Building a High Precision Calorimeter to Investigate the Condensed Matter Casimir Effect

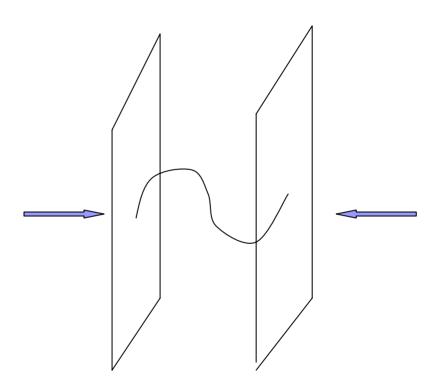
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Motivation and Questions:

- We are building a calorimeter...Why? Answer: We want to look at the condensed matter Casimir Effect.
- How do we build it?
- What are our considerations while building? Answer: precise temperature control and measurement, uniform radiative environment.
- Uses/macroscopic cases of the CM Casimir Effect and future work.

Prelude: The Electromagnetic Casimir Effect

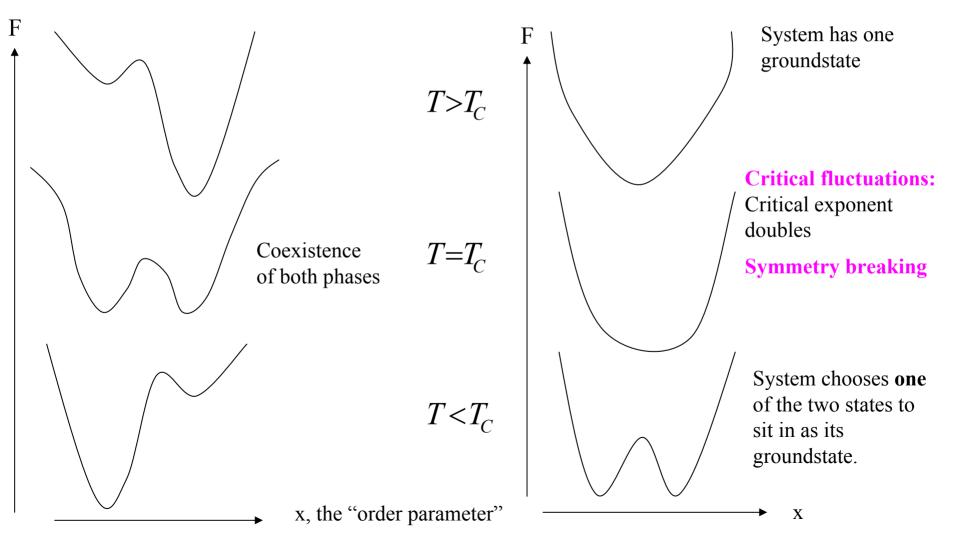
- Uncharged, conducting plates in vacuum box, a few hundred nm apart.
- Vacuum has "virtual" EM particles with modes of vibrations, which are called zero point fluctuations.
- Only modes of small wavelength fit between the plates, while both small and large wavelengths fit outside the plates.
- So: get net small attractive force between the plates.



Interlude: Critical Fluctuations from the Second Order Phase Transition

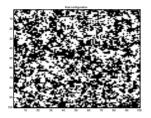
1st order

2nd order

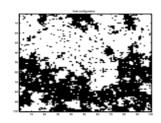


Critical Fluctuations

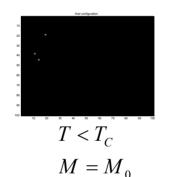
- Since the bottom of the curve at T=Tc is flat, we have many x with the same free energy F.
- System has no definite preferred x, so we have fluctuations between many values of the order parameter.
- Critical liquid looks like macroscopic "chunks" of phase A and phase B.
- **Example**: **ferromagnet**: A=areas of spin up, B=areas of spin down, x=M.



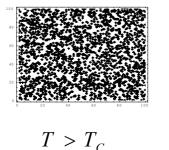
 $T > T_C$ Equilibrium state: M=0

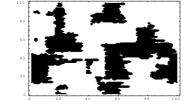


 $T = T_C$ Symmetry breaking

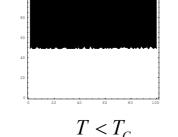


- Example: critical liquid, difference with ferromagnet is that phase A and B are conserved
 Transition known as an immiscibility transition, x may be the fractional composition of water.
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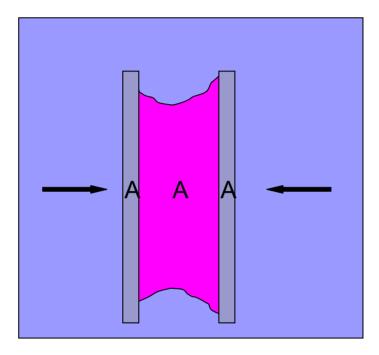


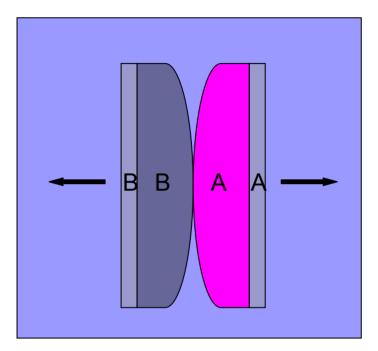


 $T = T_c$



The Condensed Matter Casimir Effect





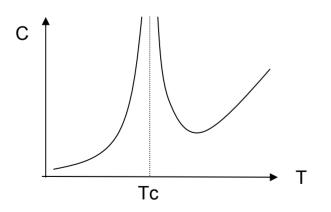
attraction

repulsion

- CM Casimir Effect is <u>macroscopic</u>, greater than the Van der Waals force at some critical points, and has a coherence length of ~ 100nm for some critical liquids.
- Is an entropic force. F=U-TS. Smaller S between the plates than outside the plates, so get repulsion between plates in an attempt make entropy uniform.
- Beaker of a two-phase liquid (phase A and phase B) undergoing critical fluctuations.
- Two plates suspended in the beaker.
- Wetting characteristics of plates cause either repulsion or attraction between plates <u>if</u> we have large enough "chunks" of A and B to wet the plates.

Why a Calorimeter?

- Goal: study entropic fluctuation (critical fluctuation) mediated forces, e.g the CM Casimir Effect.
- But: how do we *know* when we have critical fluctuations?
- Answer: solution looks opaque can find out by making optical measurements using lasers... difficult.
- Answer 2: the heat capacity C diverges at a phase transition, so we can measure C, but need high precision, since graph is very steep near Tc.



$$C \propto \left| T - T_{C} \right|^{-\alpha}$$

C diverges at Tc

lpha doubles at Tc if Tc is a "double critical point"

Will use a DC scanning calorimeter to scan through temperature and look for the divergence in heat capacity.

So:

- CM Casimir Effect is macroscopic, comes from fluctuations of liquids near their immiscibility phase transition.
- Given a particular wetting characteristic of the plates, say A-A, in a beaker with macroscopic "chunks" of A, we should be able to see some attractive (or repulsive) force between the plates.
- That is, if we know exactly at which T to look.
- Must scan carefully through temperature to look for the divergence in C.
- high precision temperature control and measurement via a calorimeter.

Building Considerations

- Thermal conductance between various parts of the apparatus.
- Machining small parts such as:
- Bringing wires into and out of the calorimeter.
- Anchoring: wires, pins, epoxy.
- Vacuum compatibility of all components.
- Must know the temperatures at different locations on the calorimeter at all times and be able to change them according to our desires.

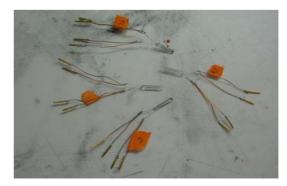


Temperature Control: Apparatus

- Sample located inside double aluminum cans in vacuum chamber.
- Power supply, heater wires, heater spools.
- **5 thermometers** (i.e. 5 resisters)
- Thermometer calibration.
- The PID algorithm







PID Algorithm: Feedback Temperature Control Loop:

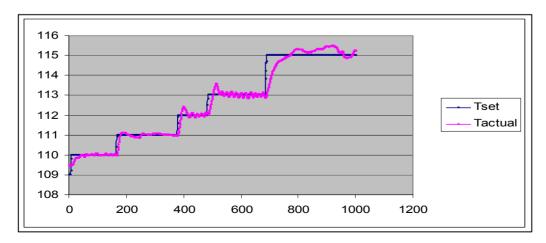
 Controls temperature with 3 terms: <u>Proportional</u>, <u>Integral</u>, <u>Derivative</u>.

$$number = k_c [e(t) + k_i \int_0^t e(t')dt' + k_D \frac{d}{dt} e(t)]$$

where $e(t) = T_{actual}(t) - T_{set}(t)$

 k_c, k_i, k_D all adjustable constants

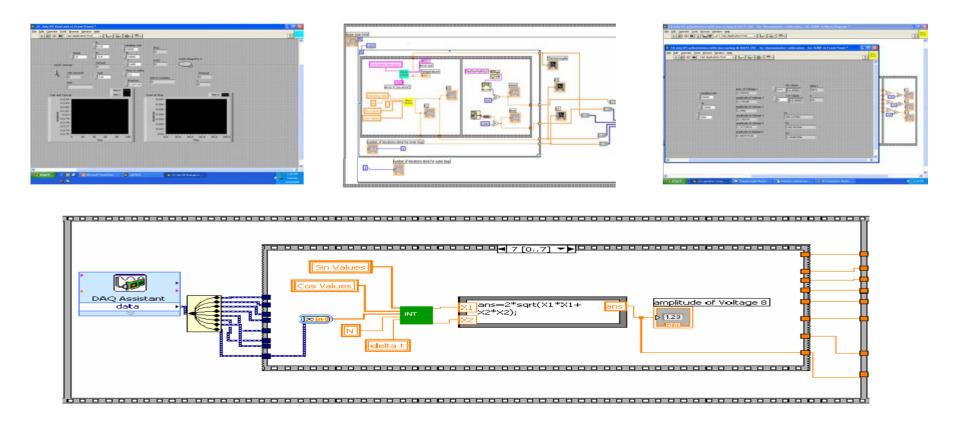
We skip the Derivative term because it is too noise sensitive.



Temperatures (setpoint and actual) as a function of time.

The Computer Interface: Labview Programs

- PID algorithm
- AC Resistance meter to measure temperatures with minimum noise.



AC Resistance Meter: to measure resistance and thus temperature

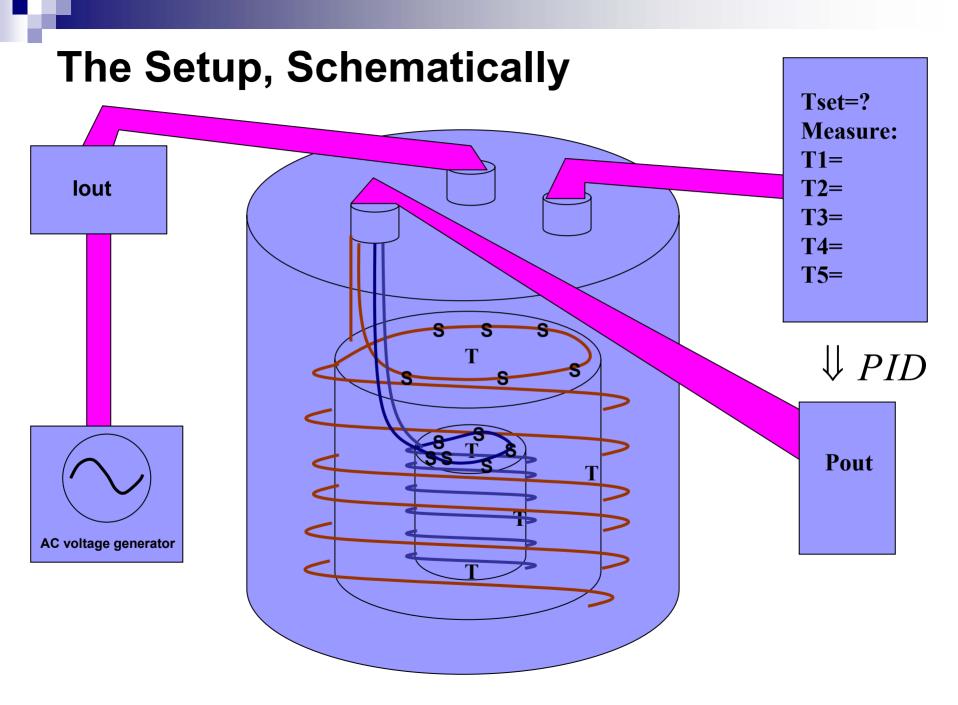
- Minimizes noise.
- Relies on Fourier sine and cosine integrals.

$$I_{1} = \frac{1}{T} \int_{T} V_{th} \sin(\omega t) dt = \frac{1}{T} \int_{T} V_{th0} \sin(\omega t + \phi_{th}) \sin(\omega t) dt$$
$$I_{2} = \frac{1}{T} \int_{T} V_{th} \cos(\omega t) dt = \frac{1}{T} \int_{T} V_{th0} \cos(\omega t + \phi_{th}) \cos(\omega t) dt$$

Where T = large whole number of periods.

$$\frac{1}{2}\sqrt{I_1^2 + I_2^2} = V_{th 0}$$

DC offset and noise integrate to 0 if T is large.



Future Work

Run the experiment!

- Look at properties of various mixtures.
- Consider the macroscopic cases:
 - 1. faucet that does not drip.
 - 2. liquid beading up on a surface.
 - 3. liquid spreading out on a surface.
- Other systems and other physics.



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