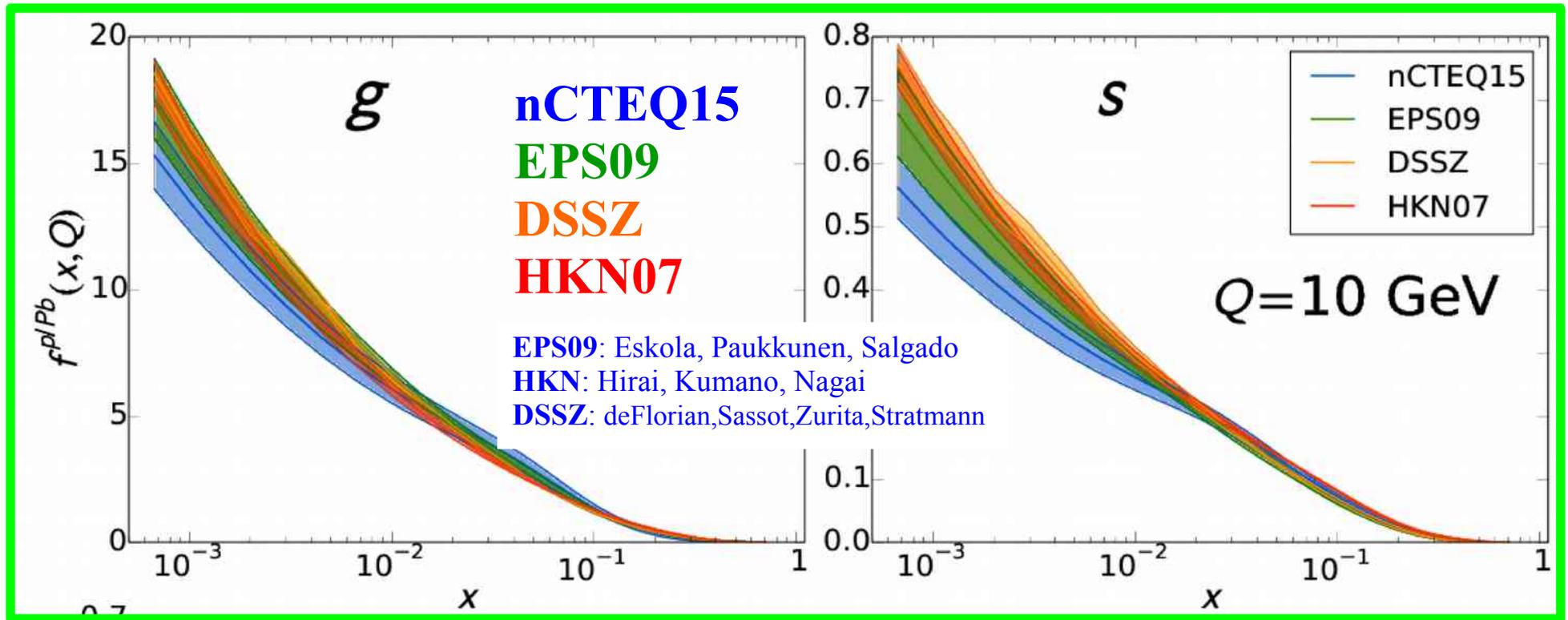


Nuclear PDF Discussion

Outline and discussion points from nCTEQ perspective

Fred Olness
SMU



Thanks to:

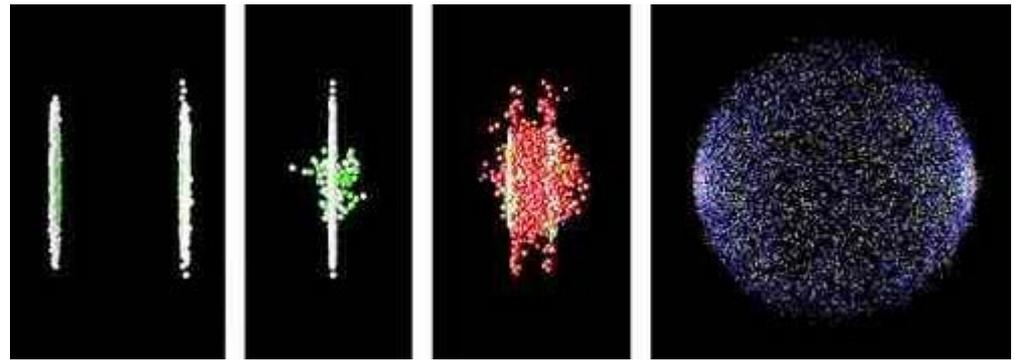
F. Lyonnet, B. Clark, E. Godat, A. Kusina, I. Schienbein, K. Kovarik, J.Y. Yu, T. Jezo, J.G. Morfin,
J.F. Owens, P. Nadolsky, M. Guzzi, V. Radescu, C. Keppel, C. Bertulani, J. Thomas

INT Workshop
15 February 2017

Make predictions for heavy ion collisions at:

RHIC (Al, Au, Cu, U, ...)

LHC (pPb, PbPb)



Differentiate flavors of free-proton PDFs:

neutrino DIS

$$F_2^\nu \sim [d + s + \bar{u} + \bar{c}]$$

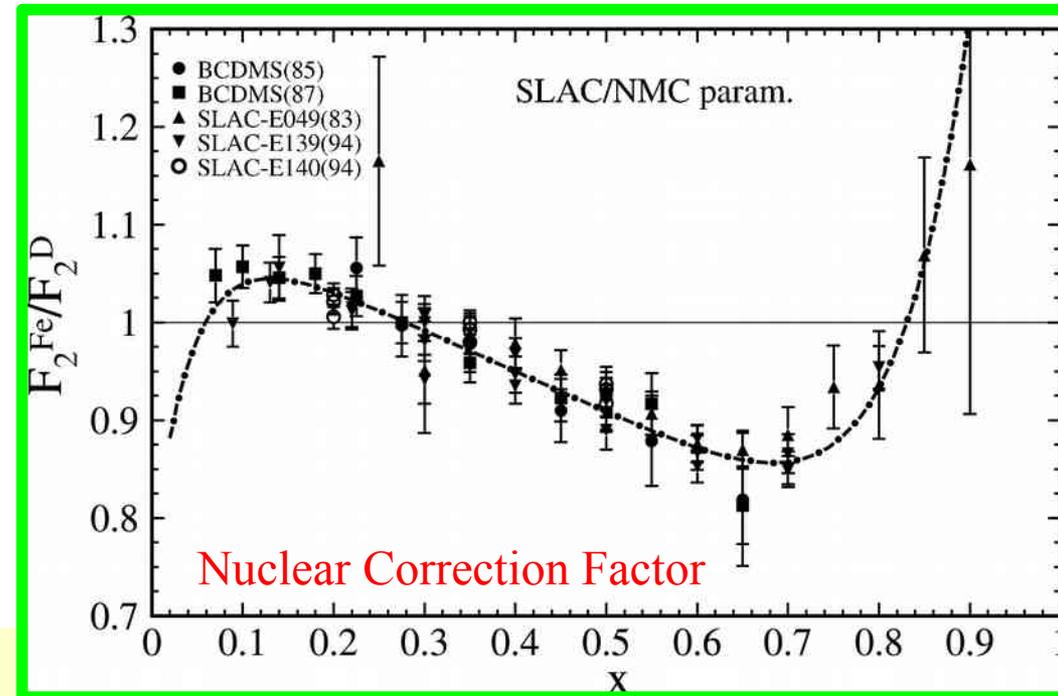
$$F_2^{\bar{\nu}} \sim [\bar{d} + \bar{s} + u + c]$$

$$F_3^\nu \sim 2 [d + s - \bar{u} - \bar{c}]$$

$$F_3^{\bar{\nu}} \sim 2 [u + c - \bar{d} - \bar{s}]$$

charged lepton DIS

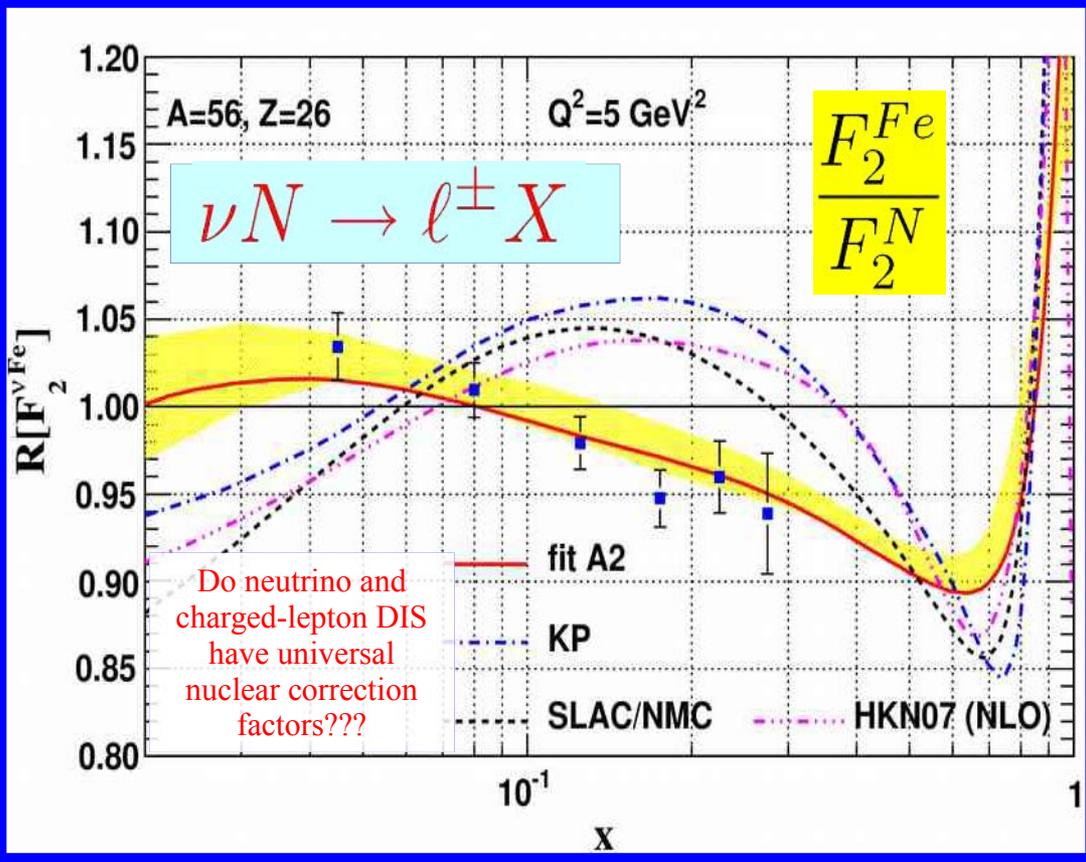
$$F_2^{l^\pm} \sim \left(\frac{1}{3}\right)^2 [d + s] + \left(\frac{2}{3}\right)^2 [u + c]$$



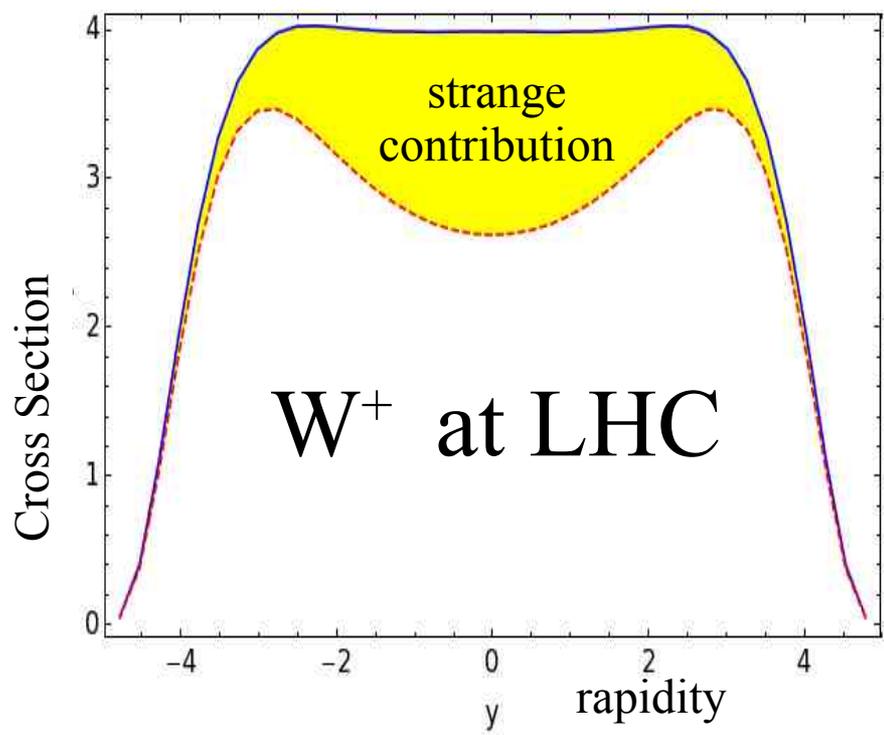
While in non-peripheral collisions between heavy ions the classification of centrality classes appears to be robust, in proton-lead collisions at the Large Hadron Collider (LHC) the situation is far more problematic. Whereas for both dijets and single jets the minimum bias results are well reproduced by standard pQCD with nuclear modification of parton densities, the centrality-selected results show a strong dependence on centrality that **cannot be accommodated by the existing ideas on the impact parameter dependence of nuclear parton densities**. There is an ongoing discussion on the definition of centrality in such asymmetric systems.

Nestor Armesto, Doga Can Gulhan, Jose Guilherme Milhano; arXiv:1502.02986

Can a “Nuclear Correction Factor” allow for all possible effects



Nuclear correction affects $s(x)$
Can we extract from LHC instead



NC DIS & DY

SLAC E-139 & E-049

N = (D, Ag, Al, Au, Be, C, Ca, Fe, He)

CERN BCDMS & EMC & NMC

N = (D, Al, Be, C, Ca, Cu, Fe, Li, Pb, Sn, W)

DESY Hermes

N = (D, He, N, Kr)

FNAL E-665

N = (D, C, Ca, Pb, Xe)

FNAL E-772 & E-886

N = (D, C, Ca, Fe, W)

Neutrino DIS

NuTeV CHORUS CCFR & NuTeV

N = Pb & Fe

Pion Production:

RHIC: PHENIX & STAR

N = Au

... near future: LHC pPb

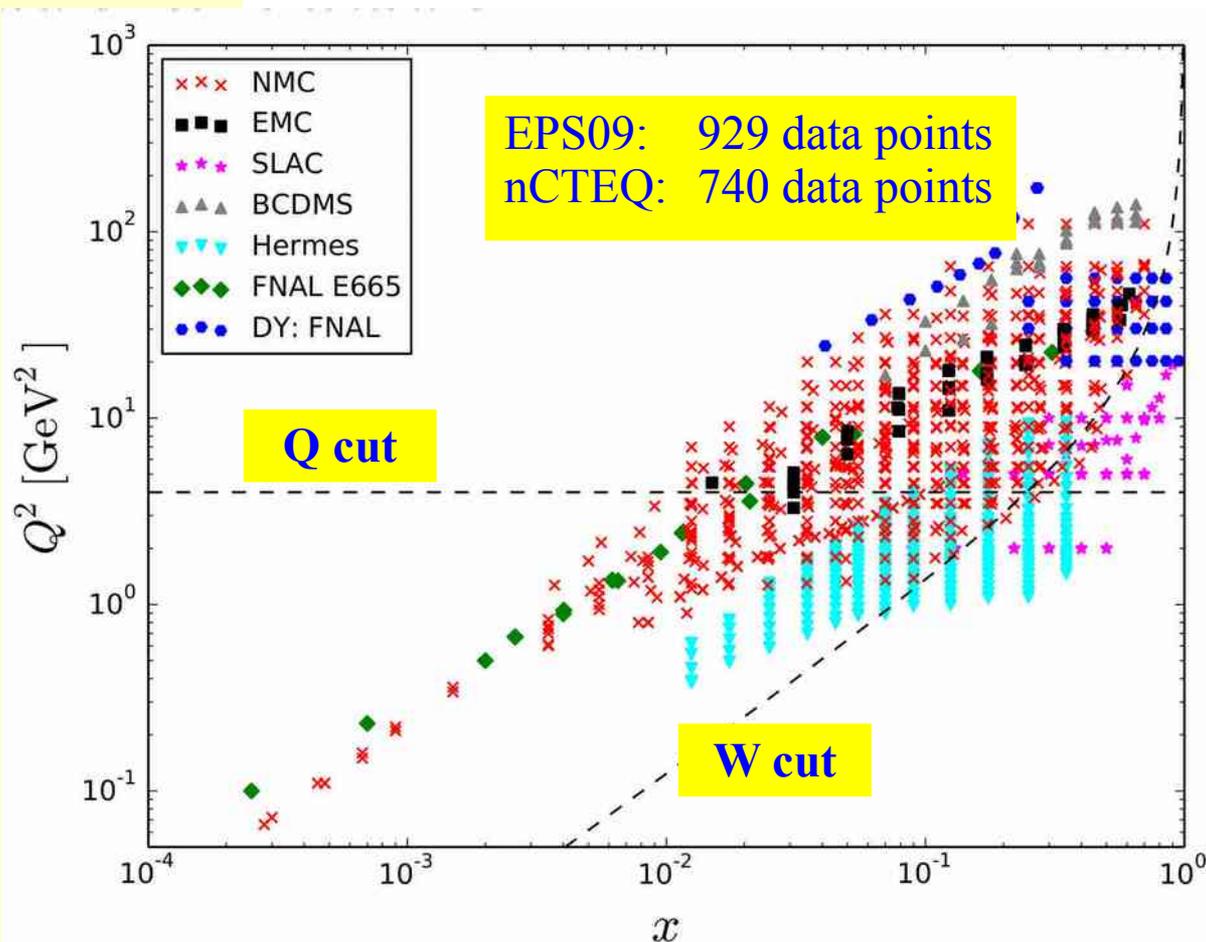
DIS Cuts:

EPS: $Q > 1.3$

HKN: $Q > 1.0$

DSSZ: $Q > 1.0$

nCTEQ: $Q > 2.0$ & $W > 3.5$



fewer data and more DOF ... impose assumptions on nPDFs

(new: EPPS16)

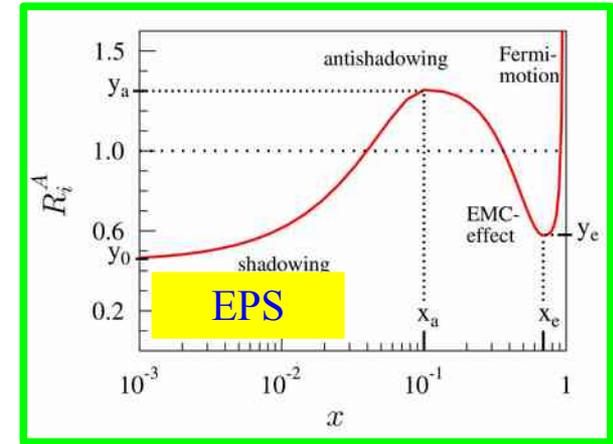
1) Multiplicative nuclear correction factors (HKN, EPS, DSSZ)

$$f_i^{p/A}(x_N, Q_0) = R_i(x_N, Q_0, A) f_i^{\text{free proton}}(x_N, Q_0)$$

... for example

HKN

$$R_i(x, Q_0, A) = 1 + \left(1 - \frac{1}{A^\alpha}\right) \frac{a_i + b_i x + c_i x^2 + d_i x^3}{(1-x)^{\beta_i}}$$



2) Generalized A-parameterization (nCTEQ)

$$f_i^{p/A}(x_N, \mu_0) = f_i(x_N, A, \mu_0)$$

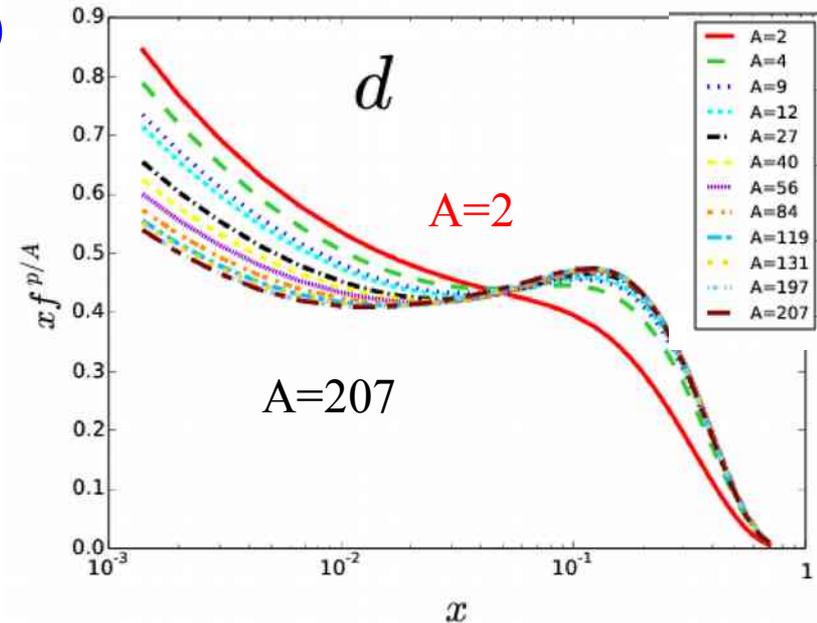
$$f \sim \dots x^{c_1(A)} (1-x)^{c_2(A)} \dots$$

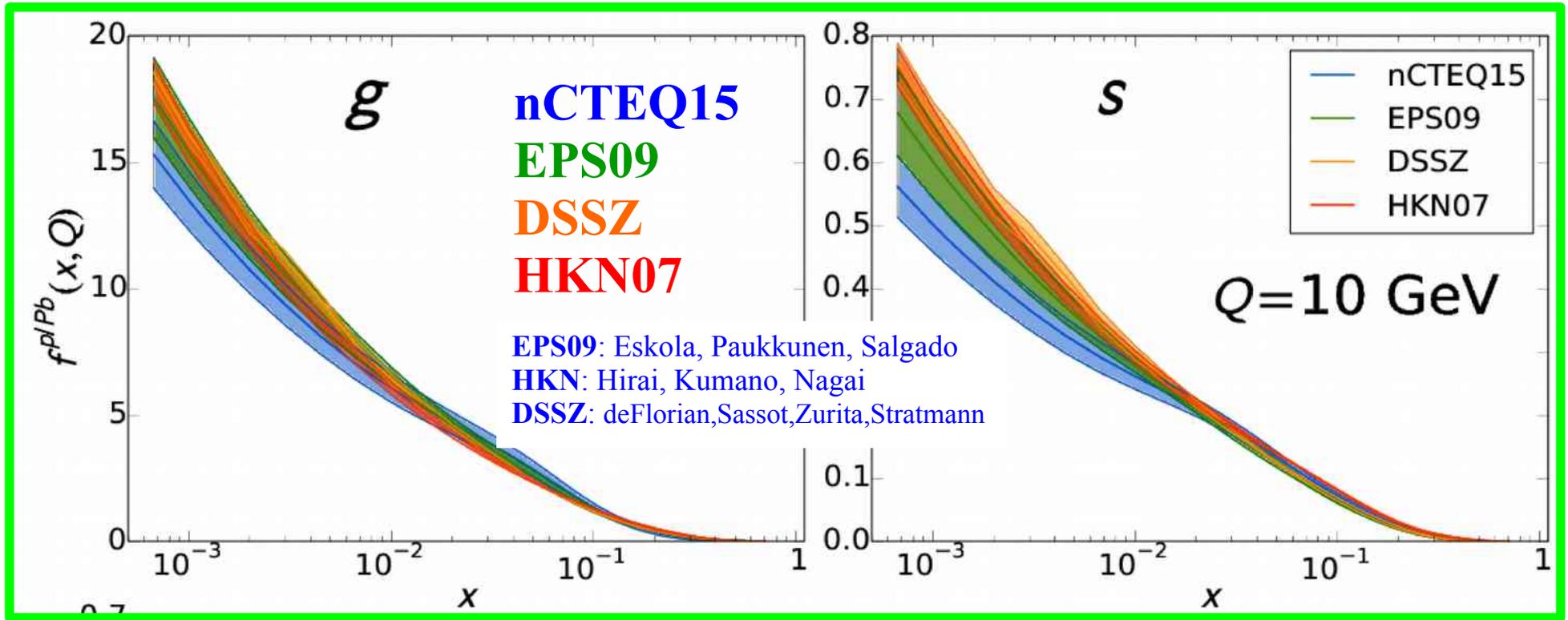
$$c_k \sim c_{k,0} + c_{k,1} \left(1 - A^{-c_{k,2}}\right)$$

Proton

Nuclear

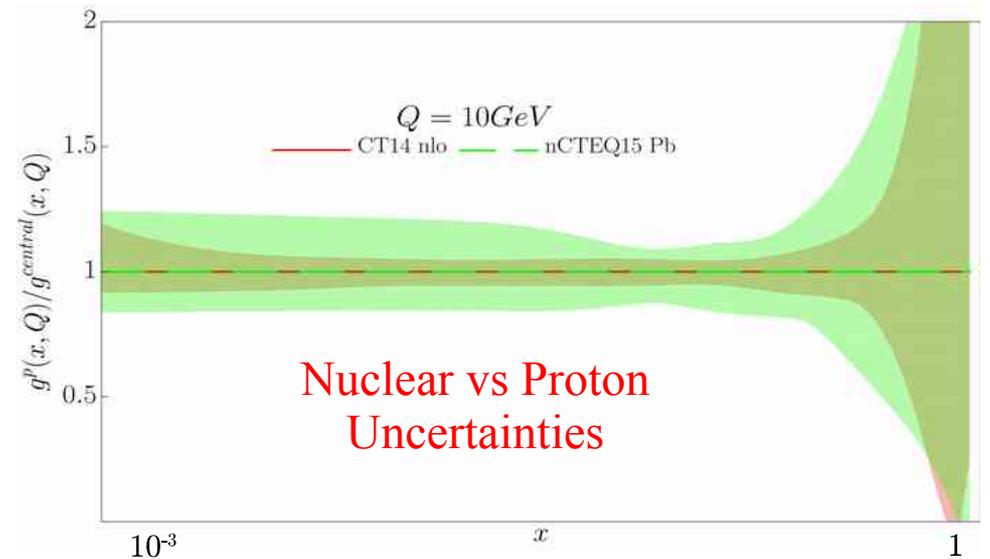
use proton as starting point



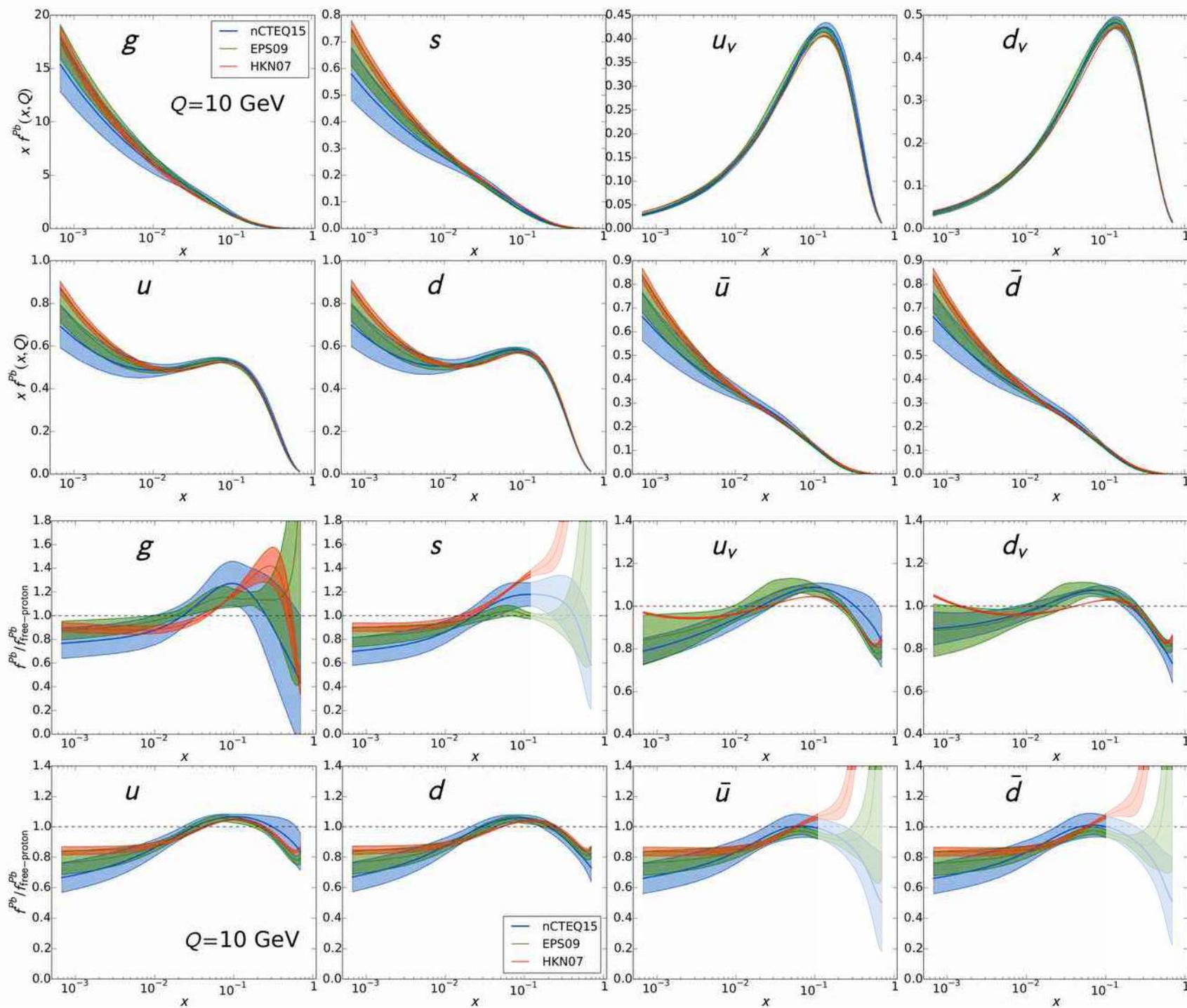


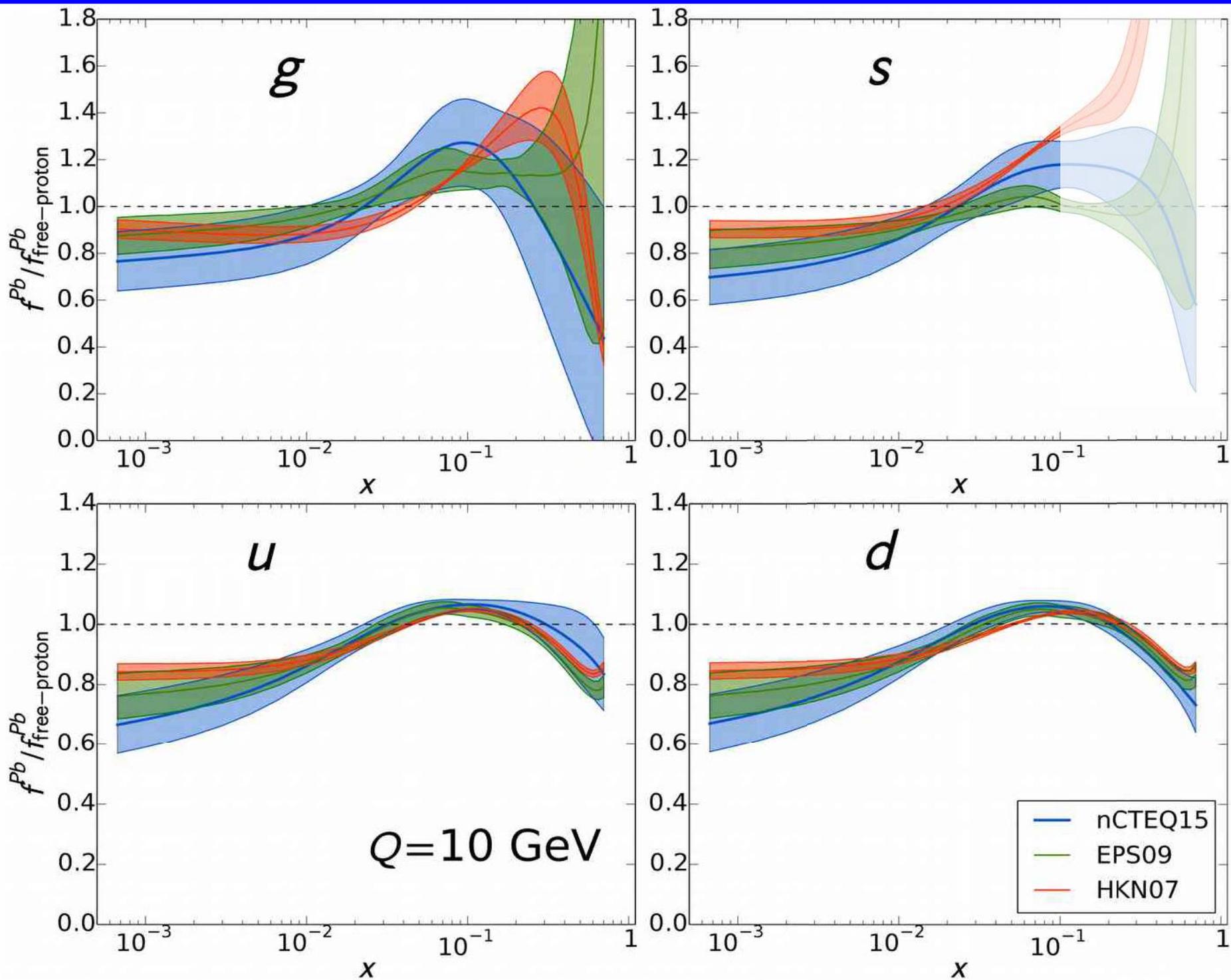
Nuclear PDFs are more complex

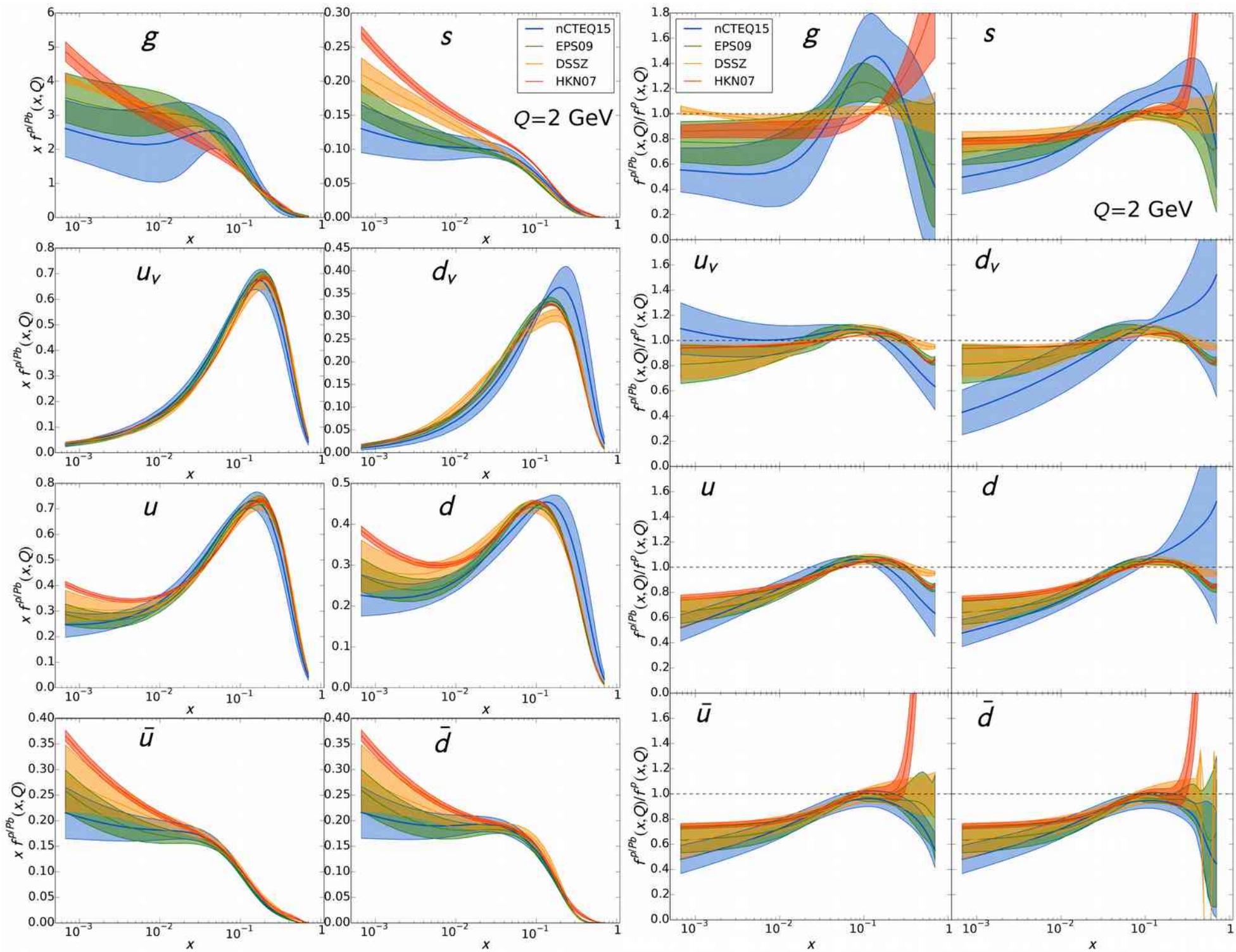
- more DOF than Proton case
- more “issues” to consider
- more work to do ...



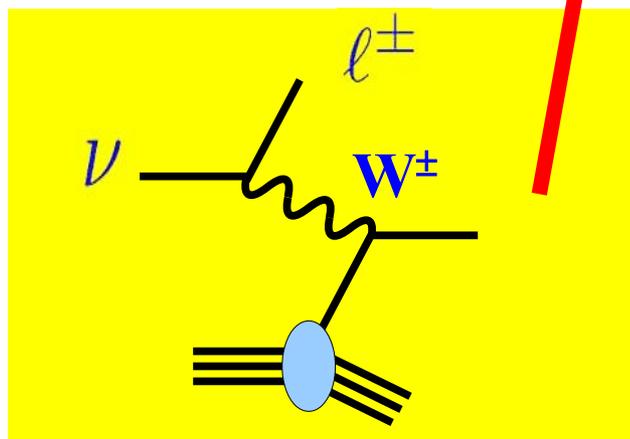
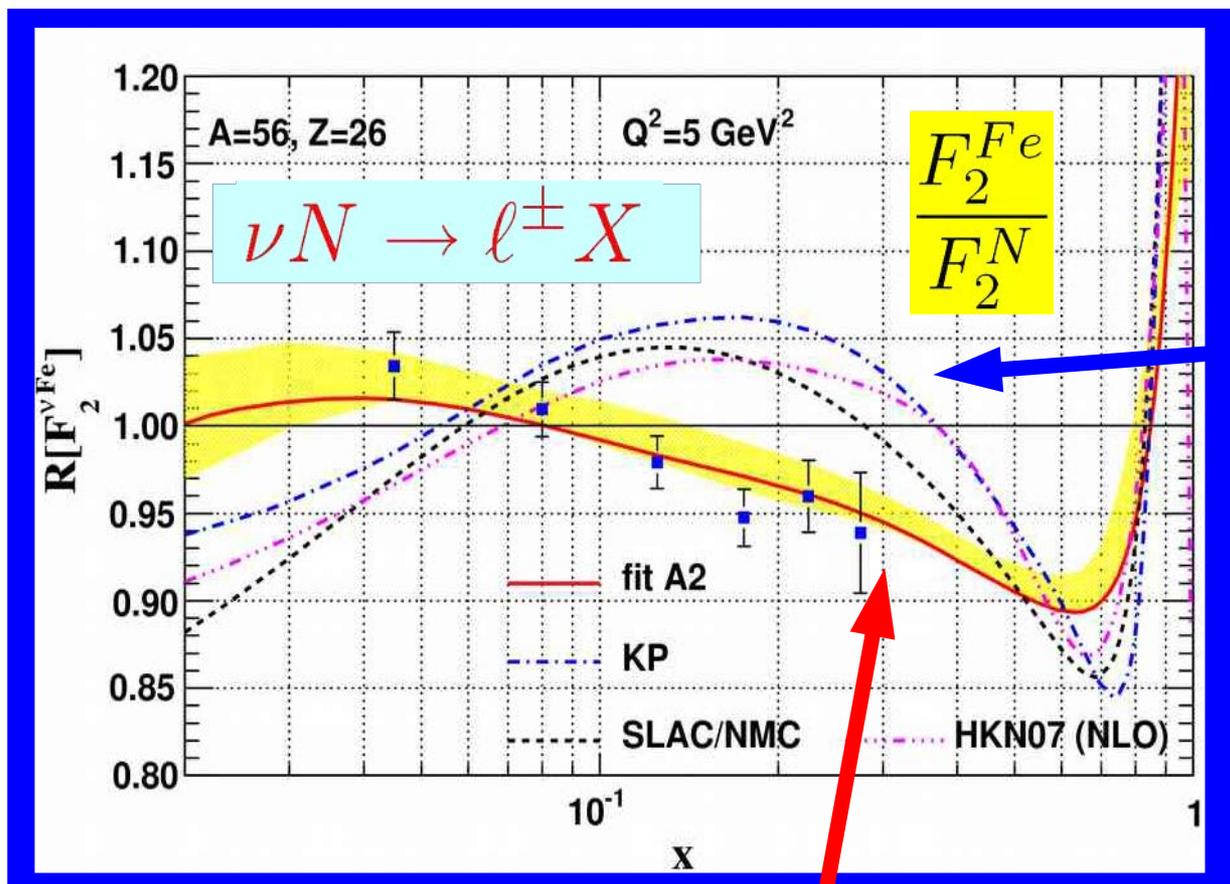
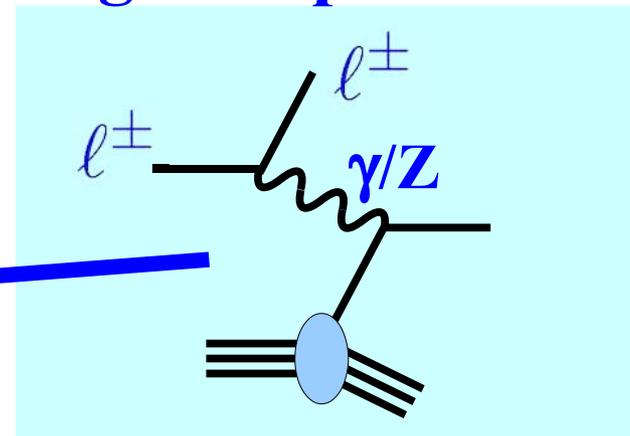
Nuclear Corrections





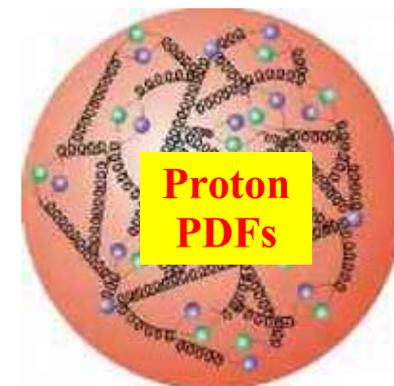
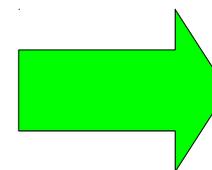
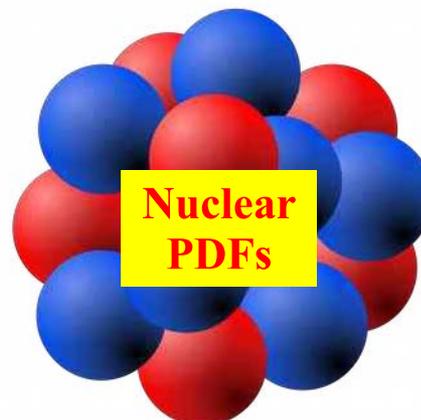


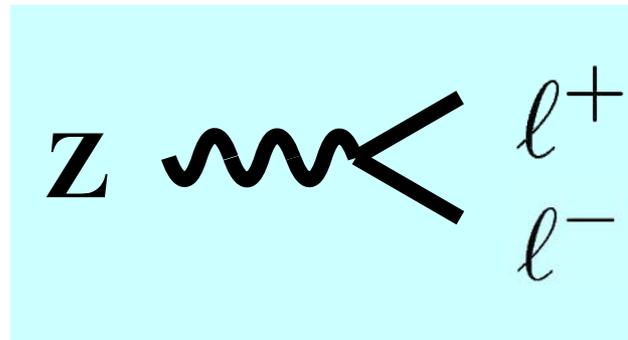
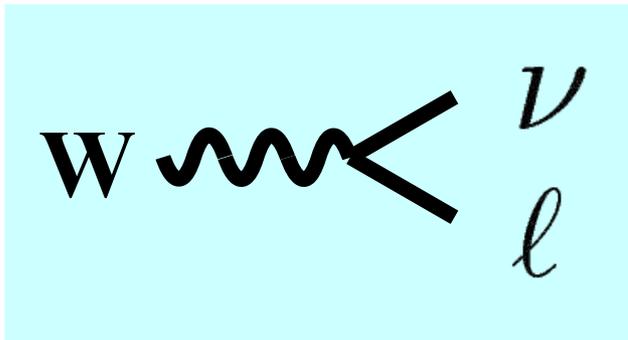
Charged Lepton DIS



Neutrino DIS

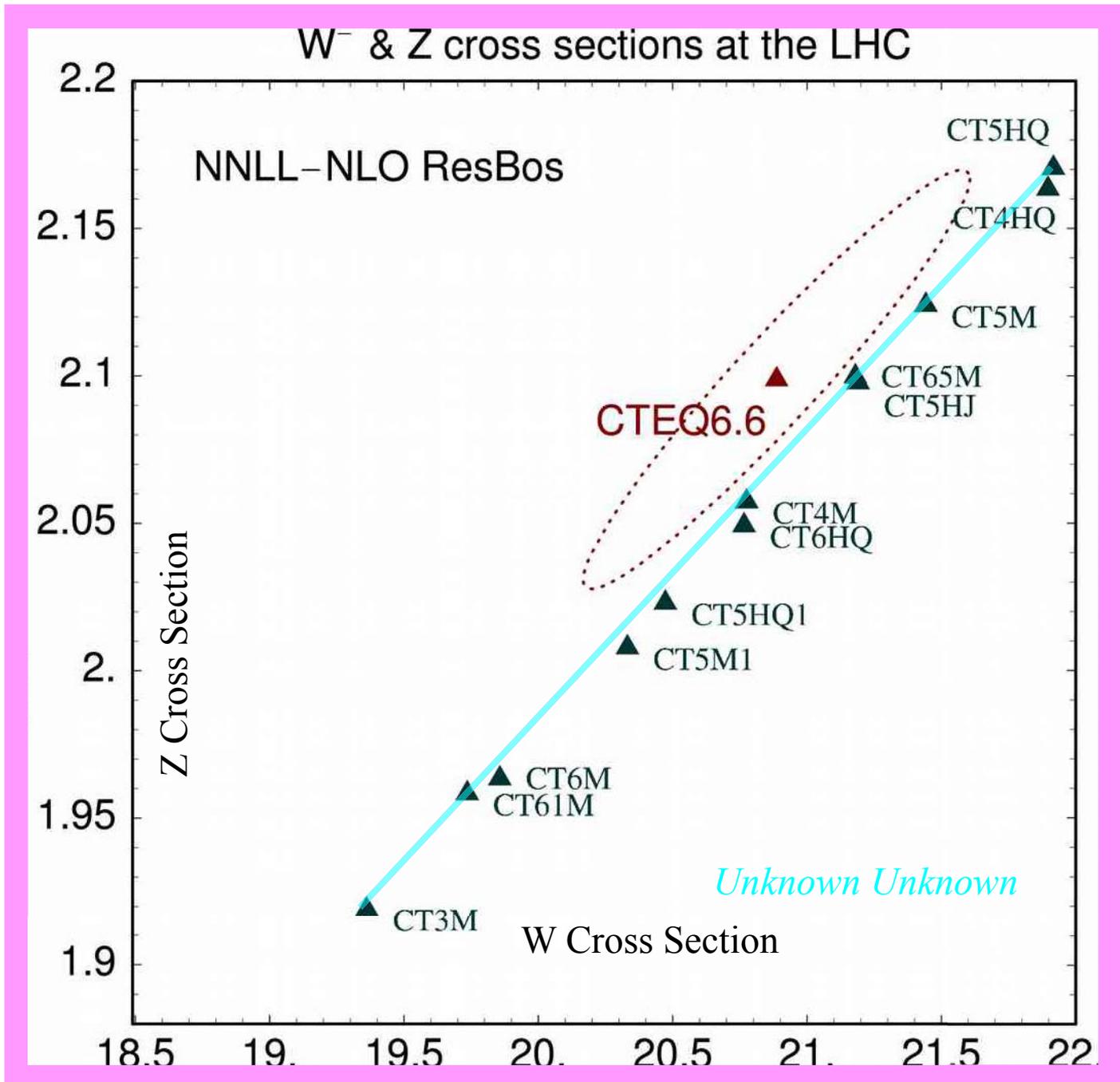
Depends on nuclear corrections



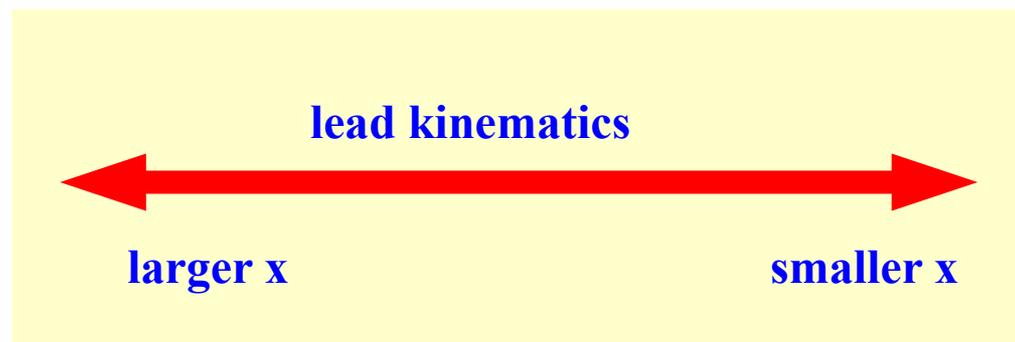
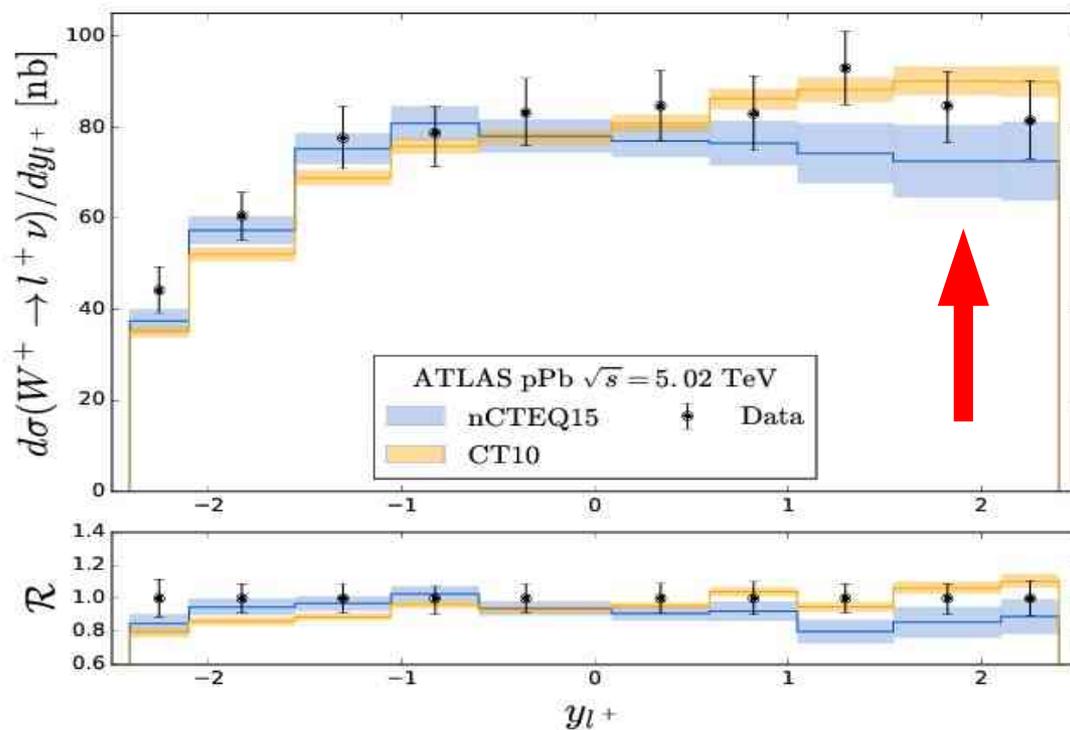
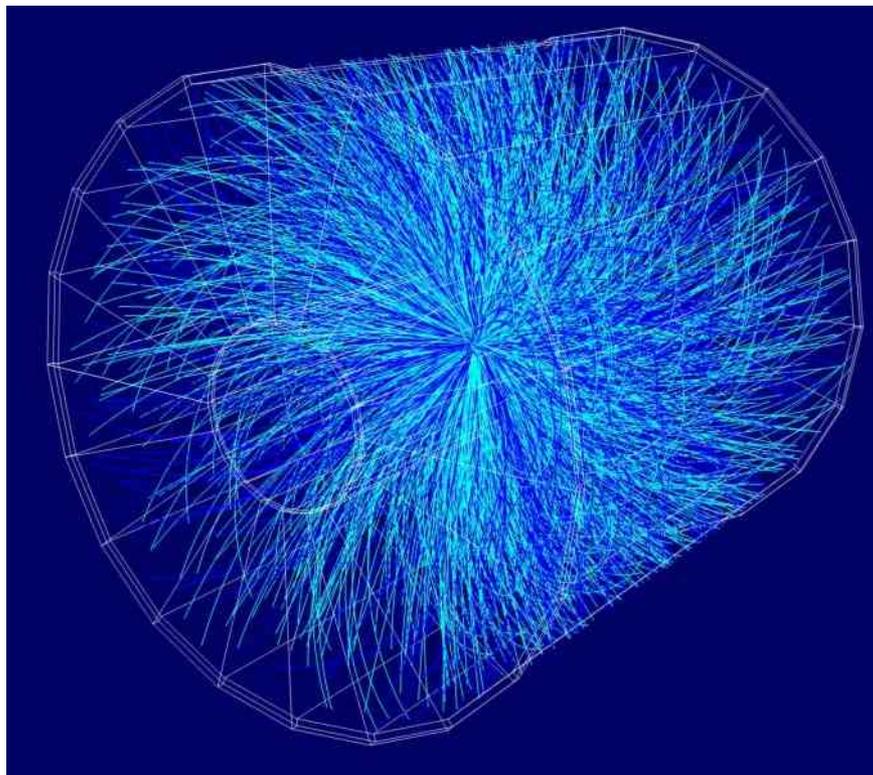


The W-Z correlation is intimately connected to the strange quark distribution

Key for M_W determination



W/Z Correlations
&
Flavor
Determination



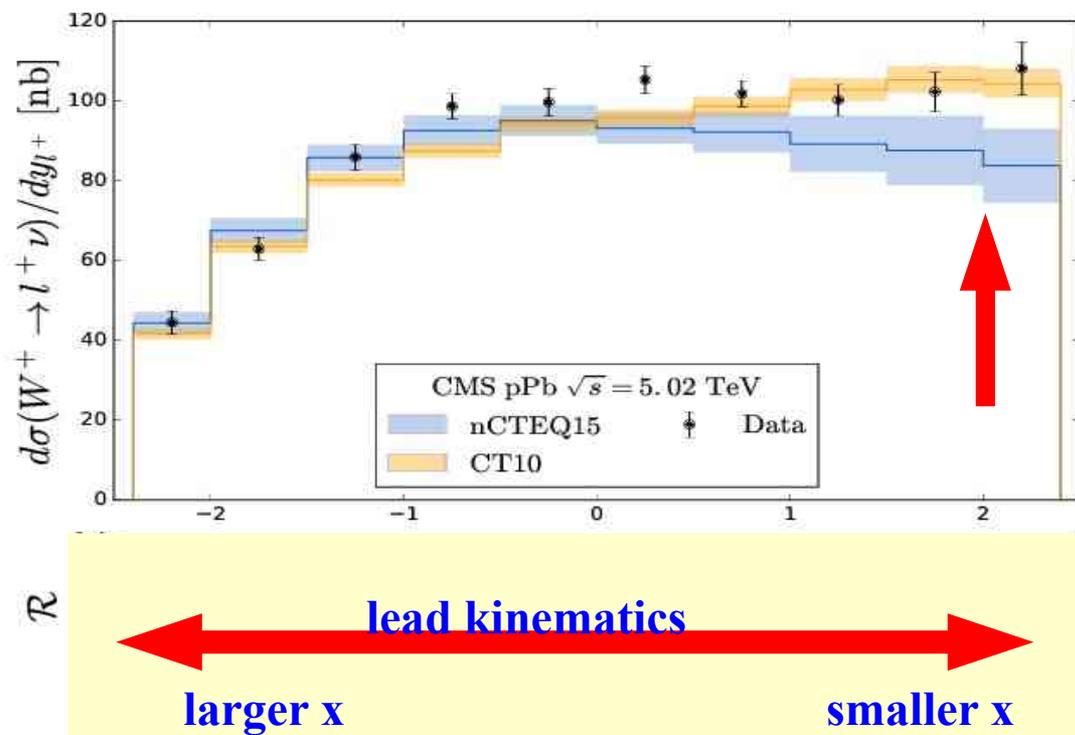
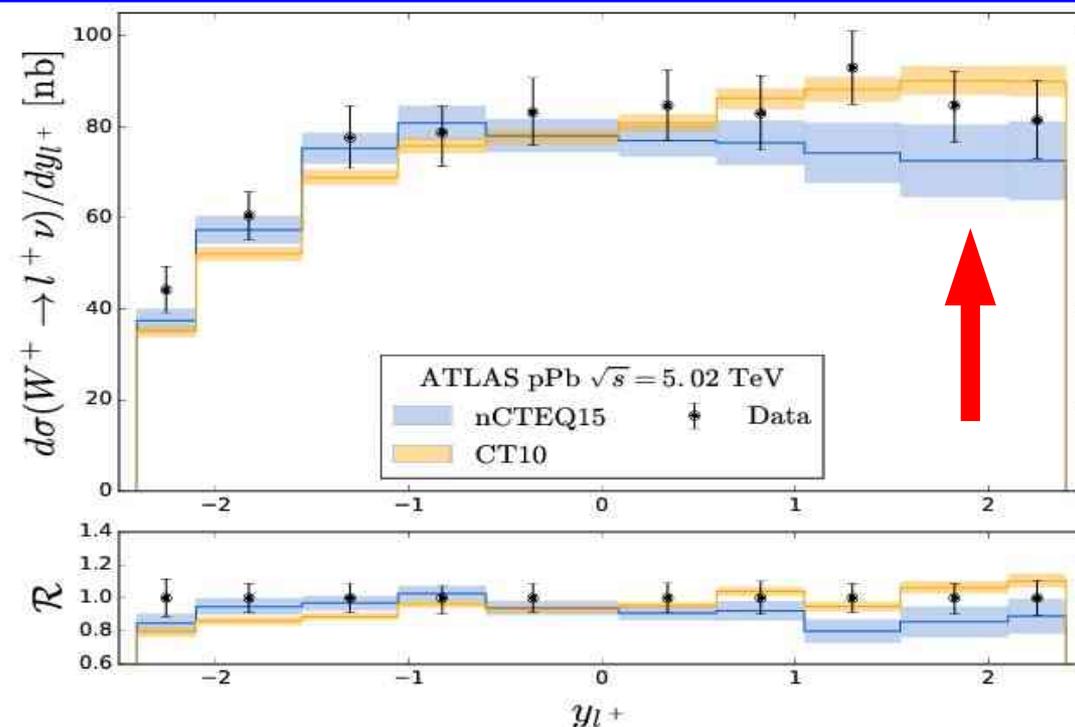
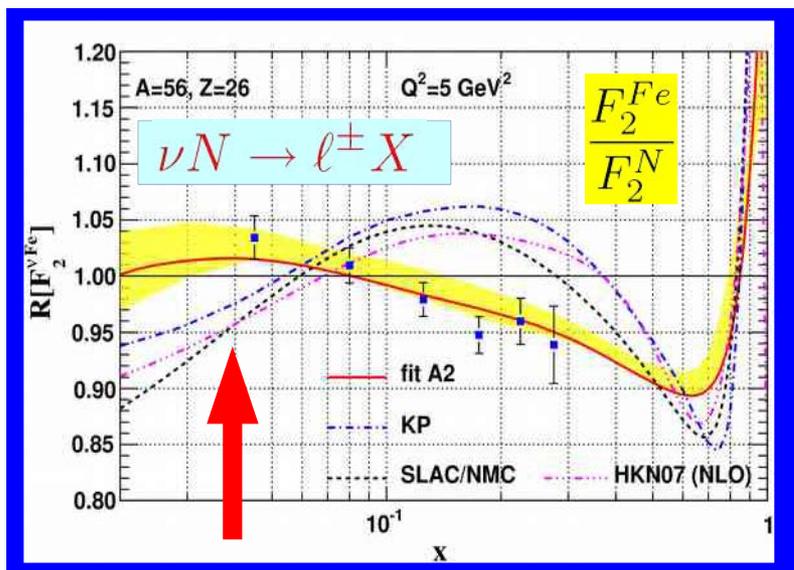
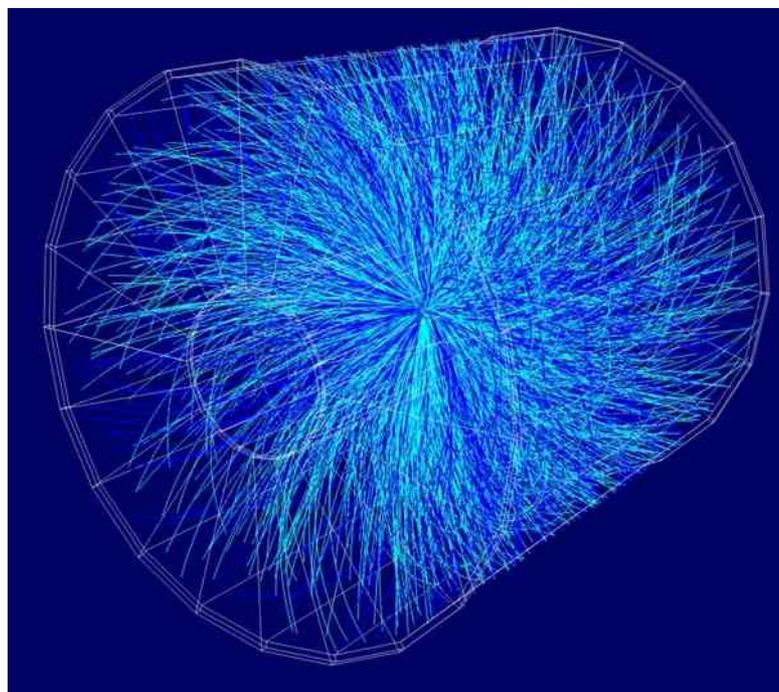
“OK” nuclear correction

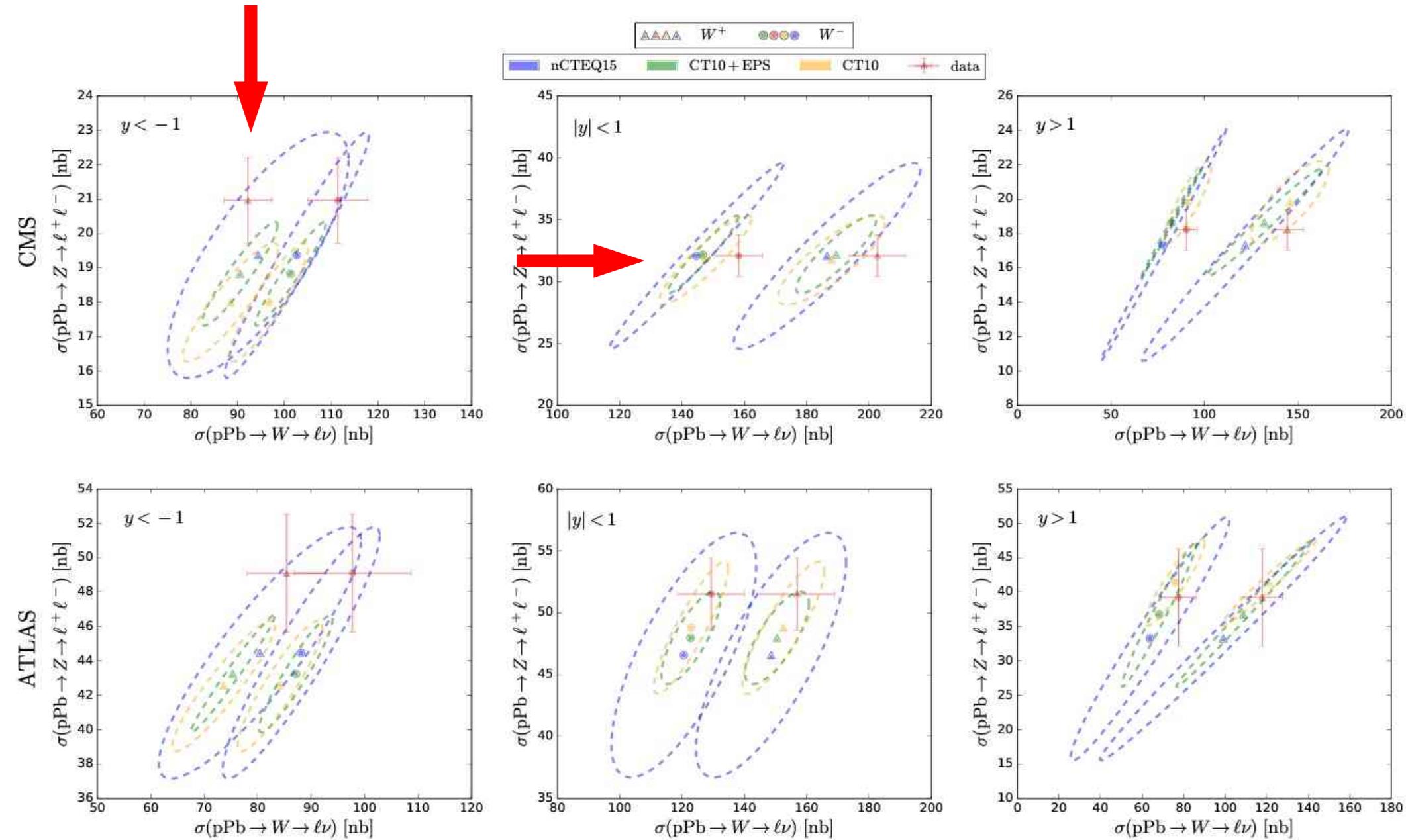
too much suppression

previous data constraints

minimal data constraints

$p \text{ Pb} \rightarrow W/Z$ and Nuclear Corrections





QED+QCD

for

PDFs

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Electroweak DOF in Proton

Intrinsic Polarization of the High
Energy W-Boson Structure Functions*JOHN P. RALSTON^{a,b} AND FREDRICK OLNESS^c^aHigh Energy Physics Division, Argonne
National Laboratory, Argonne, IL 60439^bDepartment of Physics and Astronomy,
University of Kansas, Lawrence, KS 66045

and

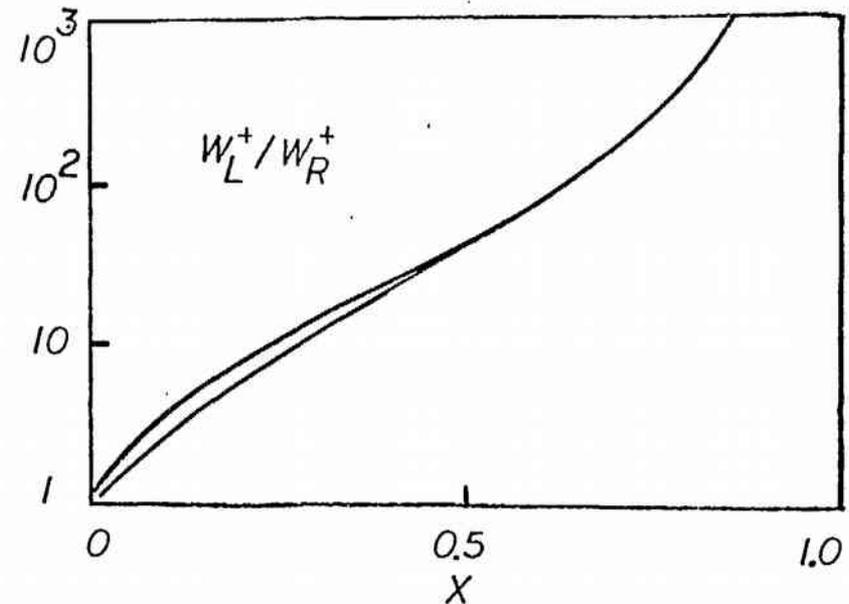
^cDepartment of Physics, Illinois Institute of Technology, Chicago, IL 60616

ABSTRACT

We present several new issues to be incorporated into a consistent treatment of high-energy transverse effective-W boson structure functions. The issues include the numerical importance of the proper choice of scale, and the q^2 evolution of the boson structure functions in an Altarelli-Parisi framework. We investigate a novel effect of the V-A coupling which produces a sizable intrinsic polarization of the W distributions. A preliminary estimate yields a left- to right-helicity structure function ratio $W_L^+/W_R^+ \simeq 1 - 21/(1-x) + 21/(1-x)^2$. For $x \gtrsim 0.06$, there are two left-handed W^+ 's for every right-handed one in an unpolarized proton. *Handwritten note: 1 figure.*

To appear in the proceedings of the 1986 Summer Study on the Physics of the Superconducting Supercollider, Snowmass, Colorado, June 23-July 11, 1986; edited by Rene Donaldson.

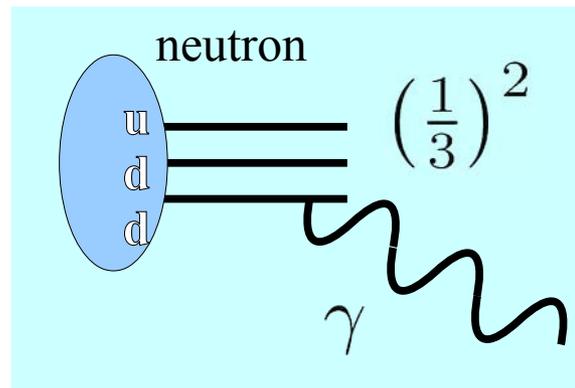
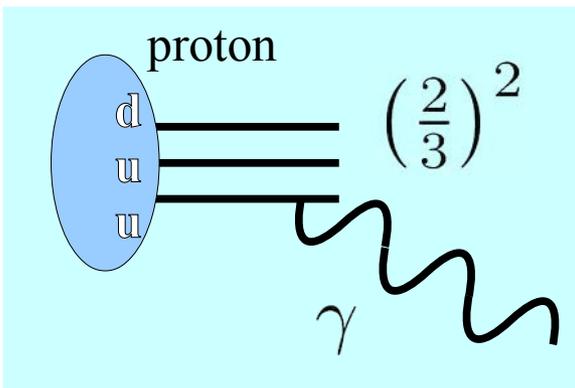
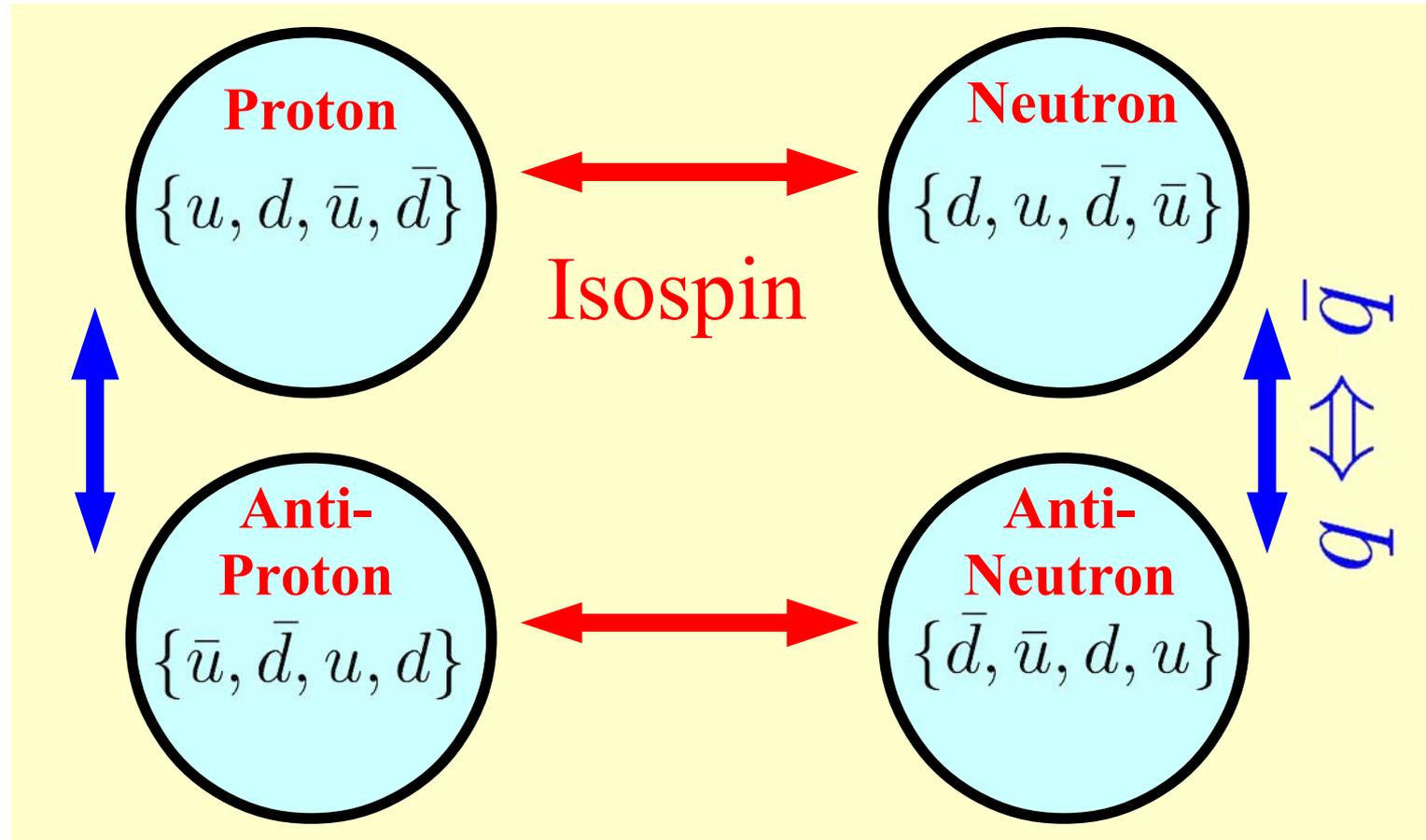
$$W_\lambda(x, \hat{s}) = \frac{\alpha_W}{2\pi} \int_{M_W^2}^{\hat{s}} d \ln \mu^2 \int_x^1 \frac{dx'}{x'} \sum_i q_i(x', \mu^2) P_{W_\lambda/q}^i\left(\frac{x}{x'}\right),$$

where $\lambda = L, R$.

* This work was supported in part by the U.S. Department of Energy under contracts DE-FG02-85ER-40214.A002 and DE-FG02-85ER-40235.

$$\alpha_s^2 \sim \alpha$$

**“New”
Photon
PDFs**

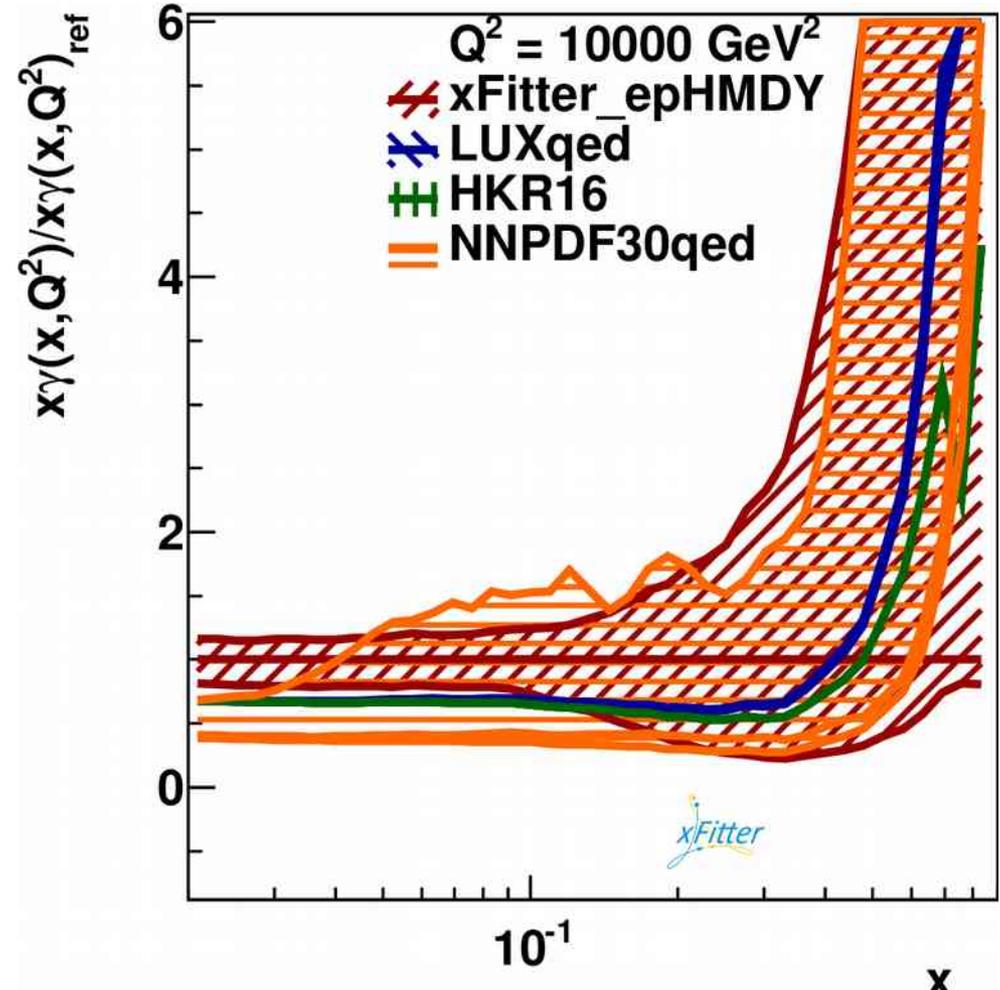
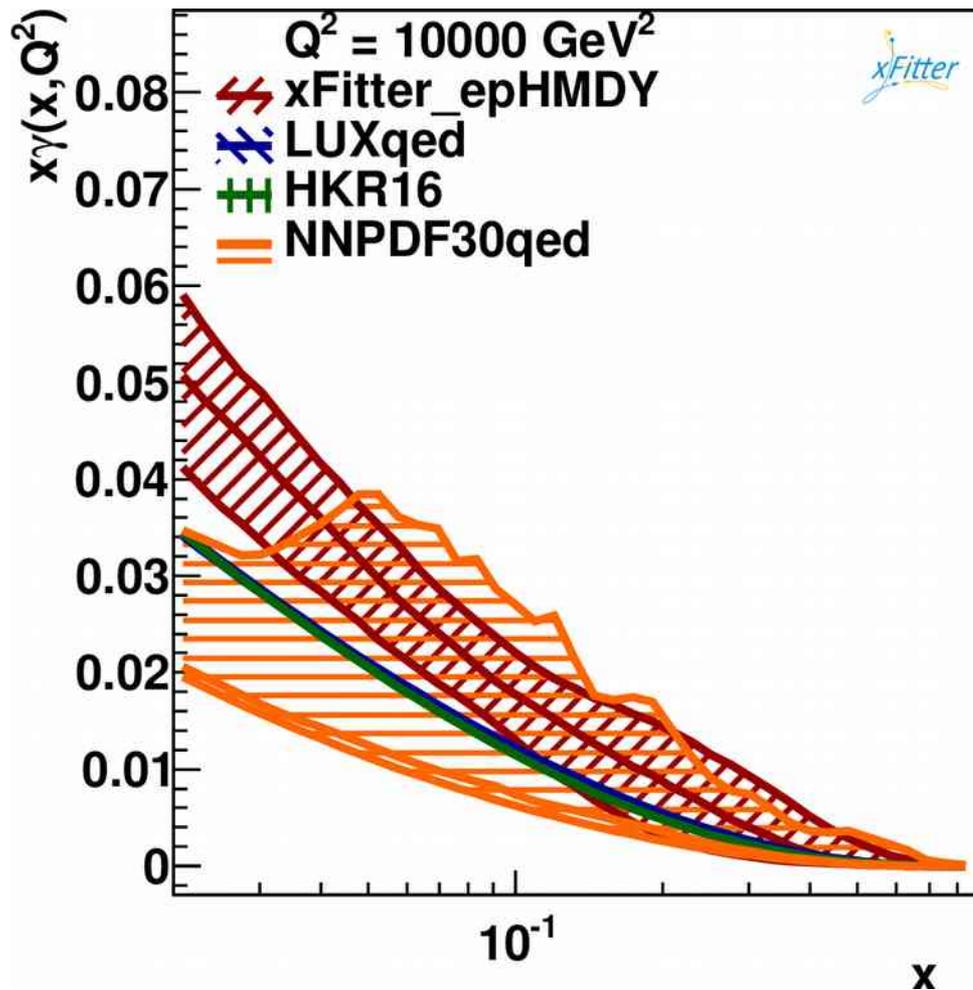


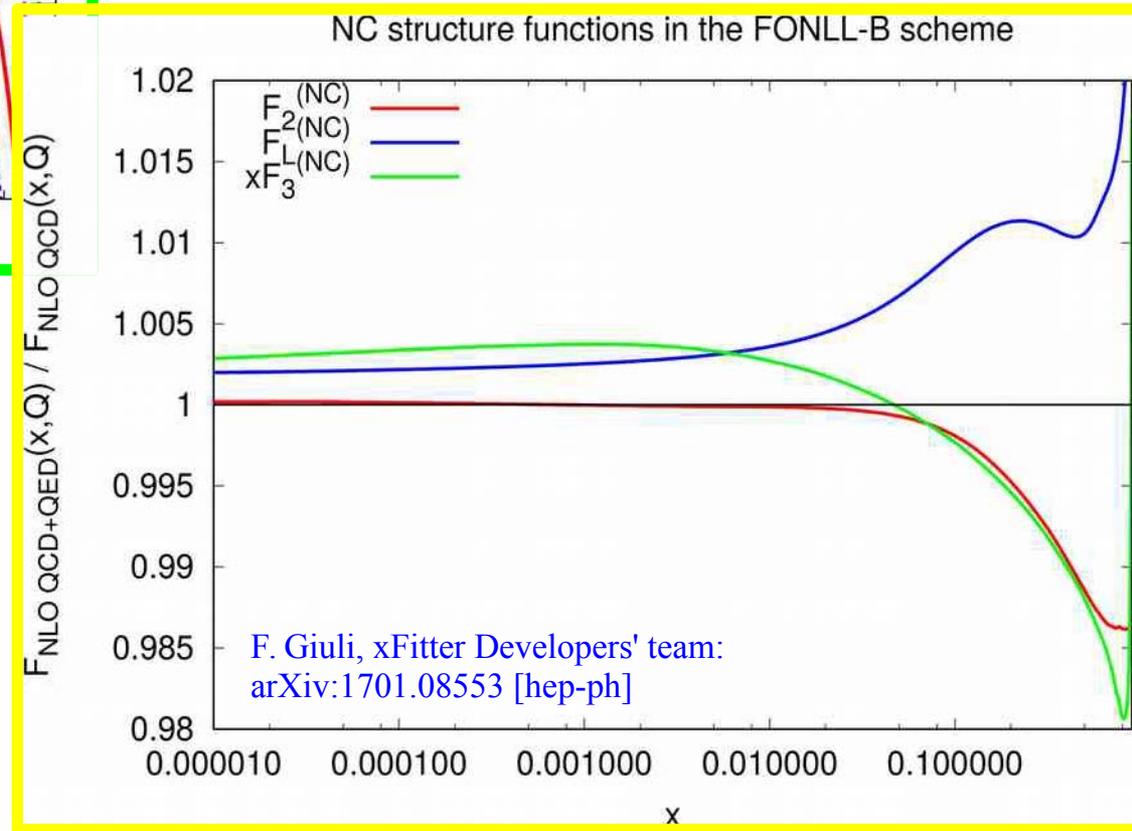
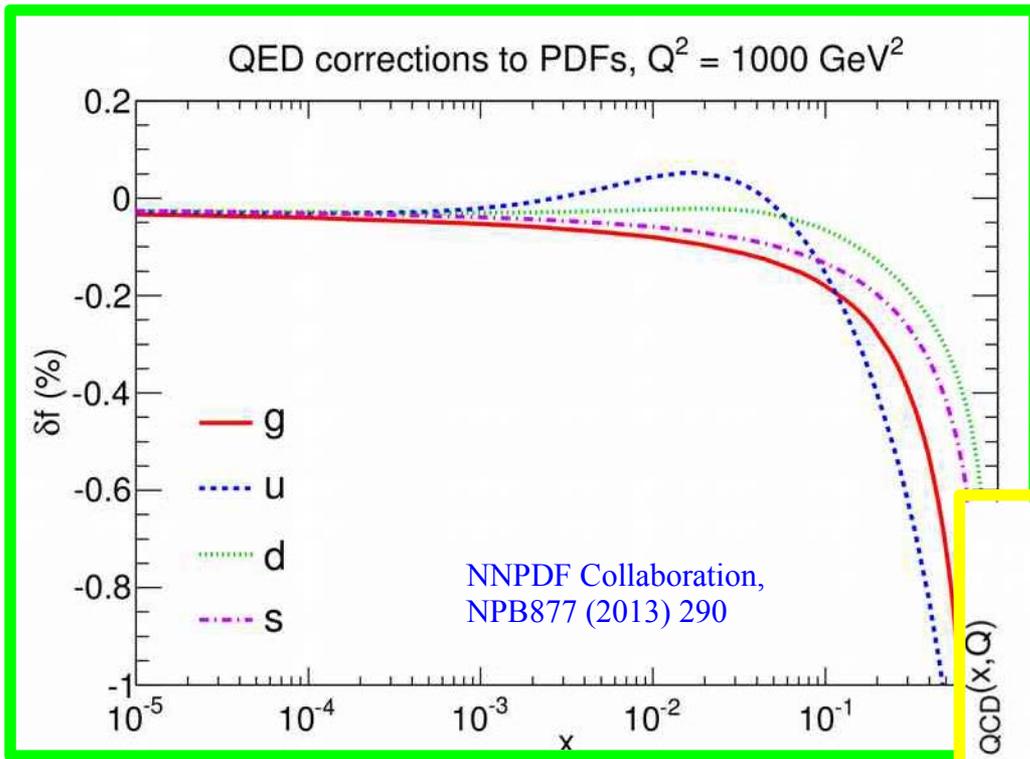
**Isospin terms are comparable
to NNLO QCD**

**QCD & EW Corrections
do NOT factorize**

Determination of the photon PDF from fits to recent ATLAS measurements of high-mass Drell-Yan dilepton production at $\sqrt{s}=8$ TeV

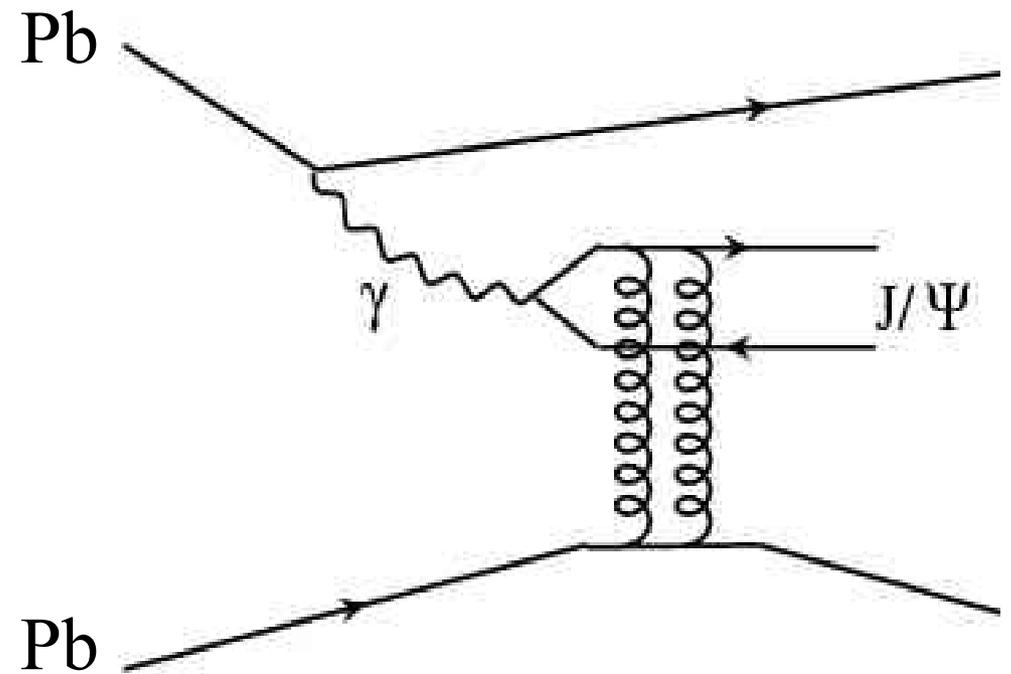
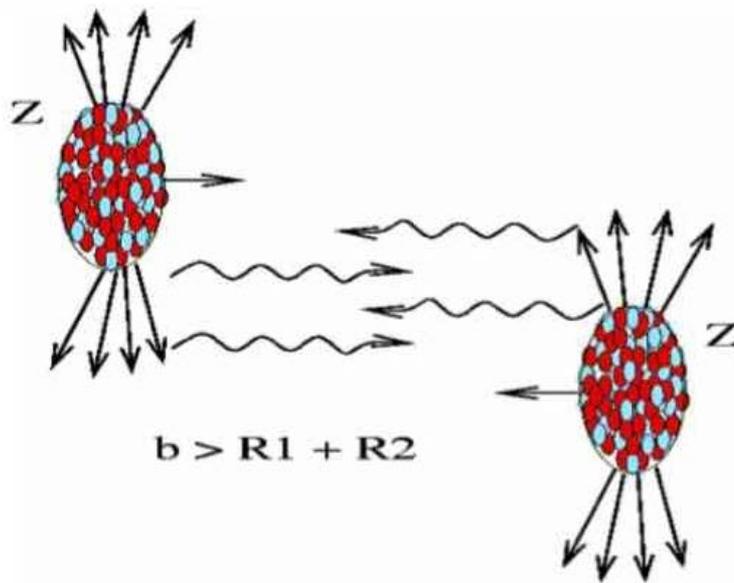
Fit photon PDF at Q_0
$$x\gamma(x) = A_\gamma x^{B_\gamma} (1-x)^{C_\gamma} (1 + D_\gamma x + E_\gamma x^2)$$

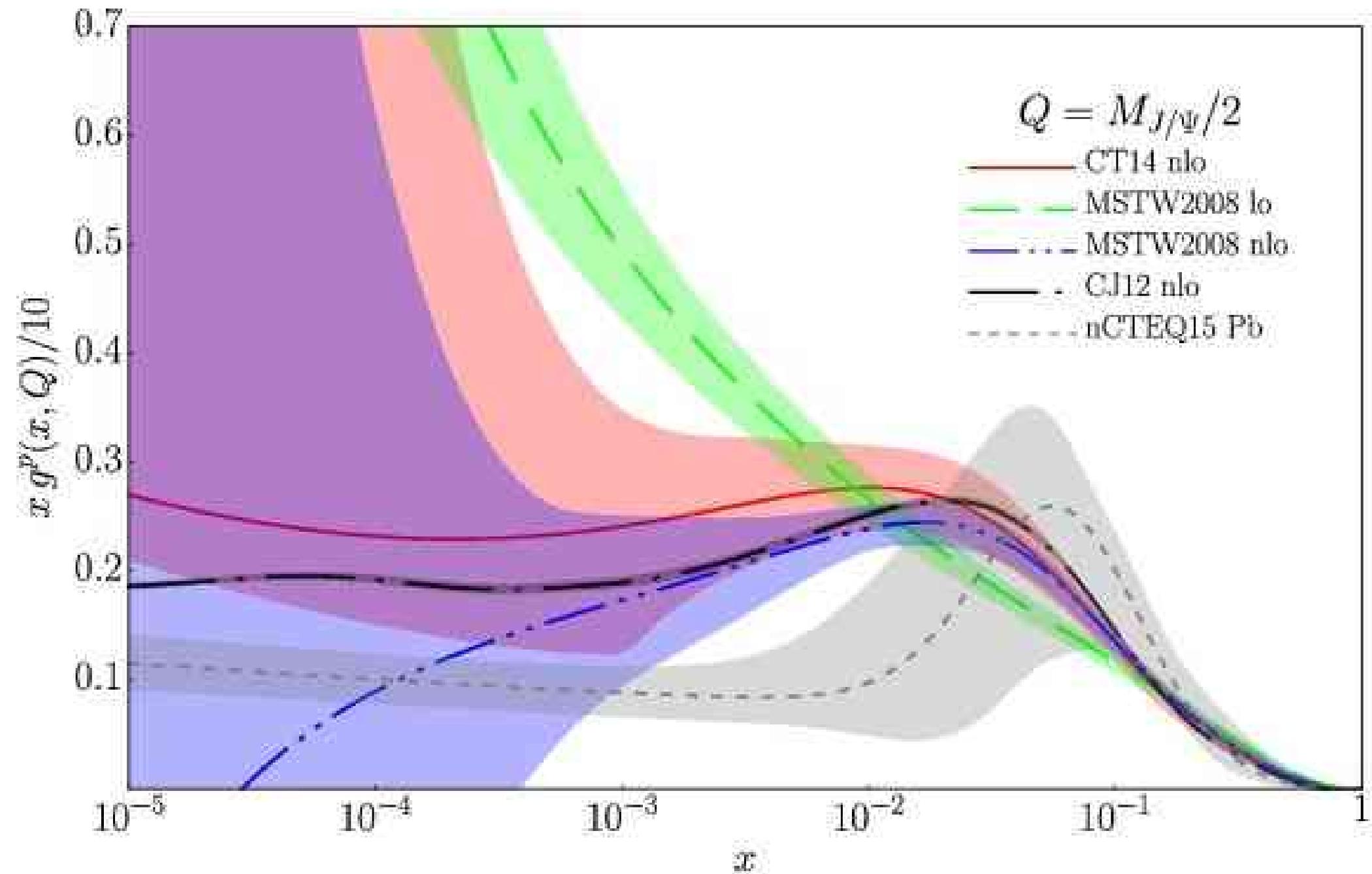




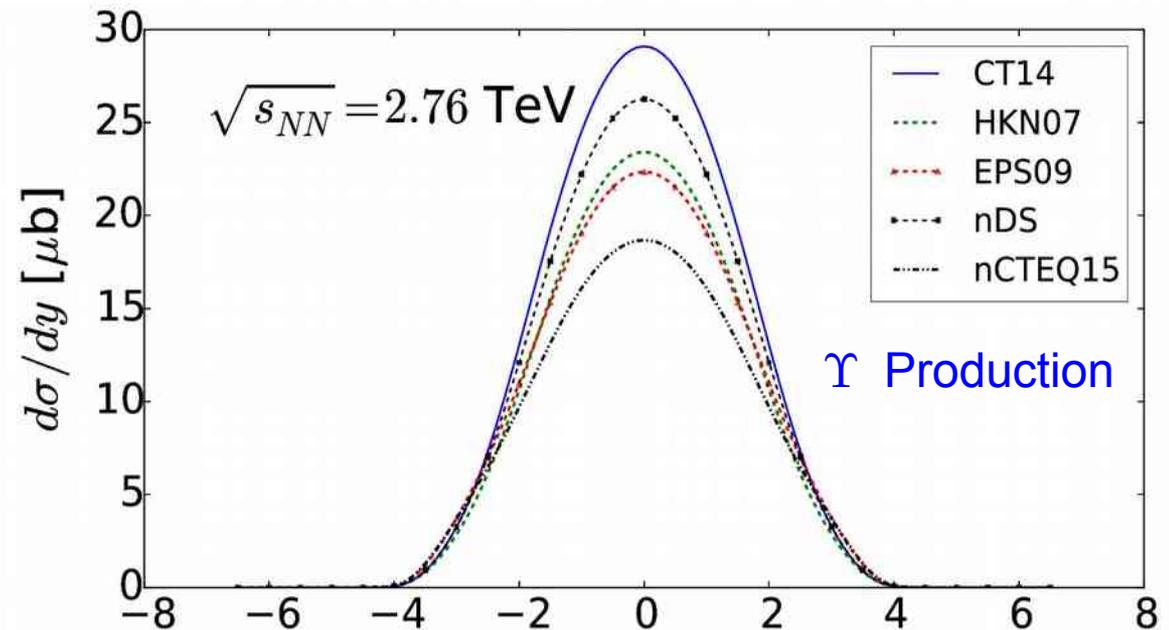
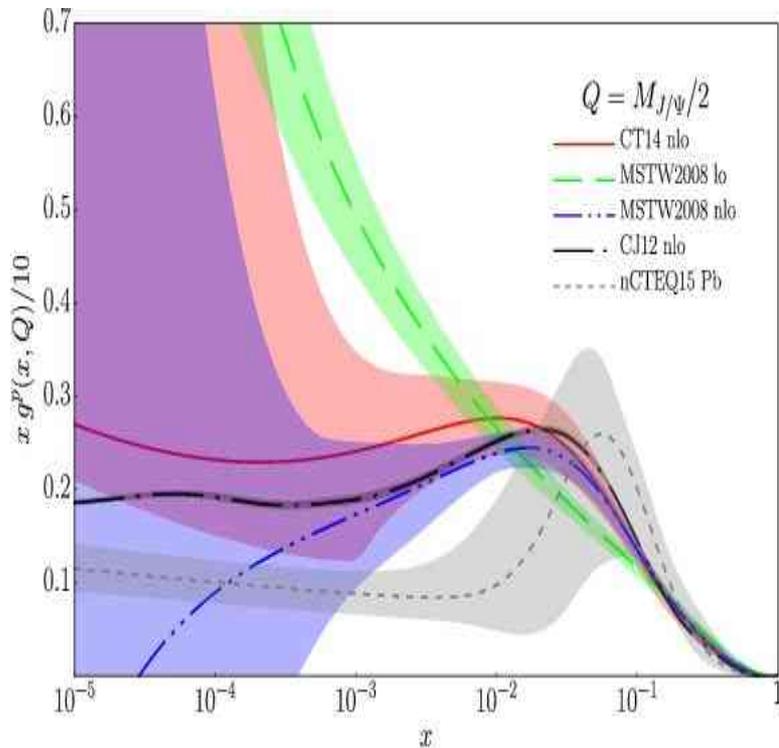
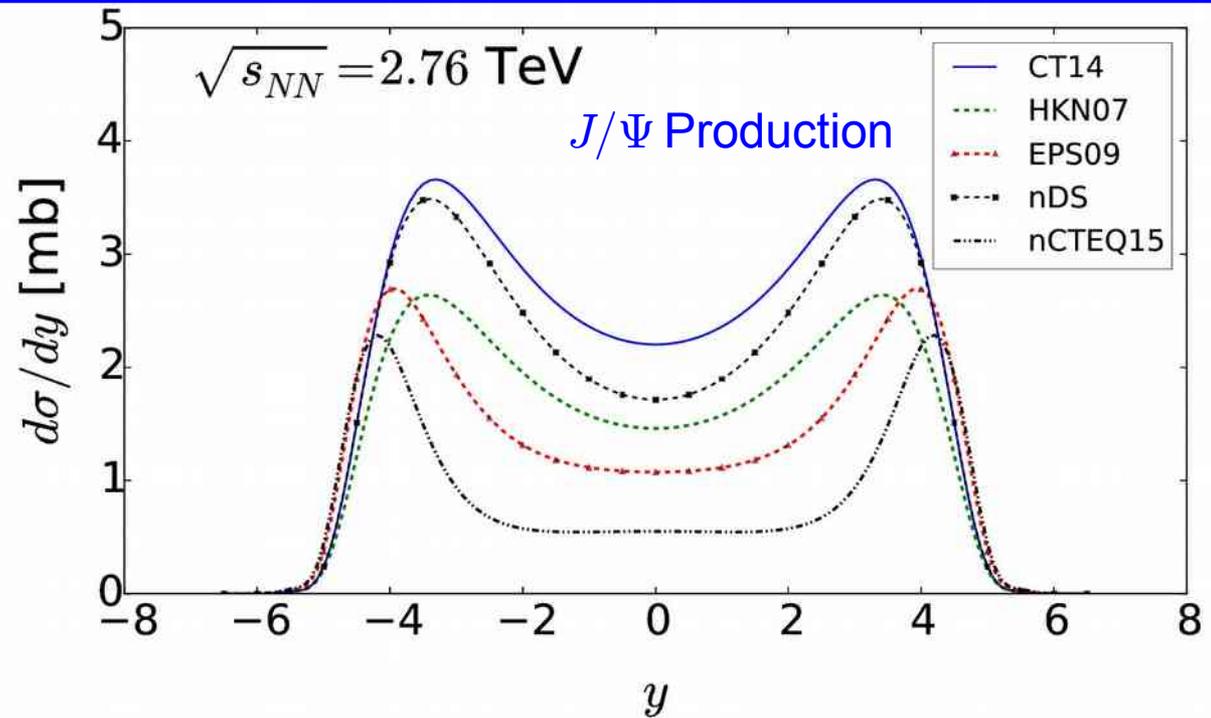
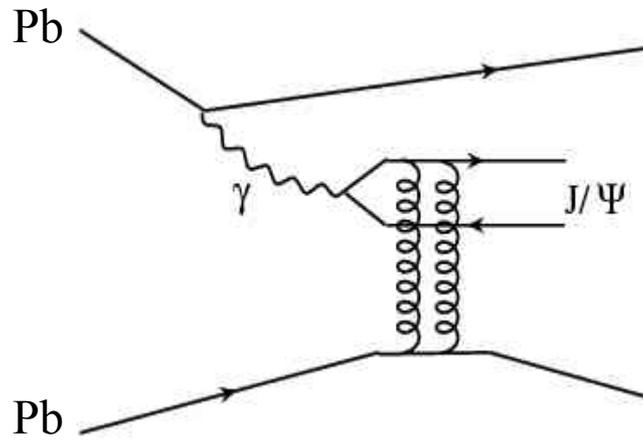
UPC & nPDFs

Ultra-peripheral collisions





nPDF uncertainties \Leftrightarrow UPC Production



Nuclear & Proton PDFs;

Intimately connected

Flavor differentiation dependent on nuclear corrections

Nuclear Correction Factors;

Can new LHC data help here

Can W/Z rapidity correlations allow us to “scan” in x

Other issues:

Kinematic cuts: Q, W dependence, extend to low scales

Where do we see breakdown of DLGAP, saturation, BFLK

Is our framework sufficiently general to accommodate ...

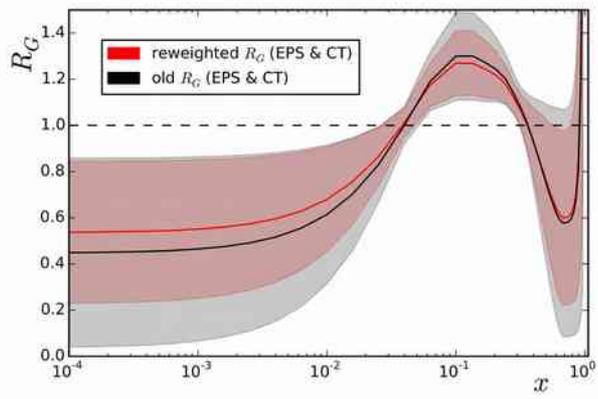
QED Dimension:

Photon PDF

Isospin violation

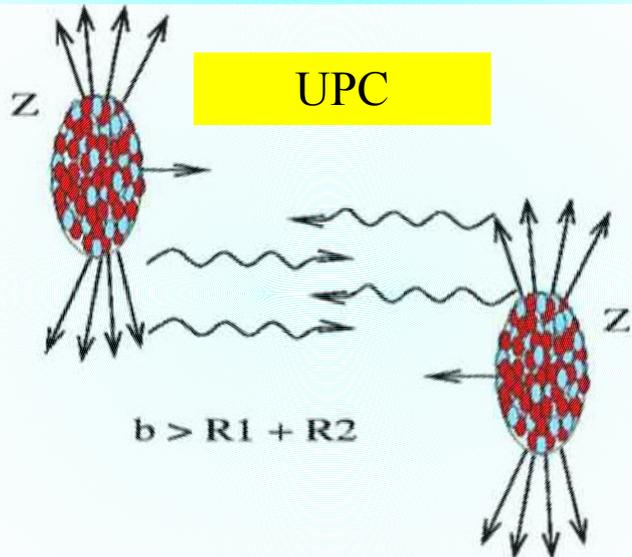
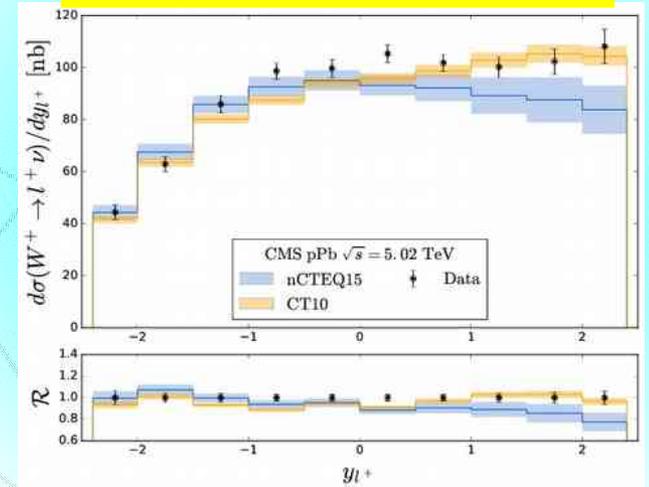
... what did we forget ...

Nuclear Correction Factor



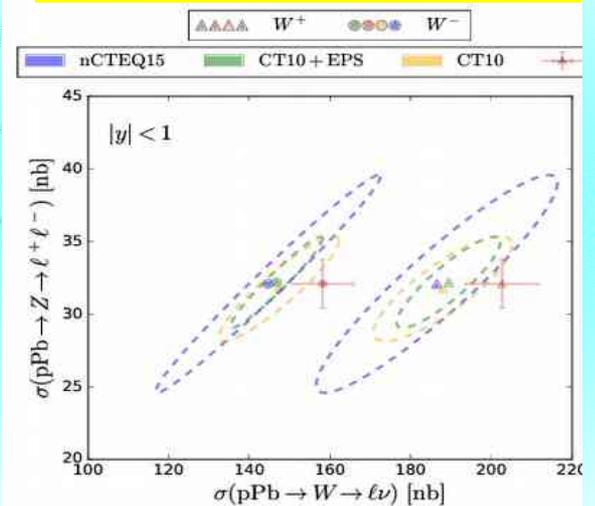
Nuclear PDFs

W/Z @ LHC w/ pPb & PbPb



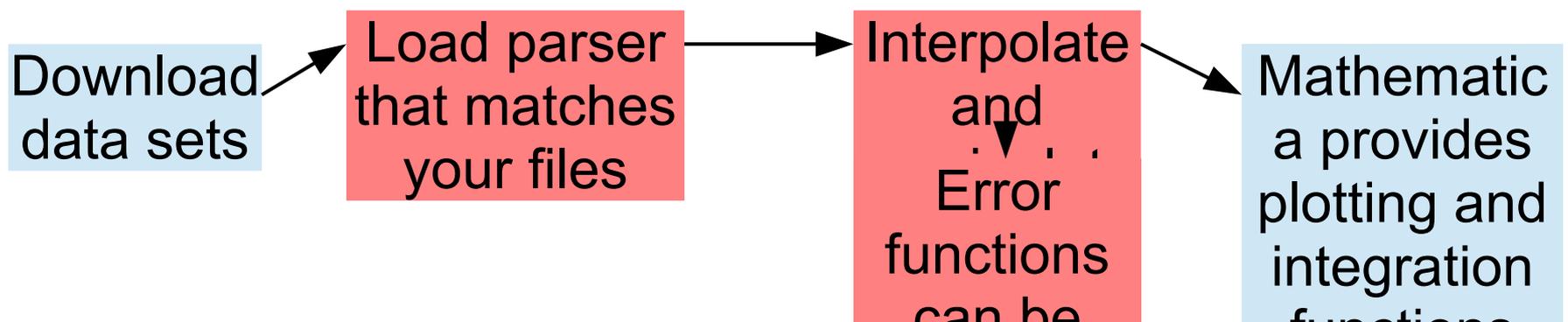
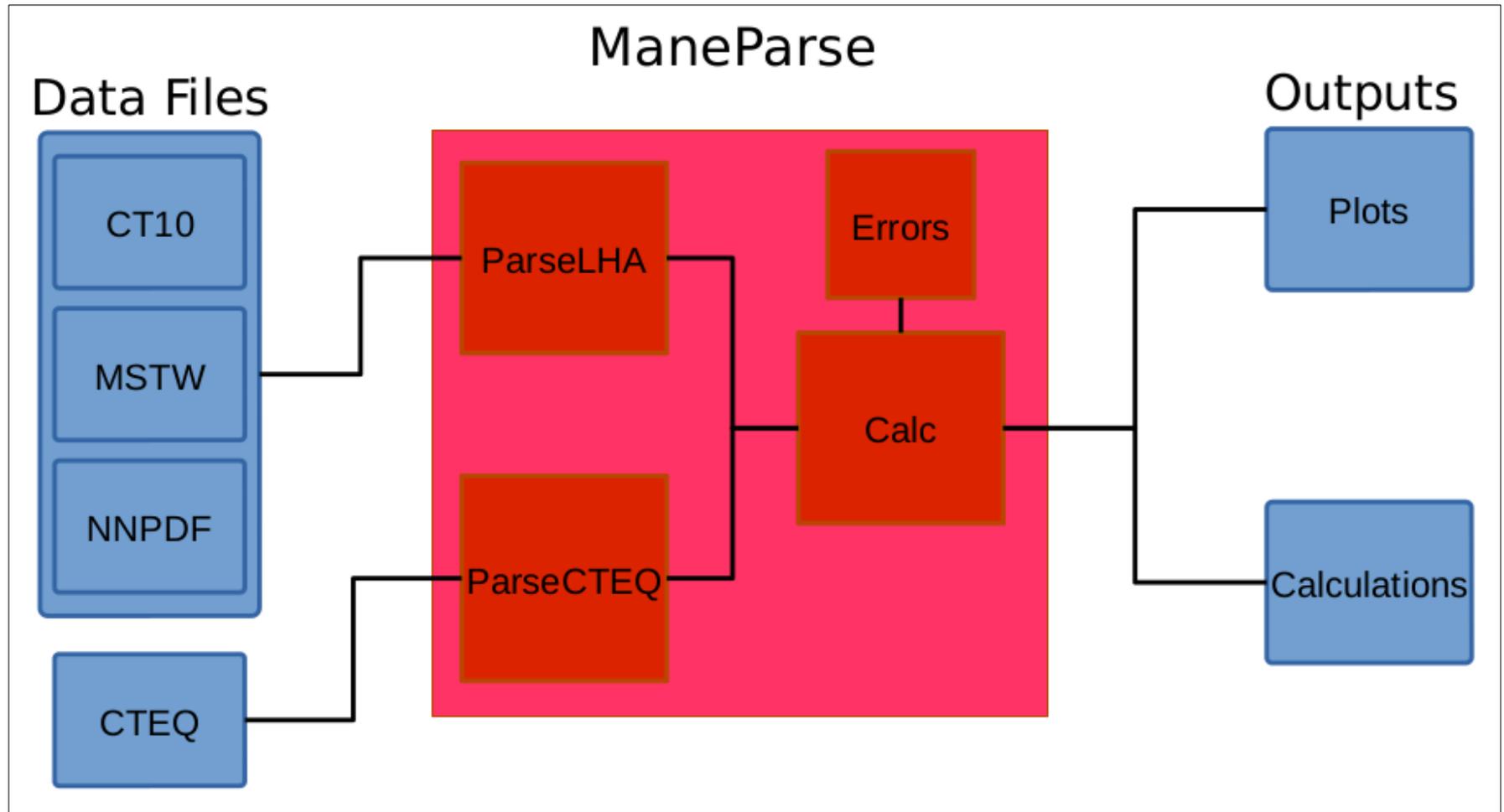
Proton PDFs

W/Z Correlations

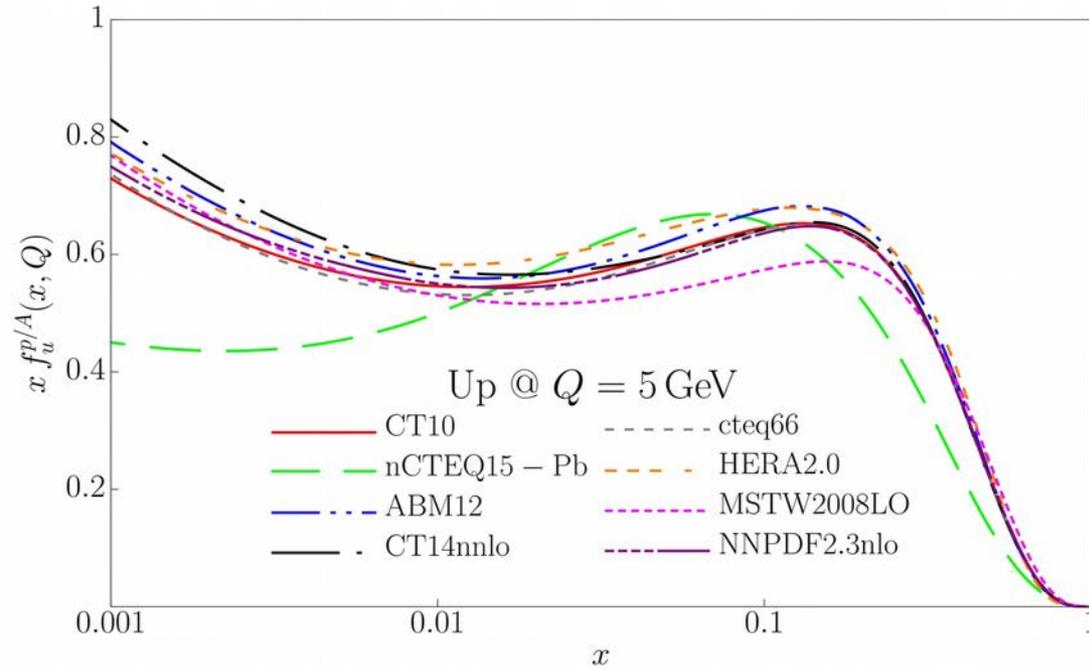


Auxiliary Reference Material

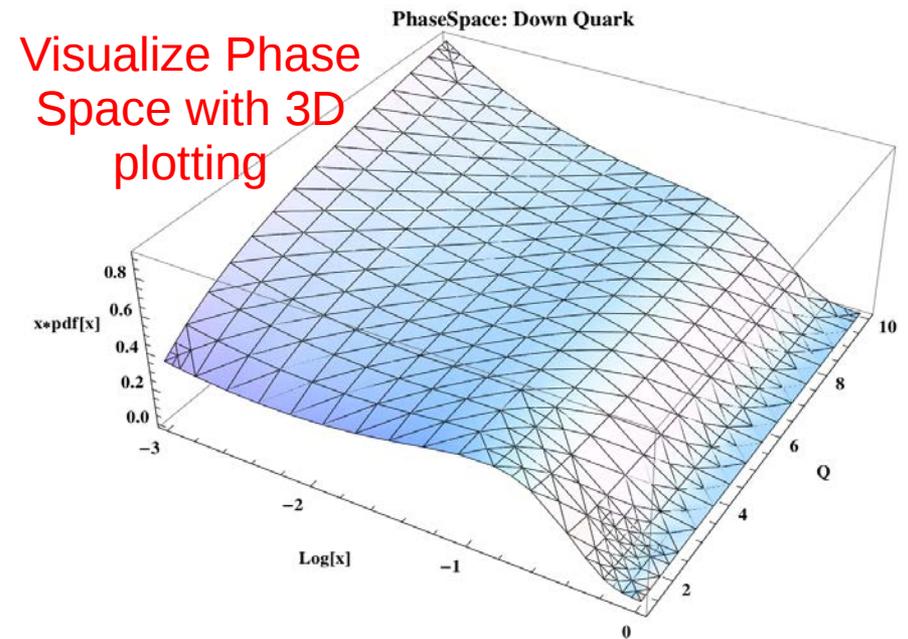
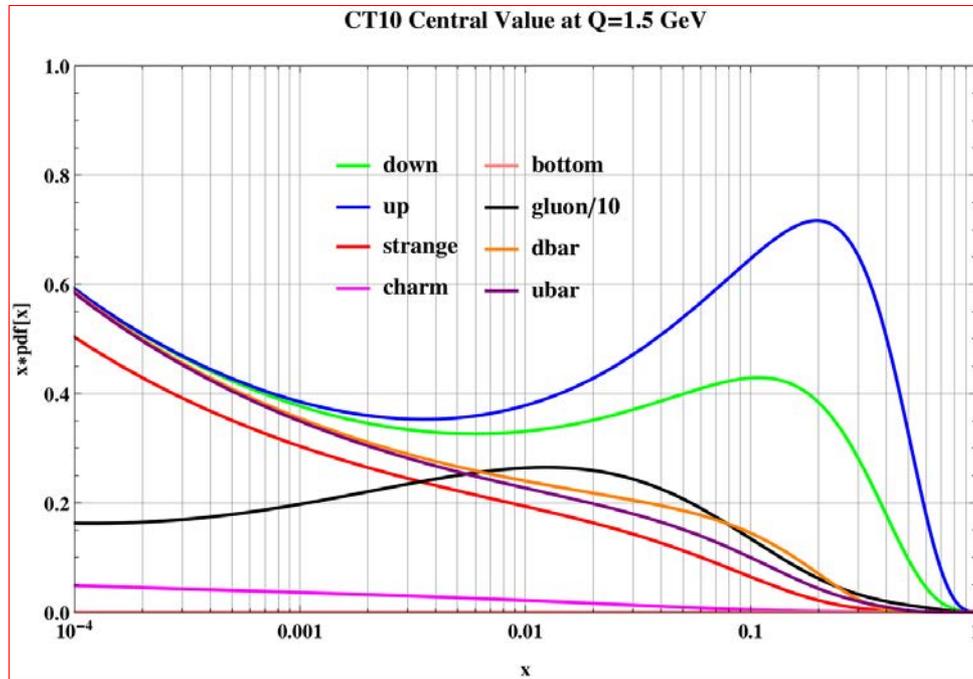
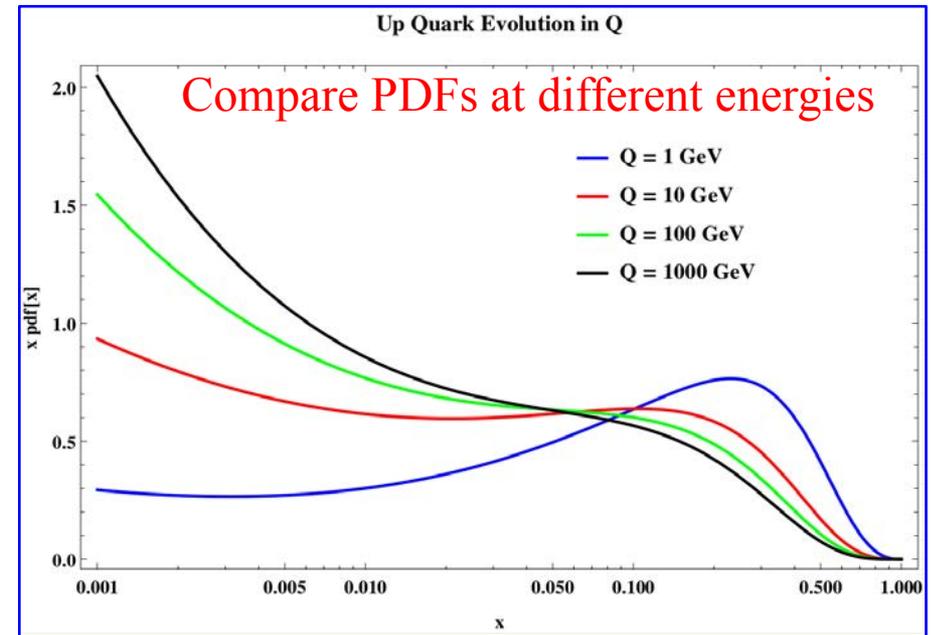
ManeParse



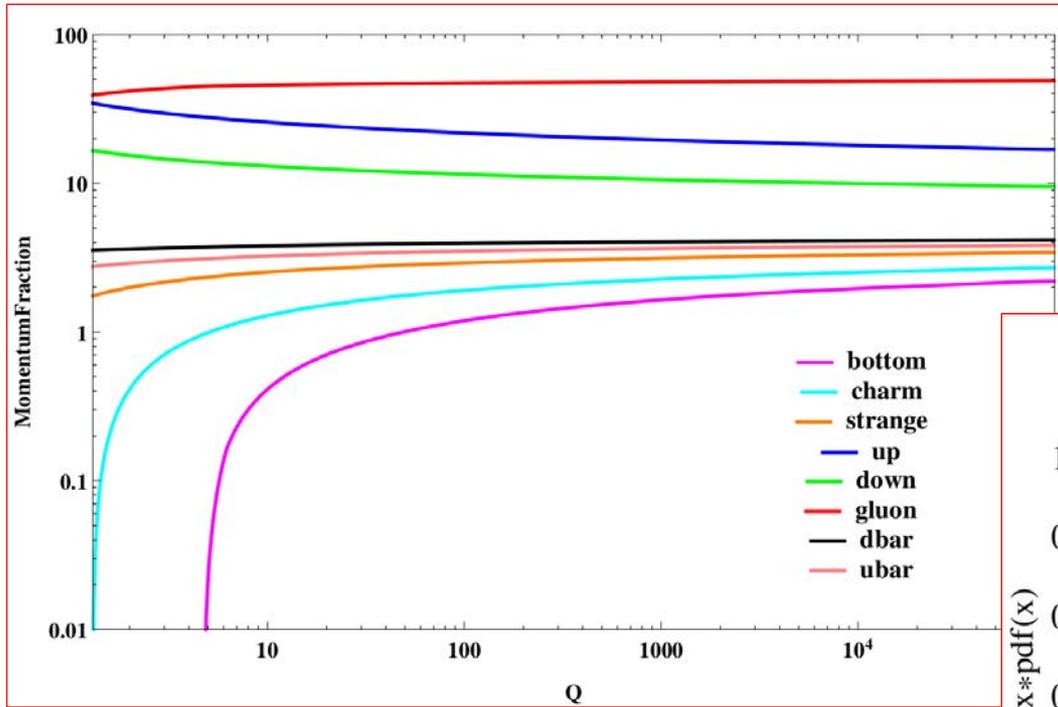
Examples: I



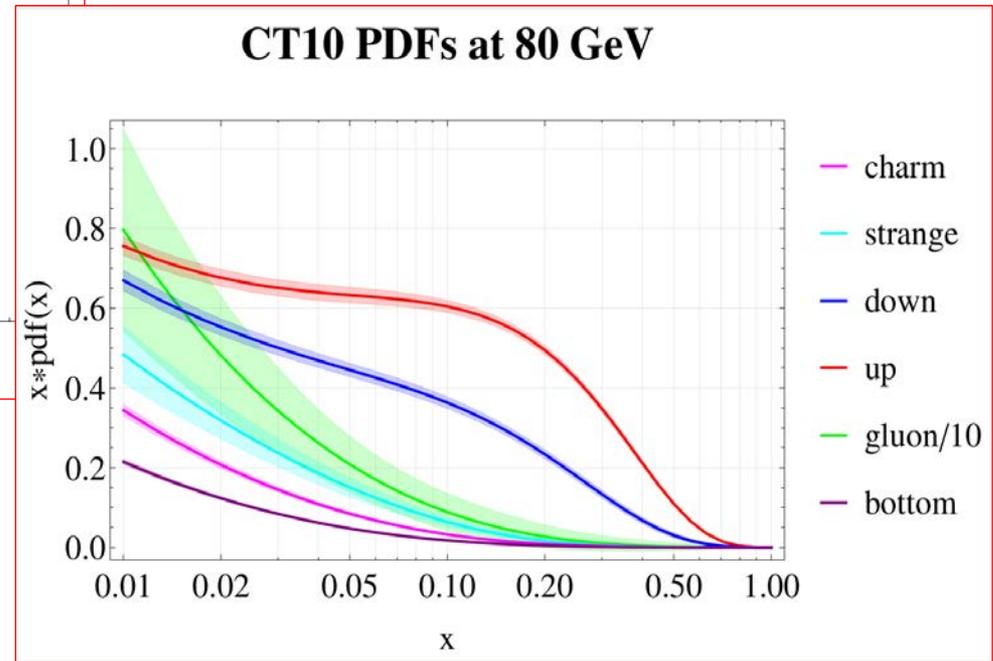
Plot of Multiple Partons for a Single PDF



Examples: II



Full sets of PDFs inside Mathematica
Easy to manipulate



Momentum Sum Rule provides a good check for interpolation errors

$$1 = \sum_i \int_0^1 x \cdot pdf_i(x, Q) dx$$

Proper α_s is essential for NLO+ calculations

