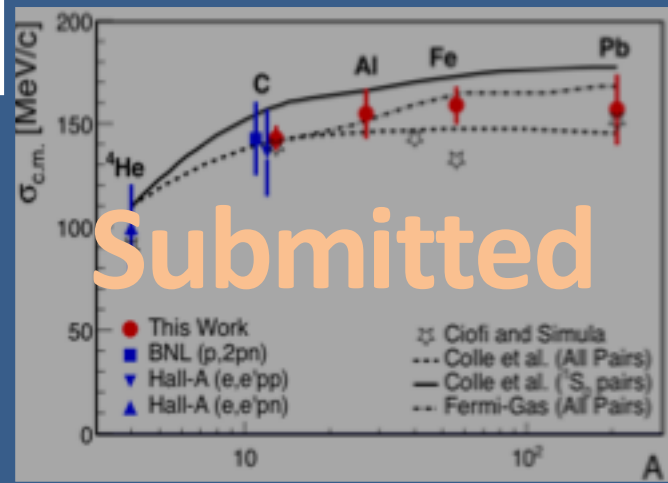
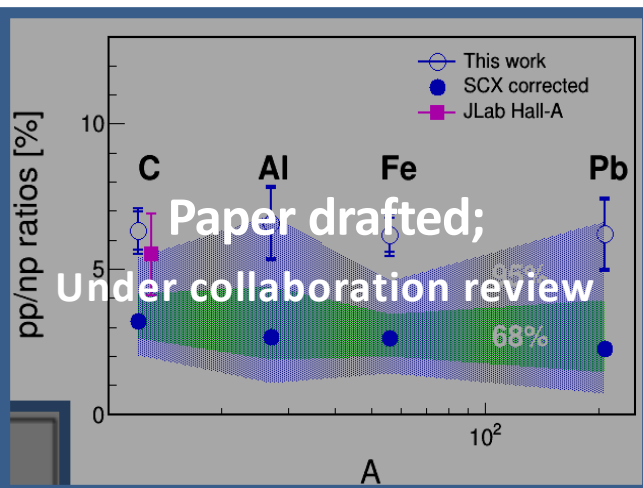
- **Exclusive measurements:** SRCs are np-pairs [Tensor Interaction]
- **Inclusive measurements:** Deuteron scaling-factors measured

*On average, there's one review paper for every ~ two experimental papers 😬 😬

2018

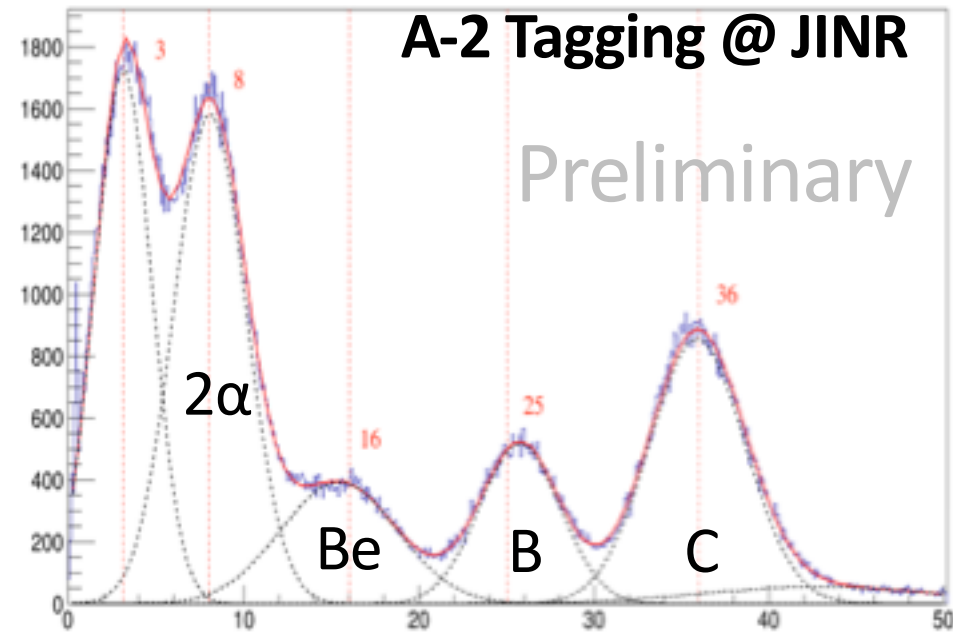
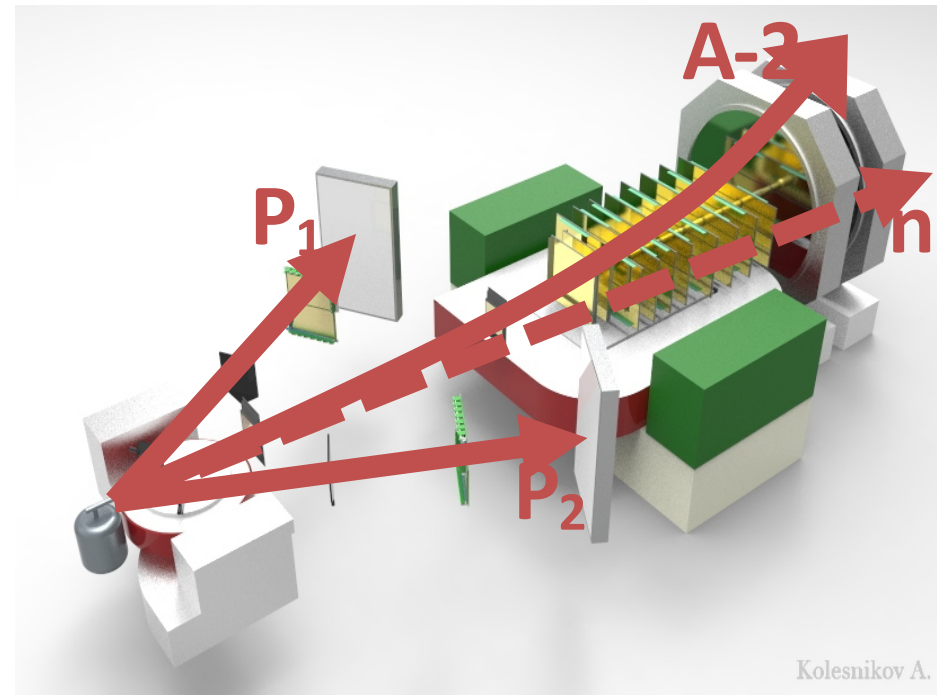
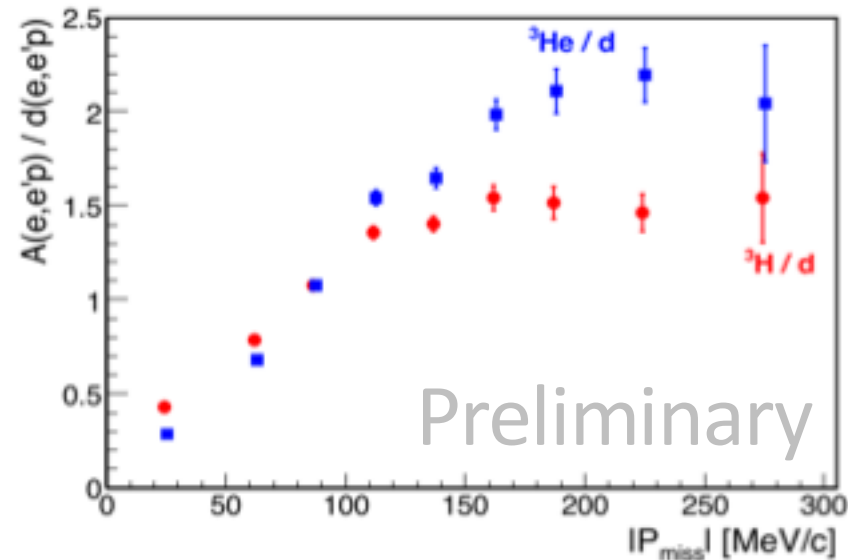
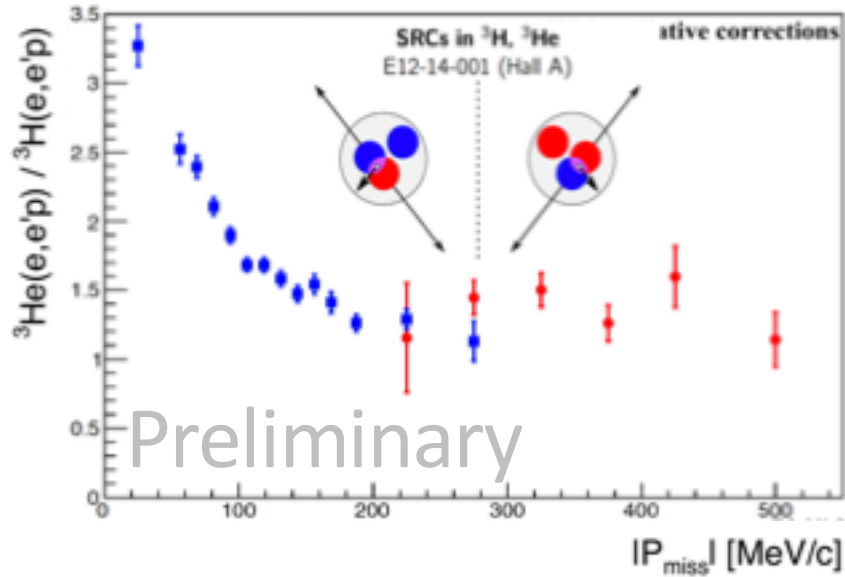


2018

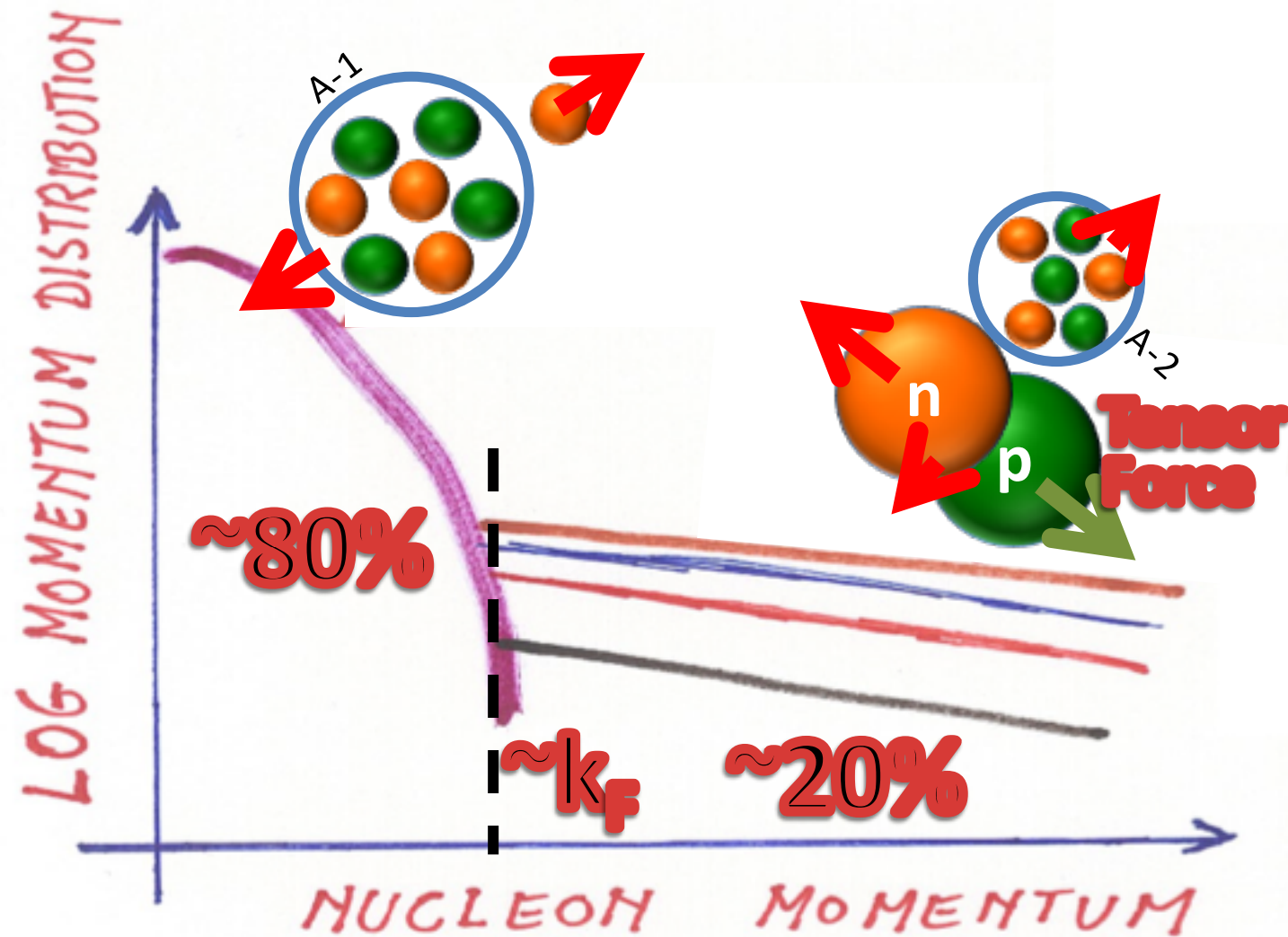


2018 Experiments

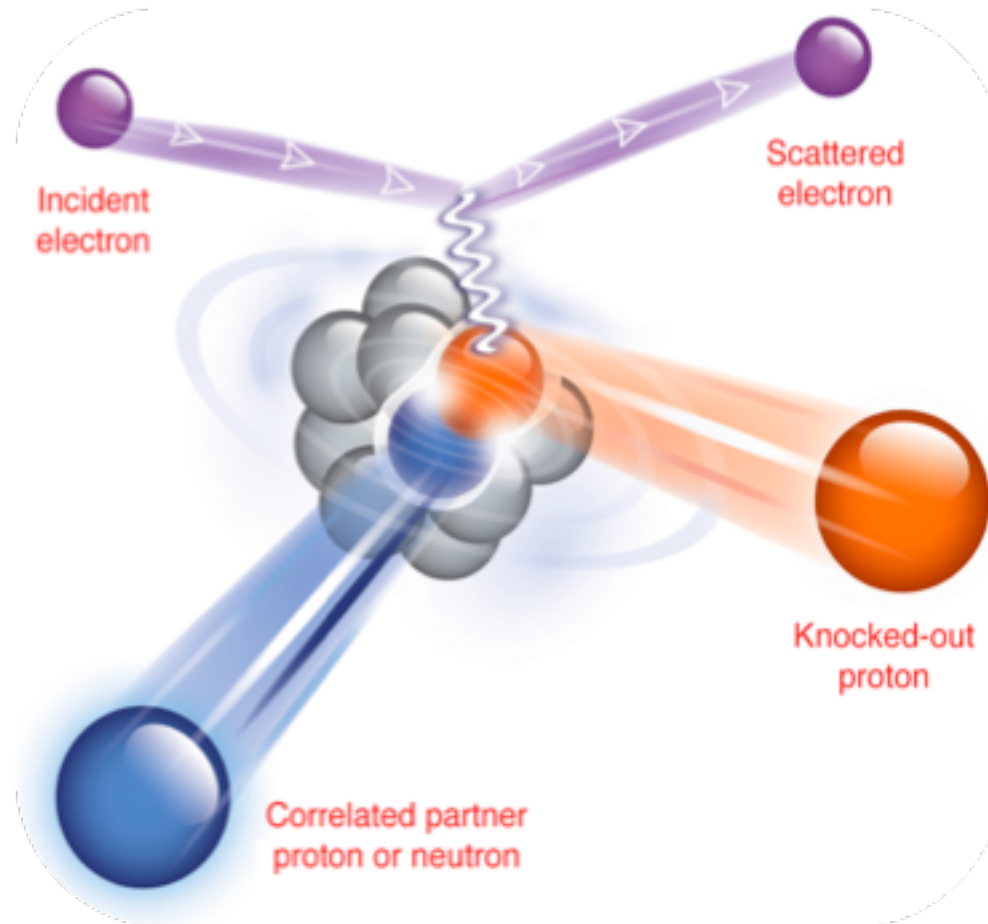
Few Body @ JLab



[one] Data Interpretation



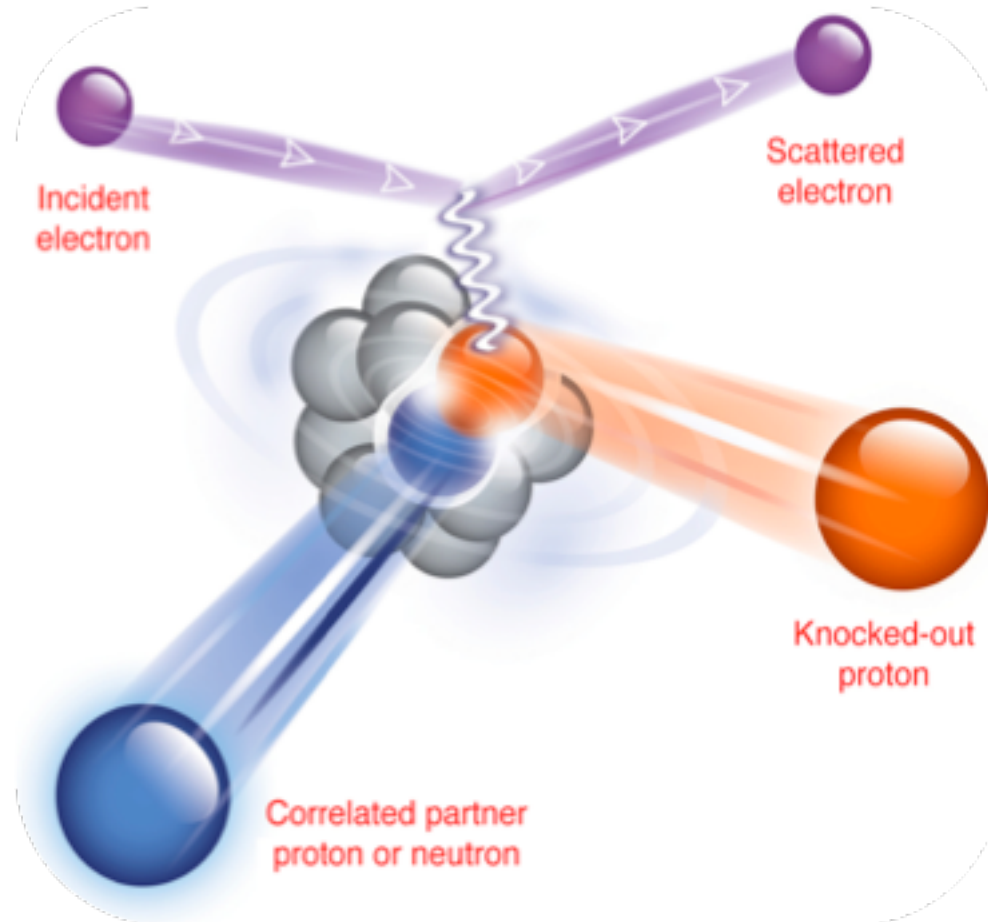
Probing Correlations Using Hard Knockout Reactions



Breakup the pair =>

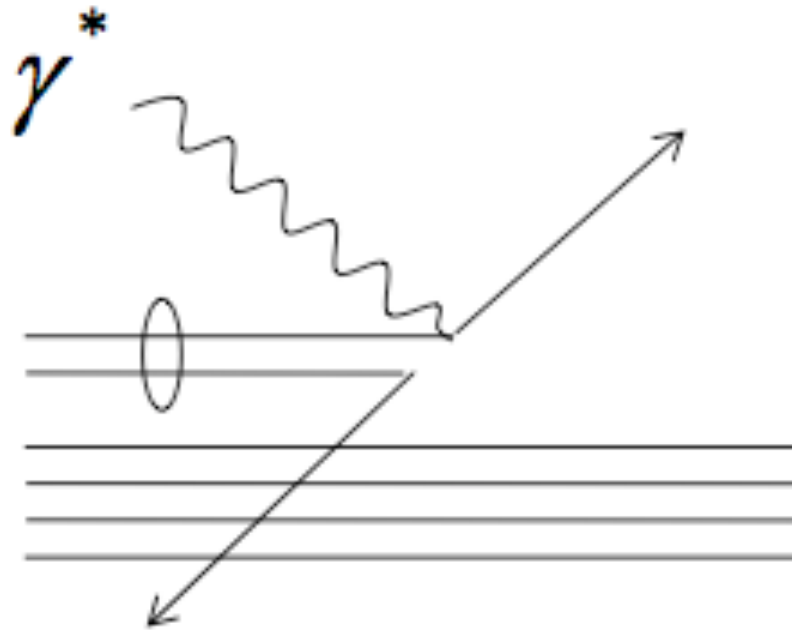
Detect **both** nucleons =>

Reconstruct 'initial' state



Interlude: Reaction Mechanisms

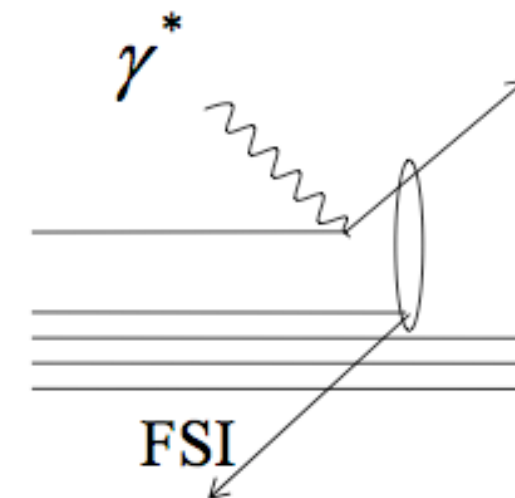
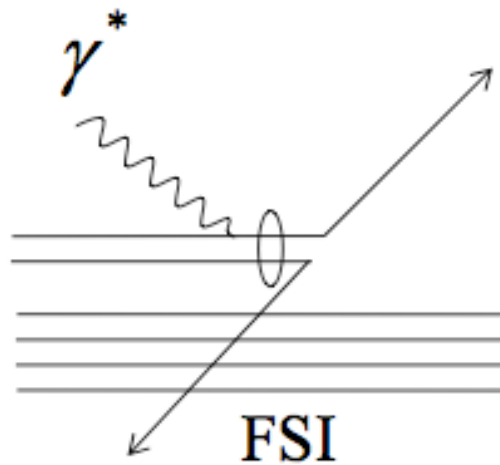
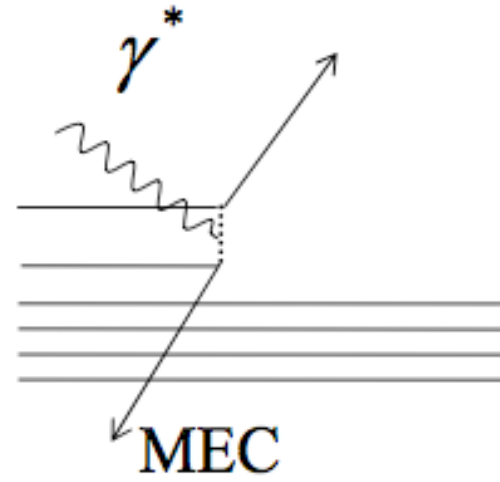
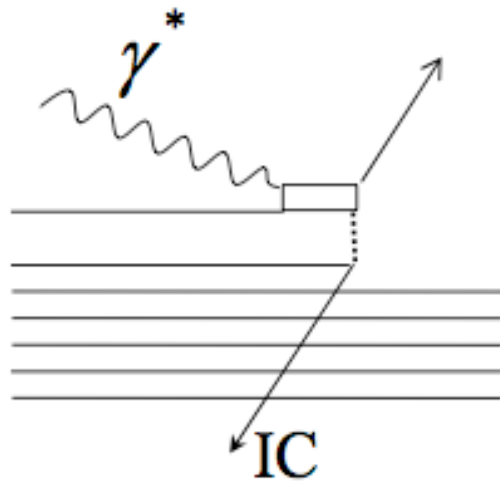
What we want:



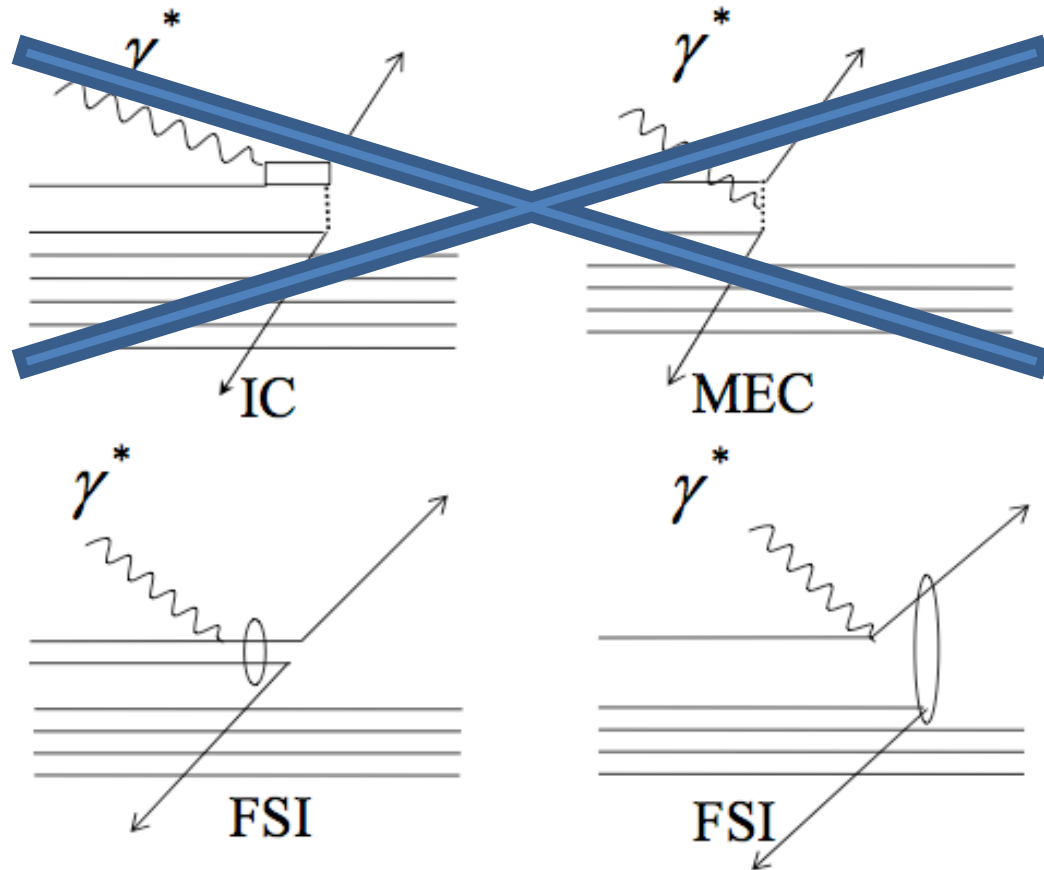
SRC

Interlude: Reaction Mechanisms

What we (might) get:

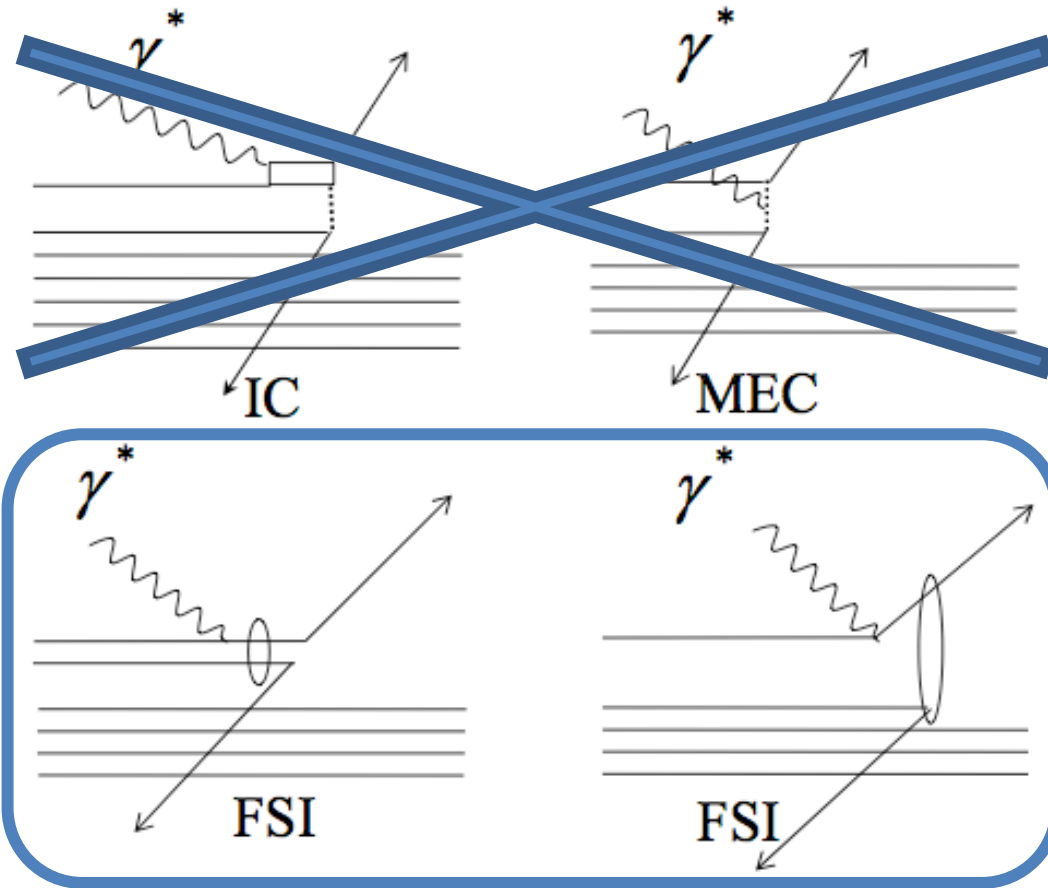


Interlude: Reaction Mechanisms



MEC suppressed @ **high- Q^2** ,
IC suppressed at **$x_B > 1$** .

Interlude: Reaction Mechanisms

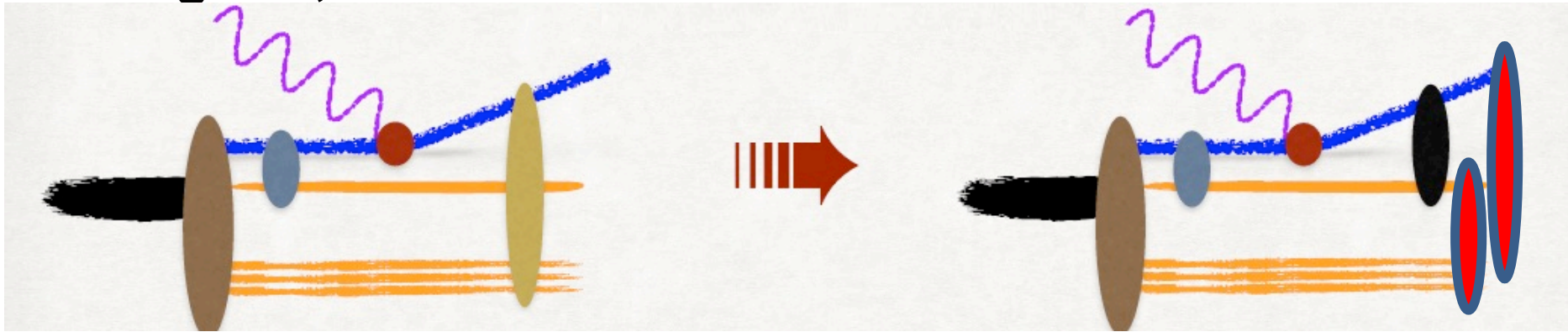


MEC suppressed @ **high- Q^2** ,
IC suppressed at **$x_B > 1$** .

FSI suppressed in **anti-parallel**
kinematics. Treated using
Glauber approximation.

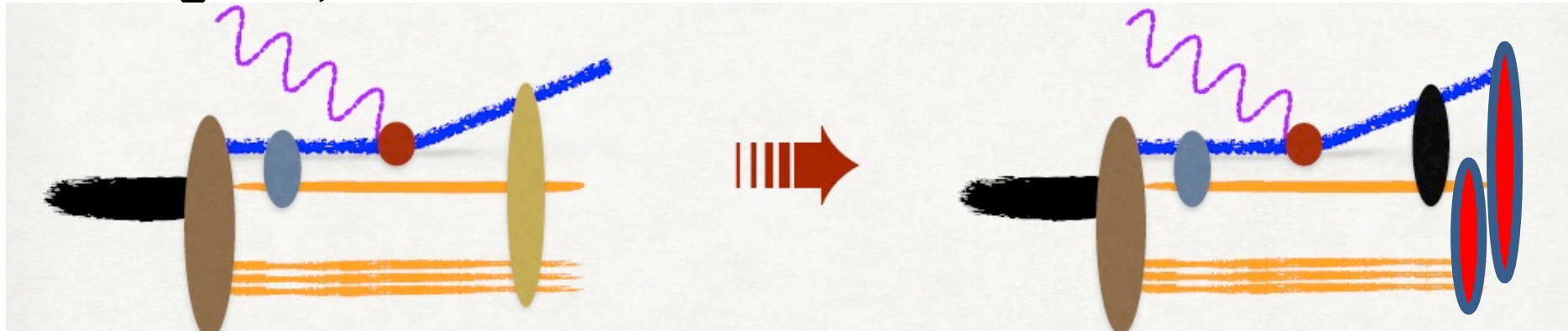
FSI: Theory Guidance

For large Q^2 , $x > 1$



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$$r_{FSI} \sim \frac{1}{\Delta E v} \lesssim 1 \text{ fm}$$

[PRC 56 1124-1137 (1997), arXiv: 0806.4412]

$$\Delta E = -q_0 - M_A + \sqrt{m^2 + (p_i + q)^2} + \sqrt{M_{A-1}^2 + p_i^2}$$



Can be approximated by Glauber (transparency)

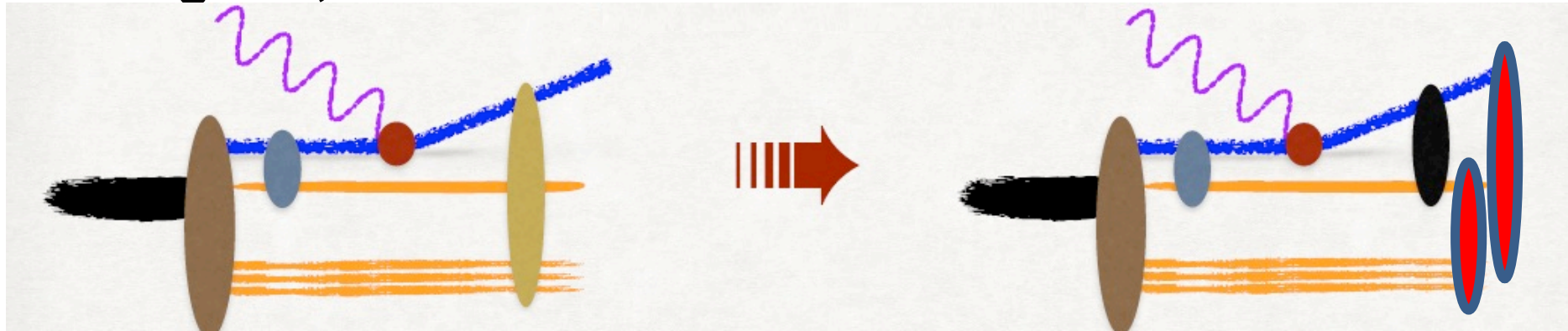


Large but confined within the SRC pair

Rescattering do not produce 2N-SRC candidates due to high p_t

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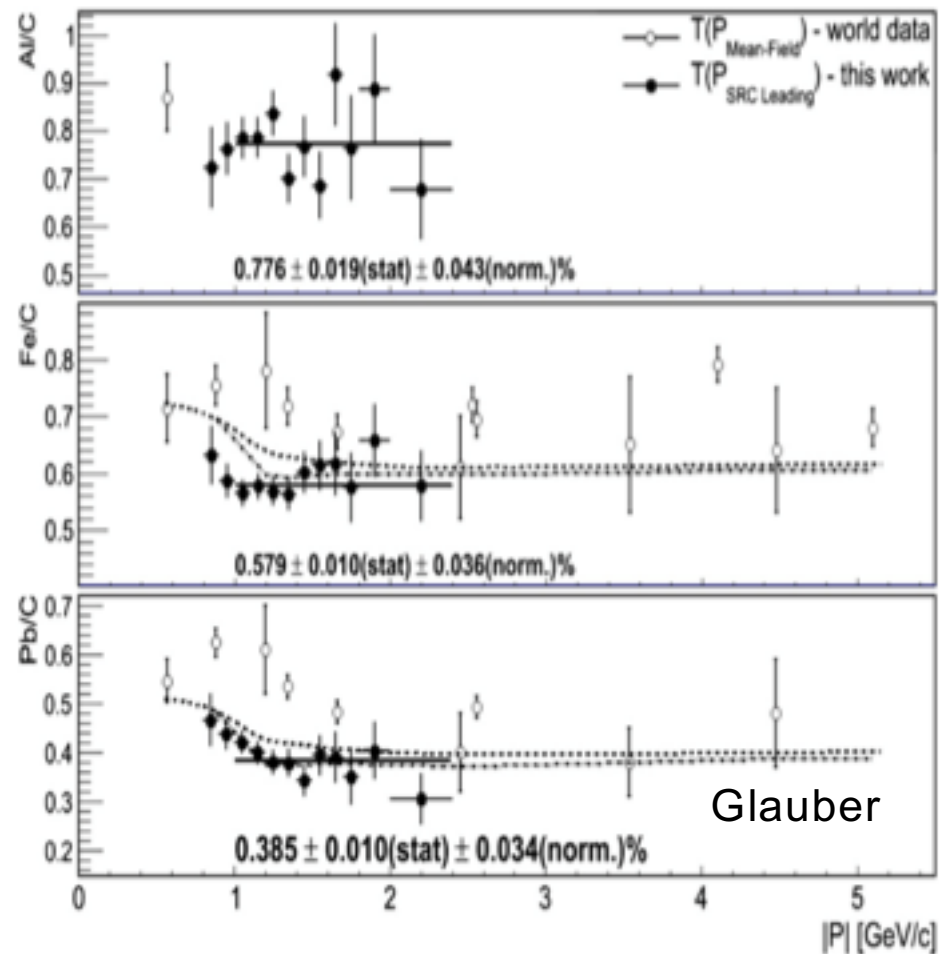
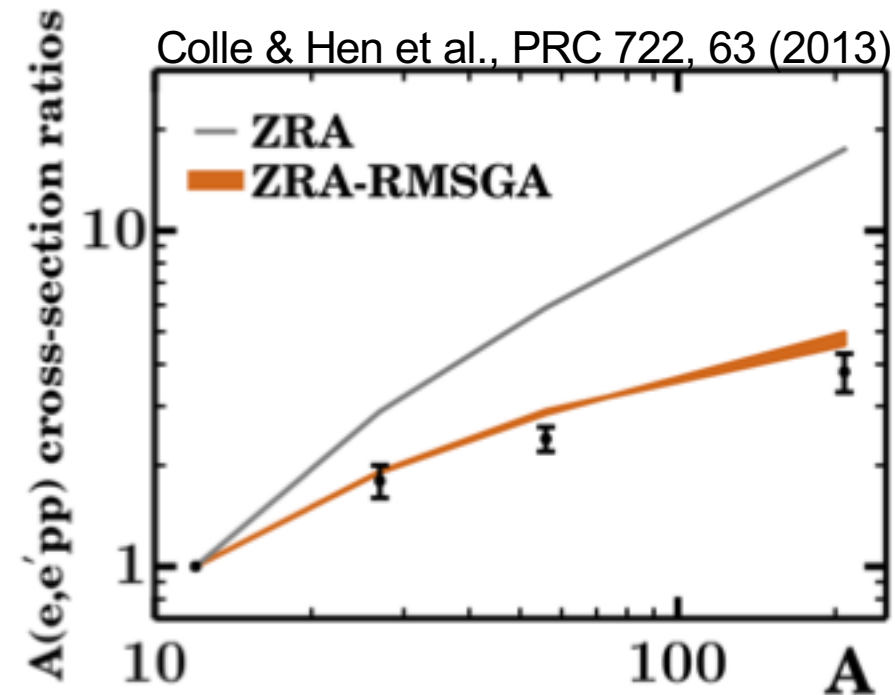


Large but confined within the SRC pair

- Choose kinematics to min FSI
- Choose observables not sensitive to 

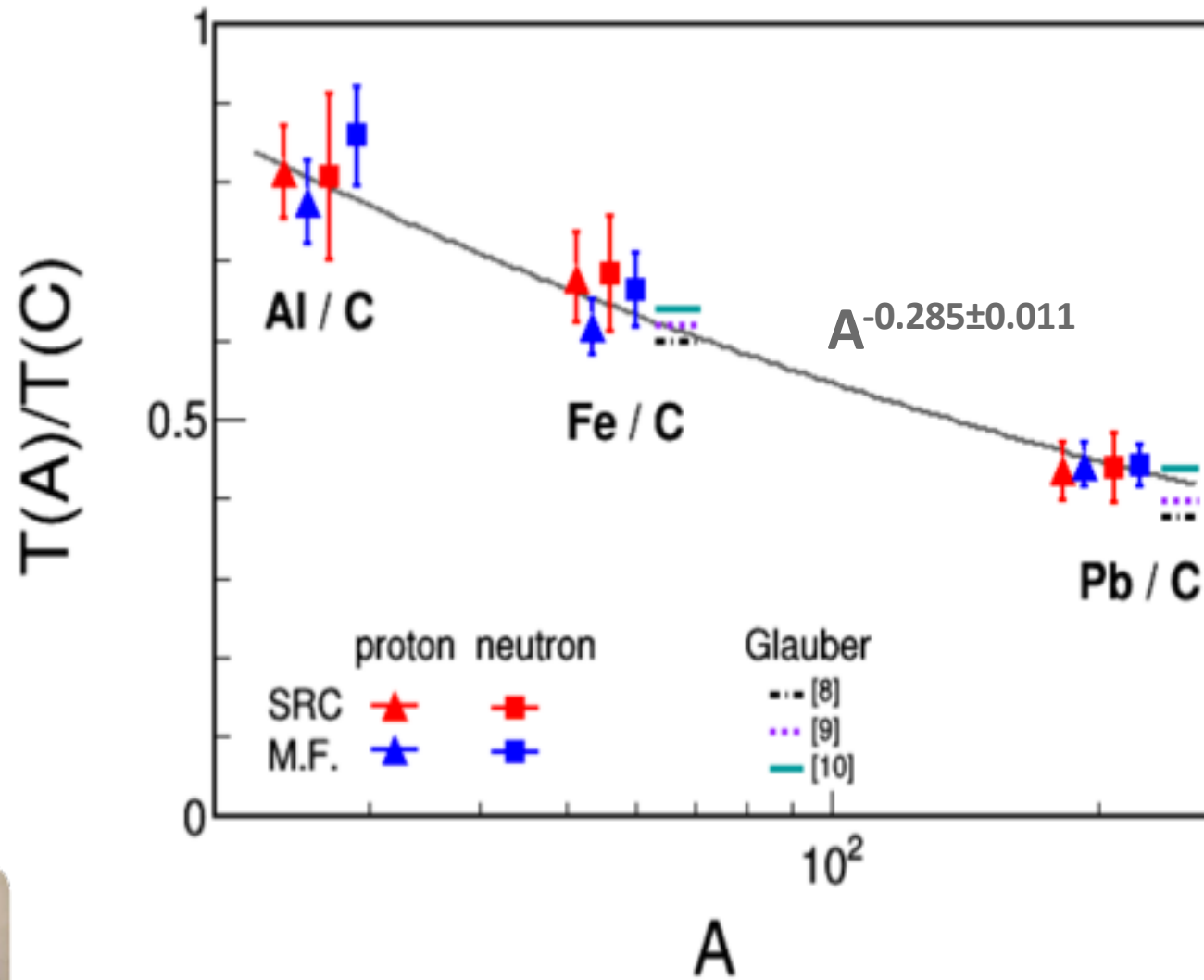
Rescattering do not produce 2N–SRC candidates due to high p_t

Glauber agrees with data!



Hen et al., Phys. Lett. B 722, 63 (2013)

Glauber agrees with data!

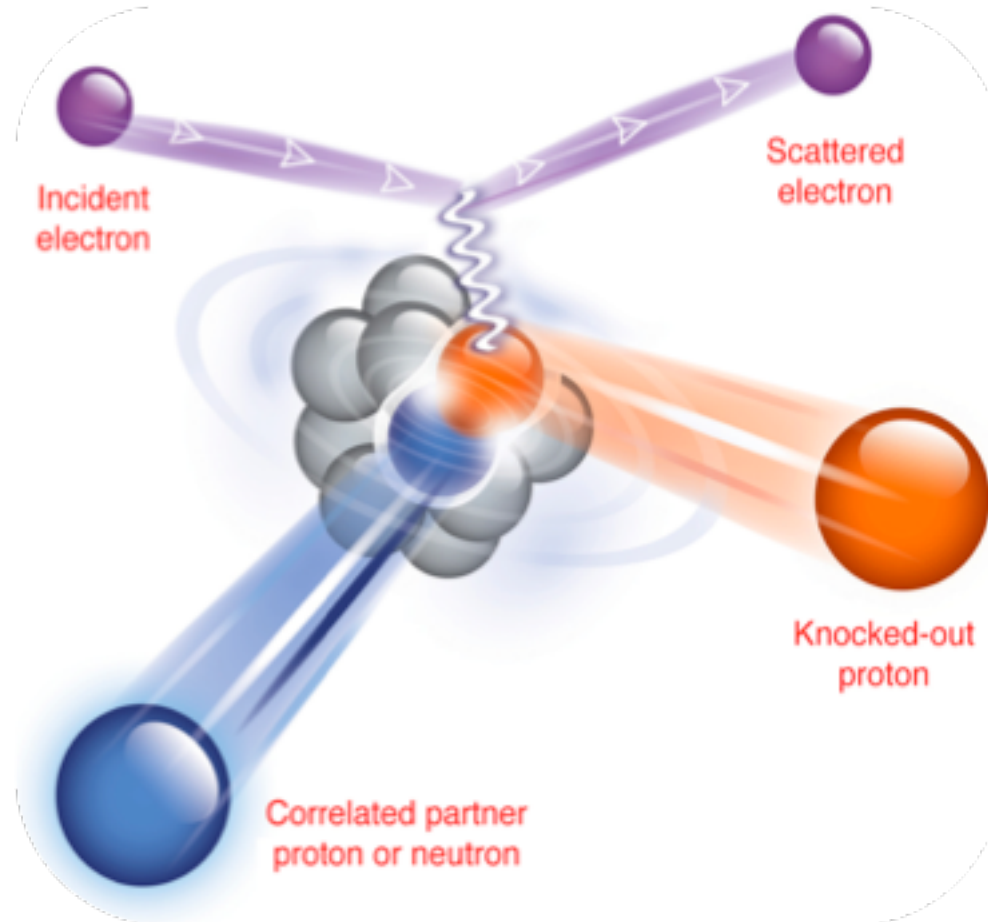


M. Duer et al.

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Detect both nucleons =>

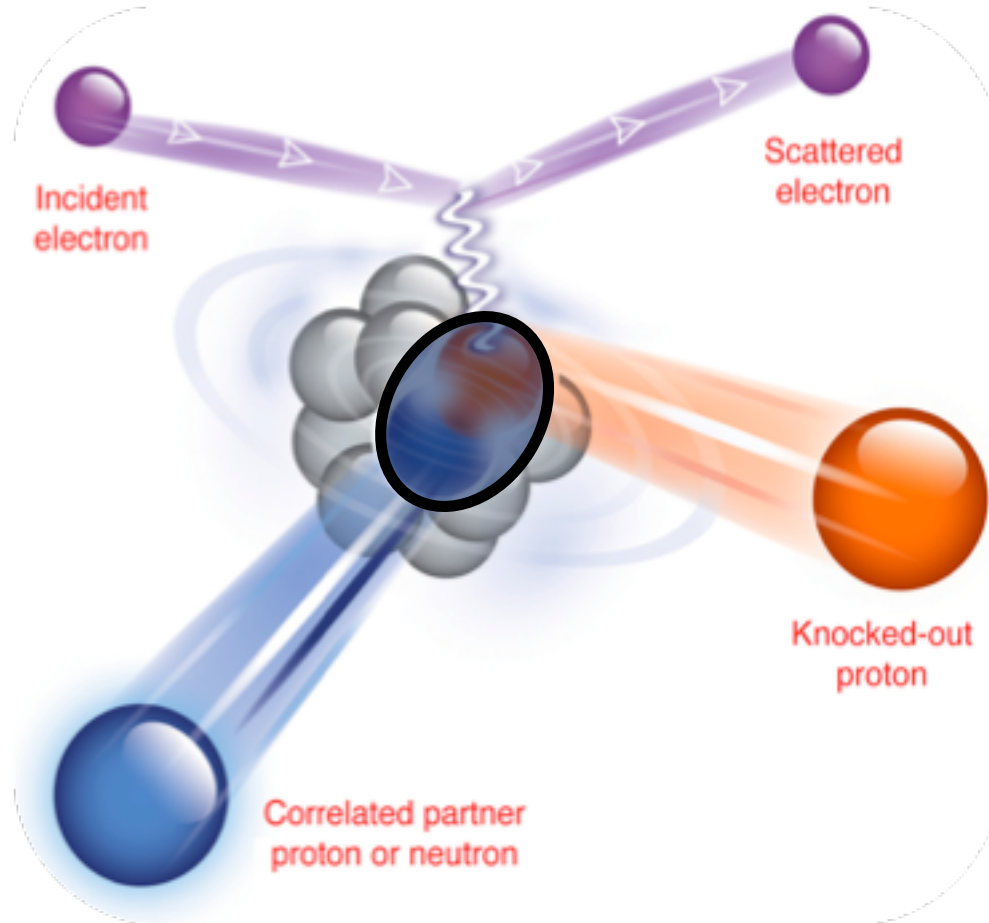
Reconstruct 'initial' state



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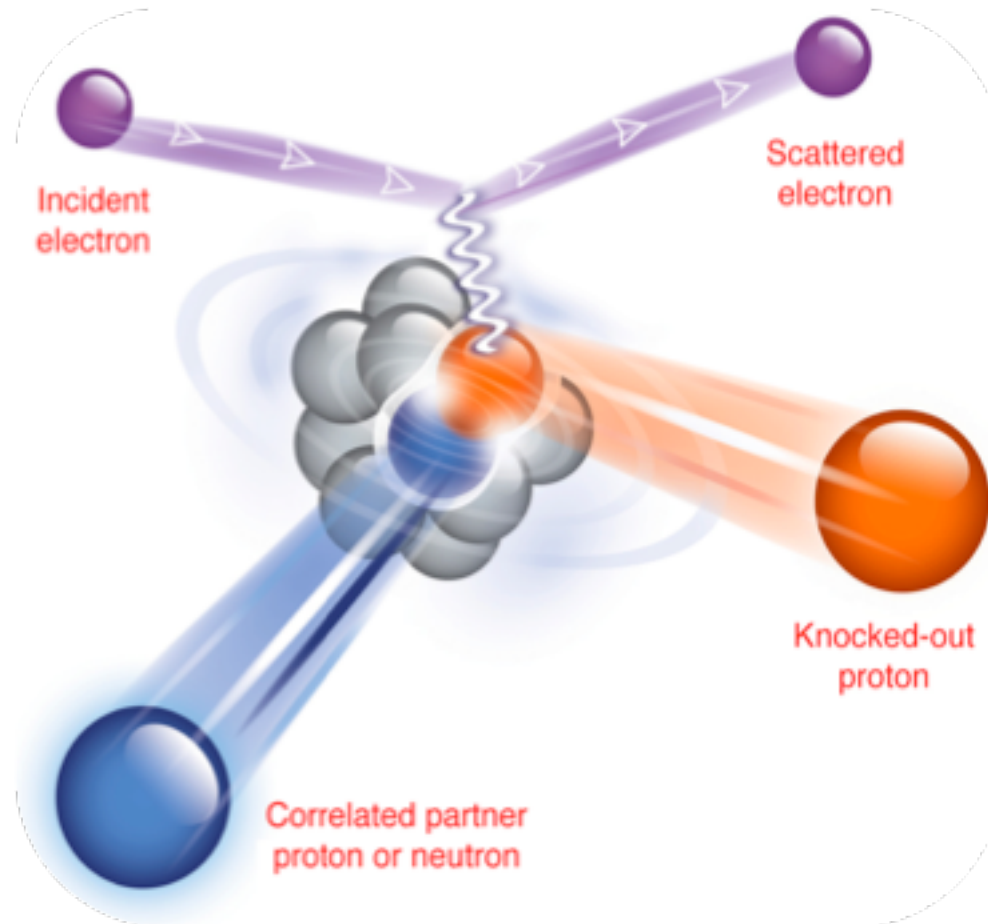
Unitary Interlude

- “high momentum” interpretation relies on *single nucleon* interaction operators.
 - Compatible w calculation using hard potentials (e.g., AV18).
 - Difficult to go much beyond than C / Ca.
- Unitary transforms simplifies calculations of heavy nuclei at the expense of forming many-body operators.
$$\langle \Psi | \tilde{O} | \Psi \rangle = \langle \Psi U^\dagger | U \tilde{O} U^\dagger | U \Psi \rangle$$
 - Transforms “high momentum” to “short range”
 - Win: Simpler wave functions
 - Lose: Complicated interaction operators
 - Trick: Transform wave-function but not the operators 😞 😞
 - No calculations for e-scattering off heavier nuclei, yet.
- Complete physical equivalent.
 - Same cross sections
 - Different interpretations

Breakup the pair =>

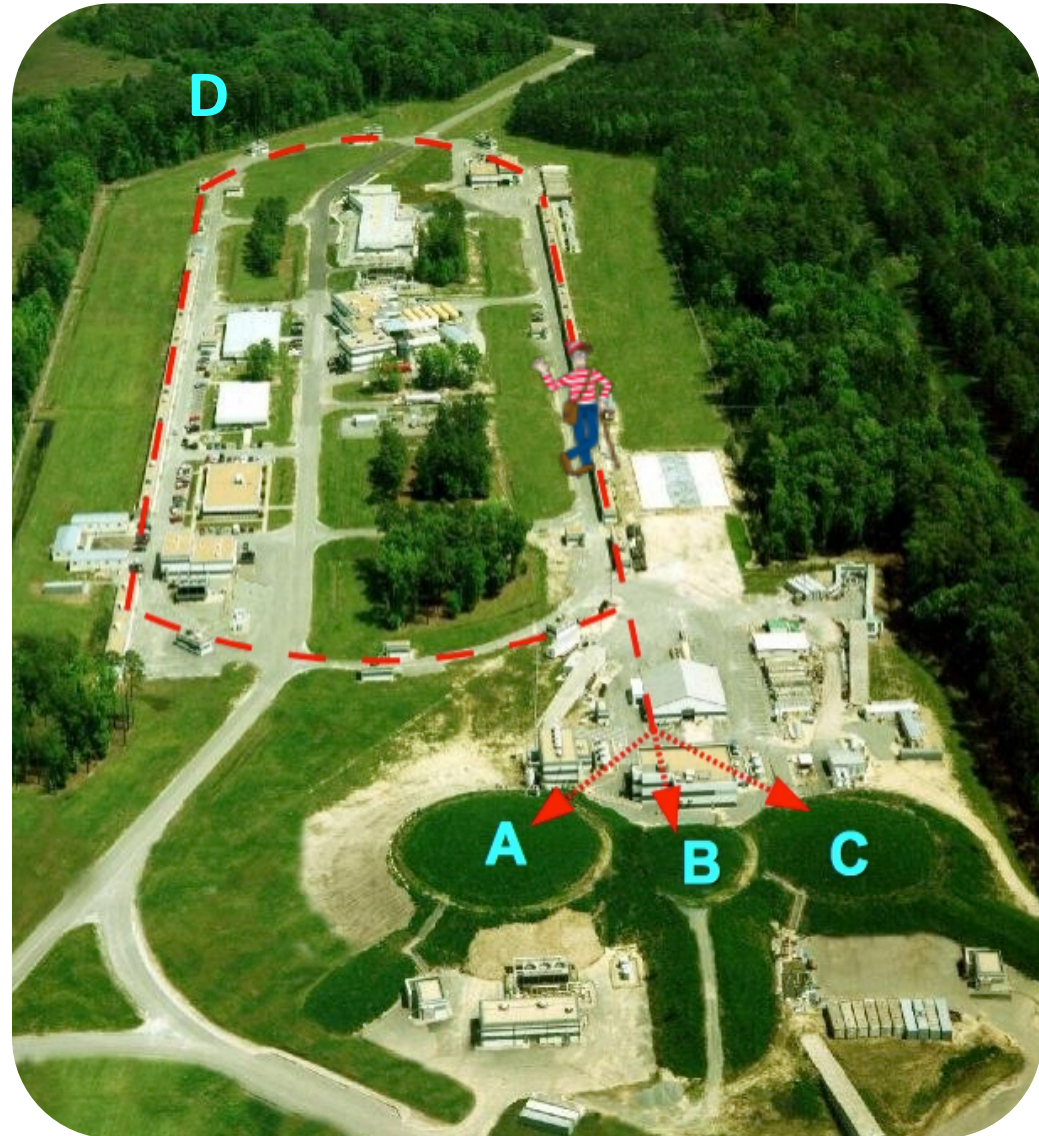
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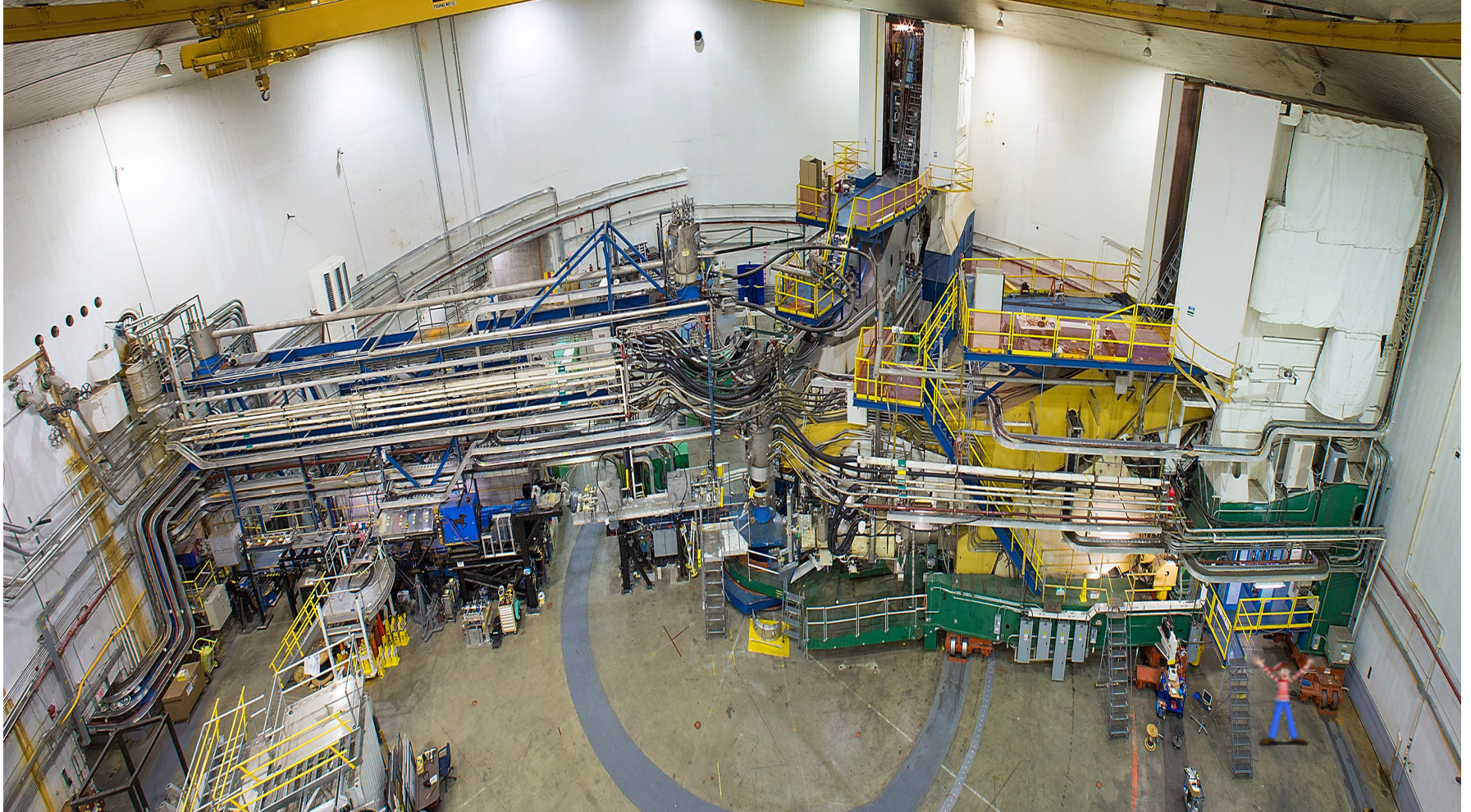


Jefferson-Lab National Accelerator Facility

- Located in Virginia USA
- 12 (6) GeV ~ 80 μA continuous polarized electron beam
- Parallel operation of 4 experimental halls
- 12 GeV experiments recently started!
- Approved program for first 8 years of 12 GeV running



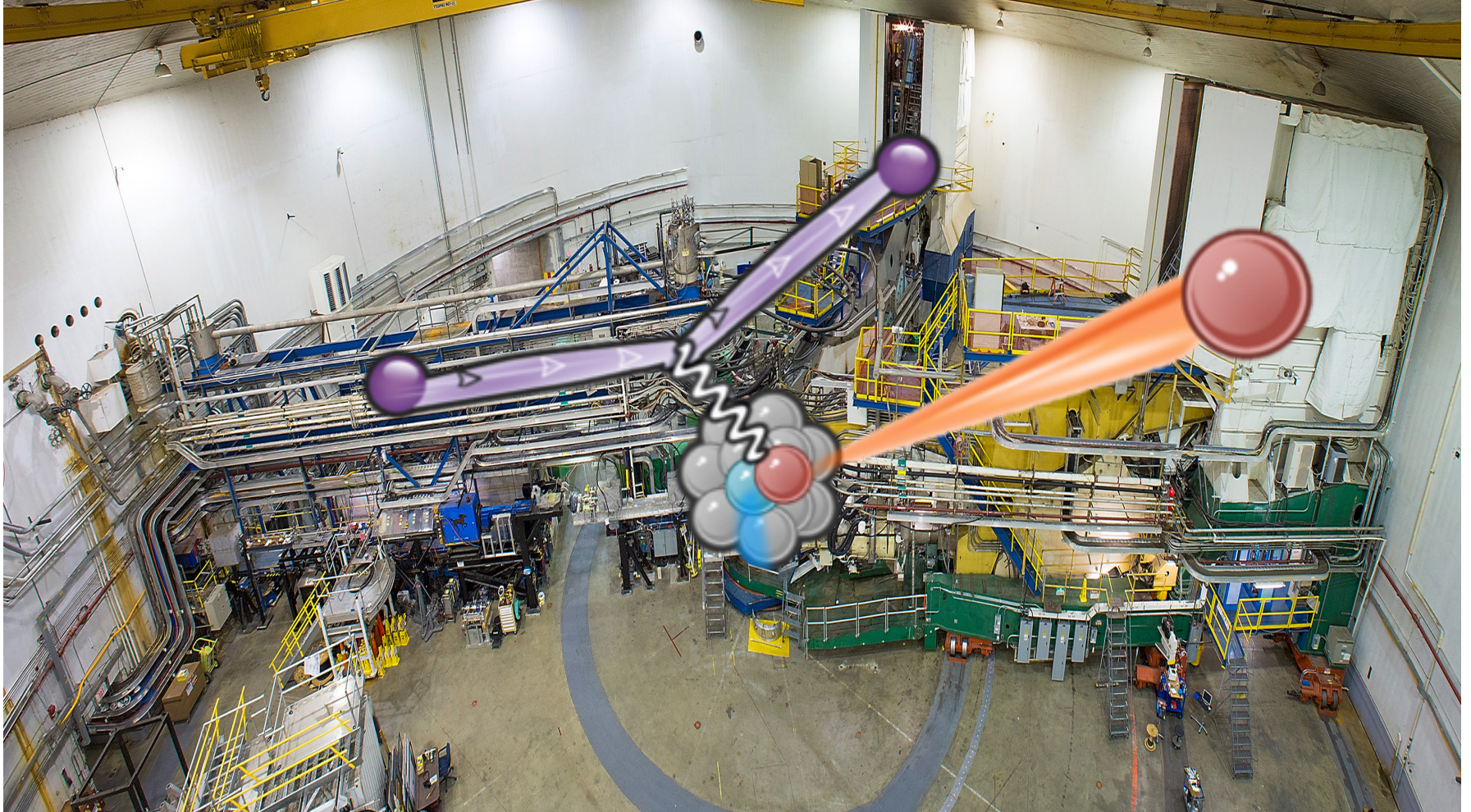
Hall-A: High-Resolution Spectrometers



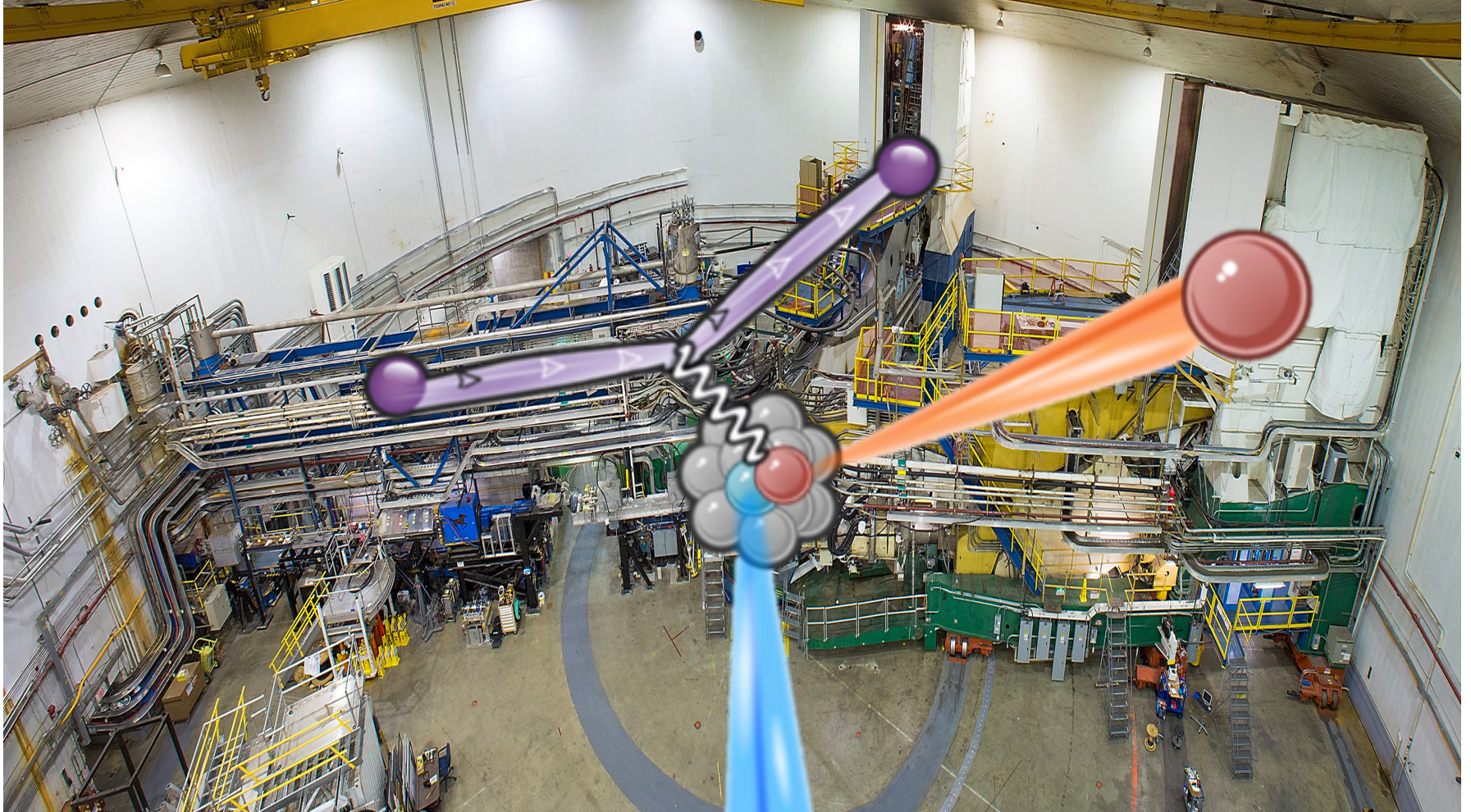
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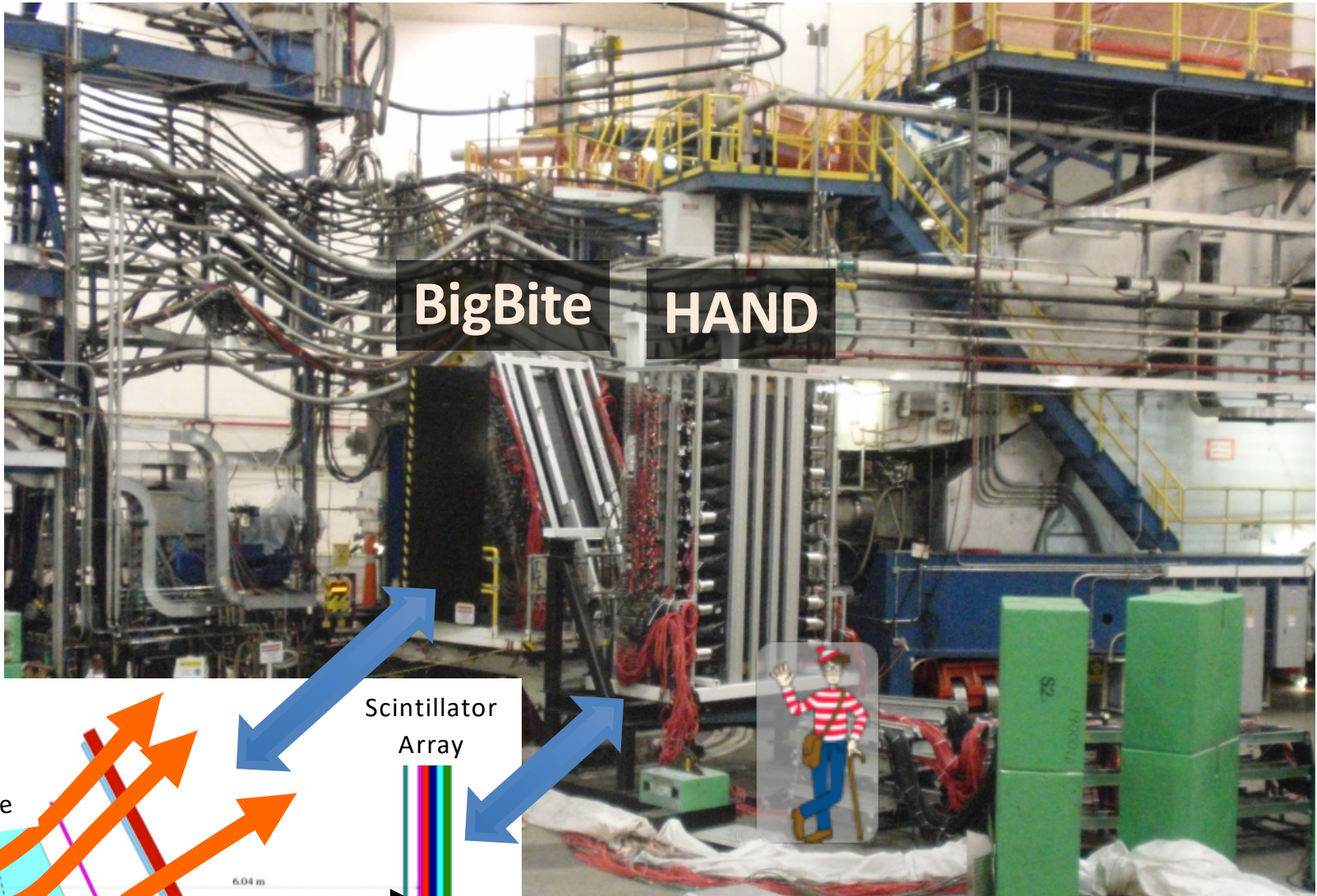


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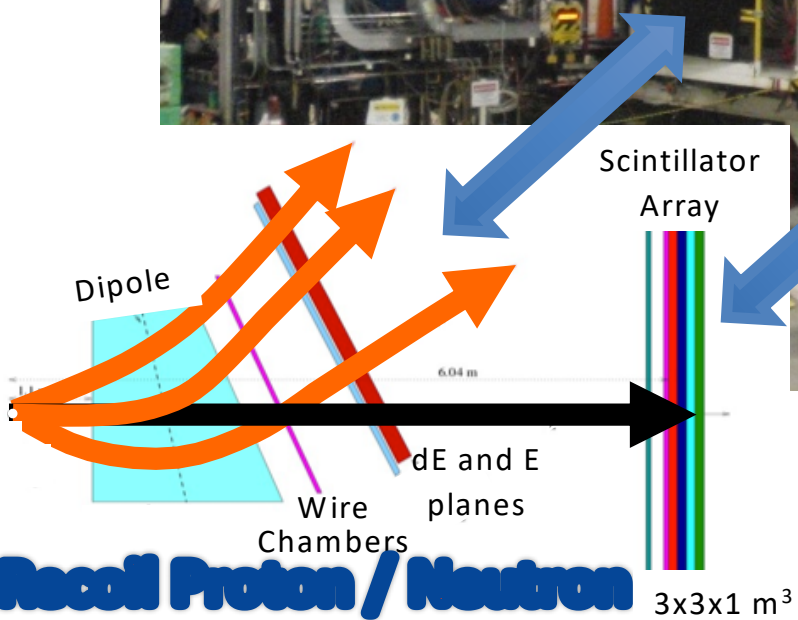


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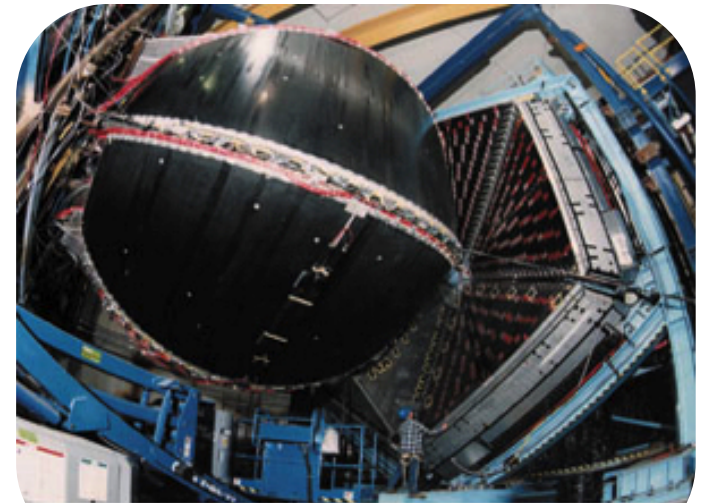
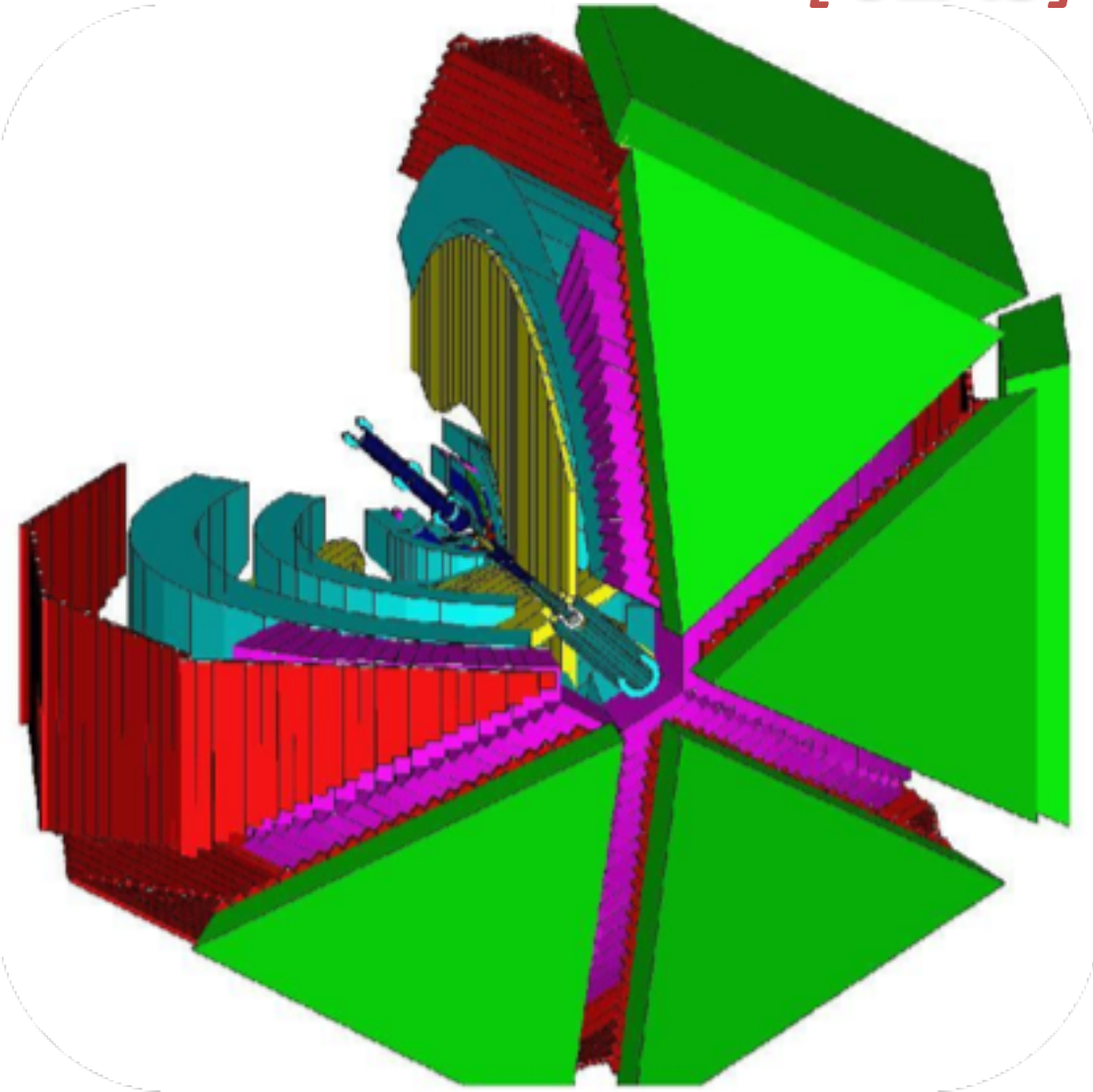




BigBite HAND



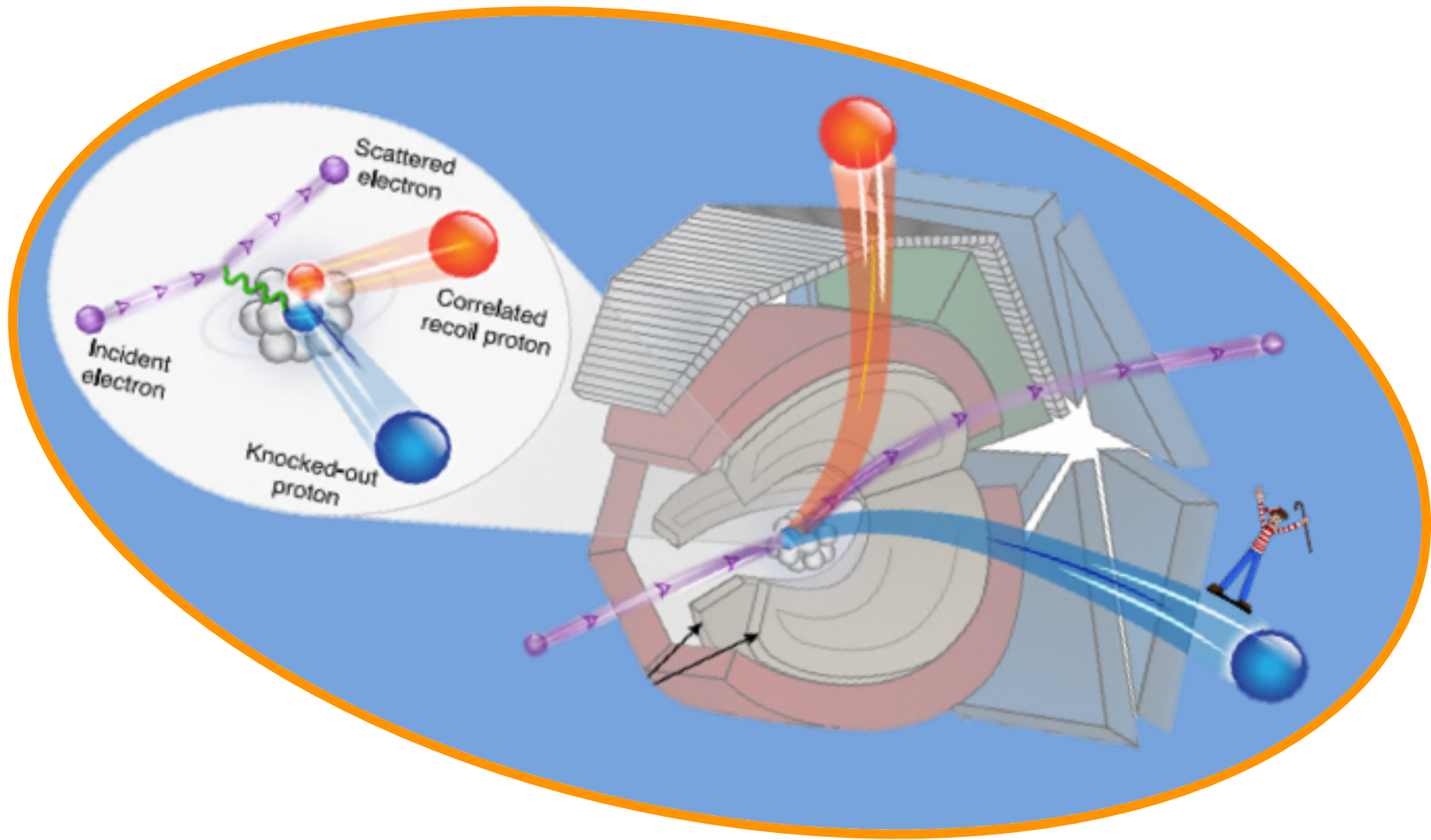
CEBAF Large Acceptance Spectrometer [CLAS]



Hall B Large Acceptance Spectrometer

Open (e,e') trigger, Large-Acceptance, Low luminosity ($\sim 10^{34} \text{ cm}^{-2} \text{ sec}^{-1}$)

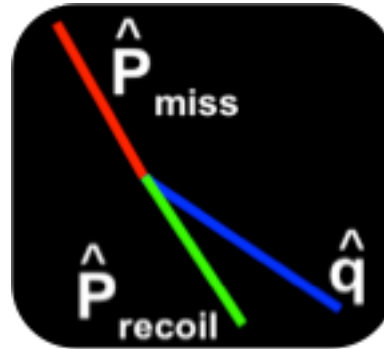
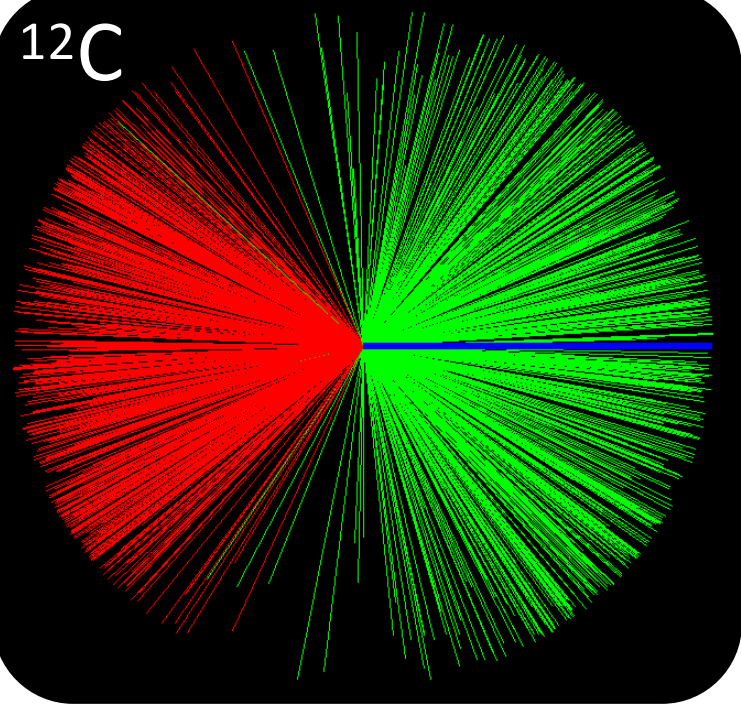
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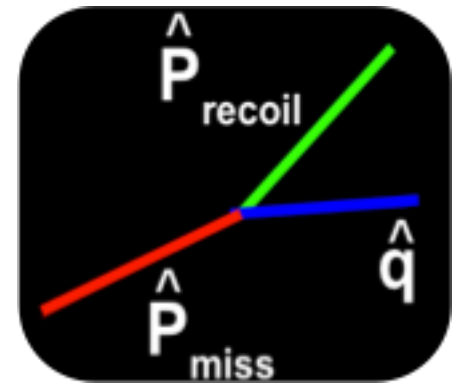
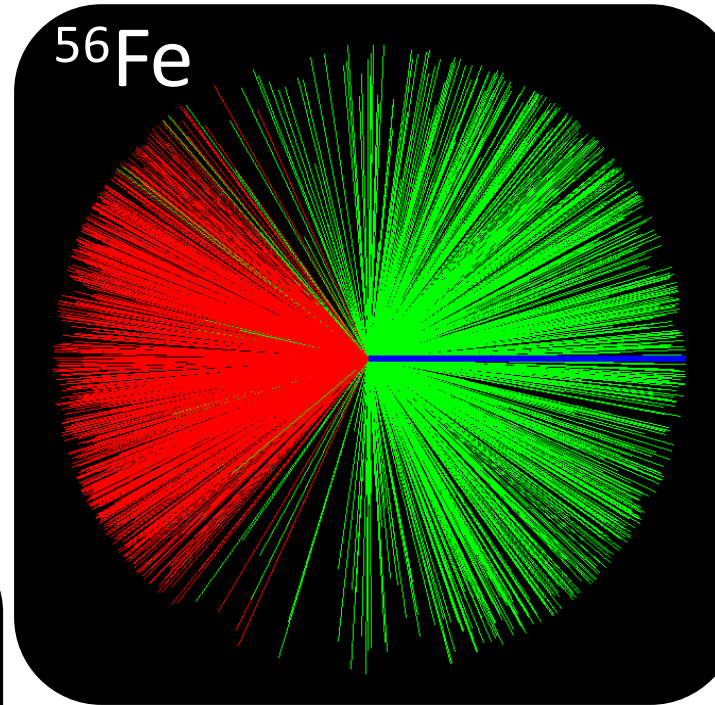
Open (e,e') trigger, Large-Acceptance, Low luminosity ($\sim 10^{34} \text{ cm}^{-2} \text{ sec}^{-1}$)

3D Reconstruction

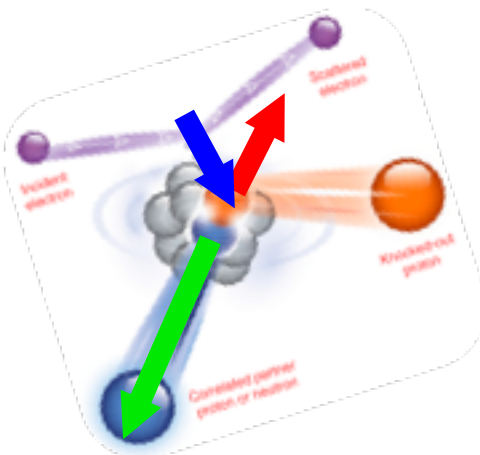
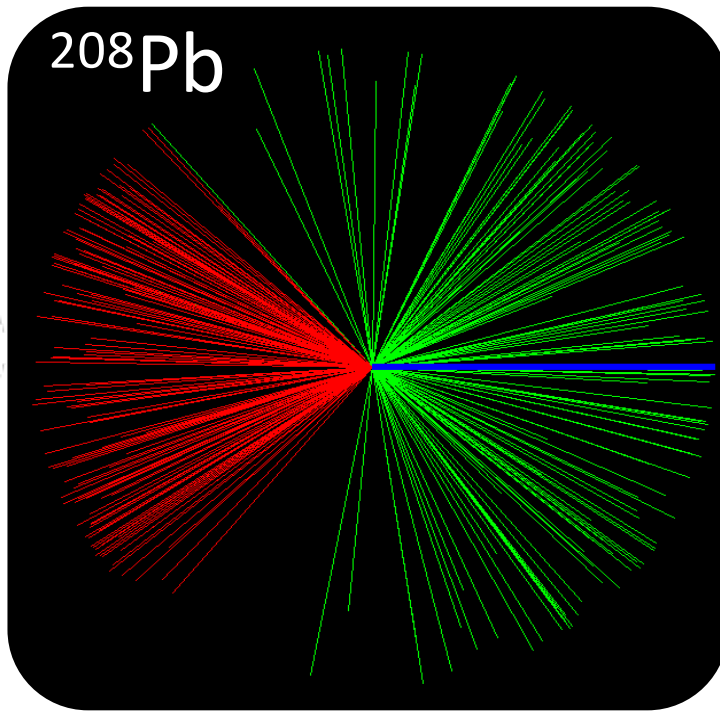
^{12}C



^{56}Fe

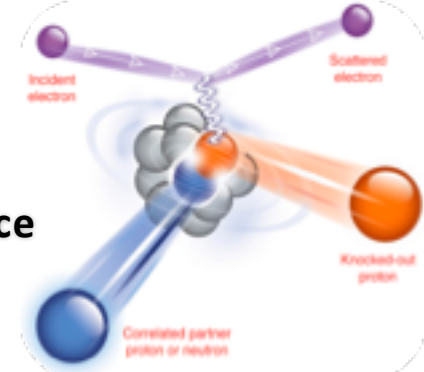


^{208}Pb

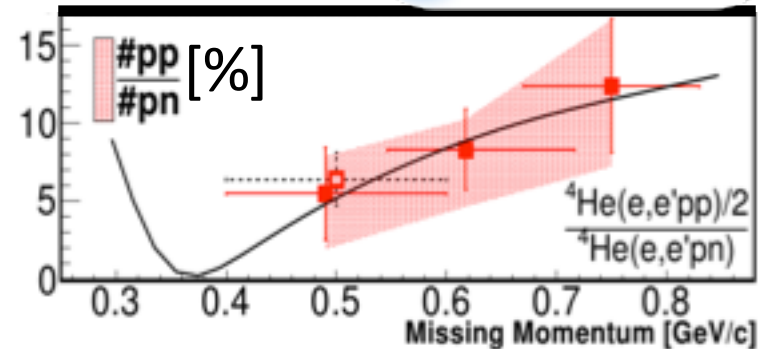
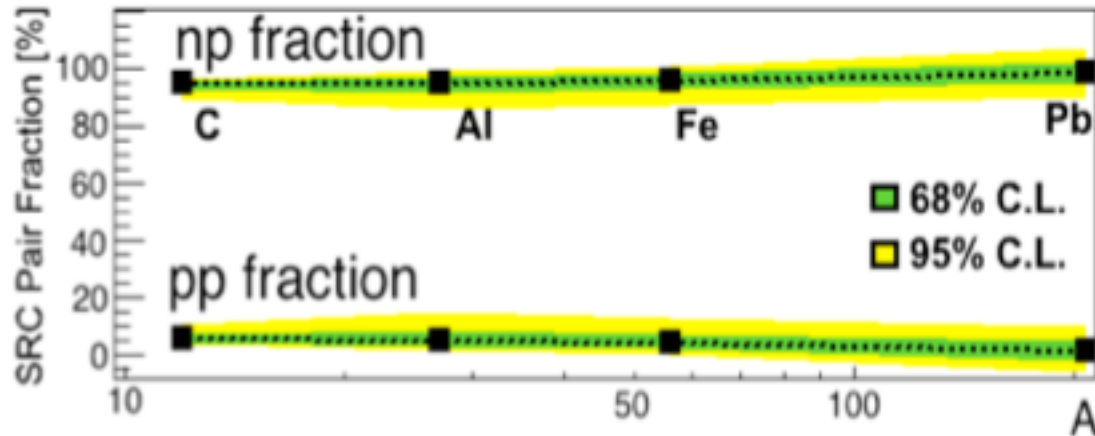


Back-to-back = SRC pairs!

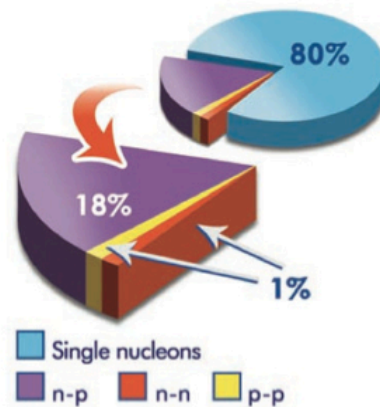
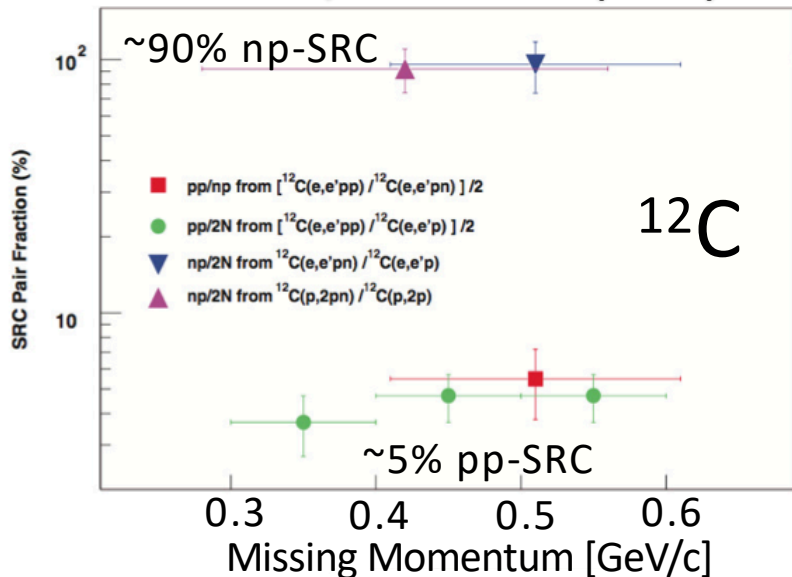
OLD np dominance results



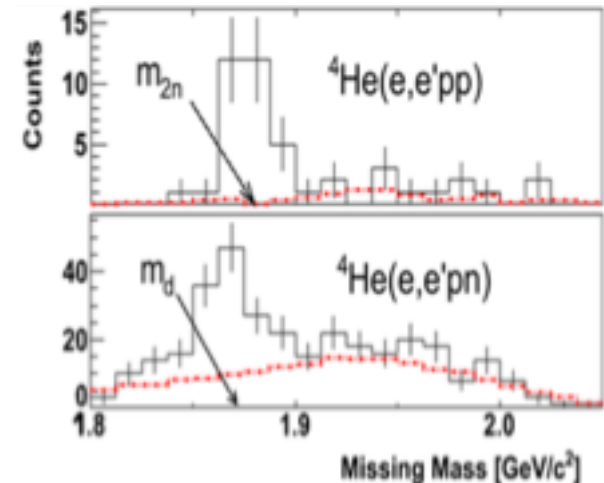
O. Hen et al., Science 364 (2014) 614



R. Subedi et al., Science 320 (2008) 1476



I. Korover et al., PRL 113 (2014) 022501

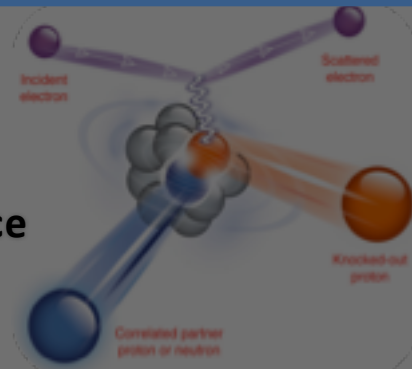


A. Tang et al., PRL (2003);

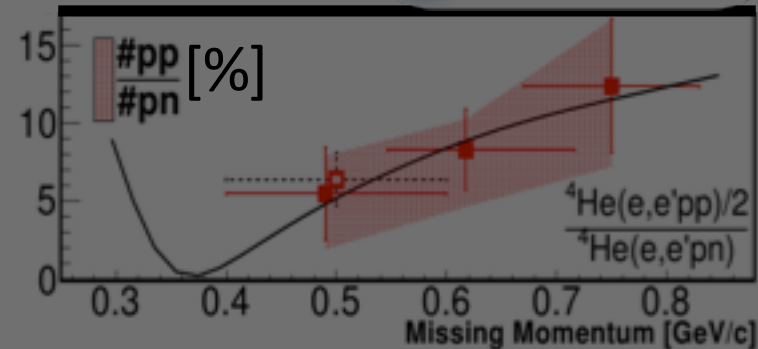
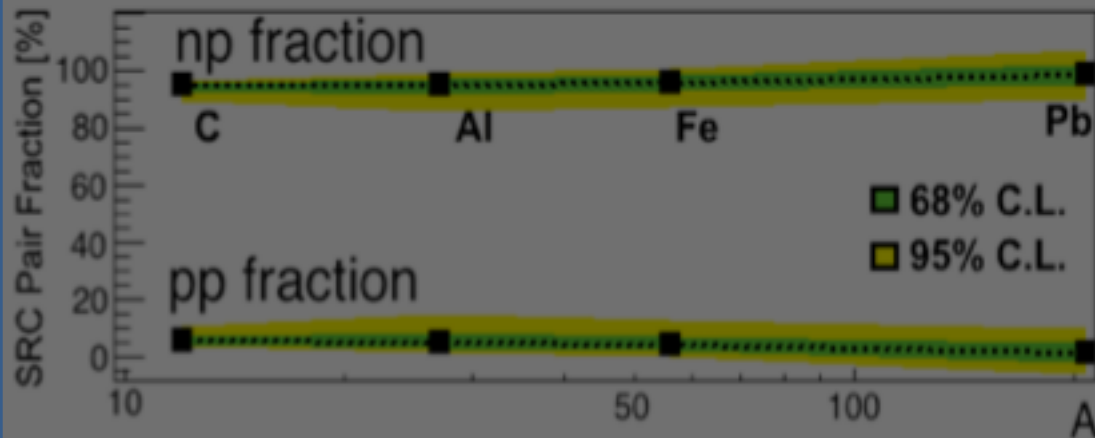
E. Piasezky et al., PRL (2006);

R. Shneur et al., PRL (2007)

np dominance results

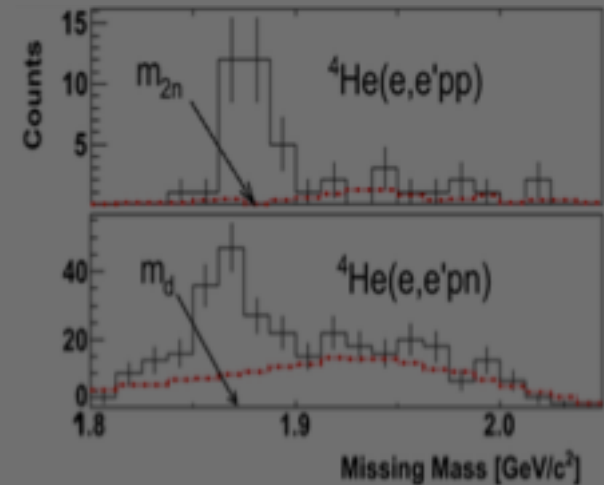
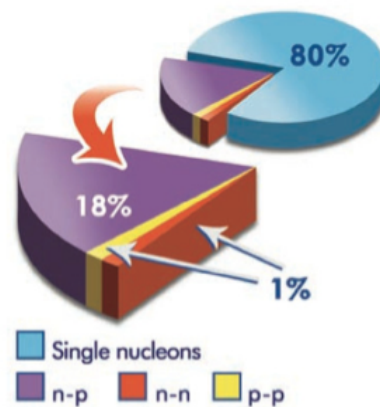
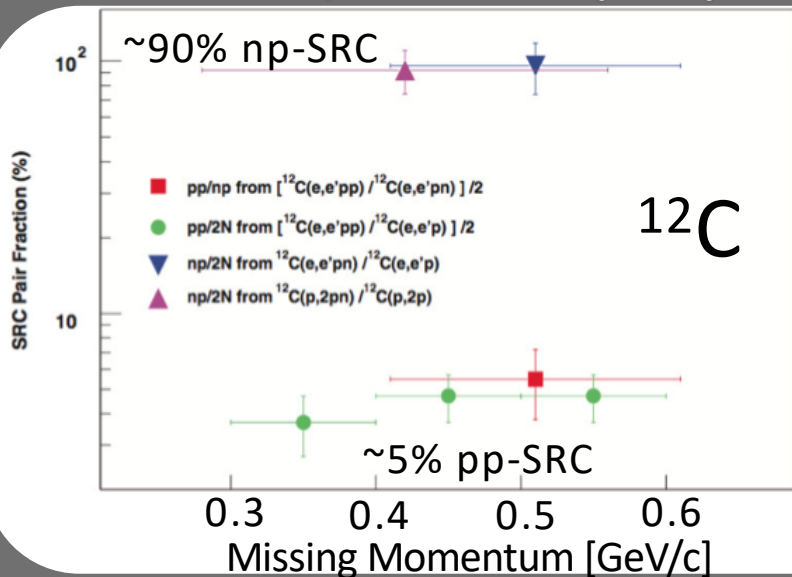


O. Hen et al., Science 364 (2014) 614



R. Subedi et al., Science 320 (2008) 1476

I. Korover et al., PRL 113 (2014) 022501

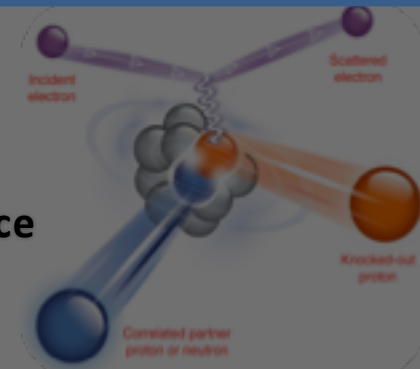


A. Tang et al., PRL (2003);

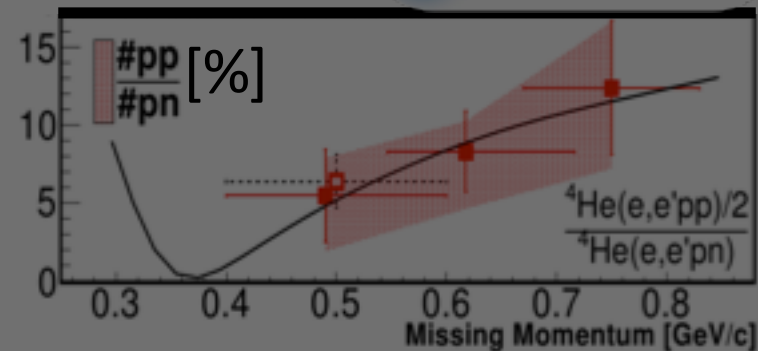
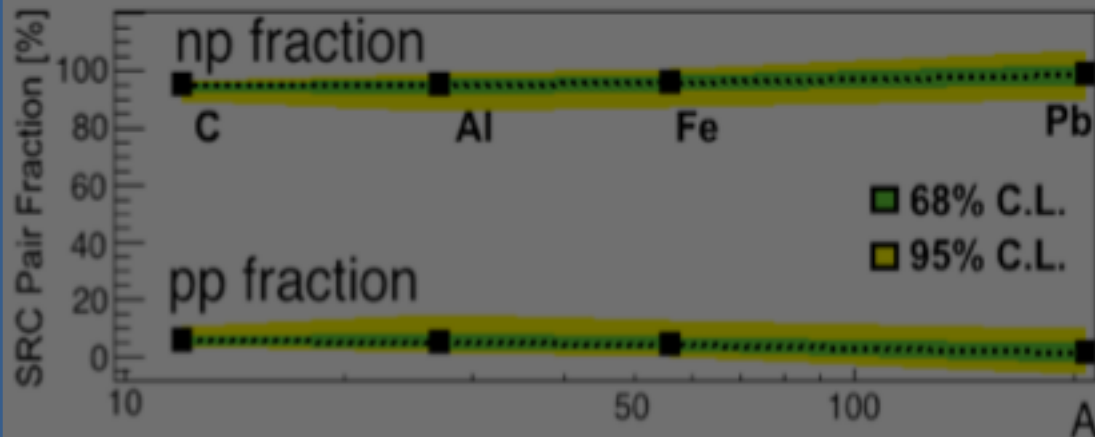
E. Piasezky et al., PRL (2006);

R. Shneur et al., PRL (2007)

np dominance results

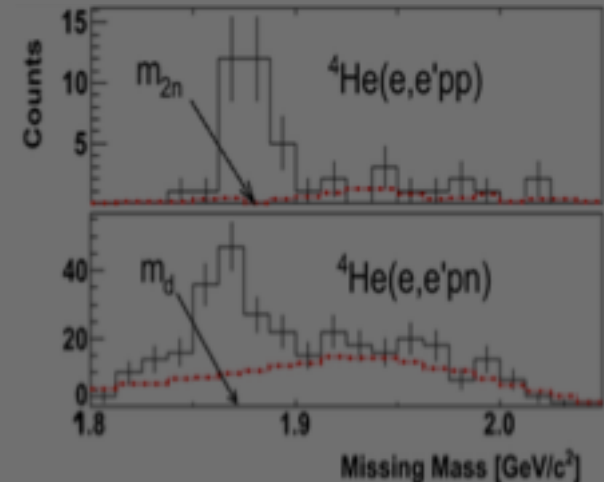
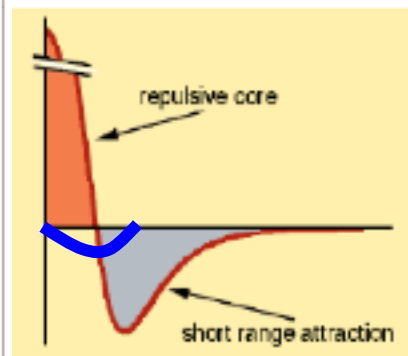
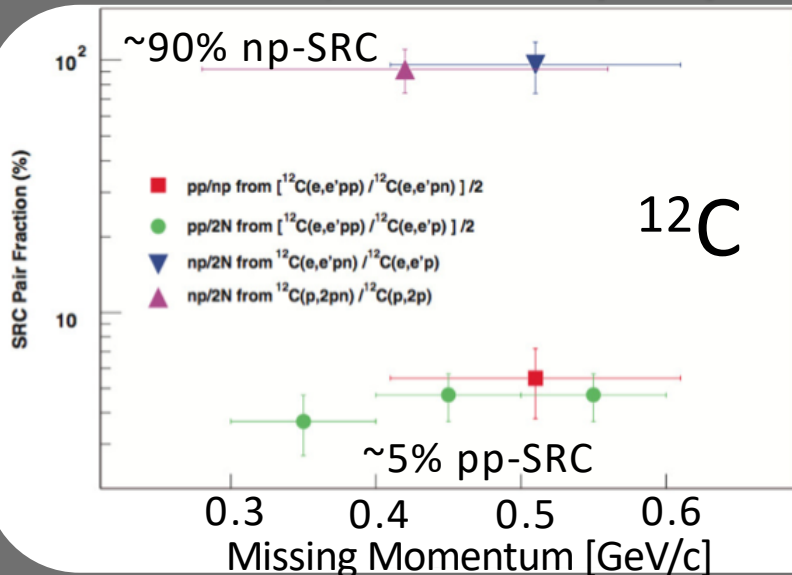


O. Hen et al., Science 364 (2014) 614



R. Subedi et al., Science 320 (2008) 1476

I. Korover et al., PRL 113 (2014) 022501

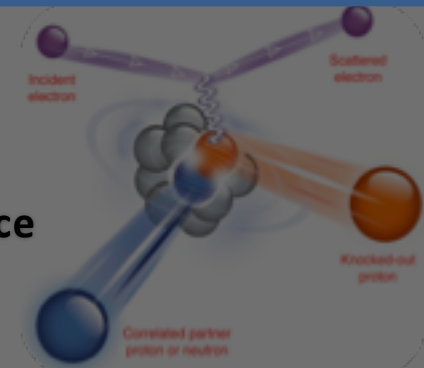


A. Tang et al., PRL (2003);

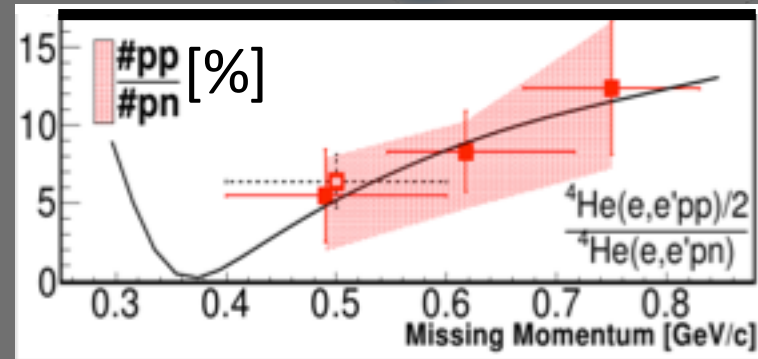
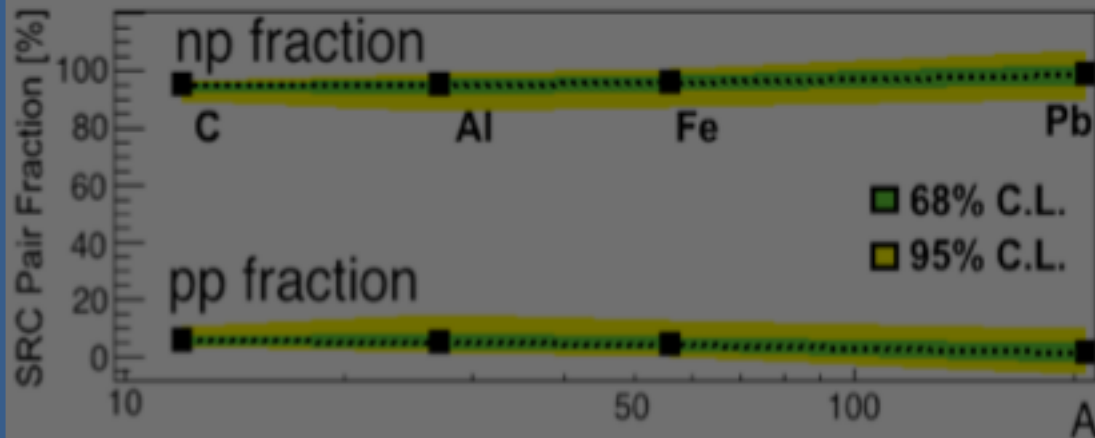
E. Piasezky et al., PRL (2006);

R. Shneur et al., PRL (2007)

np dominance results

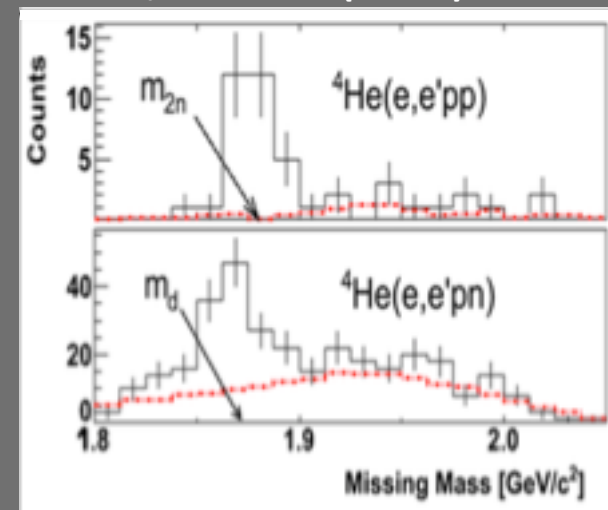
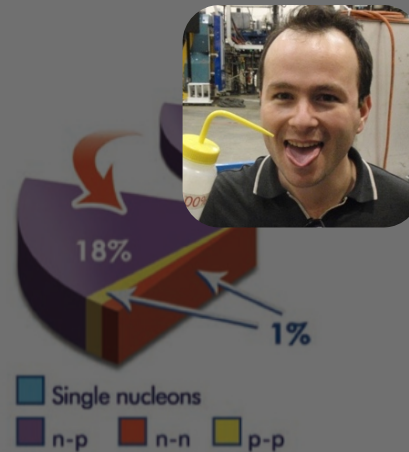
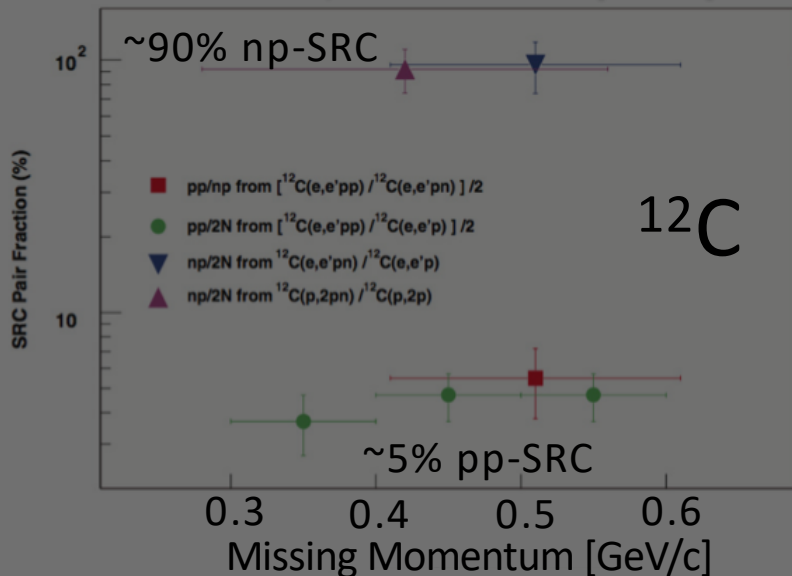


O. Hen et al., Science 364 (2014) 614



I. Korover et al., PRL 113 (2014) 022501

R. Subedi et al., Science 320 (2008) 1476

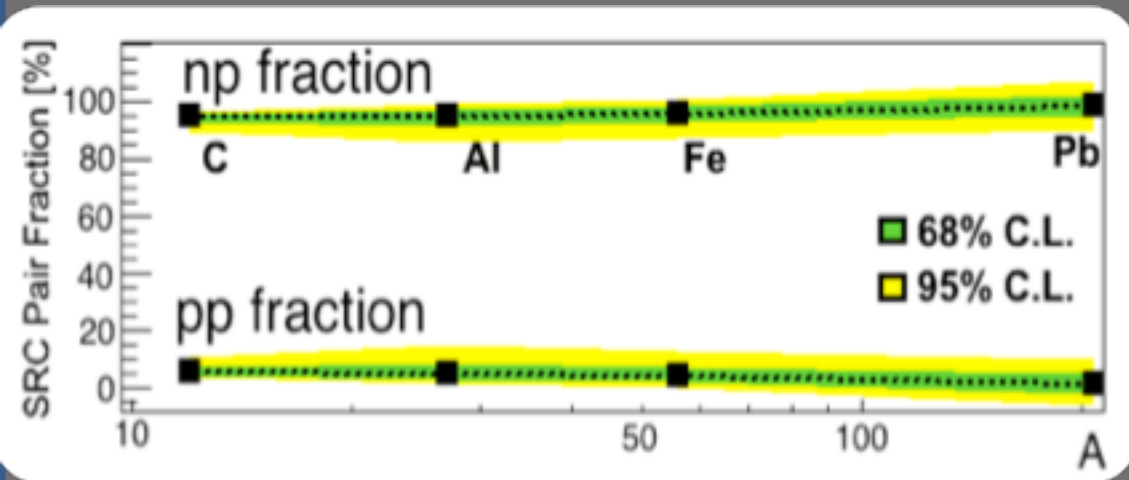


A. Tang et al., PRL (2003);

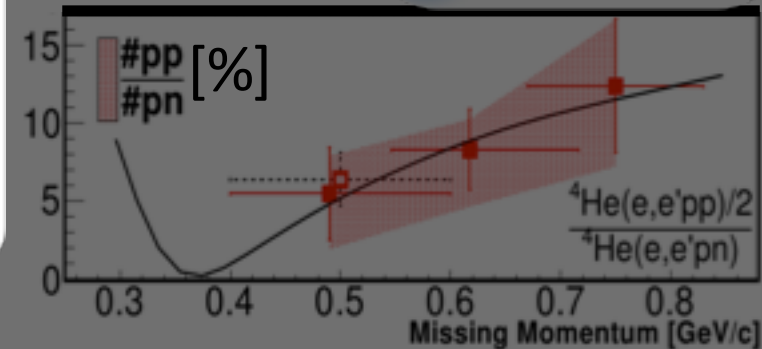
E. Piassetzky et al., PRL (2006);

R. Shneor et al., PRL (2007)

np dominance results

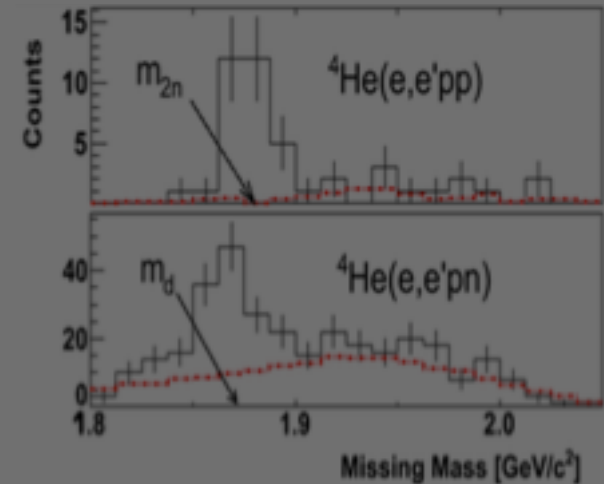
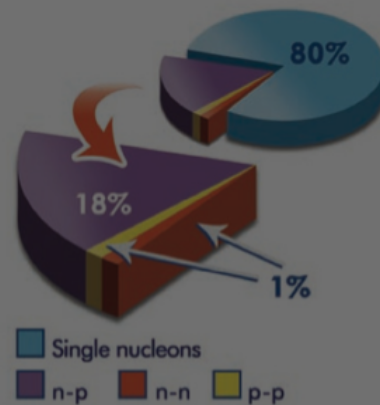
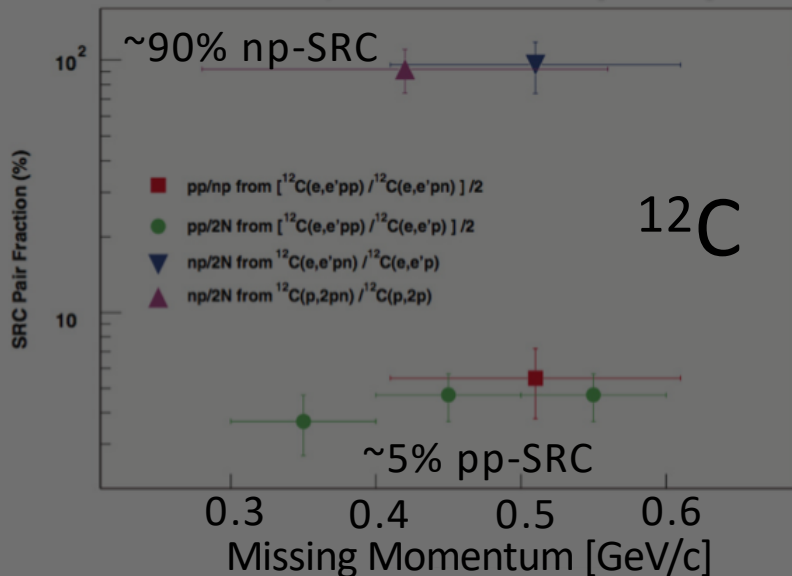


O. Hen et al., Science 364 (2014) 614



I. Korover et al., PRL 113 (2014) 022501

R. Subedi et al., Science 320 (2008) 1476



R. Shneor et al., PRL (2007)

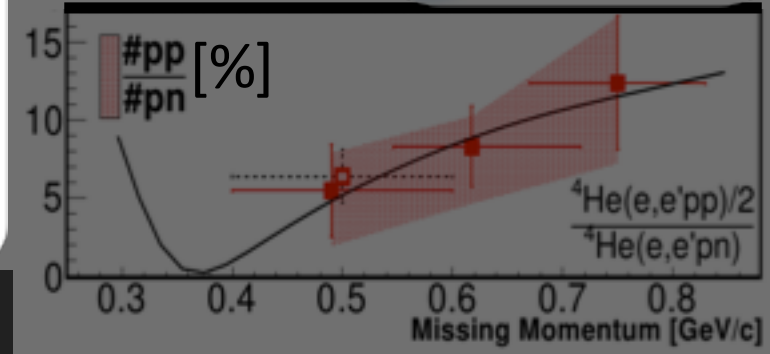
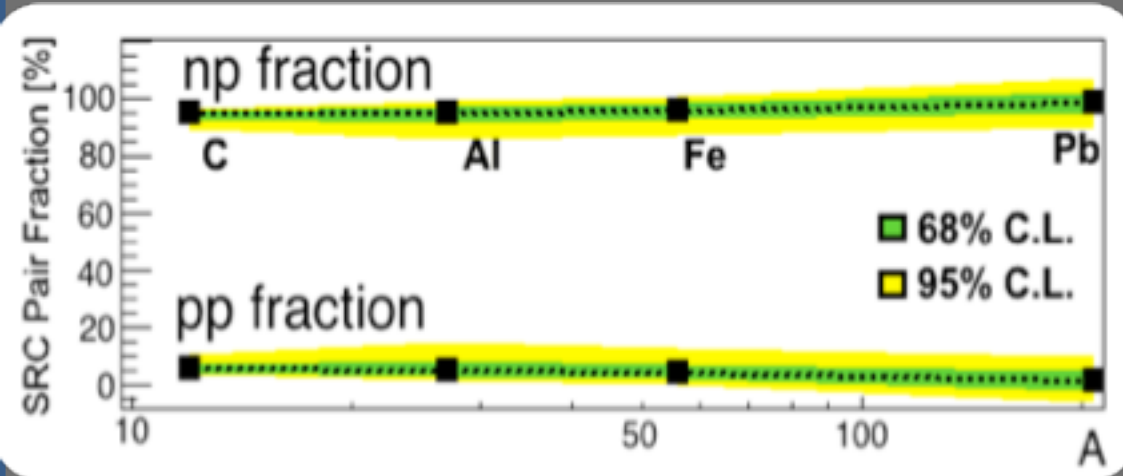
A. Tang et al., PRL (2003);

E. Piassetzky et al., PRL (2006);

np dominance results



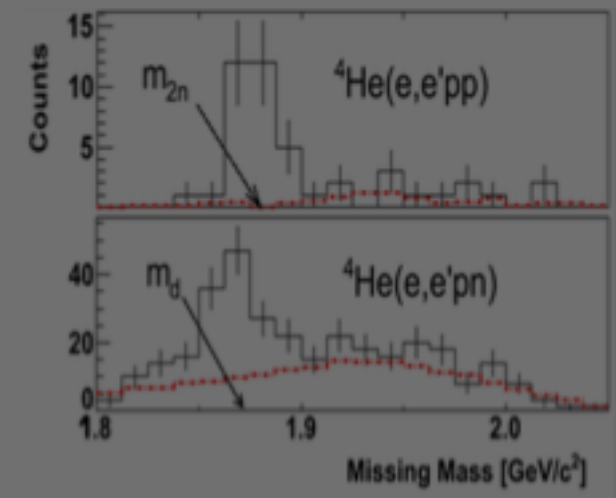
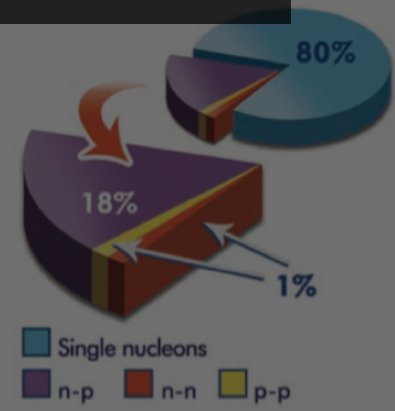
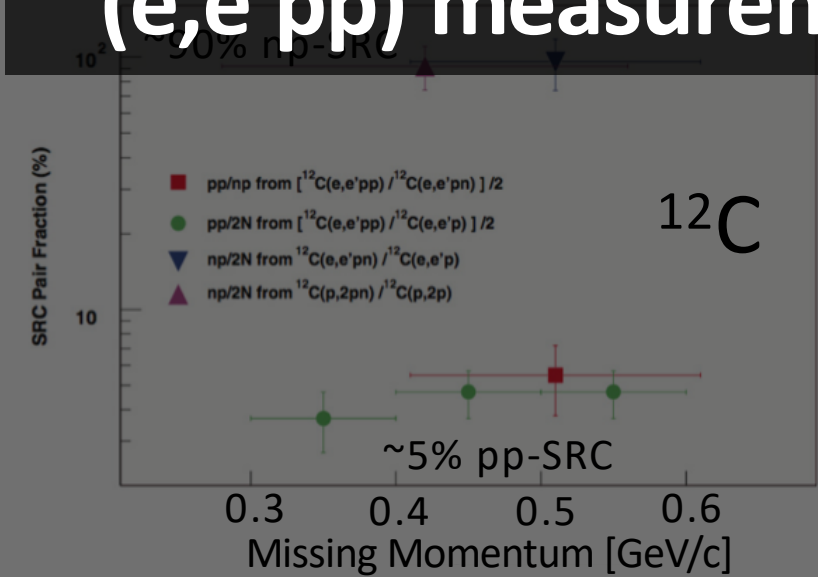
O. Hen et al., Science 364 (2014) 614



I. Korover et al., PRL 113 (2014) 022501

^^ Inferred from (e,e'p) & (e,e'pp) measurements

R. Subedi et al., Science 320 (2008) 1476

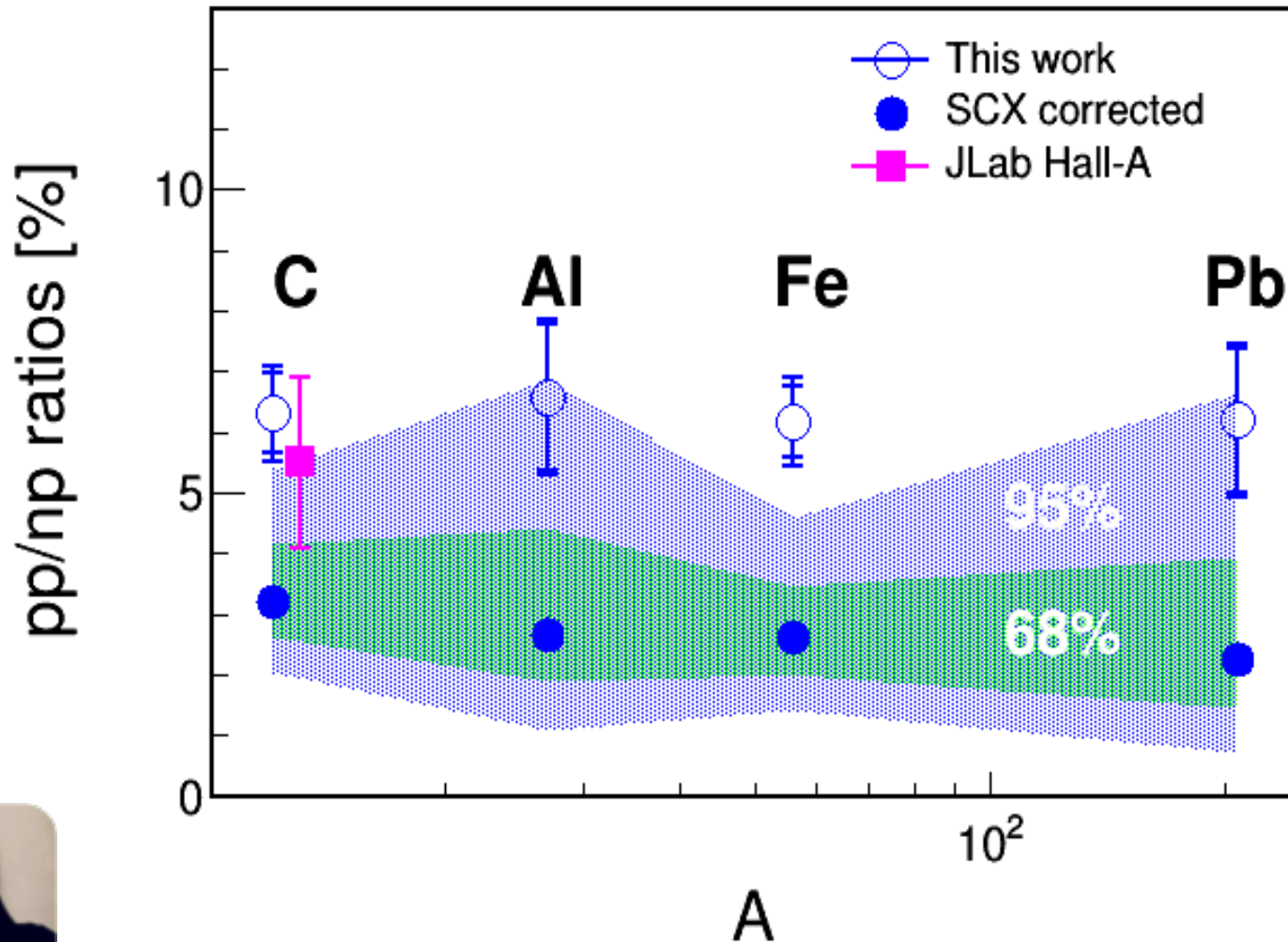


R. Shneor et al., PRL (2007)

A. Tang et al., PRL (2003);

E. Piassetzky et al., PRL (2006);

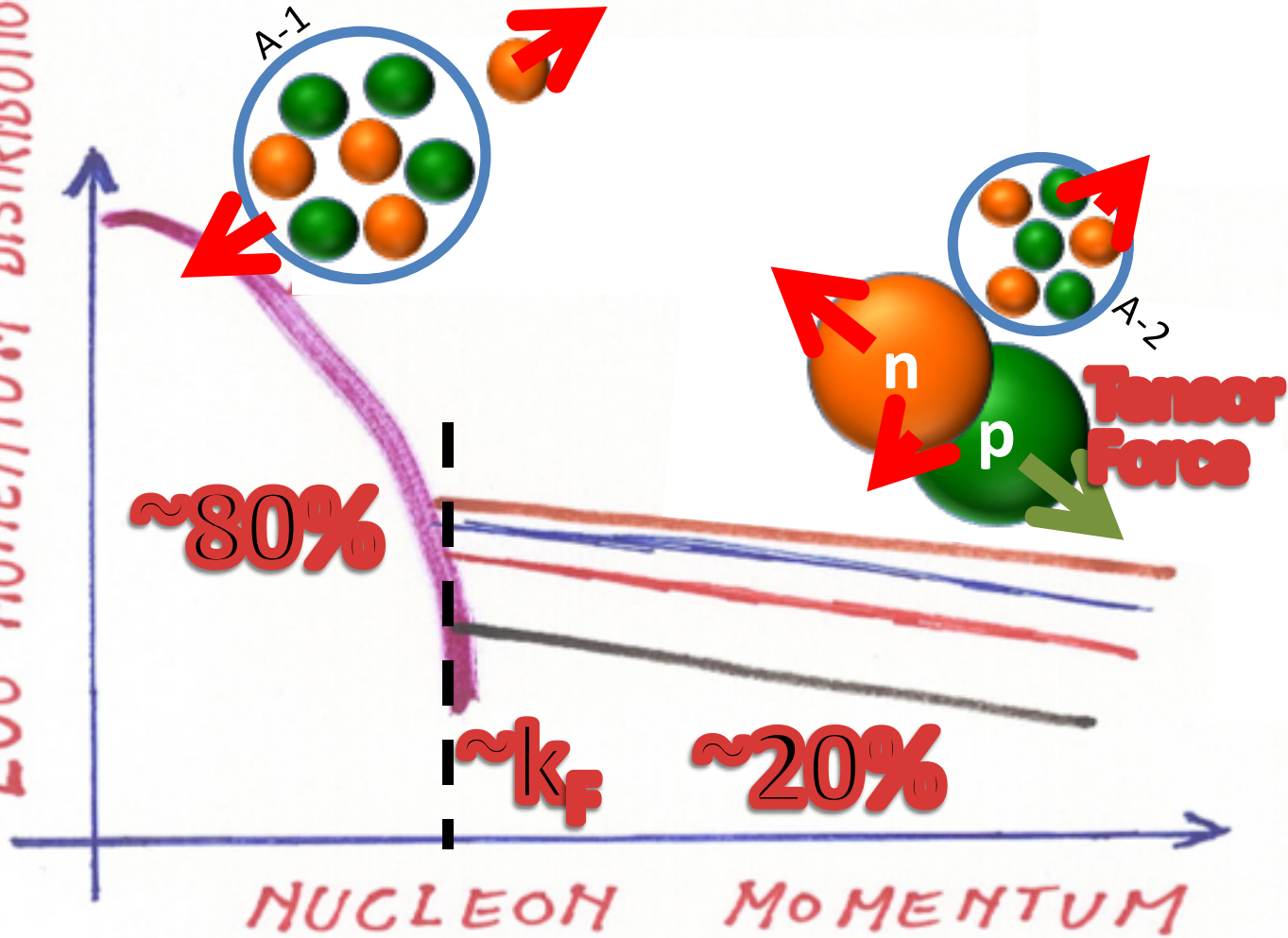
D-I-R-E-C-T Observation of np-Dominance: (e,e'Np) Measurements

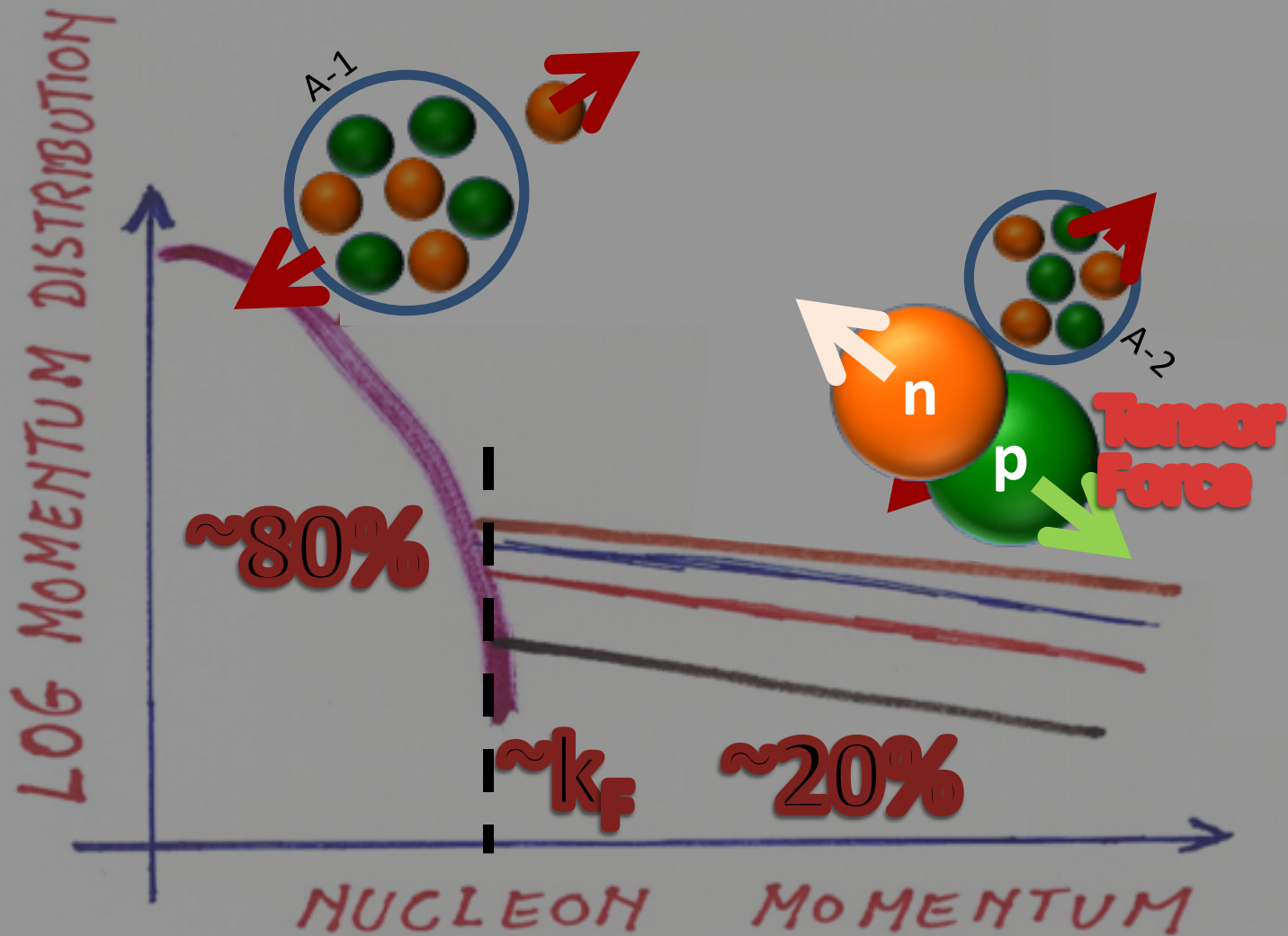


M. Duer et al.

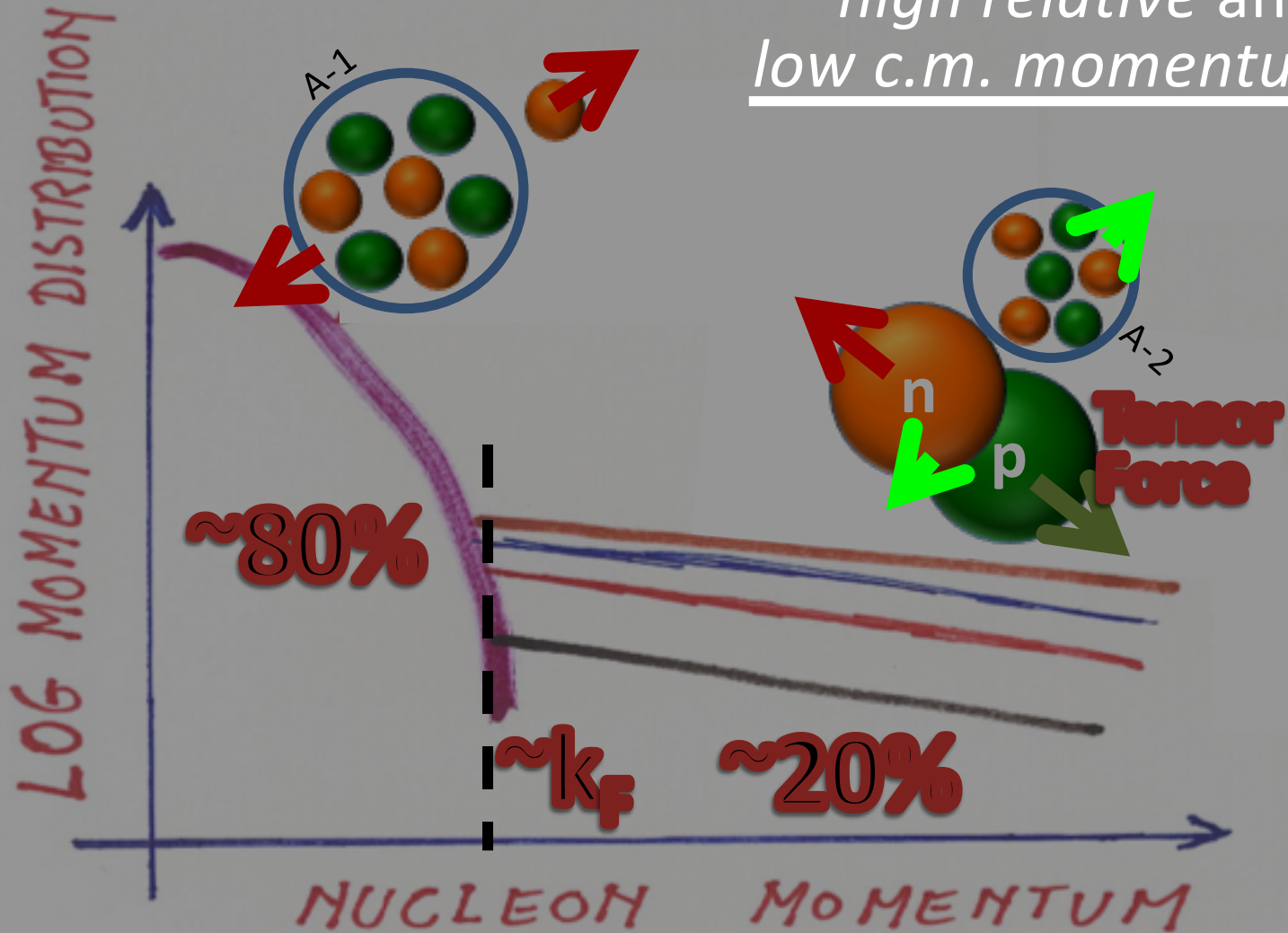


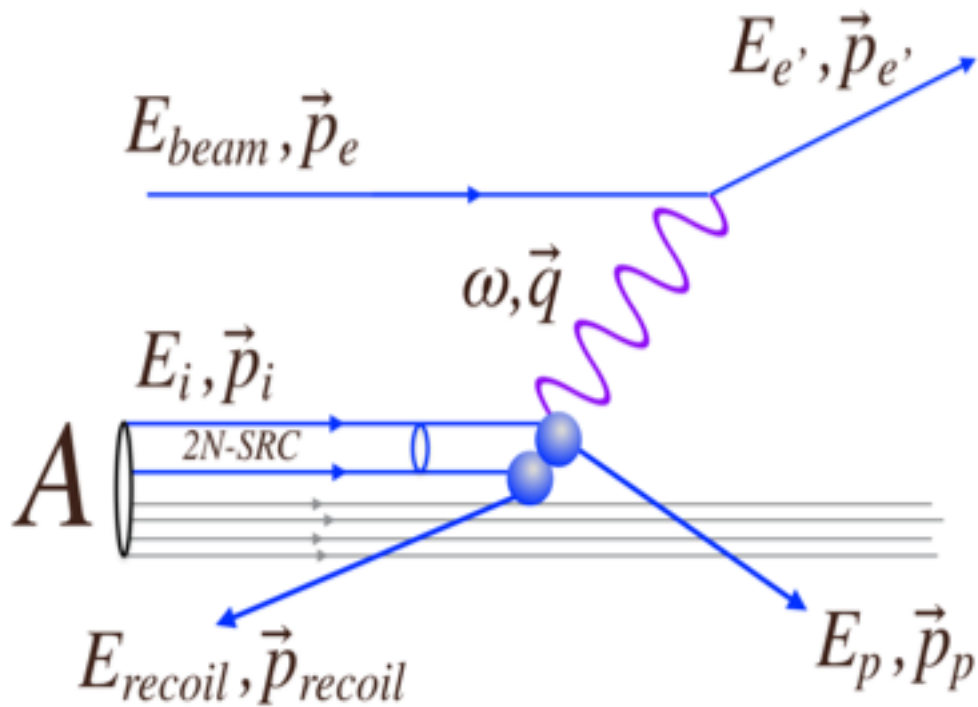
LOG MOMENTUM DISTRIBUTION





“high relative and low c.m. momentum”





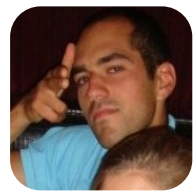
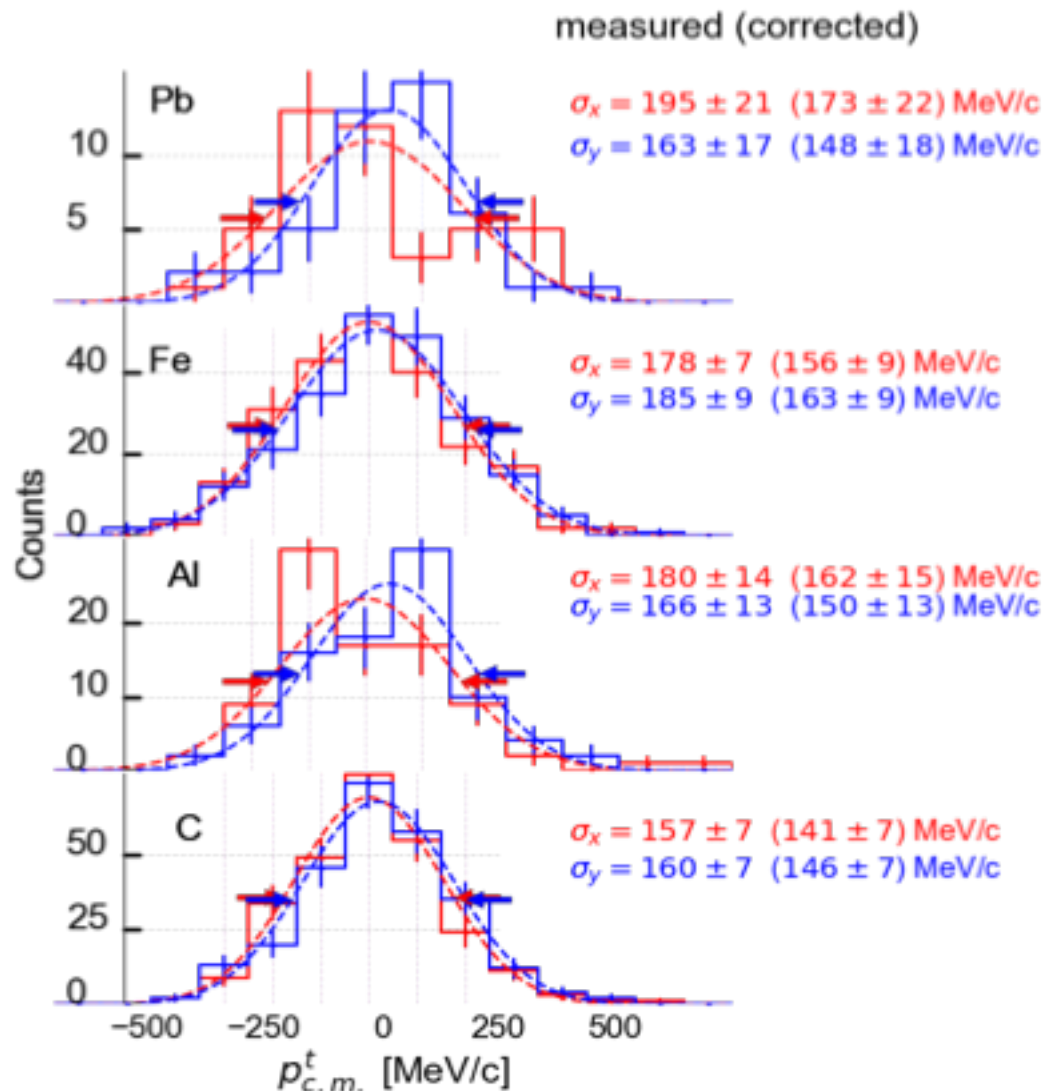
$$\vec{P}_{c.m.} = (\vec{P}_p - \vec{q}) + \vec{P}_{recoil}$$

FSI Between
nucleons in the pair:

$$\begin{aligned} \vec{P}_p &\rightarrow \vec{P}_p + \vec{\Delta} \\ \vec{P}_{recoil} &\rightarrow \vec{P}_{recoil} - \vec{\Delta} \end{aligned}$$

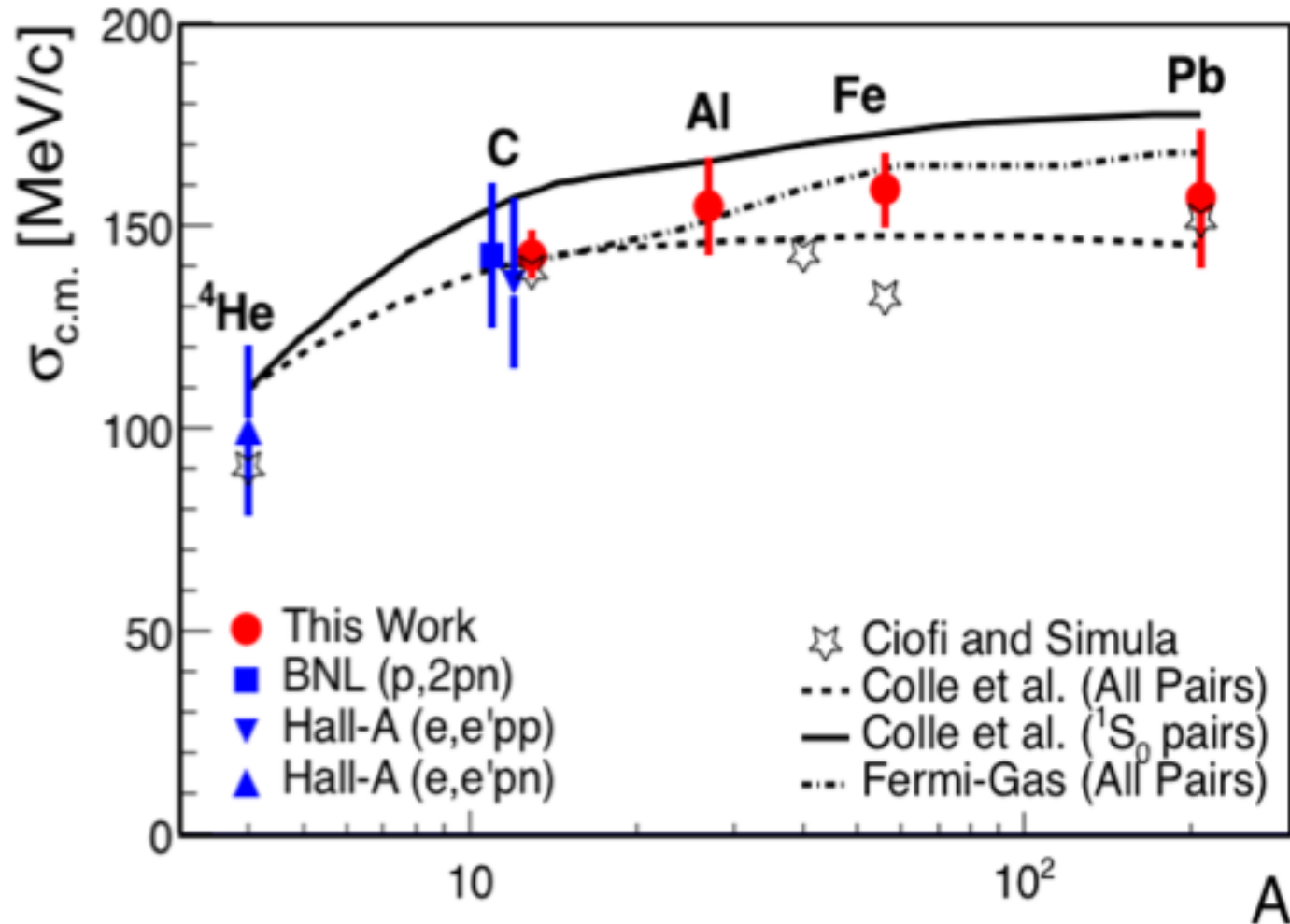
$$\Rightarrow \vec{P}_{c.m.} \text{ Invariant}$$

Low Pair C.M. Motion



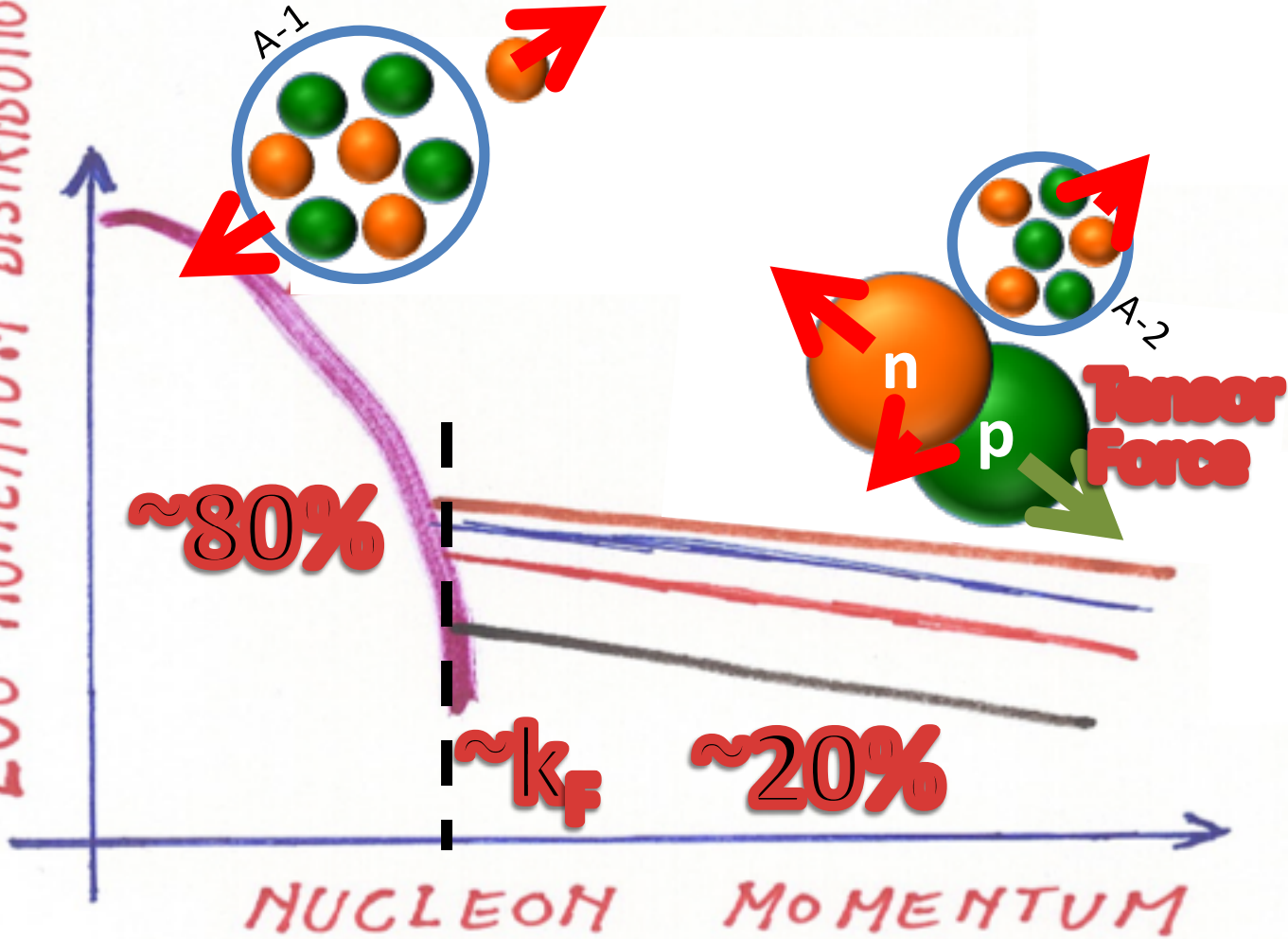
E. Cohen et al. (CLAS Collaboration),
submitted, arXiv: 1805.01981 (2018).

Consistent with Mean-Field Calculations



E. Cohen et al. (CLAS Collaboration),
submitted, arXiv: 1805.01981 (2018).

LOG MOMENTUM DISTRIBUTION



$\sim 80\%$

$\sim k_F$

$\sim 20\%$

NUCLEON

MOMENTUM

$A-1$

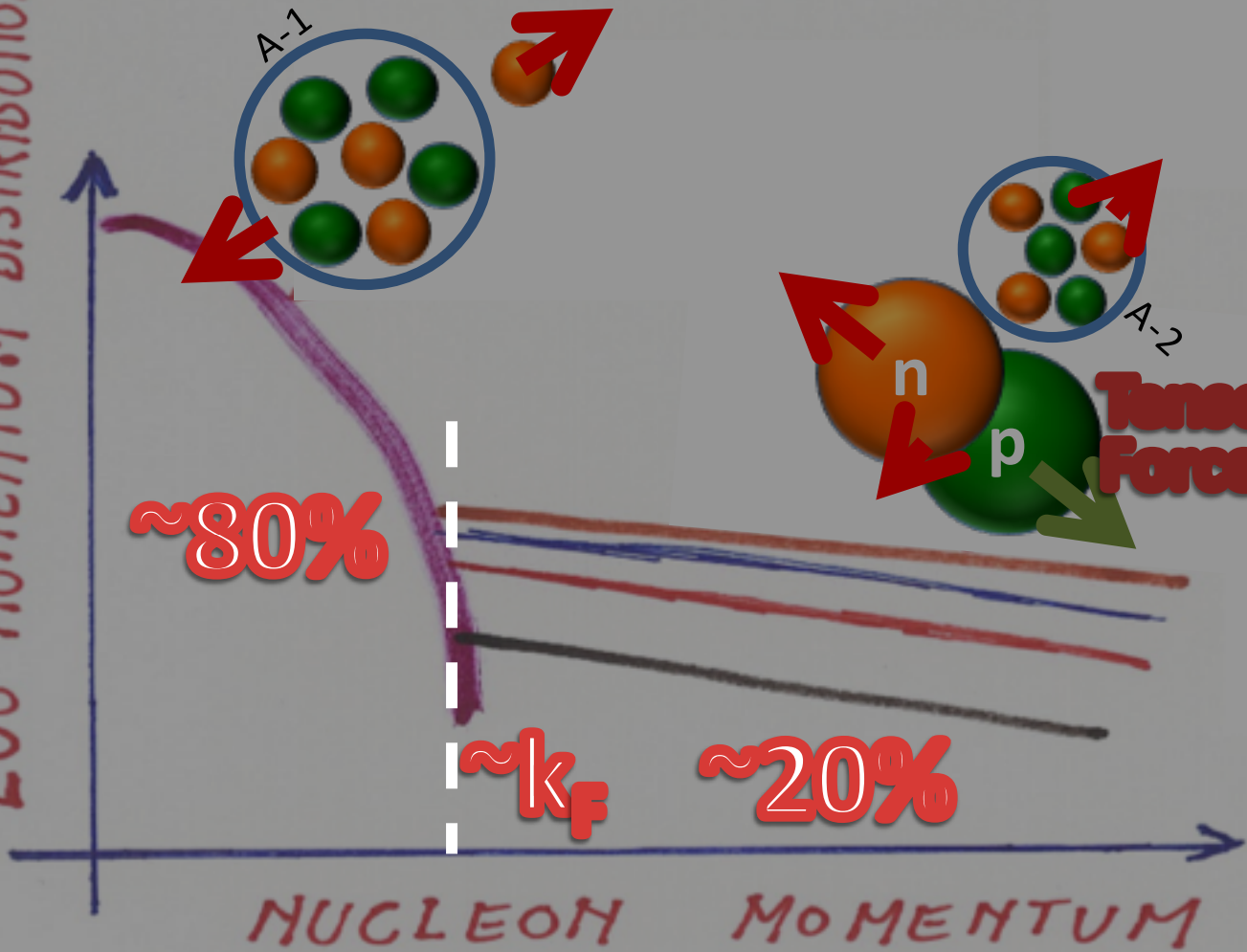
$A-2$

n

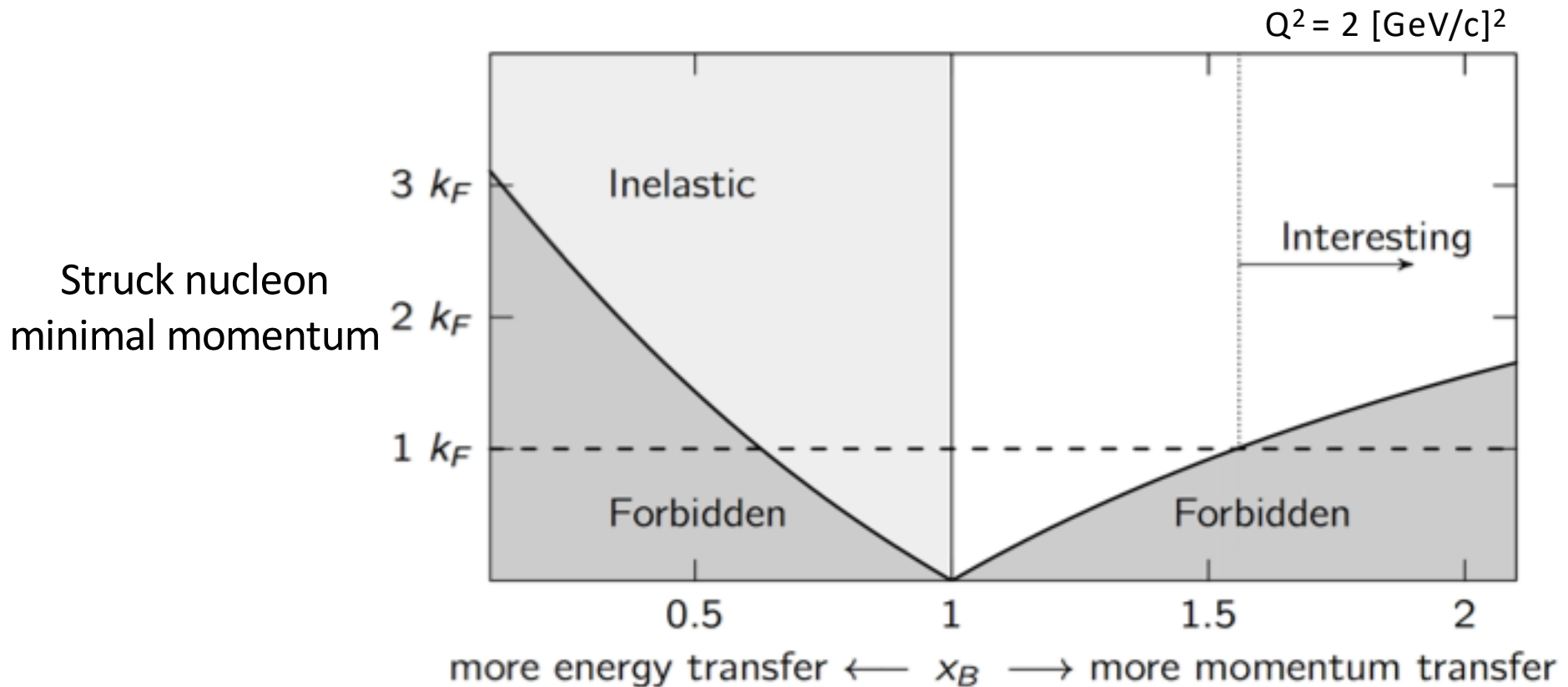
p

Tensor Force

LOG MOMENTUM DISTRIBUTION



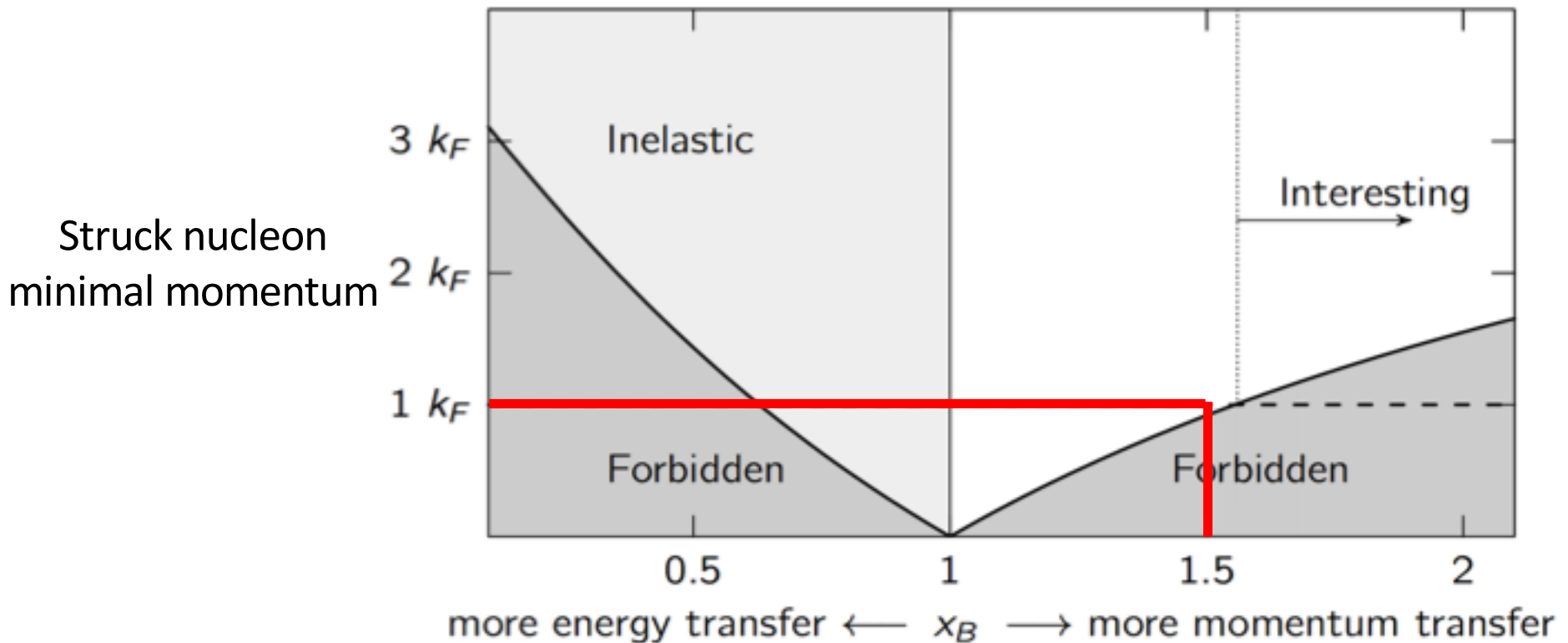
(e,e') : x_B correlates with initial momenta



$$(q + p_A - p_{A-1})^2 = p_f^2 = m_N^2$$

High $x_B \Leftrightarrow$ High initial momenta

$Q^2 = 2 \text{ [GeV/c]}^2$

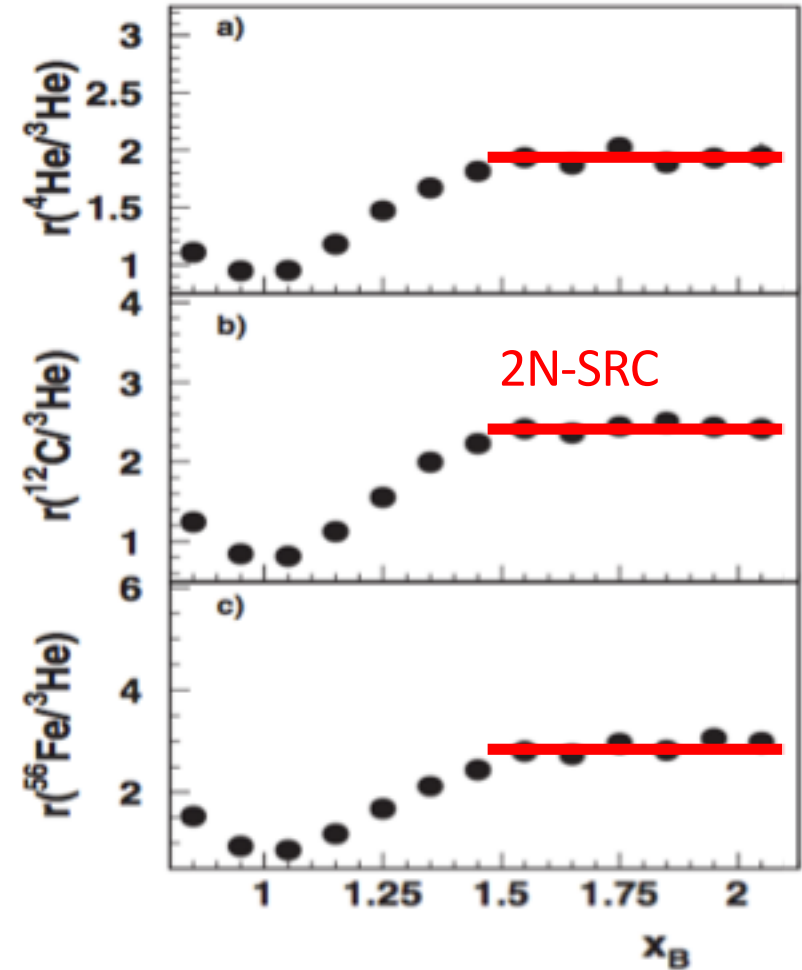


$$(q + p_A - p_{A-1})^2 = p_f^2 = m_N^2$$

High-Momentum Scaling

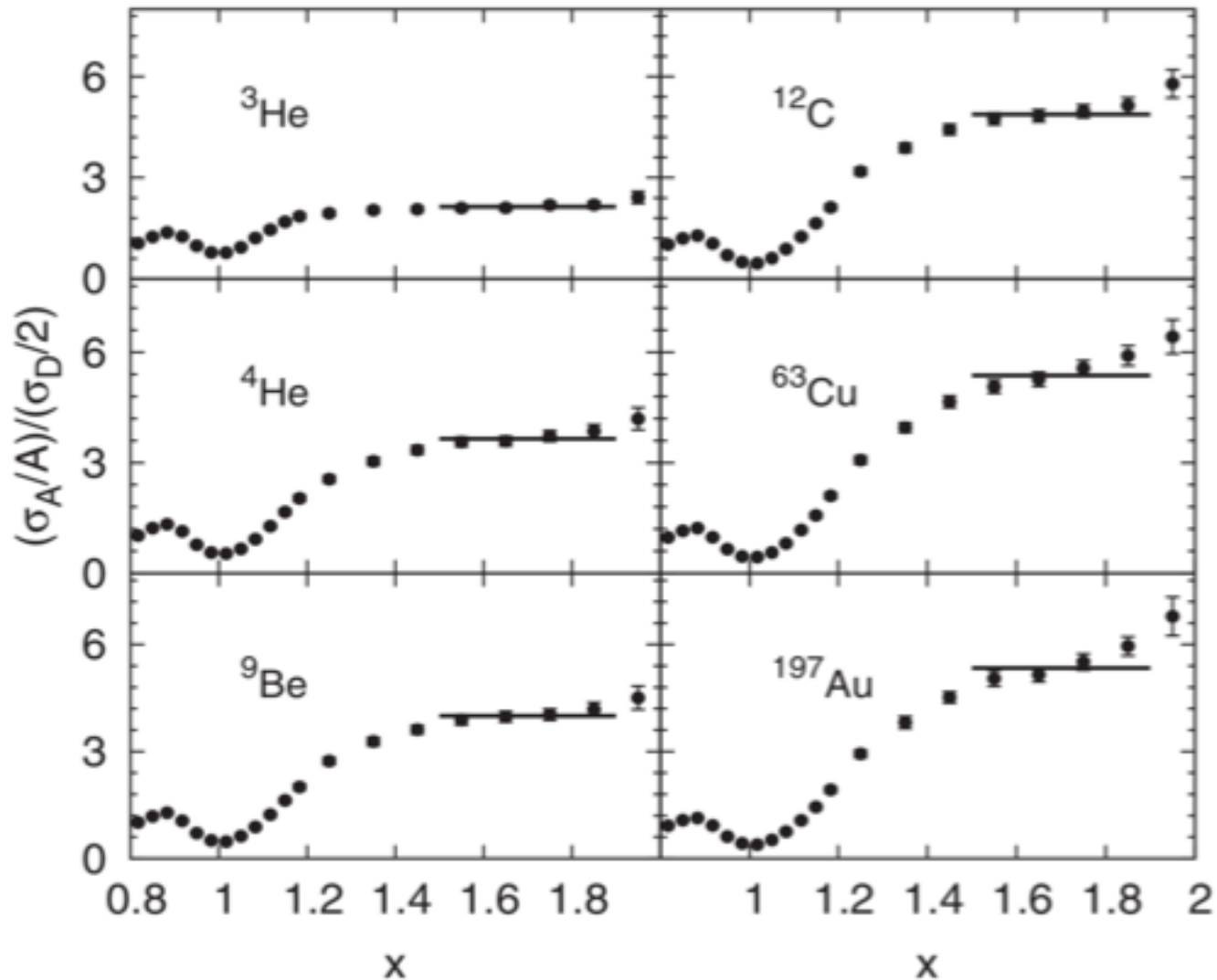
- A/d (e,e') cross section ratios sensitive to $n_A(k)/n_d(k)$ [??]
- Observed scaling for $x_B \geq 1.5$.

$$\Rightarrow n_A(k > k_F) = a_2(A) \times n_d(k)$$

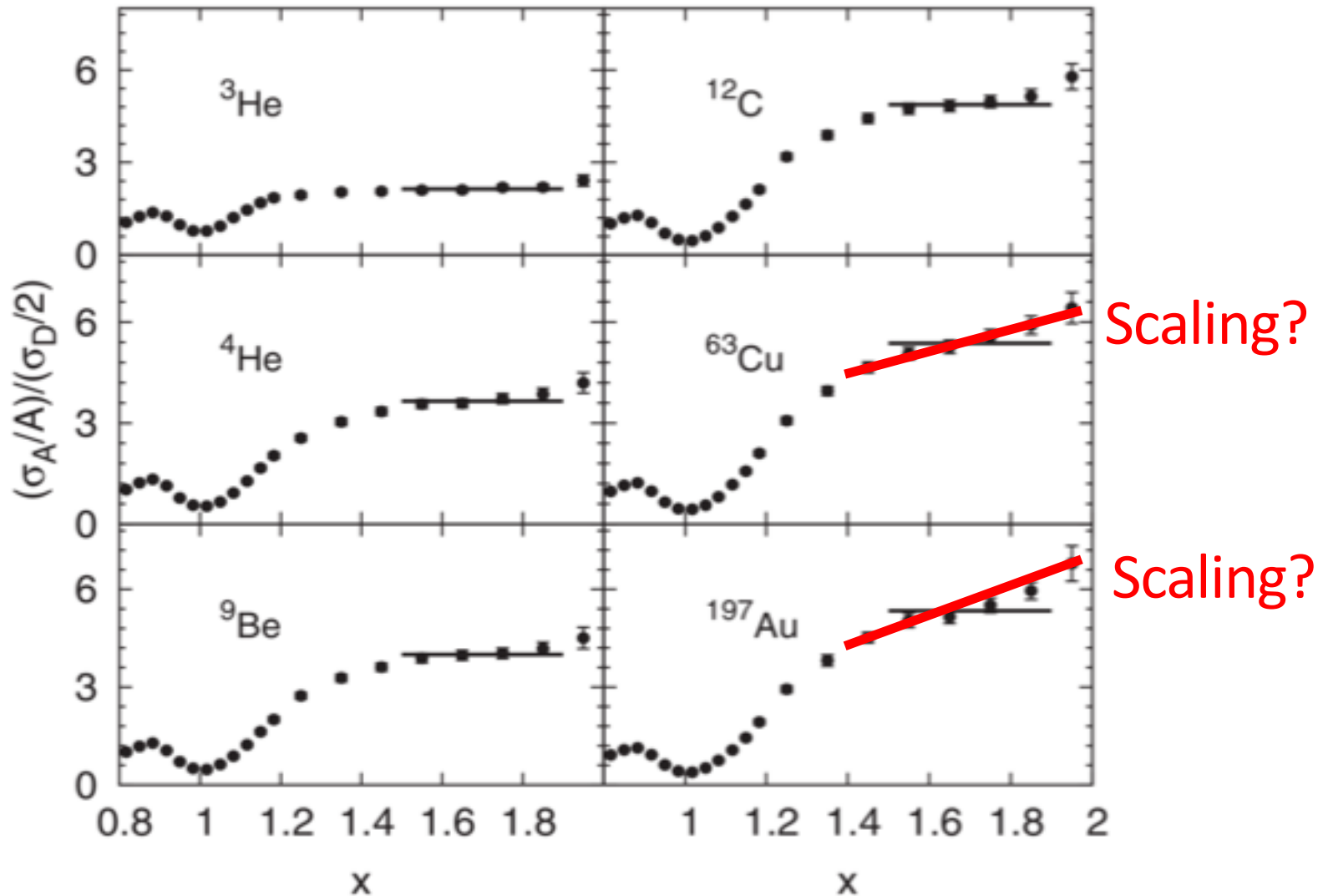


Egiyan et al., PRL (2006)

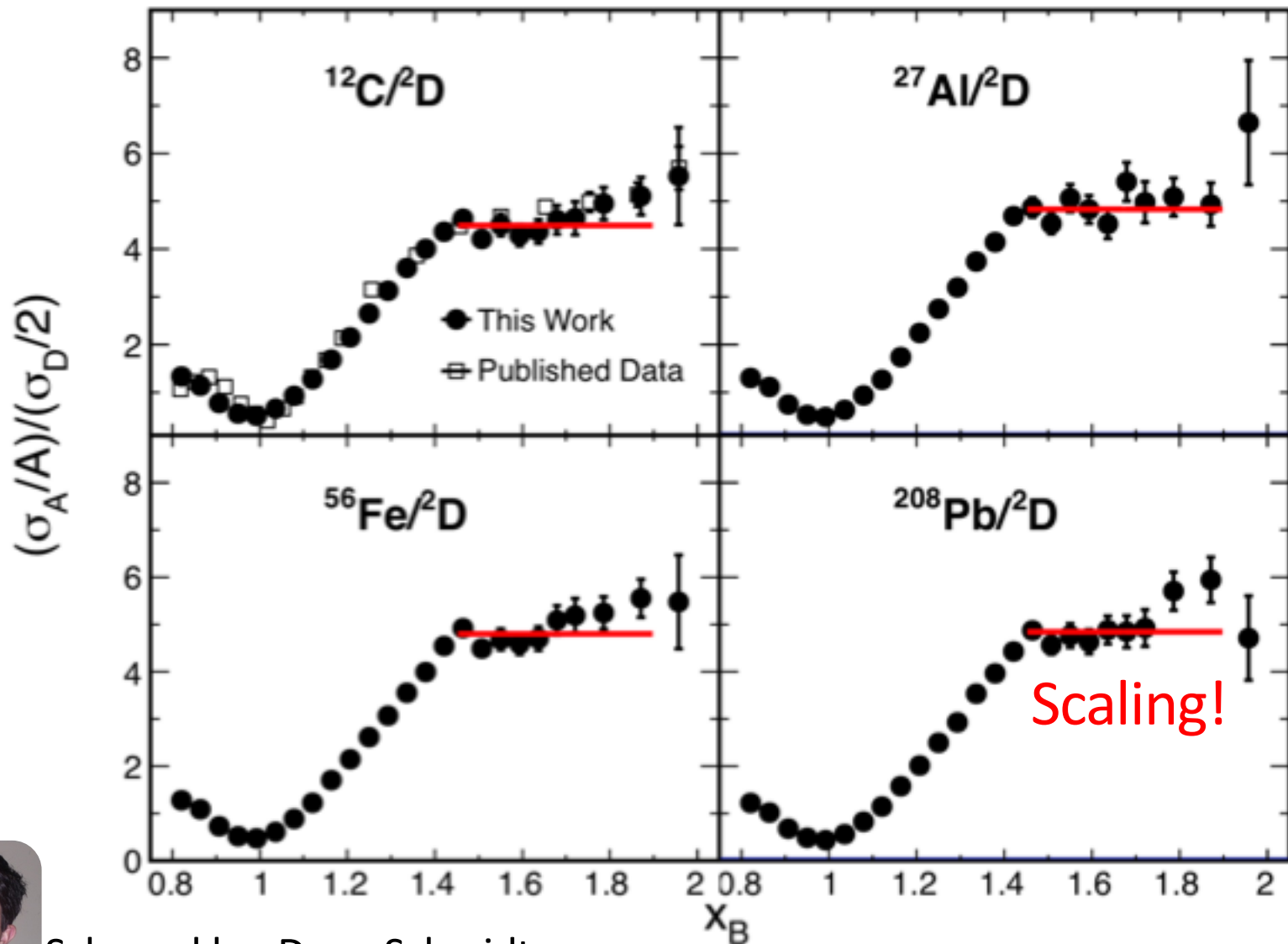
2012 High-Momentum [almost] Scaling



2012 High-Momentum [almost] Scaling



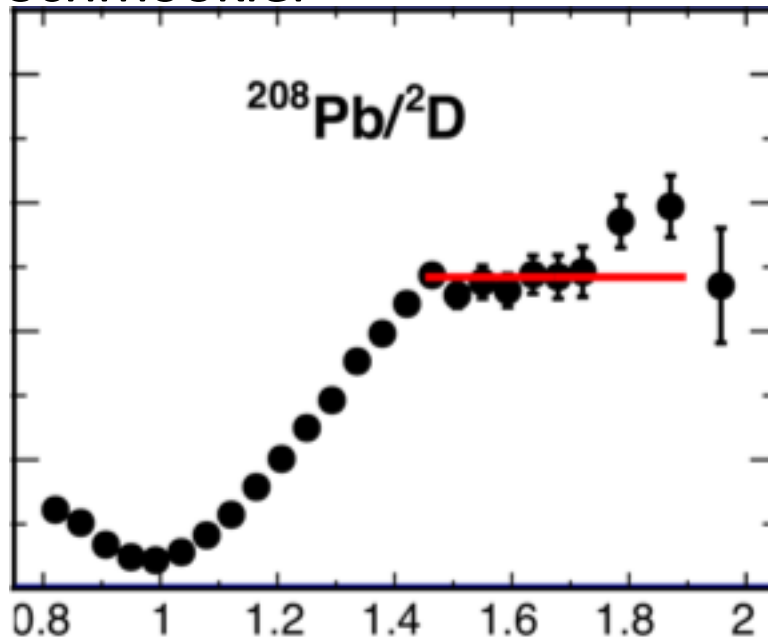
2018 High-Momentum Scaling (!)



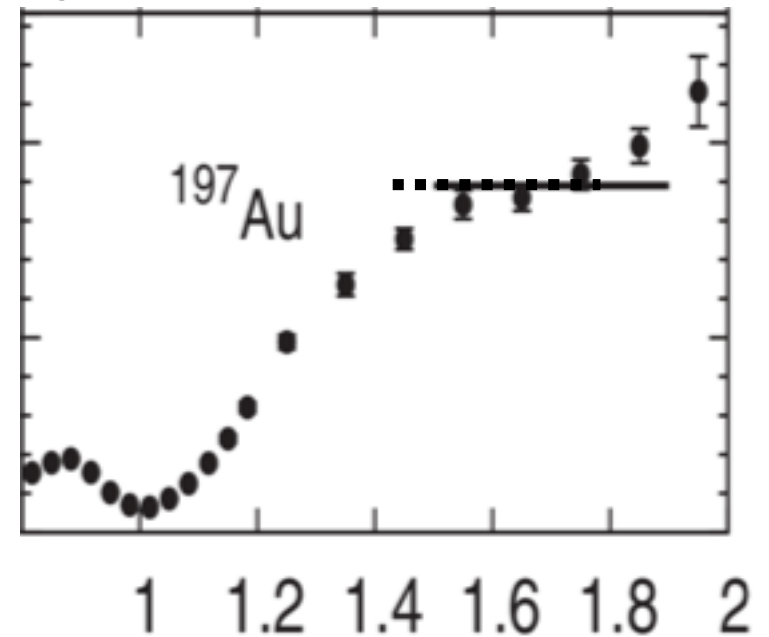
Schmookler, Duer, Schmidt et al., submitted (2018)

2018 High-Momentum Scaling

Schmookler

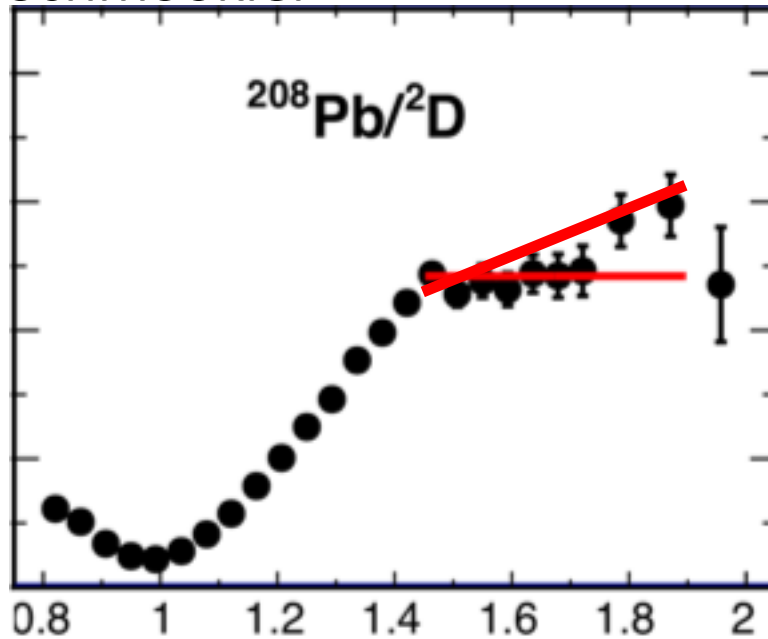


Fomin

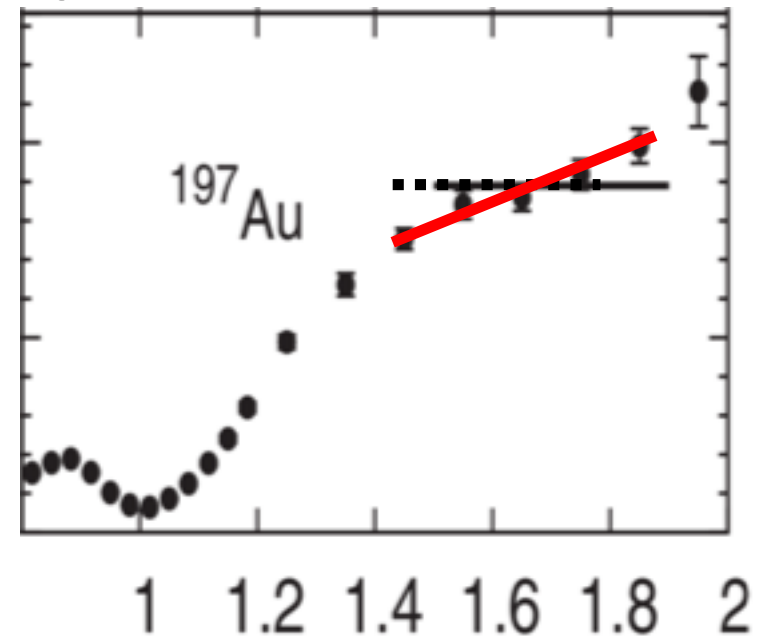


2018 High-Momentum Scaling

Schmookler

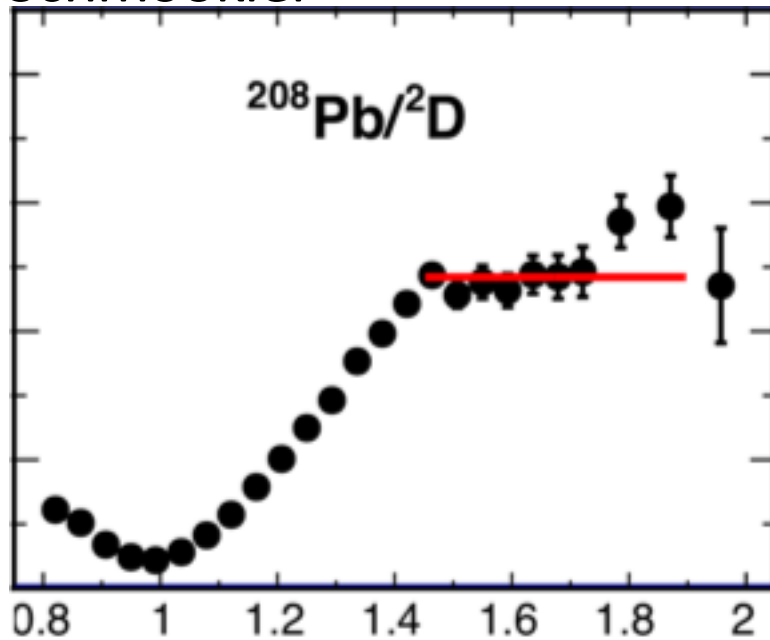


Fomin

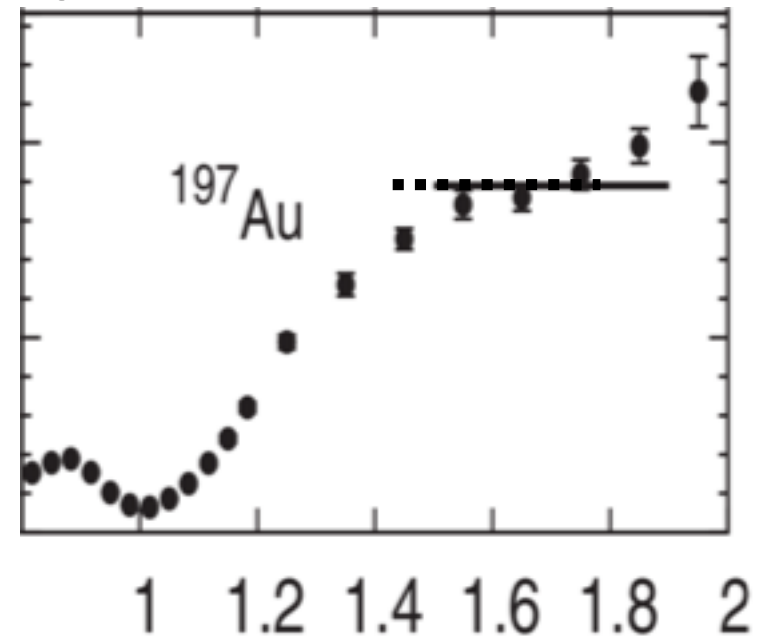


2018 High-Momentum Scaling

Schmookler



Fomin



20% high-p?

- A/d (e,e') ratio @ $x_B > 1.5$: ~ 5
 - AV18 deuteron density above 275 MeV/c: $\sim 4 - 5\%$
- $5 \times 4\% \sim 20\%$

20% high-p?

- A/d (e,e') ratio @ $x_B > 1.5$: ~ 5
 - AV18 deuteron density above 275 MeV/c: $\sim 4 - 5\%$
- $5 \times 4\% \sim 20\%$

$\sim 20\%$ is consistent with VMC using AV18+UIX

20% high-p?

Open questions:

- Similar (?) A/d high-p scaling observed for soft chiral interactions [Lonardoni 2018; Weiss 2018], where Deuteron density above 275 MeV/c \ll 4-5 %
- Experiments sensitive to light-cone densities, NOT momentum densities. No light-cone calc yet...

So... It's all about the NN

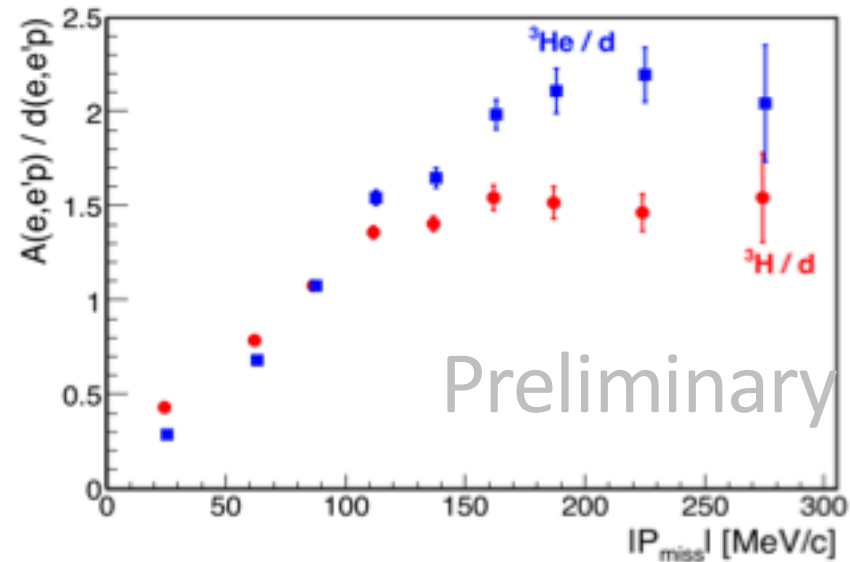
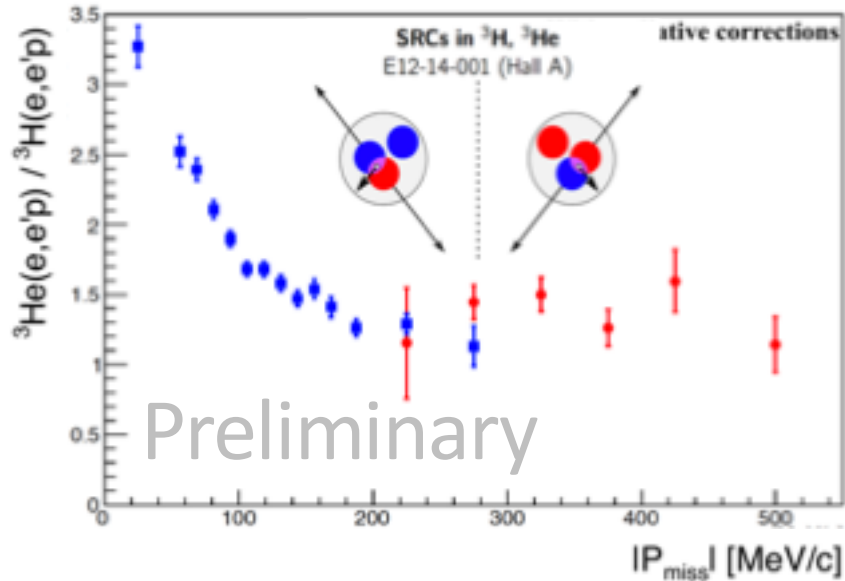
BRACE YOURSELF

DATA

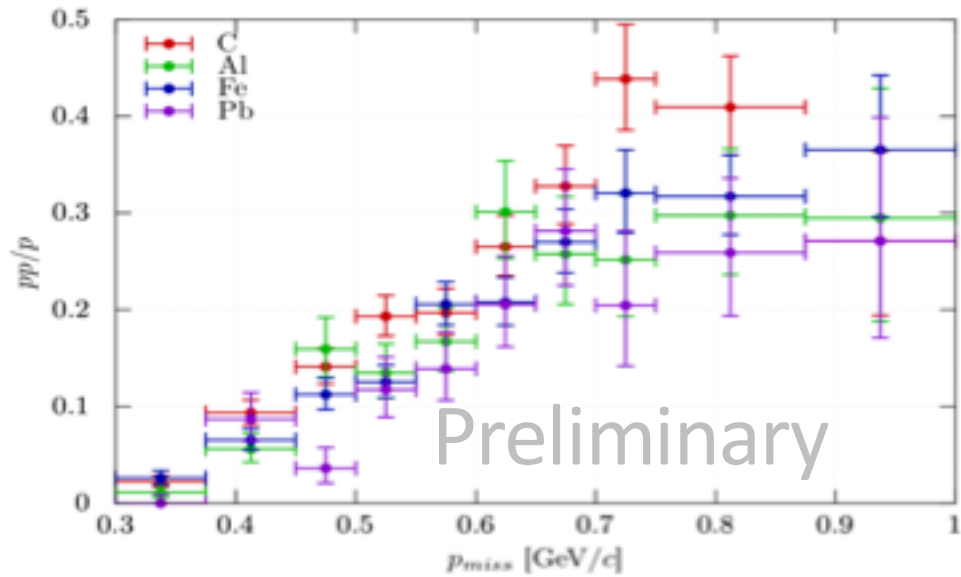
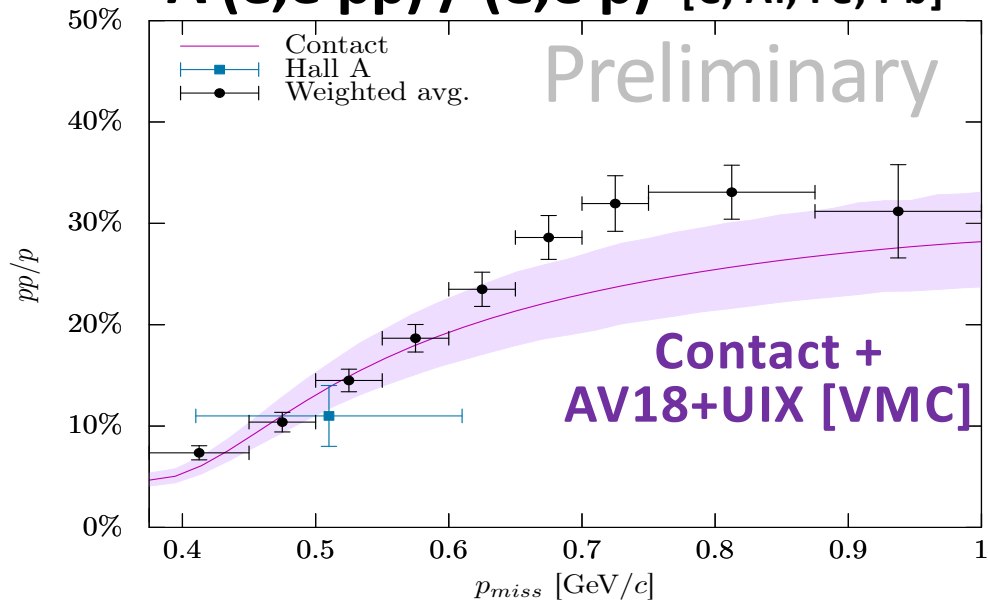
~~WINTER IS COMING~~

Initial work on observables sensitive to NN

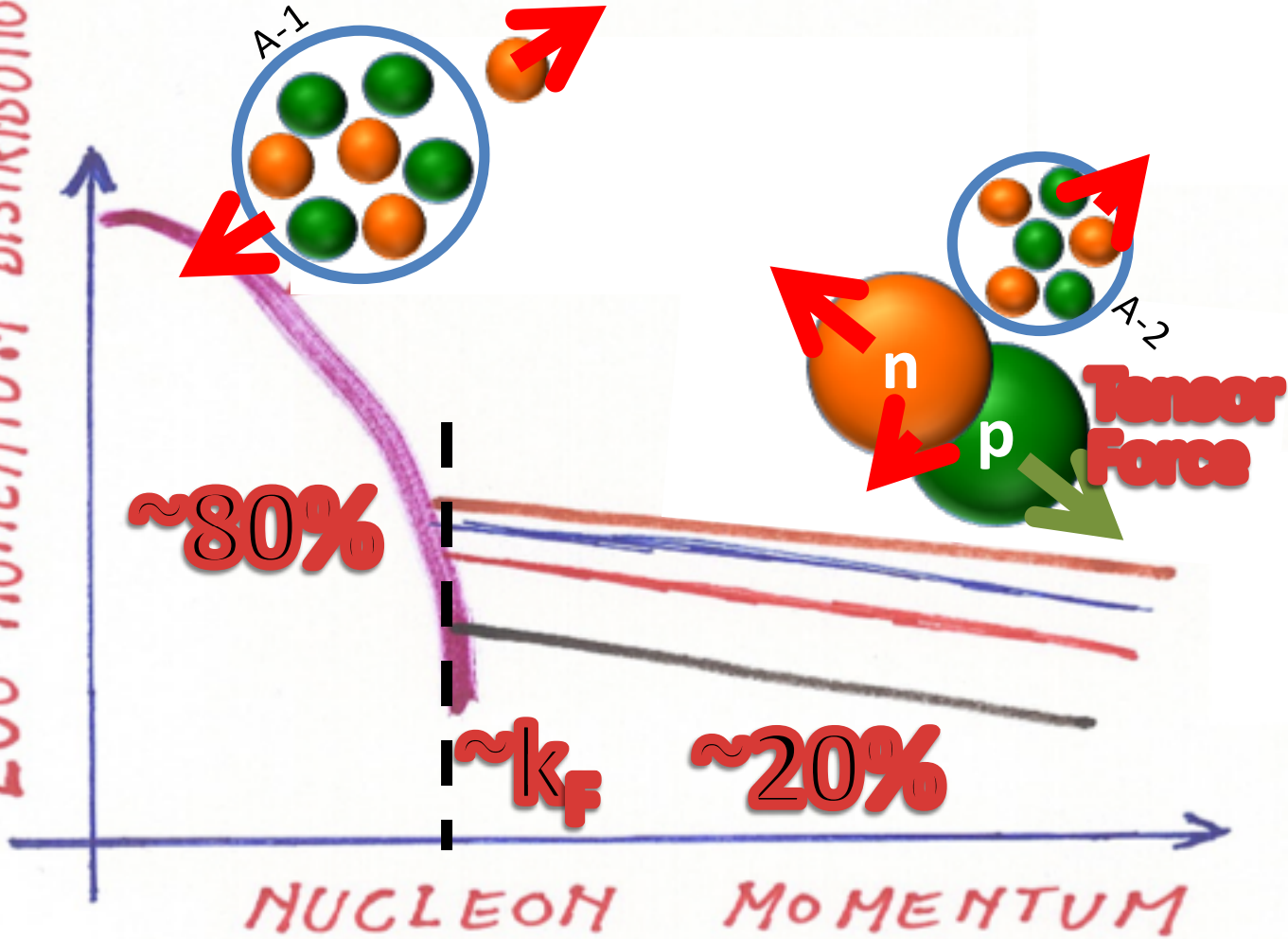
${}^3\text{He} / {}^3\text{H} (e, e'p)$



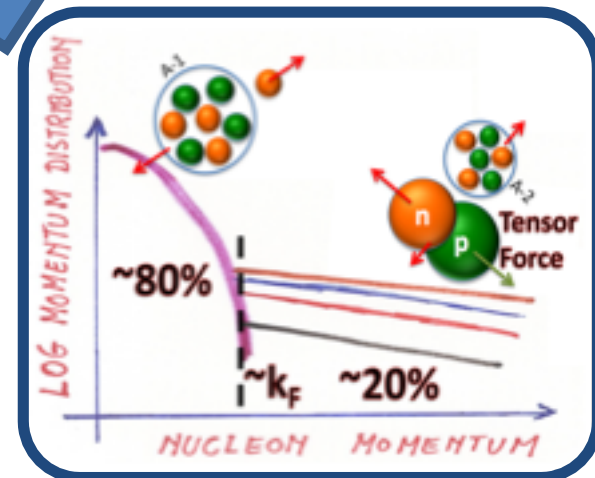
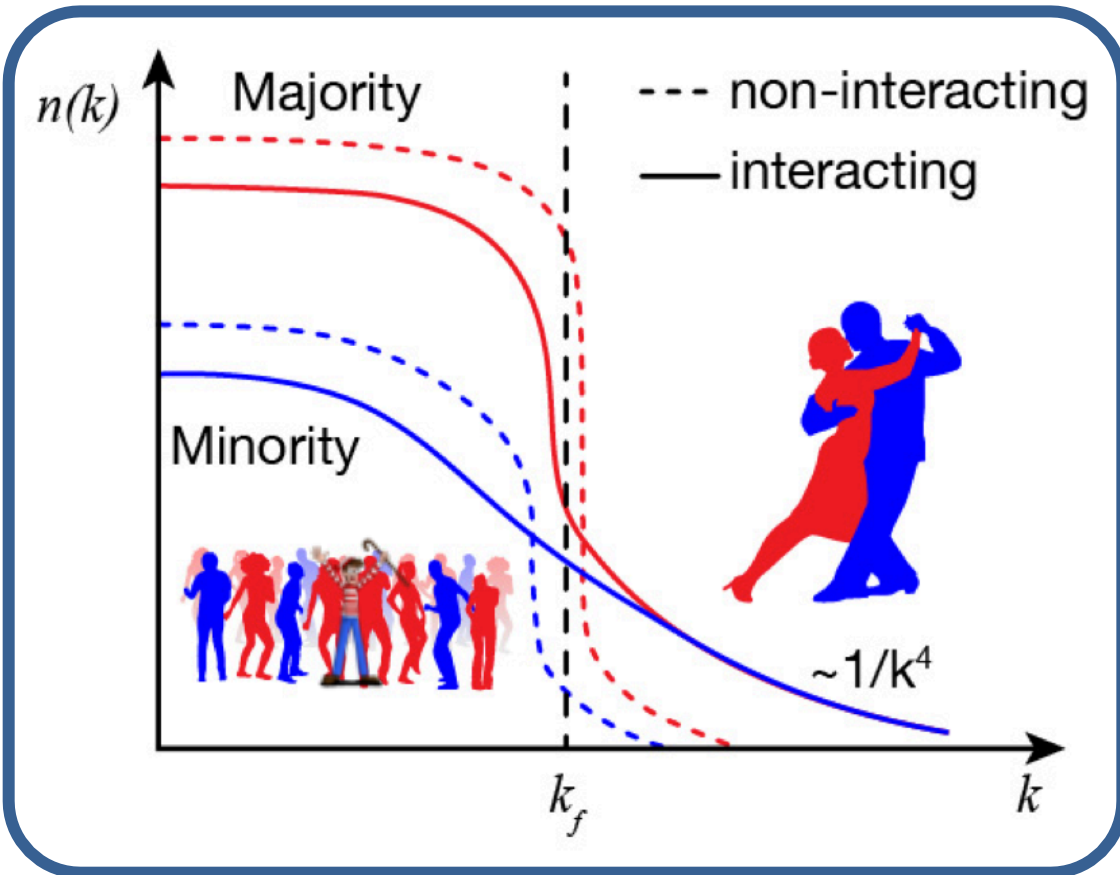
$A(e, e'pp) / (e, e'p)$ [C, Al, Fe, Pb]



LOG MOMENTUM DISTRIBUTION



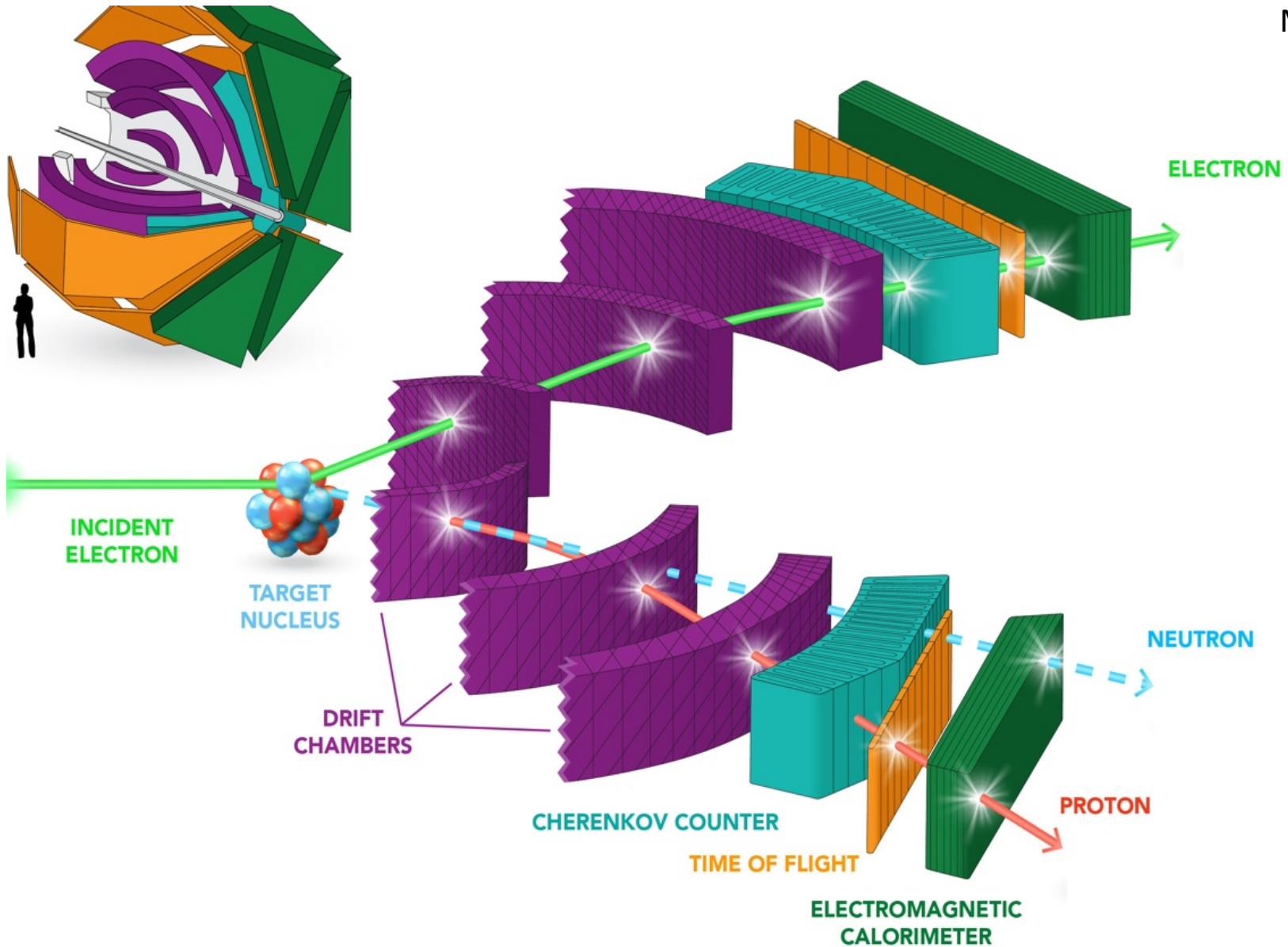
Asymmetric Nuclei?



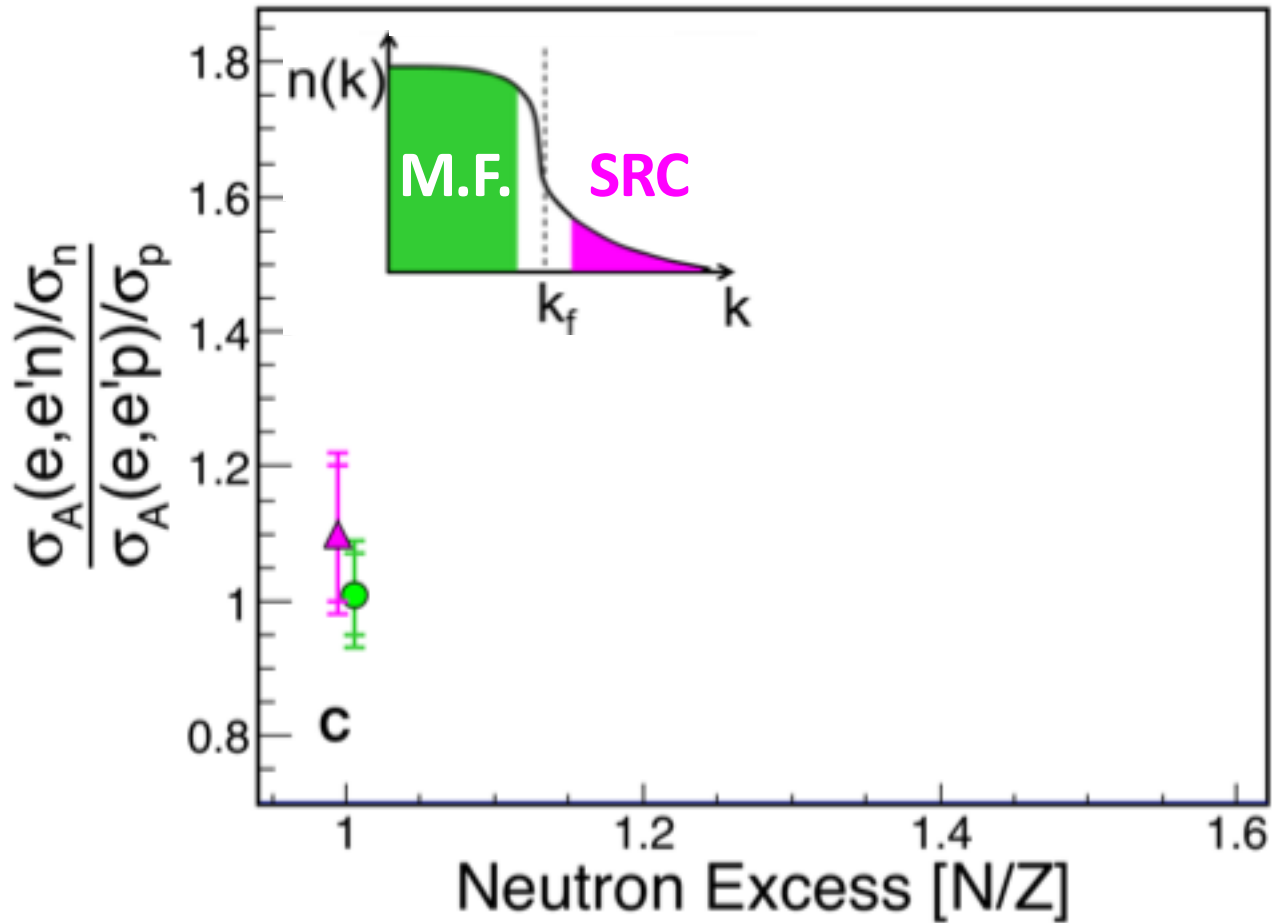
Proton vs. Neutron Knockout



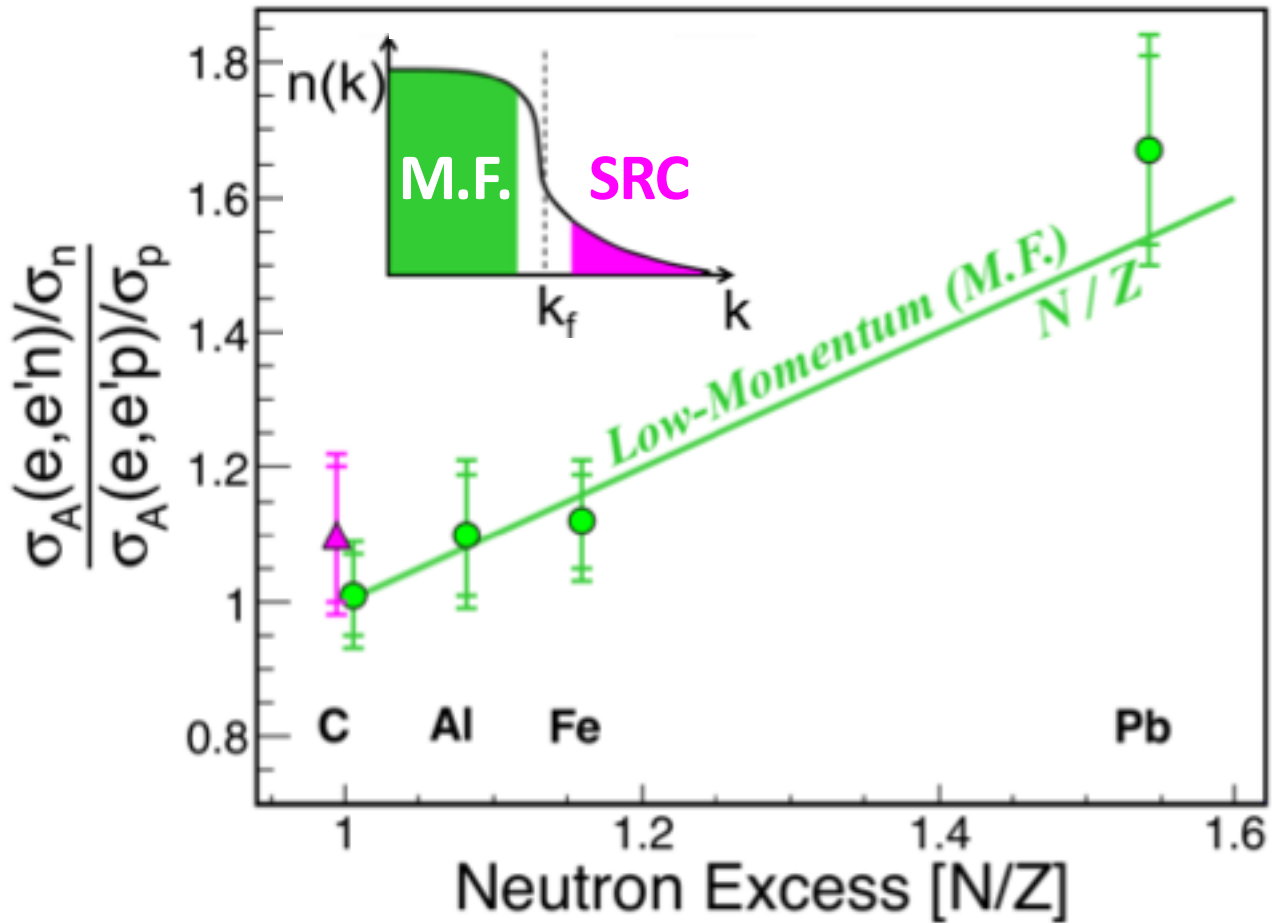
M. Duer



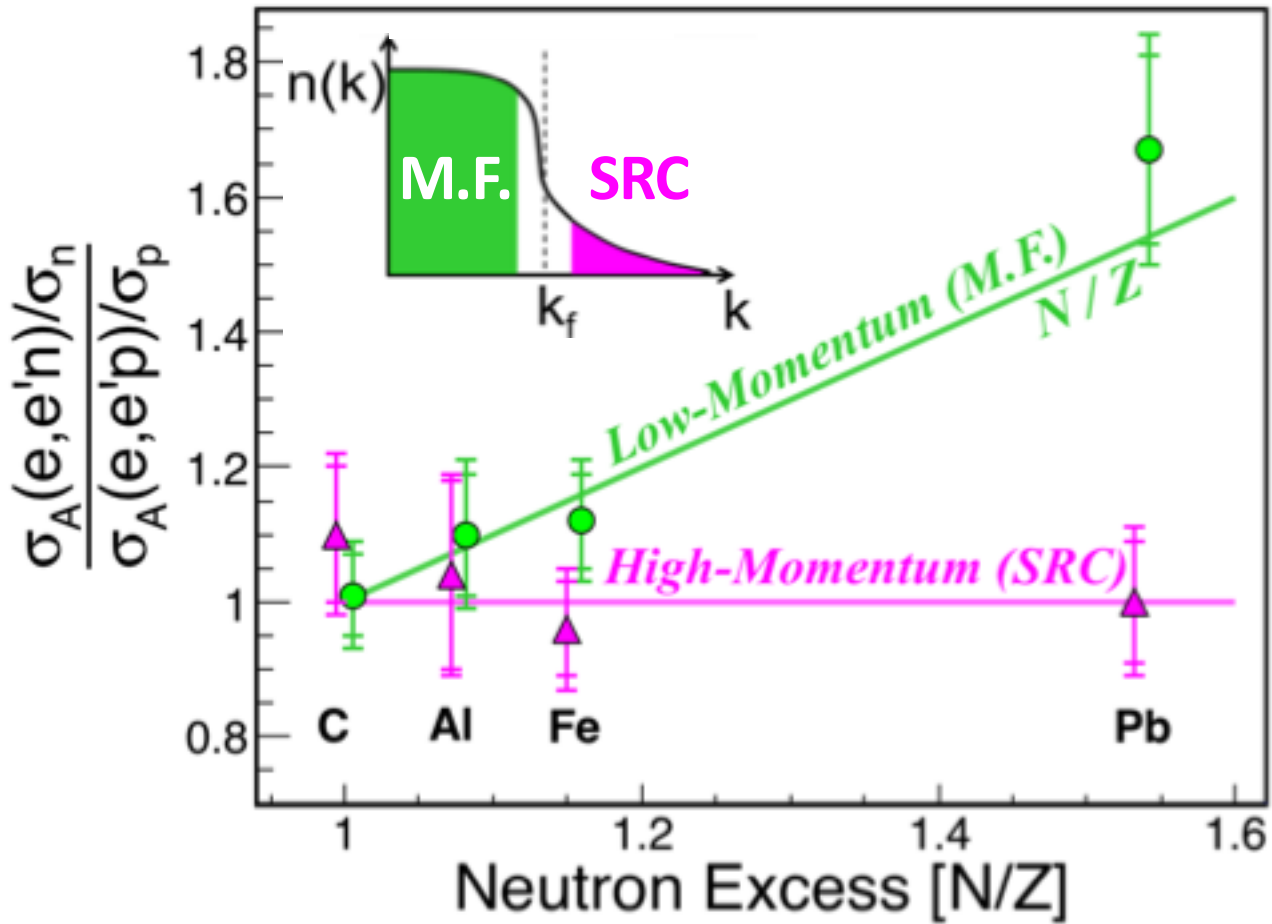
Proton / Neutron Populations



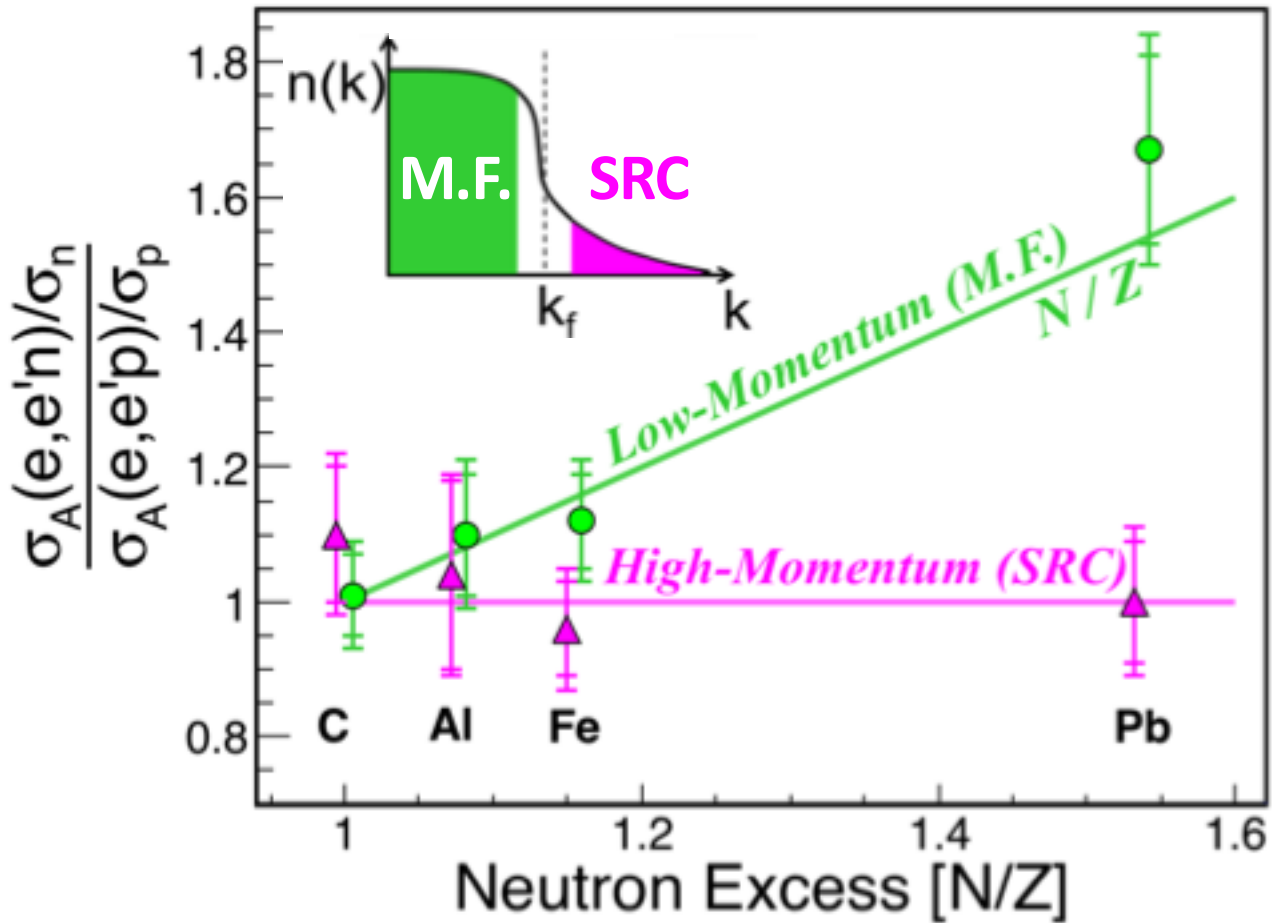
Mean-Field: $n/p \sim N/Z$



SRC: $n/p \sim 1$



→ Same # of high-momentum protons and neutrons



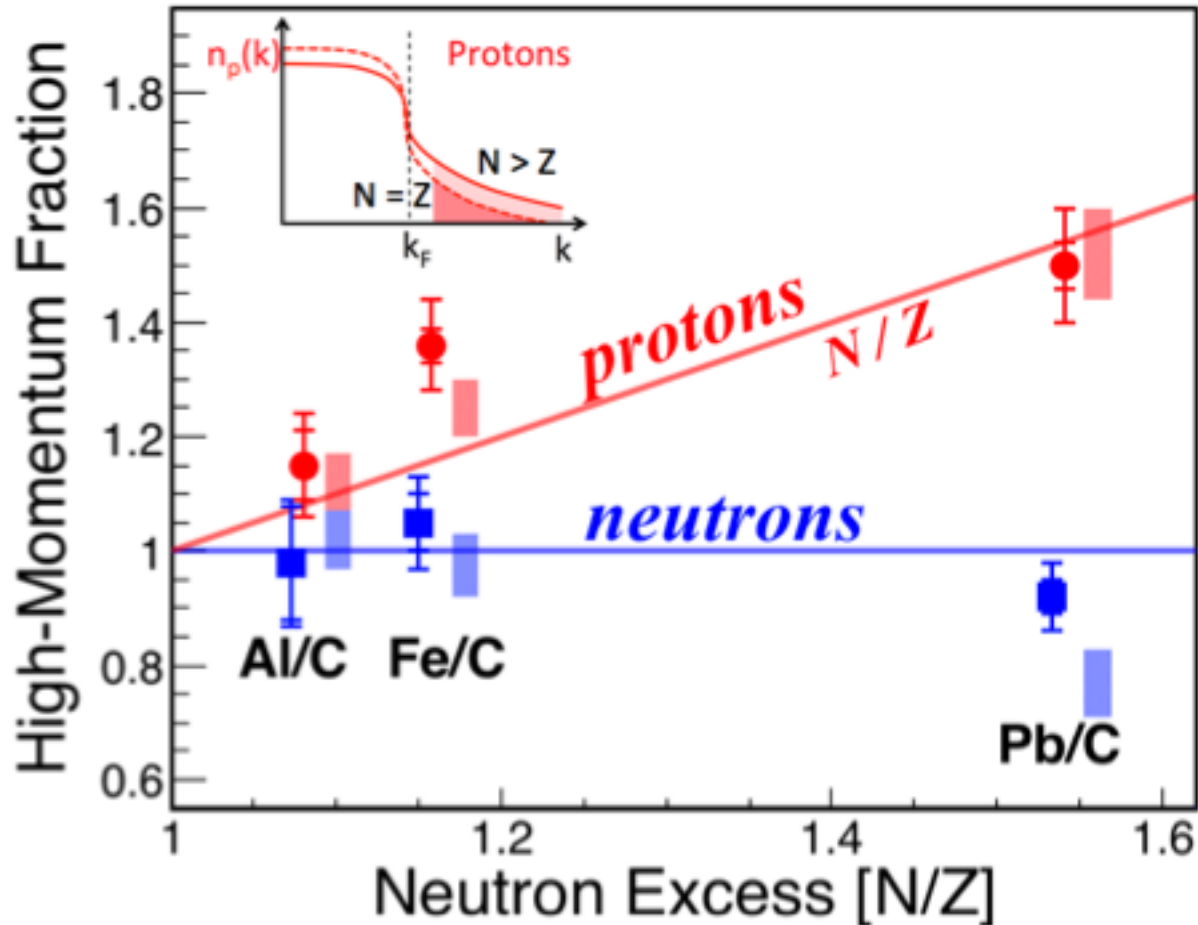
What do the outer neutrons do?

don't
correlate?

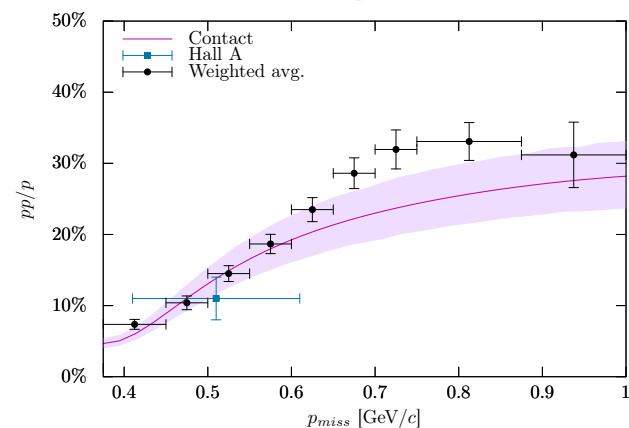
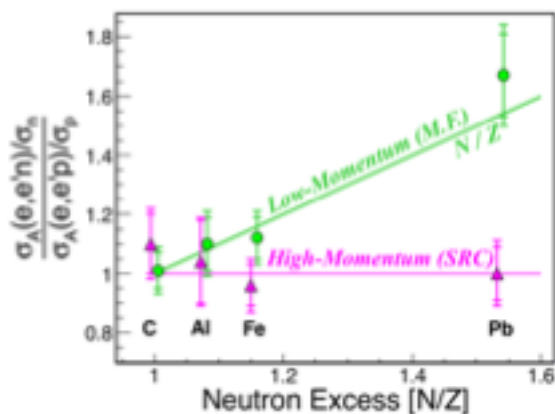
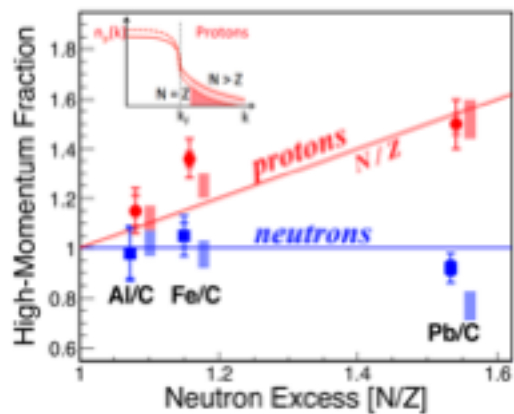
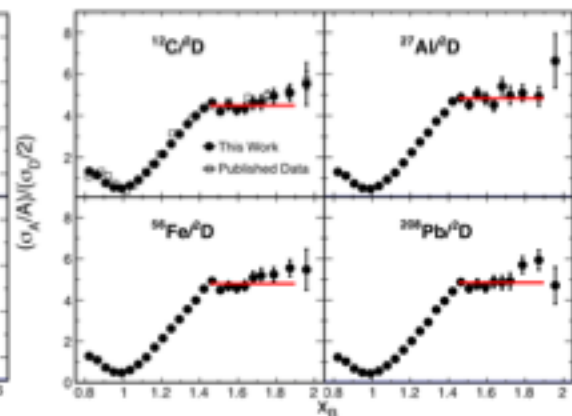
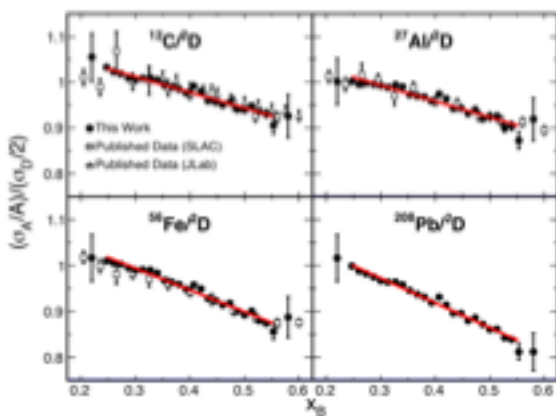
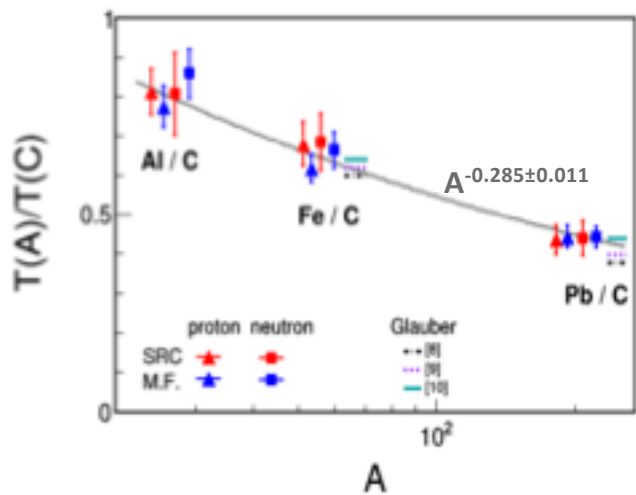
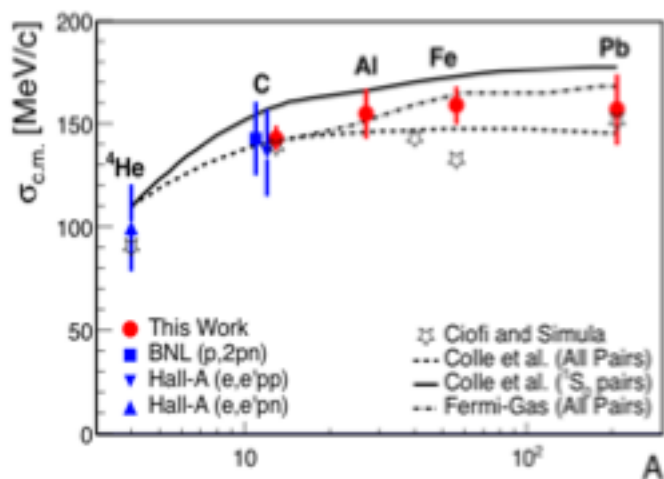
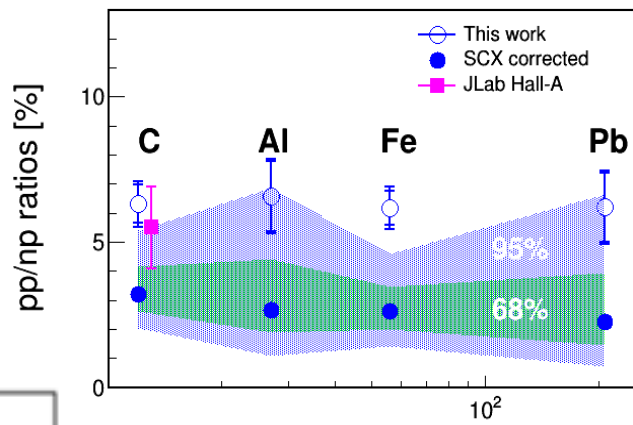
correlate with
core protons?



Correlation Probability: Neutrons saturate Protons grow



New Exp. Results!



There's more to come...

- Constraining the repulsive core of the NN interaction via $A(e,e'pp)/A(e,e'p)$
- Tagged EMC and SRC measurements via $A(e,e'p_{\text{precoil}})$
- SRC dynamics in few-body systems via ${}^{3,4}\text{He}(e,e'N)$ & ${}^{3,4}\text{He}(e,e'Np)$
- 3N-SRC searches in exclusive channels via $A(e,e'ppp)$; $A(e,e'npp)$ and $A(e,e'ppn)$
- Electrons 4 Neutrinos **[See talk by Adi]**

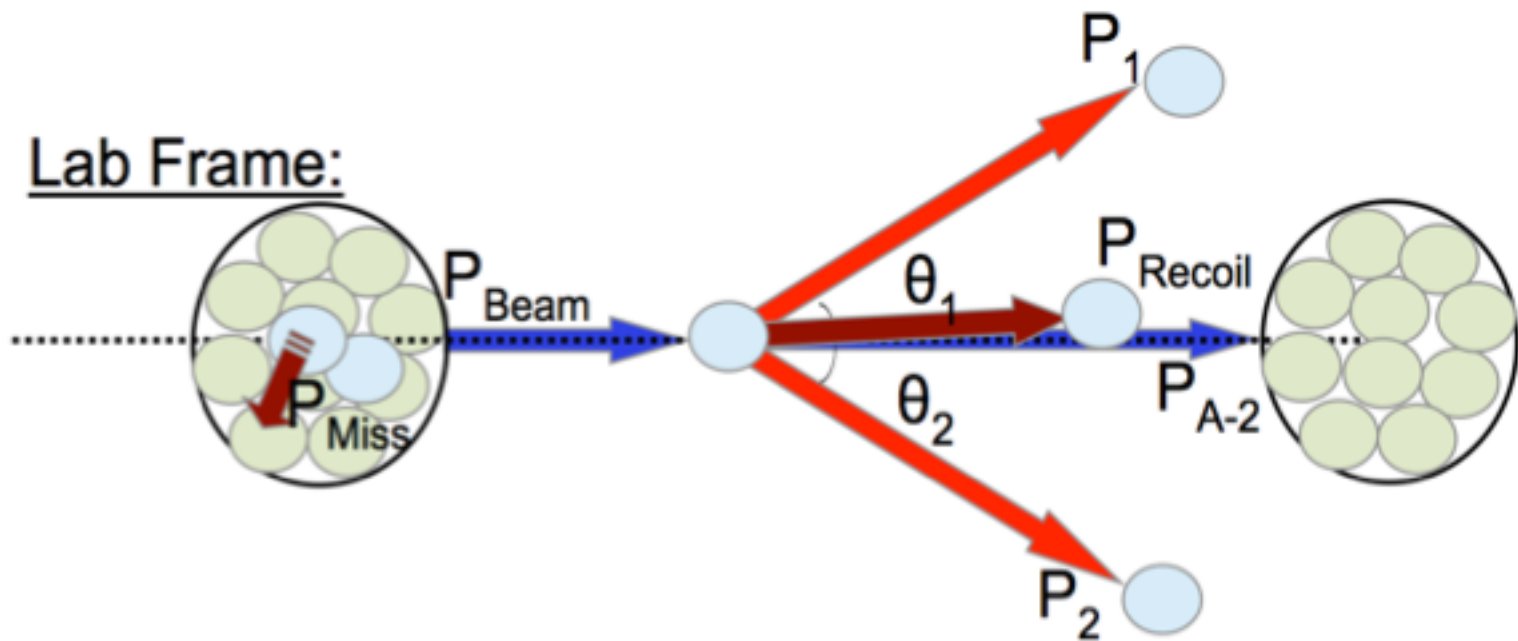


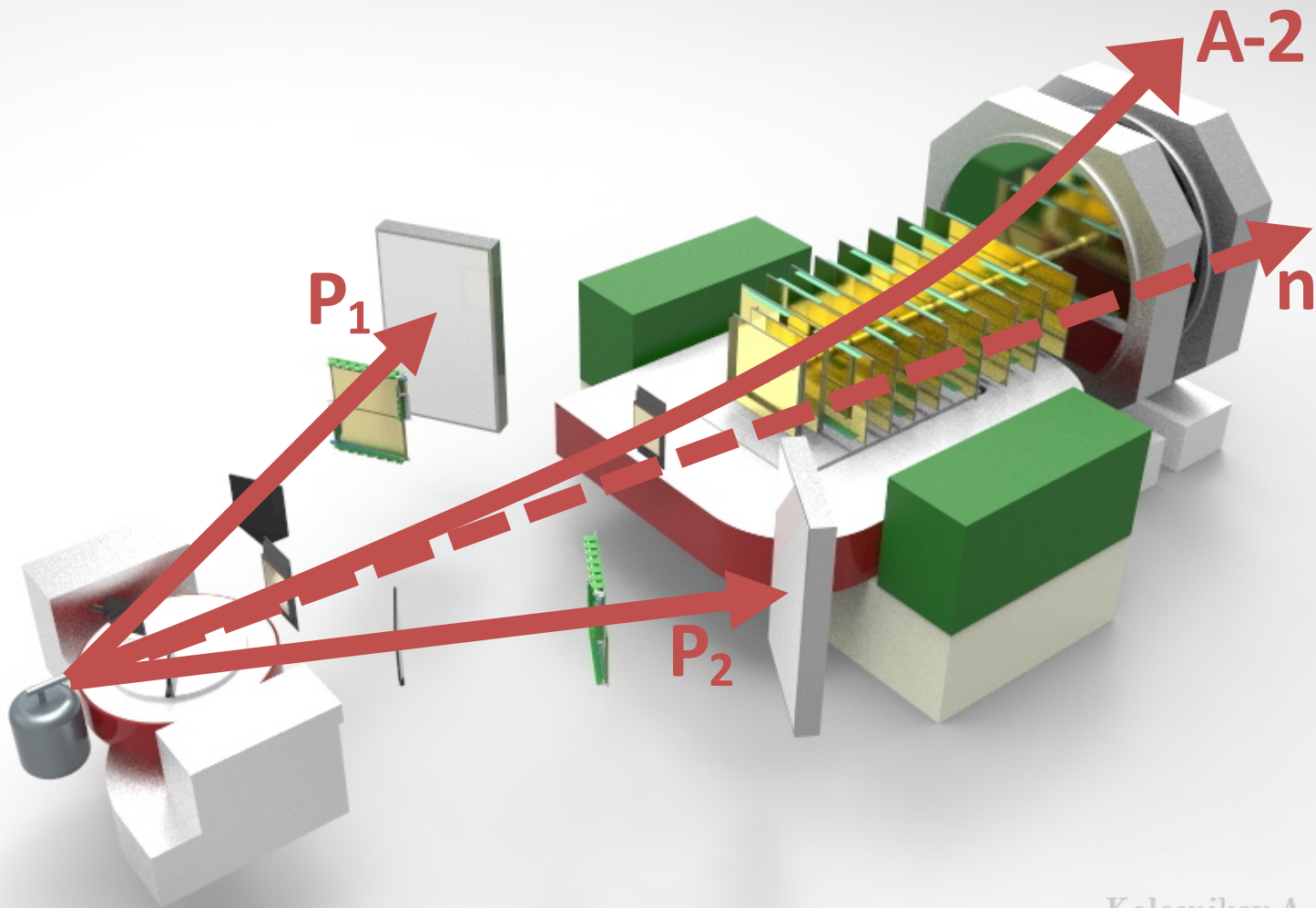
A. Achmidt



Going Fully Exclusive @ JINR

1st measurement in inverse kinematics;
probing the residual A-2 nuclear system!





Kolesnikov A.



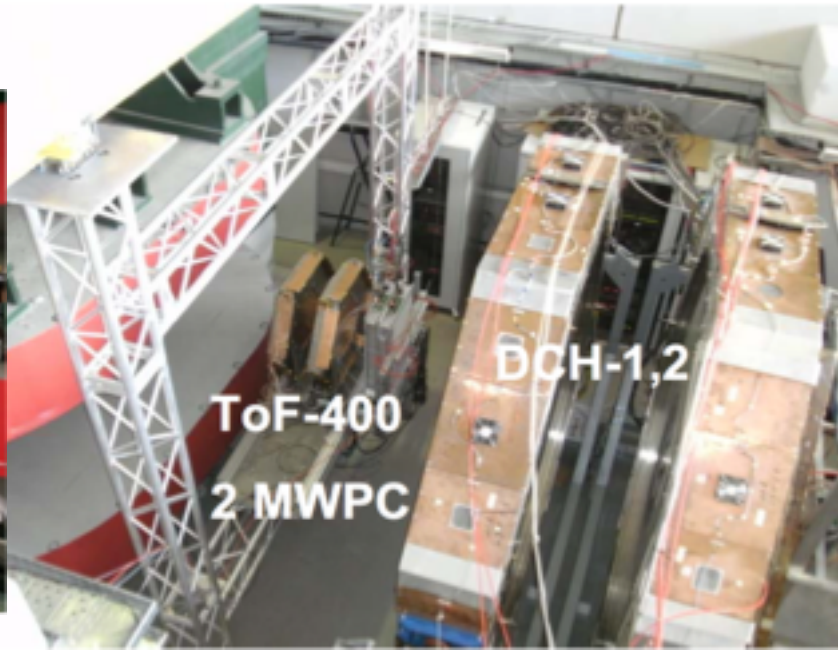
G. Laskaris



M. Patsyuk



E. Segarra



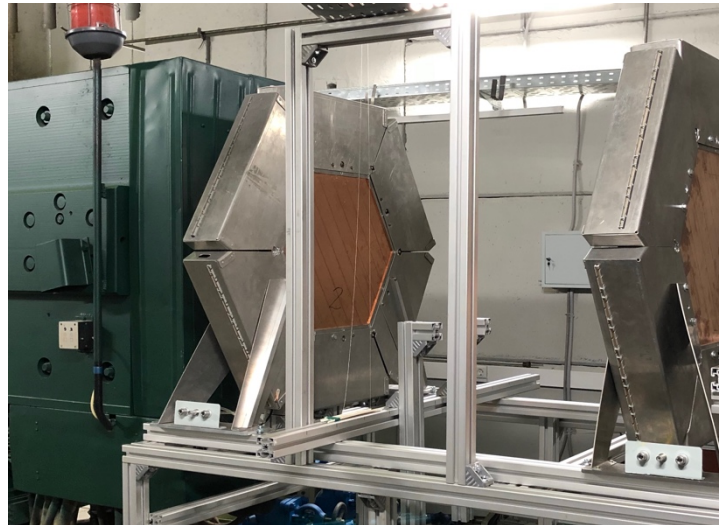
G. Laskaris



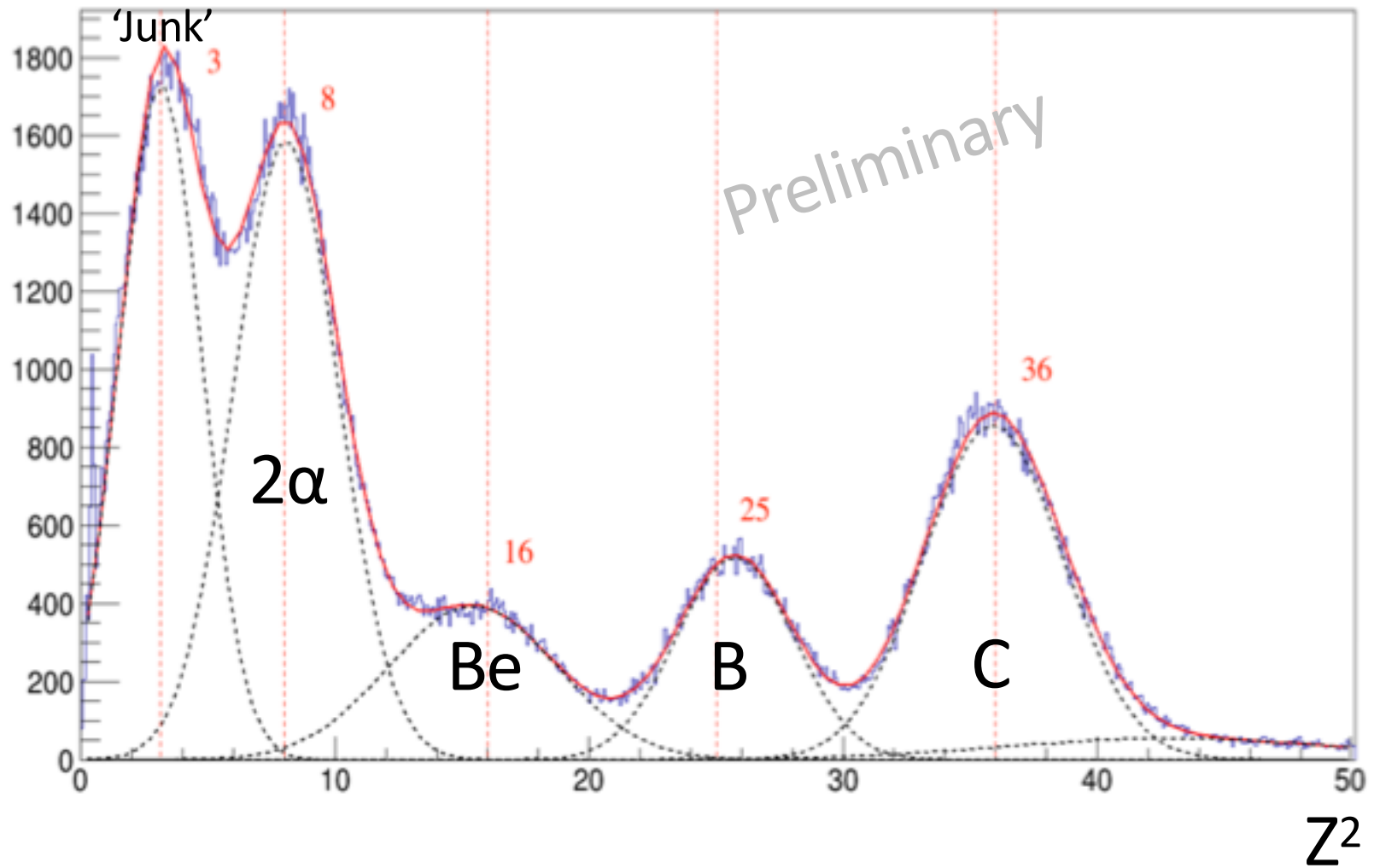
M. Patsyuk



E. Segarra



'A-2' System



ASK ME



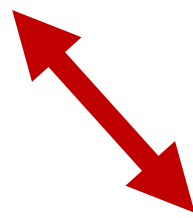
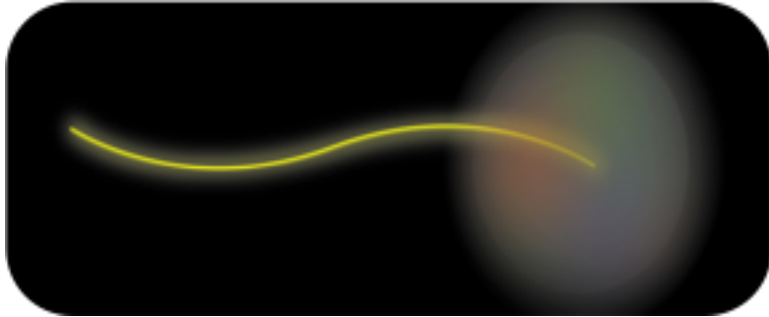
IF I CARE

Short-Range Correlations Or Hen (MIT)

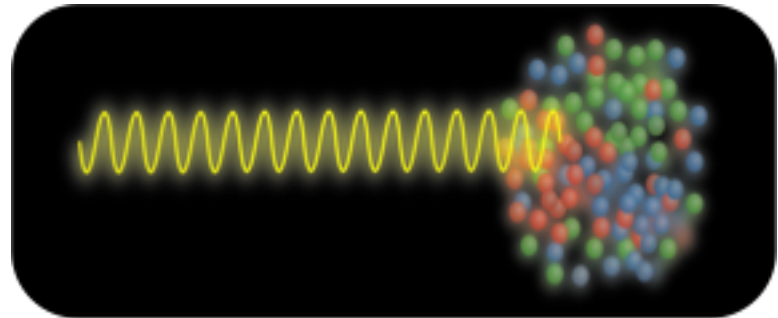
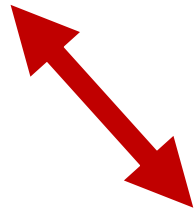
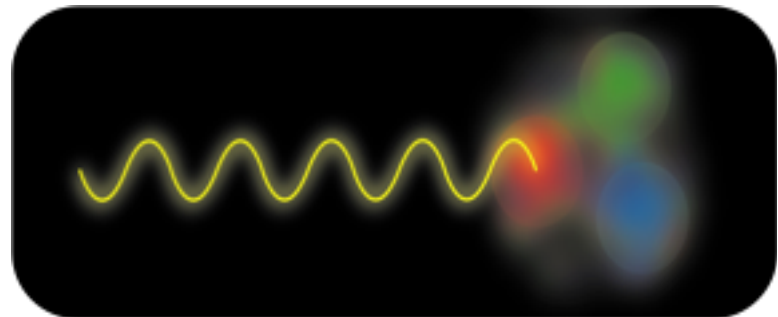
- (new) Exp. results
- **(new) Implications**
- (new) Theory results



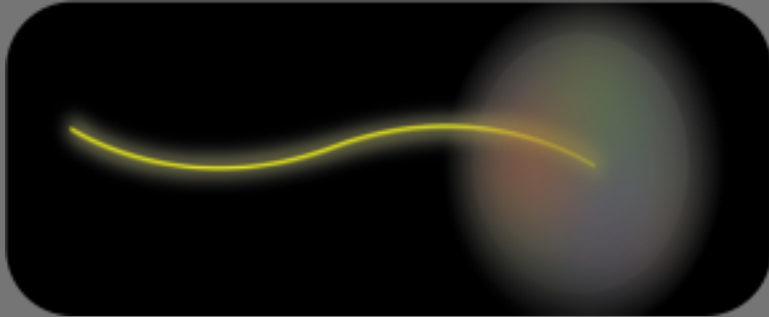
Physics is resolution dependent



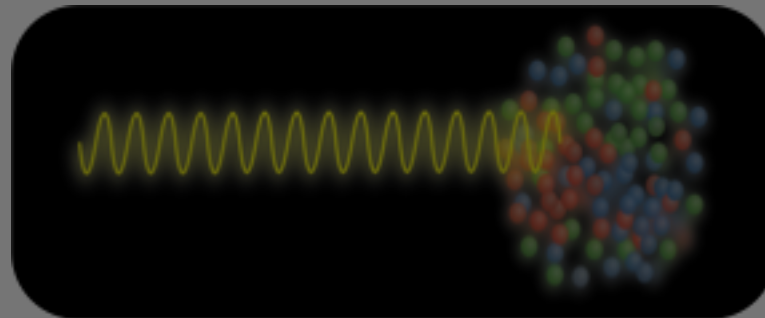
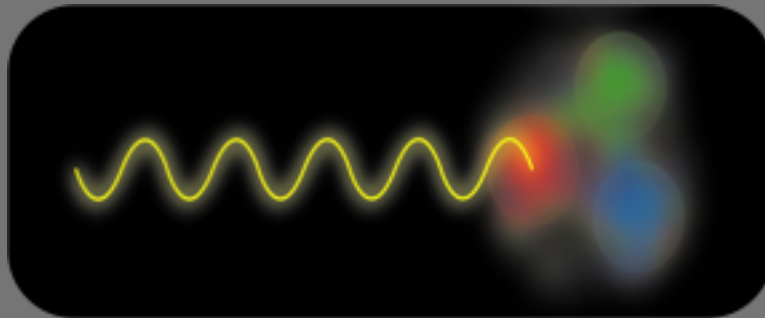
SRC play an important role across resolutions



Physics is resolution dependent

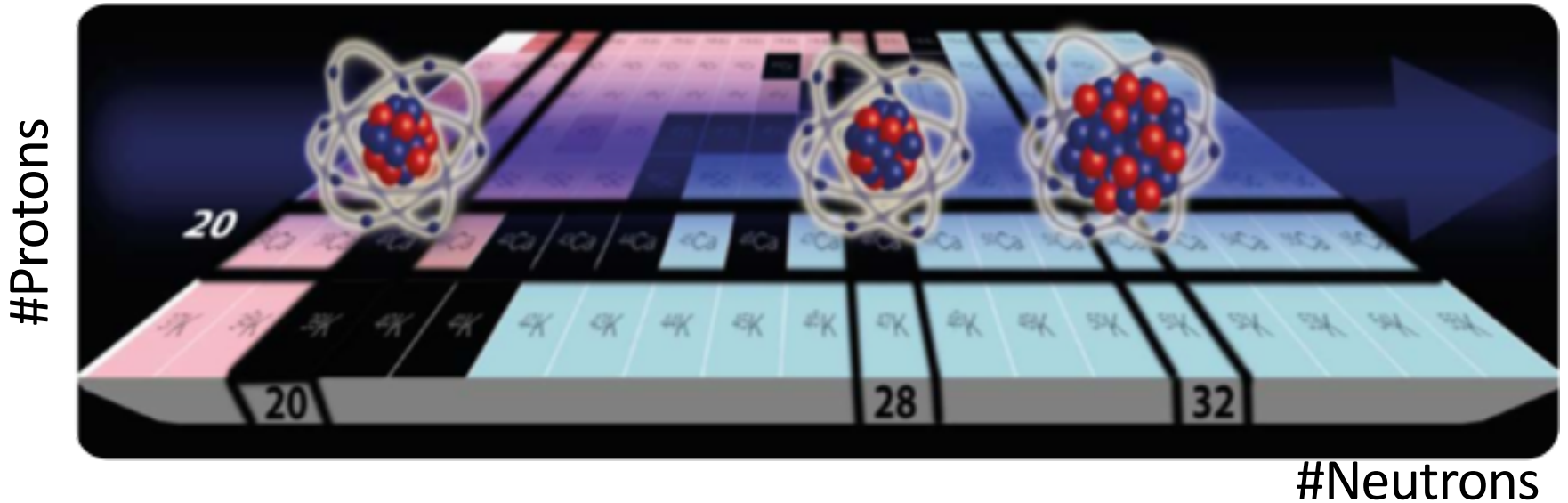


SRC play an important role across resolutions



Proton Charge Radii of neutron rich nuclei

Add *neutrons* => Measure impact on *protons*
=> Learn about proton-neutron pairing

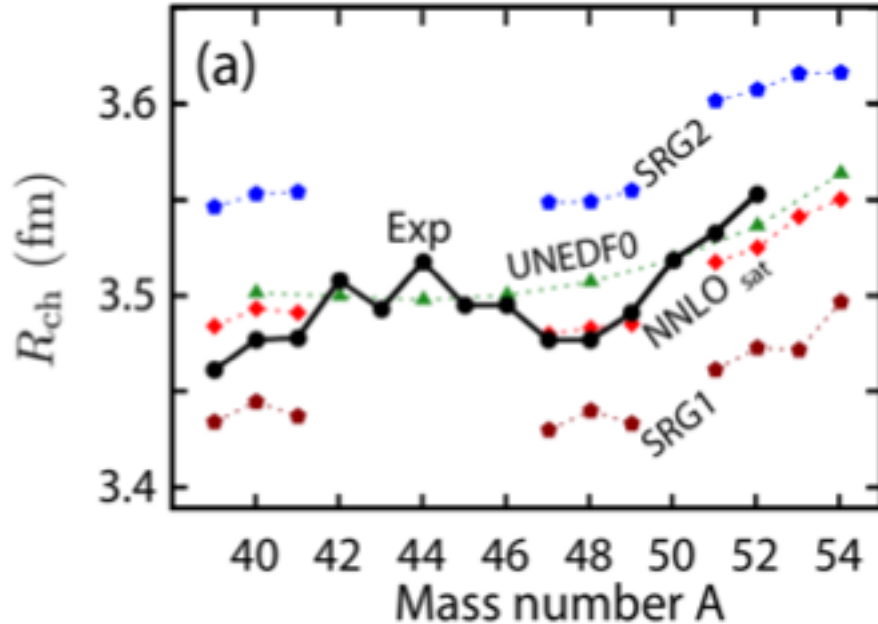


Ab-Initio Under Predict....

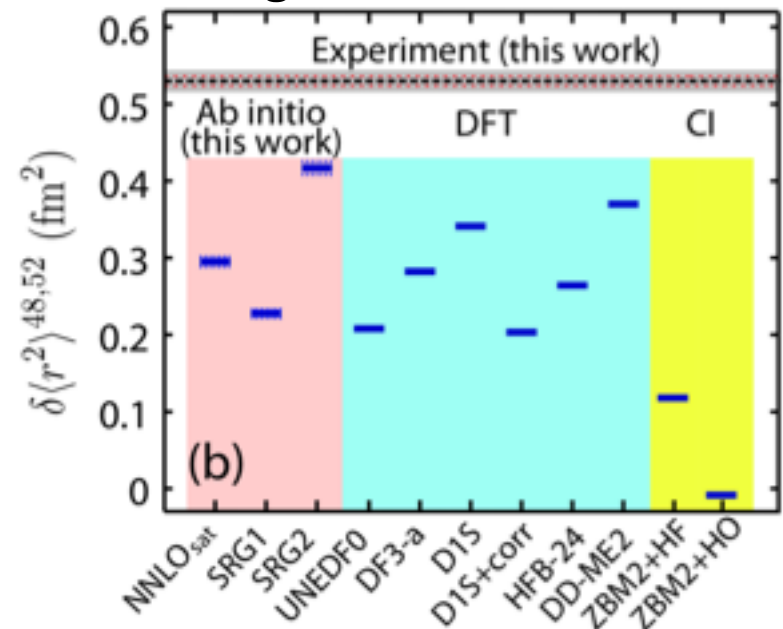
Specifically under predict the measured charge radius increase from ^{48}Ca to ^{52}Ca

These calculations truncate SRCs by evolving the wave function but not the radius operator

Charge radii

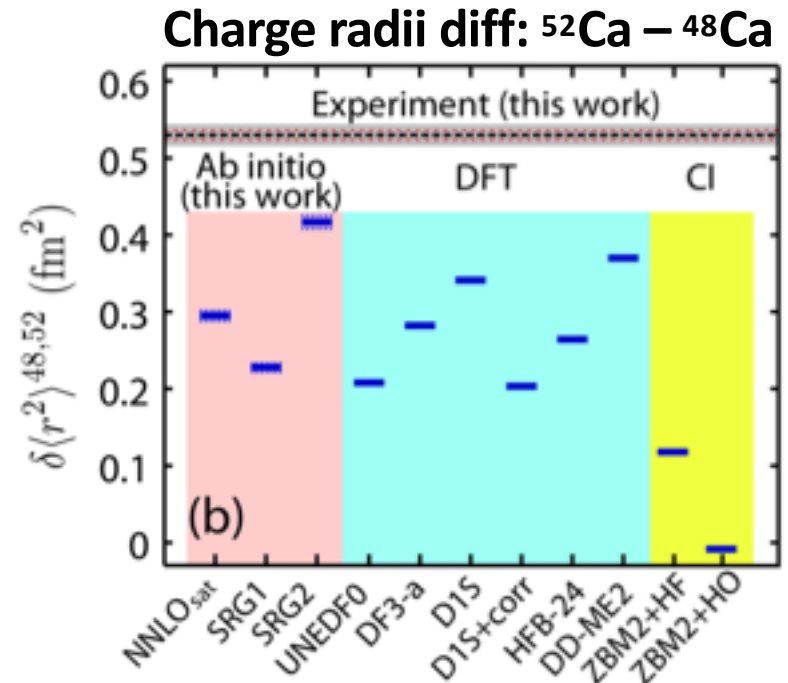
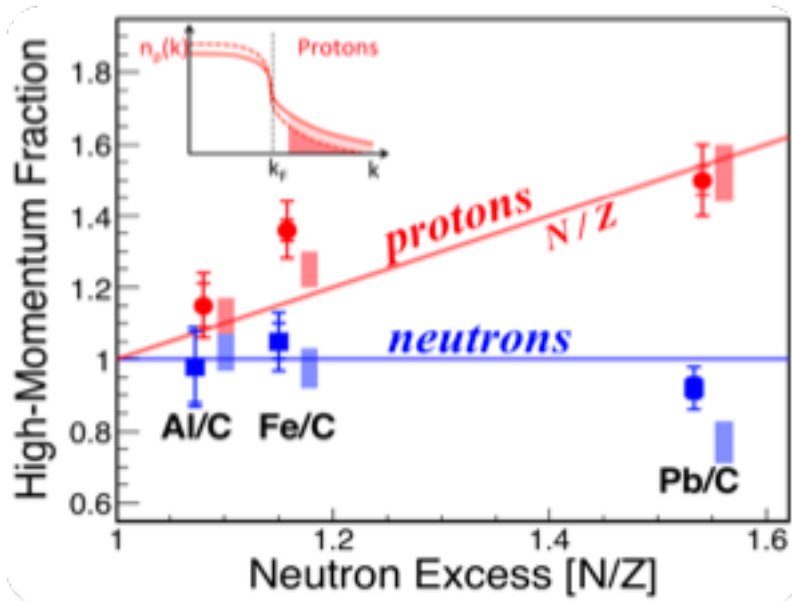


Charge radii diff: $^{52}\text{Ca} - ^{48}\text{Ca}$



SRCs not Included in the Calculations

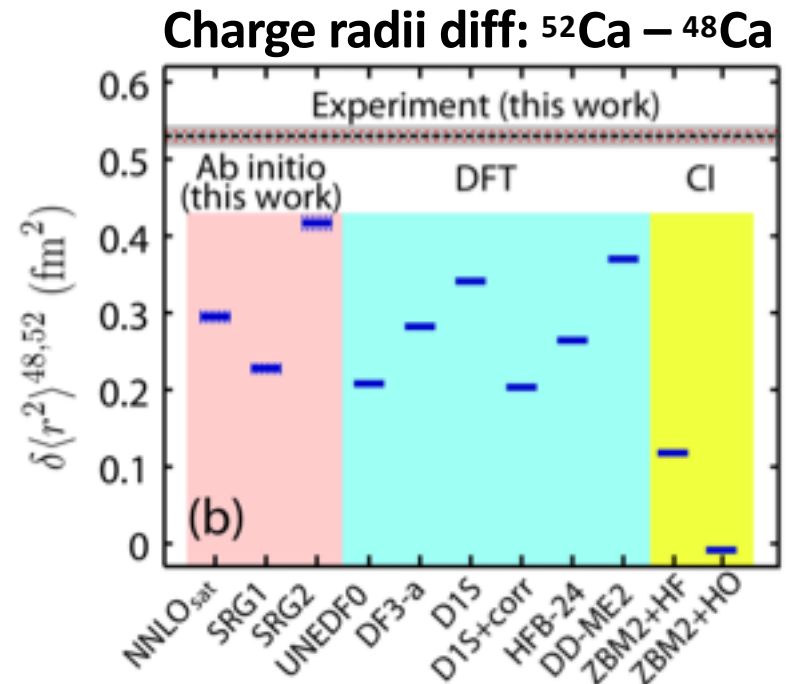
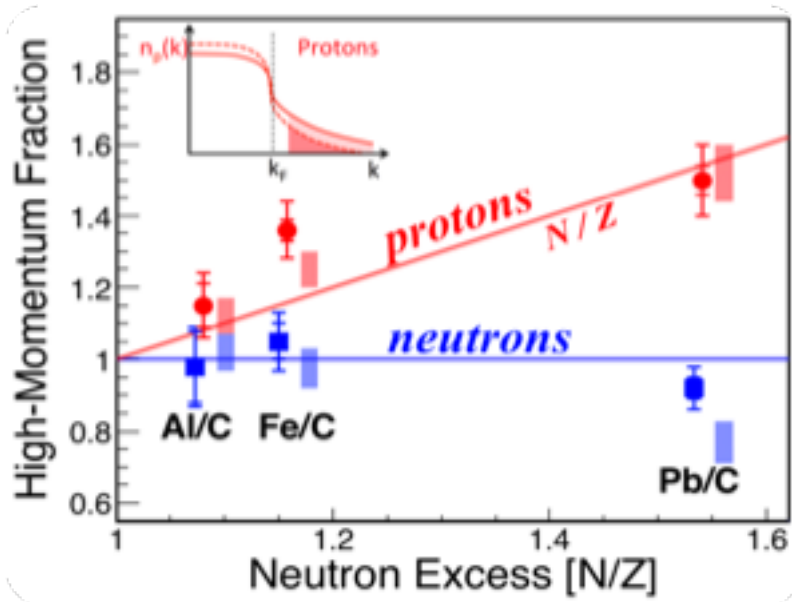
np-SRCs of core protons & outer neutrons:
pull out protons, increasing their radius?



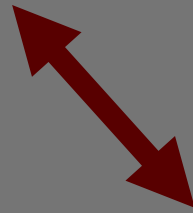
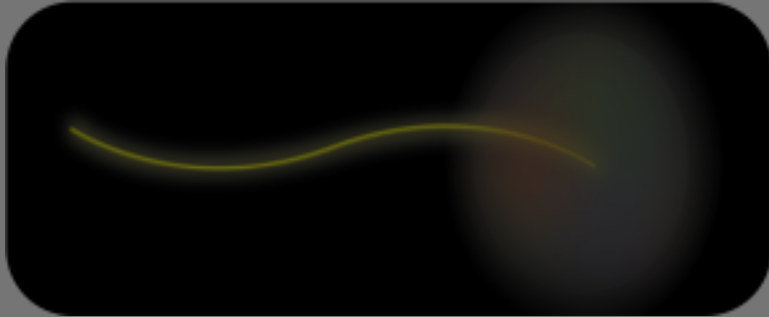
SRCs Can Account for the Difference!

Our estimation for the impact of np-SRCs:

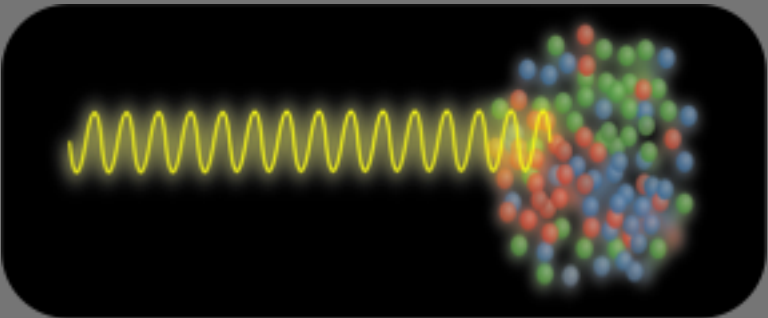
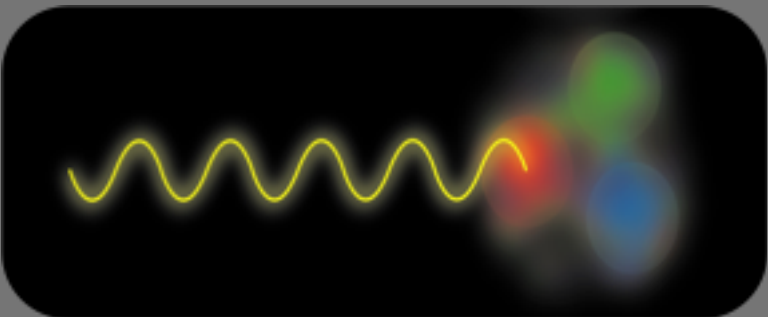
$${}^{49}\text{Ca} - {}^{48}\text{Ca}: \delta_{SRC} \langle r^2 \rangle = 0.15 \text{ fm}^2$$



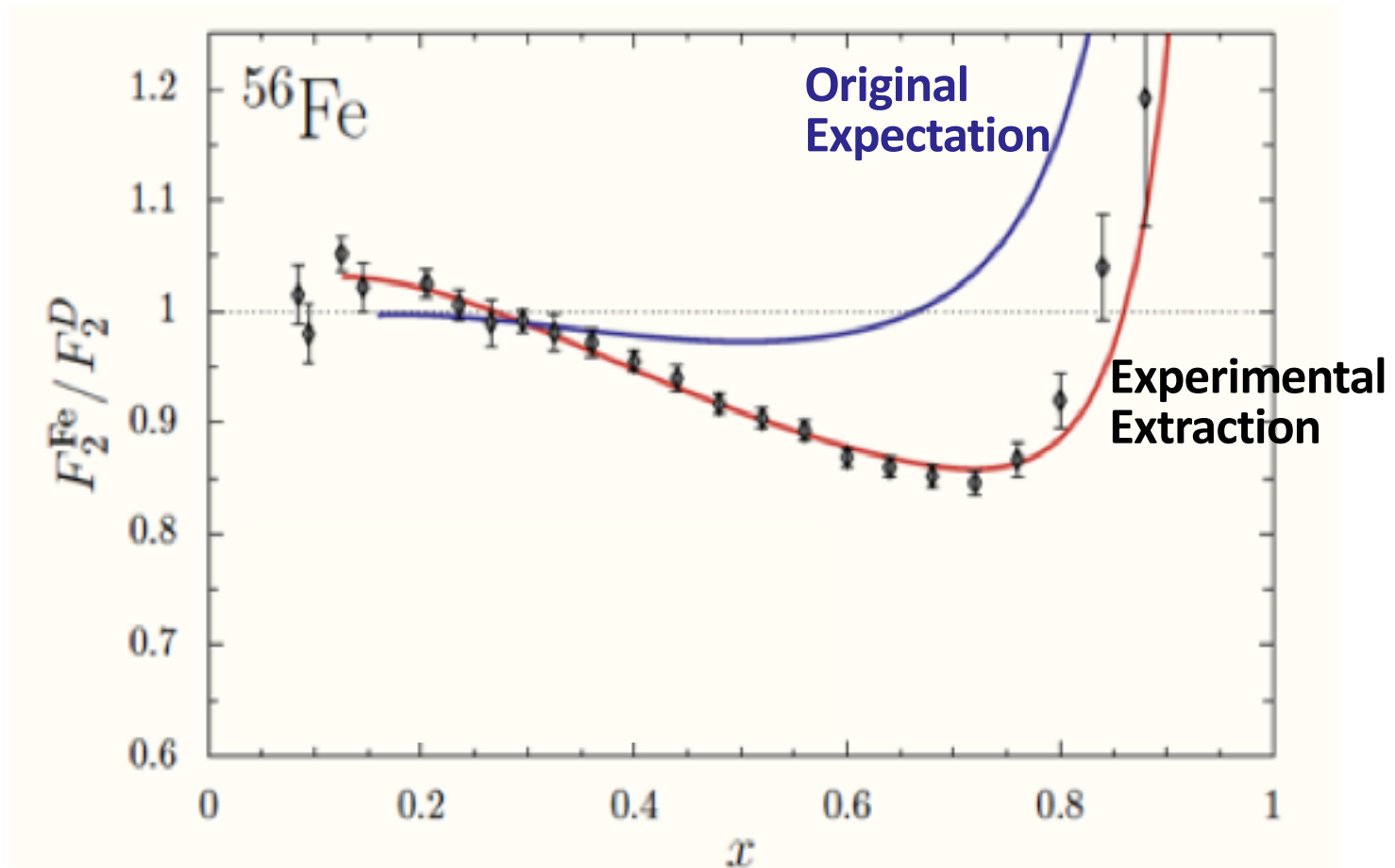
Physics is resolution dependent



SRC play an important role across resolutions

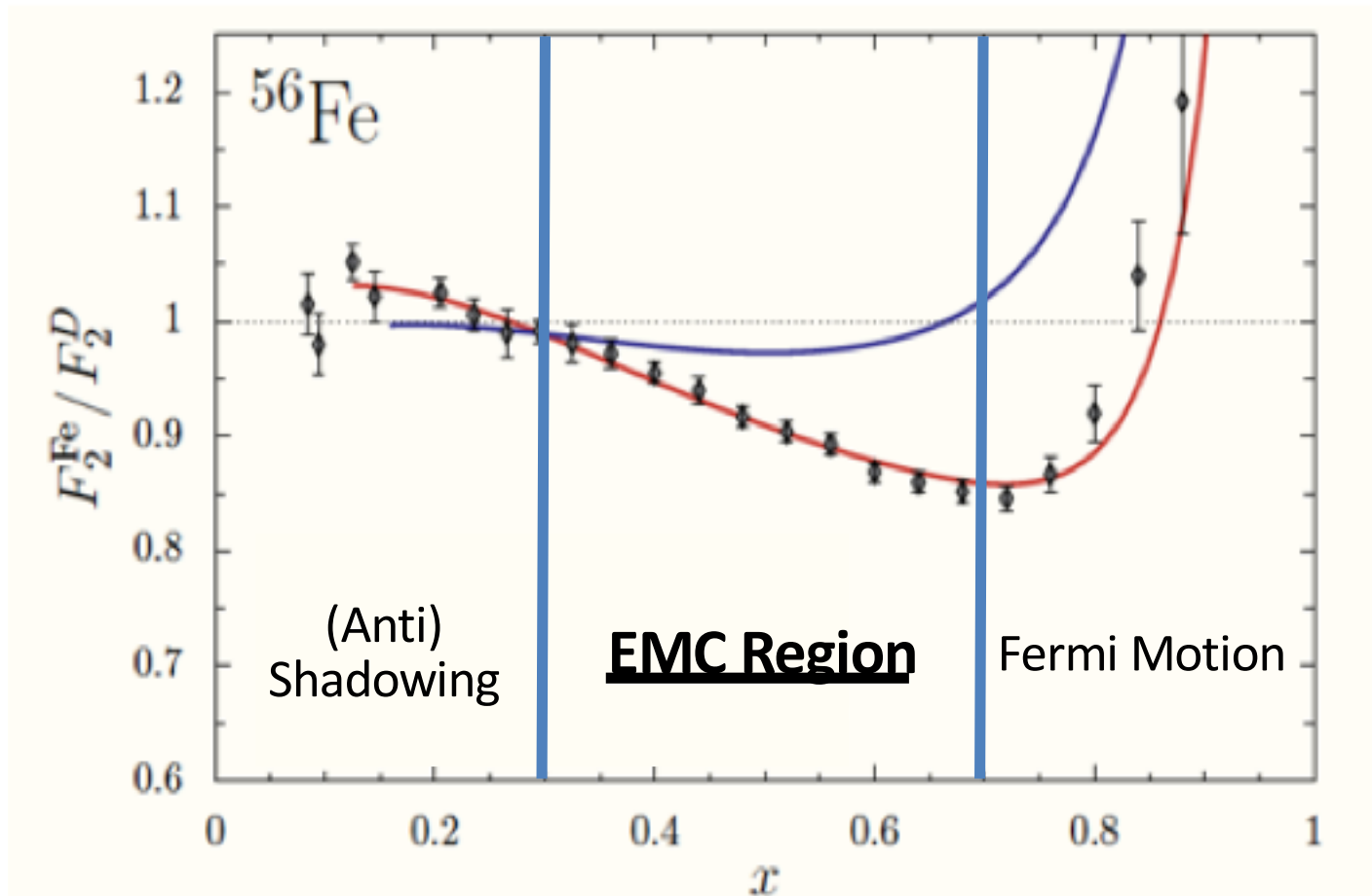


EMC Effect: Quarks move “slower” in nuclei



Aubert et al., PLB (1983); Ashman et al., PLB (1988); Arneodo et al., PLB (1988); Allasia et al., PLB (1990); Gomez et al., PRD (1994); Seely et al., PRL (2009); Schmookler et al., Submitted (2018)

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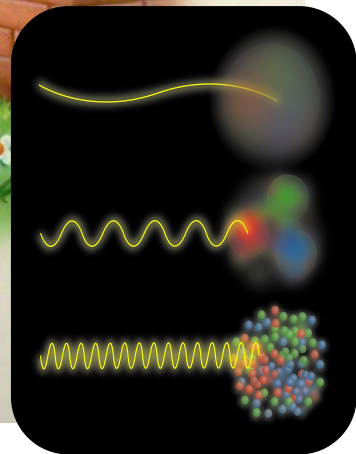
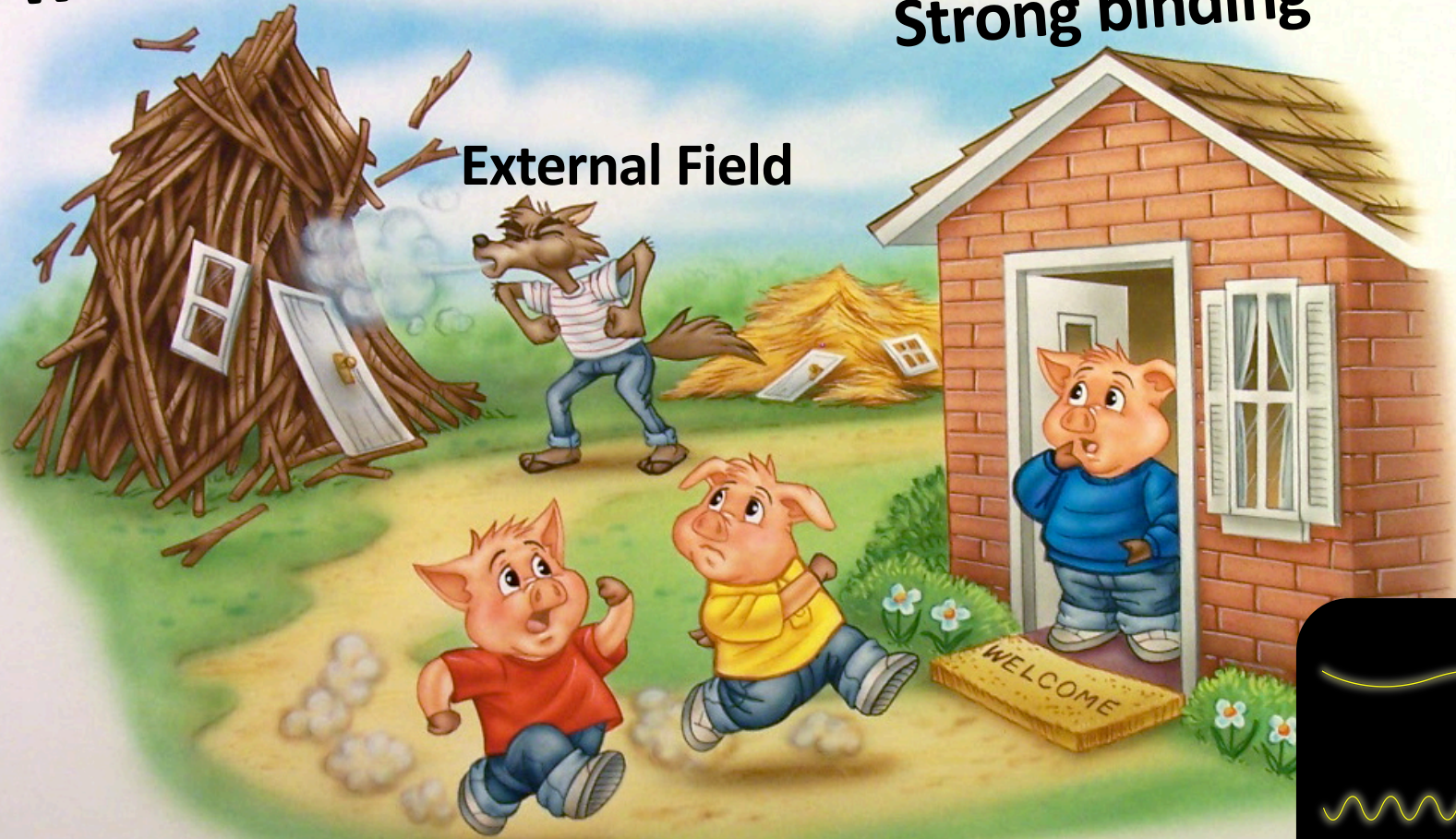
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Nuclear / Parton Scale Separation

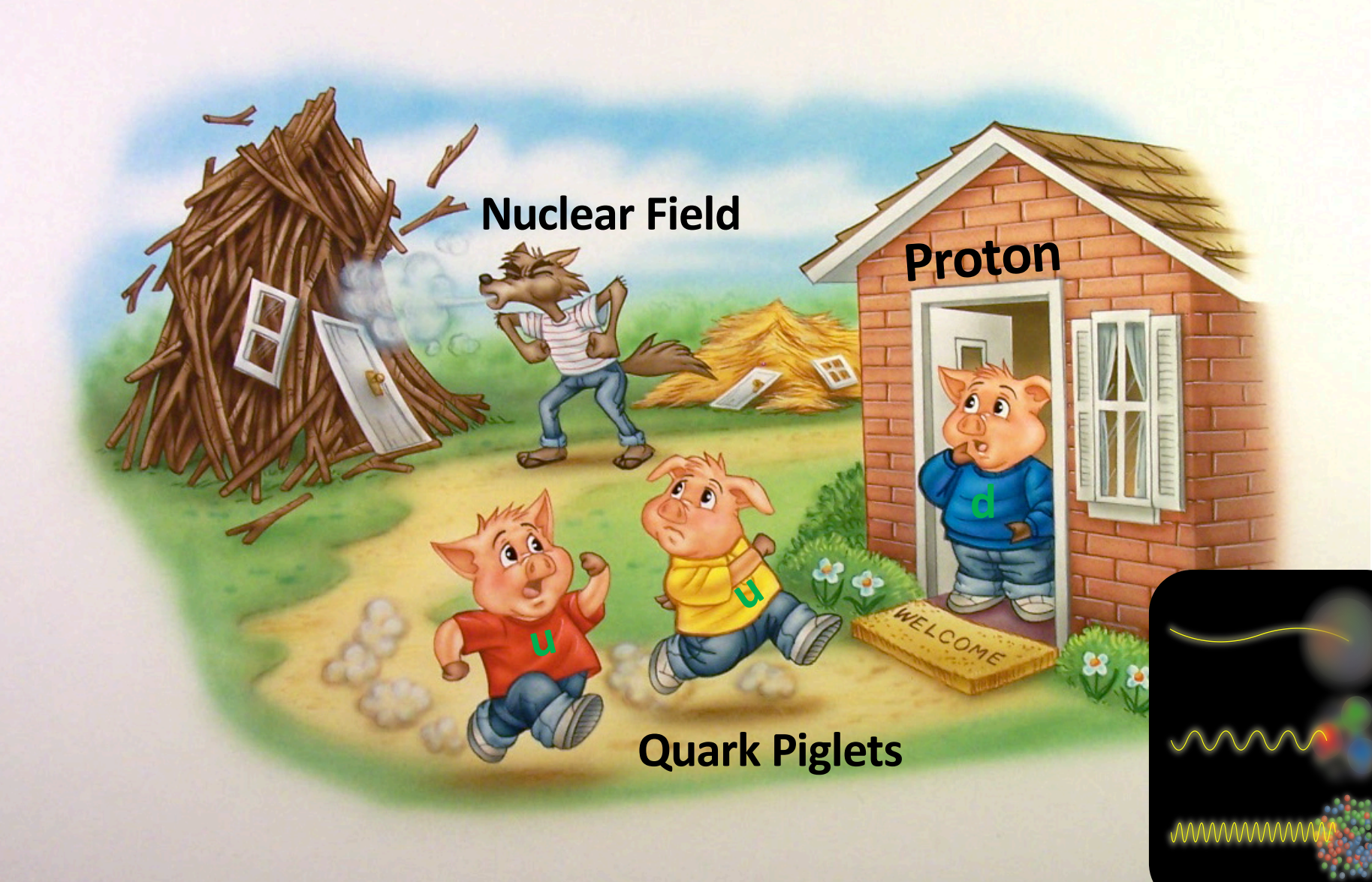
Weak binding

Strong binding

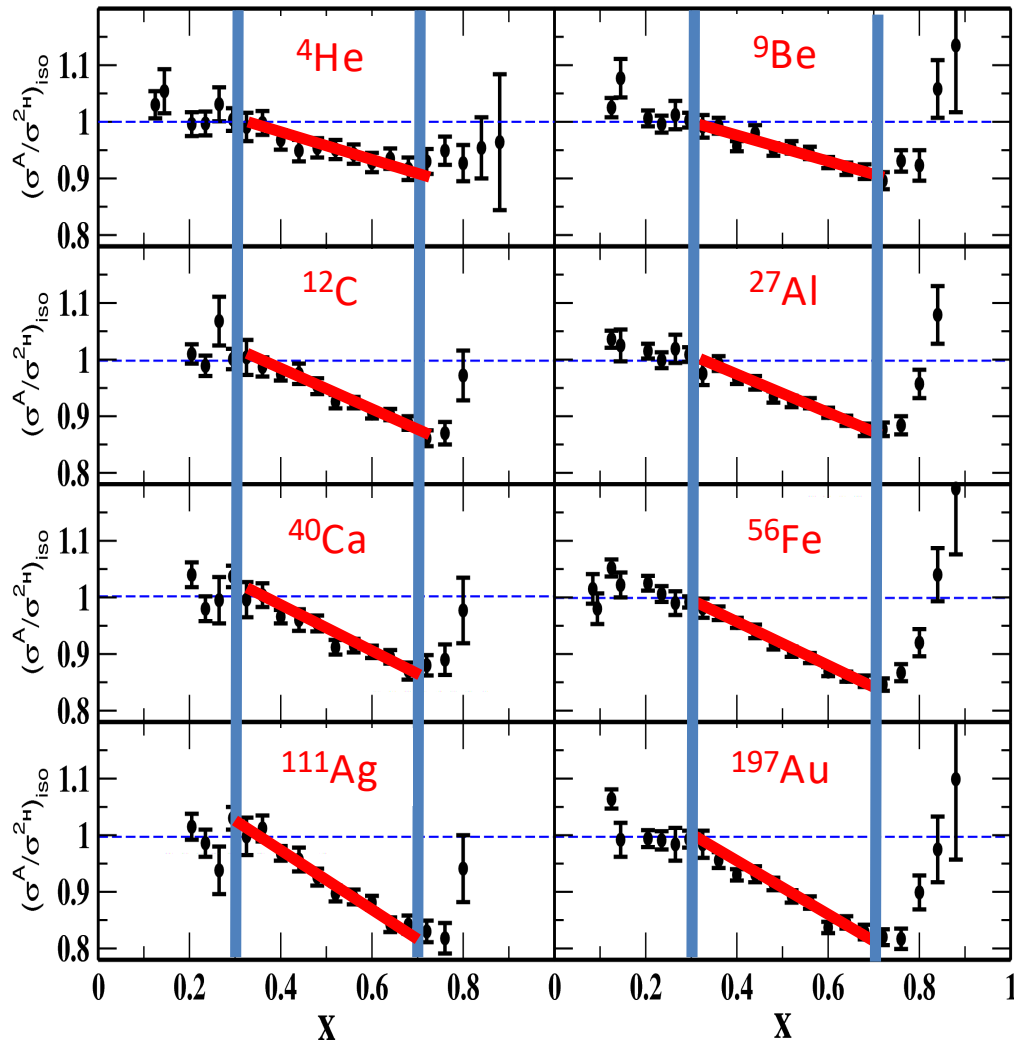
External Field



Nuclear / Parton Scale Separation



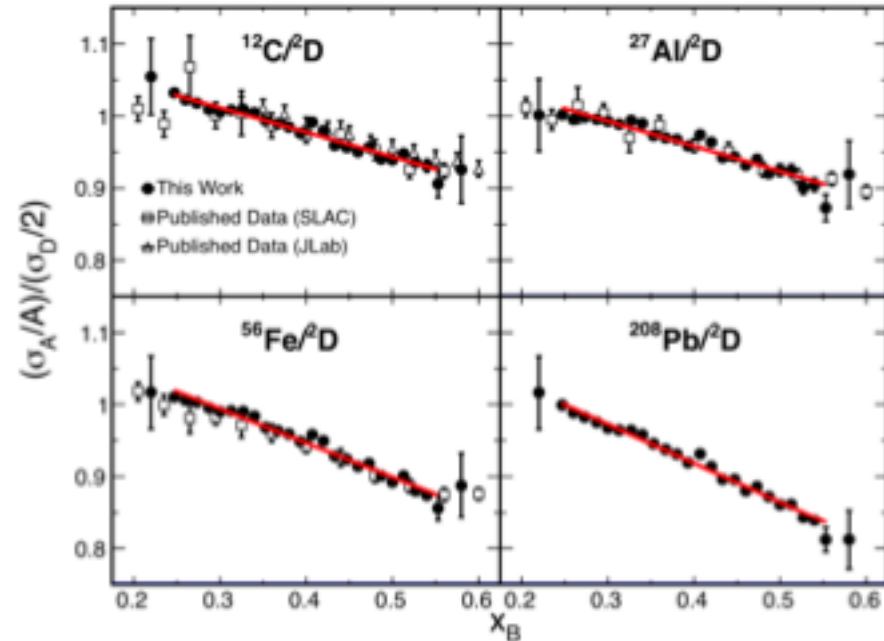
EMC Effect: Nuclear Effect



J. Gomez et al., Phys. Rev. D **49**, 4348 (1994).

SLAC (1994)

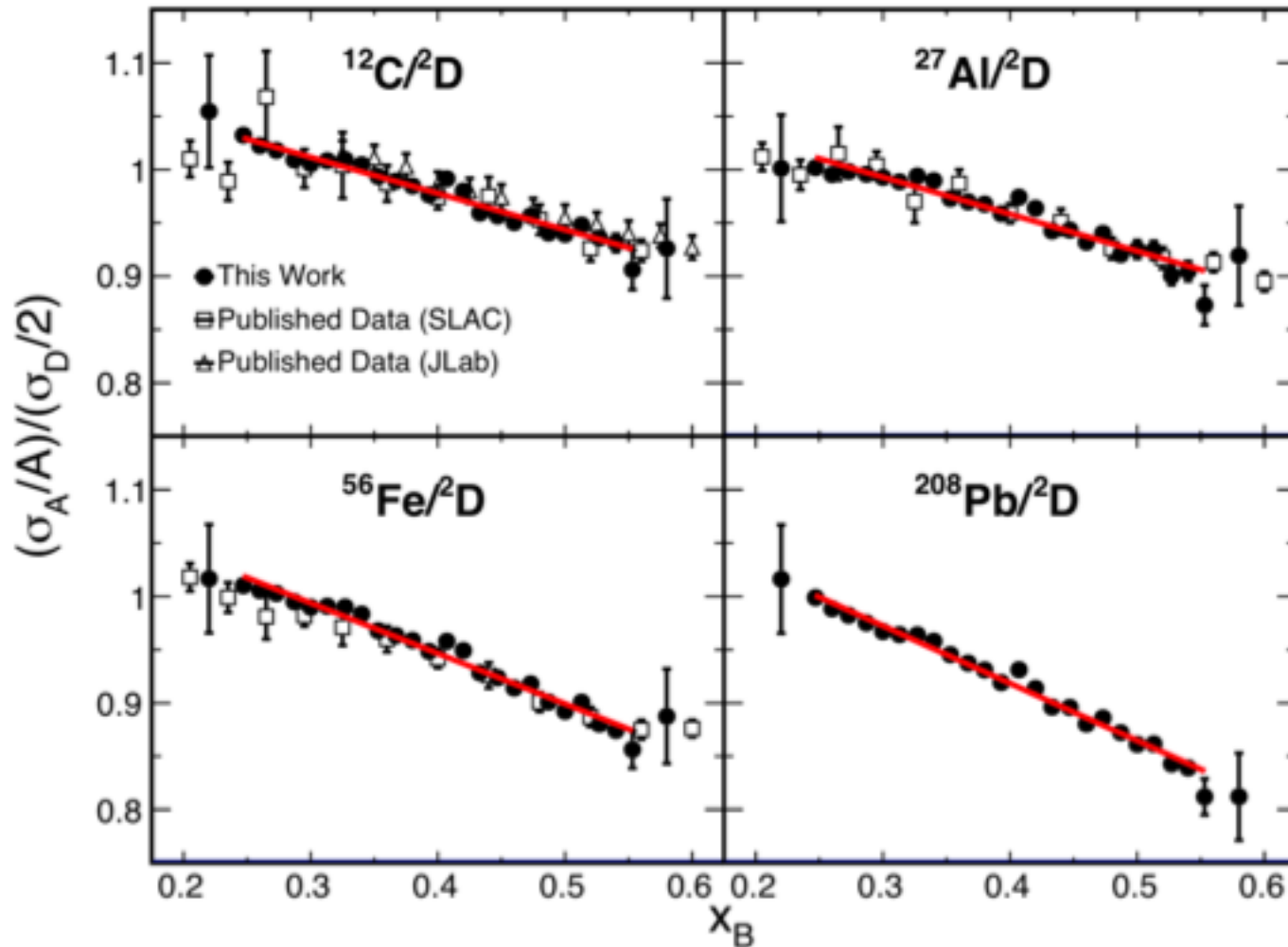
JLab (2018)



Schmookler, Duer, Schmidt, and Hen et al., submitted (2018)

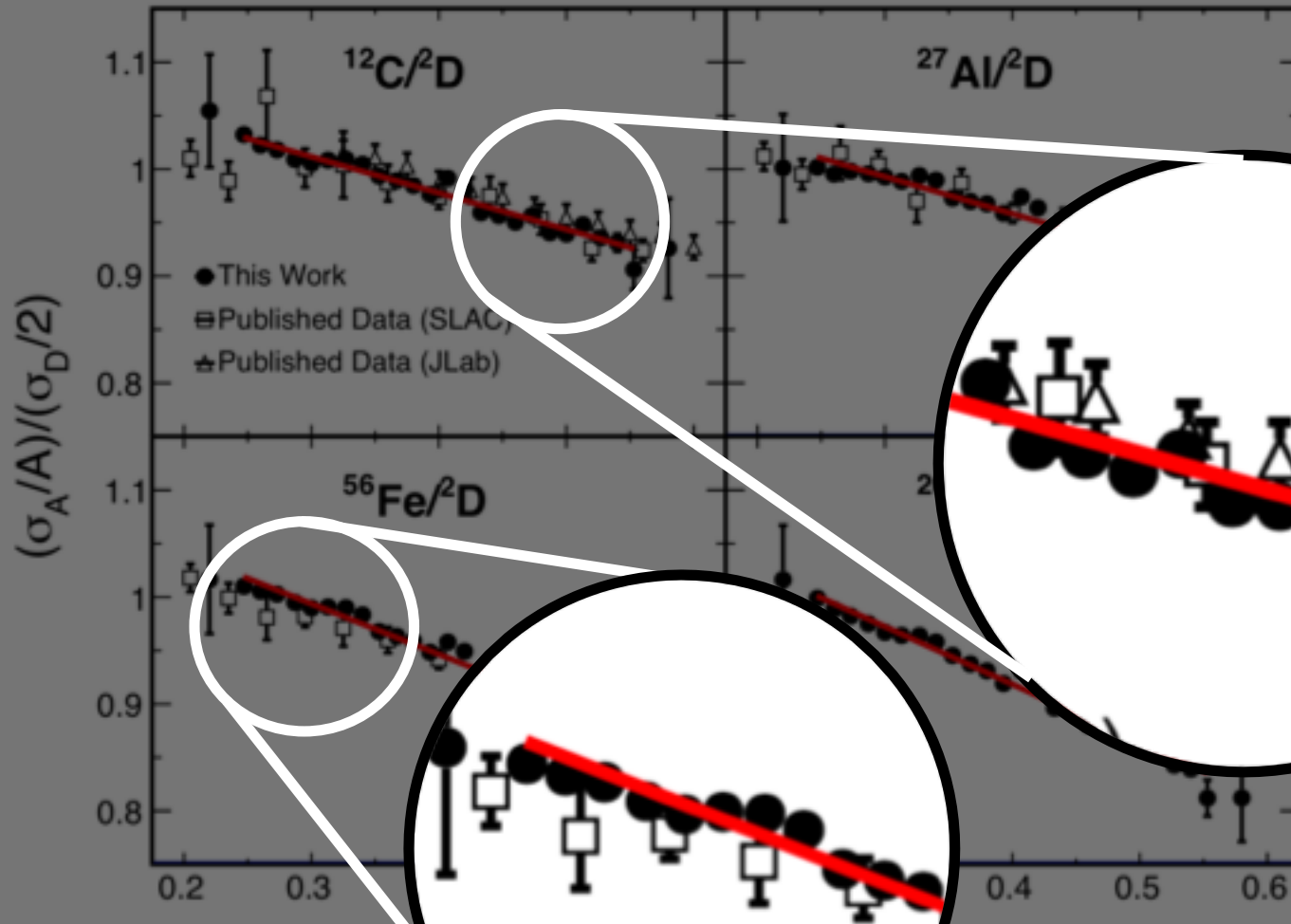
EMC Effect: Nuclear Effect

JLab
(2018)



EMC Effect: Nuclear Effect

JLab
(2018)



35 years, 1000 papers, 3 Ideas

1. Proper treatment of 'known' nuclear effects

[explain some of the effect, up to $x \approx 0.5$]

- Nuclear Binding and Fermi motion, Pions, Coulomb Field.
- **No modification of bound nucleon structure.**

2. Short-Range Correlations

- Beyond the mean-field.
- Momentum dependent.
- **Dynamical Modification!**

3. Bound Nucleons are 'larger' than free nucleons.

- Larger confinement volume => slower quarks.
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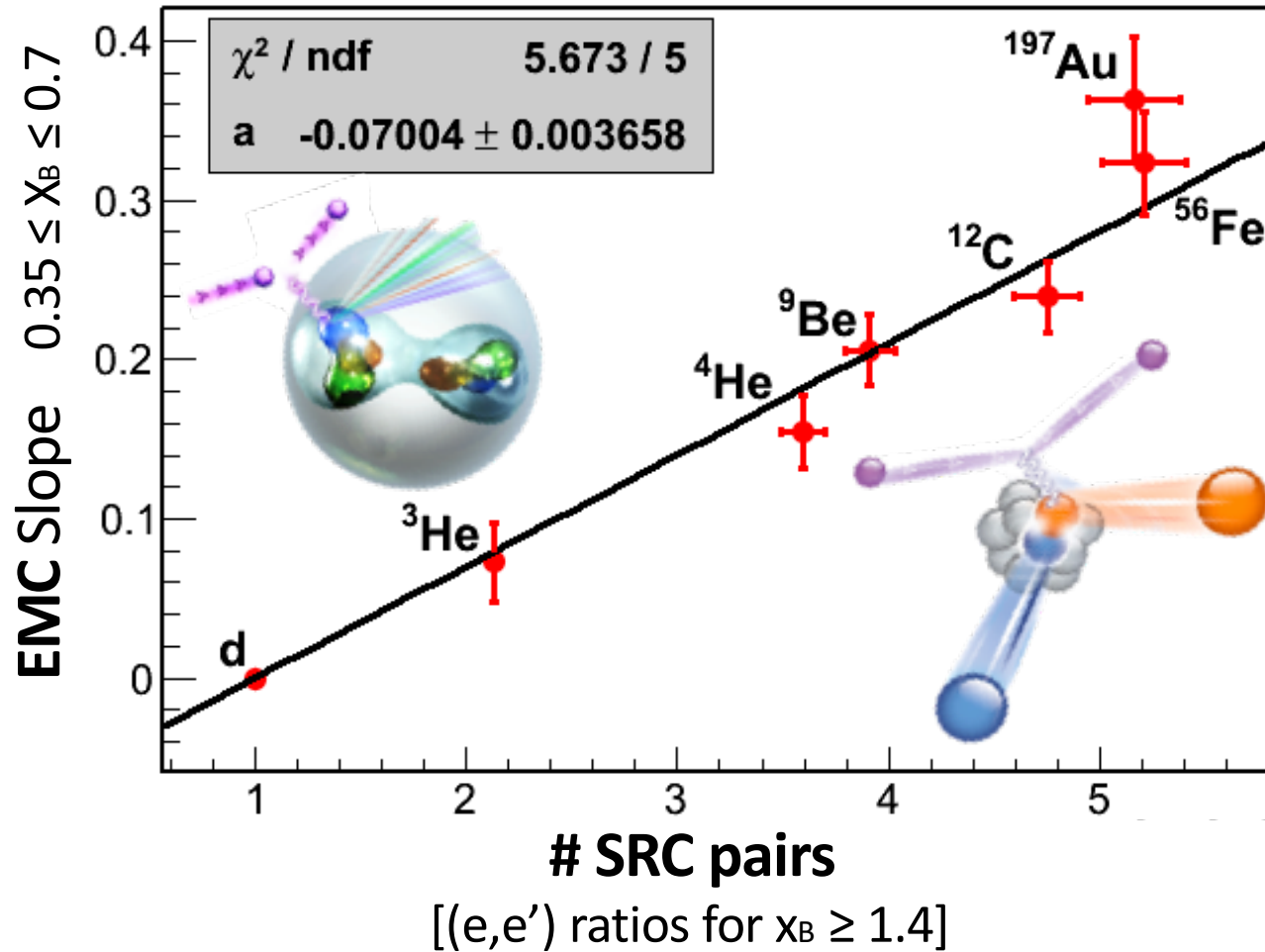
2. Short-Range Correlations

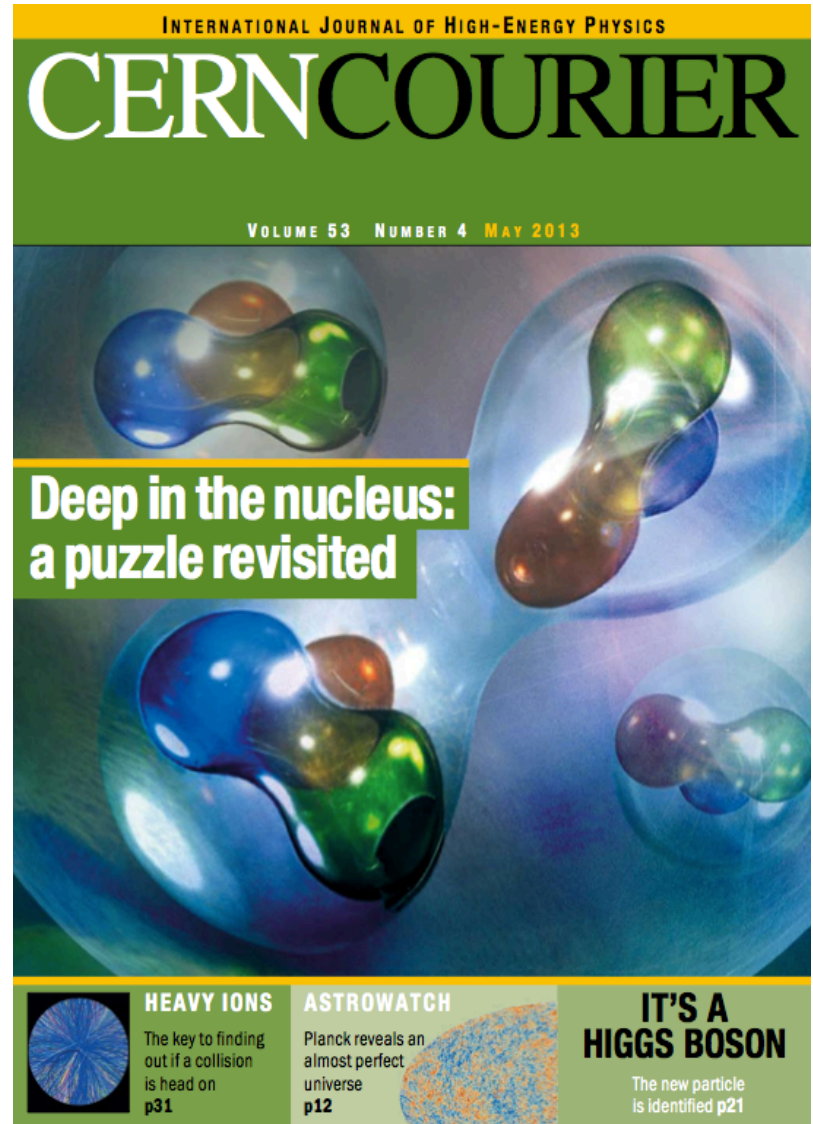
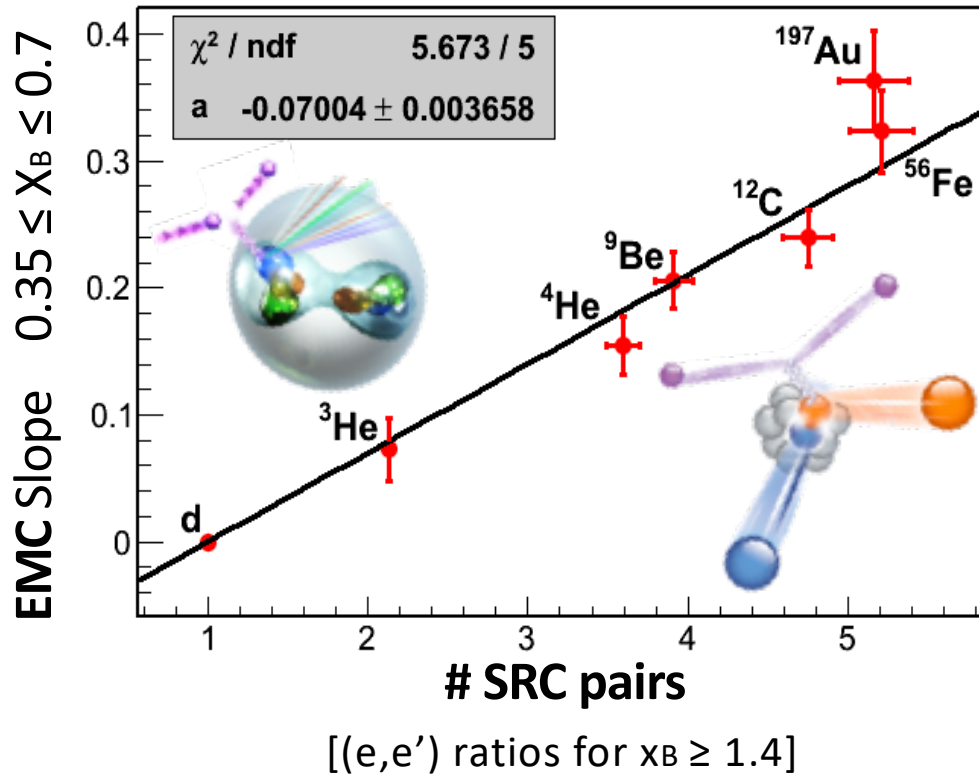
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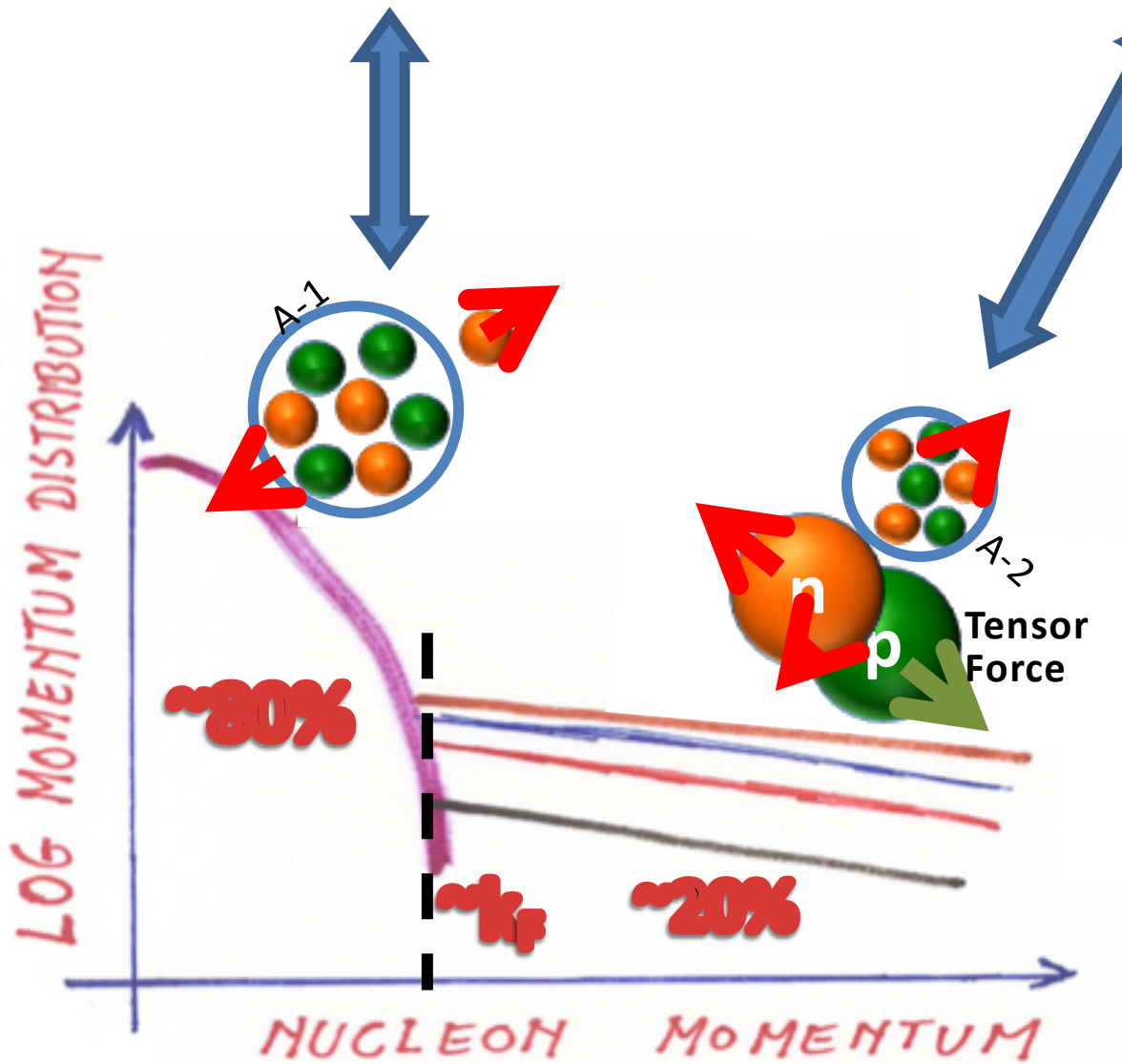
EMC - SRC Correlation





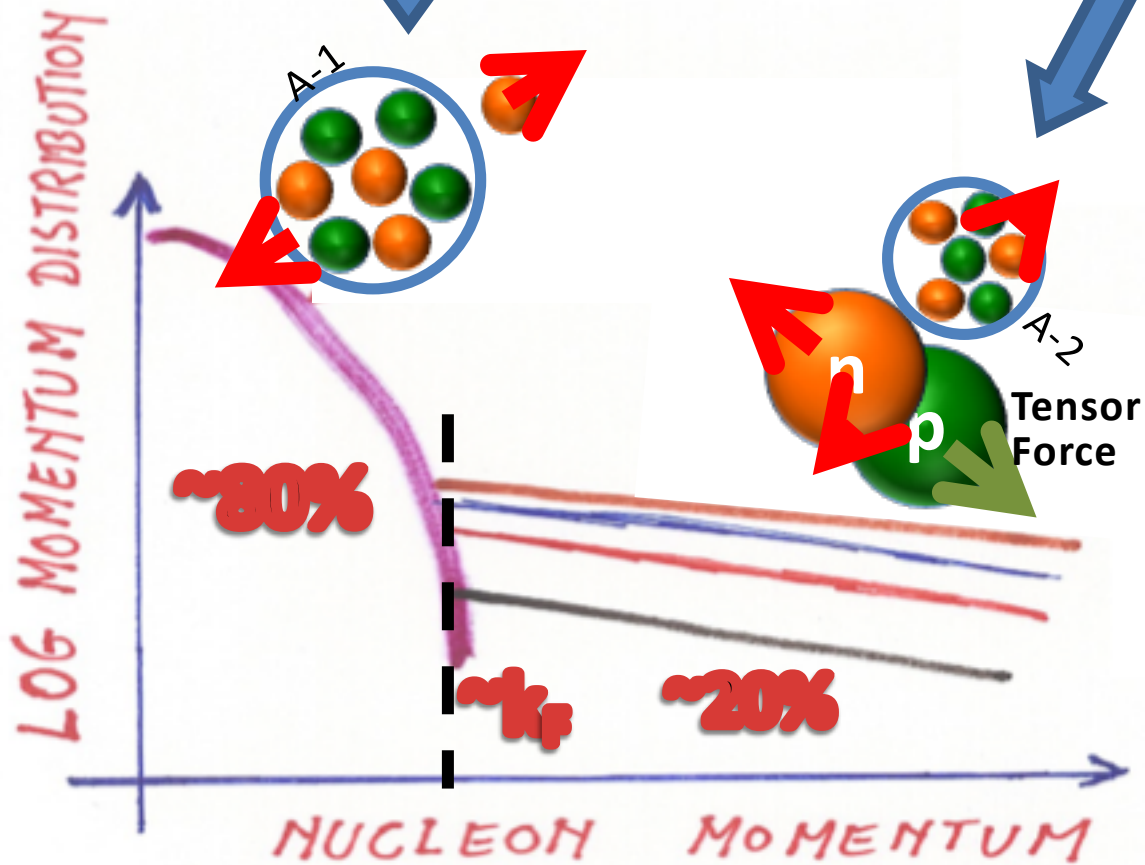
Higinbotham, Miller, Hen, and Rith. CERN Cour. 53N4, 35 (2013)

Bound = 'quasi Free' + Modified SRCs



Bound = 'quasi Free' + Modified SRCs

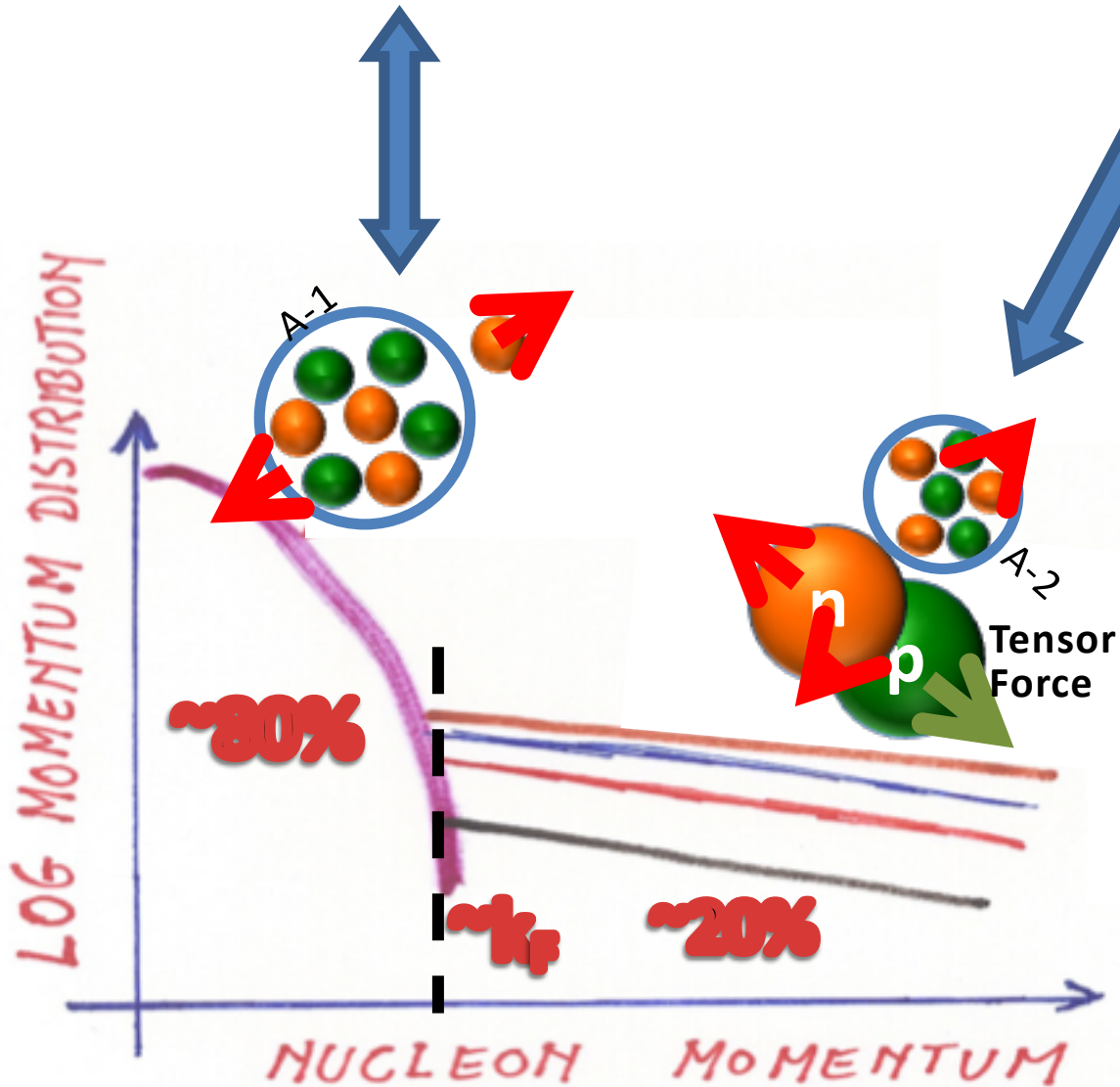
$$F_2^A = (Z - n_{SRC}^A) F_2^p + (N - n_{SRC}^A) F_2^n + n_{SRC}^A (F_2^{p*} + F_2^{n*})$$



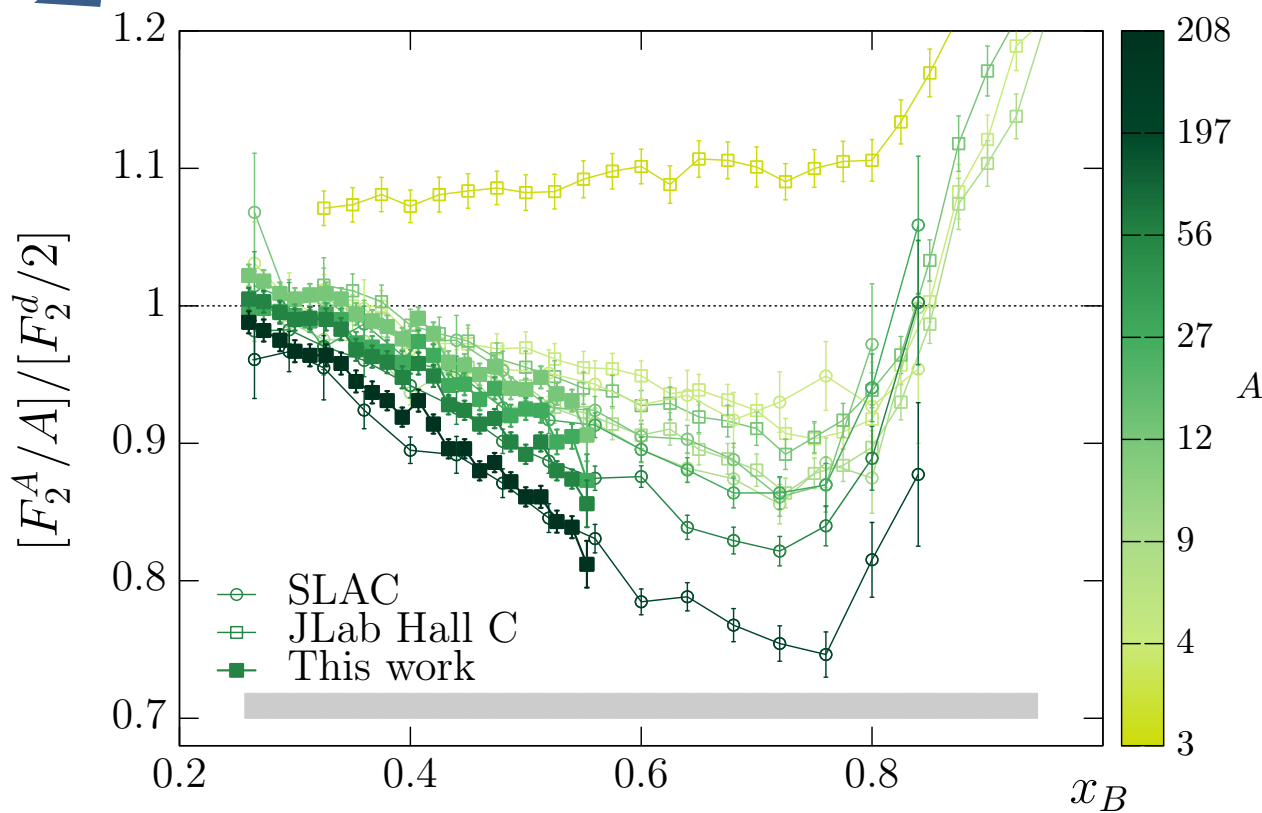
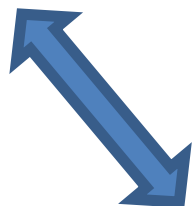
Bound = 'quasi Free' + Modified SRCs

$$F_2^A = ZF_2^p + NF_2^n + n_{SRC}^A (\Delta F_2^p + \Delta F_2^n)$$

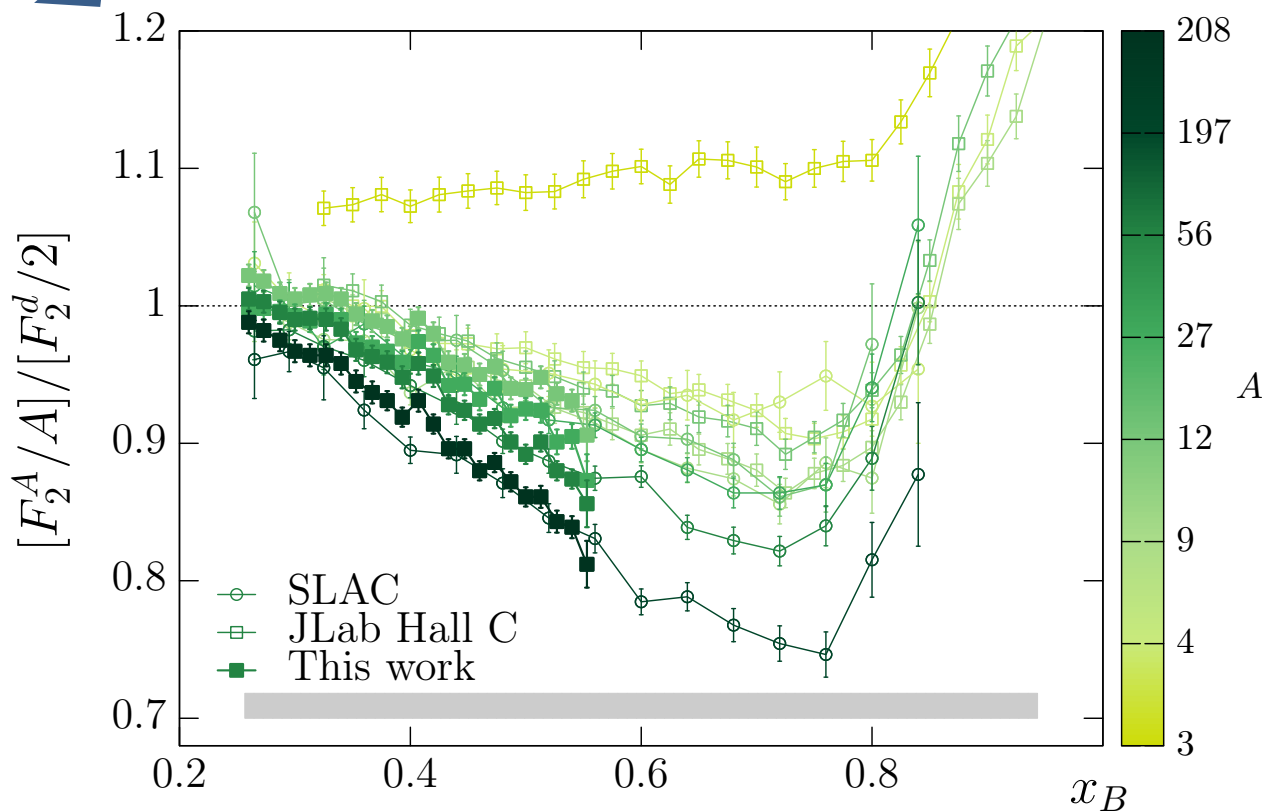
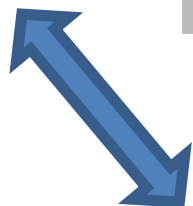
$$\Delta F_2^N = F_2^{N*} - F_2^N$$



$$\frac{F_2^A}{F_2^d} = \left(n_{SRC}^A - N n_{SRC}^d \right) \frac{\Delta F_2^p + \Delta F_2^n}{F_2^d} + (Z - N) \frac{F_2^p}{F_2^d} + N$$



$$\frac{F_2^A}{F_2^d} = \underbrace{\left(n_{SRC}^A - N n_{SRC}^d\right)}_{\text{A Dependent}} \underbrace{\frac{\Delta F_2^p + \Delta F_2^n}{F_2^d}}_{\text{Universal?}} + \underbrace{\left(Z - N\right) \frac{F_2^p}{F_2^d}}_{\text{A Dependent}} + N$$



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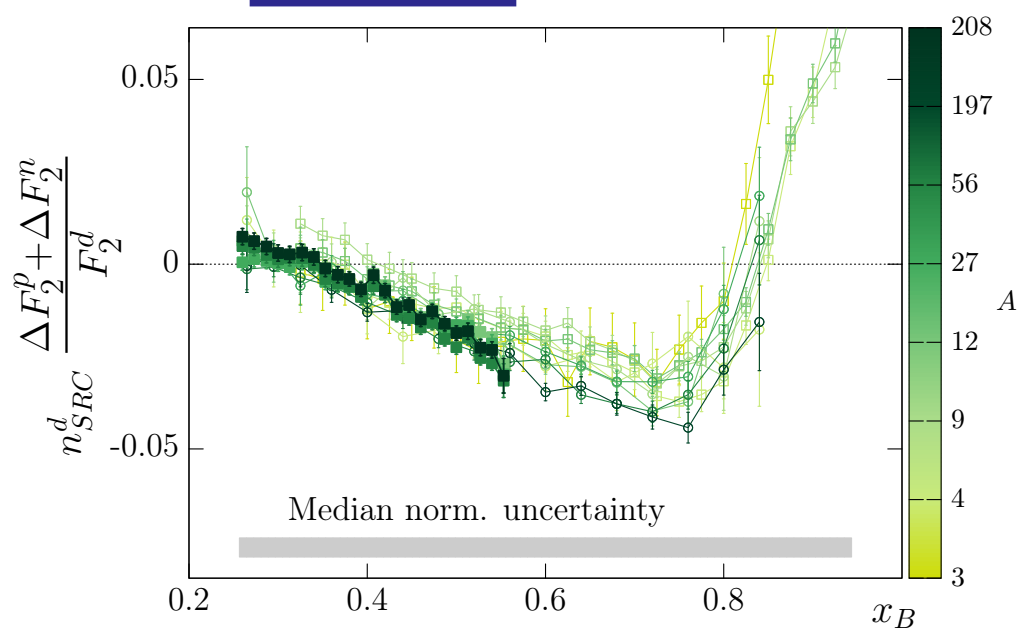
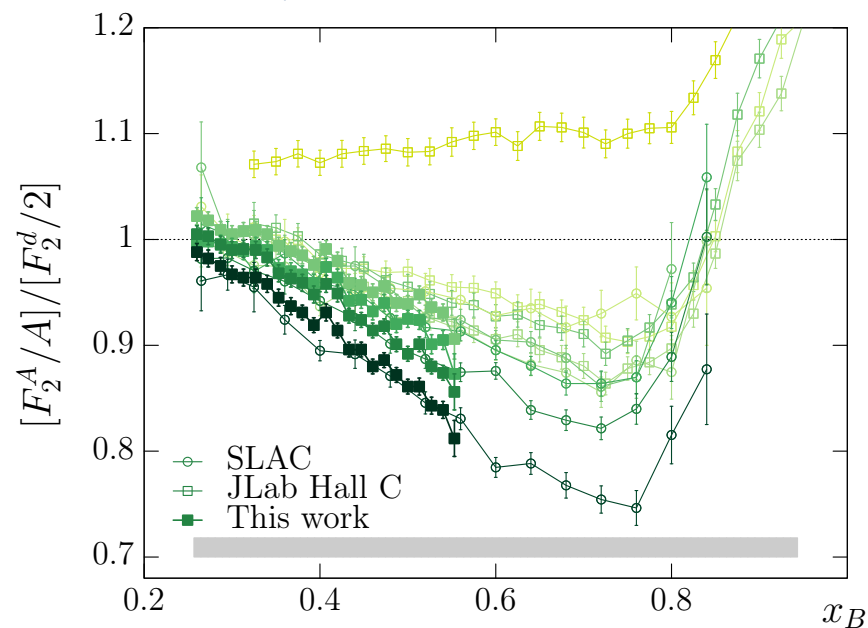


A Dependent

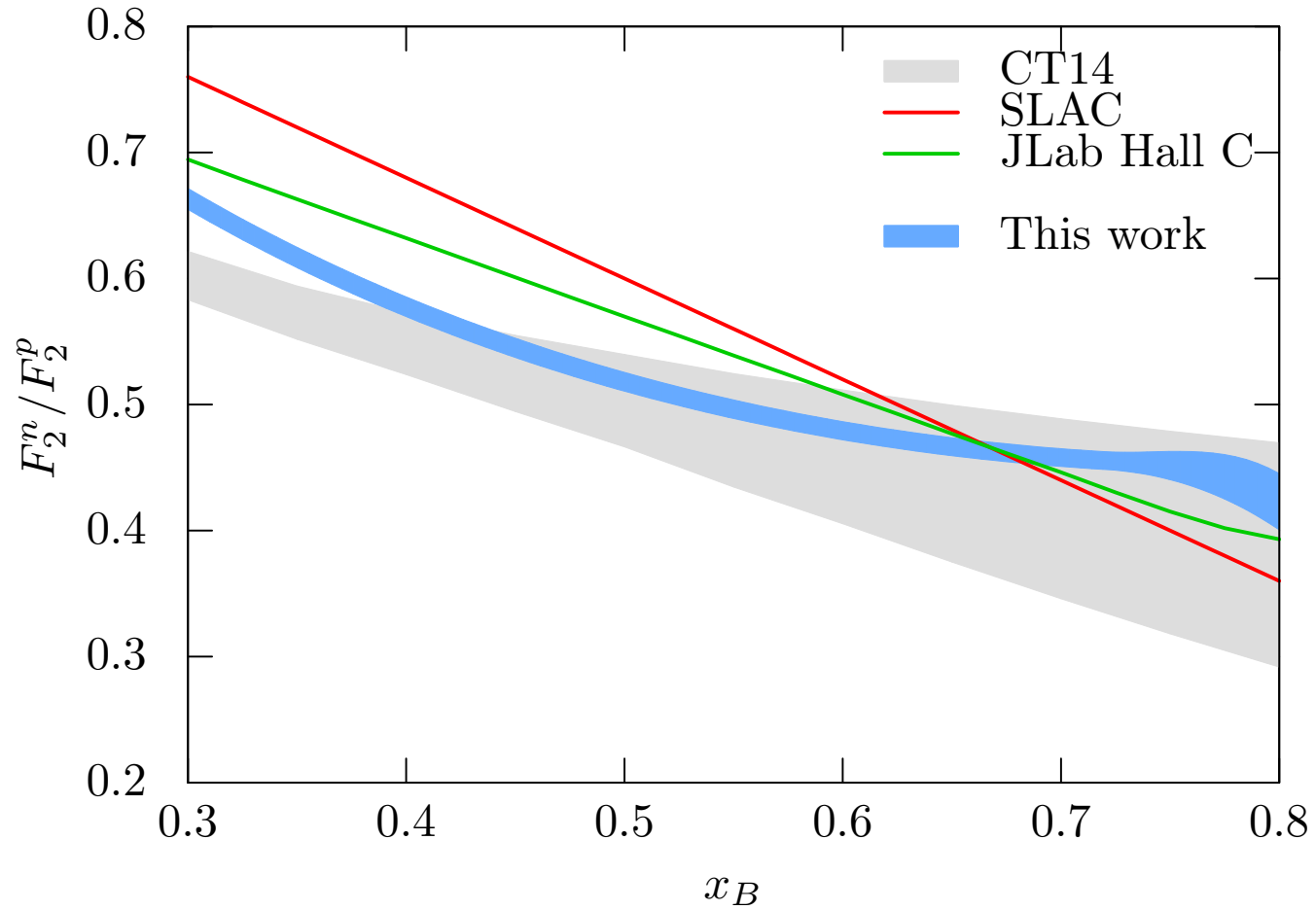


Universal!

A Dependent

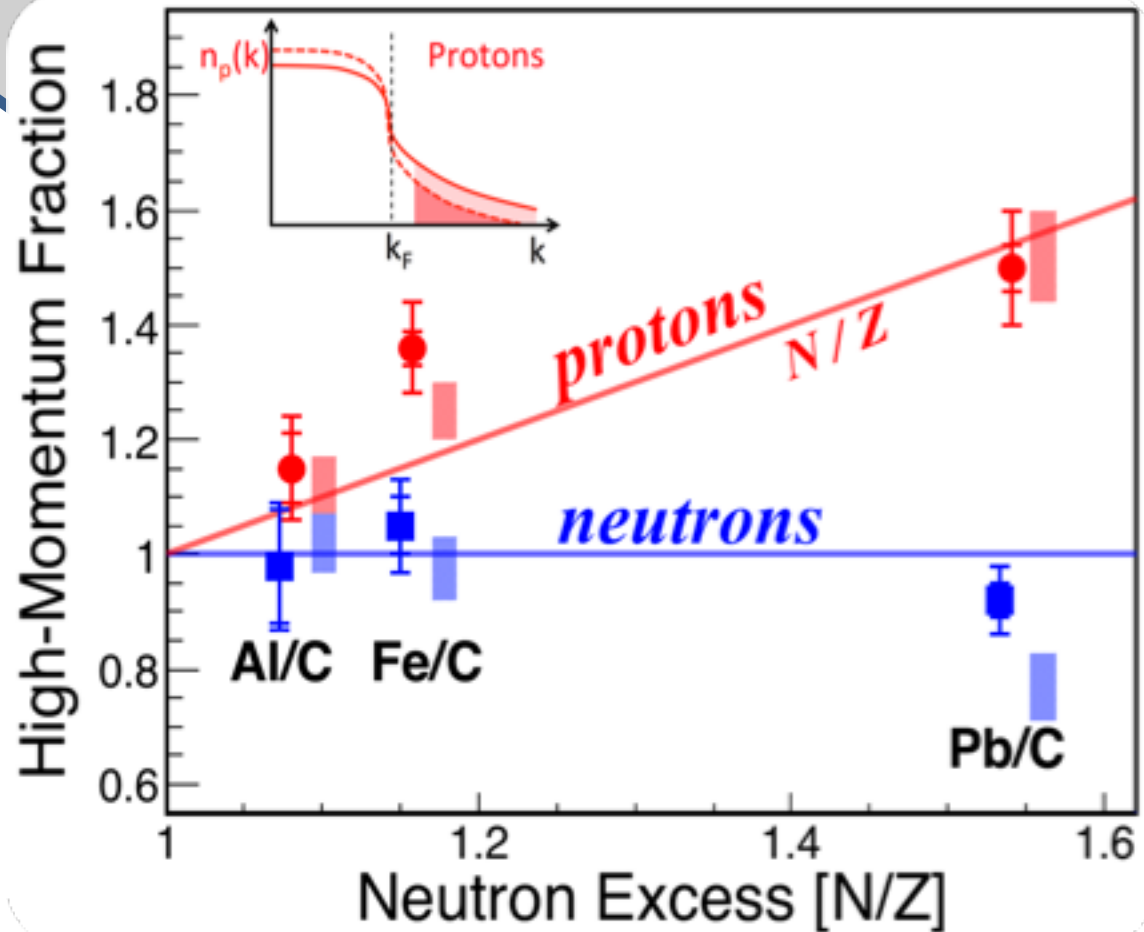


Free Neutron Extraction





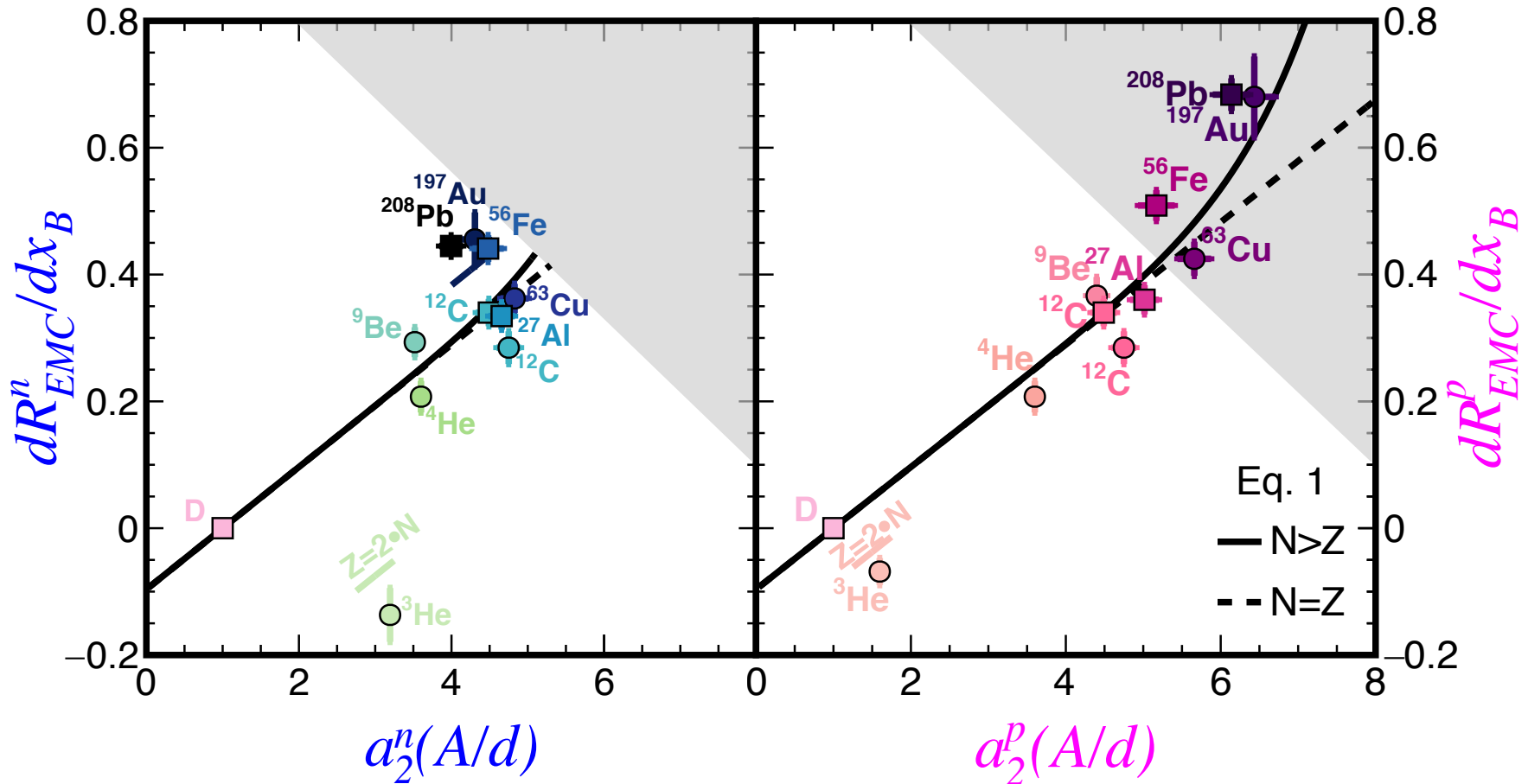
'Prediction':
EMC effect should
saturate for neutrons
and grow for protons



Predicting the EMC-SRC Correlation



B. Schmookler

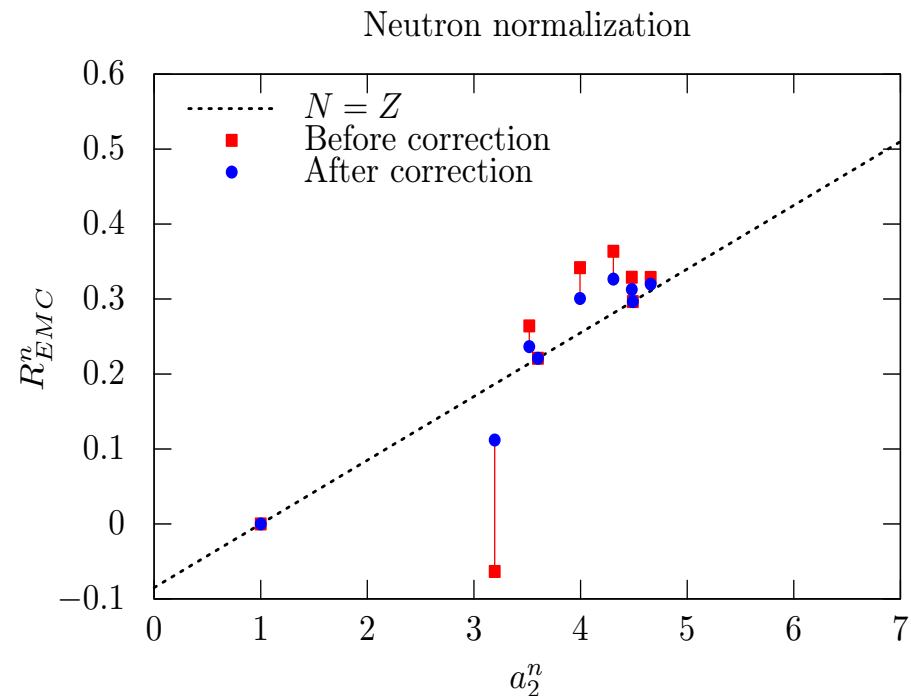
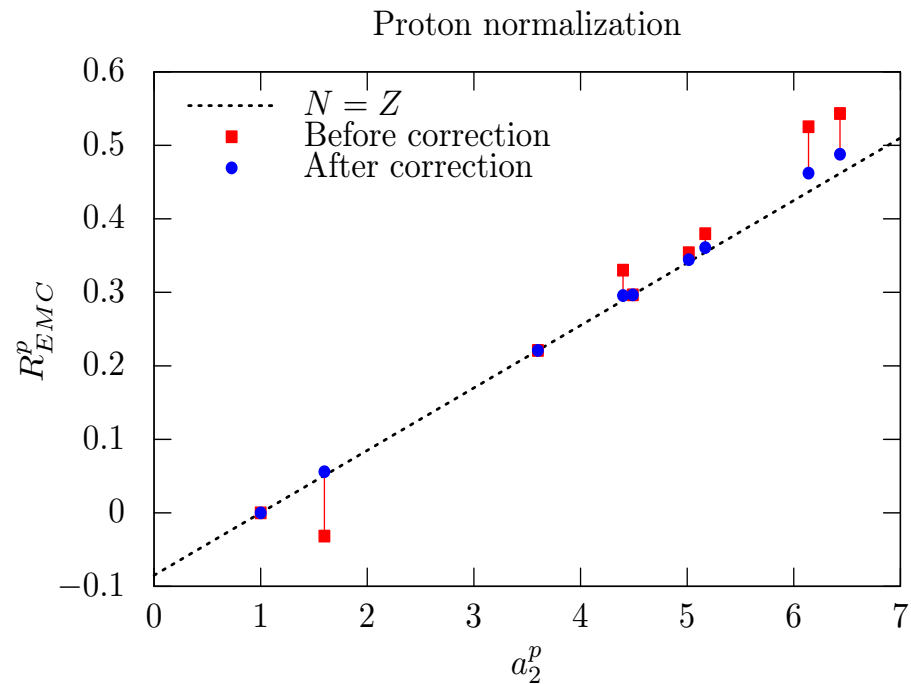


Self-consistent Isoscalar corrections

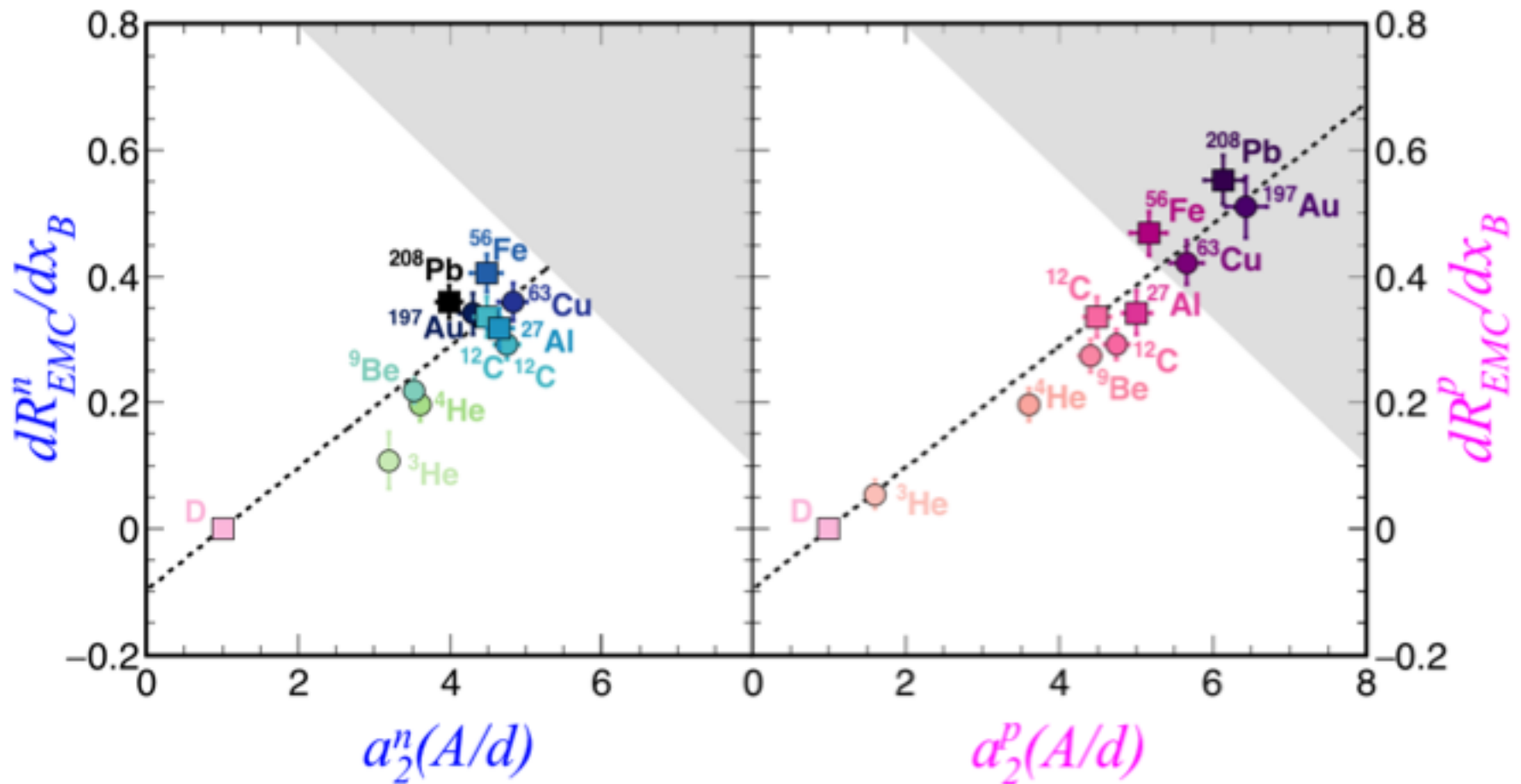
$$ISO = \frac{F_2^n + F_2^p}{Z \cdot F_2^n + N \cdot F_2^p}$$

Model Prediction **before** &
after isoscalar corrections

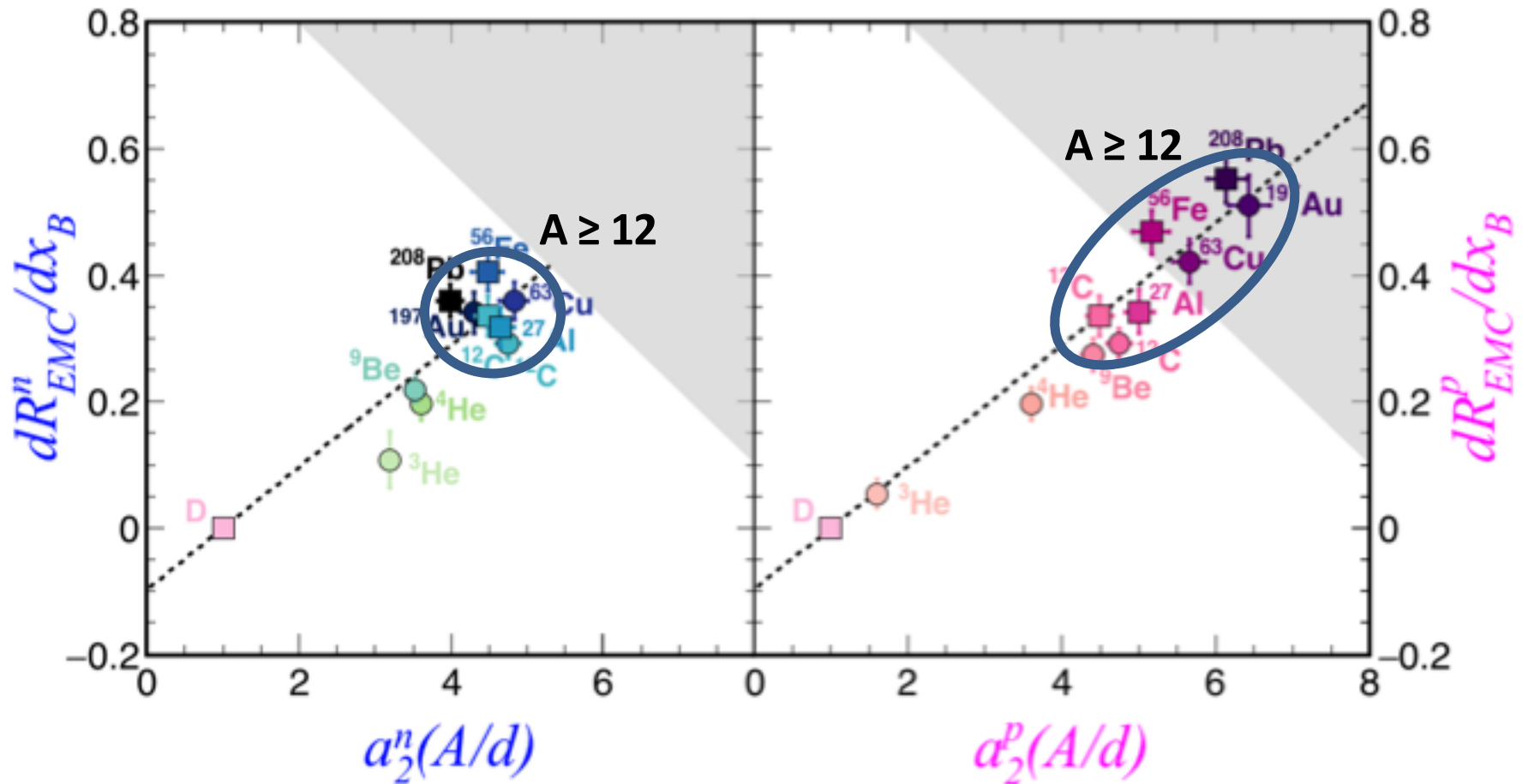
Closer to the N=Z prediction
but not exactly...



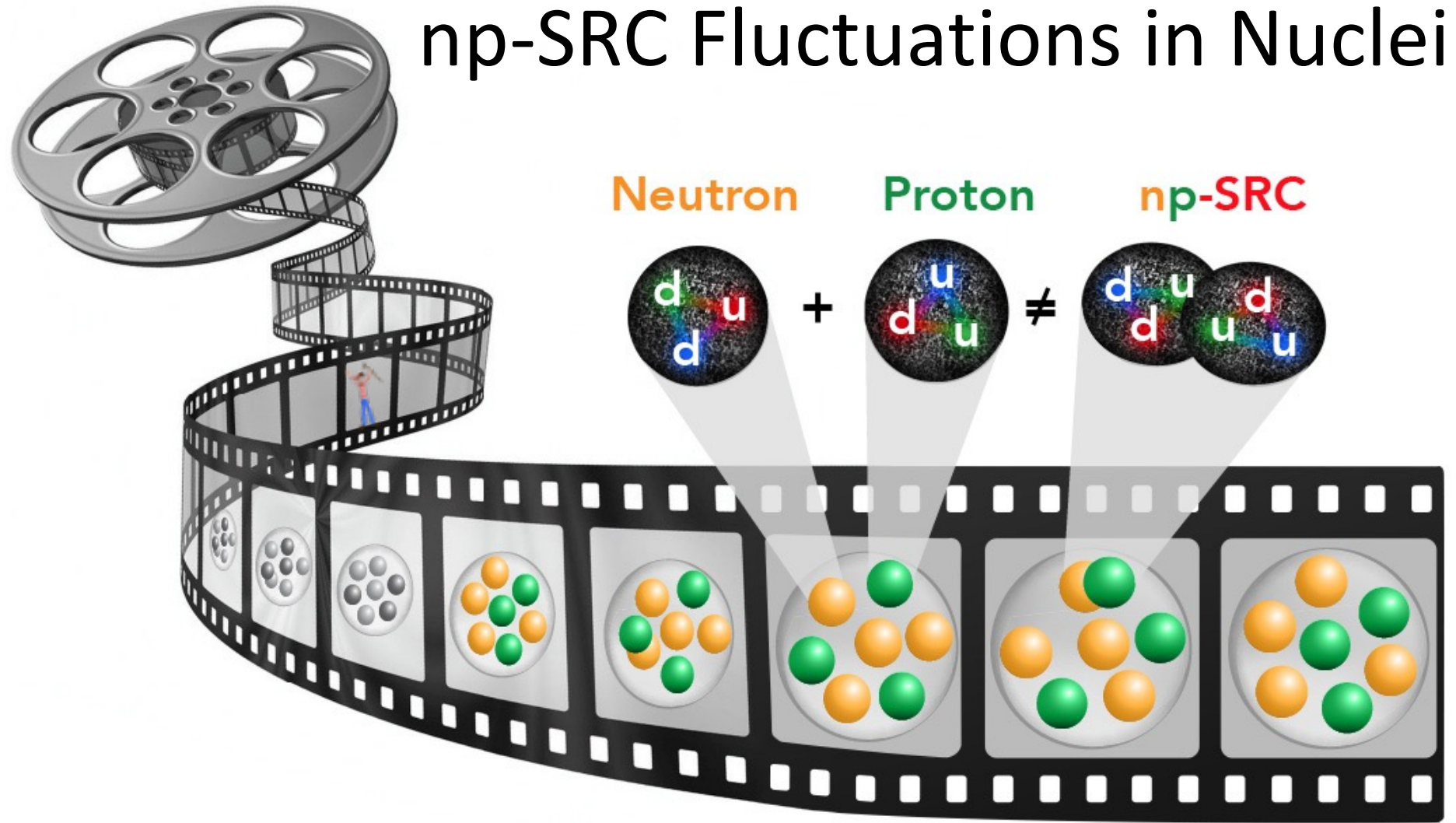
Neutrons Saturate, Protons Grow



Neutrons Saturate, Protons Grow



np-SRC Fluctuations in Nuclei



Short-Range Correlations Or Hen (MIT)

- (new) Exp. results
- (new) Implications
- **(new) Theory results**



Requirements from theories of SRCs

Requirements from theories of SRCs

Reproduce the data.

Requirements from theories of SRCs

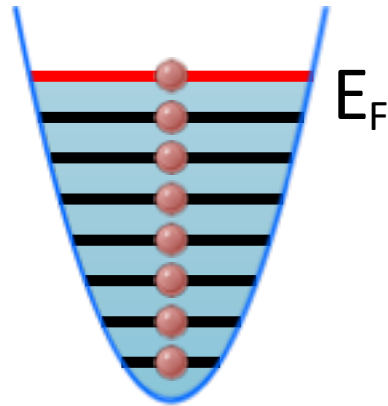
Reproduce *all features* of the data:

- A-Independence of gross SRC features
- Asymmetry dependence of p/n correlations
- Q^2 independence of observables
- P_{miss} dependence of observables

Factorized Theory Advances

Scale Separation in Effective Theories

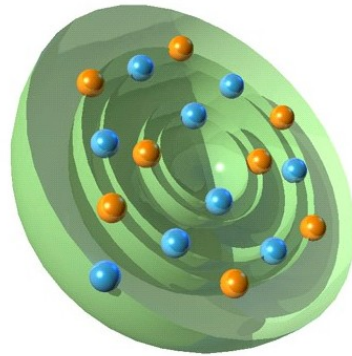
Fermi
Gas
Model



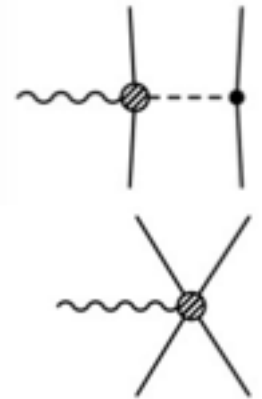
Liquid
Drop
Model



Shell
Model



Chiral
Perturbation
Theory*



* Should converge to exact solution

Scale Separation in Effective Theories

Fermi



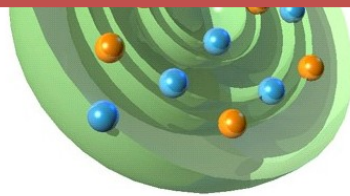
Liquid



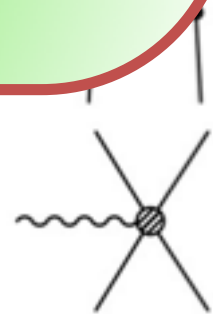
Common idea:

Scale separation of *long* and *short* range dynamics

Model



Perturbation Theory*

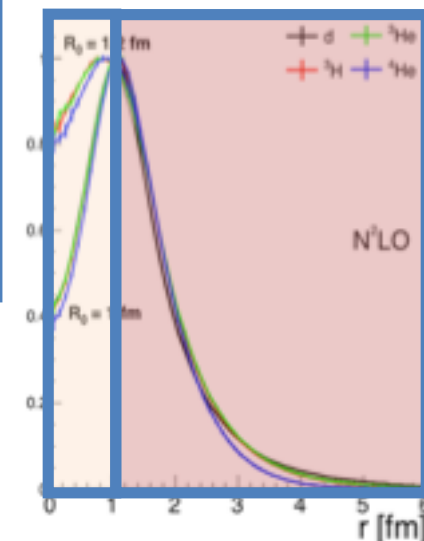
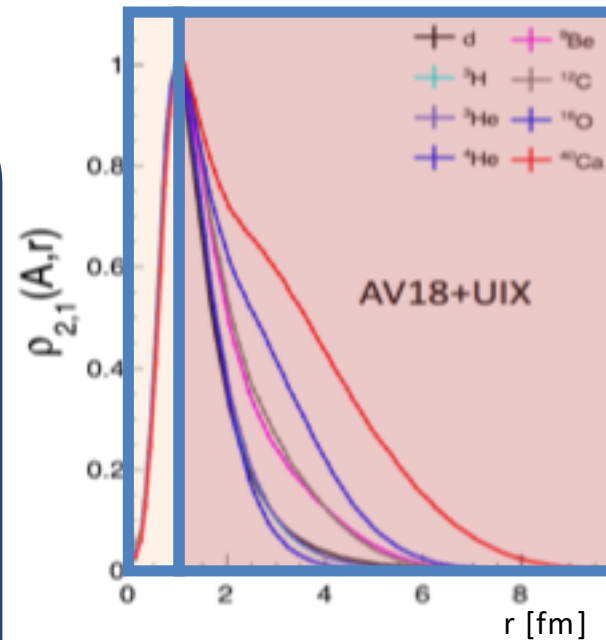
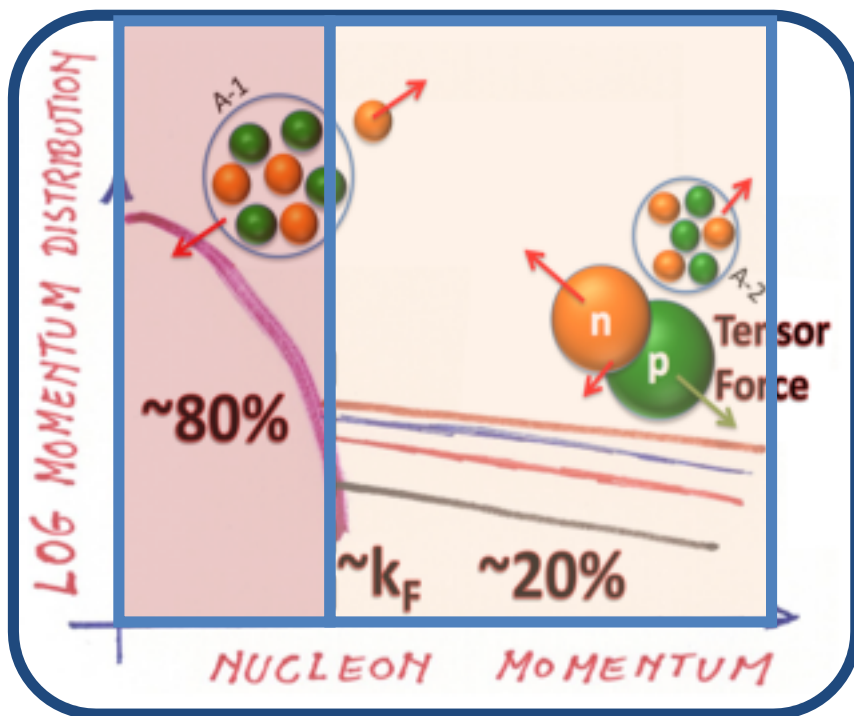


* Should converge to exact solution

SRCs in Momentum Densities

Can we formulate a universal description of SRC (both coordinate and momentum space) without relying on many-body calculations? (YES)

Can we use it to confront theory and experiments? (YES)



Short-Distance Factorization

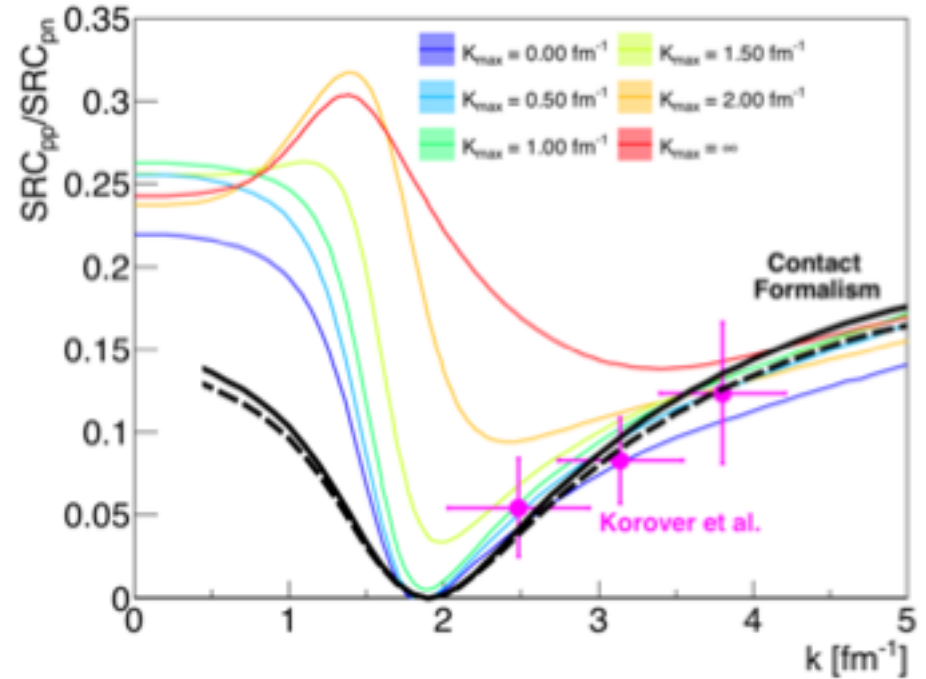
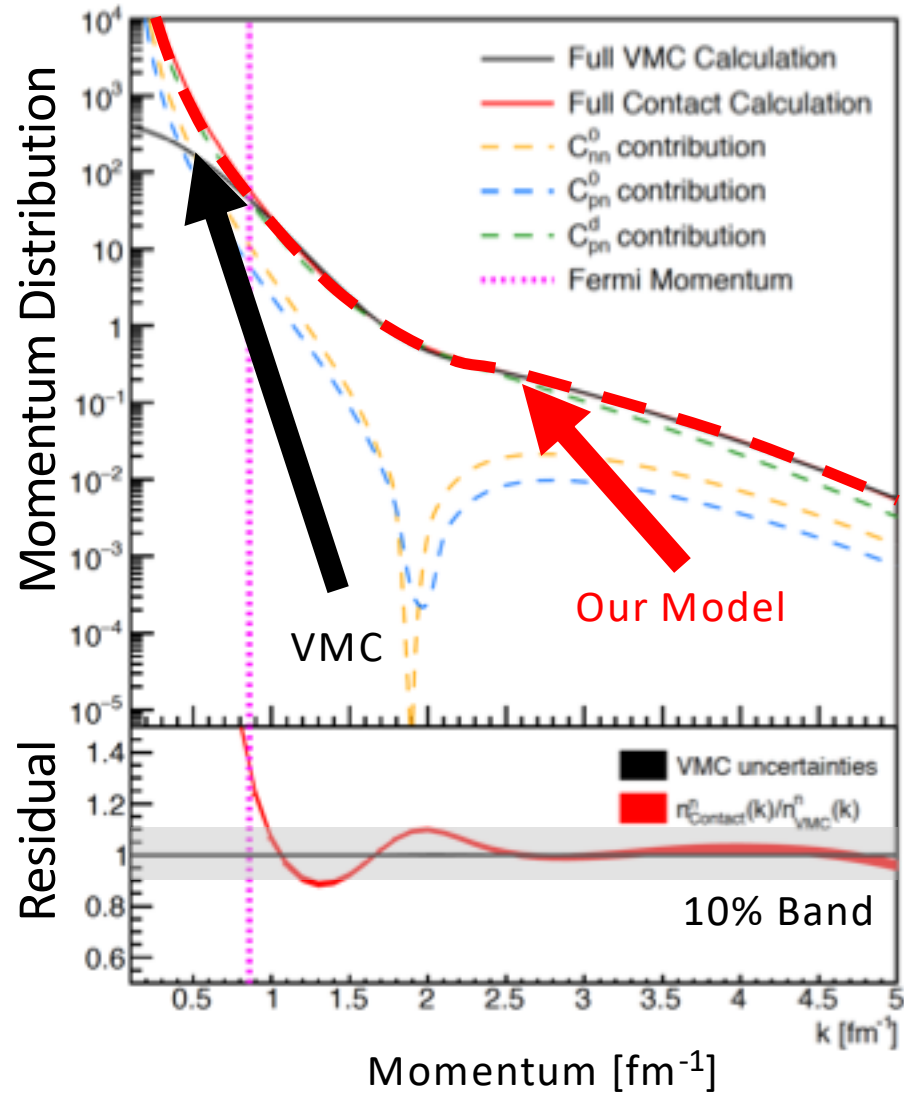
1. Factorized ansatz for the short-distance (high-momentum) part of the many-body wave function:

$$\Psi \xrightarrow{r_{ij} \rightarrow 0} \sum_{\alpha} \varphi_{\alpha}(\mathbf{r}_{ij}) A_{ij}^{\alpha}(\mathbf{R}_{ij}, \{\mathbf{r}\}_{k \neq ij})$$

- Universal function of the NN interaction.
- Taken as the zero energy solution to the 2 body problem
- Nucleus (/ system) specific function
- Depends on all nucleons except the SRC pair (primarily mean-field)

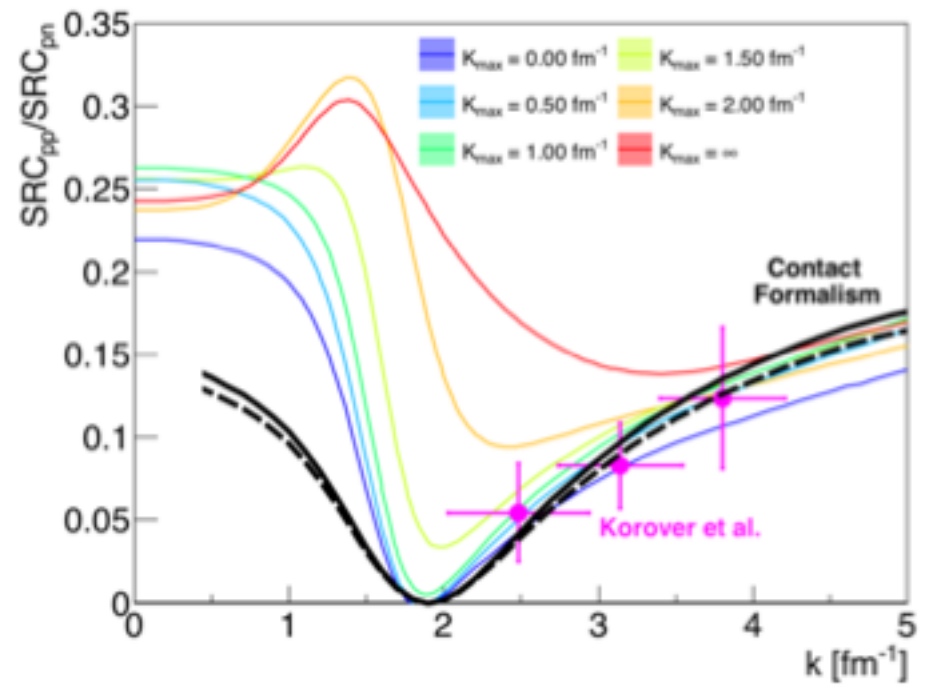
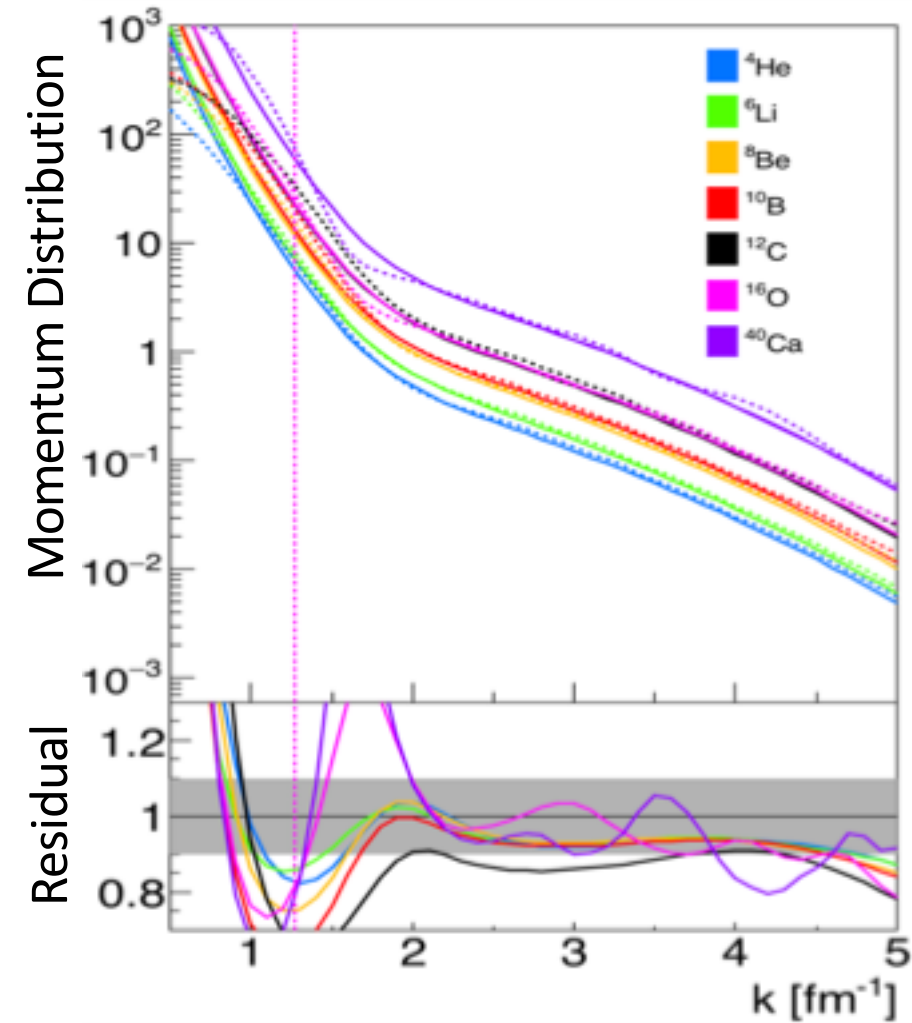
2. Test by comparing to many-body calculations *and* data from hard knockout measurements

$$n_p(k) = \sum_{\alpha} |\tilde{\varphi}_{pp}^{\alpha}(k)|^2 2C_{pp}^{\alpha} + \sum_{\alpha} |\tilde{\varphi}_{pn}^{\alpha}(k)|^2 C_{pn}^{\alpha}$$



Nuclear contacts can also be extracted from experiment!

$$n_p(k) = \sum_{\alpha} |\tilde{\varphi}_{pp}^{\alpha}(k)|^2 2C_{pp}^{\alpha} + \sum_{\alpha} |\tilde{\varphi}_{pn}^{\alpha}(k)|^2 C_{pn}^{\alpha}$$



Nuclear contacts can also be extracted from experiment!

Spectral Function

Define pair spectral function as:

$$S_{ab}^{\alpha} = \frac{1}{4\pi} \int \frac{d\mathbf{p}_2}{(2\pi)^3} \delta(f(p_2)) |\tilde{\varphi}_{ab}^{\alpha}(|(\mathbf{p}_1 - \mathbf{p}_2)/2|)|^2 n_{ab}^{\alpha}(\mathbf{p}_1 + \mathbf{p}_2)$$

$$f(p_2) = \epsilon_1 + \epsilon_2 - 2m + (B_i^A - \bar{B}_f^{A-2}) + \frac{(\mathbf{p}_1 + \mathbf{p}_2)^2}{2m(A-2)}$$

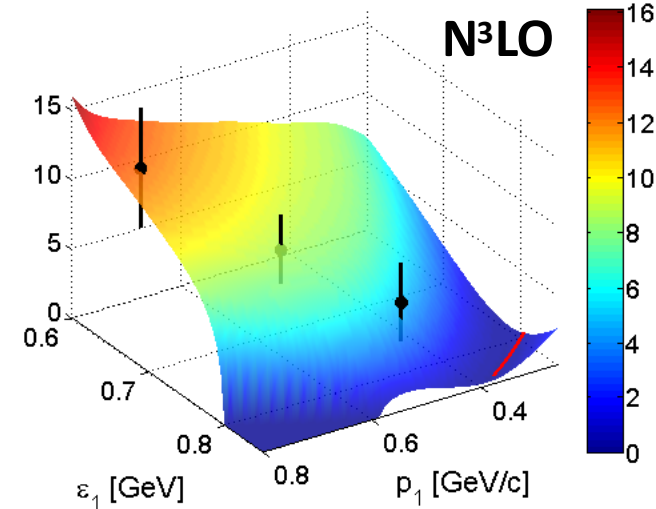
Factorize the continuum states of the spectral function:

$$S^p(p_1, \epsilon_1) = C_{pn}^1 S_{pn}^1(p_1, \epsilon_1) + C_{pn}^0 S_{pn}^0(p_1, \epsilon_1) + 2C_{pp}^0 S_{pp}^0(p_1, \epsilon_1).$$

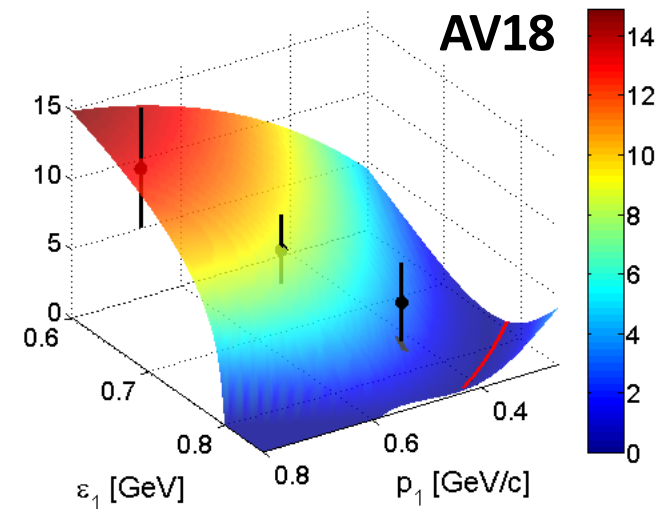
Compare with (e,e'pN) data!

First studies of combined missing energy and momentum!

${}^4\text{He}$ #pp/#pn [%] with $C^d/C^0=32.691$, $\sigma_{\text{CM}}=100$ MeV, potential=N3LO



${}^4\text{He}$ #pp/#pn [%] with $C^d/C^0=19.8542$, $\sigma_{\text{CM}}=100$ MeV, potential=AV18



Weiss, Korover, Piasetzky, Hen, and Barnea, arXiv: 1806.10217 (2018)

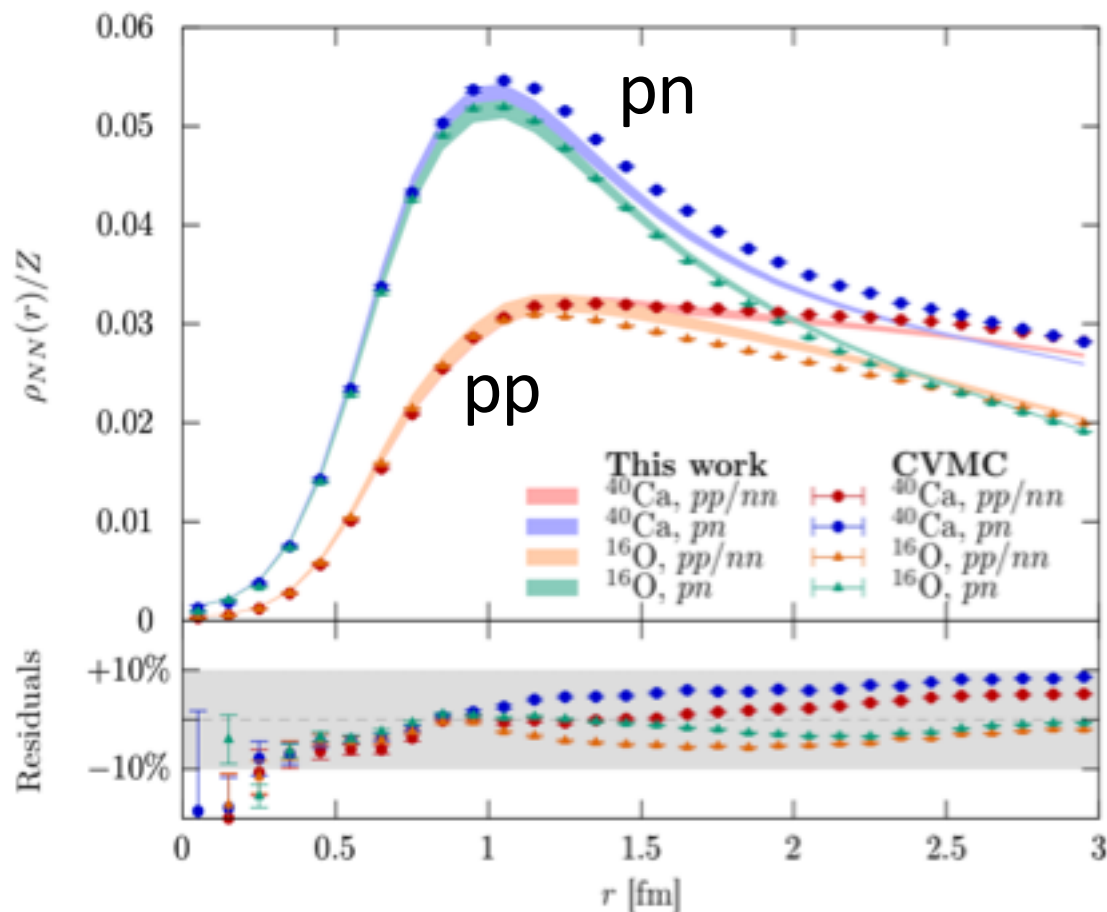
Consistent k- & r-Space Contacts

A	k-space				r-space			
	$C_{pn}^{s=1}$	$C_{pn}^{s=0}$	$C_{nn}^{s=0}$	$C_{pp}^{s=0}$	$C_{pn}^{s=1}$	$C_{pn}^{s=0}$	$C_{nn}^{s=0}$	$C_{pp}^{s=0}$
${}^4\text{He}$	12.3 ± 0.1	0.69 ± 0.03	0.65 ± 0.03		11.61 ± 0.03	0.567 ± 0.004		
	14.9 ± 0.7 (exp)	0.8 ± 0.2 (exp)						
${}^6\text{Li}$	10.5 ± 0.1	0.53 ± 0.05	0.49 ± 0.03		10.14 ± 0.04	0.415 ± 0.004		
${}^7\text{Li}$	10.6 ± 0.1	0.71 ± 0.06	0.78 ± 0.04	0.44 ± 0.03	9.0 ± 2.0	0.6 ± 0.4	0.647 ± 0.004	0.350 ± 0.004
${}^8\text{Be}$	13.2 ± 0.2	0.86 ± 0.09	0.79 ± 0.07		12.0 ± 0.1	0.603 ± 0.003		
${}^9\text{Be}$	12.3 ± 0.2	0.90 ± 0.10	0.84 ± 0.07	0.69 ± 0.06	10.0 ± 3.0	0.7 ± 0.7	0.65 ± 0.02	0.524 ± 0.005
${}^{10}\text{B}$	11.7 ± 0.2	0.89 ± 0.09	0.79 ± 0.06		10.7 ± 0.2	0.57 ± 0.02		
${}^{12}\text{C}$	16.8 ± 0.8	1.4 ± 0.2	1.3 ± 0.2		14.9 ± 0.1	0.83 ± 0.01		
	18 ± 2 (exp)	1.5 ± 0.5 (exp)						

Understanding two-body densities

$$\rho_{NN,s}(\vec{r}) \equiv \sum_{\substack{i,j \in NN \\ i < j}} \langle \psi | \delta(\vec{r} - \vec{r}_{ij}) P_s | \psi \rangle$$

Significant isospin dependence



Factorized Model

$$\rho_{NN}(r) = g_{NN}(r)\rho_{NN}^{\text{contact}}(r) + \kappa(1 - g_{NN}(r))\rho_{NN}^{(0)}(r)$$

Universal SRC
Blending Function

$$\rho_{NN,s}^{\text{contact}}(r) = C_A^{NN,s} \times |\varphi_{NN,s}(r)|^2$$

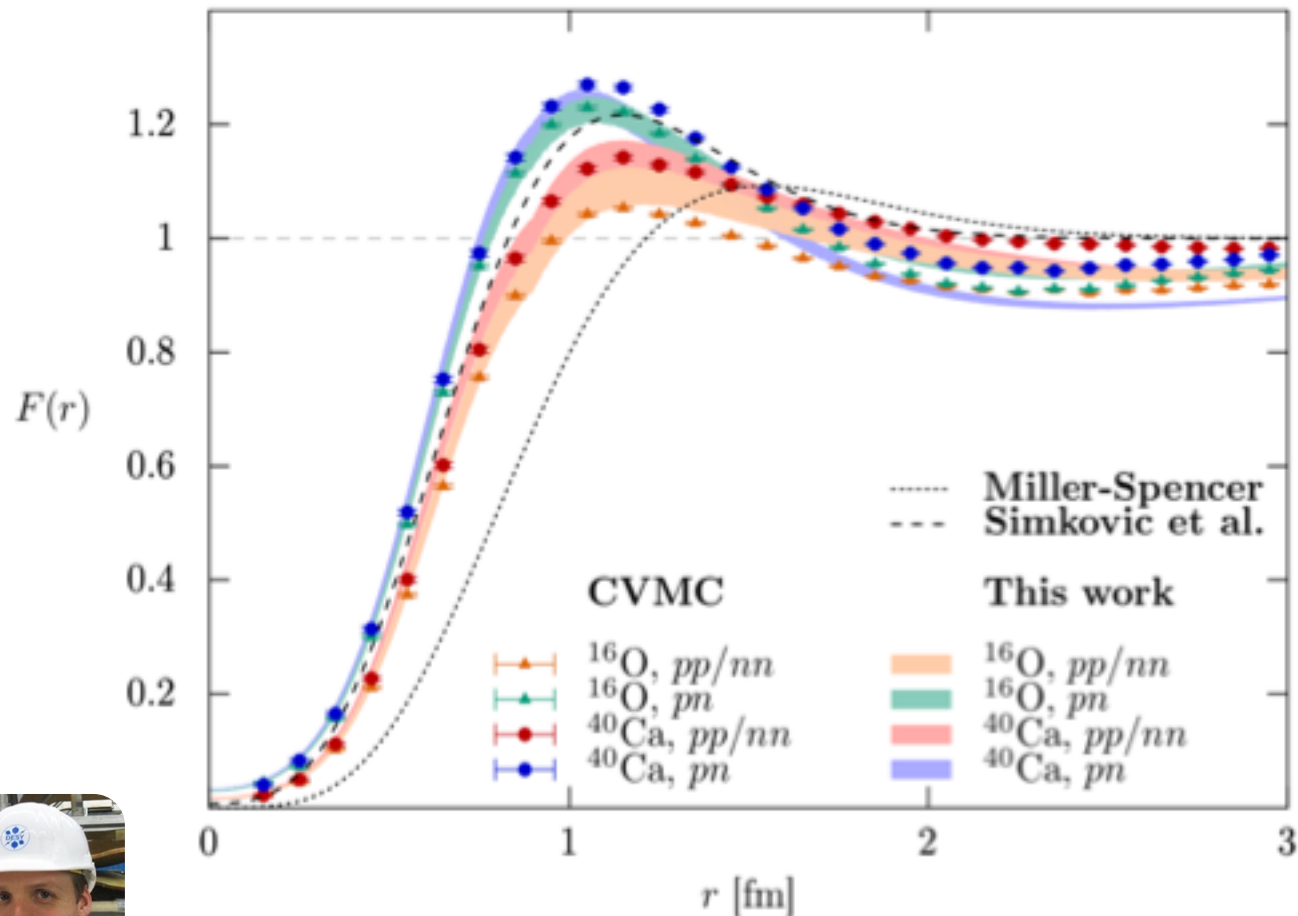
$$\rho_{NN}^{(0)}(\vec{r}) \equiv S_{NN} \int d^3\vec{R} \rho_N(\vec{R} + \vec{r}/2) \rho_N(\vec{R} - \vec{r}/2)$$

[Un-correlated 2B density]

Correlation Function

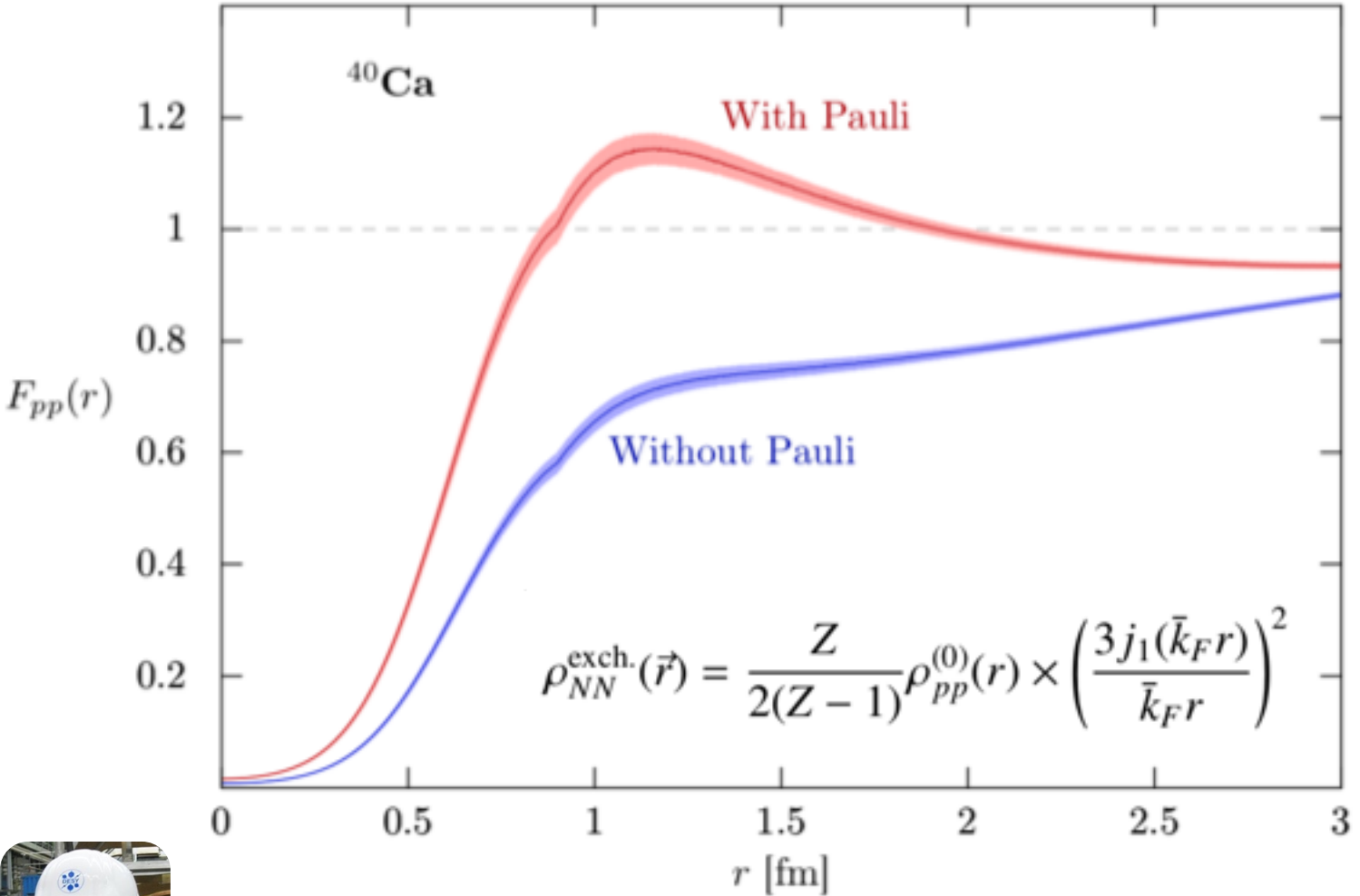
Derive Correlation function:

$$F_{NN,s}(r) \equiv \frac{\rho_{NN,s}(r)}{\rho_{NN}^{\text{uncorr.}}(r)} + \text{Pauli Exchange}$$



Cruz-Torres and Schmidt et al., arXiv: 1710.07966 (2018)

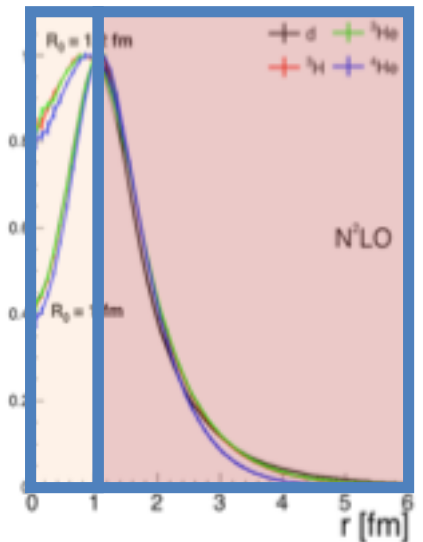
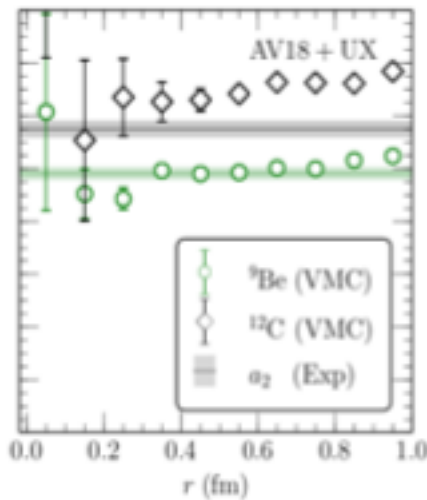
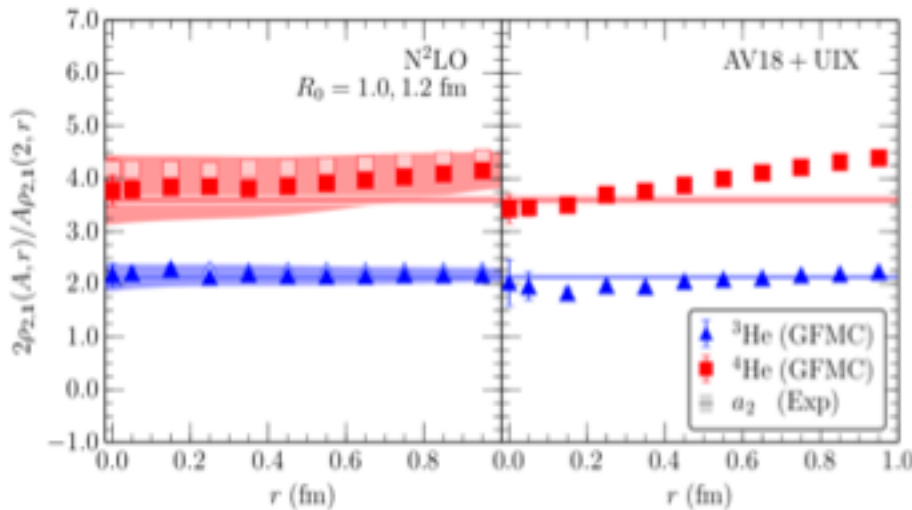
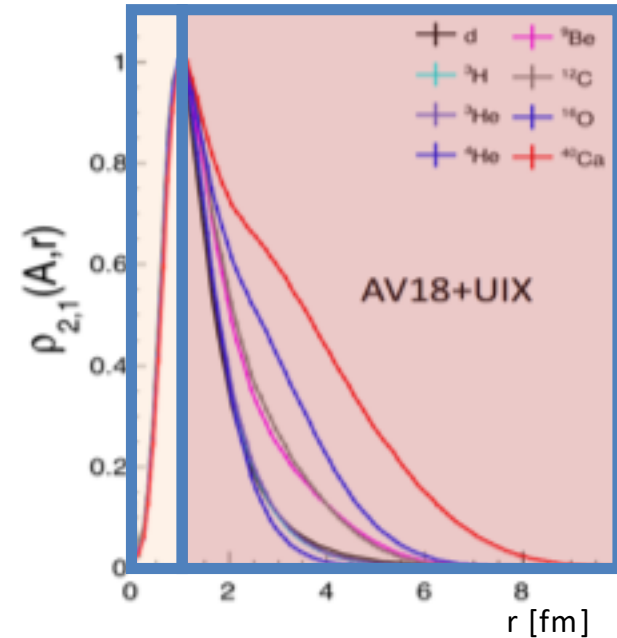
Pauli Exchange remedies the isospin dependence



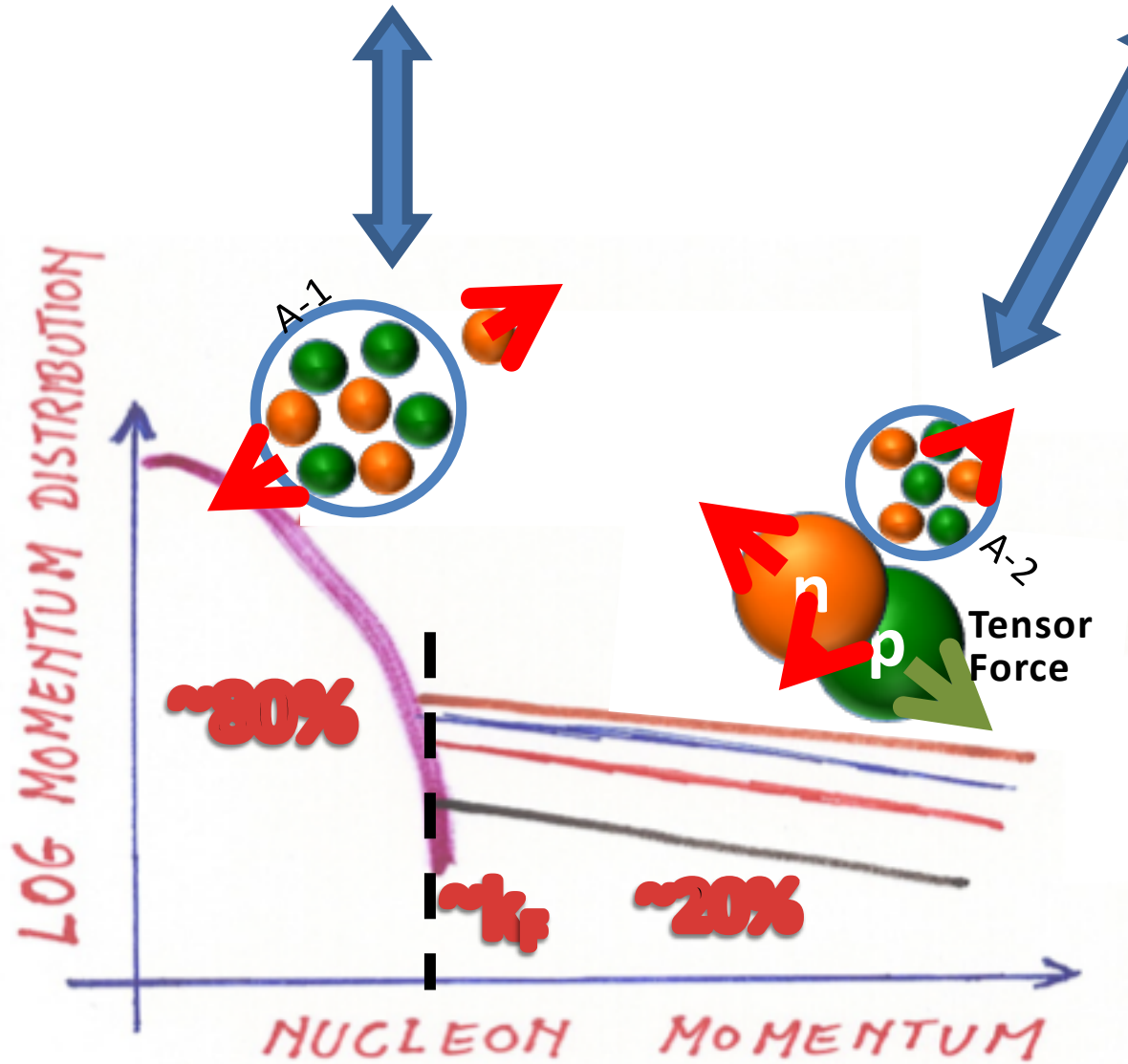
Cruz-Torres and Schmidt et al., arXiv: 1710.07966 (2018)

Coordinate Space Scaling

- Two-body densities scale at short distance for all interaction.
- A/d scaling coefficient matches k -space and (e,e') scaling data.
- Deuteron density (AV-18):
 k -space $> 1.3 \text{ fm}^{-1}$: $\sim 5\%$
 r -space $< 1.0 \text{ fm}$: $\sim 5\%$



Bound = 'quasi Free' + Modified SRCs



Bound nucleons in EFT and QCD

1) Factorization:

$$\text{Bound Nucleon} = \text{Free Nucleon} + \underline{\text{Universal Modification} \times \text{Nucleus Amplitude}}$$

**Hen, Miller, Piasezky and Weinstein,
Reviews of Modern Physics (2017).**

Bound nucleons in EFT and QCD

1) Factorization:

$$\text{Bound Nucleon} = \text{Free Nucleon} + \text{Universal Modification} \times \text{Nucleus Amplitude}$$

2) SRC Dominance:

$$\underline{\text{Nucleus Amplitude} \Leftrightarrow \text{Abundance of SRC pairs}}$$

Bound nucleons in EFT and QCD

1. EFT: $F_2^A(x, Q^2) = F_2^N(x, Q^2) + g_2(A, \Lambda) \cdot f_2(x, Q^2, \Lambda)$

2. QCD: $|N\rangle_{bound} = |N\rangle + (\varepsilon_{bound} - \varepsilon)|N^*\rangle$

Hen, Miller, Piassetzky and Weinstein,
Reviews of Modern Physics (2017).

Chen, Detmold, Lynn, and
Schwenk, PRL (2018).

Bound nucleons in EFT and QCD

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Bound nucleons in EFT and QCD

1. EFT: $F_2^A(x, Q^2) = F_2^N(x, Q^2) + g_2(A, \Lambda) \cdot f_2(x, Q^2, \Lambda)$

 $g_2(A, \Lambda) = \frac{1}{A} \underbrace{\langle A | (N^\dagger N)^2 | A \rangle_\Lambda}_{\text{SRC contact**}}$

2. QCD: $|N\rangle_{bound} = |N\rangle + (\varepsilon_{bound} - \varepsilon) |N^*\rangle$

 $(\varepsilon_{bound} - \varepsilon) \propto \underbrace{\frac{p^2 - m^2}{2M}}_{\text{SRC dominated}}$

Hen, Miller, Piasezky and Weinstein,
Reviews of Modern Physics (2017).

Chen, Detmold, Lynn, and
Schwenk, PRL (2018).

Weiss and Cruz-Torres et al.,
Phys. Lett B 780, 211 (2018)

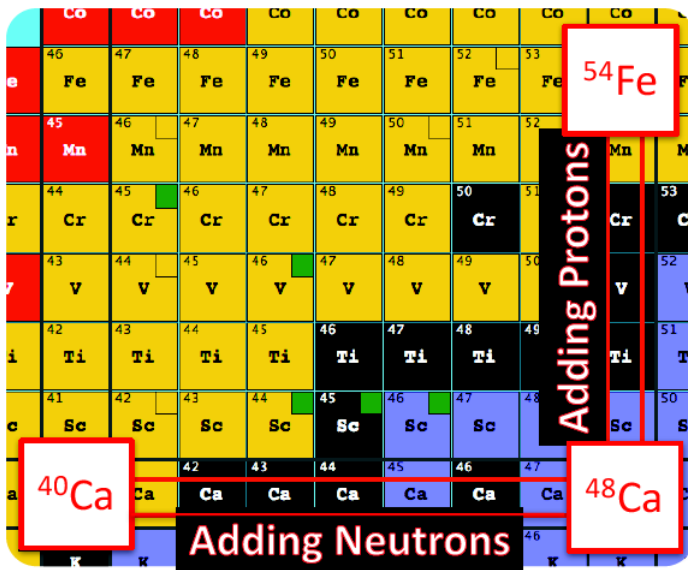
Short-Range Correlations Or Hen (MIT)

- **Future Directions**

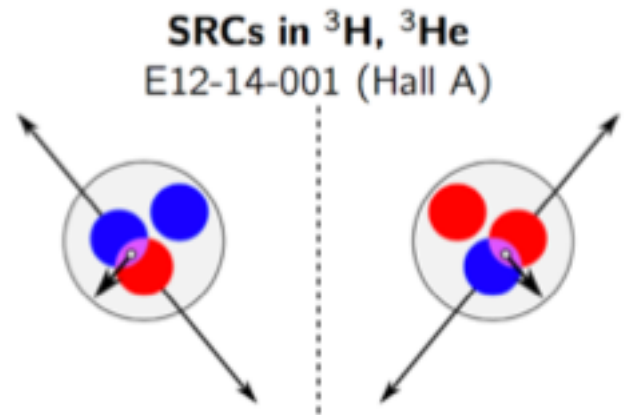


Future Avenues @ JLab

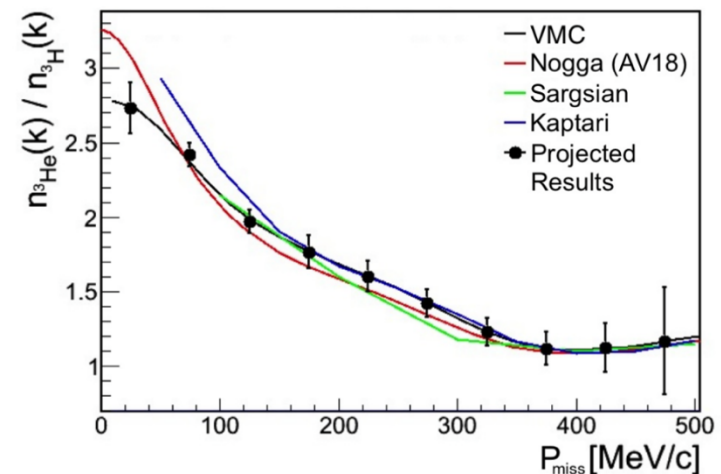
SRC Dynamics in asymmetric nuclei



- Disentangle asymmetry and mass number dependence
- $^{40}\text{Ca} \rightarrow ^{48}\text{Ca} \rightarrow ^{54}\text{Fe}$
- Paring from different orbitals

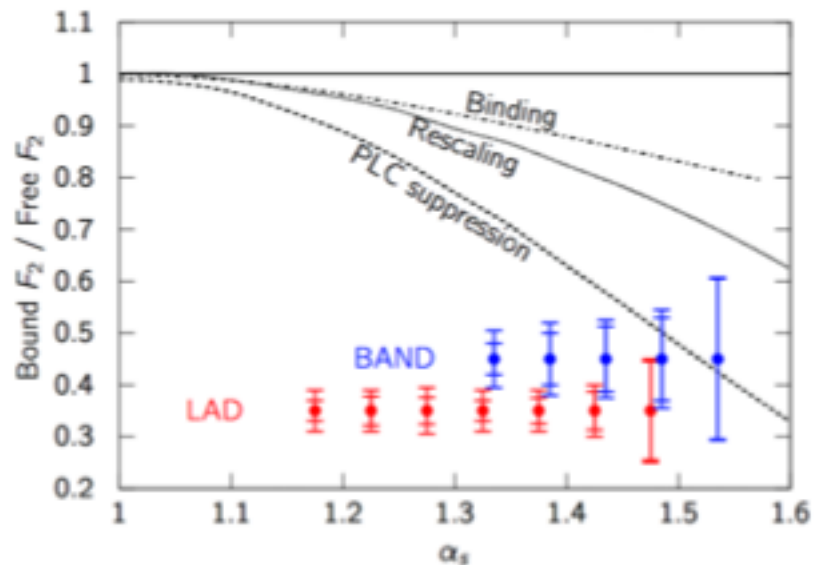
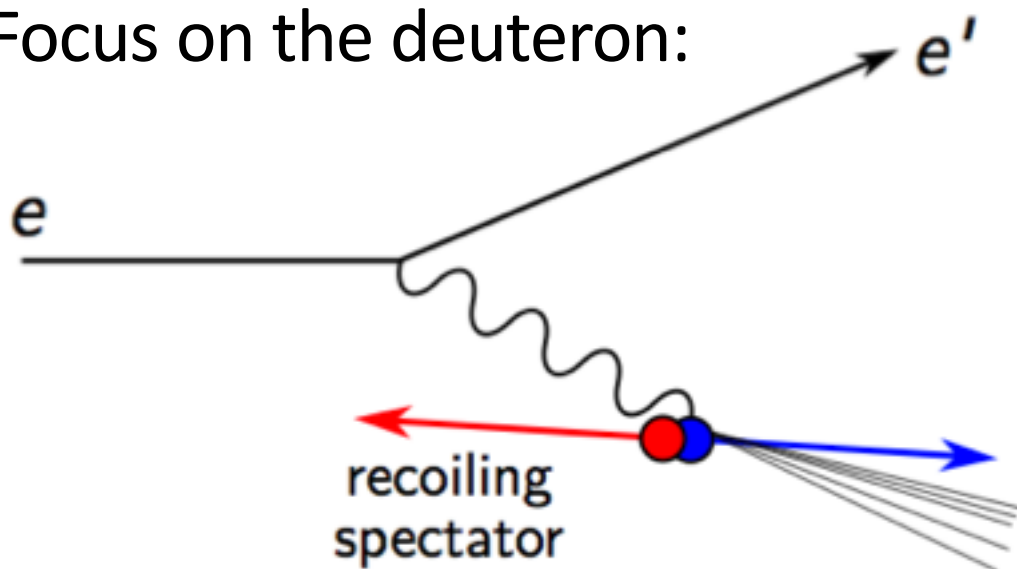


- Hall A Tritium target
- Exploit isospin asymmetry
- ^3H and ^3He are extremely asymmetric!
- Constrain and test ab-initio calculations!

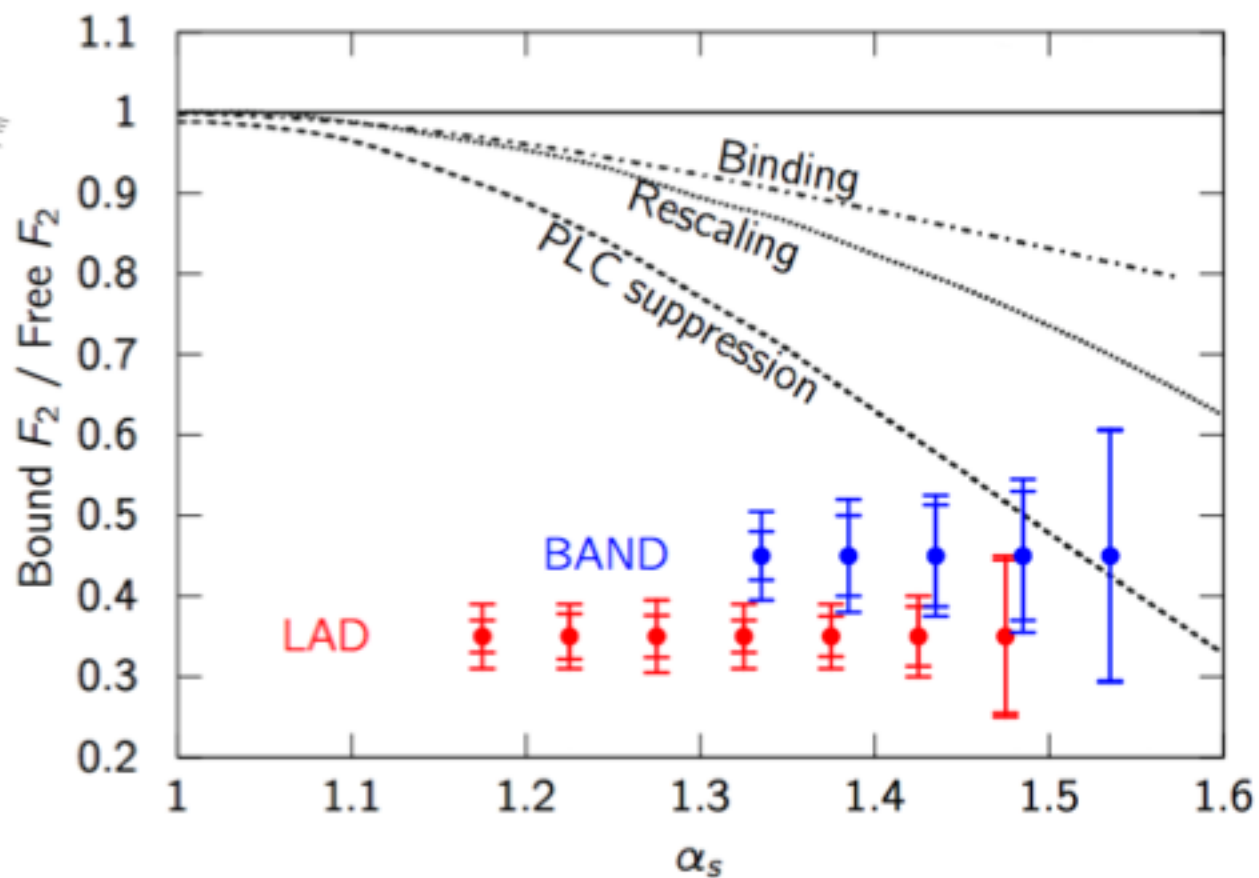
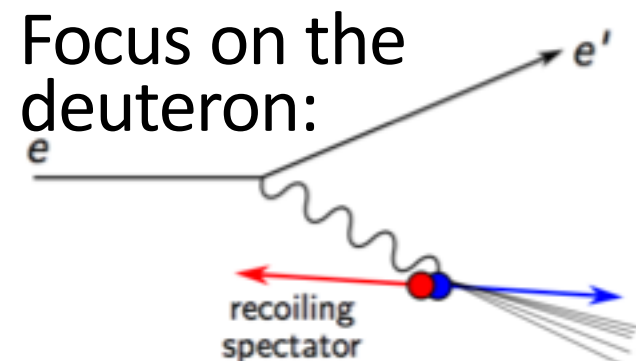


Internal Structure of Bound Nucleons

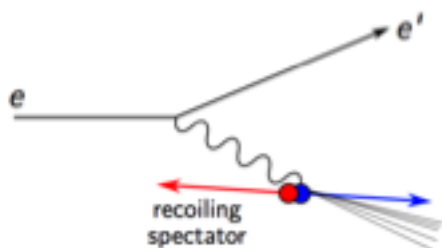
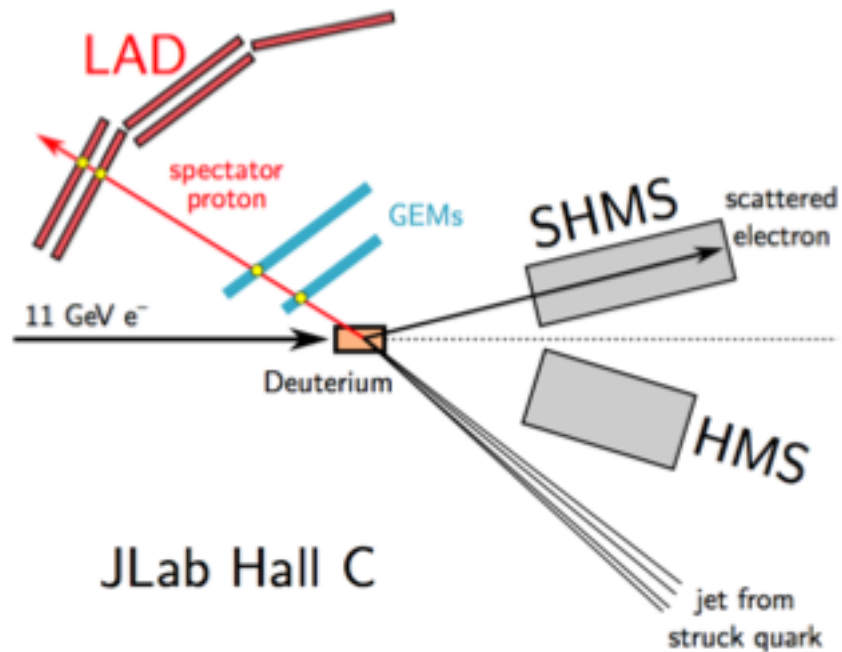
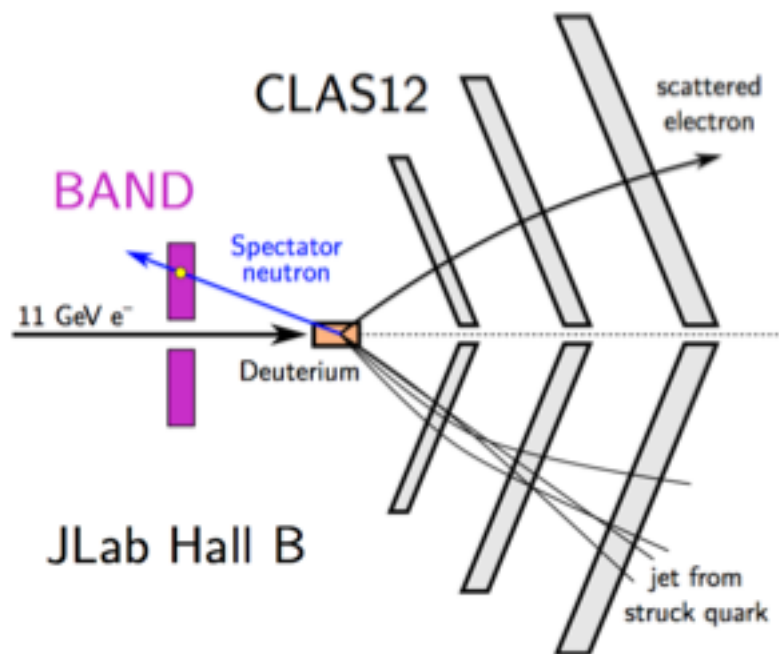
Focus on the deuteron:



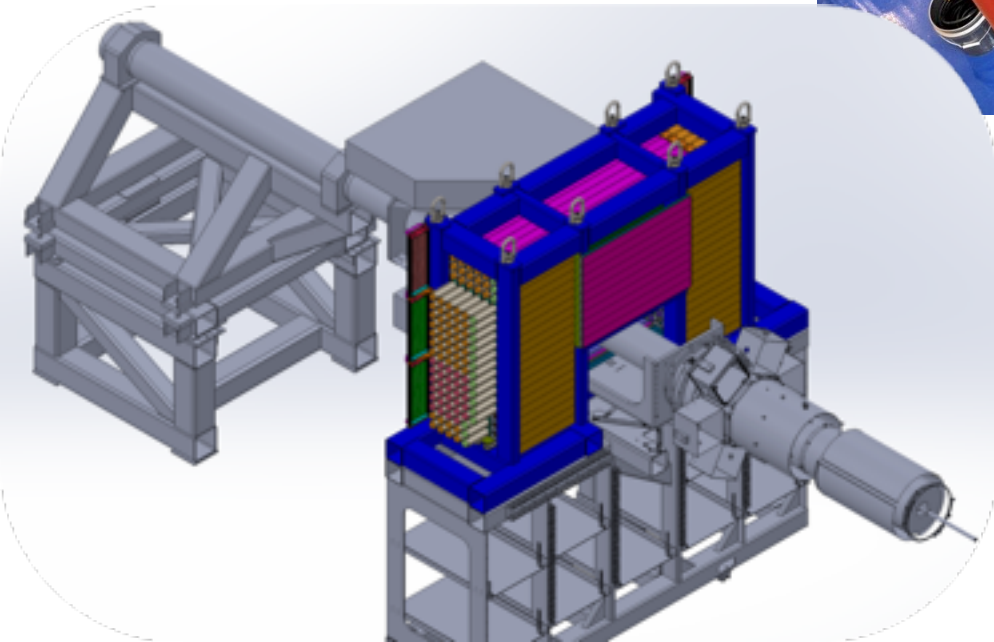
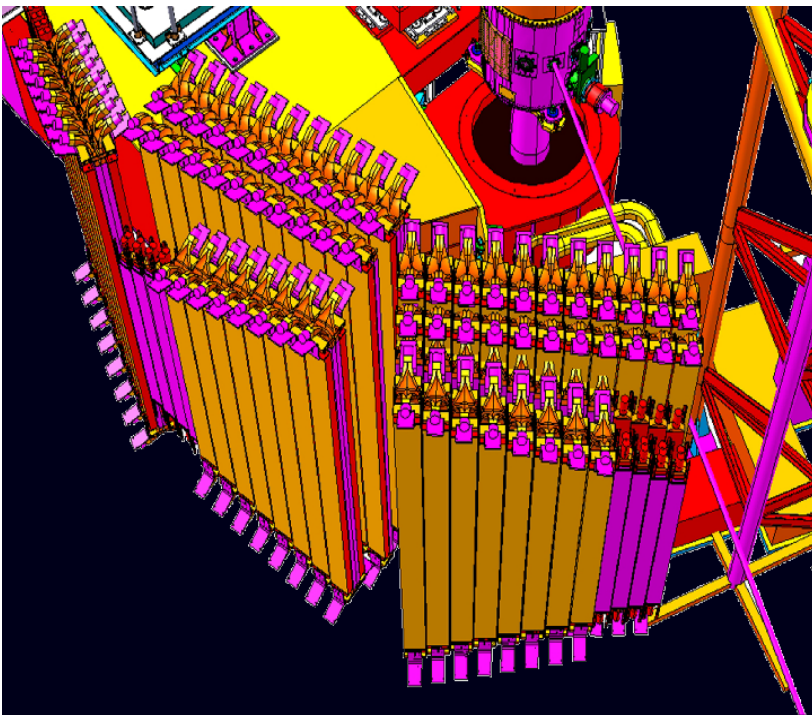
Internal Structure of Bound Nucleons



Internal Structure of Bound Nucleons



Large Acceptance Detector (LAD@Hall-C)

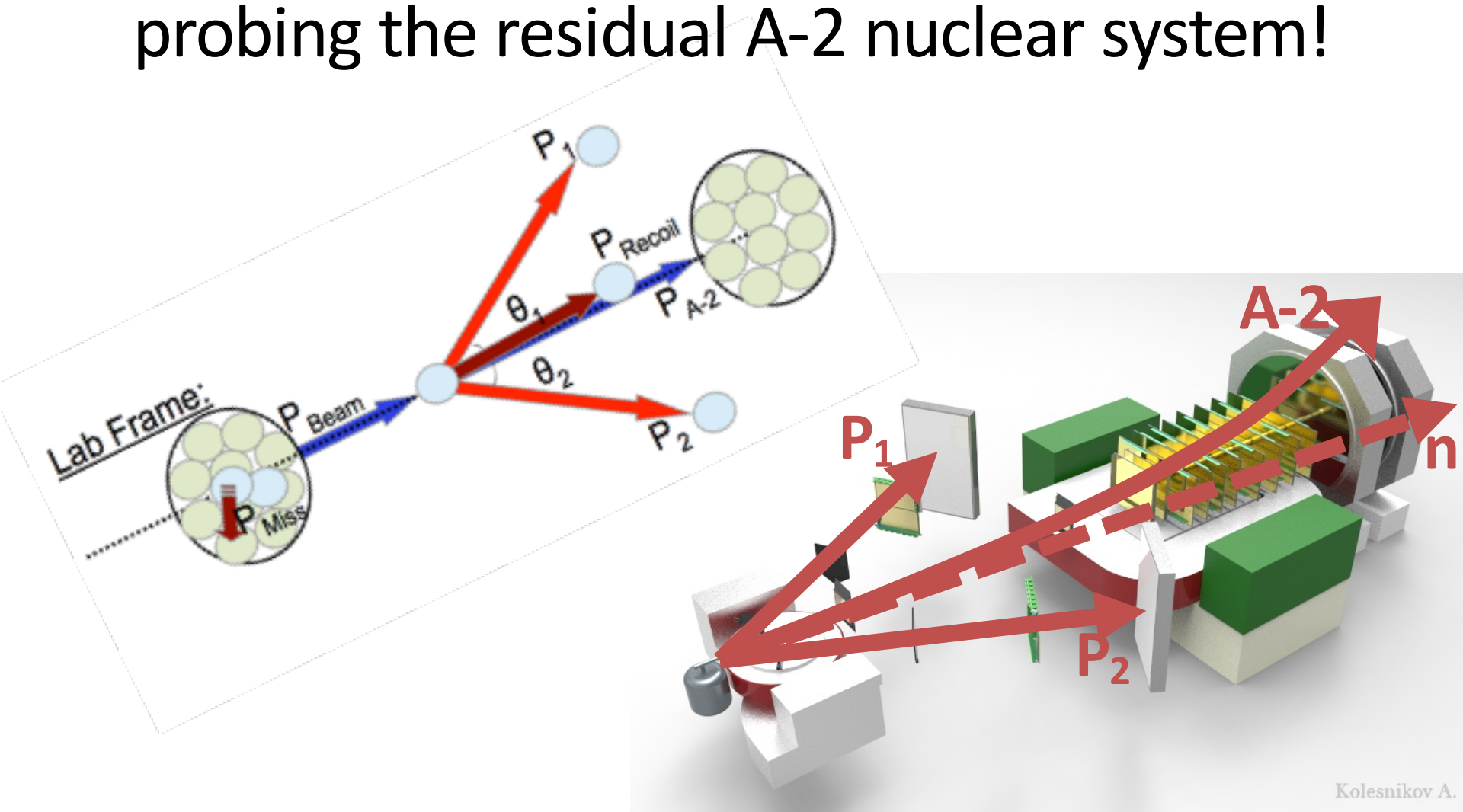


Backward Angle Neutron Detector (BAND@Hall-B)

MIT-BATES / TAU / ODU
/ UTSM

Going Fully Exclusive @ JINR

1st measurement in inverse kinematics;
probing the residual A-2 nuclear system!



The SRC World



+ Many Theory Collaborators: UW, Penn State, Huji, Gent, FIU, Perugia, ...

The MIT Correlations group



Barak Schmookler



Reynier Torres



Afroditi Papadopoulou



Efrain Segarra



Dr. Axel Schmidt



Dr. Adi Ashkenazy



Dr. Maria Patsyuk



Dr. George Laskaris

BRACE YOURSELF

DATA

~~WINTER IS COMING~~

Requirements from theories of SRCs

Reproduce the data.

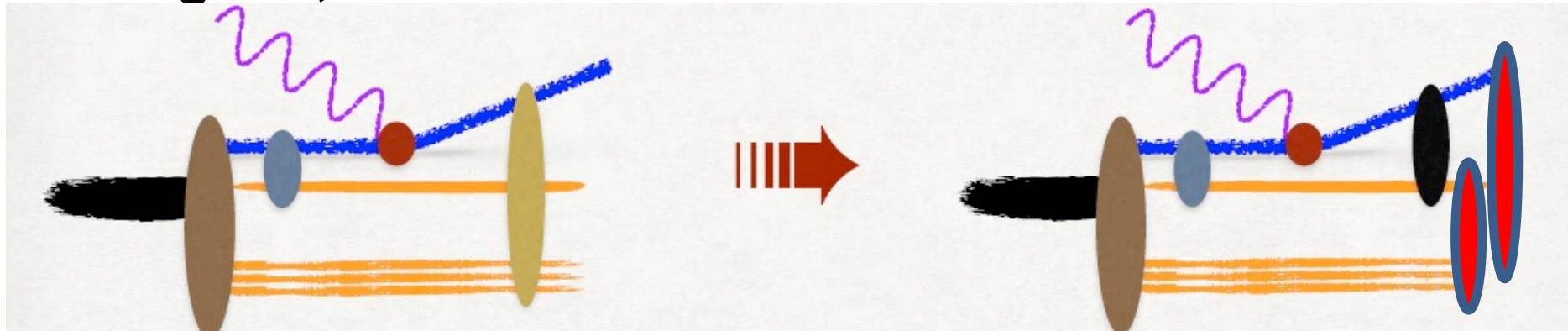
Requirements from theories of SRCs

Reproduce *all features* of the data:

- A-Independence of gross SRC features
- Asymmetry dependence of p/n correlations
- Q^2 independence of observables
- P_{miss} dependence of observables

FSI: Theory Guidance

For large Q^2 , $x > 1$



$$r_{FSI} \sim \frac{1}{\Delta E v} \lesssim 1 \text{ fm}$$

[PRC 56 1124-1137 (1997), arXiv: 0806.4412]

$$\Delta E = -q_0 - M_A + \sqrt{m^2 + (p_i + q)^2} + \sqrt{M_{A-1}^2 + p_i^2}$$




Can be approximated by Glauber (transparency)

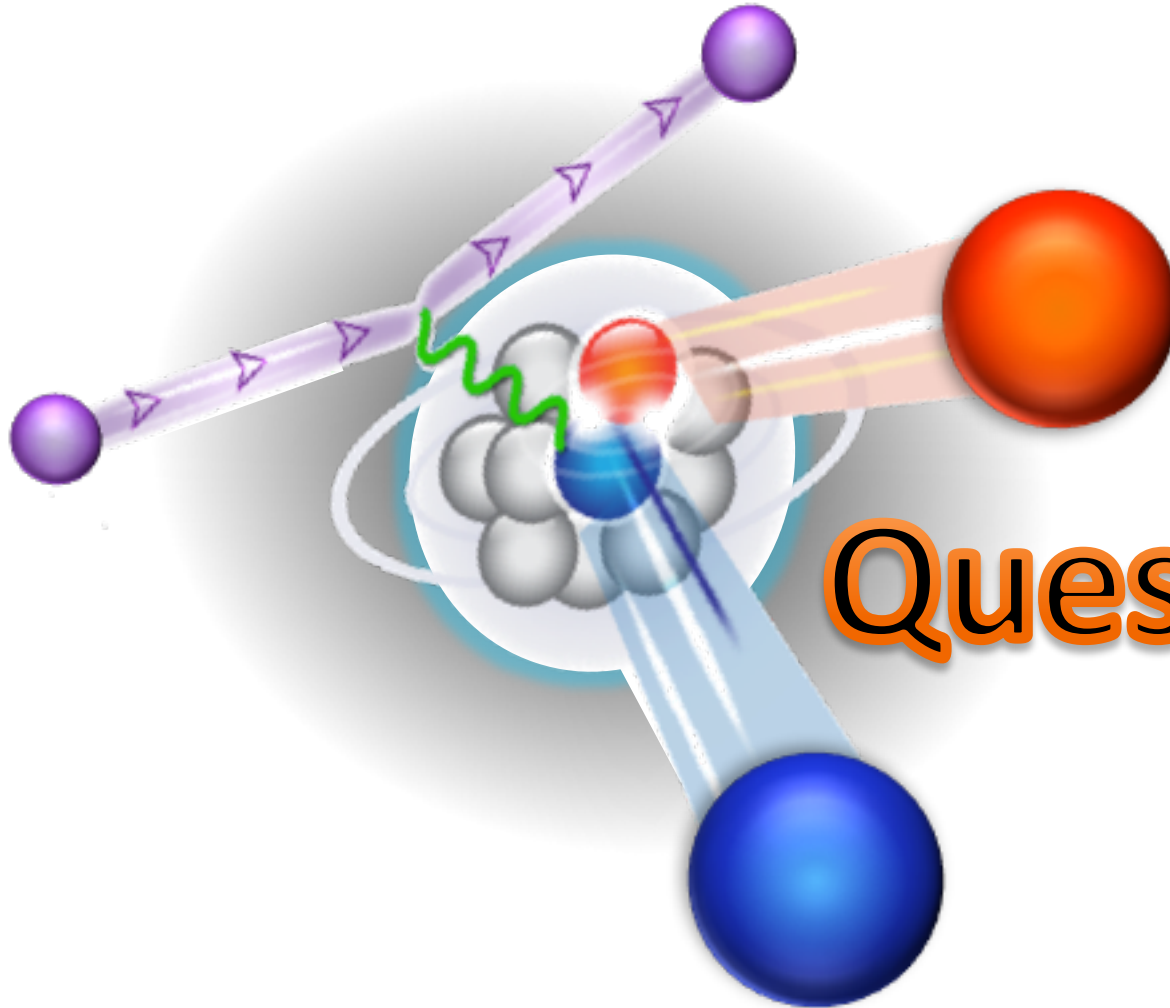


Large but confined within the SRC pair

Rescattering do not produce 2N-SRC candidates due to high p_t

- Choose kinematics to min FSI
- Choose observables not sensitive to 

Thank You!



Questions?