Quantum Computing with Trapped lons

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Introduction: of Bits and Qubits

大学

There's Plenty of Room at the Bottom" (1959 APS annual meeting)



Richard Feynman

"When we get to the very, very small world – say circuits of seven atoms – we have a lot of new things that would happen that represent completely new opportunities for design. Atoms on a small scale behave like nothing on a large scale, for they satisfy the laws of quantum mechanics..."

THE GOLDEN RULES OF QUANTUM MECHANICS

1. Quantum objects are waves and can be in states of superposition.....

"quantum bit": $\alpha | \mathbf{0} \rangle + \beta | \mathbf{1} \rangle$ 2. as long as you don't look!



 $\alpha |\mathbf{0}\rangle + \beta |\mathbf{1}\rangle$ or $|\mathbf{0}\rangle$

Massive storage and parallelism • One qubit: $|\psi\rangle = (1/2)^{-1/2} (|0\rangle + |1\rangle)$ • Two qubits: $|\psi\rangle = (1/2)^{-1} (|0\rangle + |1\rangle) \times (|0\rangle + |1\rangle) = (1/2)^{-1} (|00\rangle + |01\rangle + |10\rangle + |11\rangle)$ • $(1/2)^{-1} ("0" + "1" + "2" + "3")$

♦ N qubits: $|\psi\rangle = (1/2)^{-N/2} (|0\rangle + |1\rangle) \times (|0\rangle + |1\rangle) \times ... = (1/2)^{-N/2} (|00...0\rangle + |0...01\rangle + |0...10\rangle ... + |11..1\rangle)$

(1/2)^{-N/2} ("0" + "1" + "2" +...+ "2^N-1")

◇ Mere 1000 qubits can store all numbers between 0 and $2^{1000}-1 \approx 10^{301}$ » number of atoms in Universe!

The Entanglement

A particular superposition state of a complex quantum system which cannot be reduced to a product state of the components of the system. Simplest case: two qubits:

 $|\psi\rangle = |0\rangle|0\rangle + |1\rangle|1\rangle$

One consequence: measurement of one part of the system yields information about other part(s) of the system without directly measuring those.

Quantum CNOT gate



control qubit	target qubit	result
10>	10>	$ 0\rangle 0\rangle$
10>	1>	$ 0\rangle 1\rangle$
1>	O> ·	1> 1>
1>	1>	1> 0>
$\alpha O\rangle + \beta 1\rangle$	10>	$\alpha 0\rangle 0\rangle + \beta 1\rangle 1\rangle$

Entangled state!



Ion traps and trapped ions

AN ALSO

RF (Paul) ion trap







The UVV trap: linear RF quadrupole

4 Ba ions

Ba ion laser cooling, etc.



läser cooling:
493 nm and 650 nm

• qubit initialization: optical pumping

• qubit control: some form of EM waves

• qubit detection: state-dependent fluorescence

Now, the qubits

soptical: S-D transition



hyperfine: ground state "clock" states

• Zeeman: ground state Zeeman states



Whatever qubit, same detection

One state "dark", the other "bright"



Optical qubit: the Rabi flops



P_{dark}

Hyperfine qubit: the Rabi flops



Ion-photon quantum computer

「中国」

lon-photon entanglement



 $|\psi\rangle = |H\rangle|\uparrow\rangle + |V\rangle|\downarrow\rangle$ This process is probabilistic – success occurs only when the photon is collected (solid angle small) and detected (detection efficiency small, too)

♦ But a heralded entanglement of ions is possible using this probabilistic process!

Ba ion-photon entanglement

Ba- a Zeeman sublevels are entangled with the emitted photon polarization. The too is weakly excited by a short CW laser pulse. Double excitations are suppressed by optical pumping. Repetition rate ~ few tens of KHz, event

Prob(P|bright)

te ~ few Hz.







Ba ion-photon entanglement verification

Rome both the photon qubit and the ion qubit; vary ion qubit rotation phase to oblive fringes. Found out that ion heating caused by the RF pulse in the fast locp caused lower contrast (ion not cooled, therefore dark). Lower RF powerallowed for much better contrast.

Prob(P|dark)

Prob(P|bright)





on-photon CQ: the basic idea





We want to combine a number of "small" (10 – 100 qubits) ion traps in a network through ion-photon entanglement interface.







Chain of 4 Ba and 1 Yb ions

Chain of 3 Ba and 2 Yb ions

The future is here: chip traps

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8 March A

13 \$10

Quantum Information Processing

MAAAS

Modern integrated circuits

AL P



Image courtesy of Wikipedia





ENIAC (1946)



Final remarks...

Computers in the future may weigh no more than 1.5 tons." - Popular Mechanics (1949)

"I think there is a world market for maybe five computers." Thomas Watson, chairman of IBM (1943)

