

# Precision Neutron Lifetime Measurement using UCN in a Magneto-Gravitational Trap



UCN $\tau$

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INT nnbar, nn' workshop  
Seattle

Slide credits: C. Morris, N. Callahan, D. Salvat



## UCNtau Collaboration

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Student

Postdoc

Spokesperson

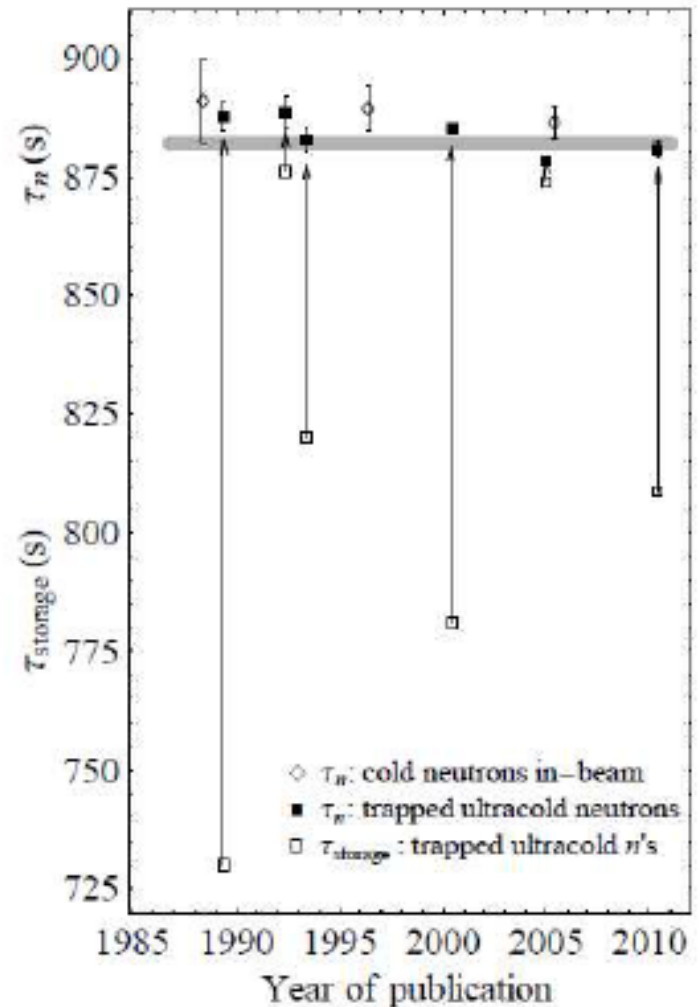
Spokesperson emeritus

R. W. Pattie, et al, "Measurement of the neutron lifetime using an asymmetric magneto-gravitational trap and in situ detection", submitted to Science;

<https://arxiv.org/abs/1707.01817>

# Measuring the lifetime with UCN is challenging!

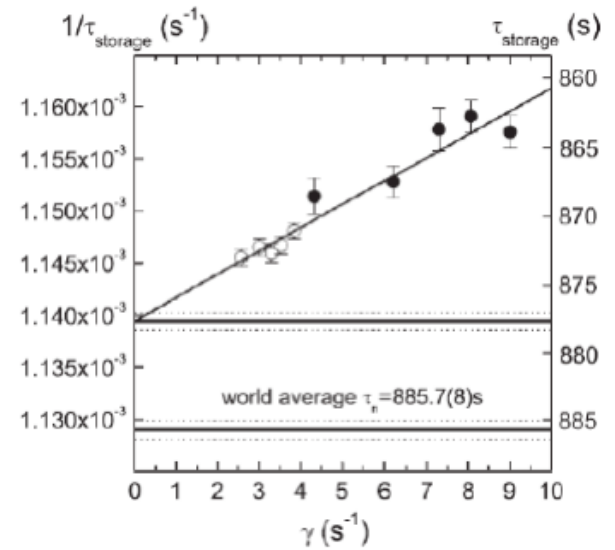
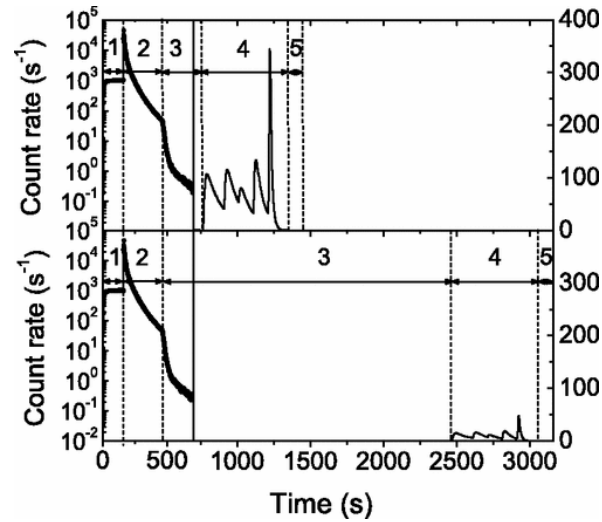
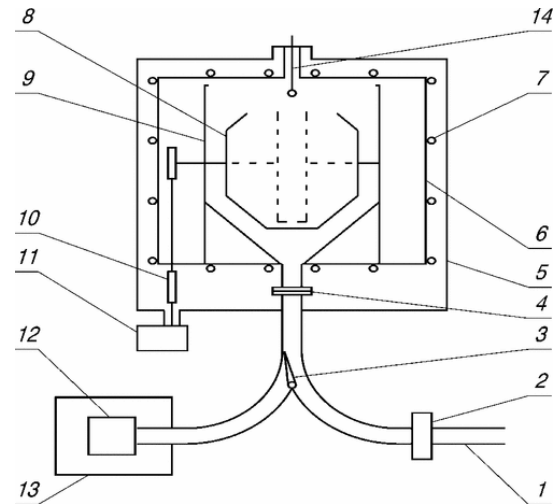
- Beam measurements require absolute determination of the neutron beam fluence, decay volume, and absolute proton detector efficiency.
  - Have involved multiple systematic corrections of order 5 sec
- Bottle measurements must correct for UCN losses other than the neutron beta decay.
  - These corrections are often of the same order as the quoted uncertainty
- Our goal is to design a bottle that has negligible intrinsic losses using the magnetic interaction



Dubbers & Schmidt, *Rev. Mod. Phys.* **83** (1111) 2011

# Neutron lifetime measurements using gravitationally trapped ultracold neutrons

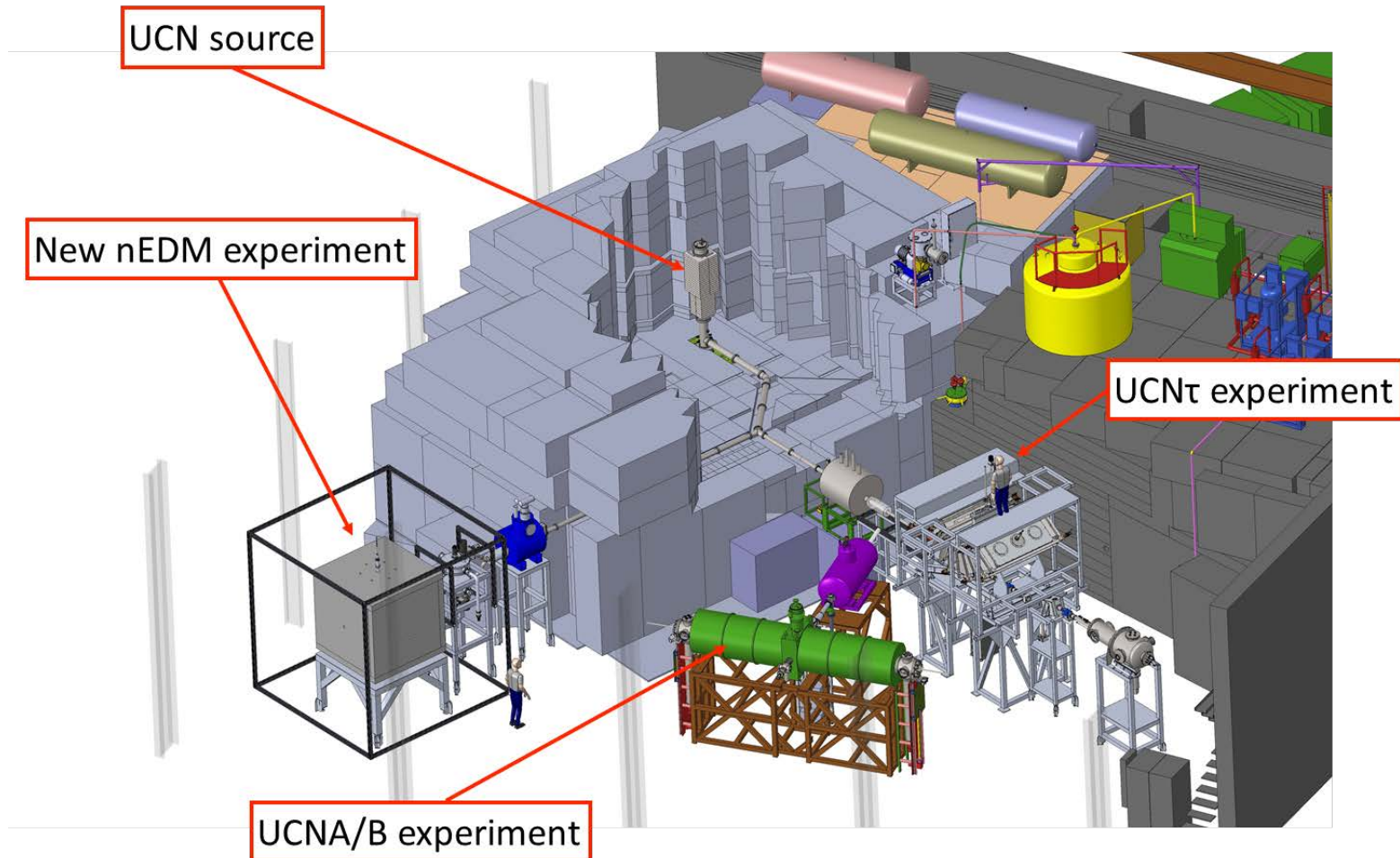
A. P. Serebrov,<sup>1,\*</sup> V. E. Varlamov,<sup>1</sup> A. G. Kharitonov,<sup>1</sup> A. K. Fomin,<sup>1</sup> Yu. N. Pokotilovski,<sup>2</sup> P. Geltenbort,<sup>3</sup>  
 I. A. Krasnoschekova,<sup>1</sup> M. S. Lasakov,<sup>1</sup> R. R. Taldaev,<sup>1</sup> A. V. Vassiljev,<sup>1</sup> and O. M. Zhrebtsov<sup>1</sup>



$$\tau_{\text{st}}^{-1}(E) = \tau_n^{-1} + \eta(T) \cdot \gamma(E)$$

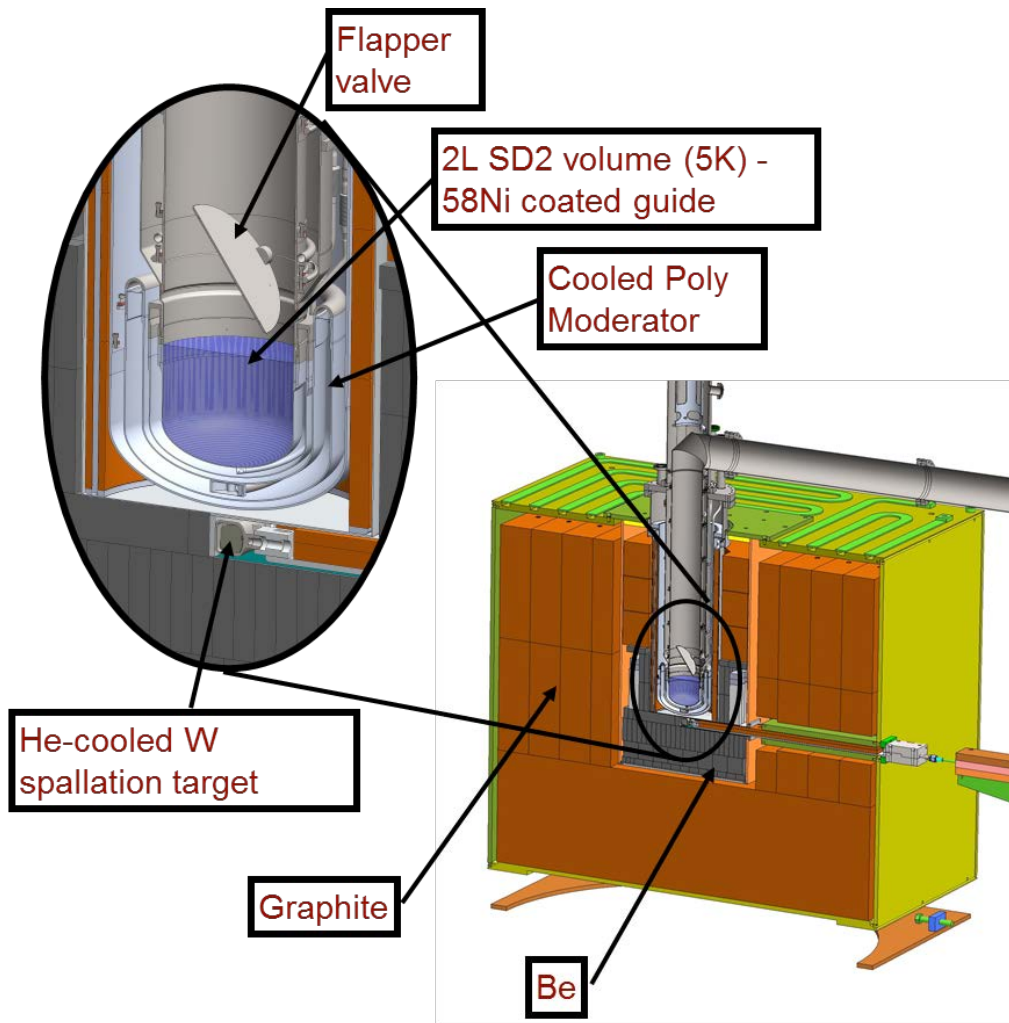


# UCN “Pokotilovsky” source operating at the Los Alamos Neutron Science Center (LANSCE)



A. Saunders, et al. RSI 84, 013304 (2013)

# UCN “Pokotilovsky” source operating at the Los Alamos Neutron Science Center (LANSCE)



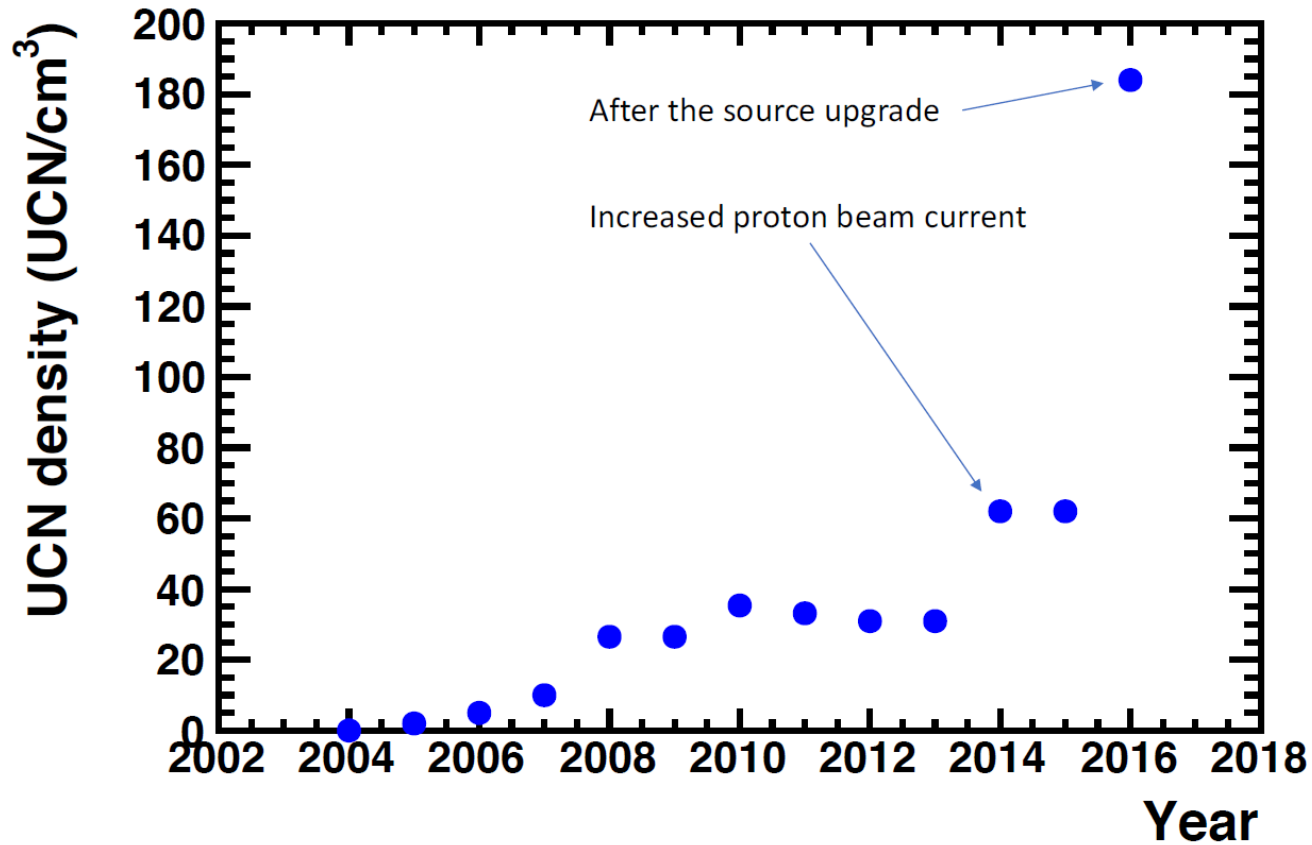
Source upgrade:

- Better moderator cooling
- NiP guides
- Optimized geometry

UCN density measured by Vanadium activation: **184 UCN/cc.**

A. Saunders, et al. RSI 84, 013304 (2013)

# LANL UCN source yield

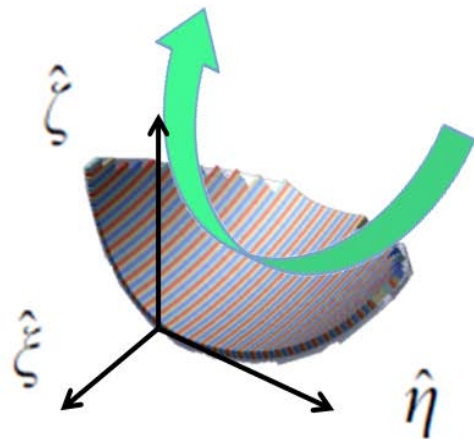




# UCN $\tau$ : Magneto-Gravitational Trap

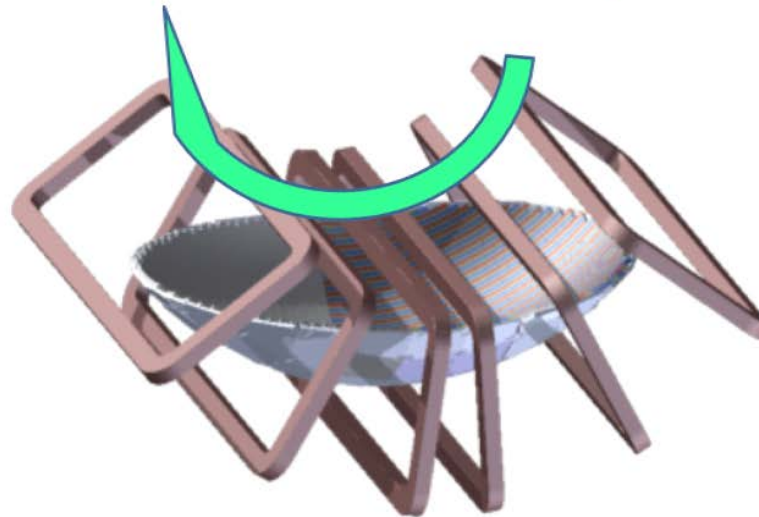
- **Magnetic trapping:** Halbach array of permanent magnets along trap floor repels spin polarized neutrons.
- **Minimize UCN spin-depolarization loss:** EM Coils arranged on the toroidal axis generates holding **B** field throughout the trap (perpendicular to the Halbach array field).

PM Array **B** along  $\hat{\eta}$



Local Surface Coordinates

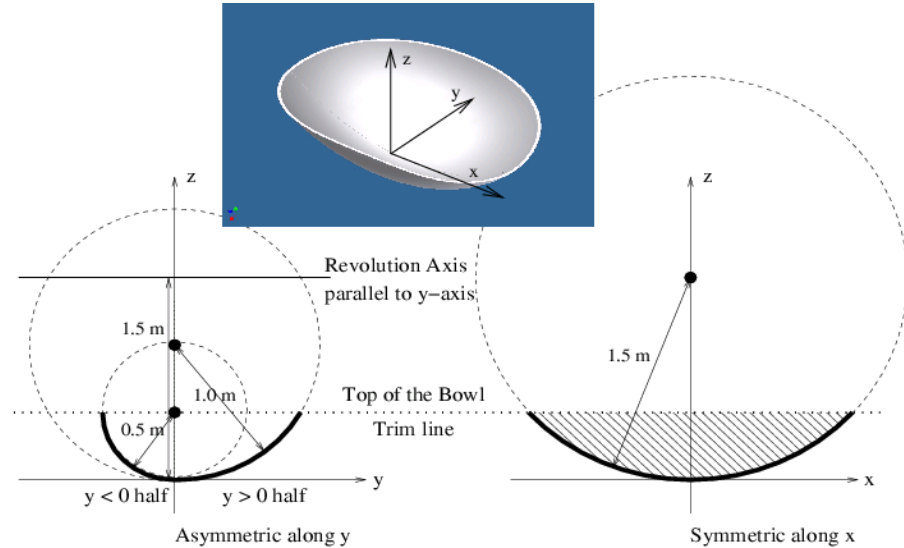
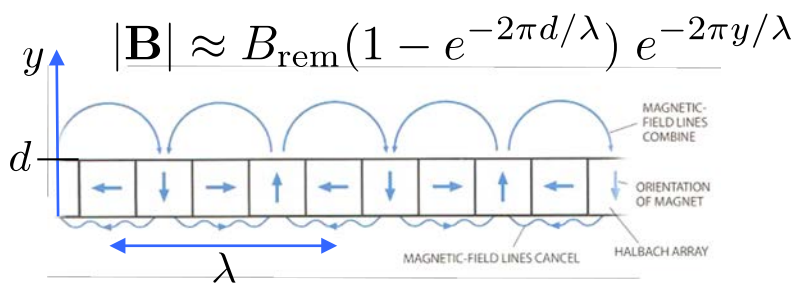
Guide Coils **B** along  $\hat{\zeta}$



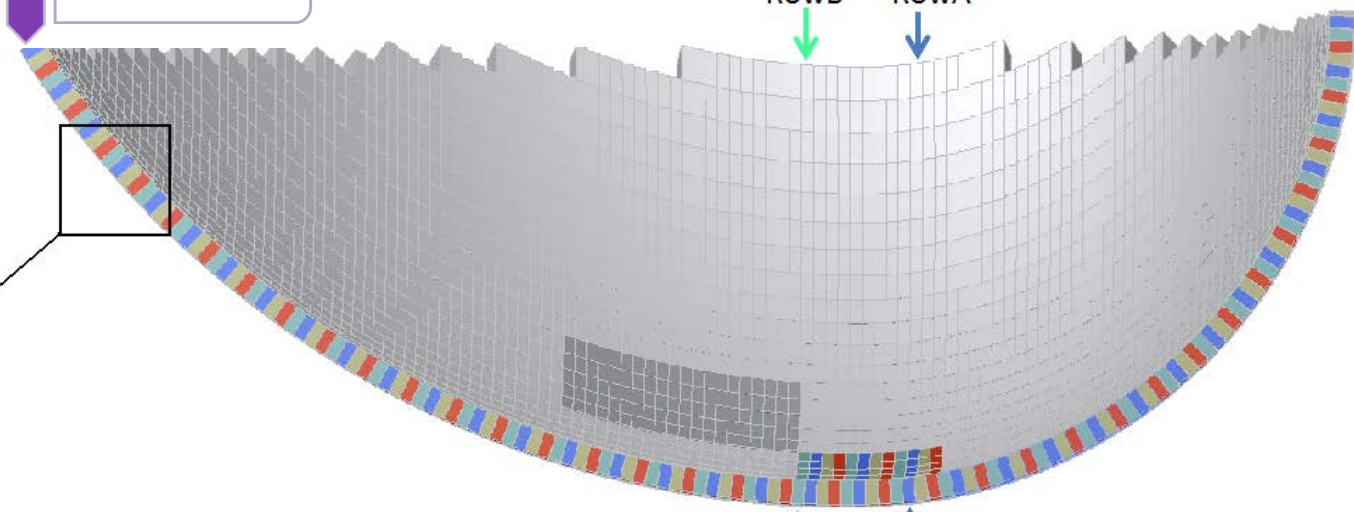
# Main Features of the UCN $\tau$ Experiment

1. An intrinsically low loss rate and long trap lifetime  
→ confinement w/ **magnetic fields & gravity**; no material interaction.
2. Rapid evolution and mixing of the phase space  
→ fast removal of quasi-bound neutrons; The neutron population quickly reach a stochastic distribution.
3. Phase-space insensitive detection scheme.  
→ Negligible bias on neutron detection efficiency even if the neutron distribution could evolve between the short and long storage times.
4. A large neutron statistics for sub-1 sec precision (1 s statistical uncertainty every few days)  
→ enable data-driven study of systematic effects: needs a large volume, high UCN density, and high neutron detection efficiency.

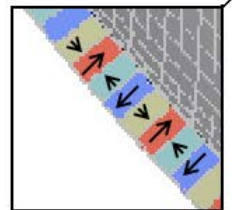
# Details of the Halbach Array



- Rows: 141
- PMs: 5310



50 cm

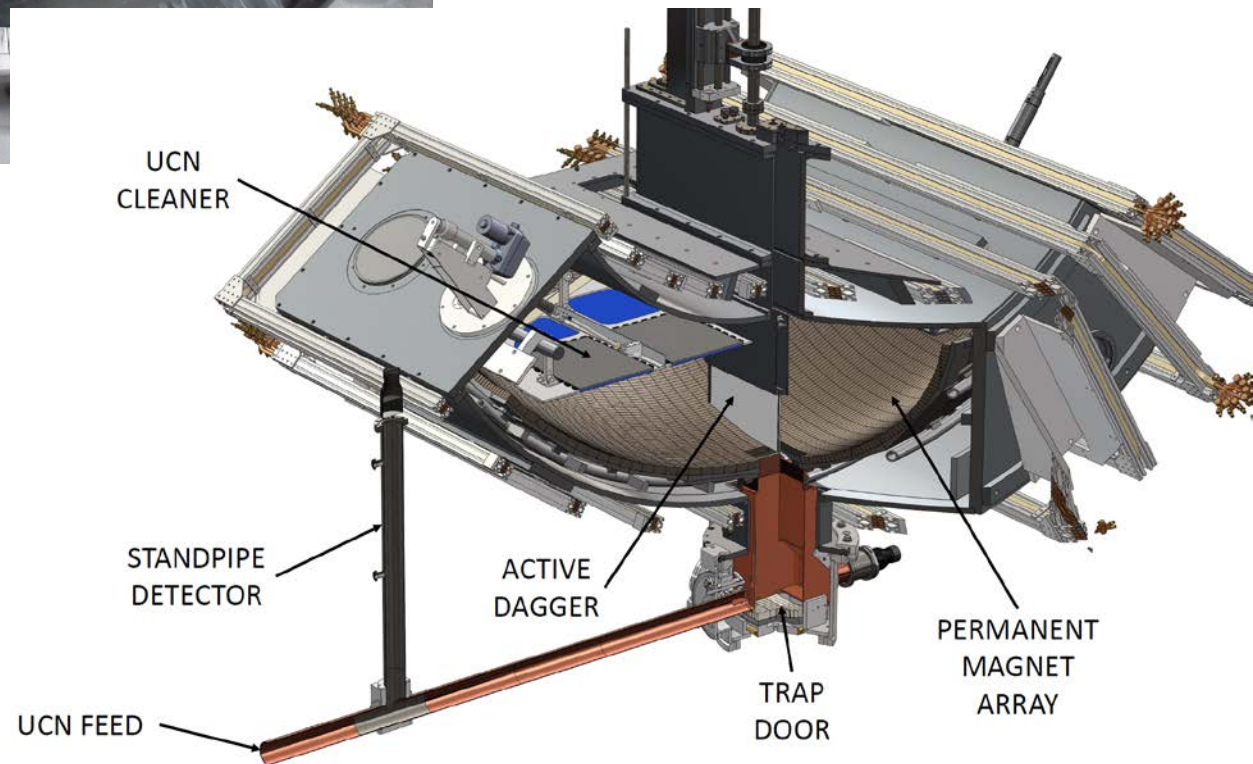
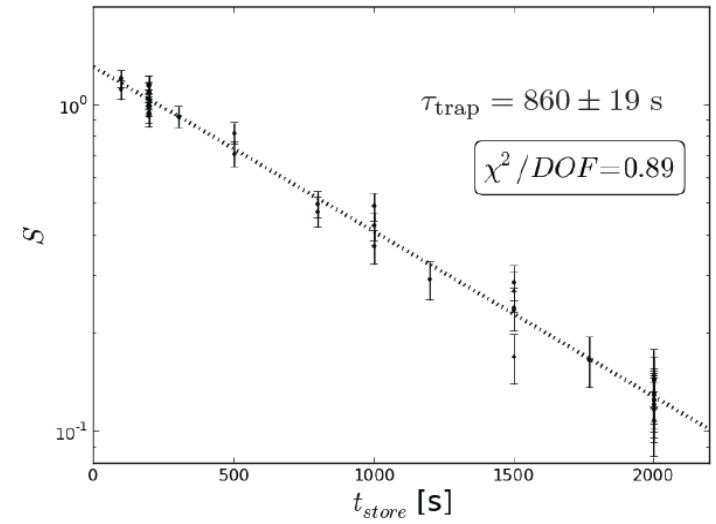


~ 0.8 T at 2 mm

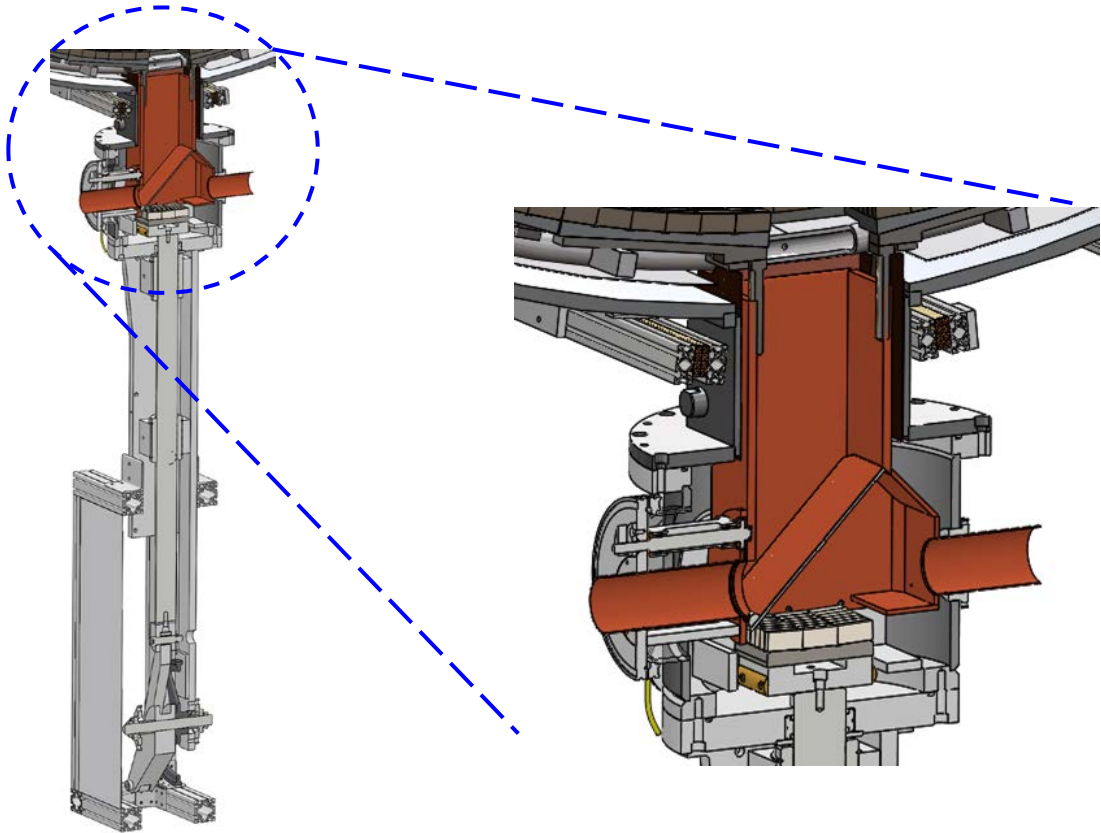


# UCN $\tau$ Magneto-gravitational trap

D. Salvat, PRC 89, 052501 (2014)

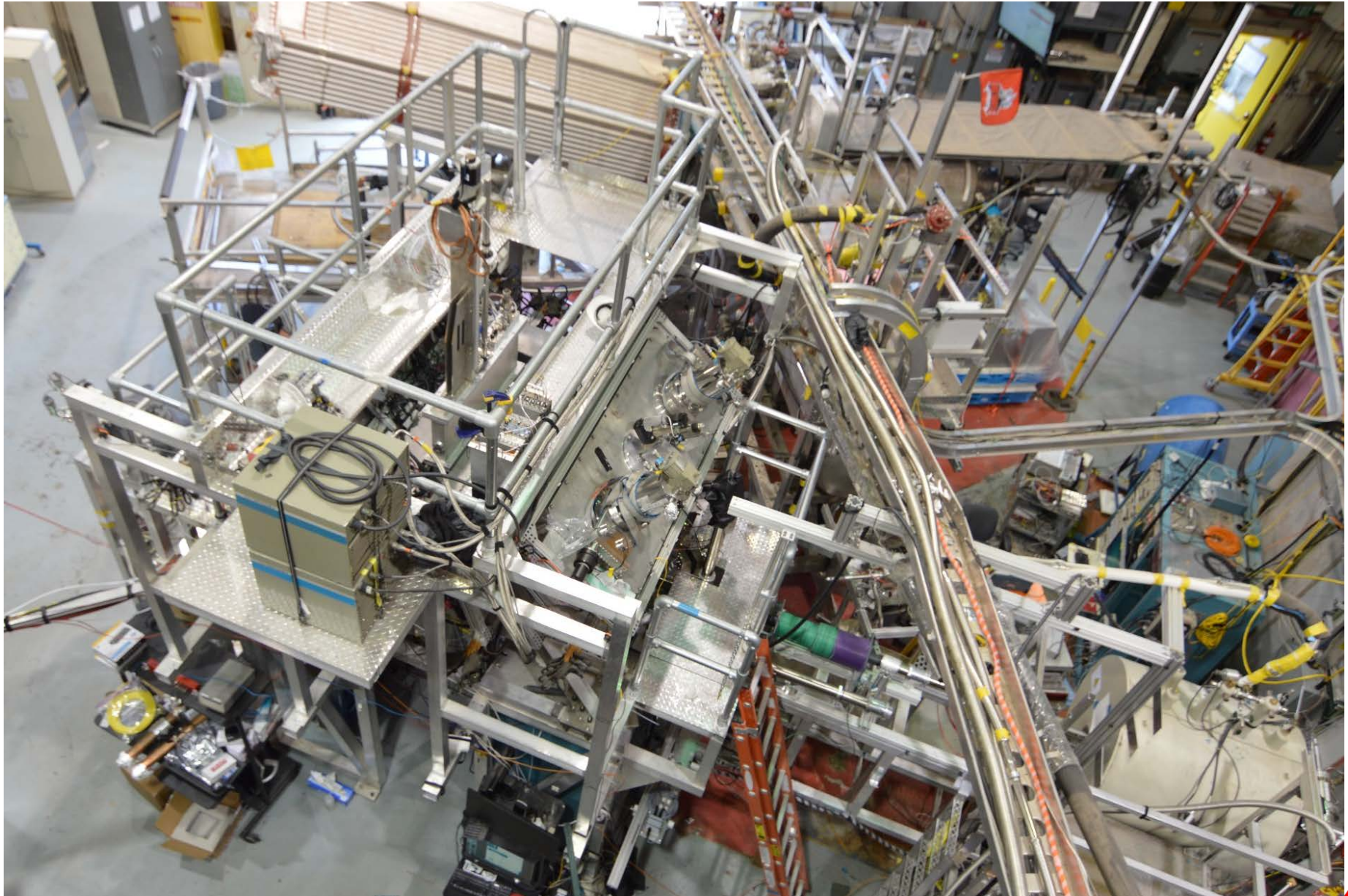


# Loading UCN into the trap



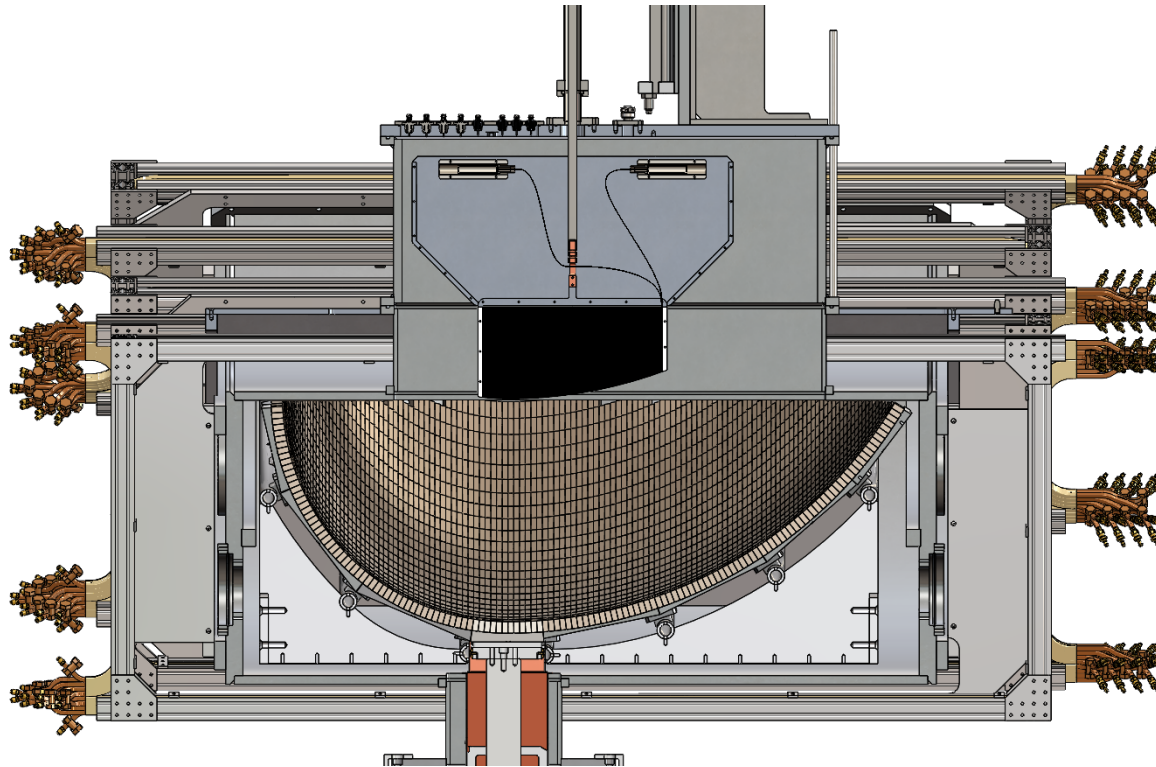


# UCN $\tau$ Magneto-gravitational trap at Los Alamos Natl. Lab

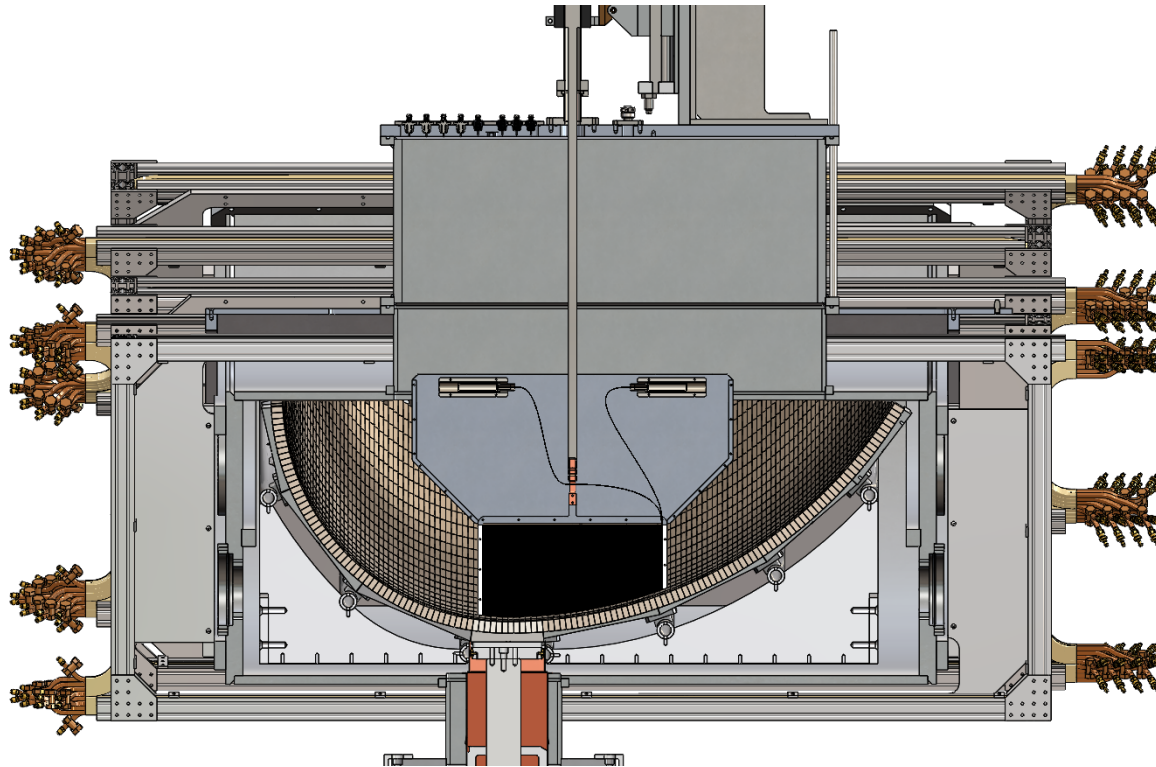


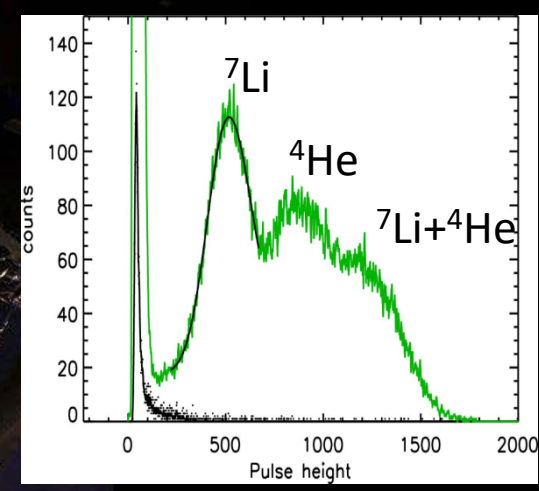
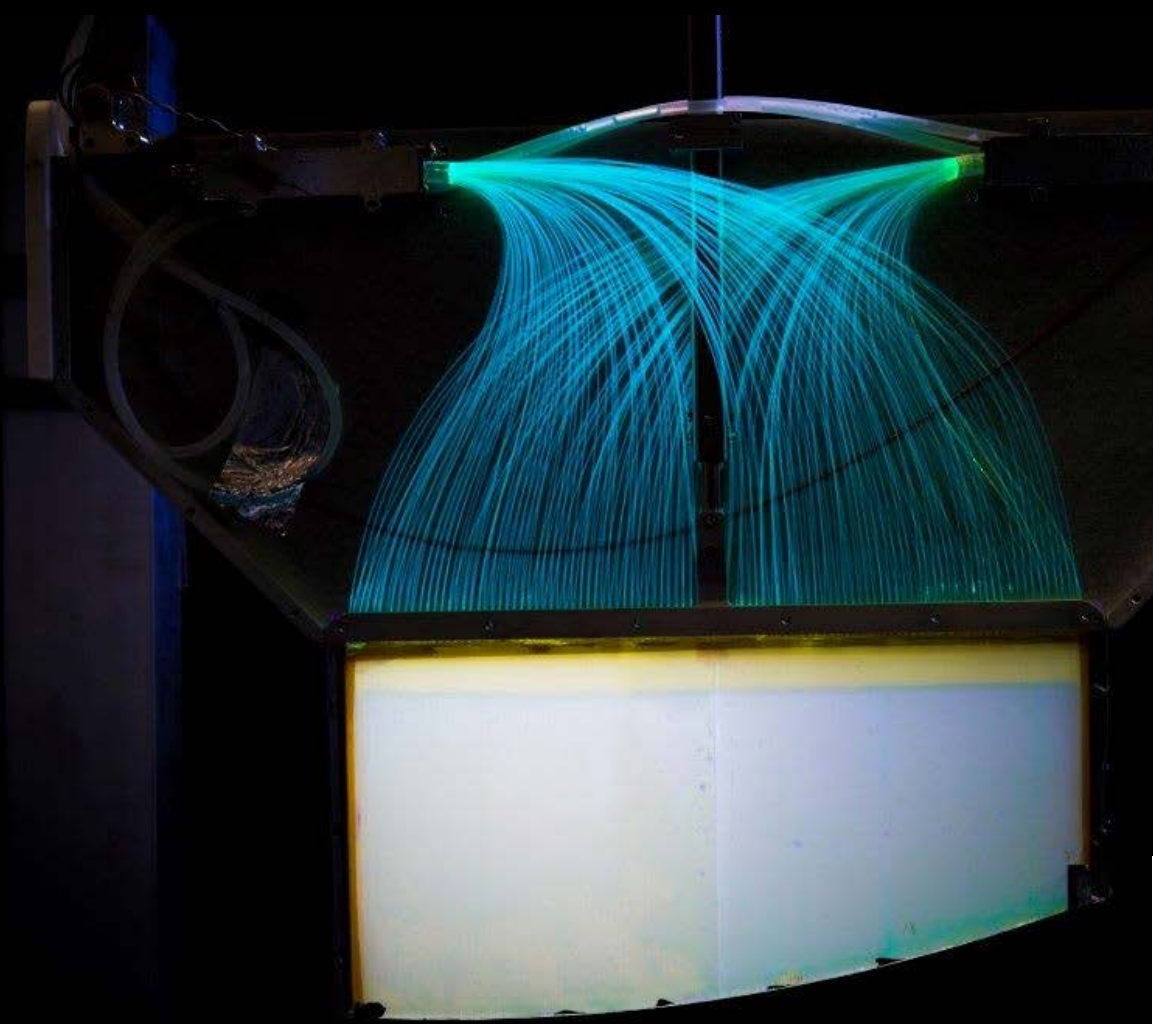


# A new way to count the trapped neutrons:

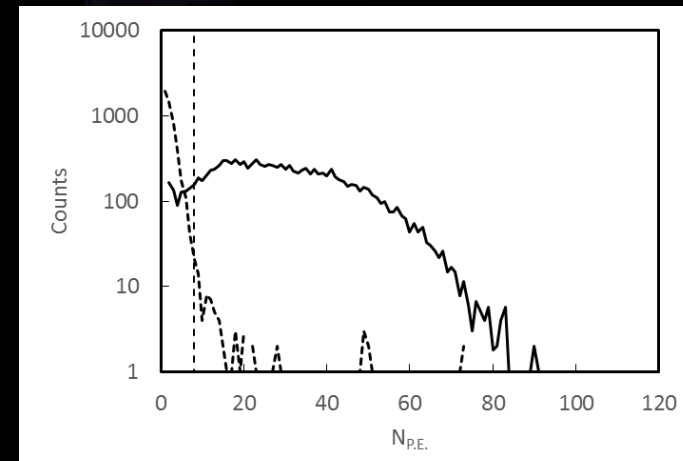


# *In-situ* UCN detection: detection time $\sim 8$ s

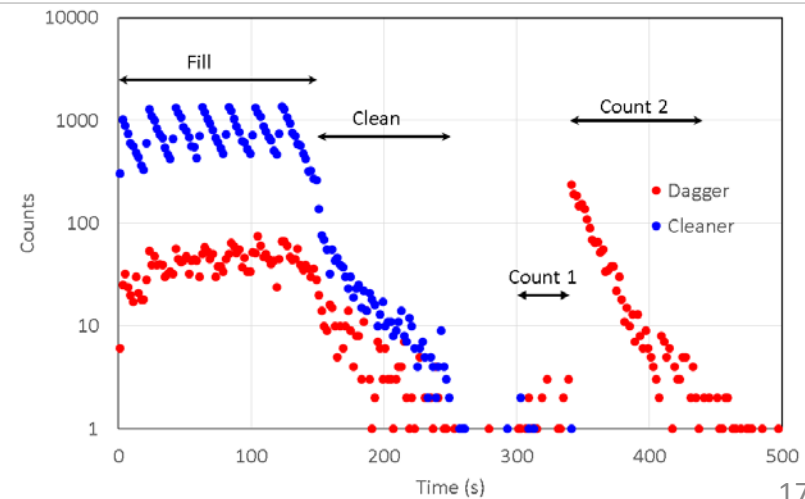
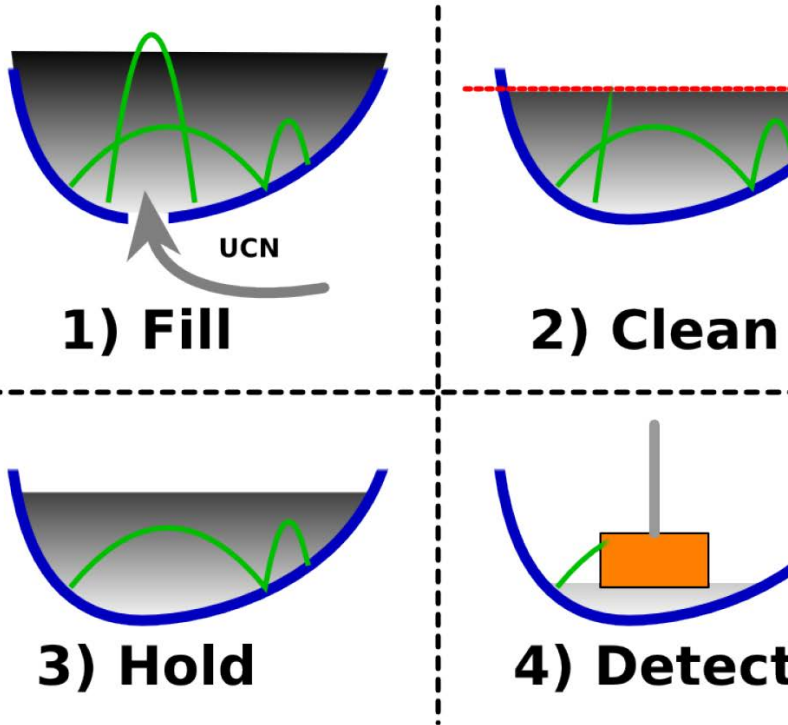




### Light Output



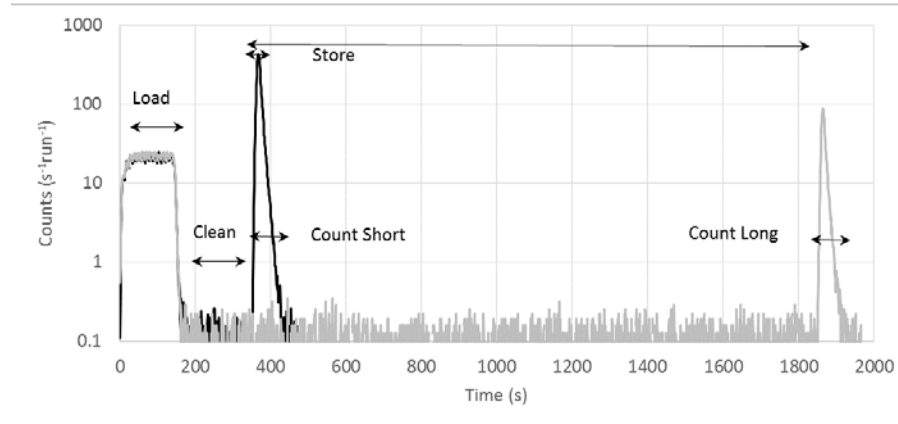
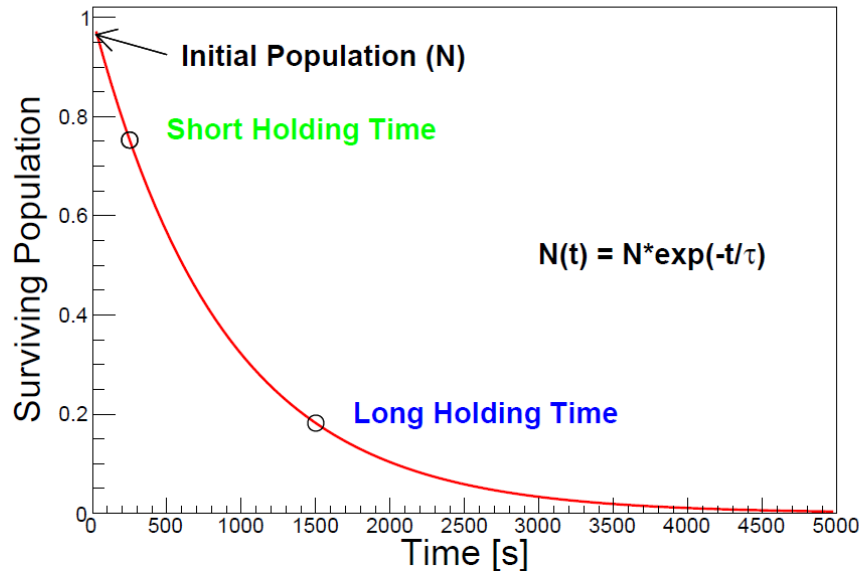
# A typical lifetime run:





# Pairs of short-long storage times

Measuring Lifetime



$$\tau_{trap} = \frac{\Delta t}{\log\left(\frac{N_{short}}{N_{long}}\right) - \log\left(\frac{M_{short}}{M_{long}}\right)}$$

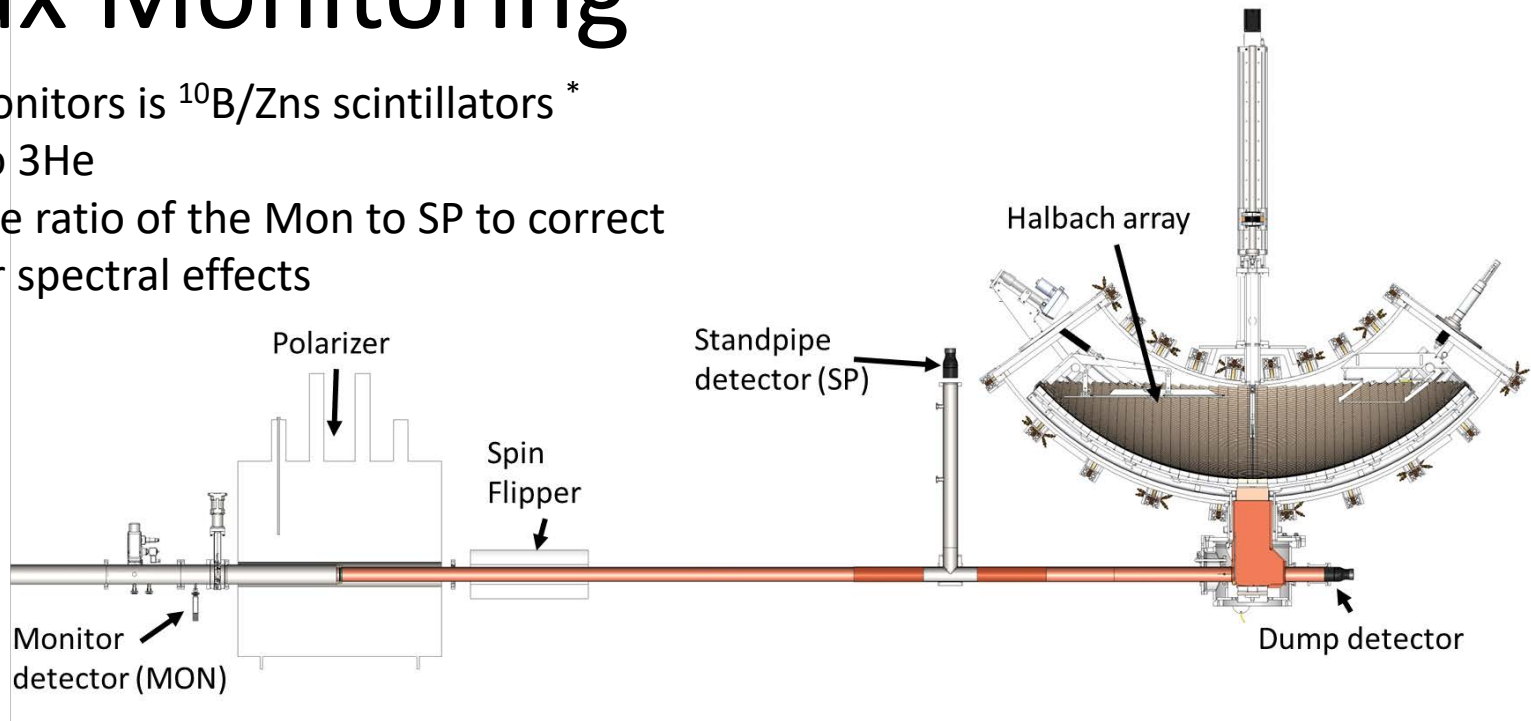
N: UCN counts  
M: Monitor counts

$$\frac{1}{\tau_{trap}} = \frac{1}{\tau_n} + \frac{1}{\tau_{escape}} + \frac{1}{\tau_{heating}} + \frac{1}{\tau_{depol}} + \dots$$

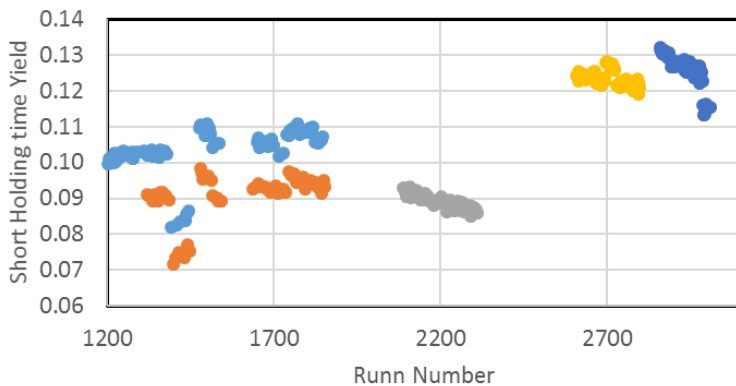
# Flux Monitoring

All monitors is  $^{10}\text{B}/\text{Zns}$  scintillators \*

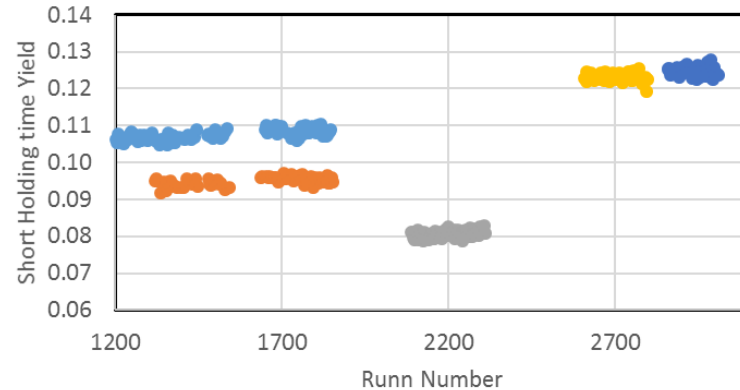
- No  $^3\text{He}$
- Use ratio of the Mon to SP to correct for spectral effects



Uncorrected



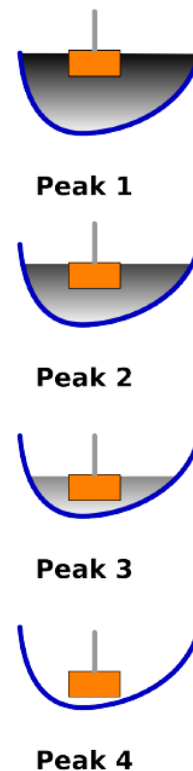
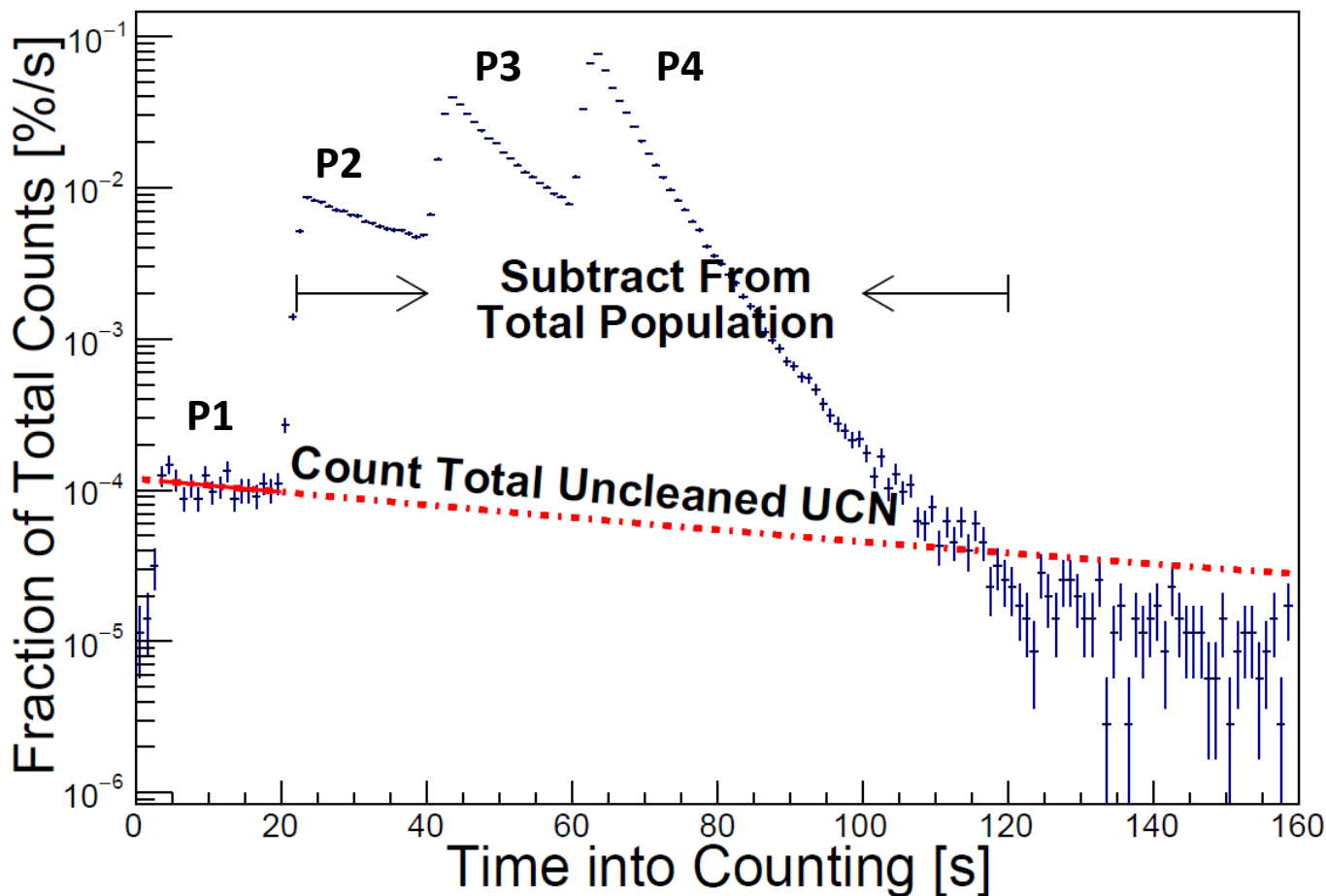
Spectral Corrected



# Multi-step UCN detection

Data from **2015-2016** BEFORE larger cleaner

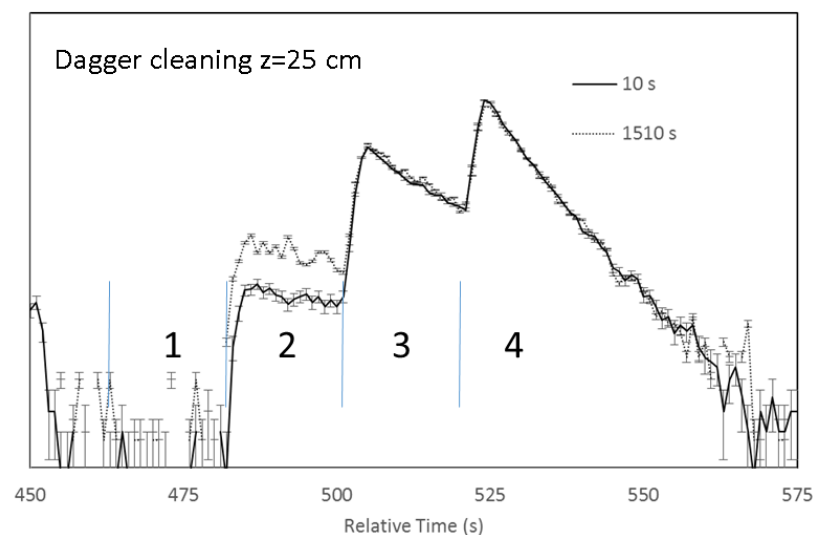
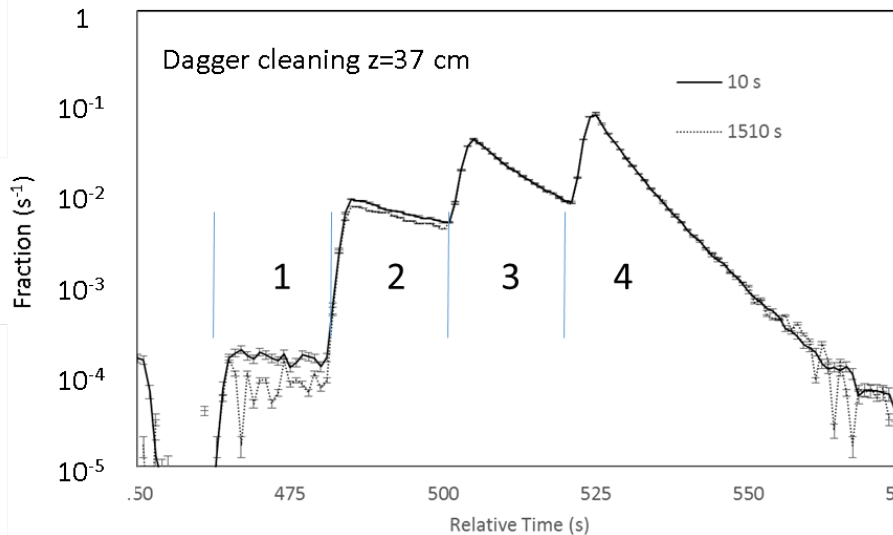
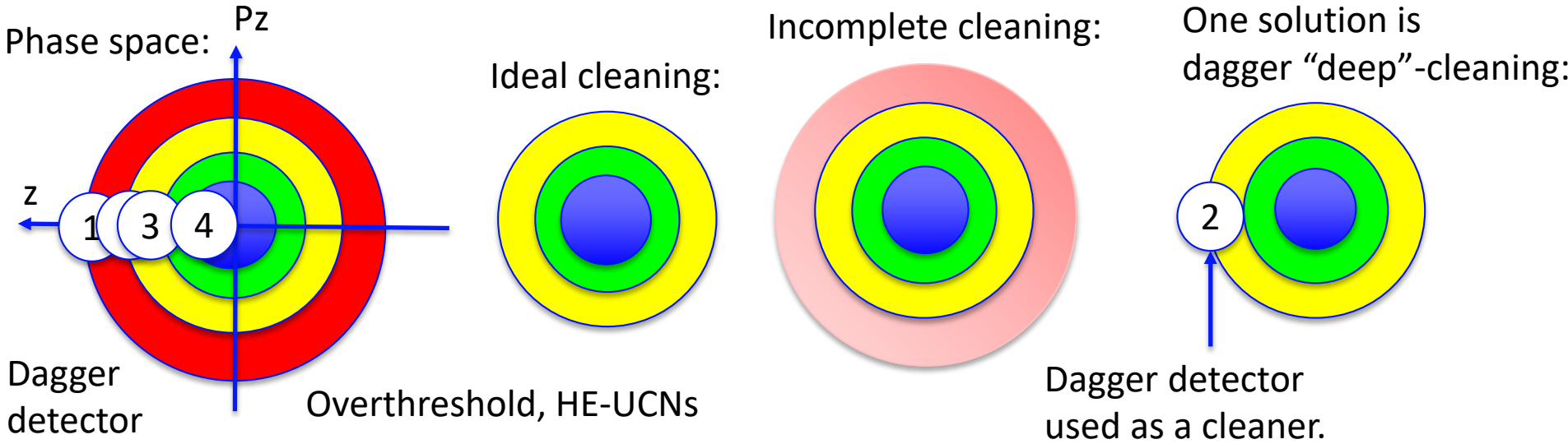
Uncleaned Correction



P1 counts HE-UCN reaching > 25 cm.  
It has a large draining time  $\sim 100$  s.



# Spectral Cleaning vs Phase-space Evolution



Note that the draining time is height dependent.

# Analysis of *non-blinded* tune-up data

## P1 subtraction

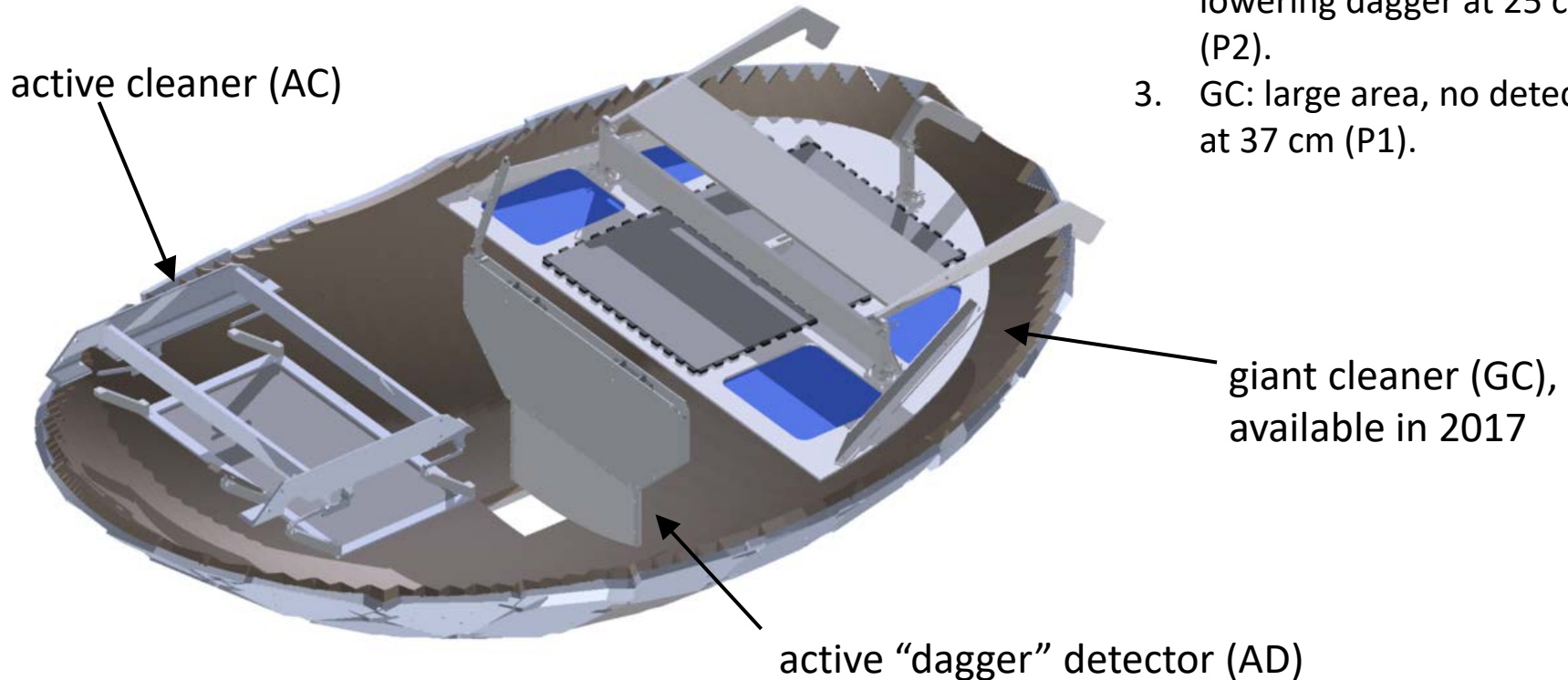
Set	Raw		Cleaning		Vacuum		Corrected	
	$\tau_{\text{measured}}$	$\Delta\tau_{\text{measured}}$	$\tau_{\text{correction}}$	$\Delta\tau_{\text{correction}}$	$\tau_{\text{correction}}$	$\Delta\tau_{\text{correction}}$	$\tau_n$	$\Delta\tau_n$
	s	s	s	s	s	s	s	s
A - One step counting	858.4	3.5	18.2	1.8	0.4	0.1	877.0	4.0
B - Two step counting	862.8	5.7	17.4	1.5	1.6	0.5	881.8	6.0
C - Two step counting with dagger cleaning	876.5	4.0	1.9	0.9	0.9	0.3	879.3	4.1
Average							878.8	2.6
$\chi^2/\text{dof}$							0.24	

effect	upper bound (s)	direction	Current Eval.	Method of Characterization
depolarization	0.01	+	calculated	theory
microphonic heating	0.1	+	simulated	accelerometer studies
dead time/pileup	0.5	$\pm$	simulated	coincidence studies
time dependent background	0.1	$\pm$	measured	measurements
gain drifts	0.2	$\pm$	measured	measurements
Phase space evolution	0.2	$\pm$	measured	measurements
total	0.6		(uncorrelated sum)	

Morris, et al., RSI **88**, 053508 (2017)

# We tried three options of UCN spectral cleaners:

1. AC: small area, fitted with UCN detectors at 37 cm (P1).
2. DC: deep cleaning by lowering dagger at 25 cm (P2).
3. GC: large area, no detectors at 37 cm (P1).





# A number of *blinded* data sets were taken in 2015/2016 to study UCN cleaning

Data Set	Conditions	Run Pairs	Statistical Uncertainty (sec)
1	Feb 200, 1 step, giant, AC up	16	2.7
2	Feb 200, 4 step, giant, AC IN	26	2.5
3	Tday 300, 4step, DC370, AC	83	1.9
4	Feb 400 s, 4 step, giant, ACup	14	4.1
5	Jan Set 3 100s, 1 step, AC DC (200,1430)	24	3.1
6	Jan Set 3 100s, 1 step, AC, DC (10,1430)	38	2.1
7	Feb 100s, 4 step, Giant , AC (20,1440)	29	2.3
8	Feb 100s, 4 step, Giant, AC DC (20,1440)	13	4.1
9	Dec Big set 100s, 1 step, DC (10, 1430),AC	35	2.2
10	Jan set 1 100s, 1 step, AC, DC (10,1430)	74	1.5

1. AC: small area, fitted with UCN detectors at 37 cm (P1).
2. DC: deep cleaning by lowering dagger at 25 cm (P2).
3. GC: large area, no detectors at 37 cm (P1).

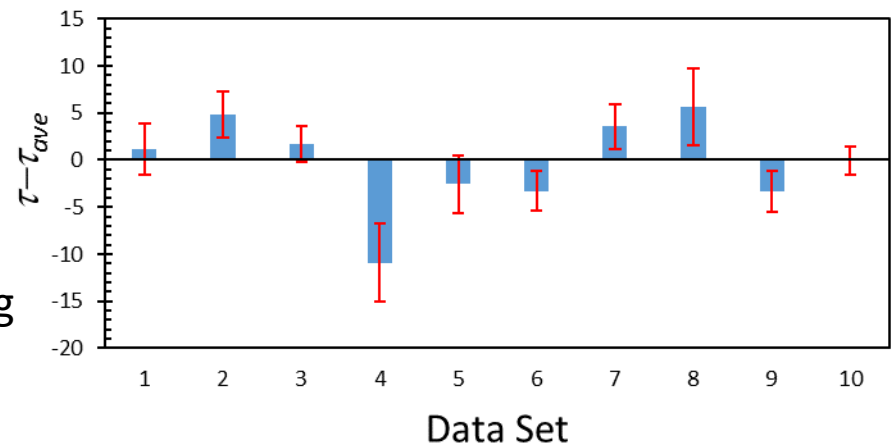
Overall statistical uncertainty: 0.7 s

Blinded lifetimes for different conditions vary somewhat more than statistics (analysis of green shaded run-sets)

$$\chi^2 / \text{DOF} = 2.4$$

We believe this is due to normalization/timing problems. Uncertainties for this data have been scaled by  $\sqrt{\chi^2 / df}$

Blinded Lifetimes



# Two *in-situ* HE-UCN monitoring detectors

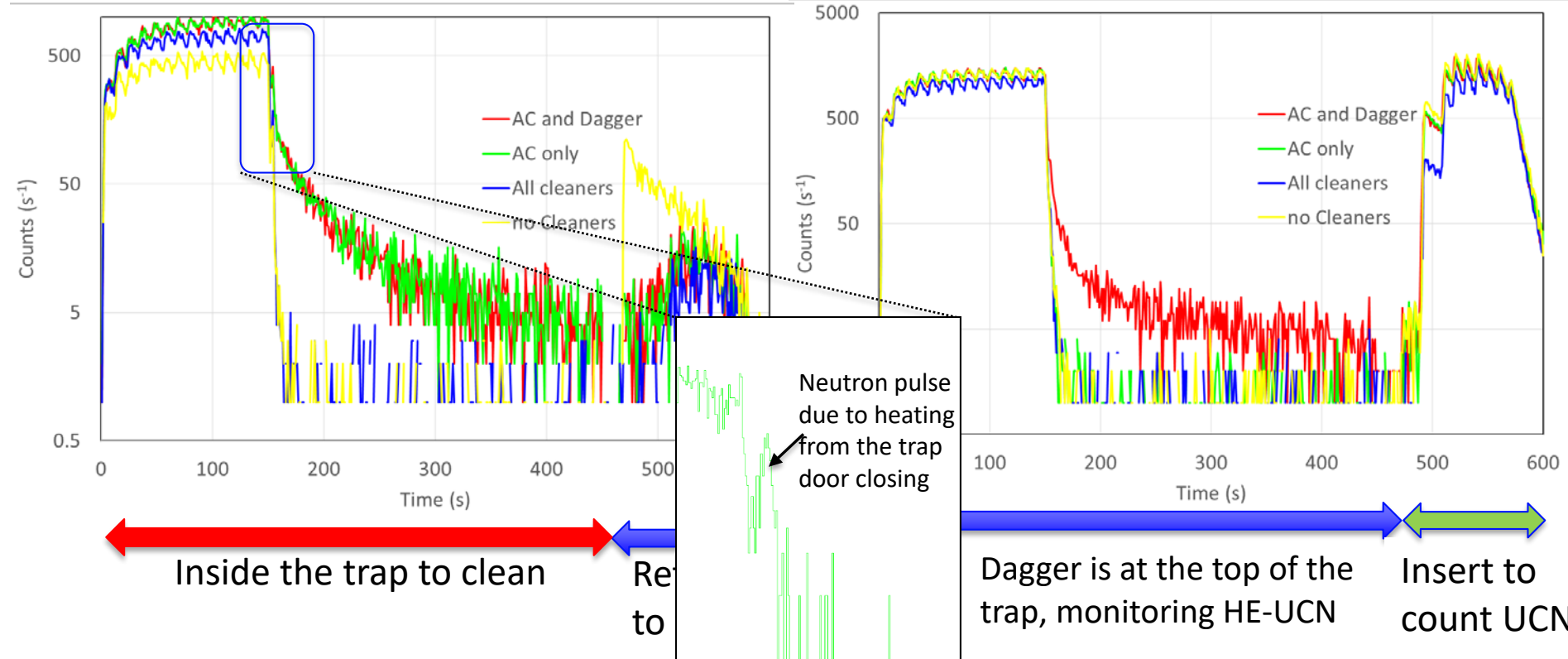
Both measures UCN above 32 cm

The **giant cleaner (at 32 cm)**  
*eliminates* the need for a  
cleaning correction

	AC	Dagger (P1)
AC + Dagger	66	107
AC only	54	68
All cleaners	1	-1
No cleaners	1278	91

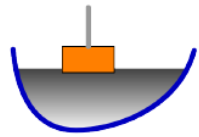
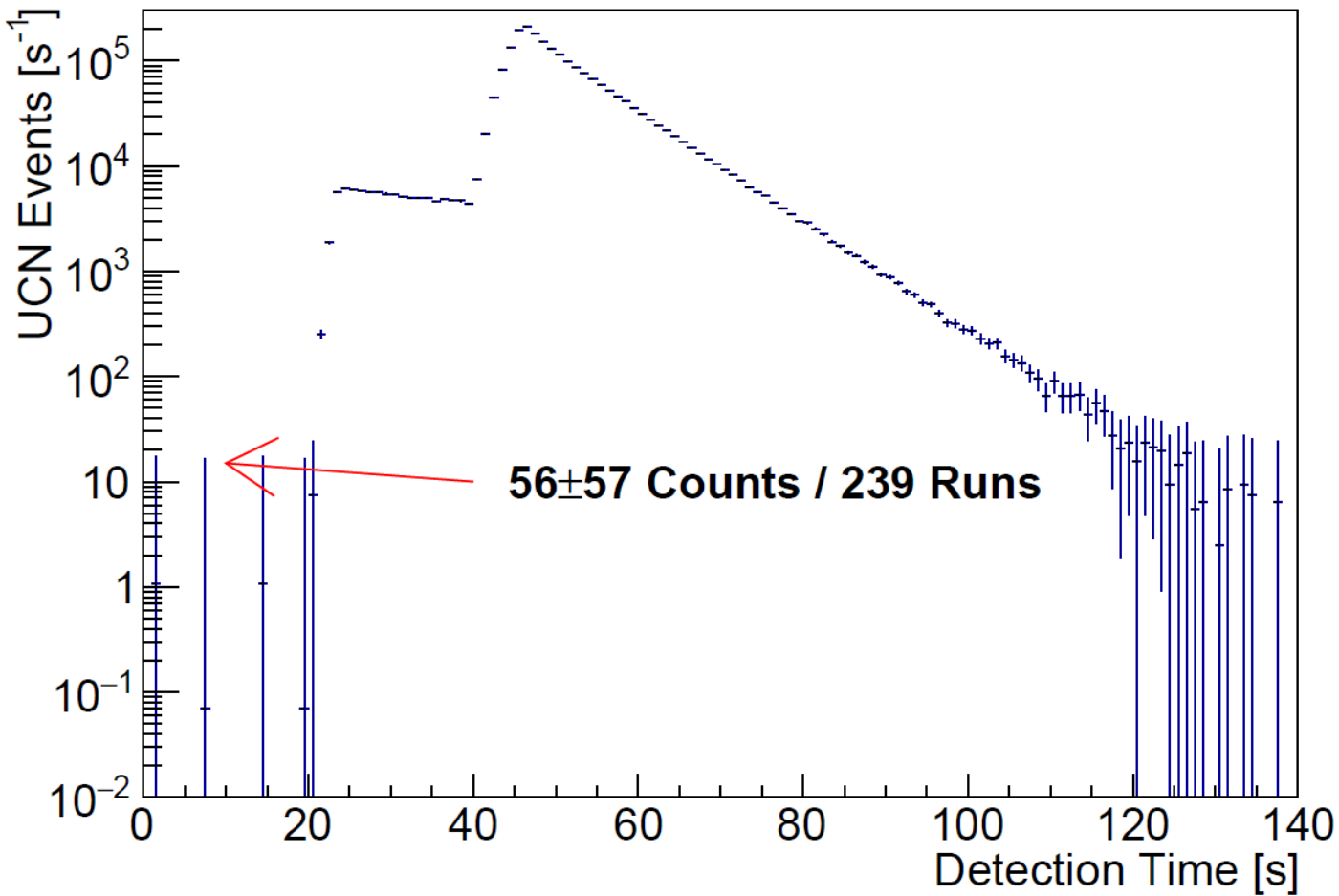
Active cleaner (AC) signal

Dagger detector (DC) signal

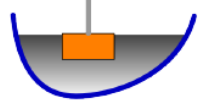


# Data from 2016-2017

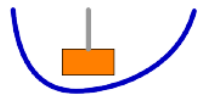
## Searching for Uncleaned UCN



Peak 1

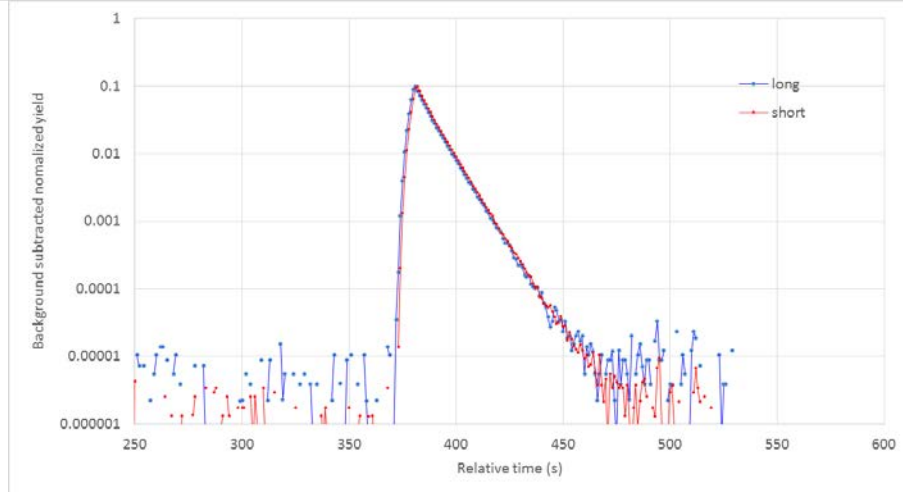
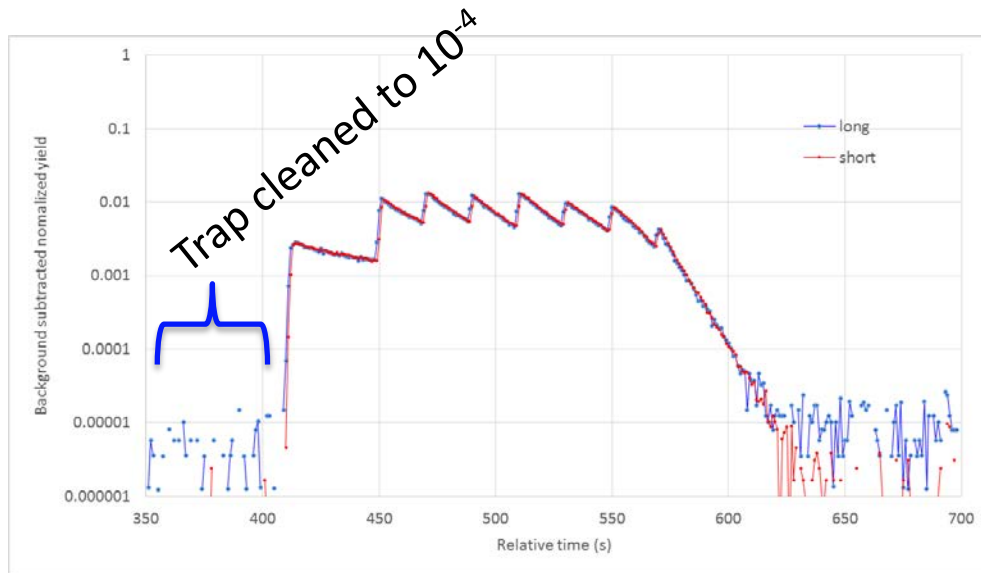


Peak 2

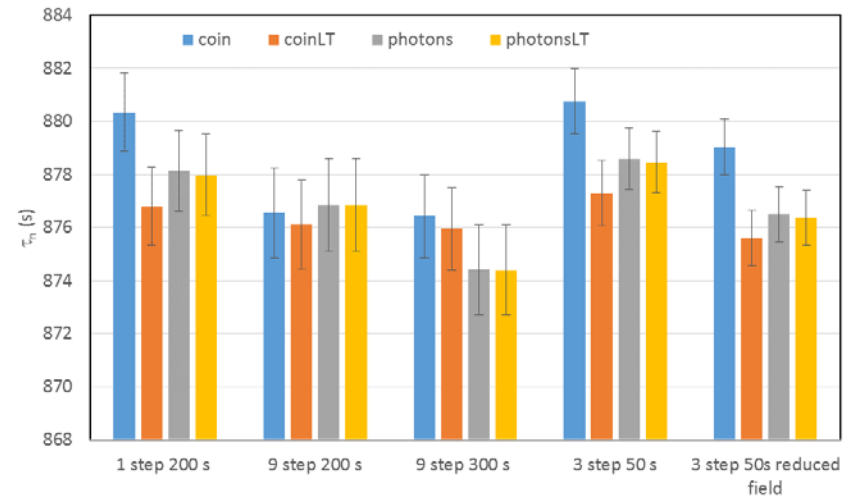


Peak 3

# FY2017 results with giant cleaner and new source.

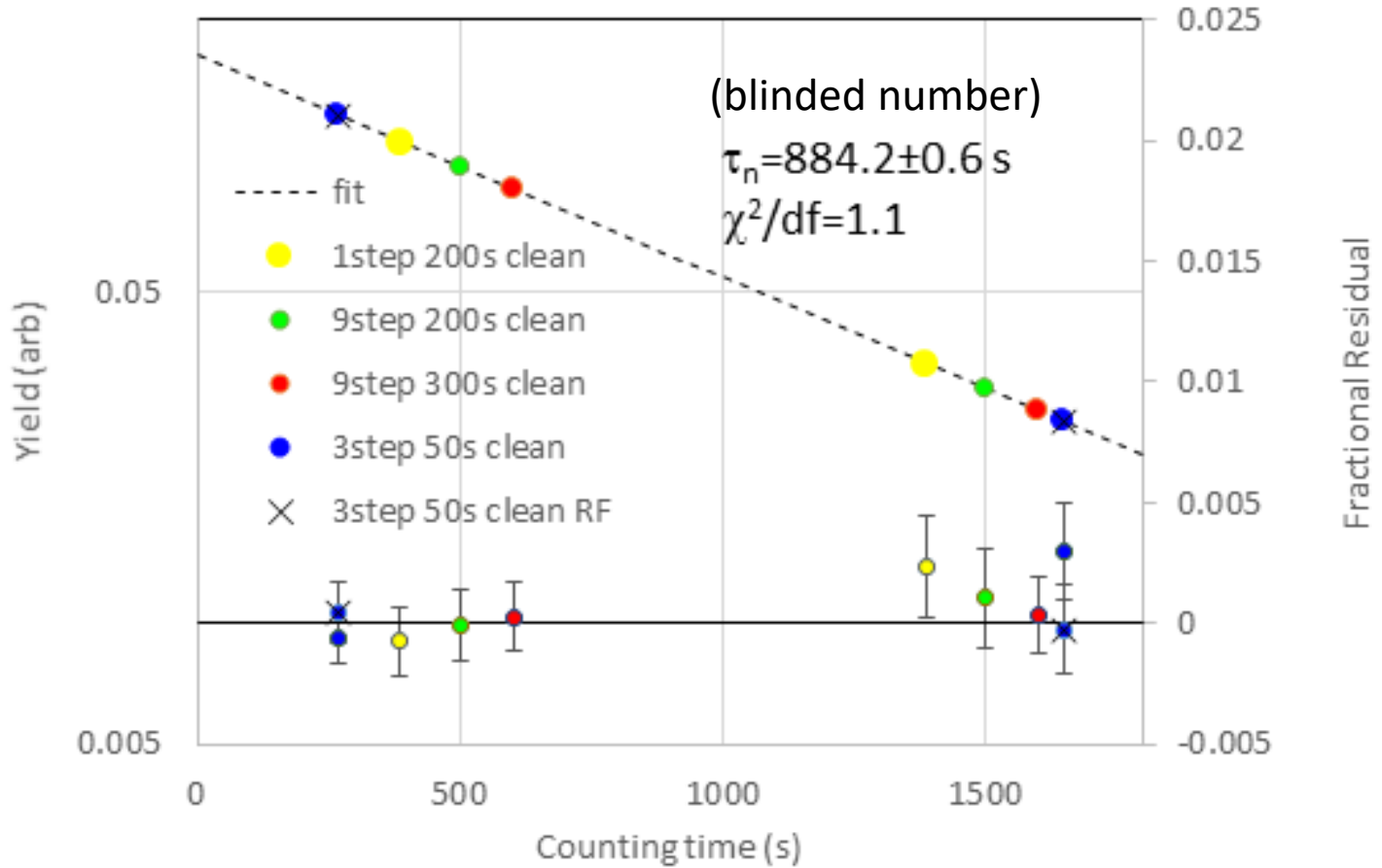


- No cleaning correction needed
- The UCN rate is too high!
  - Deadtime correction 1%
- New “current mode” counting method
- Used a different blinding factor from 2015/2016 data





# Global fit into a single exponential function

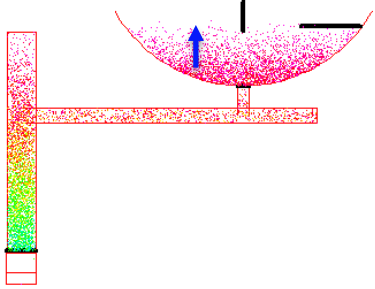


# Systematic uncertainties for the “current mode” counting

Effect	Upper bound (s)	Direction	Method of evaluation
Depolarization	0.07	+	Varied external holding field
Microphonic heating	0.24	+	Detector for heated neutrons
Insufficient cleaning	0.07	+	Detector for uncleaned neutrons
Dead time/pileup	0.04	±	Known hardware dead time
Phase space evolution	0.10	±	Measured neutron arrival time
Residual gas interactions	0.03	±	Measured gas cross sections and pressure
Background variations	<0.01	±	Measured background as function of detector position
<b>Total</b>	<b>0.28</b>		<b>(uncorrelated sum)</b>

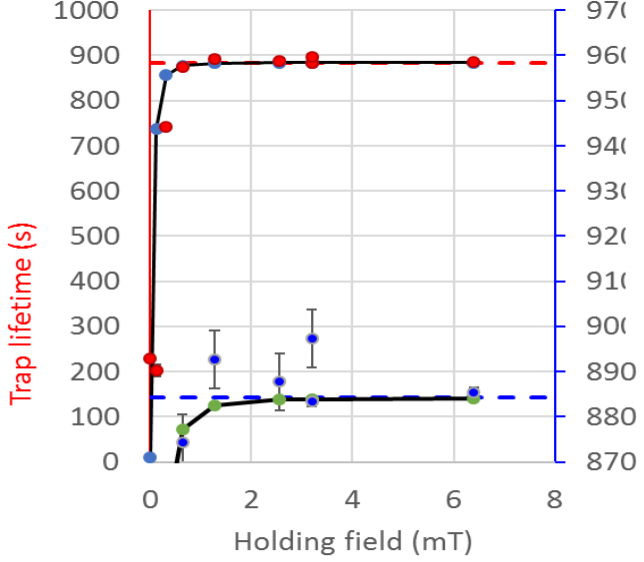
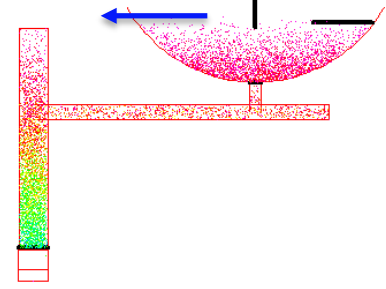
### Heating

Limit established by long holding time excess



### Insufficient Cleaning

Limit established by short holding time excess



Using analysis by Steyerl et al. 2016

# Background variations (important for current-mode analysis)

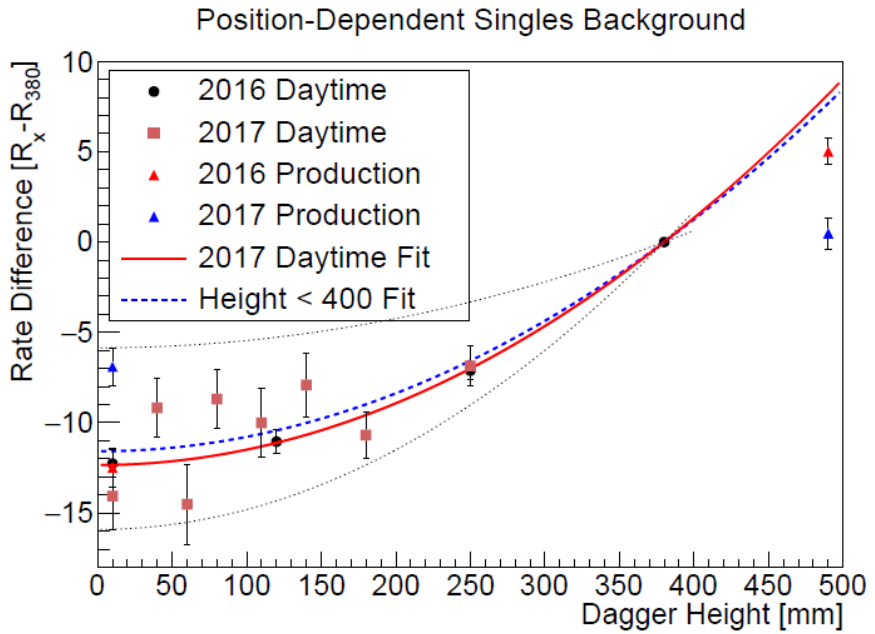


Figure 3: Position Dependence of singles background. Data comes from 4 sets - either dedicated background runs or production runs in either 2016 or 2017. One fit is from the cleanest dataset (2016 dedicated background), and the other is from all data points except ones with height > 380 mm. The thin, black dashed lines represent the extreme of the fit.

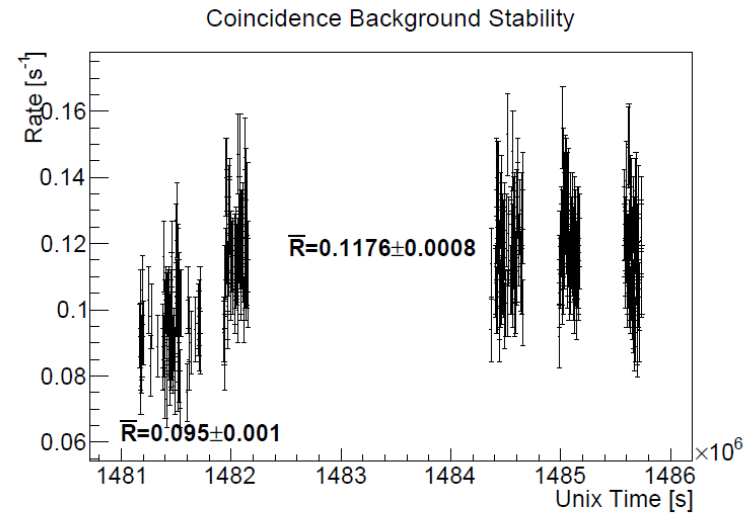
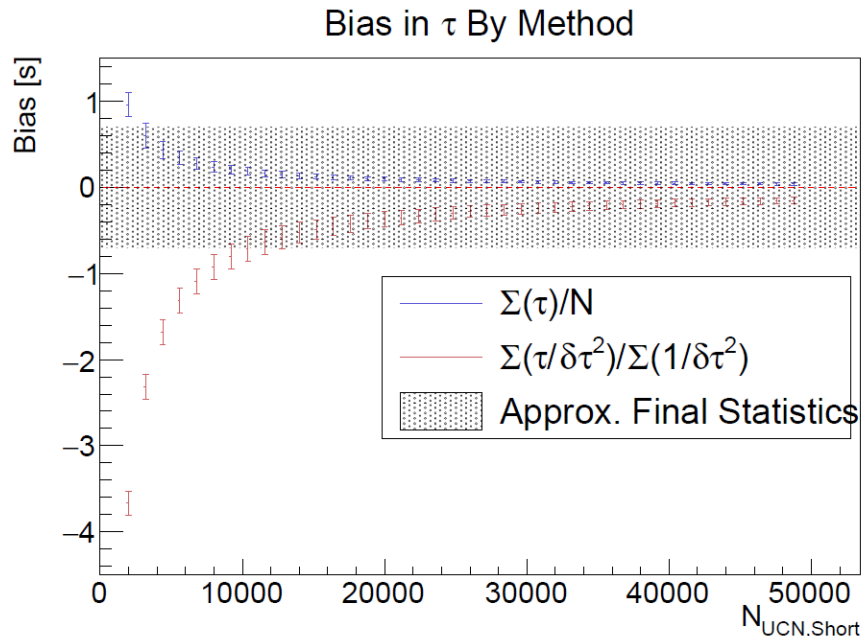


Figure 4: Coincidence Background Rate as a function of time.

# Bias from statistical models



The standard “weighted average” assumes a Gaussian distributed event population and can result in a significant statistical bias.

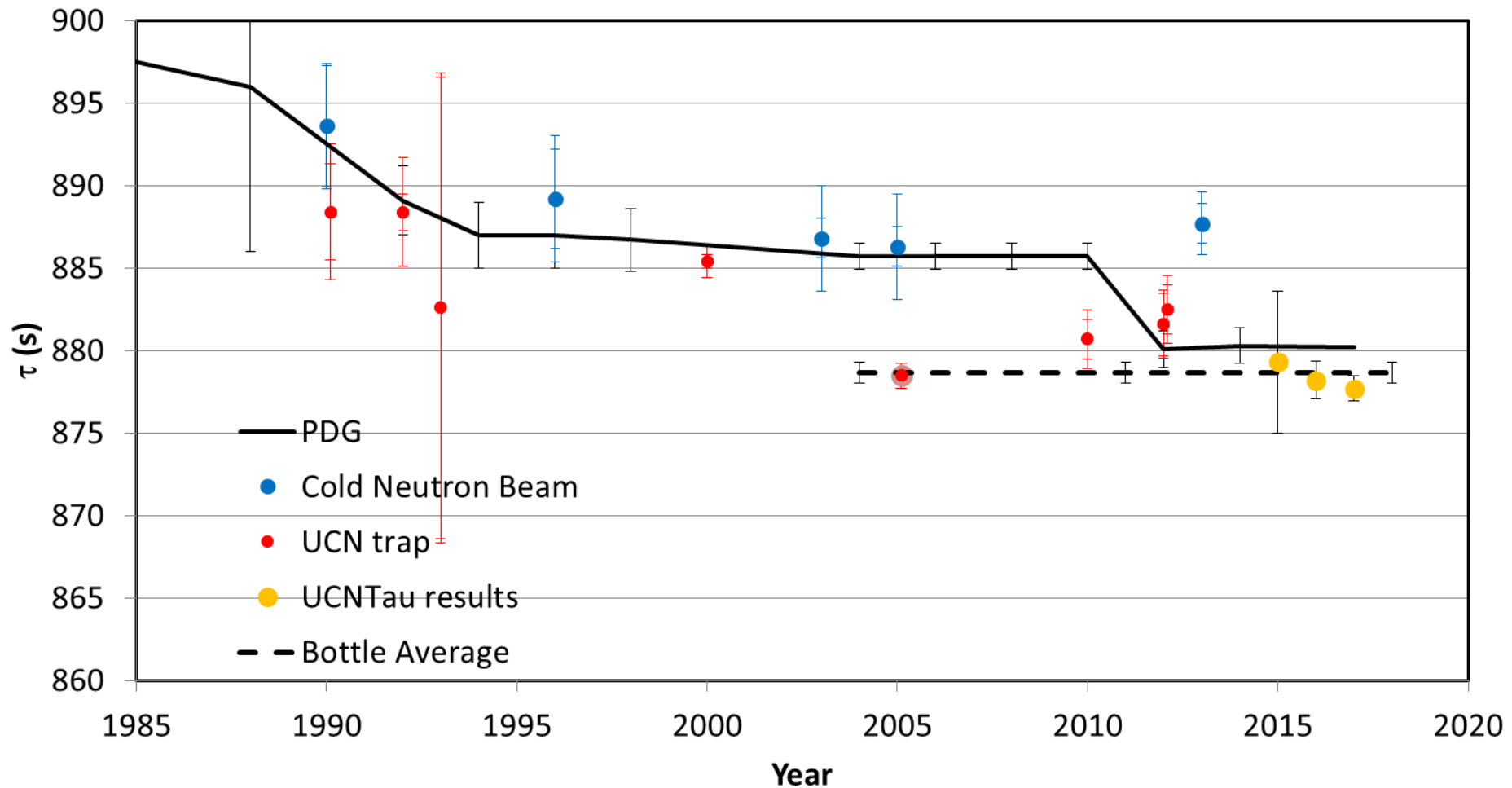
Number of trapped neutrons are Poisson distributed.

Neutron decays follow binomial distribution, which gives a uncertainty much smaller than  $\sqrt{N}$ .

\*The most probable is smaller than the mean for Poisson and binomial distributions.



# New results

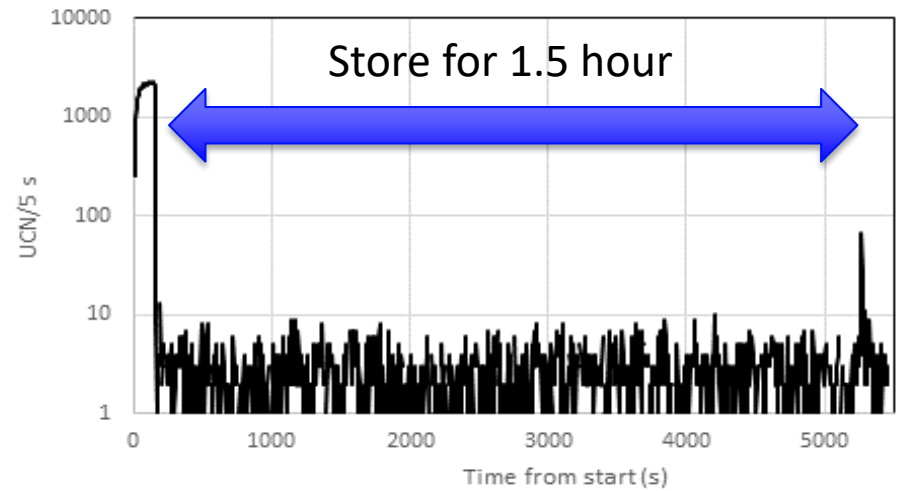
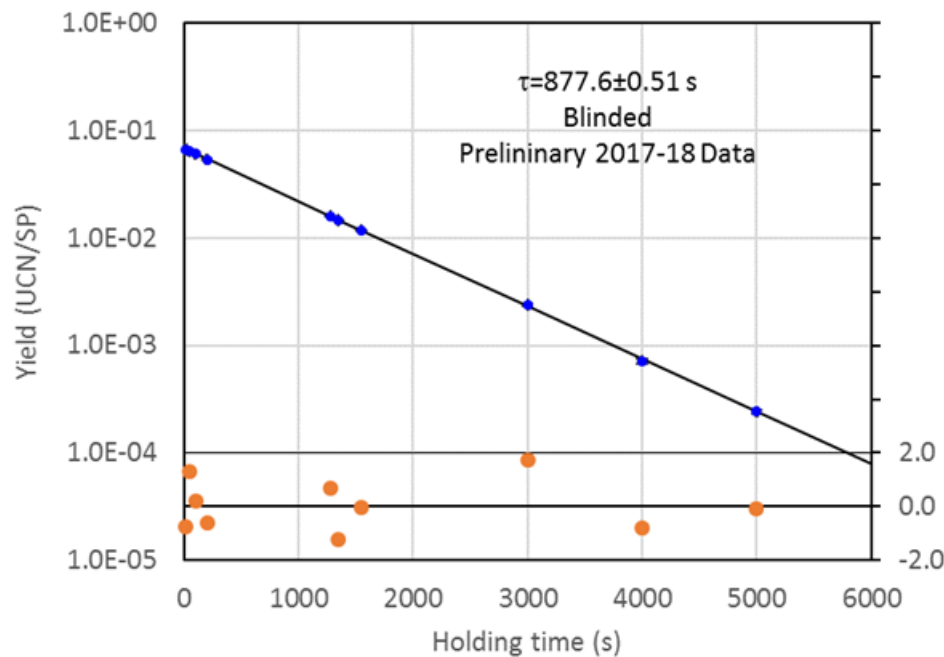


# We have developed a new method for measuring the neutron lifetime

- We have demonstrated an *in situ* active neutron detector that allows for many systematic tests---enables the measurement to correct for insufficient cleaning and phase-space evolution.
- We have made a measurement of  $\tau_n$  for the first time with **no extrapolation**:  $877.7 \pm 0.7$  (stat)  $+0.3/-0.1$  (sys) s.
- All systematic uncertainties have been quantified by measurements, with size of corrections smaller than the statistical uncertainties.
- During 2017/2018 running, with x5 lower background and optimized data-taking, we hope to achieve a statistical uncertainty of  $\pm 0.35$  s (stat)  $\pm 0.15$  s (sys) with 20 weekends of data.

# Moving forward

With ~7 weeks of running (since mid-August 2017):



Residual (std dev)

- Discussion



# The 10 s n lifetime discrepancy

$$\frac{1}{\tau_n} = \frac{1}{\tau_\beta} + \frac{1}{\tau_{BSM}}$$

The 10 s discrepancy between beam (which measures  $\tau_\beta$ ) and bottled neutron (which measures  $\tau_n$ ) lifetimes needs a mechanism that gives  $\tau_{BSM} = 80,000$  s.

- **nnbar oscillation**

- Experimental handle: suppressed by an external B field.
- Current limit of (quasi-free) nnbar oscillation rate is already too small to explain the 10 s discrepancy.
- Oscillation could be assisted with RF spin flip; B=0.5G, fRF= 15kHz.
- We will push the lifetime uncertainty to 0.1 s in both material (B=0) & magnetic (B≠0) bottles. But the technique only help to constrain the  $\tau_{BSM} = \tau_{nnbar}$  to  $1e+7$  s.

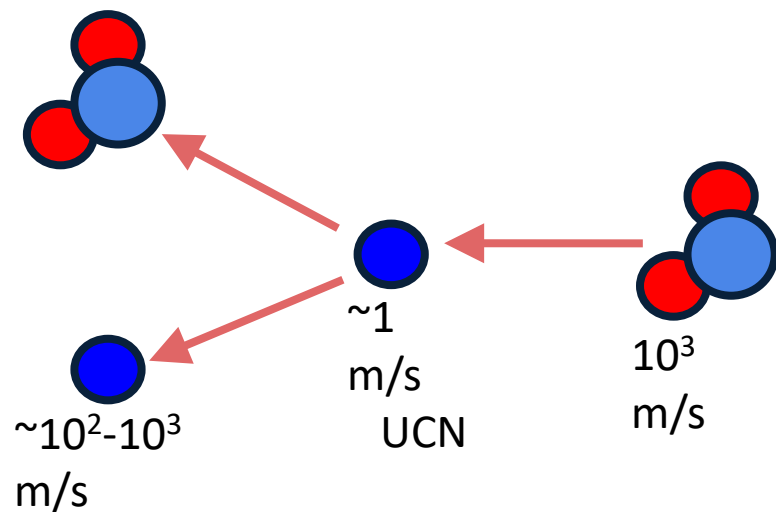
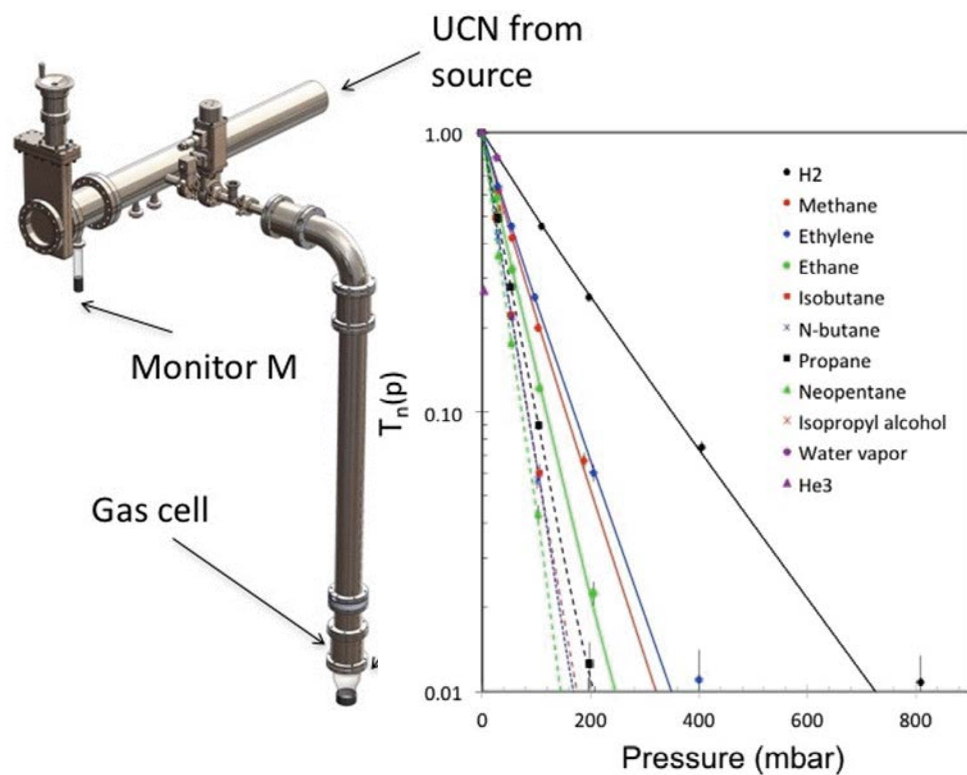
- **nn' oscillation**

- Experimental handle: enhanced by matching the B & B' fields.
- The bottle experiments are done in 0.5 G (material bottles) and 60 G- 800 G (UCNtau, Ezhov). They yield the same lifetime:  $878 \pm 1$  s, and both indicates a neutron disappearance rate > beta-decay rate.
- In the nn' oscillation scenario, this indicates a very broad resonance.
- The preferred model of a long nnbar oscillation time ( $3e+8$  s) and a short nn' oscillation time ( $\sim 100$  s) could source this large neutron disappearance rate.

- **UCN upscattered by dark matters**

- The energy threshold for UCN nuclear recoil is  $\sim$  neV! (other DM detector thresholds  $\sim$  2keV)
- similar to UCN upscattering by residual gases.

# Loss due to residual gas



# Loss due to residual gas

Total cross sections for ultracold neutrons scattered from gases

S. J. Seestrom *et al.*

Phys. Rev. C **95**, 015501 – Published 30 January 2017

Molecule	$\sigma_T$ (barns) from this paper	$\sigma_T$ (barns) from Ref. [1] and $^3\text{He}$ scaled from thermal energy	Pressure required for $\Delta\tau_n/\tau_n _{\text{loss}} = 10^{-4}$ (Torr)
H <sub>2</sub>	18500 (300)	20000 (4000)	$2.9 \times 10^{-7}$
Ethane	55200 (1000)		$9.6 \times 10^{-8}$
Methane	42000 (500)		$1.3 \times 10^{-7}$
Isobutane	76800 (1100)	75000 (15000)	$6.9 \times 10^{-8}$
<i>n</i> -butane	77300 (1,00)		$6.8 \times 10^{-8}$
Ethylene	38400 (700)		$1.4 \times 10^{-7}$
Water	20200 (2100)		$2.6 \times 10^{-7}$
Propane	65400 (600)		$8.1 \times 10^{-8}$
Neopentane	88,600 (900)		$6.0 \times 10^{-8}$
Isopropyl alcohol	49900 (3100)		$1.1 \times 10^{-7}$
$^3\text{He}$	1280000 (410000)	1797000	$4.1 \times 10^{-9}$

# UCN upscattering by dark matters

- UCN is a sensitive dark matter probe:  $\sigma_{up}^{UCN} = \frac{v_f}{v_i} \sigma_{elastic} = 50,000 \sigma_{elastic}$ 
  - The energy threshold for UCN nuclear recoil is  $\sim$  neV!
- Consider the scenario of UCN upscattered by MM dark matters:
  - Similar to residual gas upscattering,  $\tau_{up} = 800,000$  s for  $10^{-6}$  torr of  $H_2$  atoms (which leads to a 1 s lifetime correction).
  - With DM velocity of 250 km/s, the  $\sigma_{up}$  of UCN upscattering by the DM is

$$\frac{1}{\tau_{up}(DM)} = n' \sigma'_{up} = n' \varepsilon \frac{v'_f}{v_f} \sigma_{up} = n' \varepsilon \frac{250 \text{ km/s}}{2.2 \text{ km/s}} \sigma_{up} \approx 100 \varepsilon \frac{n'}{n} \frac{1}{\tau_{up}(H_2)}$$

suggest that

$$100 \varepsilon \frac{n'}{n} \approx \frac{\tau_{up}(H_2)}{\tau_{up}(DM)} = 10 \rightarrow \varepsilon n' \approx 0.1 n = 0.1 \times 10^{-9} \text{ atm}$$

$\Omega_{DM} = 5 \Omega_b$ , assuming DM is MM and local density of  $\sim$  1atm, then  $\varepsilon = 1e-10!$

$\varepsilon =$  Coupling between OM & MM

Is this a viable solution?

It is certainly more compelling than  $nn'$  oscillation, because it does not require transition in resonance (by tuning the B field or matching the mass spectrum).



# Responses

- What are the experimental observables?
  - the daily modulation of the neutron lifetime.
- Another possibility is that neutrons decay into a mirror neutrons (which are lighter)