

# Double- $\gamma$ decay process with the $\gamma$ -tracking array AGATA: possible links with $2\beta 0\nu$

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Collaborators:

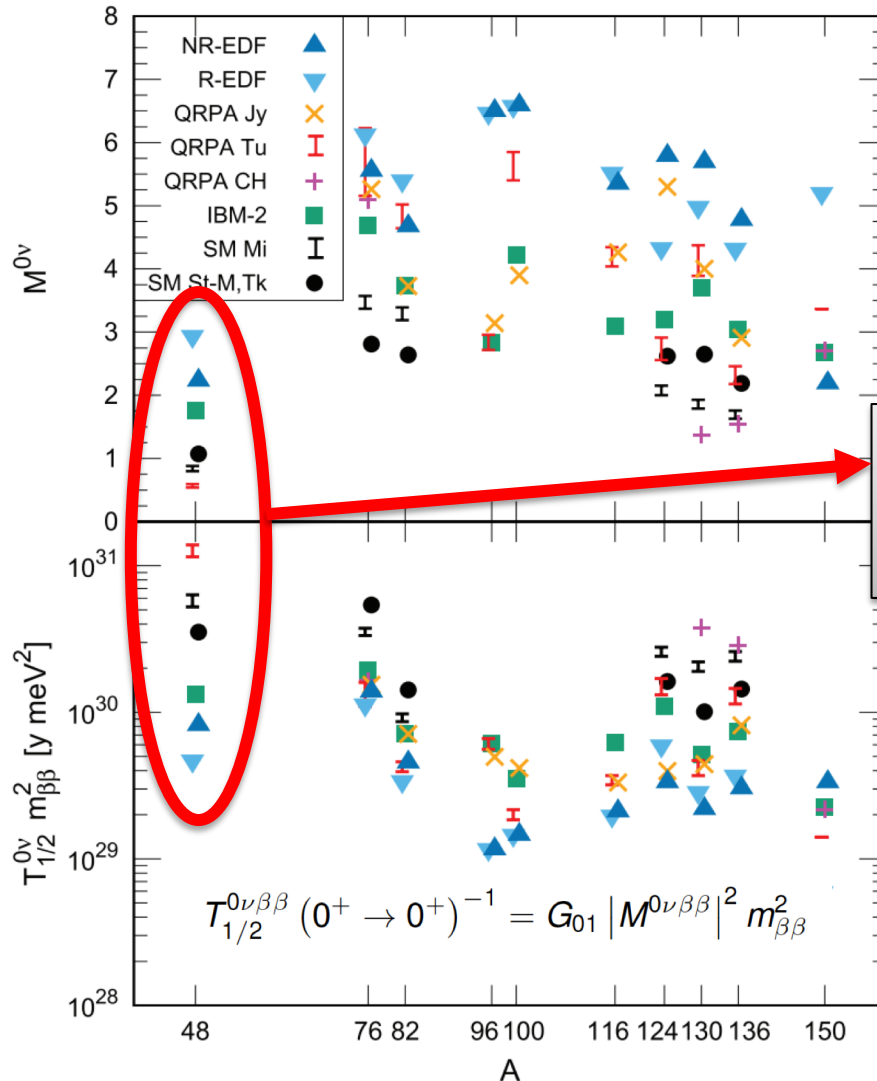
TU-Darmstadt → **N. Pietralla**, T. Aumann, H. Scheit, **P. Napiralla**, P.R. John,  
V. Yu. Ponomarev.

INFN/Padova Uni. → A. Goasduff, G. De Angelis, **D. Brugnara**, D. Mengoni

# Overview

- How to approach the NME?
  - DCX reactions
  - DGT transitions
  - Double-gamma decay
- Competitive double gamma decay process
- AGATA gamma-ray tracking array can efficiently measure the double gamma decay process → experimental difficulties.
- Summary

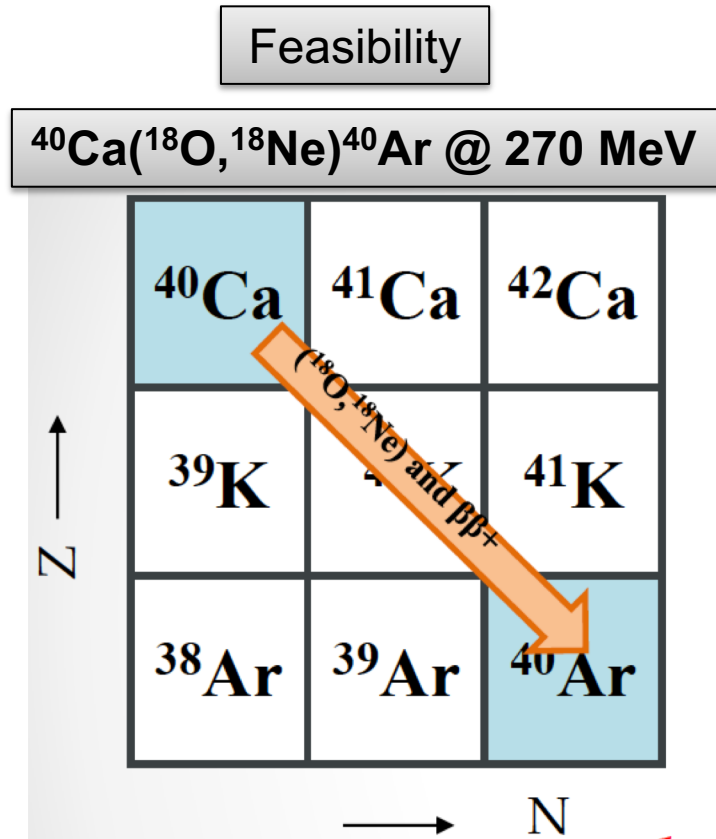
# Theoretical NME



Theoretical Nuclear Matrix Elements (NME) disagree by more than a factor of 2. Maybe also quenching is needed.

In the case of  $^{48}\text{Ca}$  the uncertainty in the  $M^{0\nu} \rightarrow$  more than an order of magnitude in the  $T_{1/2}$

# DCX reactions and $2\beta 0\nu$



**Measured:  $d\sigma(\text{DCE})/d\Omega = 11 \mu\text{b}/\text{sr}$**

Competing processes are at the  
1% level

- DCE mediated by strong interaction,  $\beta\beta 0\nu$  by weak interaction
- DCE includes sequential multinucleon transfer mechanism

BUT

- Same initial and final wave functions
- Similar operator ...

The idea of NUMEN is to go to more relevant cases such as:  $^{76}\text{Ge}$ ,  $^{116}\text{Cd}$ ,  $^{130}\text{Te}$ ,  $^{136}\text{Xe}$

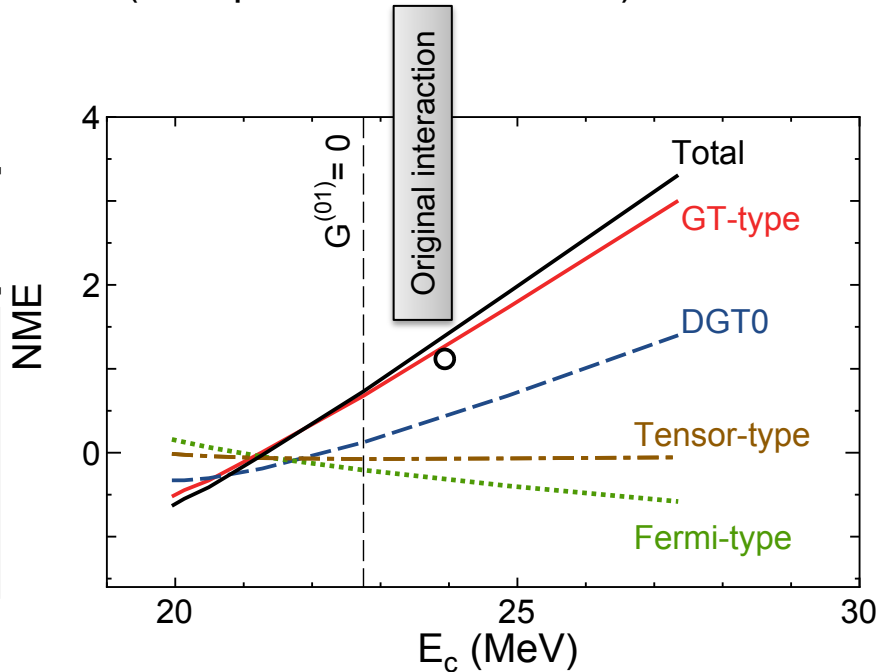
There are experimental challenges:

- Large beam intensities
- $\beta\beta^-$  requires a radioactive beam ( $^{18}\text{Ne}$ ,  $^{18}\text{O}$ )
- Some cases, not enough energy resolution  
→  $\gamma$  detectors

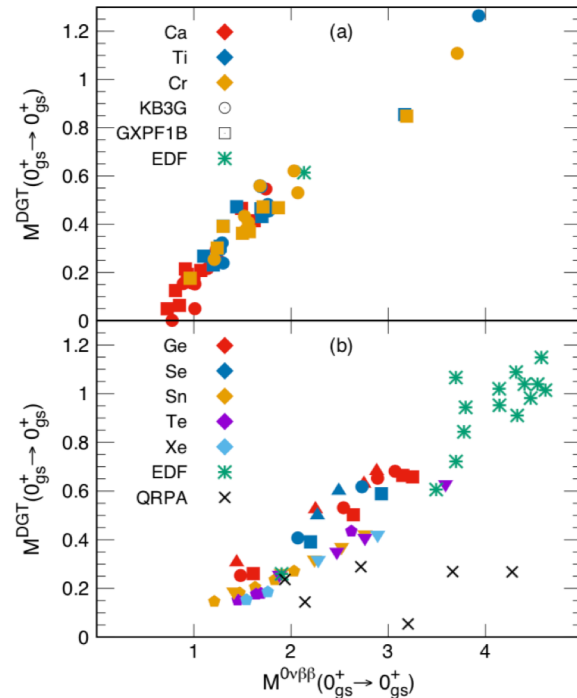
# DGT and $2\beta 0\nu$

Presentation on 7<sup>th</sup> March (2017) INT: Double Gamow-Teller transitions and its relation to neutrinoless  $2\beta$  decay (N. Shimizu, J. Menendez, and K. Yako) → PRL (Accepted 2<sup>nd</sup> March 2018).

arXiv:1709.01088 [nucl-th]



$^{48}\text{Ca} \rightarrow \text{NME}$ , dominated by  $M_{0\nu}$ , is well correlated with the average energy of the DGT GR (so far never measured experimentally)

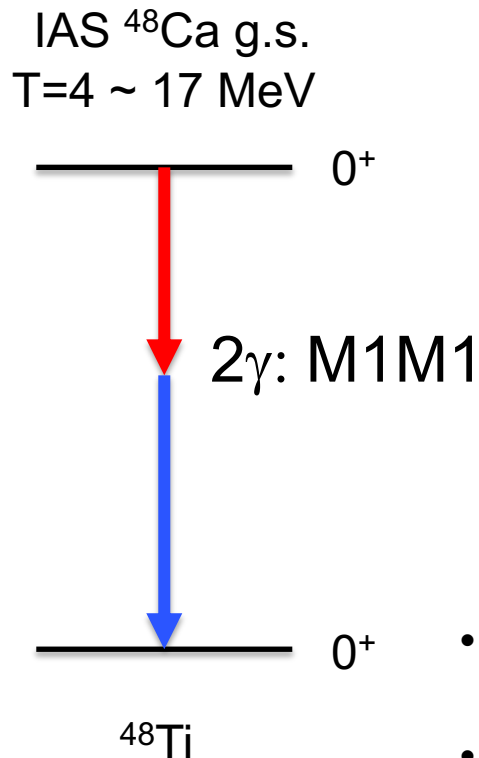


Linear correlation DGT transition to the final g.s. and the  $0\nu\beta\beta$  decay NME. The correlation origins in the dominant short-range character of both transitions.

Exp. Challenge:  $0^+ \rightarrow 0^+ 0.03$  per mil of total DGT

# Any possible relation $2\gamma - 2\beta 0\nu$ ?

J. Menendez and N. Shimizu working on theoretical relations  $2\gamma - 2\beta 0\nu$



- $2\gamma$  has the same initial and final states as in  $2\beta 0\nu$
- The magnetic dipole operator (M1) and the Gamow-Teller (GT) operator are similar. They have the same major components of the isovector (IV) spin  $\sigma\tau$  term.
- Electromagnetic interaction vs. weak interaction
- The matrix elements in both cases have an energy denominator  $\rightarrow$  in the  $2\beta 0\nu$  the dependence is mainly dominated by the neutrino momentum transfer

- (T=4)  $0^+$  IAS of  $^{48}\text{Ca}$  particle decay is isospin forbidden and also the direct decay to the  $^{48}\text{Ti}$  g.s.
- Need to know the width of the T=4 state in  $^{48}\text{Ti}$
- How to populate efficiently the  $0^+$  (T=4)?
- How to be sensitive to the  $2\gamma$ ?

# Experimental approach IAS - $2\gamma$

- $^{50}\text{Ti}(p,t)^{48}\text{Ti}$   $Q = -10.6$  MeV
- $^{46}\text{Ca}(^4\text{He},2n)^{48}\text{Ti}$   $Q = -8.36$  MeV
- $^{48}\text{Ca}(^3\text{He},3n)^{48}\text{Ti}$   $Q = -5.01$  MeV
- $^{48}\text{Ca}(^{20}\text{Ne},^{20}\text{O})^{48}\text{Ti}$   $Q = -6.50$  MeV
- .....

I.E.2:  
I.E.7

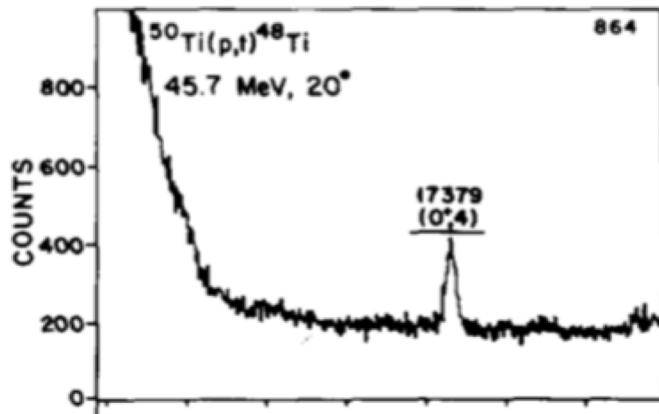
*Nuclear Physics A309* (1978) 329–343; © North-Holland Publishing Co., Amsterdam  
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## EXPERIMENTAL DISPLACEMENT ENERGIES OF ISOBARIC ANALOG STATES IN THE $1f_{7/2}$ SHELL †

R. T. KOUZES, P. KUTT, D. MUELLER and R. SHERR

*Joseph Henry Laboratories, Princeton University, Princeton, New Jersey 08540*

Received 27 June 1978



## DCX $^{48}\text{Ca}(\pi^+, \pi^-)^{48}\text{Ti}$

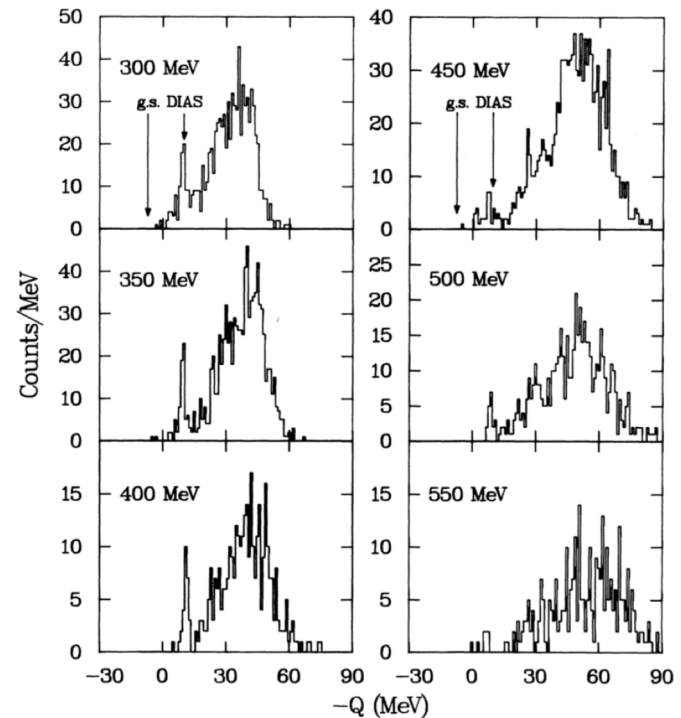
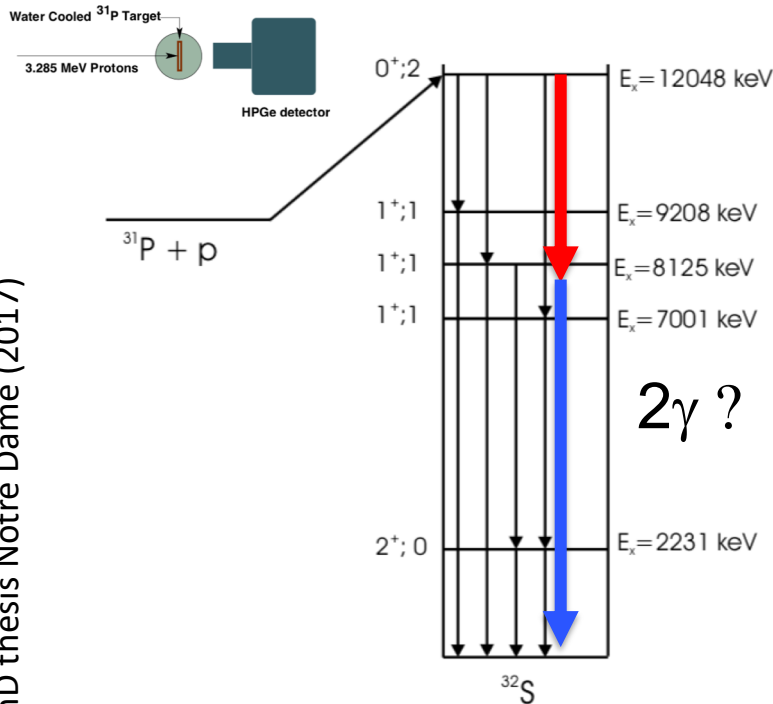


TABLE V. Results of using Eqs. (1) and (2) to calculate cross sections for  $^{42,44,48}\text{Ca}$  averaged over 400–500 MeV.<sup>a</sup>

| Transition   | $d\sigma/d\Omega_{\text{exp}}$<br>( $\mu\text{b}/\text{sr}$ ) | DIAS only <sup>b</sup><br>$d\sigma/d\Omega_{\text{calc}}$<br>( $\mu\text{b}/\text{sr}$ ) | Fit DIAS + g.s. <sup>c</sup><br>$d\sigma/d\Omega_{\text{calc}}$<br>( $\mu\text{b}/\text{sr}$ ) | $\chi^2$ |
|--|---|--|--|----------|
| $^{42}\text{Ca} \rightarrow ^{42}\text{Ti}$ (DIAS) | $0.747 \pm 0.109$   | 0.747  | 0.498  | 5.24     |
| $^{44}\text{Ca} \rightarrow ^{44}\text{Ti}$ (DIAS) | $0.855 \pm 0.125$   | 0.855  | 0.987  | 1.12     |
| $^{48}\text{Ca} \rightarrow ^{48}\text{Ti}$ (DIAS) | $2.49 \pm 0.284$  | 2.49   | 2.43   | 0.04     |
| $^{48}\text{Ca} \rightarrow ^{48}\text{Ti}$ (g.s.) | $0.094 \pm 0.047$   | 0.418  | 0.0901   | 0.01     |
| $^{48}\text{Ca} \rightarrow ^{48}\text{Ti}$ (g.s.) | $0.026 \pm 0.026$   | 0.308  | 0.0663   | 2.37     |

# Gamma decay from IAS



Total width  $\Gamma = 40(15)$  eV. Although the state is mainly unbound to isospin-forbidden proton and  $\alpha$  emission, it also de-excites to the ground state via  $\gamma$  transitions, with  $\Gamma_\gamma \approx 2$  eV

LEVEL ENERGIES AND DOPPLER-CORRECTED  
GAMMA RAY ENERGIES FROM  $^{32}\text{S}$ .

| $J^\pi, T$ | $E_x$ (keV)              |              | $E_\gamma$ (keV) |
|------------|--------------------------|--------------|------------------|
|            | Previous work            | This work    |                  |
| $2^+, 0$   | 2230.57(15) <sup>a</sup> | ...          | ...              |
| $1^+, 1$   | 7002.5(10) <sup>b</sup>  | 7001.44(36)  | 4770.49(33)      |
| $1^+, 1$   | 8125.40(20) <sup>a</sup> | 8125.32(24)  | 5894.32(28)      |
|            |                          |              | 8124.12(24)      |
| $1^+, 1$   | 9207.5(7) <sup>b</sup>   | 9207.55(71)  | 9206.13(71)      |
| $0^+, 2$   | 12045.0(4) <sup>c</sup>  | 12047.96(28) | 2840.32(14)      |
|            |                          |              | 3922.37(15)      |
|            |                          |              | 5046.09(39)      |

S. Triambak, PhD thesis Notre Dame (2017)

The isospin selection rules follow as a direct consequence  $\Delta T = 0, \pm 1$  for allowed  $\gamma$  transitions  $\rightarrow$  otherwise isotensor components besides the isoscalar-isovector components.

$^{31}\text{P}$  target with an  $\approx 6 \mu\text{A}$ , 3.285 MeV proton beam

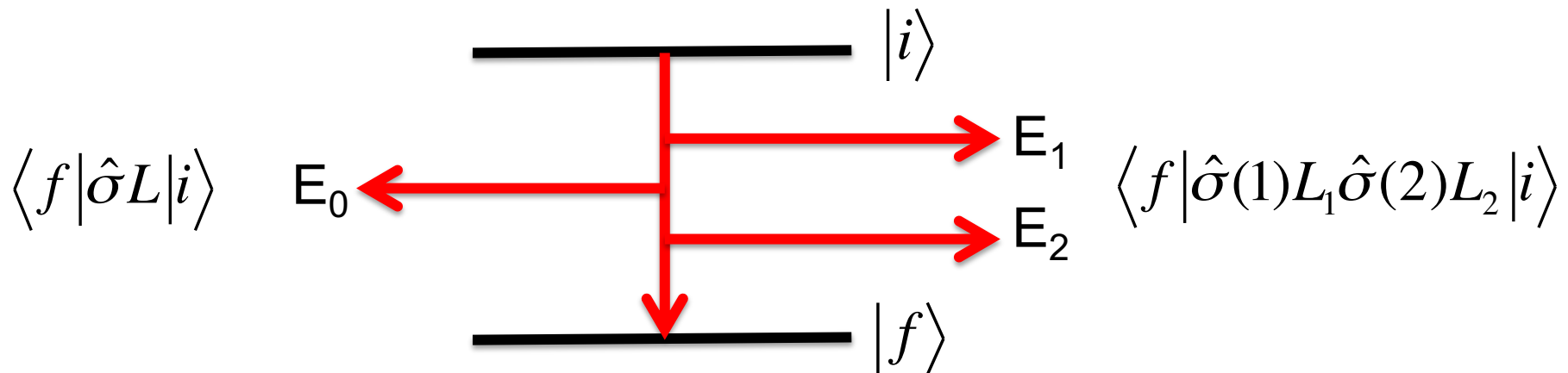


# Competitive double gamma decay

- The two-photon decay process is a second order process in quantum electrodynamics (QED)  $\rightarrow$  excited nuclear state emits two gamma-ray energy-quanta of continuous energy
- Theoretically the  $\gamma\gamma$ -decay process is treated as a second-order perturbation

First time observed competitive double-gamma (“ $\gamma\gamma/\gamma$ ”) decay (Walz et al., nature **526**, 406 (2015))

- Energy sharing of the two gamma rays
- Angular distribution
- Branching ratio  $\Gamma_{\gamma\gamma}/\Gamma_{\gamma} = 2.1 \cdot 10^{-6}$  in  $^{137}\text{Ba}$
- Determination of the matrix elements involved in the  $\gamma\gamma$  process  $\rightarrow$  QP calculations



# Competitive double gamma decay

- The two-photon decay process is a second order process in quantum electrodynamics (QED) → excited nuclear state decays into ground state by emitting two quanta of continuous energy
- Theoretically the  $\gamma\gamma$ -decay process is treated as a perturbation

First time observed competitive double gamma decay in  $^{152}\text{Sm}$  (Nature **526**, 406 (2015))

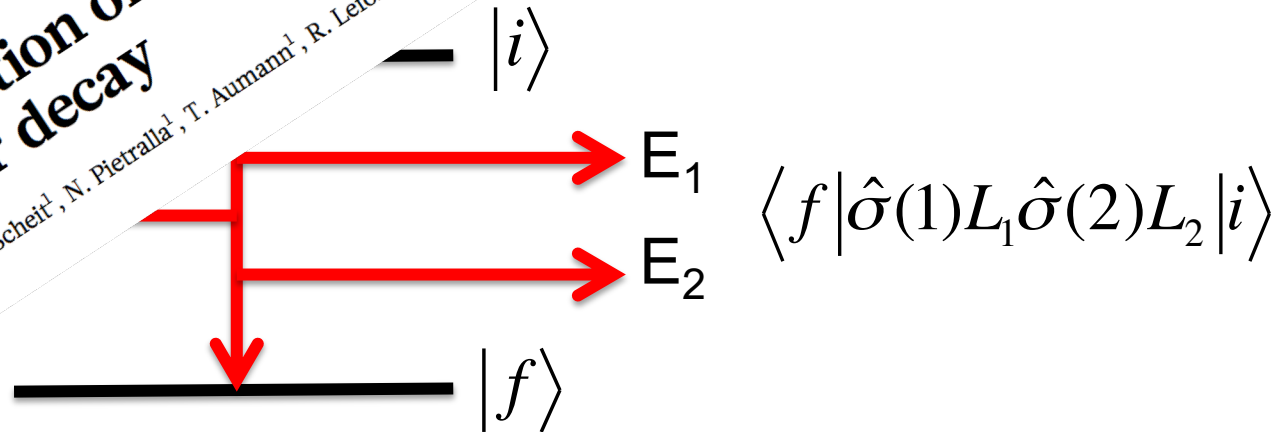
- Energy sharing of the two photons
- Angular distribution
- Branching ratio
- Determination of the  $\gamma\gamma$  process

LETTER

Observation of the competitive double-gamma nuclear decay

C. Wälz<sup>1</sup>, H. Scheit<sup>1</sup>, N. Pietralla<sup>1</sup>, T. Aumann<sup>1</sup>, R. Lefol<sup>1,2</sup> & V. Yu. Ponomarev<sup>1</sup>

doi:10.1038/nature15543

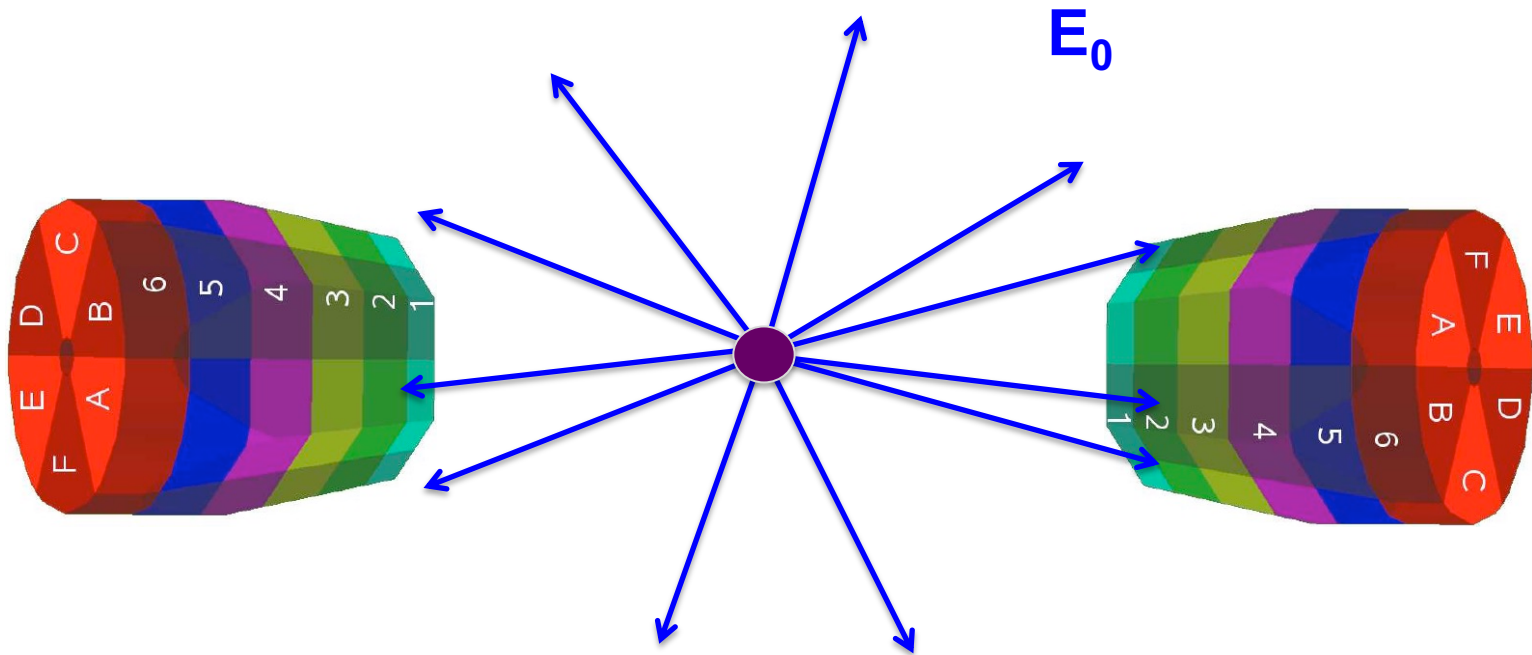


$$\langle f | \hat{\sigma} L | i \rangle$$

$$\langle f | \hat{\sigma}(1) L_1 \hat{\sigma}(2) L_2 | i \rangle$$

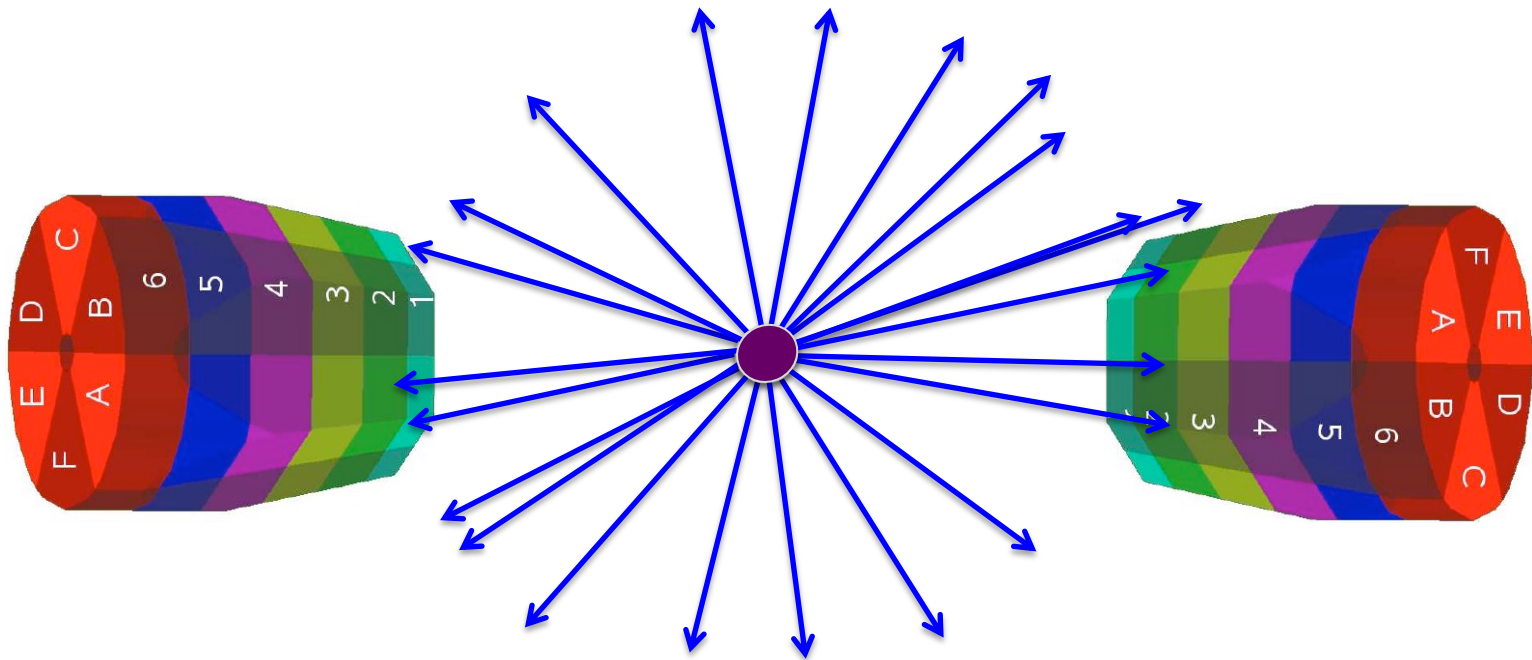
# Experimental challenges

- The competitive  $\gamma\gamma/\gamma$  decay process is at least five orders of magnitude smaller than the single gamma decay.
- Due to the nature of gamma radiation with matter, large probability to have a Compton effect that mimics the  $\gamma\gamma/\gamma$  decay process  $E_0 = E_1 + E_2$
- Two gamma rays with  $E_0$  deposit partial energies  $\rightarrow \Sigma E_i = E_0$
- Gamma natural background



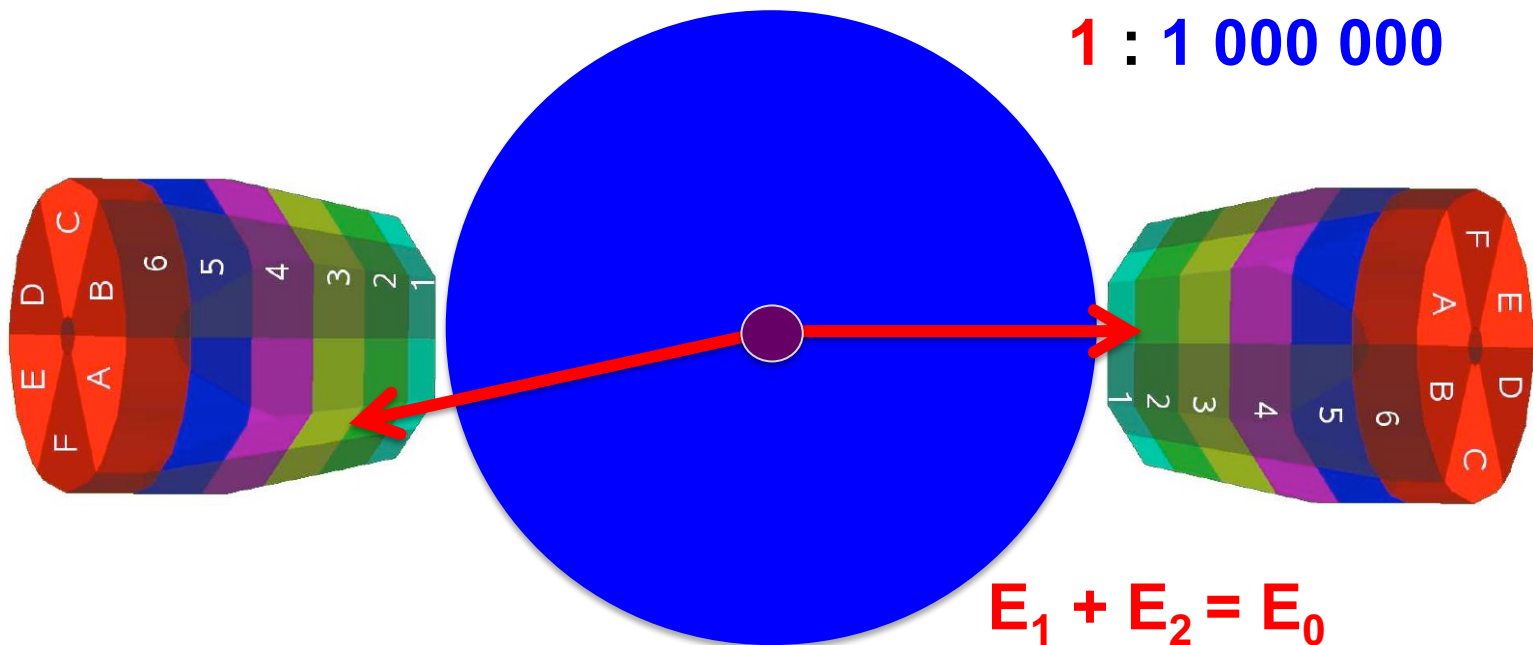
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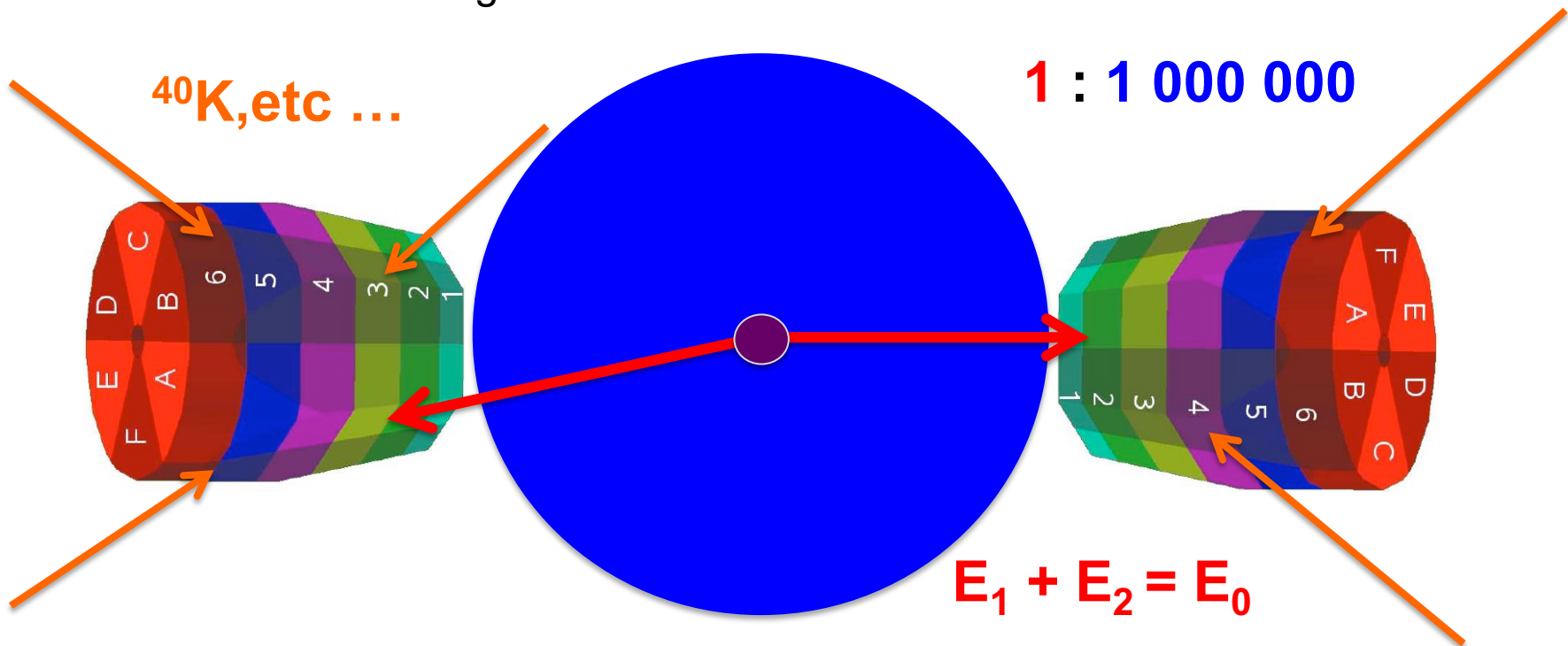
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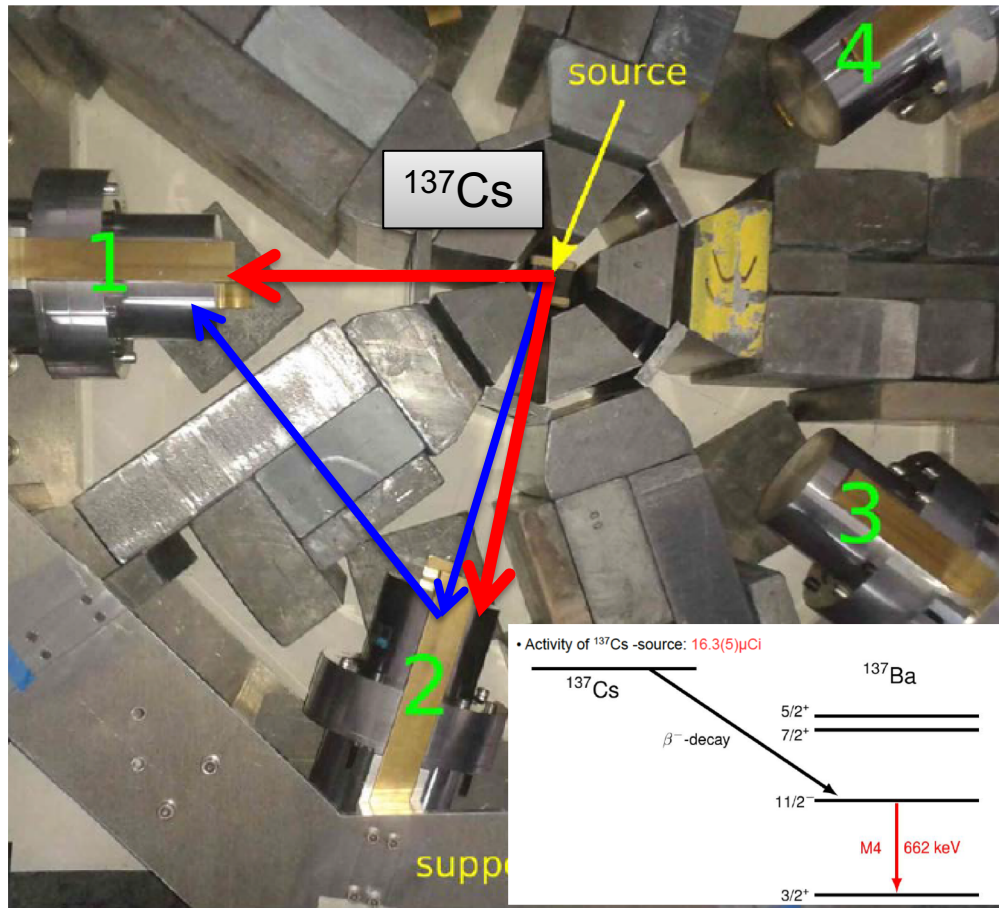


# Experimental challenges

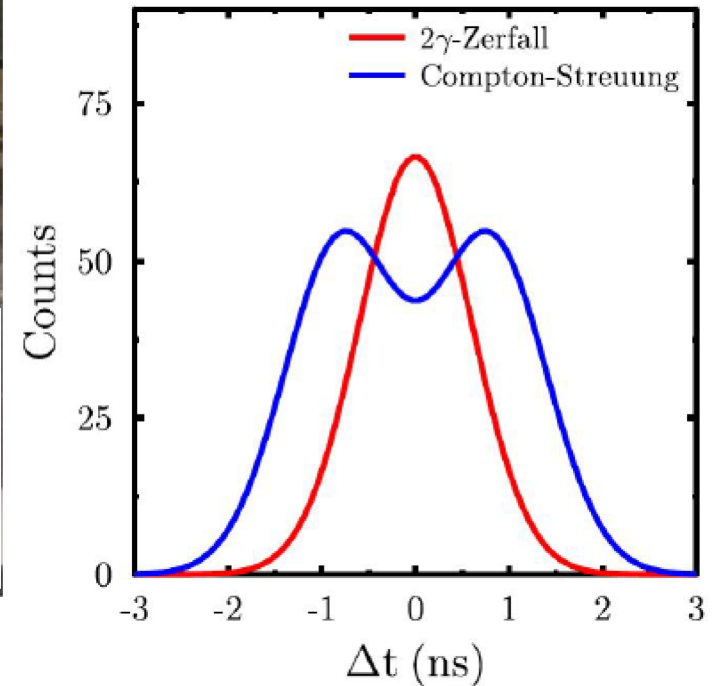
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# Overcoming experimental challenges



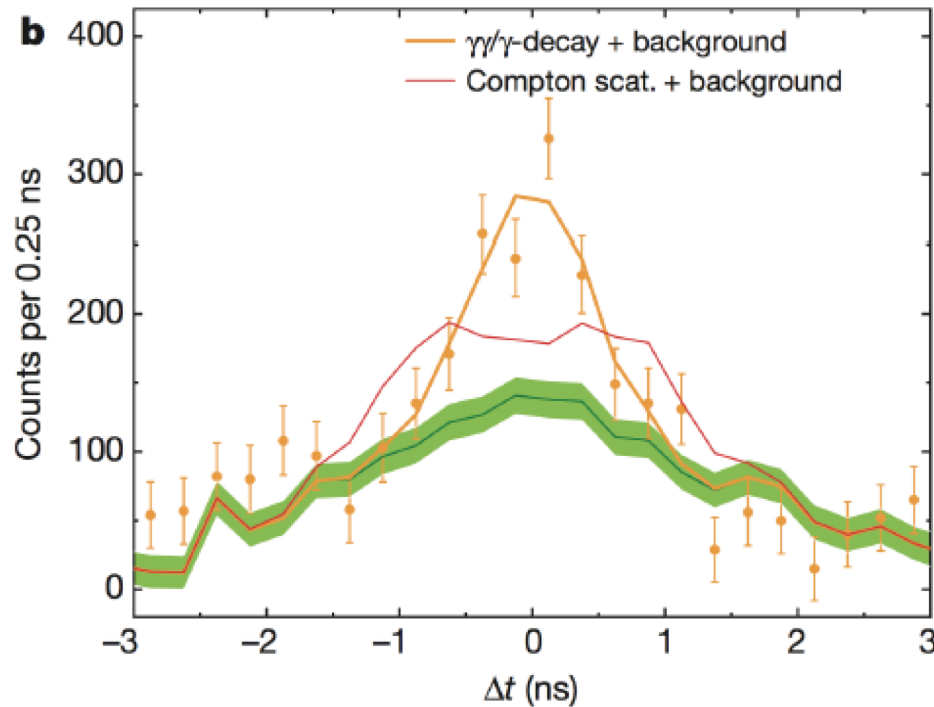
- 5 detector pairs 72°
  - 5 detector pairs 144°
- Use of fast  $\text{LaBr}_3:\text{Ce}$  scintillators



Courtesy of N. Pietralla

# Timing reveals the competitive $\gamma\gamma/\gamma$

The time spectrum originates from a real double gamma decay and not from Compton scattering



C. Waltz et al., Nature 526, 406 (2015)

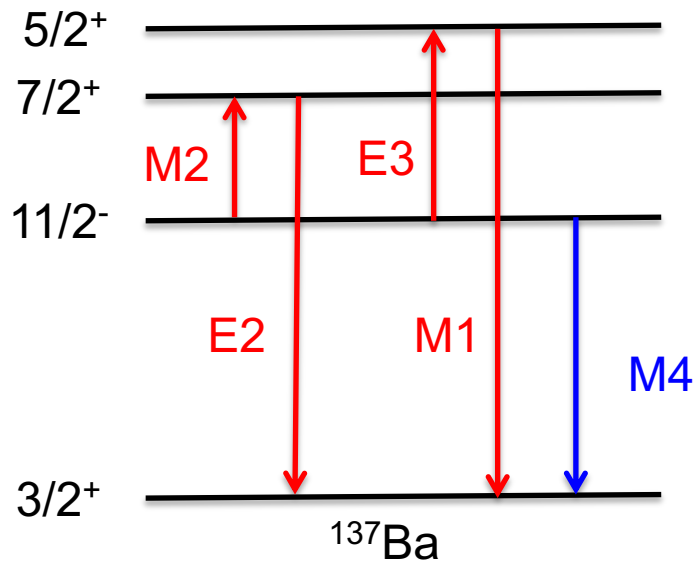
Fig. 1: Time difference spectra. The orange data points correspond to the event in coincidence with the energy-sum spectrum  $E_1+E_2$  after the subtraction of the random coincidences. The green solid line corresponds to the background. The solid orange curve shows the expected time spectrum for  $\gamma\gamma$ -decay, while the solid red curve shows the expected time spectrum, assuming the peak at 661.66 keV was caused by Compton-scattered  $\gamma$ -rays. Taken from Ref. [3], Fig. 2b.



# Energy and angular distributions

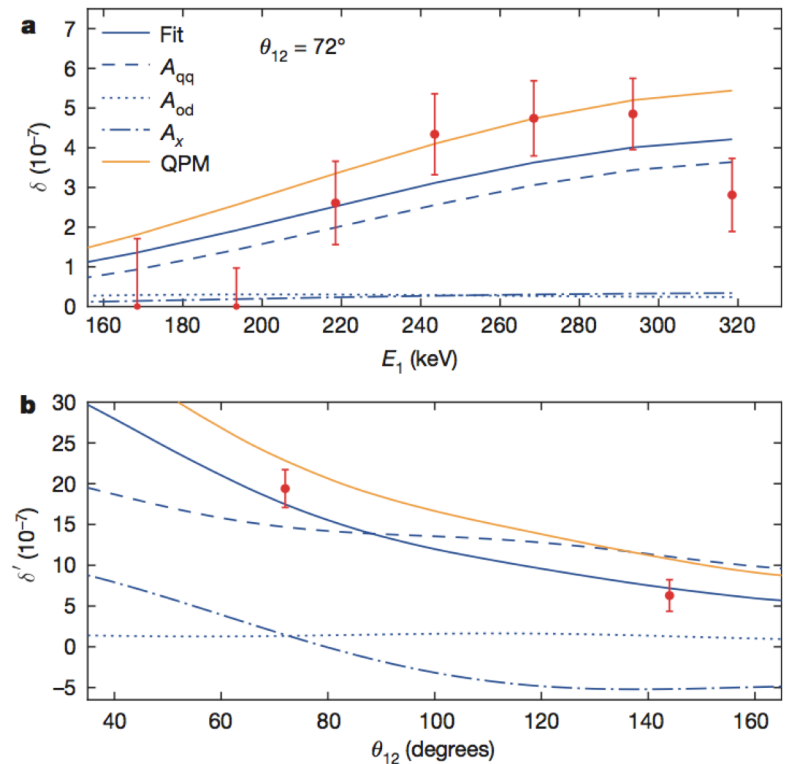
Good agreement microscopic **quasiparticle–phonon calculations** (second-order perturbation ) under the assumption that only  $\alpha_{E2M2}$   $\alpha_{M1E3}$  contribute

$$\alpha_{SLSL'} = \sum_n \frac{\langle 3/2^+ || S'L' || I_n \rangle \langle I_n || SL || 11/2^- \rangle}{E_n - 0.5E_0}$$



Differential branching ratio

$$\frac{d^5\Gamma_{\gamma\gamma}}{d\omega d\Omega d\Omega'} = A_{qq}(\alpha_{E2M2}^2, s) + A_{oq}(\alpha_{M1E3}^2, s) + A_x(\alpha_{E2M2}\alpha_{M1E3}, s)$$



# Any chance with HPGe detectors?

*Search of (“ $\gamma\gamma/\gamma$ ”) decay with Compton suppressed  $\gamma$ -ray arrays*

- *W. Beuschet et al., Helv. Phys. Acta33, 363 (1960)*
- *J. Krampet et al., NPA 474, 412 (1987)*
- *V.K. Basenko et al., Bull. Russ. Acad. 56, 94 (1992)*
- *C.J. Lister et al., Bull. Am. Phys. Soc. 58(13), DNP.CE.3 (2013)*

**AGATA** was built to be used in RIB facilities, which needs are beyond the capability of the best Compton-suppressed Detector Arrays:

- Low intensity for the nuclei of interest
- High background levels
- Large Doppler broadening
- High counting rates
- High  $\gamma$ -ray multiplicities



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- *W. Beuschet et al., Helv. Phys. Acta33, 363 (1960)*
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## **AGATA in the double gamma decay:**

- gamma tracking capabilities
- 10 times better in energy resolution
- higher efficiency
- continuous angular range
- larger gamma-gamma capabilities
- polarization measurements



# Why AGATA for the (“ $\gamma\gamma/\gamma$ ”) decay?

- Possibility to improve the timing from highly segmented HPGe detectors by using PSA techniques or maybe NN techniques?

NUCLEAR INSTRUMENTS AND METHODS 80 (1970) 233-238; © NORTH-HOLLAND PUBLISHING CO.

## APPLICATION OF A PULSE SHAPE SELECTION METHOD TO A TRUE COAXIAL Ge(Li) DETECTOR FOR MEASUREMENTS OF NANOSECONDS HALF-LIVES

M. MOSZYŃSKI\* and B. BENGTON

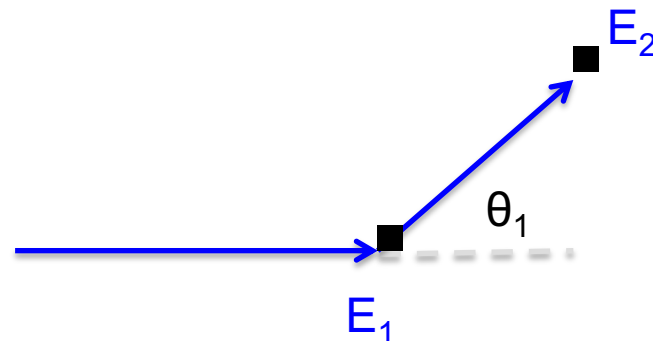
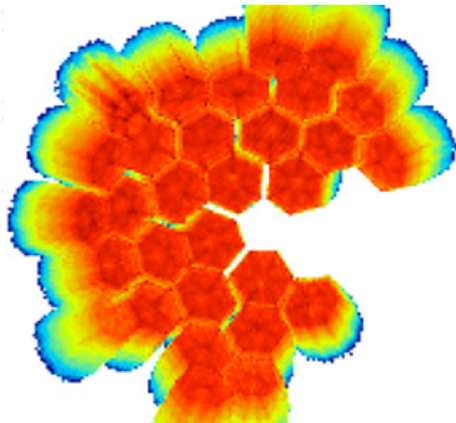
*Institute of Physics, University of Aarhus, Aarhus, Denmark*

Received 27 October 1969

A study of the pulse shape distribution from a 35 cm<sup>3</sup> true coaxial Ge(Li) detector has been performed for uniform  $\gamma$ -irradiation. Two well defined pulse-shape groups were found which could be separated completely by CR differentiation. The prompt

time spectrum derived from the earlier group of pulses gave a fast and exponential slope over more than four decades. By this method it was possible to identify a very weak and delayed transition in the nanosecond range.

- Position sensitivity and PSA to get spatially a difference between Compton scattered events and real double gamma events.



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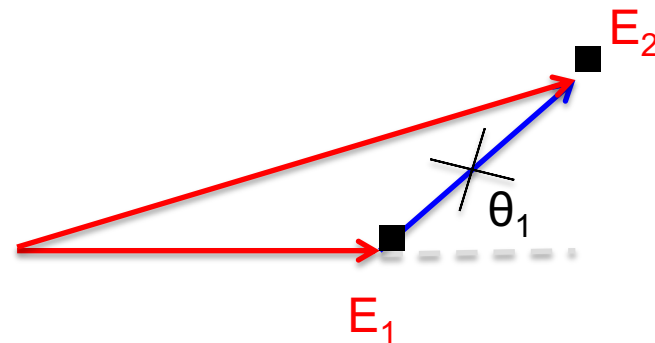
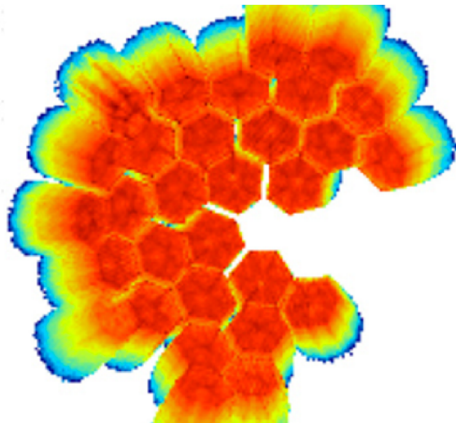
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- Position sensitivity and PSA to get spatially a difference between Compton scattered events and real double gamma events.



# Idea of $\gamma$ -ray tracking

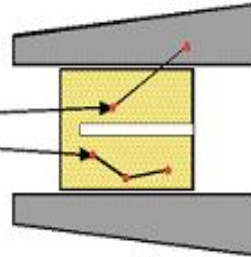
## Compton Suppressed

$$\epsilon_{ph} \sim 10\%$$

$$N_{det} \sim 100$$

$$\Omega \sim 40\%$$

$$\theta \sim 8^\circ$$



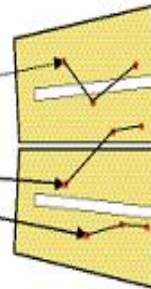
## Ge Sphere

$$\epsilon_{ph} \sim 50\%$$

$$N_{det} \sim 1000$$

$$\Omega \sim 80\%$$

$$\theta \sim 3^\circ$$



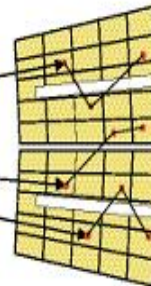
## Tracking Array

$$\epsilon_{ph} \sim 50\%$$

$$N_{det} \sim 100$$

$$\Omega \sim 80\%$$

$$\theta \sim 1^\circ$$



Pulse Shape Analysis  
Gamma-ray Tracking  $\Rightarrow$   $\theta_{eff} \sim 1^\circ$   
 $N_{eff} \sim 10000$

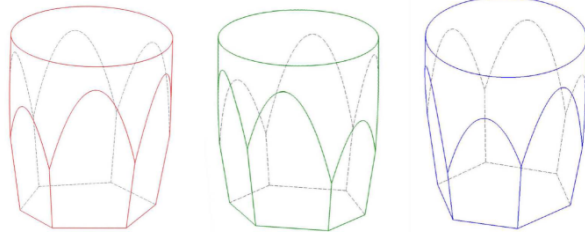
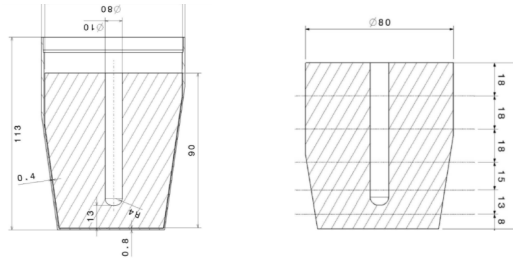
- 50% of solid angle taken by the AC shields
- large opening angle  $\rightarrow$  poor energy resolution at high recoil velocity

- too many detectors needed to avoid summing effects
- opening angle still too big for very high recoil velocity

## Smarter use of Ge detectors

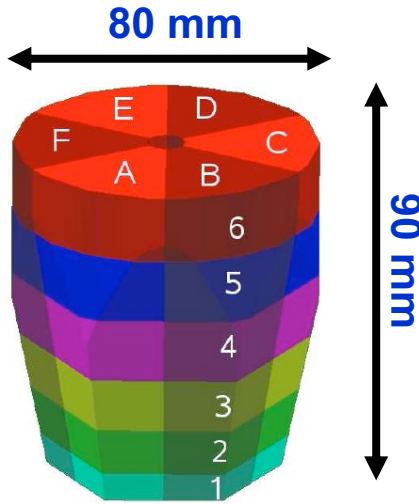
- segmented detectors
- digital electronics
- time stamping of events
- analysis of pulse shapes
- tracking of  $\gamma$ -rays

# AGATA detectors



(d) A - red (e) B - green (f) C - blue

Volume ~370 cc Weight ~2 kg  
(shapes are volume-equalized to 1%)



**6x6 segmented cathode**

**Cold FET for all signals**

Energy resolution

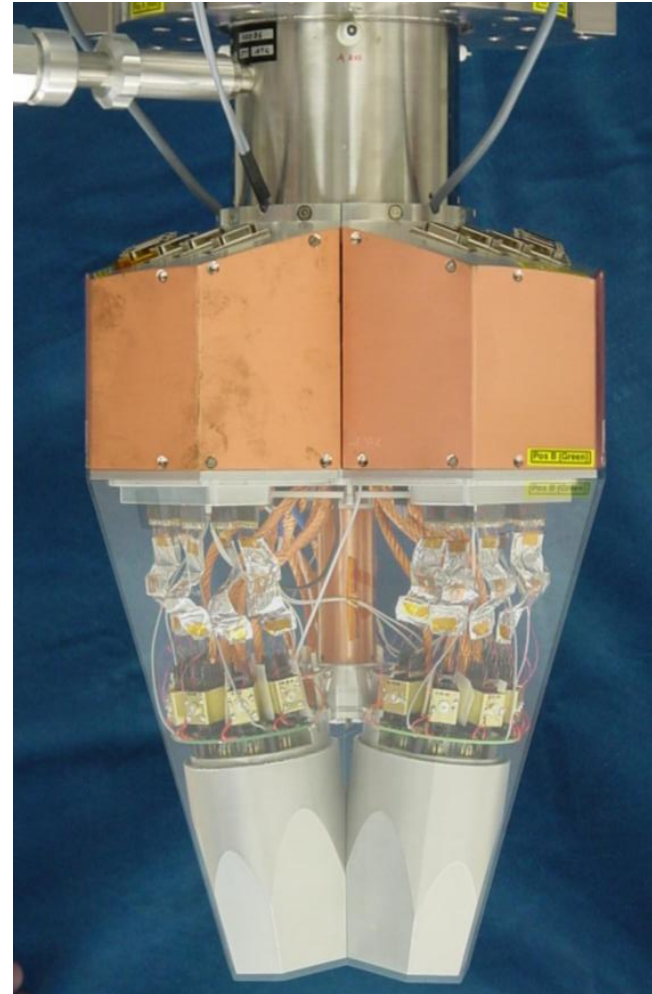
Core: 2.35 keV

Segments: 2.10 keV

(FWHM @ 1332 keV)

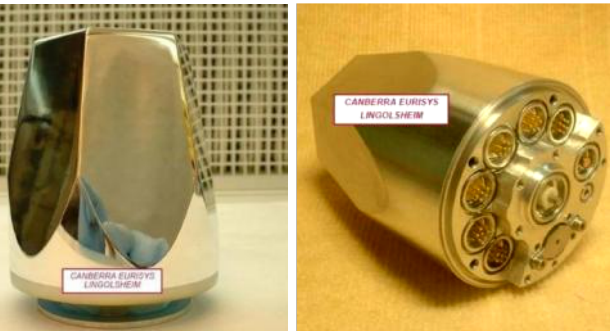
A. Wiens et al. NIM A 618 (2010) 223

D. Lersch et al. NIM A 640(2011) 133



**AGATA Asymmetric Triple Cryostat**

Manufactured by CTT



**AGATA capsules**

Manufactured by Canberra France

# AGATA reference

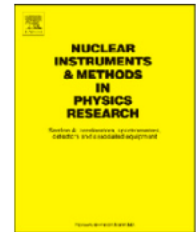
Nuclear Instruments and Methods in Physics Research A 668 (2012) 26–58



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## Nuclear Instruments and Methods in Physics Research A

journal homepage: [www.elsevier.com/locate/nima](http://www.elsevier.com/locate/nima)

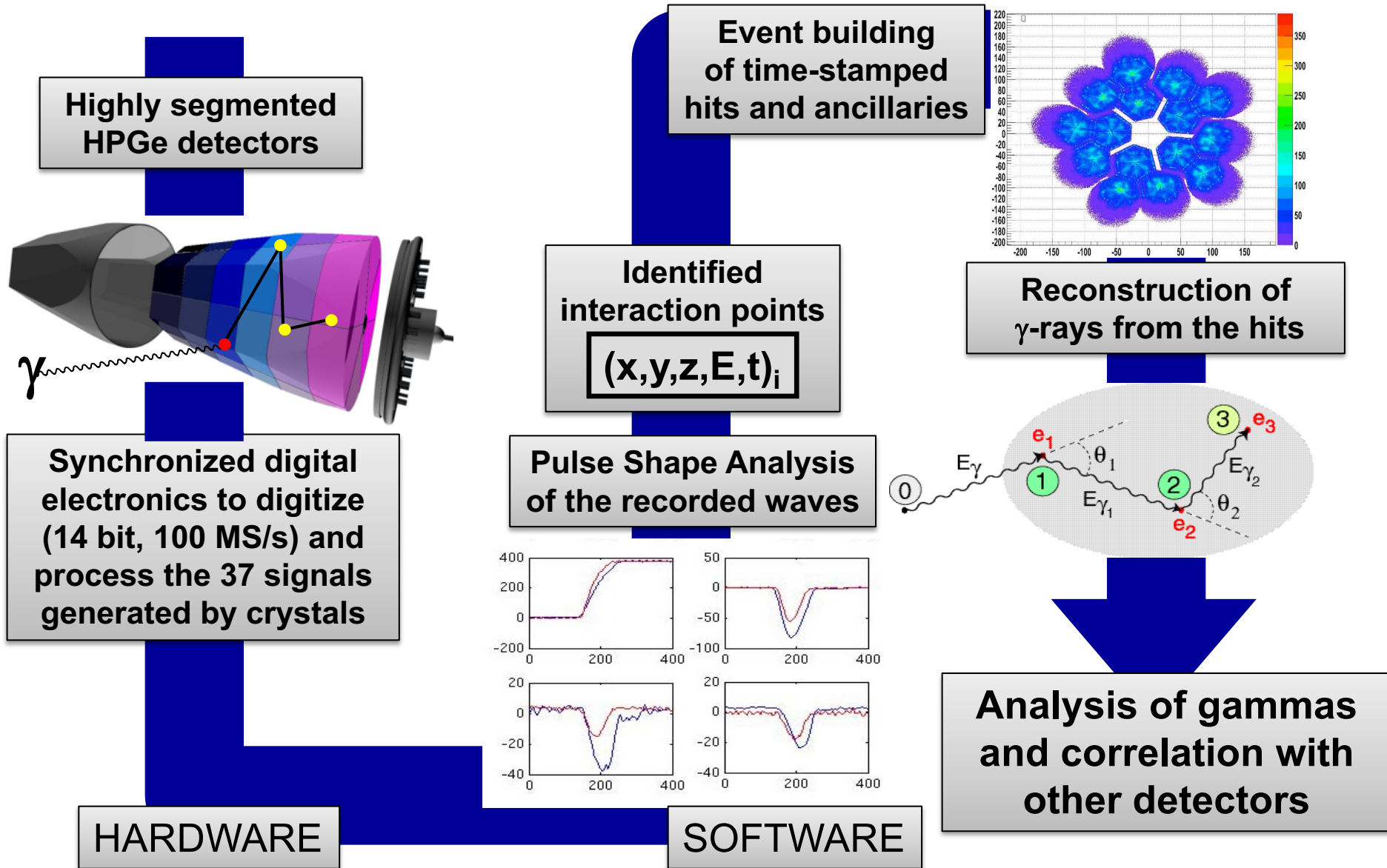


## AGATA—Advanced GAMMA Tracking Array

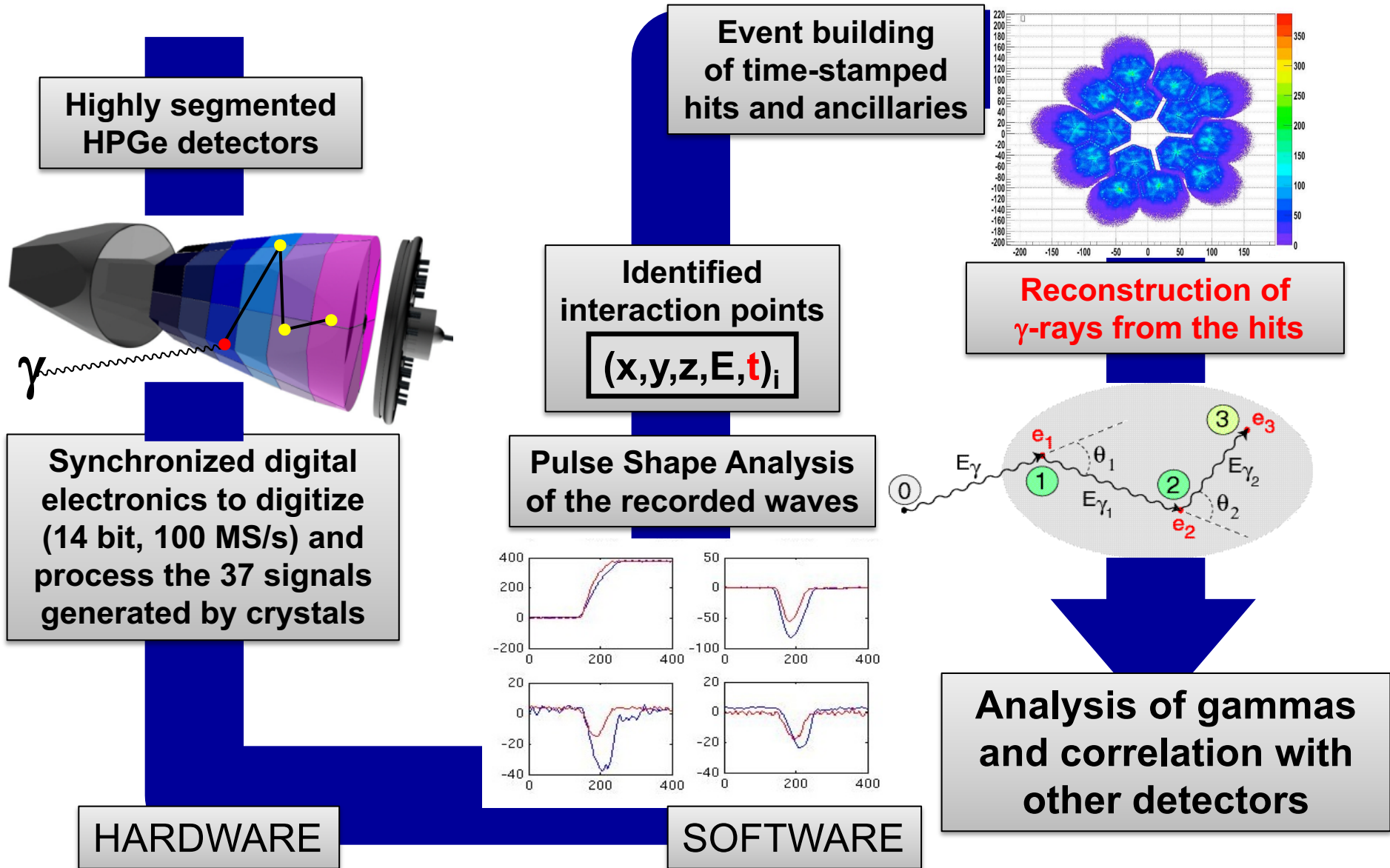




# Flow chart for AGATA



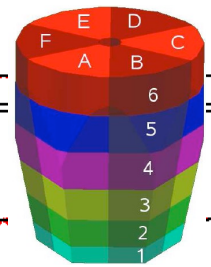
# Flow chart for AGATA



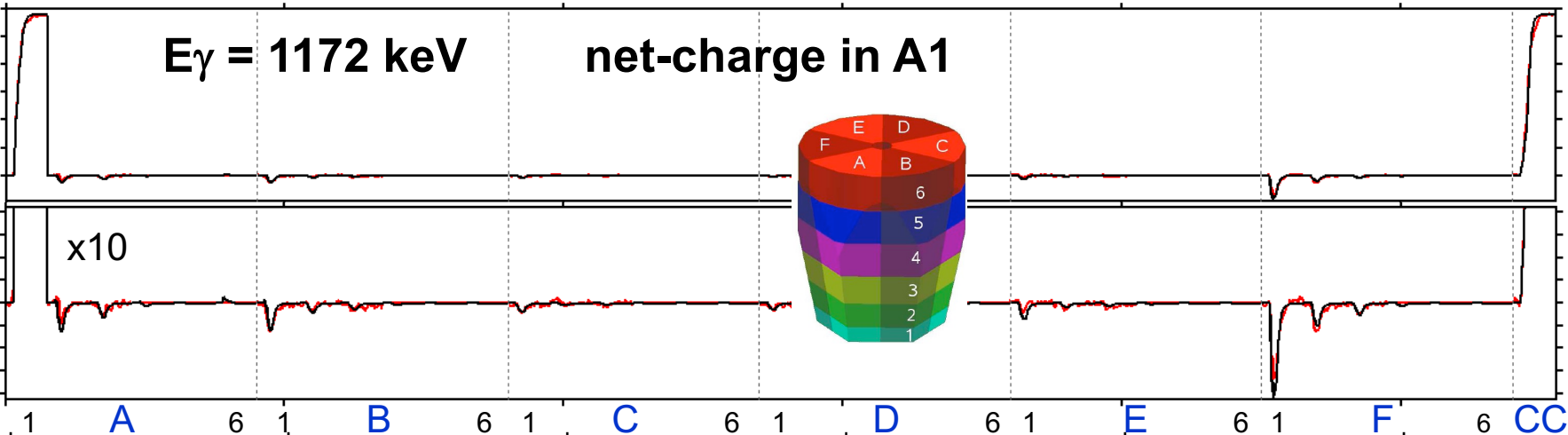
# Examples of signals for 2 events

$E_\gamma = 1172 \text{ keV}$

net-charge in A1



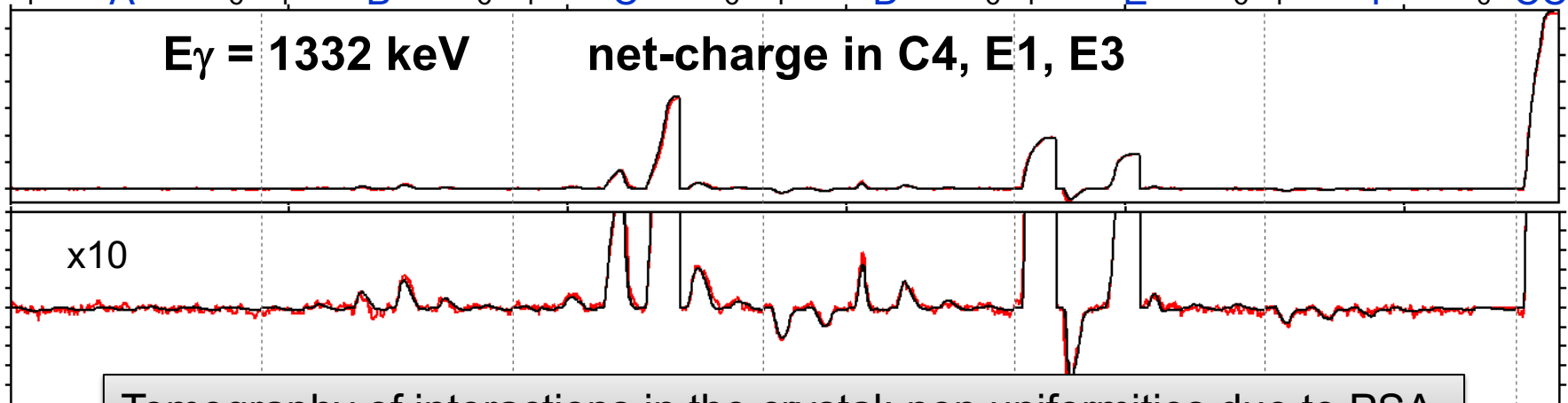
x10



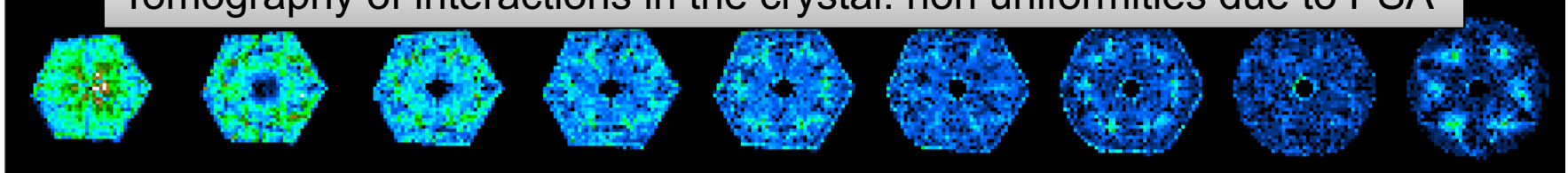
$E_\gamma = 1332 \text{ keV}$

net-charge in C4, E1, E3

x10

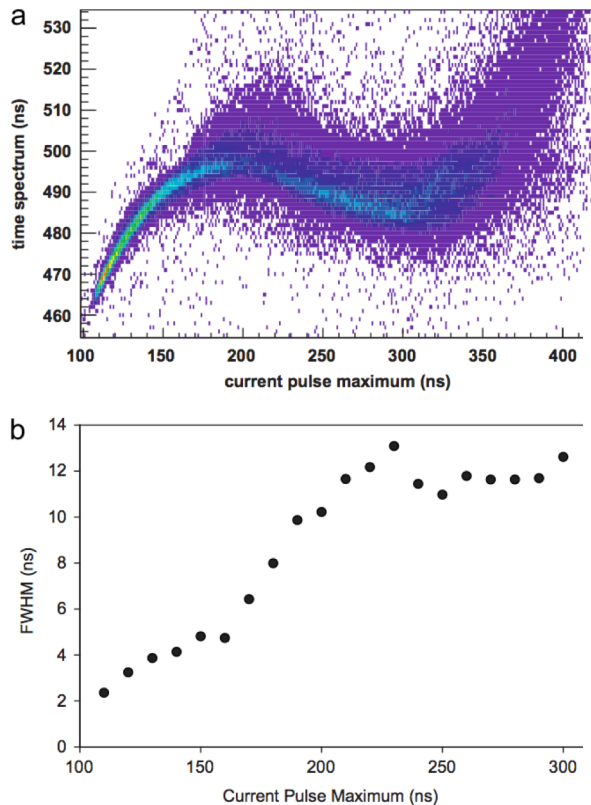


Tomography of interactions in the crystal: non uniformities due to PSA

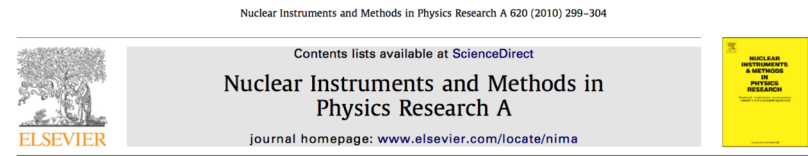


# Timing with HPGe detectors

- HPGe timing resolution 8 - 10ns → electric noise + signal changes shape depending on the gamma-ray interaction positions.
- Constant Fraction Discriminator (CFD) → perfectly rising time front



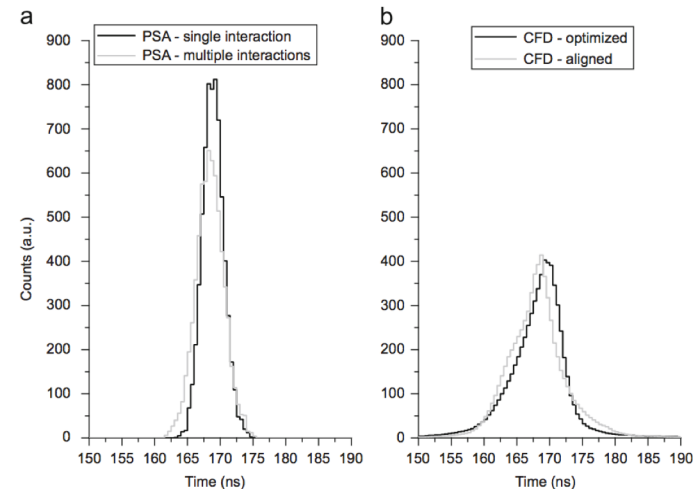
**Fig. 3.** (a) The 2-dimensional histogram displays the CFD output time distribut (y-axis) as a function of the current pulse maximum position (x-axis). (b) The C time resolution (i.e. FWHM of the vertical slices of the histogram in Fig. 3(a)) a function of the current pulse maximum position. In these plots reasonable l unoptimized CFD parameters are used. Error bars are smaller than the size of the symbols.



## HPGe detectors timing using pulse shape analysis techniques

F.C.L. Crespi<sup>a</sup>, V. Vandone<sup>a</sup>, S. Brambilla<sup>b</sup>, F. Camera<sup>a,\*</sup>, B. Million<sup>b</sup>, S. Riboldi<sup>a</sup>, O. Wieland<sup>b</sup>

<sup>a</sup> Dipartimento di Fisica, Università di Milano, Italy  
<sup>b</sup> INFN Sezione di Milano, Via Celoria 16, 20133 Milano, Italy



**Fig. 6.** Right panel: comparison between the time distributions obtained with a standard CFD with optimized coefficients (black line histogram, 7.6 ns FWHM) and the alignment of the centroid positions (grey line histogram, 8.2 ns FWHM; see Section 3 for details). Left Panel: time distributions obtained with the PSA algorithm. The black line histogram (3.2 ns FWHM) is the one related to the single interaction events, and the grey histogram refers to the multiple interaction events (4.2 ns FWHM).

# NN algorithms for timing?

P.A. Söderström et al. an example for n/gamma discrimination

A feed-forward neural network was created based on the ROOT TMultiLayerPerceptron class. Designed with 75 input nodes (first 75 sampling points) - two hidden layers of 20 and 5 nodes → output one node 0 gamma ray and 1 neutron.

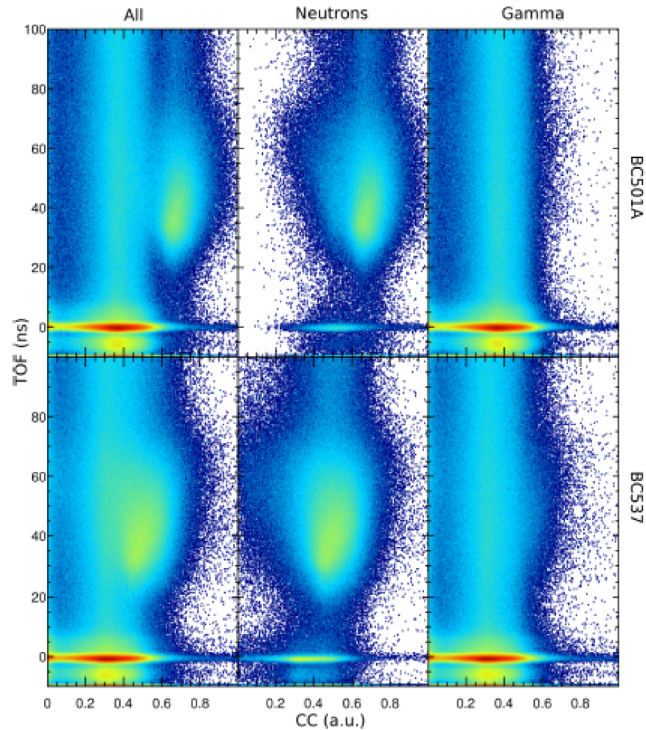


Figure 4: (Colour online.) Two-dimensional plots in logarithmic scale of time-of-flight versus digital charge comparison for the full data set (left), selected on neutrons (middle) and  $\gamma$  rays (right) for BC-501A (top) and BC-537 (bottom) using the artificial neural network.

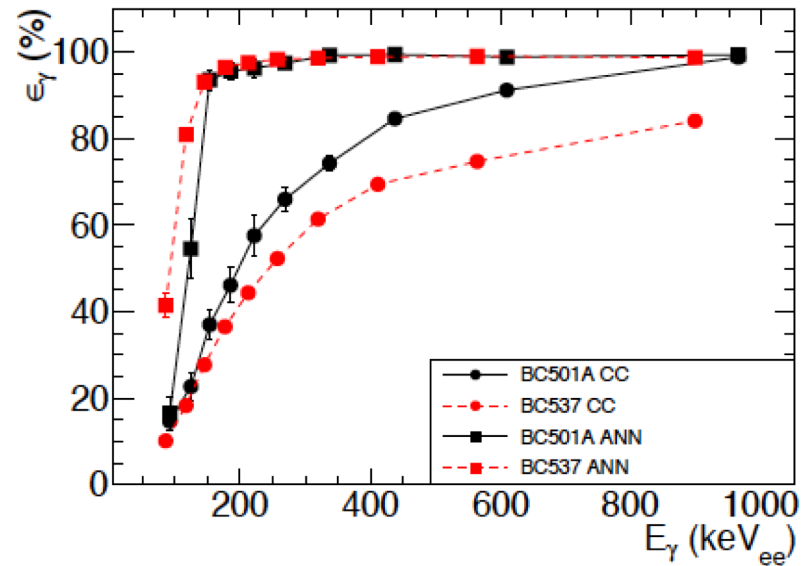
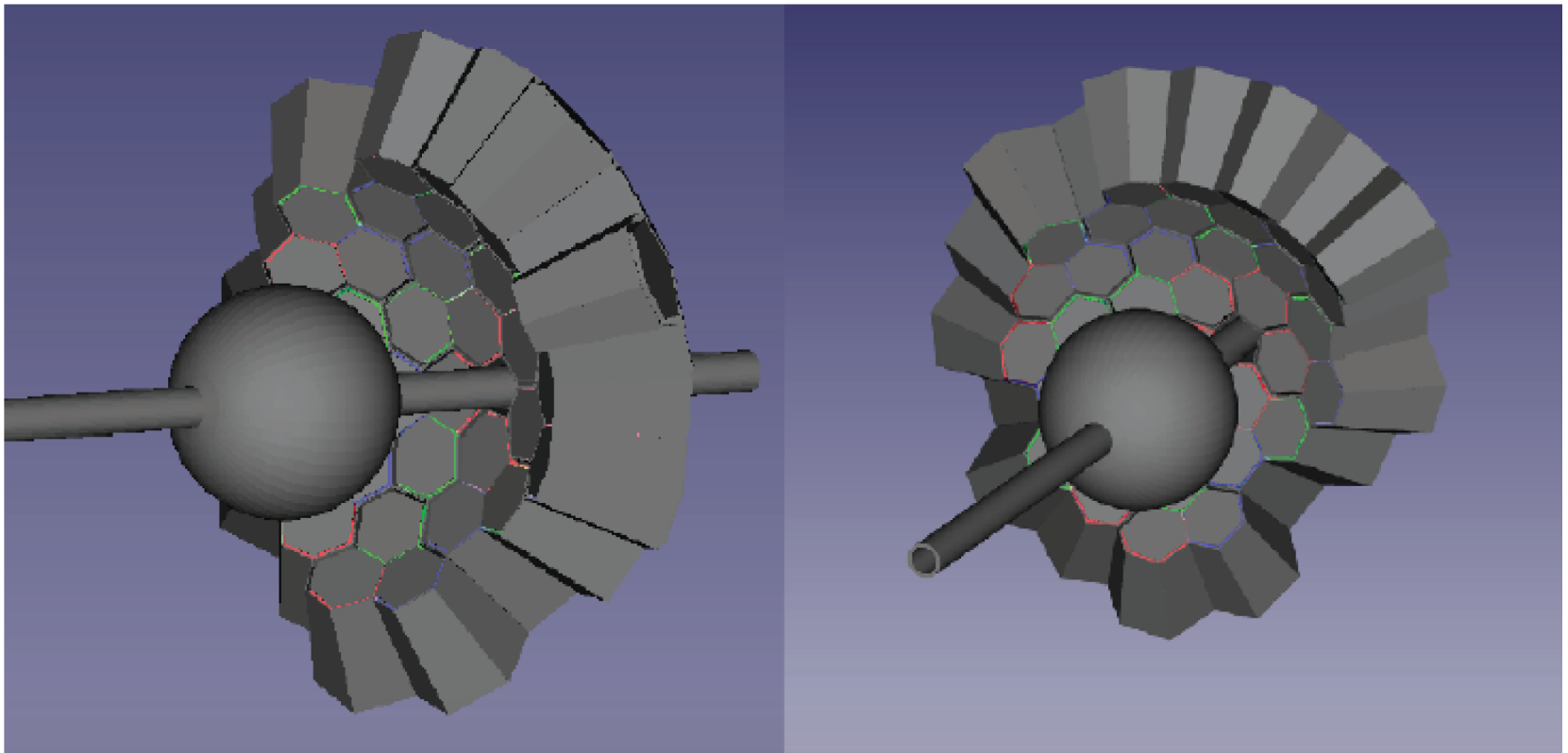


Figure 6: (Colour online.) Rejection efficiency of  $\gamma$  rays for a pulse-shape discrimination gate that contains 90% of the neutrons. BC-501A is shown in black and BC-537 in red. The two discrimination algorithms are: artificial neural networks (squares) and charge comparison (circles).

# AGATA simulations

To make some considerations we will consider the configuration at GANIL 2018 (by Alain Goasduff)

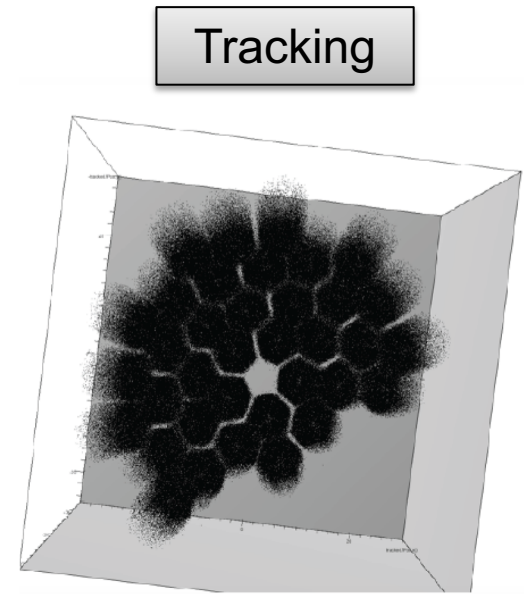
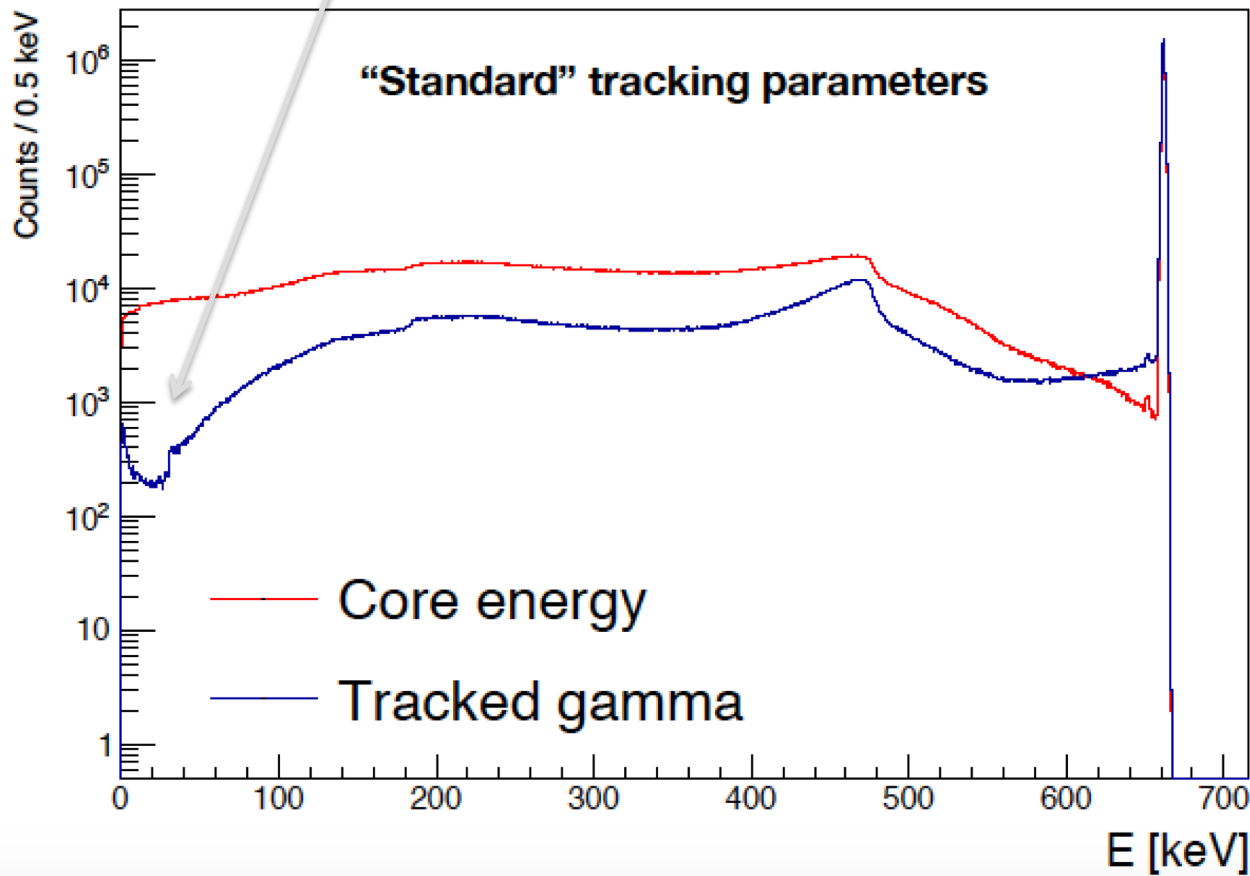
- 12 Agata Triple Cluster placed at backward angles
- AGATA at the nominal position, i.e. 23.5 cm from the target
- No anti-Compton shield between the HPGe.



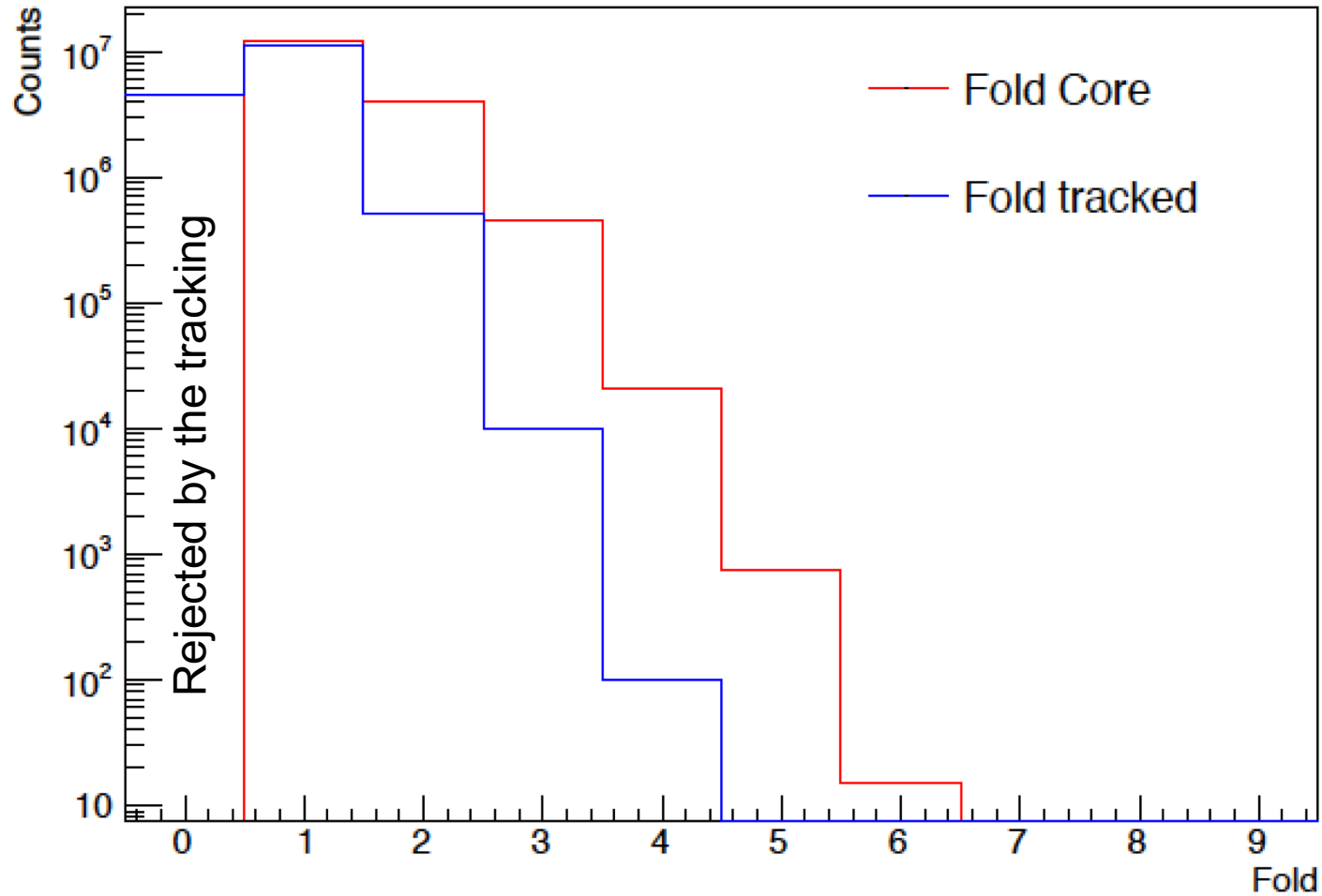
# AGATA simulations

One unique gamma of 662 keV

Threshold in the photo electric events



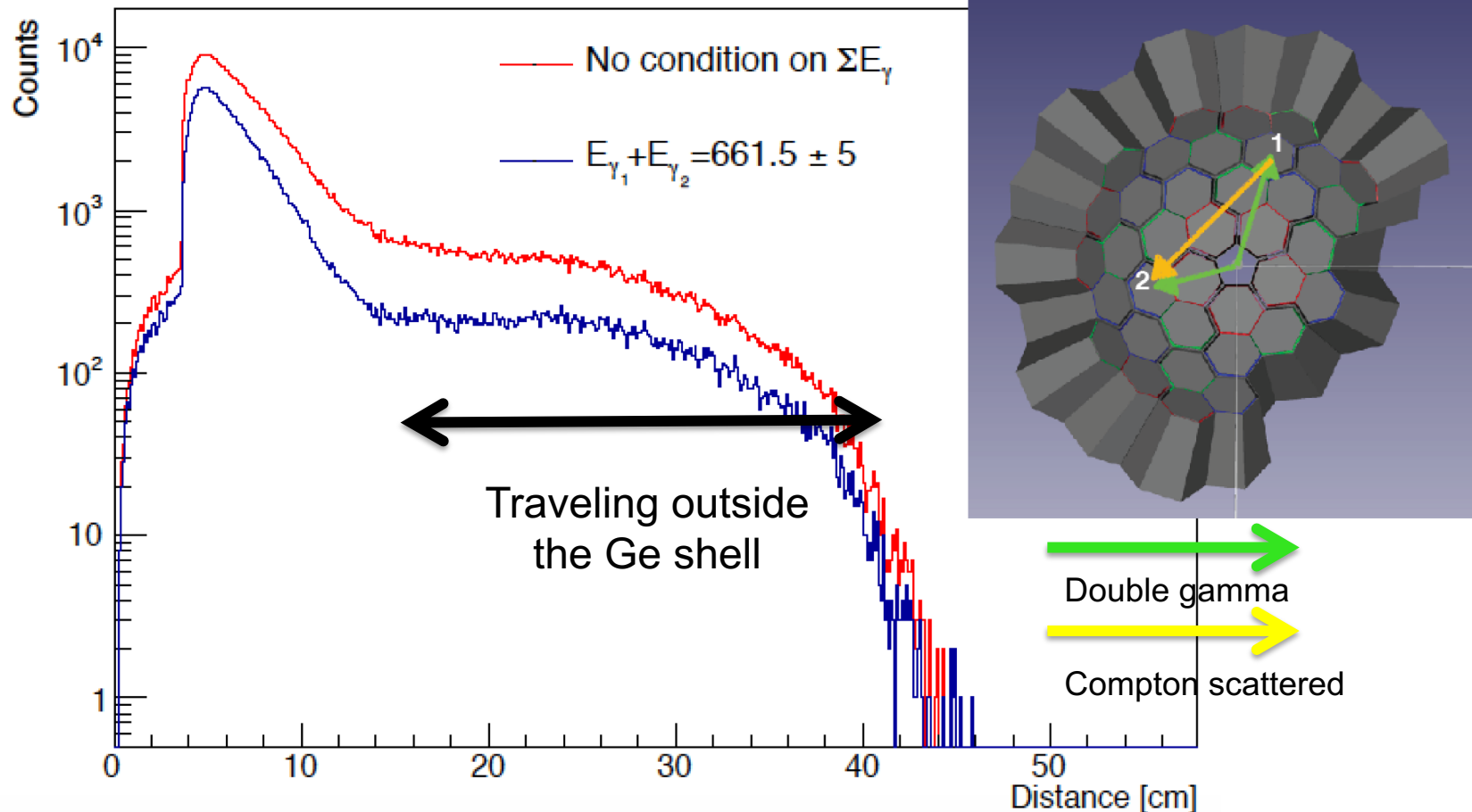
# “Multiplicity” for 1 gamma 662 keV





# AGATA

Distance between interactions: Tracking only fold 2 events

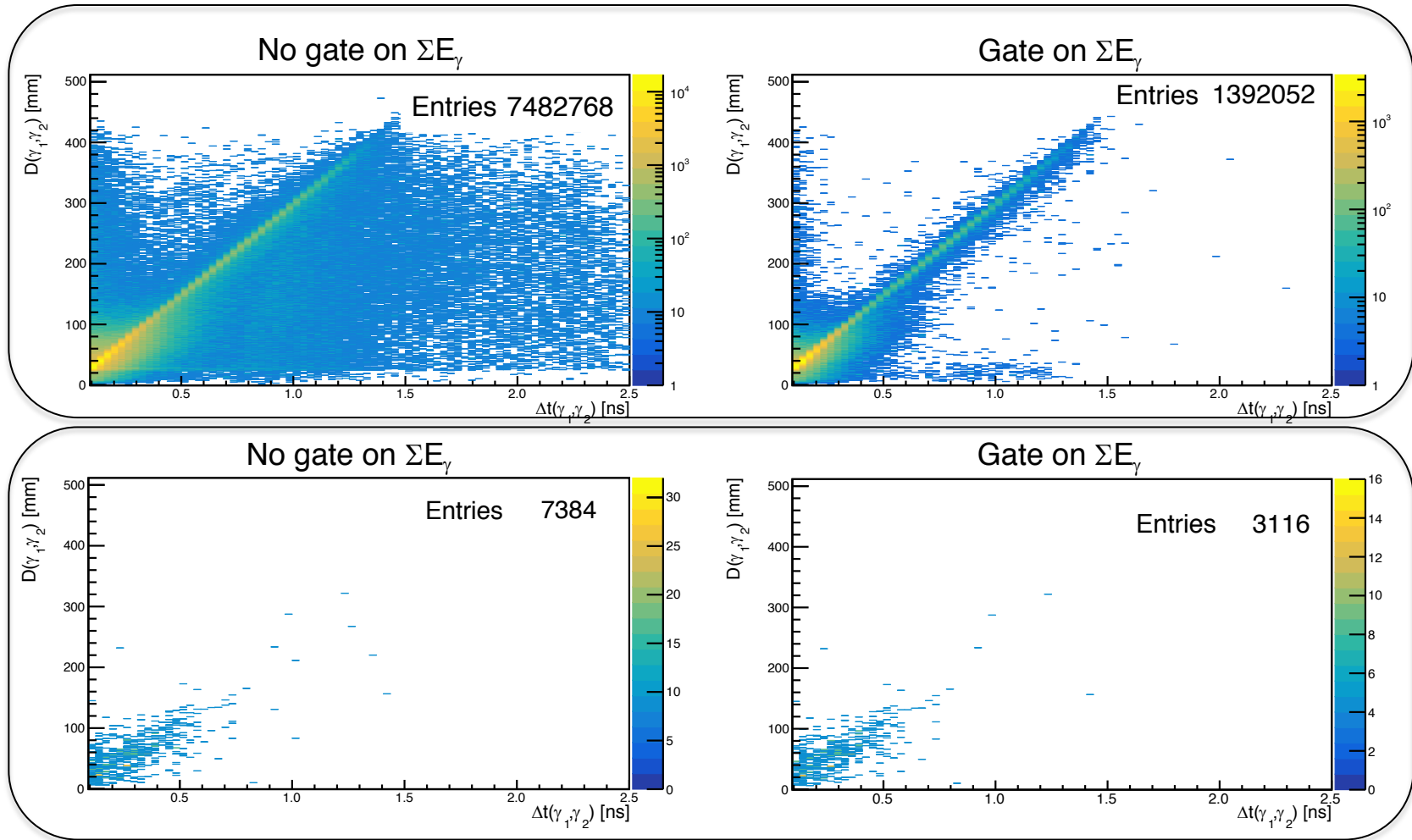


Tracking parameter  $d(\gamma_1, \gamma_2) \leq 2.5\text{cm} \rightarrow$  can not be a single event  
Probability of being a single event is  $\sim 5\%$

# AGATA distance vs. timing

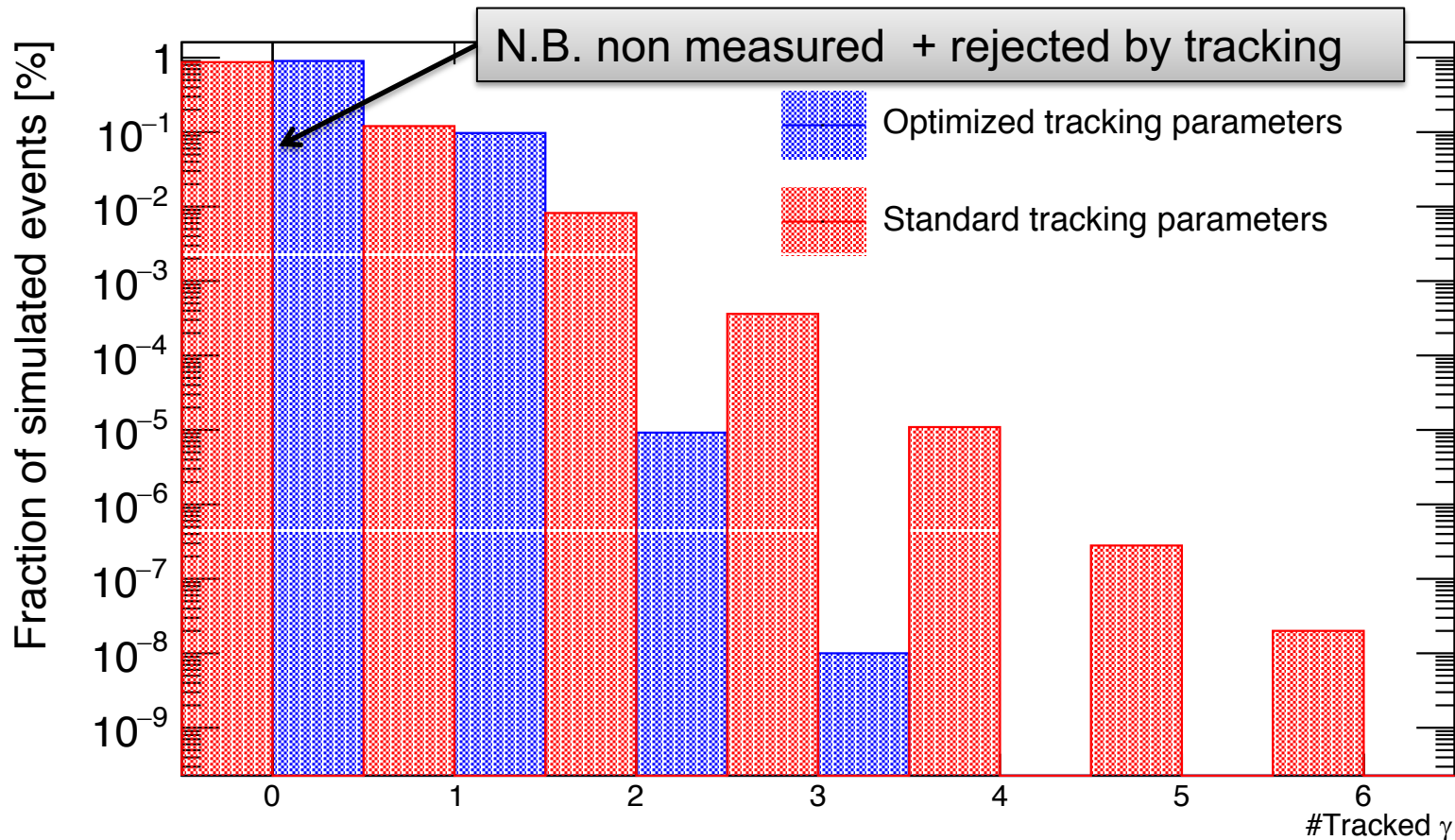
One gamma  $\rightarrow$  Fold=2

Clusterization space 8 degrees



Clusterization space full AGATA

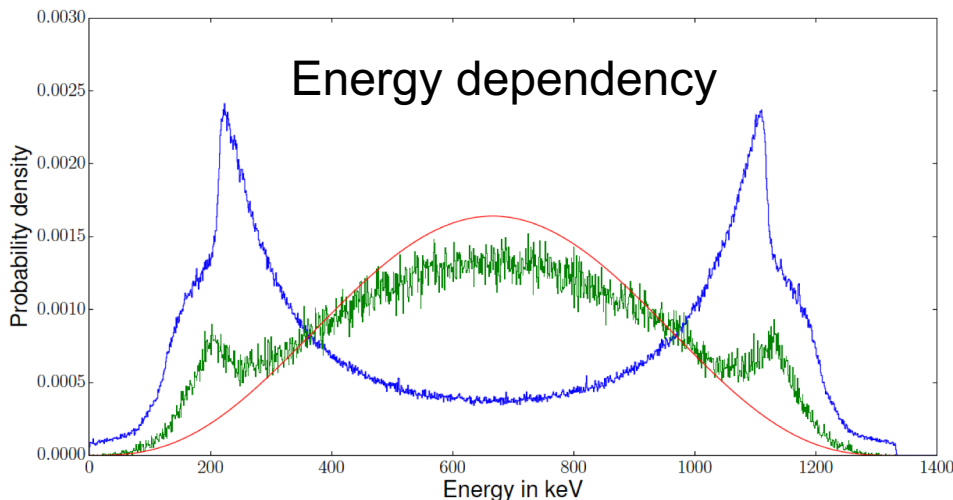
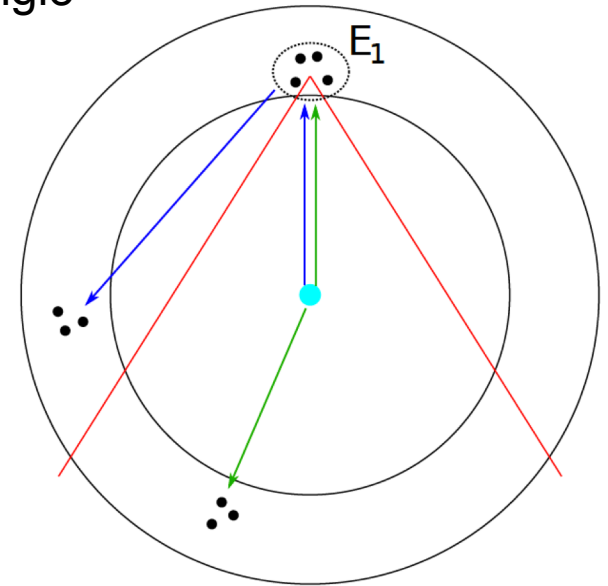
# AGATA



Full systematic optimization of the tracking parameters → one unique gamma  
Study of tracking parameters with two gamma events  
Realistic event generators (energy sharing & angular distribution)

# Energy and geometry of $\gamma$ vs. $\gamma\gamma$

Due to the dynamics of the Compton-scattering, a single photon (blue arrows) depositing the energy  $E_1$  can only interact outside of the cone. If the next measured interactions are inside the cone, it is very likely that they stem from an additional photon (green arrows). The opening angle of the cone strongly varies with the amount of interactions in the cluster of  $E_1$ , the incident photon energy  $E_0$  and the allowed interval width.



1 gamma

2 gamma

# Bayesian algorithms for tracking

## Conditioned probability

### Bayes-Tracking A novel Approach to Gamma-Ray Tracking

P. Napiralla, H. Egger, P. John, N. Pietralla, M. Reese, C. Stahl

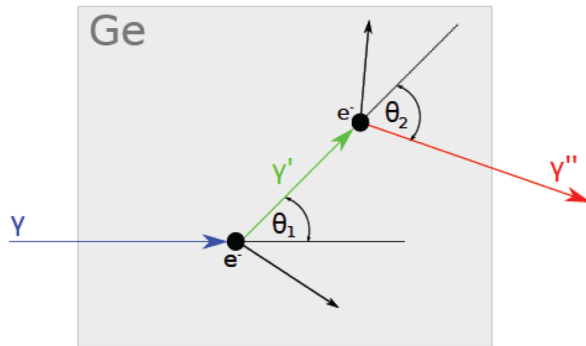


Figure: Compton-Escape Event in a Germanium detector

Tracking is a key ingredient in the search of  $\gamma\gamma/\gamma \rightarrow$  new tracking concepts Bayesian

Bayesian approach to  $\gamma\gamma/\gamma$  experiments with AGATA

P. Napiralla

October 5, 2017

The probability of the double  $\gamma$  decay for a transition with energy  $E_\gamma$ :

$$P(\gamma\gamma, E_\gamma | \text{data}) = \frac{P(\text{data} | \gamma\gamma, E_\gamma) \cdot P(\gamma\gamma, E_\gamma)}{P(\text{data})}$$

### Bayes-Tracking Bayes' Theorem

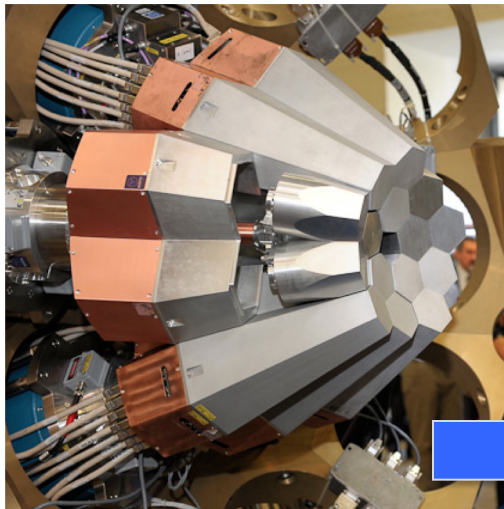


$$P(\text{hypothesis} | \text{data}) = \frac{P(\text{data} | \text{hypothesis}) \cdot P(\text{hypothesis})}{P(\text{data})}$$

|                    | <i>data</i>  | <i>hypothesis</i>   |
|--------------------|--|---|
| <i>data</i>        | <u>Evidence</u> $P(\text{data})$<br>Knowledge about <i>data</i>  | <u>Likelihood Fct.</u> $P(\text{data}   \text{hypothesis})$<br>Plausibility of <i>data</i> ,<br>given <i>hypothesis</i> is true |
| <i>hypo-thesis</i> | <u>Posterior</u> $P(\text{hypothesis}   \text{data})$<br>Probability of <i>hypothesis</i> ,<br>given <i>data</i> is true | <u>Prior</u> $P(\text{hypothesis})$<br>Knowledge about <i>hypothesis</i>  |

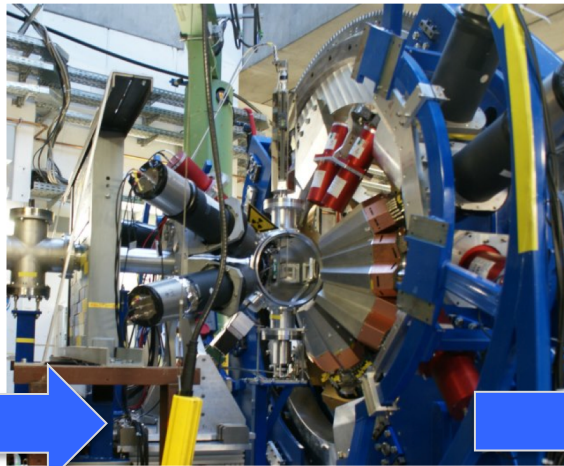
# The AGATA time line

AGATA@LNL

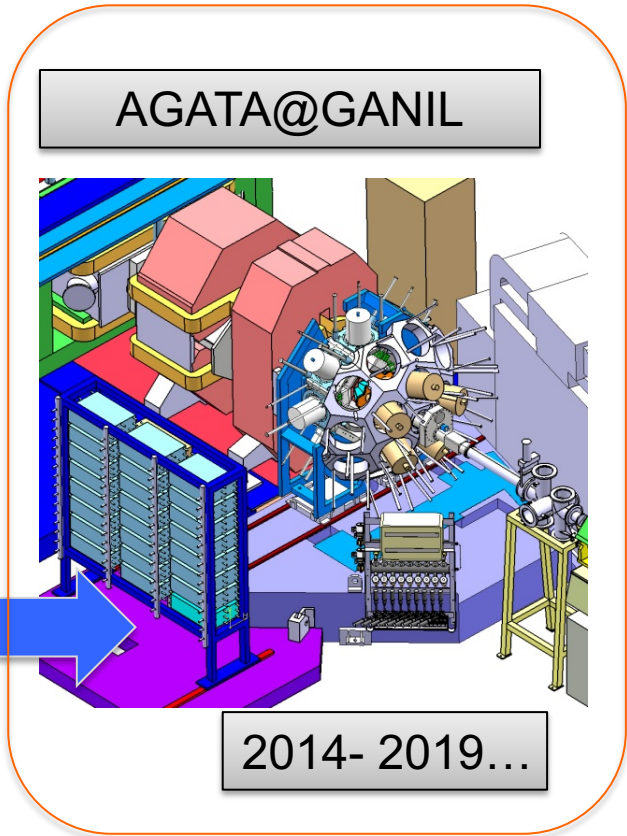


2009-2011

AGATA@GSI



2012-2014



AGATA@GANIL

2014- 2019...

AGATA is a last generation gamma spectrometer built to serve the most demanding needs of present and future Radioactive Ion Beam (RIB) facilities.

# Summary

- Observation of the competitive double gamma decay using LaBr:Ce
- Measurement of the energy sharing, angular distributions between the two emitted gamma rays and branching ratio  $2.1(3) \cdot 10^{-6}$  for  $^{137}\text{Ba}$
- **Double-gamma decay process can help on the NME of  $0\nu\beta\beta$ ?**
  - **Experimental study of IAS double gamma decay**
  - **Theoretical description  $\rightarrow$  correlation  $\gamma\gamma$  and  $0\nu\beta\beta$**
- Electric polarizability  $\alpha_D$  related to equation of state – nuclear symmetry energy? Possible theoretical link?
- For the future: proof of principle with AGATA with a  $^{137}\text{Cs}$  source  $\rightarrow$  later study  $^{60}\text{Co}$ , other sources
- Detail study of **timing algorithms**
- Detail study of the **tracking algorithms**: forward tracking as well as new approaches as Bayesian tracking.