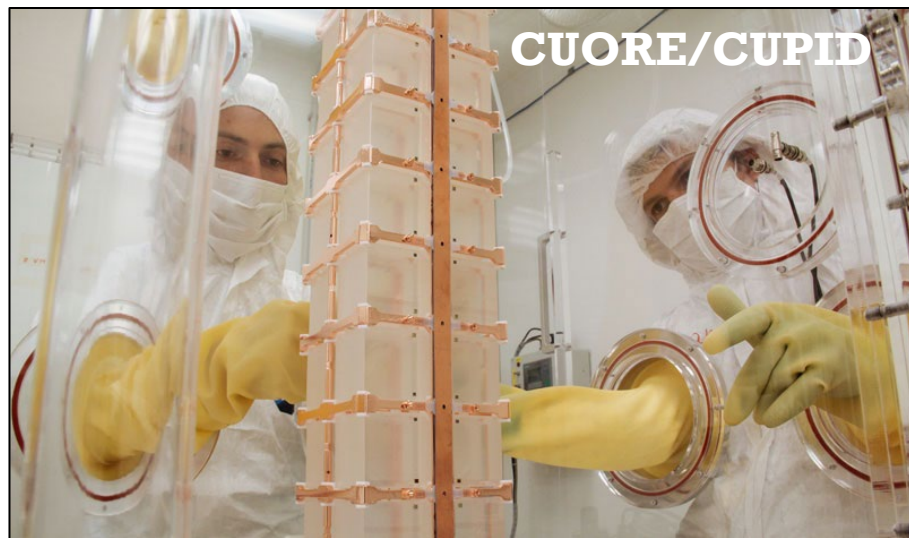


NEUTRINOS IN NUCLEAR PHYSICS

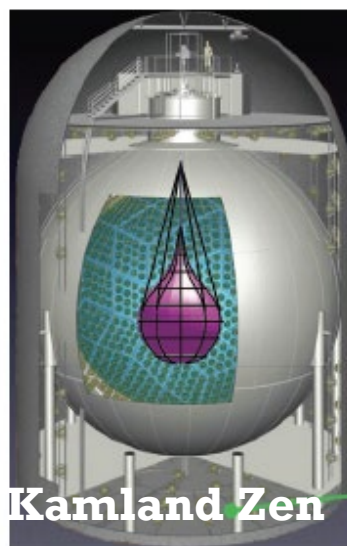
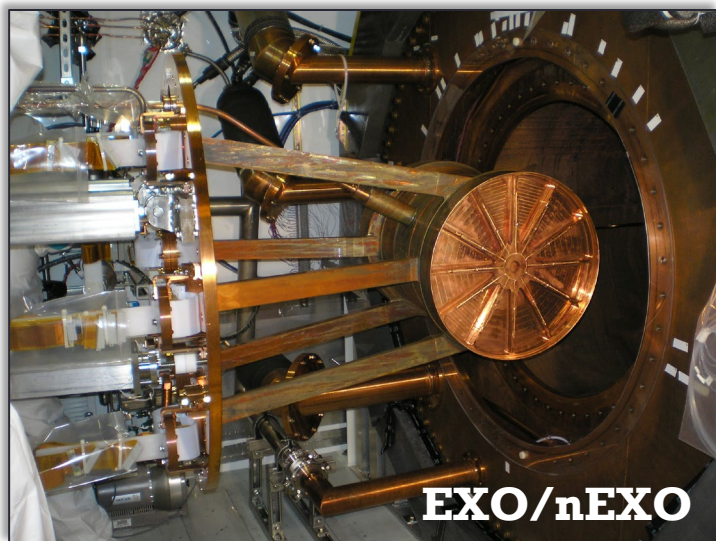
BJPJ

3

THE ZOO OF 0NUBB SEARCHES



*Many completely
different
technologies...*

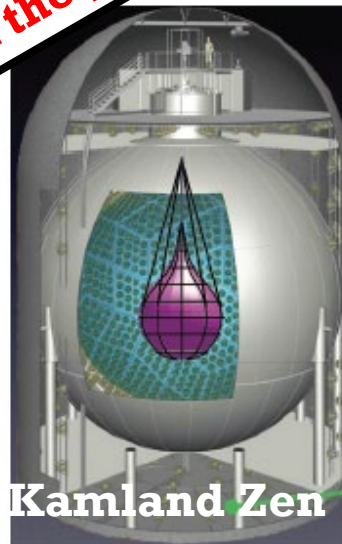
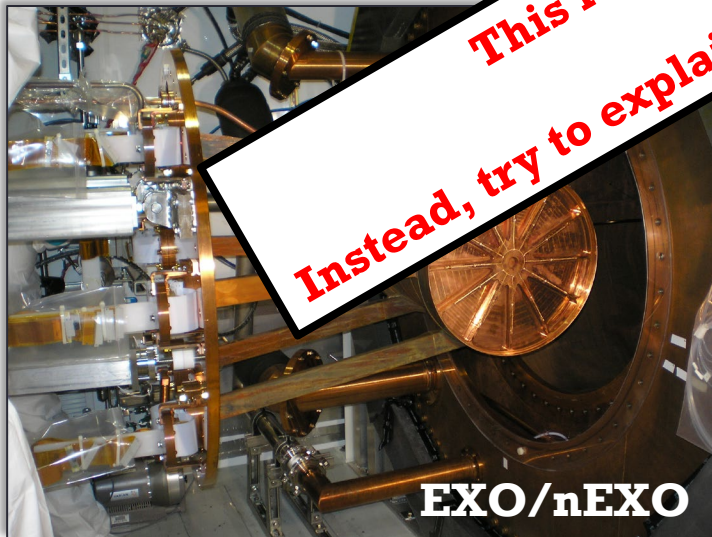


THE ZOO OF ONUBB SEARCHES



*Many completely
different
technologies...*

***This lecture, like life, is too short.
Instead, try to explain the physics that connects them all***



STAND BACK



I'M GOING TO TRY

RELATIVISTIC QUANTUM
MECHANICS

DIRAC EQUATION

Spin $\frac{1}{2}$ fermions satisfy an equation of motion called the Dirac equation:

$$(i\gamma^\mu \partial_\mu - m) \Psi = 0$$

↑
*The Schrodinger Eq. of
relativistic spin $\frac{1}{2}$ fermions*

The solution can be written as an object with four components called a Dirac spinor:

$$\Psi = \psi e^{ikx} \quad \psi = \begin{pmatrix} \psi_1 \\ \psi_2 \\ \psi_3 \\ \psi_4 \end{pmatrix}$$

↑
*How much of this kind
of particle is where*

↑
???



Paul Dirac

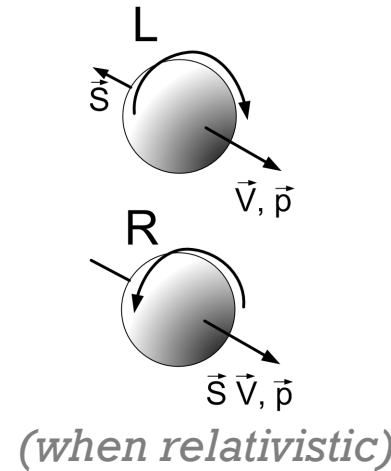
WHAT DO THE FOUR DEGREES OF FREEDOM OF THE DIRAC SPINOR MEAN?

- With a judicious choice of basis (Weyl):

$$\psi = \begin{pmatrix} \psi_1 \\ \psi_2 \\ \psi_3 \\ \psi_4 \end{pmatrix}$$

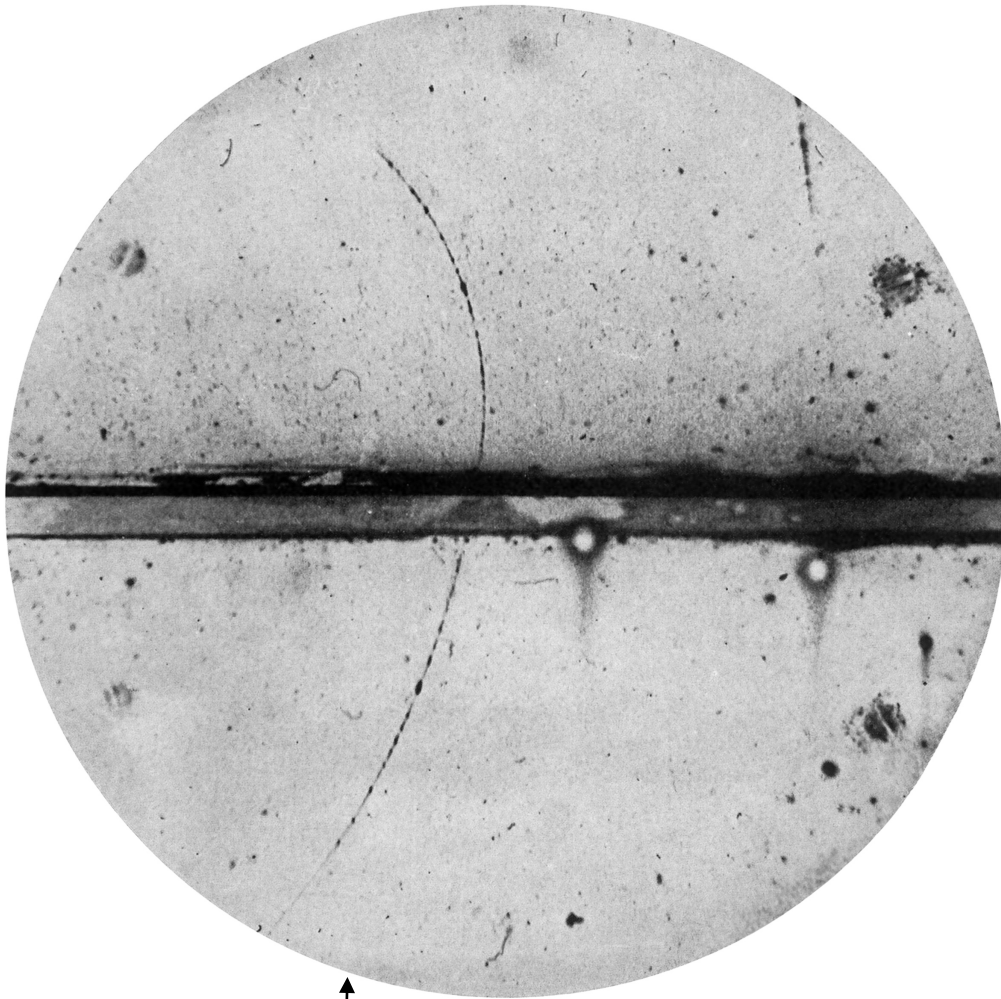
Two left spinning things

Two right spinning things



- Dirac spinor breaks into two components for a spin-up particle and two components for a spin-down particle.
- But why are there two kinds of field for each spin?

ANTIMATTER



First positron detection, 1932

- Each pair has a positive energy part and a negative energy part.
- The negative energy part represents antimatter.
 - Matter moving backward in time, according to the Feynman Stueckelberg interpretation.

$$\Psi = \Psi_0 e^{-iEt/\hbar}$$

- The positron is the electrons antiparticle. It was predicted by Dirac (1928) before it was discovered by Anderson (1932).

NOT SO FAST!

Four numbers at
each point in
space? I'll do it
with two!

But, Ettore Majorana found a new class of solutions to Dirac's equation using only two degrees of freedom.

$$\psi = \begin{bmatrix} \omega \\ -i\sigma_2\omega^* \end{bmatrix}$$

↑
Four-component object built
using some two-component

$$\omega = \begin{pmatrix} \omega_1 \\ \omega_2 \end{pmatrix}$$

Ettore Majorana

CHARGE CONJUGATION

$$\psi_c \equiv -i\gamma^2\psi^* \longleftarrow \text{Definition of charge conjugation operation: transform particles } \leftrightarrow \text{ antiparticles}$$

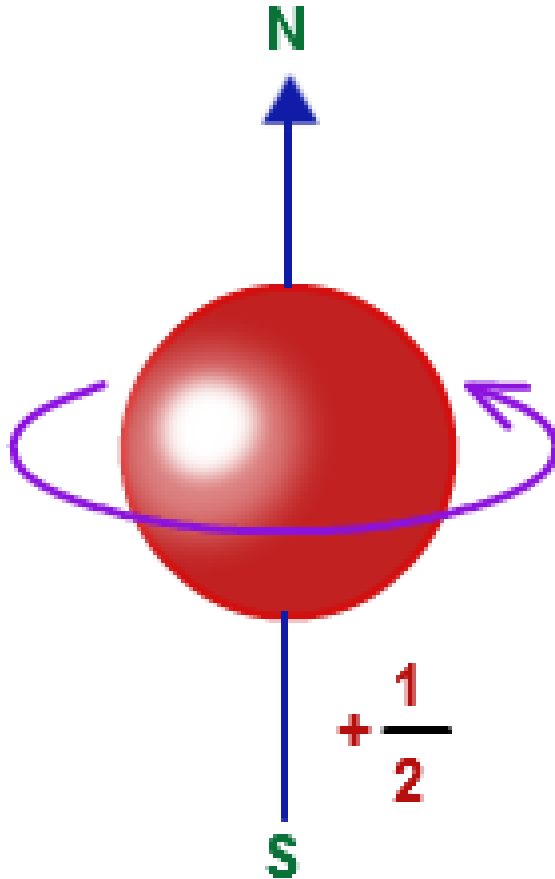
- For Majorana's solution:

$$\psi_c = \psi \longleftarrow \begin{array}{l} \text{It's antiparticle is the particle!} \\ \text{Two degrees of freedom correspond to} \\ \text{left and right of a "particle-antiparticle-thing"} \end{array}$$

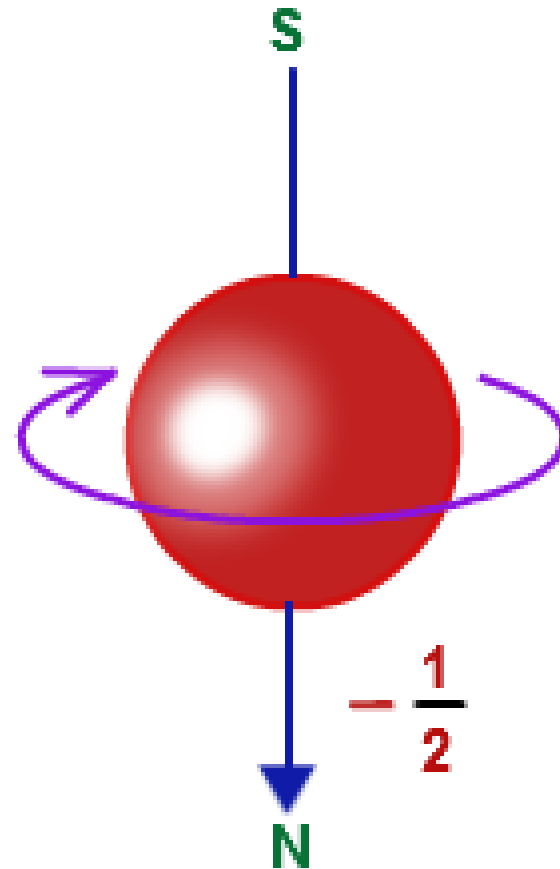
- Whereas for a general Dirac solution:

$$\psi_c \neq \psi \longleftarrow \begin{array}{l} \text{Distinct particle and antiparticle} \\ \text{Four degrees of freedom correspond to} \\ \text{left and right of particle and antiparticle.} \end{array}$$

IN SHORT, WHAT ARE MAJORANA FERMIONS:



We call it a particle
(behaves like matter)



We call it an antiparticle
(behaves like antimatter)

WHO CARES?

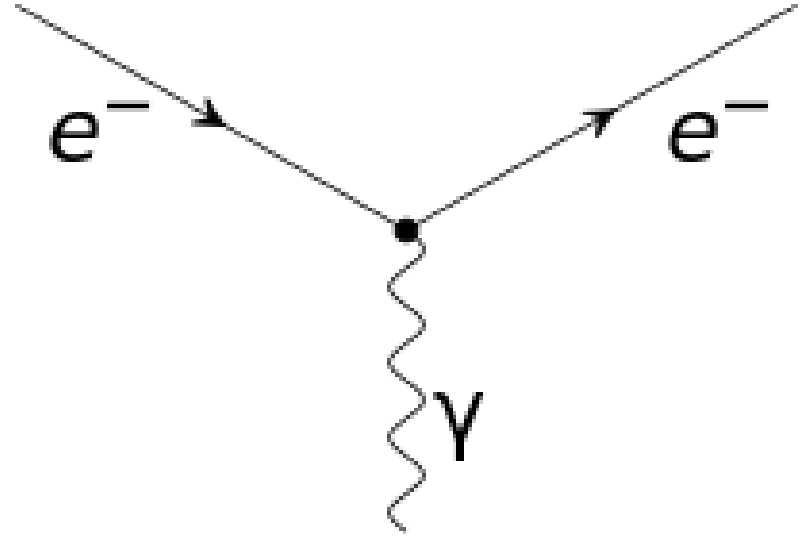
$$\begin{aligned}
& -\frac{1}{2}\partial_\nu g_\mu^a \partial_\nu g_\mu^a - g_s f^{abc} \partial_\mu g_\nu^a g_\mu^b g_\nu^c - \frac{1}{4} g_s^2 f^{abc} f^{ade} g_\mu^b g_\nu^c g_\mu^d g_\nu^e + \\
& \frac{1}{2} i g_s^2 (\bar{q}_i^\sigma \gamma^\mu q_j^\sigma) g_\mu^a + \bar{G}^a \partial^2 G^a + g_s f^{abc} \partial_\mu \bar{G}^a G^b g_\mu^c - \partial_\nu W_\mu^+ \partial_\nu W_\mu^- - \\
& M^2 W_\mu^+ W_\mu^- - \frac{1}{2} \partial_\nu Z_\mu^0 \partial_\nu Z_\mu^0 - \frac{1}{2 c_w^2} M^2 Z_\mu^0 Z_\mu^0 - \frac{1}{2} \partial_\mu A_\nu \partial_\mu A_\nu - \frac{1}{2} \partial_\mu H \partial_\mu H - \\
& \frac{1}{2} m_h^2 H^2 - \partial_\mu \phi^+ \partial_\mu \phi^- - M^2 \phi^+ \phi^- - \frac{1}{2} \partial_\mu \phi^0 \partial_\mu \phi^0 - \frac{1}{2 c_w^2} M \phi^0 \phi^0 - \beta_h \left[\frac{2 M^2}{g^2} + \right. \\
& \left. \frac{2 M}{g} H + \frac{1}{2} (H^2 + \phi^0 \phi^0 + 2 \phi^+ \phi^-) \right] + \frac{2 M^4}{g^2} \alpha_h - i g c_w [\partial_\nu Z_\mu^0 (W_\mu^+ W_\nu^- - \\
& W_\nu^+ W_\mu^-) - Z_\nu^0 (W_\mu^+ \partial_\nu W_\mu^- - W_\mu^- \partial_\nu W_\mu^+) + Z_\mu^0 (W_\nu^+ \partial_\mu W_\nu^- - \\
& W_\nu^- \partial_\mu W_\mu^+)] - i g s_w [\partial_\nu A_\mu (W_\mu^+ W_\nu^- - W_\nu^+ W_\mu^-) - A_\nu (W_\mu^+ \partial_\nu W_\mu^- - \\
& W_\mu^- \partial_\nu W_\mu^+) + A_\mu (W_\nu^+ \partial_\nu W_\mu^- - W_\nu^- \partial_\nu W_\mu^+)] - \frac{1}{2} g^2 W_\mu^+ W_\mu^- W_\nu^+ W_\nu^- + \\
& \frac{1}{2} g^2 W_\mu^+ W_\nu^- W_\mu^- W_\nu^- + g^2 c_w^2 (Z_\mu^0 W_\mu^+ Z_\nu^0 W_\nu^- - Z_\mu^0 Z_\nu^0 W_\mu^+ W_\nu^-) + \\
& g^2 s_w^2 (A_\mu W_\mu^+ A_\nu W_\nu^- - A_\mu A_\nu W_\mu^+ W_\nu^-) + g^2 s_w c_w [A_\mu Z_\nu^0 (W_\mu^+ W_\nu^- - \\
& W_\nu^+ W_\mu^-) - 2 A_\mu Z_\mu^0 W_\nu^+ W_\nu^-] - g \alpha [H^3 + H \phi^0 \phi^0 + 2 H \phi^+ \phi^-] - \\
& \frac{1}{8} g^2 \alpha_h [H^4 + (\phi^0)^4 + 4 (\phi^+ \phi^-)^2 + 4 (\phi^0)^2 \phi^+ \phi^- + 4 H^2 \phi^+ \phi^- + 2 (\phi^0)^2 H^2] - \\
& g M W_\mu^+ W_\mu^- H - \frac{1}{2} g \frac{M}{c_w^2} Z_\mu^0 Z_\mu^0 H - \frac{1}{2} i g [W_\mu^+ (\phi^0 \partial_\mu \phi^- - \phi^- \partial_\mu \phi^0) - \\
& W_\mu^- (\phi^0 \partial_\mu \phi^+ - \phi^+ \partial_\mu \phi^0)] + \frac{1}{2} g [W_\mu^+ (H \partial_\mu \phi^- - \phi^- \partial_\mu H) - W_\mu^- (H \partial_\mu \phi^+ - \\
& \phi^+ \partial_\mu H)] + \frac{1}{2} g \frac{1}{c_w} (Z_\mu^0 (H \partial_\mu \phi^0 - \phi^0 \partial_\mu H) - i g \frac{s_w^2}{c_w} M Z_\mu^0 (W_\mu^+ \phi^- - W_\mu^- \phi^+) + \\
& i g s_w M A_\mu (W_\mu^+ \phi^- - W_\mu^- \phi^+) - i g \frac{1-2c_w^2}{2c_w} Z_\mu^0 (\phi^+ \partial_\mu \phi^- - \phi^- \partial_\mu \phi^+) + \\
& i g s_w A_\mu (\phi^+ \partial_\mu \phi^- - \phi^- \partial_\mu \phi^+) - \frac{1}{4} g^2 W_\mu^+ W_\mu^- [H^2 + (\phi^0)^2 + 2 \phi^+ \phi^-] - \\
& \frac{1}{4} g^2 \frac{1}{c_w^2} Z_\mu^0 Z_\mu^0 [H^2 + (\phi^0)^2 + 2 (2 s_w^2 - 1) \phi^+ \phi^-] - \frac{1}{2} g^2 \frac{s_w^2}{c_w} Z_\mu^0 \phi^0 (W_\mu^+ \phi^- + \\
& W_\mu^- \phi^+) - \frac{1}{2} i g^2 \frac{s_w^2}{c_w} Z_\mu^0 H (W_\mu^+ \phi^- - W_\mu^- \phi^+) + \frac{1}{2} g^2 s_w A_\mu \phi^0 (W_\mu^+ \phi^- + \\
& W_\mu^- \phi^+) + \frac{1}{2} i g^2 s_w A_\mu H (W_\mu^+ \phi^- - W_\mu^- \phi^+) - g^2 \frac{s_w}{c_w} (2 c_w^2 - 1) Z_\mu^0 A_\mu \phi^+ \phi^- - \\
& g^1 s_w^2 A_\mu A_\mu \phi^+ \phi^- - \bar{e}^\lambda (\gamma \partial + m_e^\lambda) e^\lambda - \bar{\nu}^\lambda \gamma \partial \nu^\lambda - \bar{u}_j^\lambda (\gamma \partial + m_u^\lambda) u_j^\lambda - \\
& \bar{d}_j^\lambda (\gamma \partial + m_d^\lambda) d_j^\lambda + i g s_w A_\mu [-(\bar{e}^\lambda \gamma^\mu e^\lambda) + \frac{2}{3} (\bar{u}_j^\lambda \gamma^\mu u_j^\lambda) - \frac{1}{3} (\bar{d}_j^\lambda \gamma^\mu d_j^\lambda)] + \\
& \frac{i g}{4 c_w} Z_\mu^0 [(\bar{\nu}^\lambda \gamma^\mu (1 + \gamma^5) \nu^\lambda) + (\bar{e}^\lambda \gamma^\mu (4 s_w^2 - 1 - \gamma^5) e^\lambda) + (\bar{u}_j^\lambda \gamma^\mu (\frac{4}{3} s_w^2 - \\
& 1 - \gamma^5) u_j^\lambda) + (\bar{d}_j^\lambda \gamma^\mu (1 - \frac{8}{3} s_w^2 - \gamma^5) d_j^\lambda)] + \frac{i g}{2 \sqrt{2}} W_\mu^+ [(\bar{\nu}^\lambda \gamma^\mu (1 + \gamma^5) \nu^\lambda) + \\
& (\bar{u}_j^\lambda \gamma^\mu (1 + \gamma^5) C_{\lambda \kappa} d_j^\kappa)] + \frac{i g}{2 \sqrt{2}} W_\mu^- [(\bar{e}^\lambda \gamma^\mu (1 + \gamma^5) e^\lambda) + (\bar{d}_j^\kappa C_{\lambda \kappa}^\dagger \gamma^\mu (1 + \\
& \gamma^5) u_j^\lambda)] + \frac{i g}{2 \sqrt{2}} \frac{m_h^\lambda}{M} [-\phi^+ (\bar{\nu}^\lambda (1 - \gamma^5) e^\lambda) + \phi^- (\bar{e}^\lambda (1 + \gamma^5) \nu^\lambda)] - \\
& \frac{g}{2} \frac{m_h^\lambda}{M} [H (\bar{e}^\lambda e^\lambda) + i \phi^0 (\bar{e}^\lambda \gamma^5 e^\lambda)] + \frac{i g}{2 M \sqrt{2}} \phi^+ [-m_d^\kappa (\bar{u}_j^\lambda C_{\lambda \kappa} (1 - \gamma^5) d_j^\kappa) + \\
& m_u^\lambda (\bar{u}_j^\lambda C_{\lambda \kappa} (1 + \gamma^5) d_j^\kappa) + \frac{i g}{2 M \sqrt{2}} \phi^- [m_d^\lambda (\bar{d}_j^\lambda C_{\lambda \kappa}^\dagger (1 + \gamma^5) u_j^\kappa) - m_u^\kappa (\bar{d}_j^\lambda C_{\lambda \kappa}^\dagger (1 - \\
& \gamma^5) u_j^\kappa) - \frac{g}{2} \frac{m_h^\lambda}{M} H (\bar{u}_j^\lambda u_j^\lambda) - \frac{g}{2} \frac{m_h^\lambda}{M} H (\bar{d}_j^\lambda d_j^\lambda) + \frac{i g}{2} \frac{m_h^\lambda}{M} \phi^0 (\bar{u}_j^\lambda \gamma^5 u_j^\lambda) - \\
& \frac{i g}{2} \frac{m_h^\lambda}{M} \phi^0 (\bar{d}_j^\lambda \gamma^5 d_j^\lambda) + \bar{X}^+ (\partial^2 - M^2) X^+ + \bar{X}^- (\partial^2 - M^2) X^- + \bar{X}^0 (\partial^2 - \\
& \frac{M^2}{c_w^2}) X^0 + \bar{Y} \partial^2 Y + i g c_w W_\mu^+ (\partial_\mu \bar{X}^0 X^- - \partial_\mu \bar{X}^- X^0) + i g s_w W_\mu^+ (\partial_\mu \bar{Y} X^- - \\
& \partial_\mu \bar{X}^+ Y) + i g c_w W_\mu^- (\partial_\mu \bar{X}^- X^0 - \partial_\mu \bar{X}^0 X^+) + i g s_w W_\mu^- (\partial_\mu \bar{X}^- Y - \\
& \partial_\mu \bar{Y} X^+) + i g c_w Z_\mu^0 (\partial_\mu \bar{X}^+ X^+ - \partial_\mu \bar{X}^- X^-) + i g s_w A_\mu (\partial_\mu \bar{X}^+ X^+ - \\
& \partial_\mu \bar{X}^- X^-) - \frac{1}{2} g M [\bar{X}^+ X^+ H + \bar{X}^- X^- H + \frac{1}{c_w^2} \bar{X}^0 X^0 H] + \\
& \frac{1-2c_w^2}{2c_w} i g M [\bar{X}^+ X^0 \phi^+ - \bar{X}^- X^0 \phi^-] + \frac{1}{2 c_w} i g M [\bar{X}^0 X^- \phi^+ - \bar{X}^0 X^+ \phi^-] + \\
& i g M s_w [\bar{X}^0 X^- \phi^+ - \bar{X}^0 X^+ \phi^-] + \frac{1}{2} i g M [\bar{X}^+ X^+ \phi^0 - \bar{X}^- X^- \phi^0]
\end{aligned}$$

The standard model Lagrangian

Each term represents some interaction between quantum fields.

After quantizing the theory, this becomes an interaction between particles.

$$\begin{aligned}
& -\frac{1}{2}\partial_\nu g_\mu^a \partial_\nu g_\mu^a - g_s f^{abc} \partial_\mu g_\nu^a g_\mu^b g_\nu^c - \frac{1}{4}g_s^2 f^{abc} f^{ade} g_\mu^b g_\nu^c g_\mu^d g_\nu^e + \\
& \frac{1}{2}ig_s^2(\bar{q}_i^\sigma \gamma^\mu q_j^\sigma)g_\mu^a + \bar{G}^a \partial^2 G^a + g_s f^{abc} \partial_\mu \bar{G}^a G^b g_\mu^c - \partial_\nu W_\mu^+ \partial_\nu W_\mu^- - \\
& M^2 W_\mu^+ W_\mu^- - \frac{1}{2}\partial_\nu Z_\mu^0 \partial_\nu Z_\mu^0 - \frac{1}{2c_w^2}M^2 Z_\mu^0 Z_\mu^0 - \frac{1}{2}\partial_\mu A_\nu \partial_\mu A_\nu - \frac{1}{2}\partial_\mu H \partial_\mu H - \\
& \frac{1}{2}m_h^2 H^2 - \partial_\mu \phi^+ \partial_\mu \phi^- - M^2 \phi^+ \phi^- - \frac{1}{2}\partial_\mu \phi^0 \partial_\mu \phi^0 - \frac{1}{2c_w^2}M\phi^0 \phi^0 - \beta_h \left[\frac{2M^2}{g^2} + \right. \\
& \left. \frac{2M}{g}H + \frac{1}{2}(H^2 + \phi^0 \phi^0 + 2\phi^+ \phi^-) \right] + \frac{2M^4}{g^2}\alpha_h - igc_w[\partial_\nu Z_\mu^0(W_\mu^+ W_\nu^- - \\
& W_\nu^+ W_\mu^-) - Z_\nu^0(W_\mu^+ \partial_\nu W_\mu^- - W_\mu^- \partial_\nu W_\mu^+) + Z_\mu^0(W_\nu^+ \partial_\nu W_\mu^- - \\
& W_\nu^- \partial_\nu W_\mu^+)] - ig s_w[\partial_\nu A_\mu(W_\mu^+ W_\nu^- - W_\nu^+ W_\mu^-) - A_\nu(W_\mu^+ \partial_\nu W_\mu^- - \\
& W_\nu^- \partial_\nu W_\mu^+) + A_\mu(W_\nu^+ \partial_\nu W_\mu^- - W_\nu^- \partial_\nu W_\mu^+)] - \frac{1}{2}g^2 W_\mu^+ W_\mu^- W_\nu^+ W_\nu^- + \\
& \frac{1}{2}g^2 W_\mu^+ W_\nu^- W_\mu^+ W_\nu^- + g^2 c_w^2(Z_\mu^0 W_\nu^+ Z_\nu^0 W_\mu^- - Z_\mu^0 Z_\nu^0 W_\nu^+ W_\mu^-) + \\
& g^2 s_w^2(A_\mu W_\mu^+ A_\nu W_\nu^- - A_\mu A_\nu W_\mu^+ W_\nu^-) + g^2 s_w c_w[A_\mu Z_\nu^0(W_\mu^+ W_\nu^- - \\
& W_\nu^+ W_\mu^-) - 2A_\mu Z_\mu^0 W_\nu^+ W_\nu^-] - g\alpha[H^3 + H\phi^0 \phi^0 + 2H\phi^+ \phi^-] - \\
& \frac{1}{8}g^2 \alpha_h[H^4 + (\phi^0)^4 + 4(\phi^+ \phi^-)^2 + 4(\phi^0)^2 \phi^+ \phi^- + 4H^2 \phi^+ \phi^- + 2(\phi^0)^2 H^2] - \\
& gMW_\mu^+ W_\mu^- H - \frac{1}{2}g\frac{M}{c_w^2}Z_\mu^0 Z_\mu^0 H - \frac{1}{2}ig[W_\mu^+(\phi^0 \partial_\mu \phi^- - \phi^- \partial_\mu \phi^0) - \\
& W_\mu^-(\phi^0 \partial_\mu \phi^+ - \phi^+ \partial_\mu \phi^0)] + \frac{1}{2}g[W_\mu^+(H \partial_\mu \phi^- - \phi^- \partial_\mu H) - W_\mu^-(H \partial_\mu \phi^+ - \\
& \phi^+ \partial_\mu H)] + \frac{1}{2}g\frac{1}{c_w}(Z_\mu^0(H \partial_\mu \phi^0 - \phi^0 \partial_\mu H) - ig\frac{s_w^2}{c_w}M Z_\mu^0(W_\mu^+ \phi^- - W_\mu^- \phi^+) + \\
& ig s_w M A_\mu(W_\mu^+ \phi^- - W_\mu^- \phi^+) - ig\frac{1-2c_w^2}{2c_w}Z_\mu^0(\phi^+ \partial_\mu \phi^- - \phi^- \partial_\mu \phi^+) + \\
& ig s_w A_\mu(\phi^+ \partial_\mu \phi^- - \phi^- \partial_\mu \phi^+) - \frac{1}{4}g^2 W_\mu^+ W_\mu^- [H^2 + (\phi^0)^2 + 2\phi^+ \phi^-] - \\
& \frac{1}{4}g^2 \frac{1}{c_w^2}Z_\mu^0 Z_\mu^0 [H^2 + (\phi^0)^2 + 2(2s_w^2 - 1)^2 \phi^+ \phi^-] - \frac{1}{2}g^2 \frac{s_w^2}{c_w}Z_\mu^0 \phi^0 (W_\mu^+ \phi^- + \\
& W_\mu^- \phi^+) - \frac{1}{2}ig^2 \frac{s_w^2}{c_w}Z_\mu^0 H (W_\mu^+ \phi^- - W_\mu^- \phi^+) + \frac{1}{2}g^2 s_w A_\mu \phi^0 (W_\mu^+ \phi^- + \\
& W_\mu^- \phi^+) + \frac{1}{2}ig^2 s_w A_\mu H (W_\mu^+ \phi^- - W_\mu^- \phi^+) - g^2 \frac{s_w}{c_w}(2c_w^2 - 1)Z_\mu^0 A_\mu \phi^+ \phi^- - \\
& g^1 s_w^2 A_\mu A_\mu \phi^+ \phi^- - \bar{e}^\lambda (\gamma \partial + m_e^\lambda) e^\lambda - \bar{\nu}^\lambda \gamma \partial \nu^\lambda - \bar{u}_j^\lambda (\gamma \partial + m_u^\lambda) u_j^\lambda - \\
& \bar{d}_j^\lambda (\gamma \partial + m_d^\lambda) d_j^\lambda + ig s_w A_\mu [-(\bar{e}^\lambda \gamma^\mu e^\lambda) + \frac{2}{3}(\bar{u}_j^\lambda \gamma^\mu u_j^\lambda) - \frac{1}{3}(\bar{d}_j^\lambda \gamma^\mu d_j^\lambda)] + \\
& \frac{ig}{4c_w}Z_\mu^0[(\bar{\nu}^\lambda \gamma^\mu (1 + \gamma^5) \nu^\lambda) + (\bar{e}^\lambda \gamma^\mu (4s_w^2 - 1 - \gamma^5) e^\lambda) + (\bar{u}_j^\lambda \gamma^\mu (\frac{4}{3}s_w^2 - \\
& 1 - \gamma^5) u_j^\lambda) + (\bar{d}_j^\lambda \gamma^\mu (1 - \frac{8}{3}s_w^2 - \gamma^5) d_j^\lambda)] + \frac{ig}{2\sqrt{2}}W_\mu^+[(\bar{\nu}^\lambda \gamma^\mu (1 + \gamma^5) \nu^\lambda) + \\
& (\bar{u}_j^\lambda \gamma^\mu (1 + \gamma^5) C_{\lambda\kappa} d_j^\kappa)] + \frac{ig}{2\sqrt{2}}W_\mu^-[(\bar{e}^\lambda \gamma^\mu (1 + \gamma^5) e^\lambda) + (\bar{d}_j^\kappa C_{\lambda\kappa}^\dagger \gamma^\mu (1 + \\
& \gamma^5) u_j^\lambda)] + \frac{ig}{2\sqrt{2}}\frac{m_h^2}{M}[-\phi^+ (\bar{\nu}^\lambda (1 - \gamma^5) e^\lambda) + \phi^- (\bar{e}^\lambda (1 + \gamma^5) \nu^\lambda)] - \\
& \frac{g}{2}\frac{m_h^2}{M}[H(\bar{e}^\lambda e^\lambda) + i\phi^0(\bar{e}^\lambda \gamma^5 e^\lambda)] + \frac{ig}{2M\sqrt{2}}\phi^+[-m_d^\kappa(\bar{u}_j^\lambda C_{\lambda\kappa}(1 - \gamma^5) d_j^\kappa) + \\
& m_u^\lambda(\bar{u}_j^\lambda C_{\lambda\kappa}(1 + \gamma^5) d_j^\kappa) + \frac{ig}{2M\sqrt{2}}\phi^-[m_d^\lambda(\bar{d}_j^\lambda C_{\lambda\kappa}^\dagger(1 + \gamma^5) u_j^\kappa) - m_u^\kappa(\bar{d}_j^\lambda C_{\lambda\kappa}^\dagger(1 - \\
& \gamma^5) u_j^\kappa) - \frac{g}{2}\frac{m_h^2}{M}(\bar{u}_j^\lambda u_j^\lambda) - \frac{g}{2}\frac{m_h^2}{M}H(\bar{d}_j^\lambda d_j^\lambda) + \frac{ig}{2}\frac{m_h^2}{M}\phi^0(\bar{u}_j^\lambda \gamma^5 u_j^\lambda) - \\
& \frac{ig}{2}\frac{m_h^2}{M}\phi^0(\bar{d}_j^\lambda \gamma^5 d_j^\lambda) + \bar{X}^+(\partial^2 - M^2)X^+ + \bar{X}^-(\partial^2 - M^2)X^- + \bar{X}^0(\partial^2 - \\
& \frac{M^2}{c_w^2})X^0 + \bar{Y}\partial^2 Y + igc_w W_\mu^+(\partial_\mu \bar{X}^0 X^- - \partial_\mu \bar{X}^+ X^0) + ig s_w W_\mu^+(\partial_\mu \bar{Y} X^- - \\
& \partial_\mu \bar{X}^+ Y) + igc_w W_\mu^-(\partial_\mu \bar{X}^- X^0 - \partial_\mu \bar{X}^0 X^+) + ig s_w W_\mu^-(\partial_\mu \bar{X}^- Y - \\
& \partial_\mu \bar{Y} X^+) + igc_w Z_\mu^0(\partial_\mu \bar{X}^+ X^+ - \partial_\mu \bar{X}^- X^-) + ig s_w A_\mu(\partial_\mu \bar{X}^+ X^+ - \\
& \partial_\mu \bar{X}^- X^-) - \frac{1}{2}gM[\bar{X}^+ X^+ H + \bar{X}^- X^- H + \frac{1}{c_w^2}\bar{X}^0 X^0 H] + \\
& \frac{1-2c_w^2}{2c_w}igM[\bar{X}^+ X^0 \phi^+ - \bar{X}^- X^0 \phi^-] + \frac{1}{2c_w}igM[\bar{X}^0 X^- \phi^+ - \bar{X}^0 X^+ \phi^-] + \\
& igM s_w[\bar{X}^0 X^- \phi^+ - \bar{X}^0 X^+ \phi^-] + \frac{1}{2}igM[\bar{X}^+ X^+ \phi^0 - \bar{X}^- X^- \phi^0]
\end{aligned}$$



$$\begin{aligned}
& i_\mu H (W_\mu^+ \phi^- - W_\mu^- \phi^+) - \\
& - \bar{e}^\lambda (\gamma \partial + m_e^\lambda) e^\lambda - \bar{\nu}^\lambda \\
& + ig s_w A_\mu [-(\bar{e}^\lambda \gamma^\mu e^\lambda) + \\
& (\bar{\nu}^\lambda \gamma^\mu (1 + \gamma^5) \nu^\lambda) + (\bar{e}^\lambda \gamma^\mu (4s_w^2 - \\
& \mu (1 - \frac{8}{3}s_w^2 - \gamma^5) d_j^\lambda)] +
\end{aligned}$$

- Mercifully, there is a recipe for writing down that Lagrangian.
- Write down all terms that are:
- **1) Consistent with the symmetries of nature**

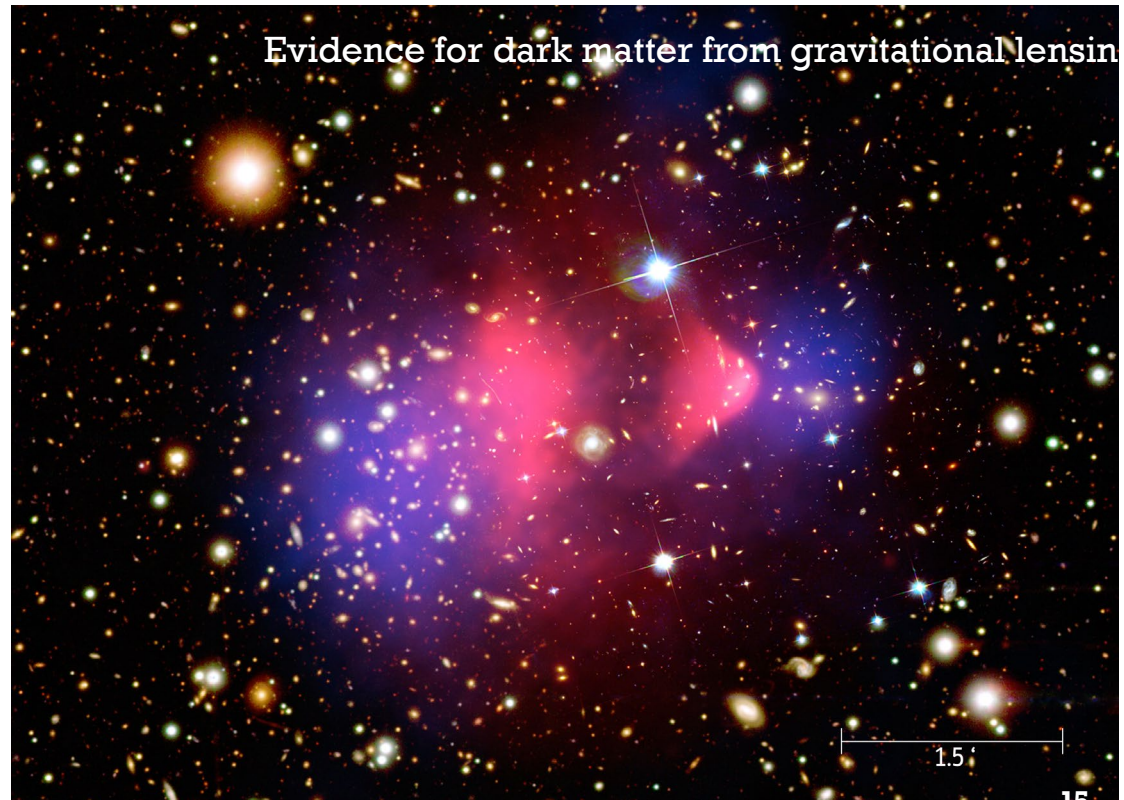
Gauge invariance:
 $SU(3) \times SU(2)_L \times U(1)_Y$
 + Lorentz invariance

- **2) Renormalizable**

All appear in nature, except 1 mystery absentee (strong CPV).

IS THERE MORE?

- We've never seen a particle interaction not predicted by the SM. But we suspect there is new physics out there...
 - Dark matter
 - Hierarchy problem
 - Gauge unification
 - Etc...
- Lots of ideas:
 - SUSY
 - Extra dimensions
 - String theory
 - Lorentz violation
 - [your favorite theory]



- We believe that whatever the new physics is, it kicks in at high energies (that's why we build accelerators).
- Technically we say the SM is likely a “low energy effective theory”.

At high energies:

COMPLETE THEORY, VALID AT ALL ENERGIES

At low energies:

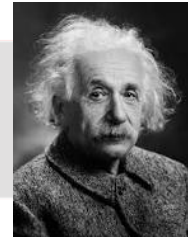


$$SU(3) \times SU(2)_L \times U(1)_Y$$

- As a point of reference, here is another low energy effective theory:

At high energies:

$$E = \sqrt{p^2 + m^2}$$



At low energies:



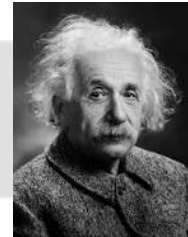
$$E \sim m + p^2 / 2m$$



- As a point of reference, here is another low energy effective theory:

At high energies:

$$E = \sqrt{p^2 + m^2}$$



At low energies:



$$E \sim m + p^2/2m + p^4/8m^3 + \dots$$




↑
“dimension-4 correction”


And, we can test the high energy theory by confirming these corrections.

If SM is a low energy effective theory:

$$L = L_{SM} + \frac{1}{E_{new}} L_1 + \frac{1}{E_{new}^2} L_2 + \dots$$


Standard model


Dimension-5 terms


Dimension-6 terms


Etc...

$E_{new} > 10 \text{ TeV}$
 $E_{new} \sim 10^{13} \text{ TeV}$
scale)

Seems likely (LHC)
Maybe? (GUT

If SM is a low energy effective theory:

$$L = L_{SM} + \frac{1}{E_{new}} L_1 + \frac{1}{E_{new}^2} L_2 + \dots$$

- The only dimension-5 operator one can add obeying SM gauge symmetry:

$$\frac{L_1}{E_{new}} = y_{ij} \frac{\nu^i H \nu^j H}{E_{new}}$$

Weinberg 1979.

- This term does an important thing - it makes neutrinos Majorana particles, with mass suppressed by the new physics scale.
- And it makes the theory non-renormalizable – implying there must be something else at high scale.

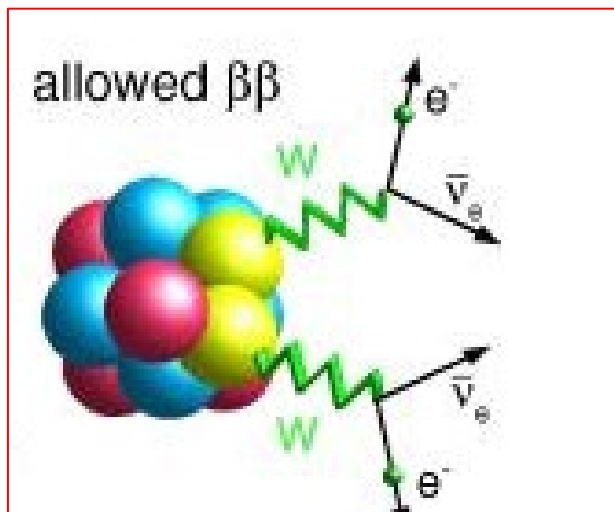
DOUBLE-BETA DECAY

A rare radioactive process, energetically allowed for some even-even nuclei where $m_{Z+1} > m_Z > m_{Z+2}$

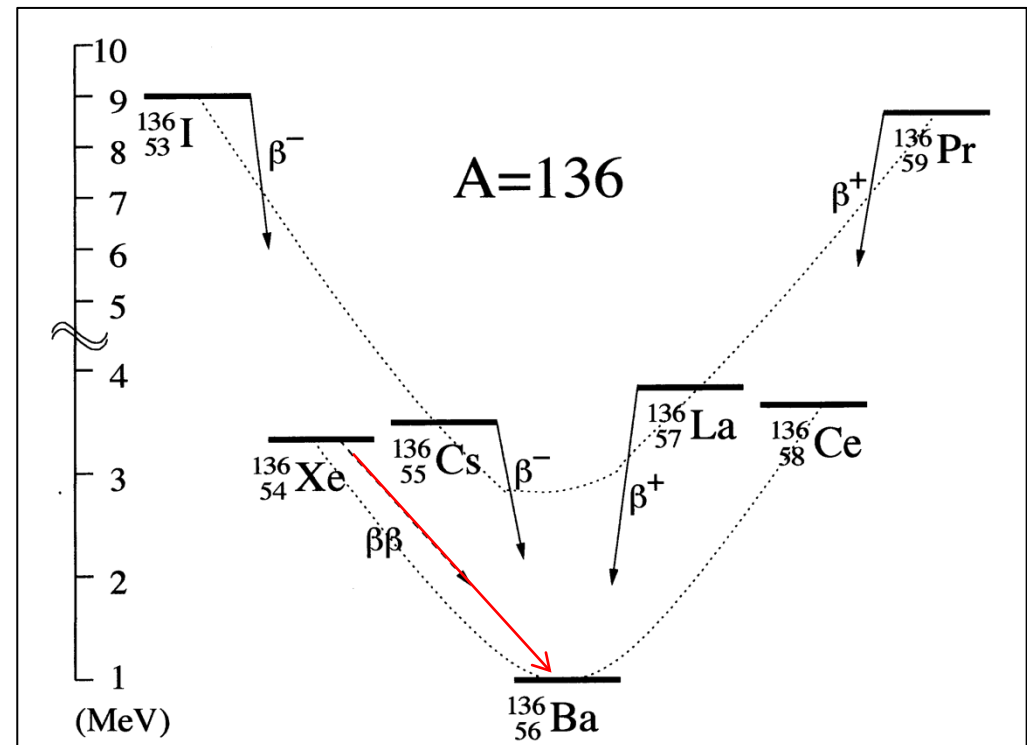


Maria Goeppert Mayer

$$(Z, A) \rightarrow (Z+2, A) + e^-_1 + \bar{\nu}_1 + e^-_2 + \bar{\nu}_2$$



(NB: this decay mode has nothing to do with Majorana neutrinos, but we'll get back to them soon)



Direct Evidence for Two-Neutrino Double-Beta Decay in ^{82}Se

S. R. Elliott, A. A. Hahn, and M. K. Moe

Department of Physics, University of California, Irvine, Irvine, California 92717

(Received 31 August 1987)

The two-neutrino mode of double-beta decay in ^{82}Se has been observed in a time-projection chamber at a half-life of $(1.1 \pm 0.3) \times 10^{20}$ yr (68% confidence level). This result from direct counting confirms the earlier geochemical measurements and helps provide a standard by which to test the double-beta-decay matrix elements of nuclear theory. It is the rarest natural decay process ever observed directly in the laboratory.

PACS numbers: 23.40.Bw

Discovery of double beta decay

**Observed in ^{82}Se , 52 years after
prediction.**

Half-life is $\sim 10^{13}$ times age of Universe.

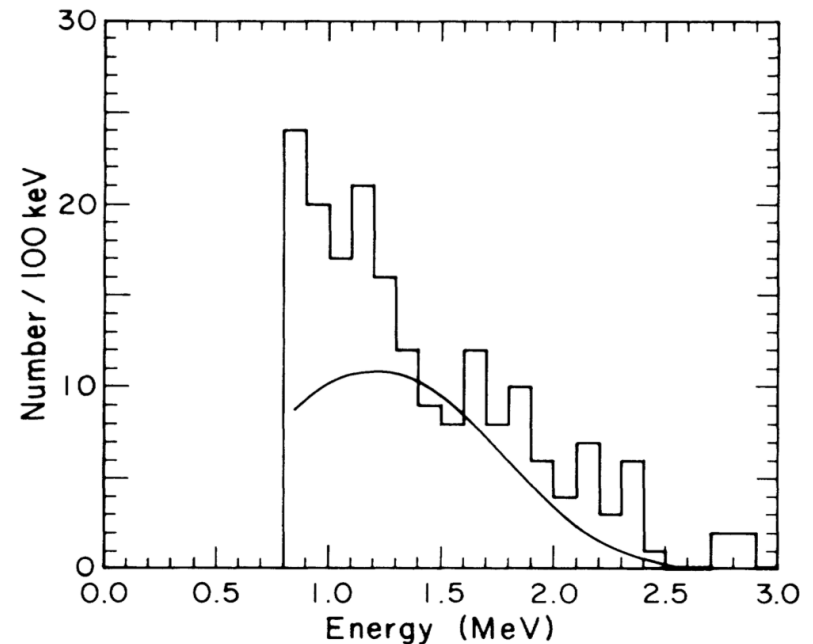
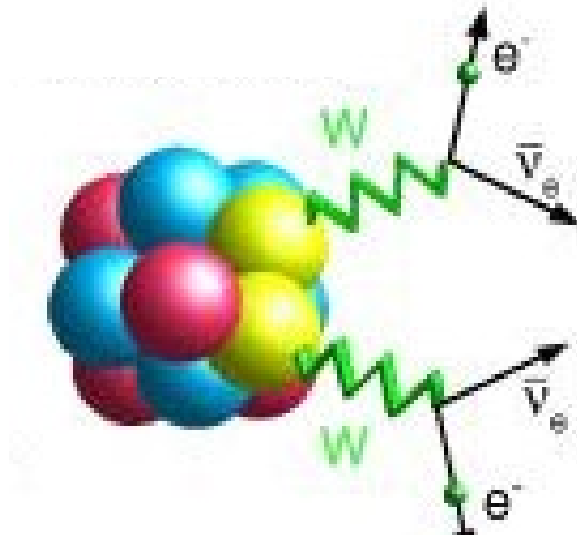
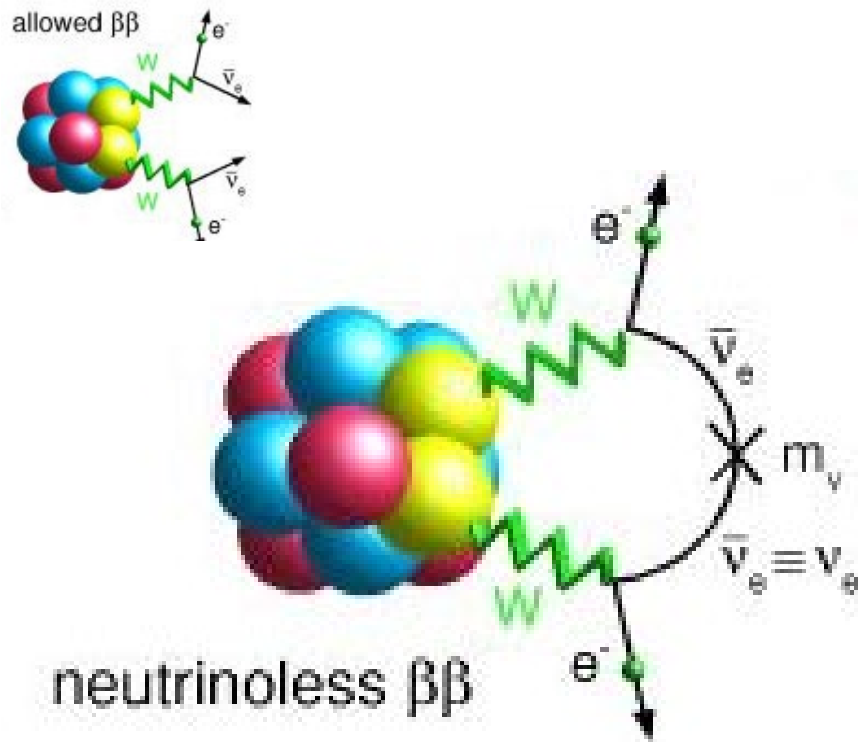


FIG. 1. The observed sum-energy spectrum of two-electron events. A threshold of 800 keV was imposed on the sum energy of the events, and a threshold of 150 keV was imposed on the single energy. The curve is the theoretical $\beta\beta(2\nu)$ sum-energy spectrum normalized to 1.1×10^{20} yr.

DOUBLE BETA WITH NO NEUTRINOS?

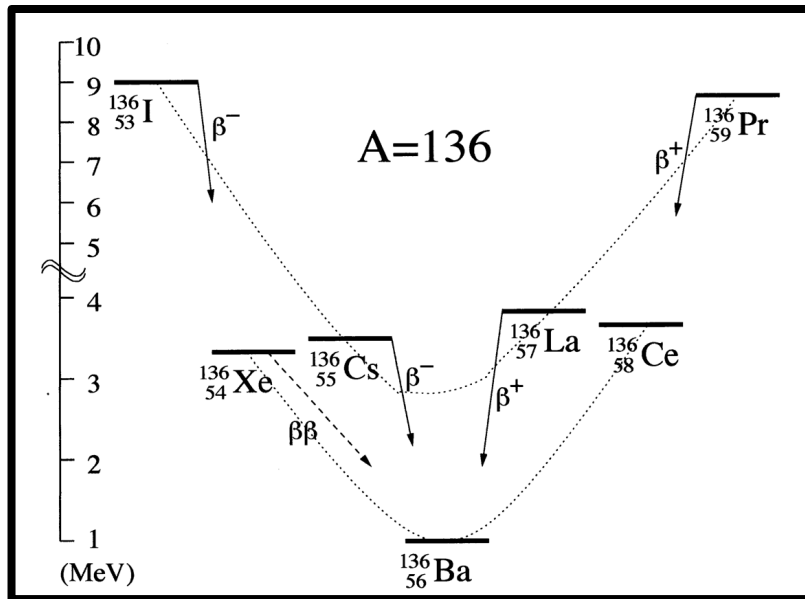


- This can only happen if the neutrino is its own antiparticle.
- Observation of double beta decay with no neutrinos would prove the neutrino to be a Majorana fermion.

**How fast will this decay go?
Lets find out!**

[illegible]

DOUBLE BETA ISOTOPES



- Larger $G \rightarrow$ higher rate
- Helps if Q is above most background γ rays
- Abundance, cost, and ease of enrichment are also factors influencing isotope choice.

ES

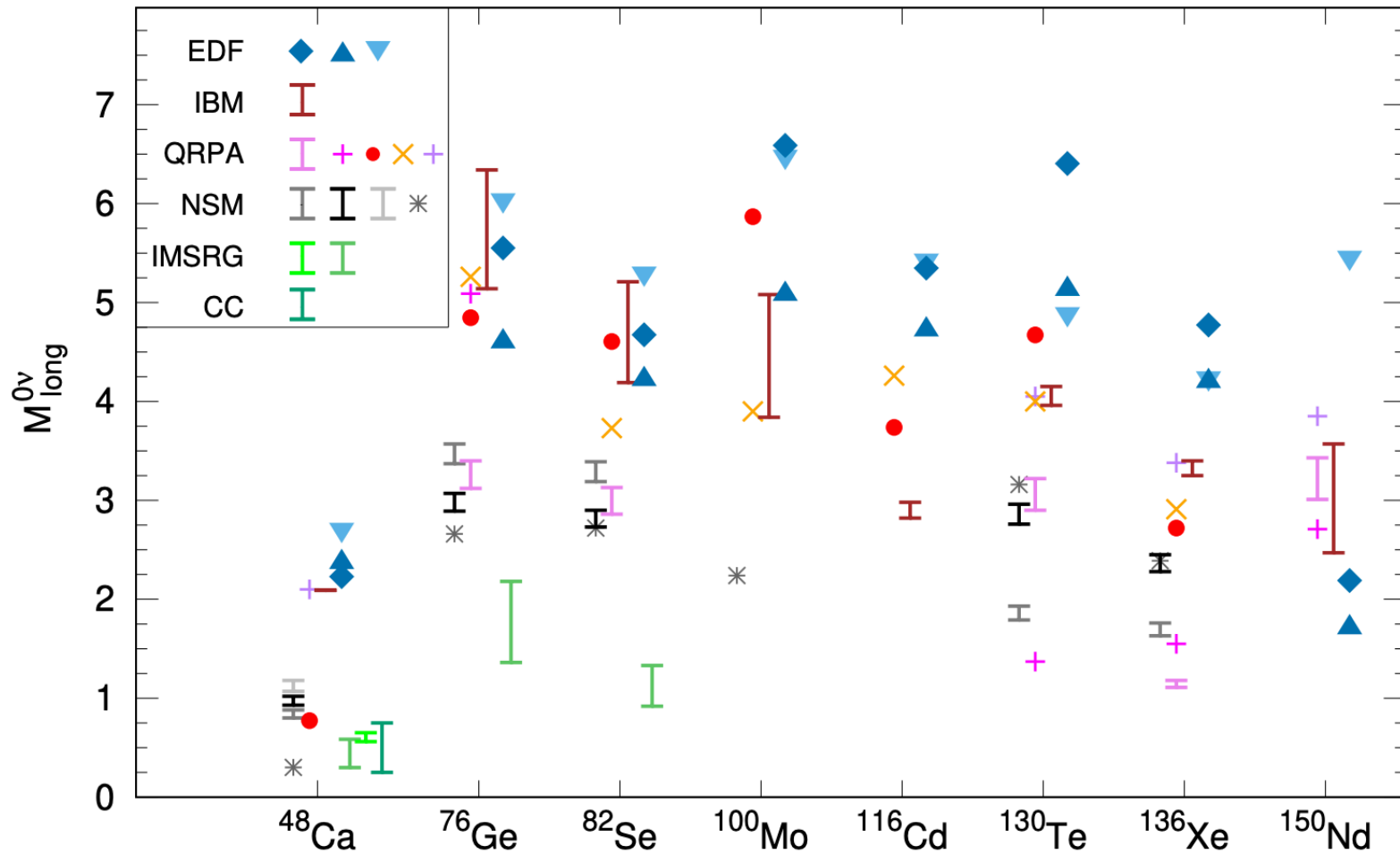
Natural abundance

Energy of peak

Phase space factor

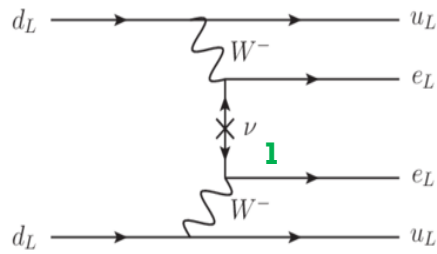
Isotope	$G^{0\nu}$ (10^{-14} y^{-1})	$Q_{\beta\beta}$ (keV)	Nat. ab. (%)
^{48}Ca	6.35	4273.7	0.187
^{76}Ge	0.623	2039.1	7.8
^{82}Se	2.70	2995.5	9.2
^{96}Zr	5.63	3347.7	2.8
^{100}Mo	4.36	3035.0	9.6
^{110}Pd	1.40	2004.0	11.8
^{116}Cd	4.62	2809.1	7.6
^{124}Sn	2.55	2287.7	5.6
^{130}Te	4.09	2530.3	34.5
^{136}Xe	4.31	2461.9	8.9
^{150}Nd	19.2	3367.3	5.6

NUCLEAR MATRIX ELEMENTS

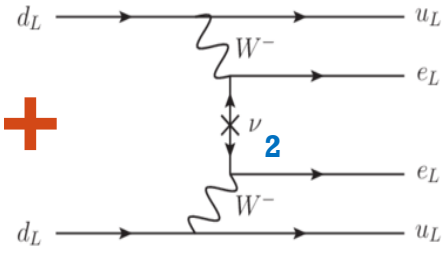


Agostini, Benato, Detwiler, JM, Vissani, Rev. Mod. Phys. 95, 025002 (2023)

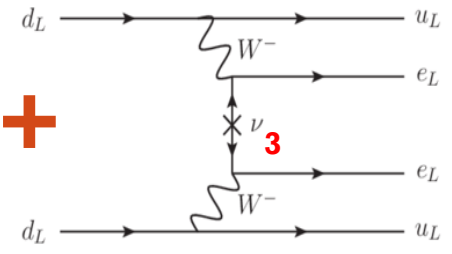
$\Gamma \alpha$



+

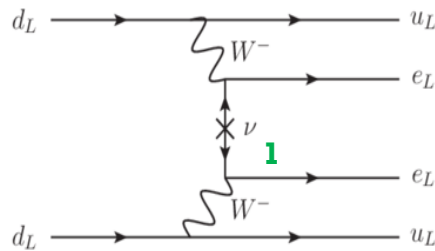


+

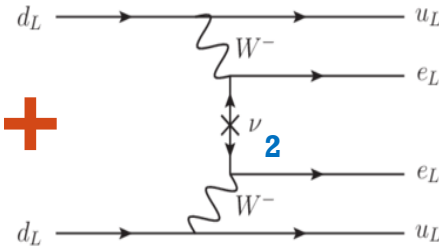


2

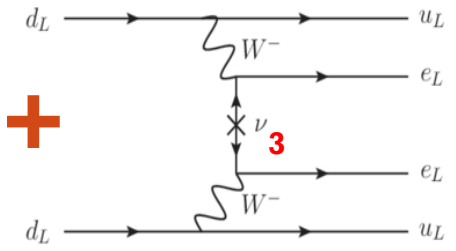
$\Gamma \alpha$



+



+



2

=

$(U_{e1})^2 m_1$

+

$(U_{e2})^2 m_2$

+

$(U_{e3})^2 m_3$

2

Γ α

22

22

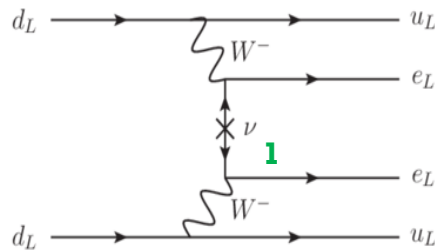
$$\Gamma_\alpha = \left| \begin{array}{c} \text{Diagram 1: } d_L \rightarrow u_L, d_L \rightarrow u_L, \text{ with } W^- \text{ exchange and } \nu \text{ (green 1)} \\ \text{Diagram 2: } d_L \rightarrow u_L, d_L \rightarrow u_L, \text{ with } W^- \text{ exchange and } \nu \text{ (blue 2)} \\ \text{Diagram 3: } d_L \rightarrow u_L, d_L \rightarrow u_L, \text{ with } W^- \text{ exchange and } \nu \text{ (red 3)} \end{array} \right|^2$$

$$= \left| (\mathbf{U}_{e1})^2 \mathbf{m}_1 + (\mathbf{U}_{e2})^2 \mathbf{m}_2 + (\mathbf{U}_{e3})^2 \mathbf{m}_3 \right|^2$$

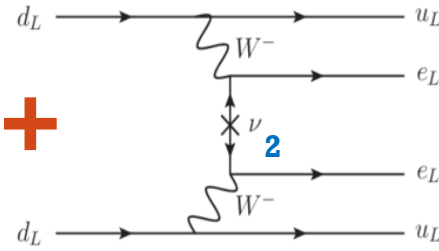
$$= \left| \mathbf{c}_{12}^2 \mathbf{c}_{13}^2 \mathbf{e}^{2i\alpha} \mathbf{m}_1 + \mathbf{c}_{12}^2 \mathbf{s}_{12}^2 \mathbf{e}^{2i\beta} \mathbf{m}_2 + \mathbf{s}_{13}^2 \mathbf{m}_3 \right|^2$$

$$= \left| \mathbf{m}_{\beta\beta} \right|^2$$

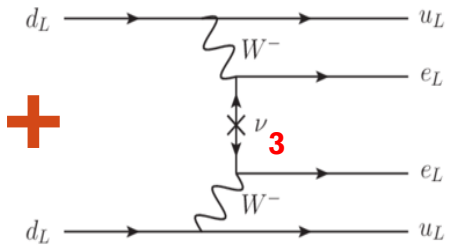
$\Gamma \alpha$



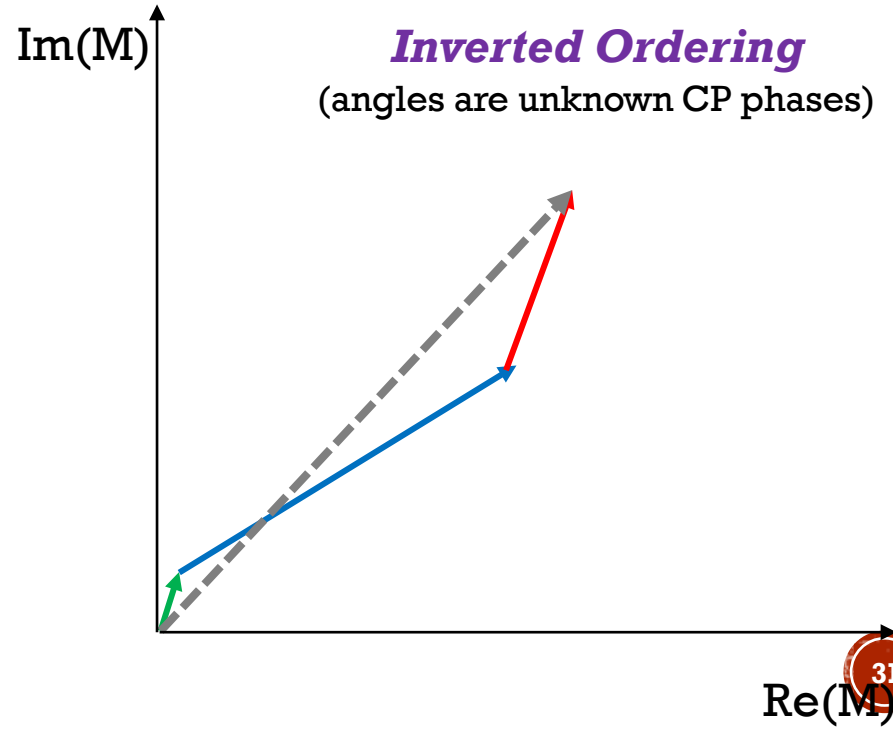
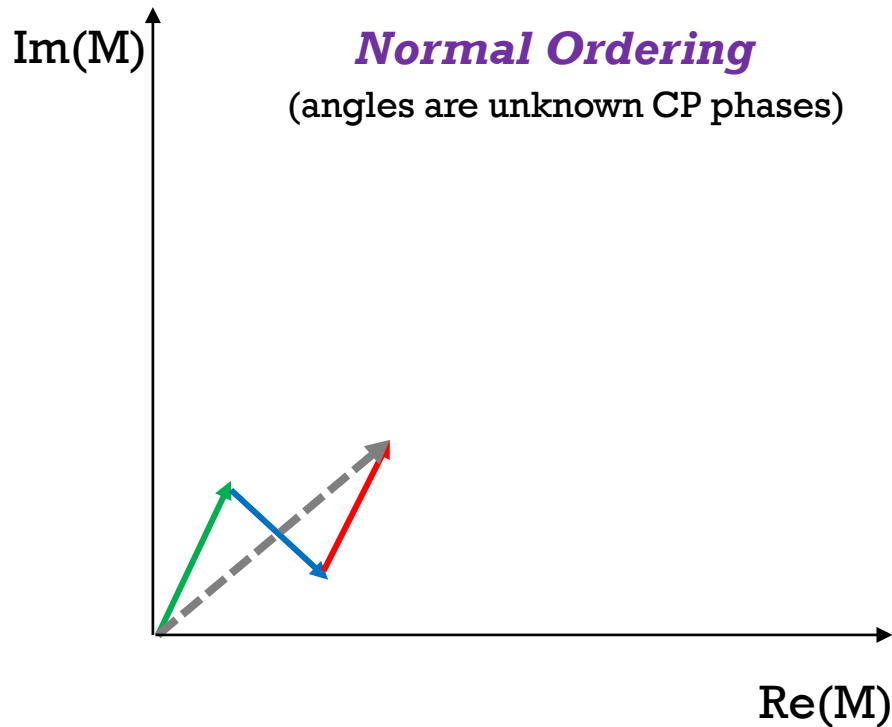
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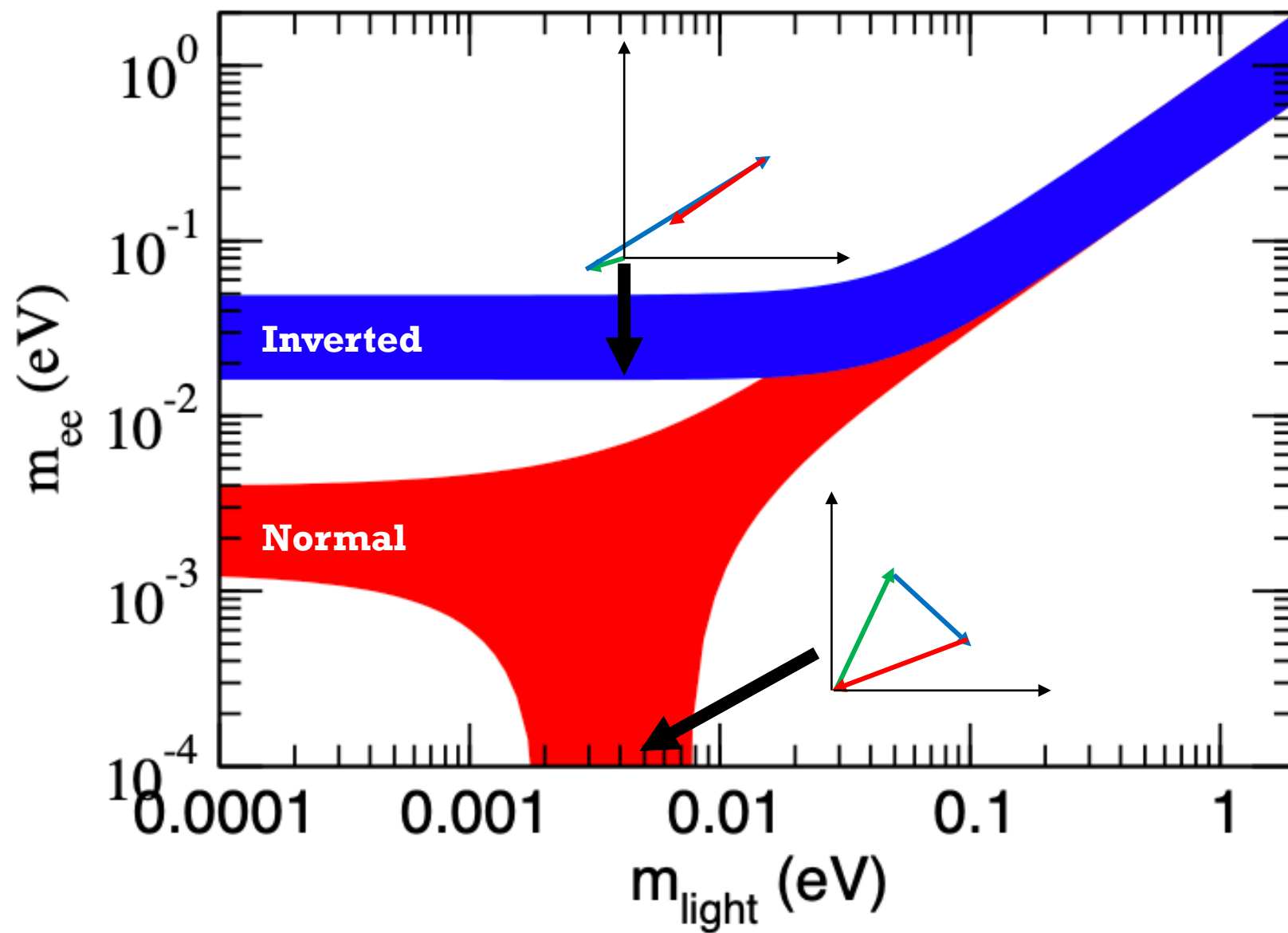


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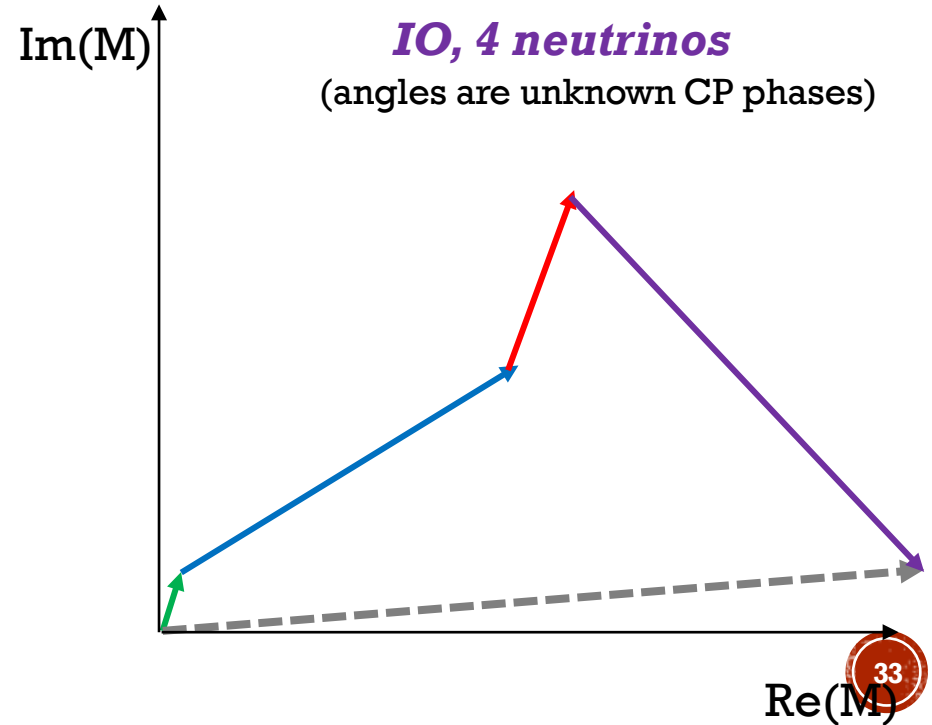
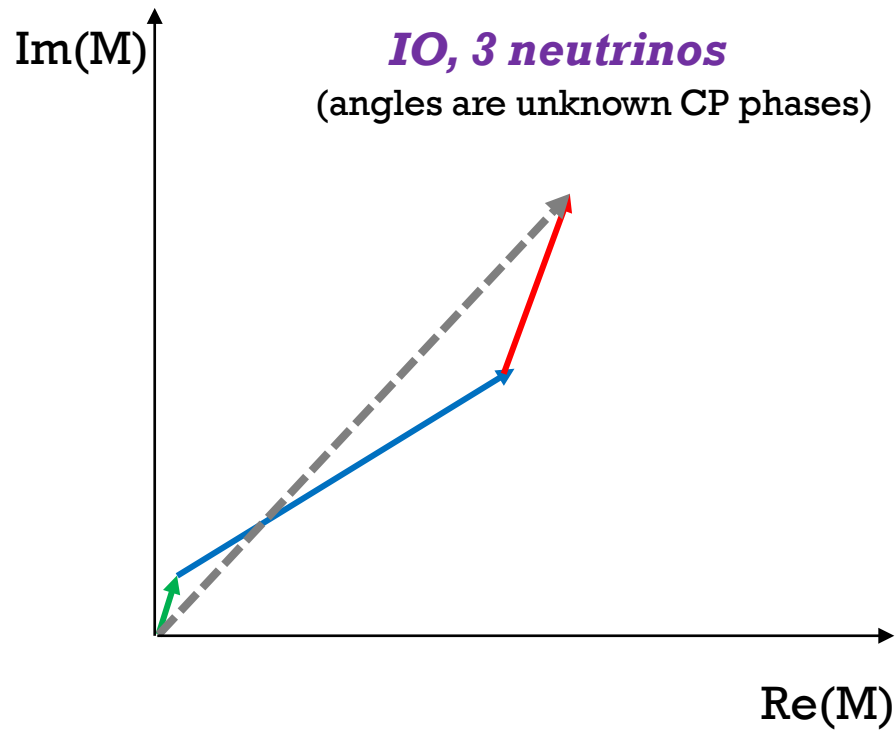
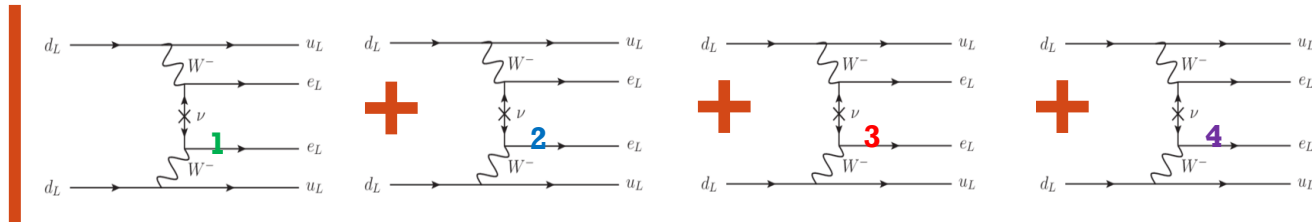
2



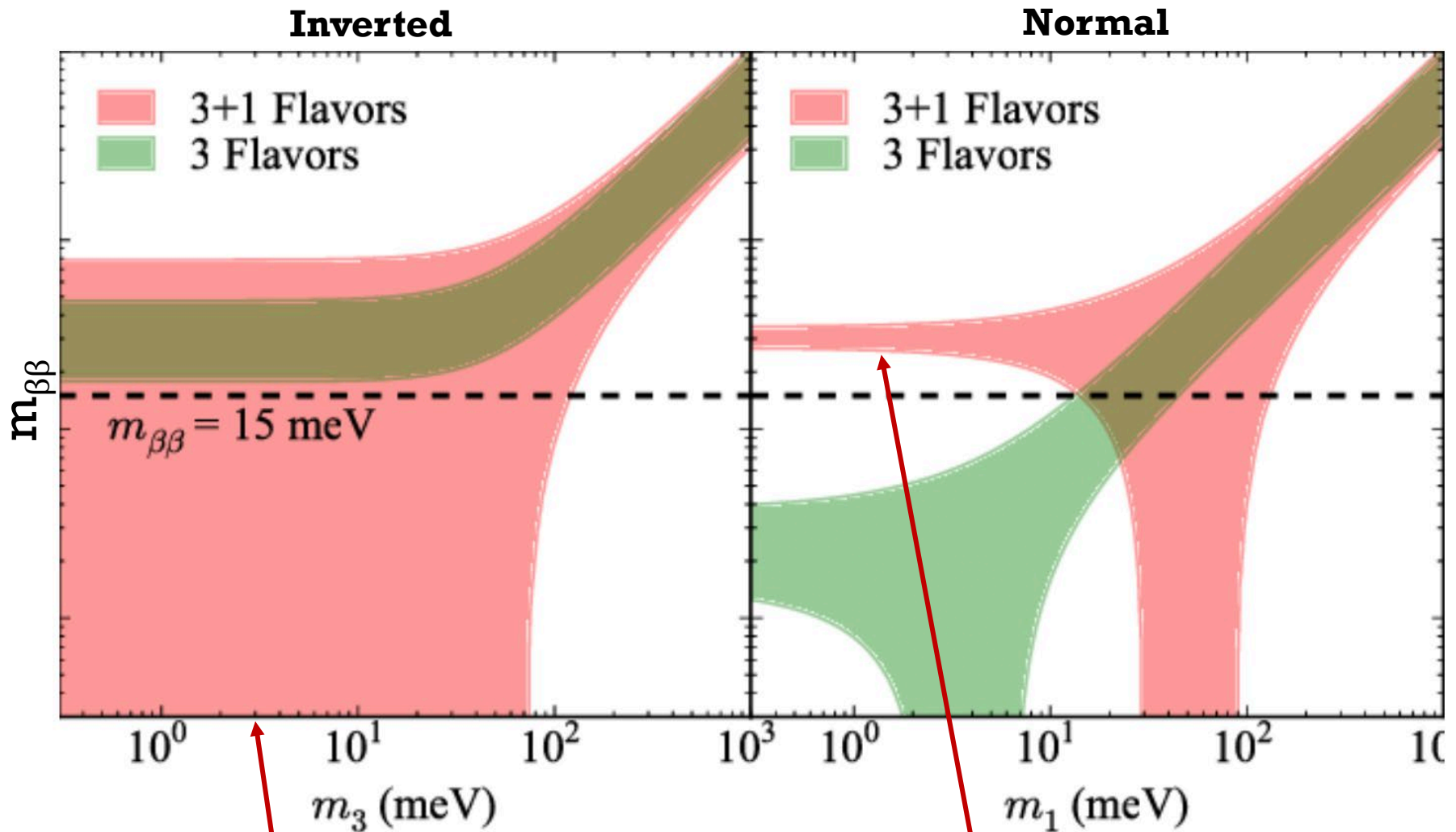


WHAT IF THERE ARE ADDITIONAL NEUTRINOS?

$\Gamma \propto$



WITH A STERILE NEUTRINO:



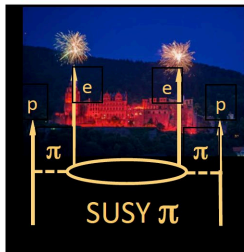
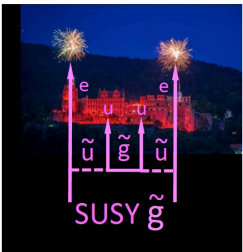
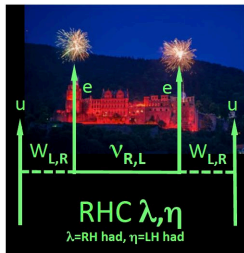
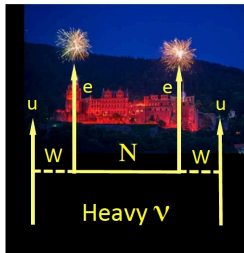
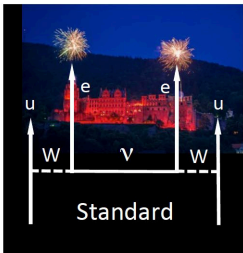
Now you can close the loop here after all

But this gets less difficult!

If SM is a low energy effective theory:

$$L = L_{SM} + \frac{1}{E_{new}} L_1 + \frac{1}{E_{new}^2} L_2 + \dots$$

Warning: don't stick to $m_{\beta\beta}$ metric, just go on with $T_{1/2}$! Variety of $0\nu\beta\beta$ mechanisms:



$0\nu\beta\beta$ from any mechanism → Majorana nature of ν would be established anyway

BSM theory with lepton number violation at high energy makes SM Wilson coefficients in the EFT expansion



You can also get it from up here

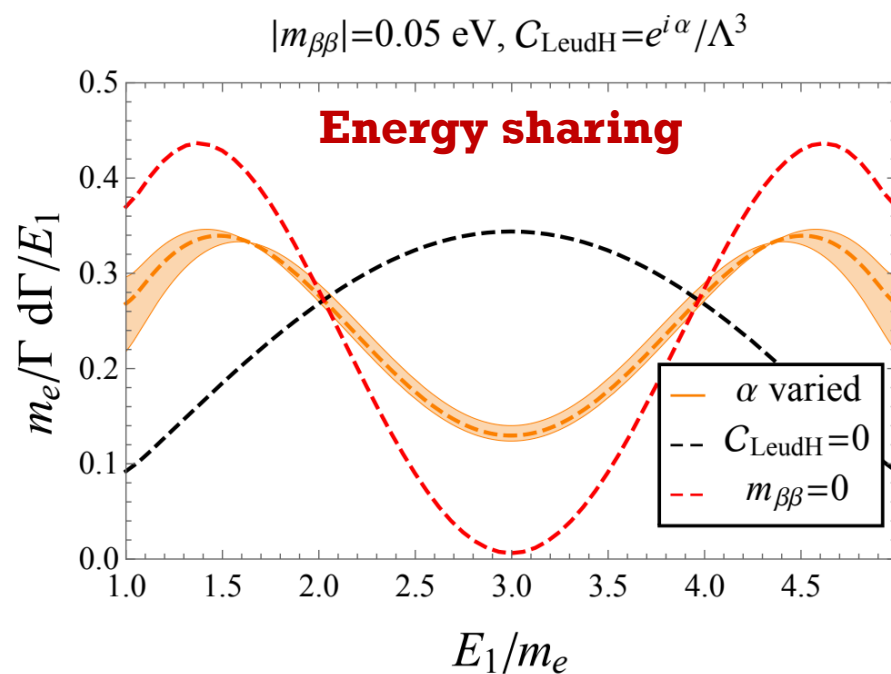
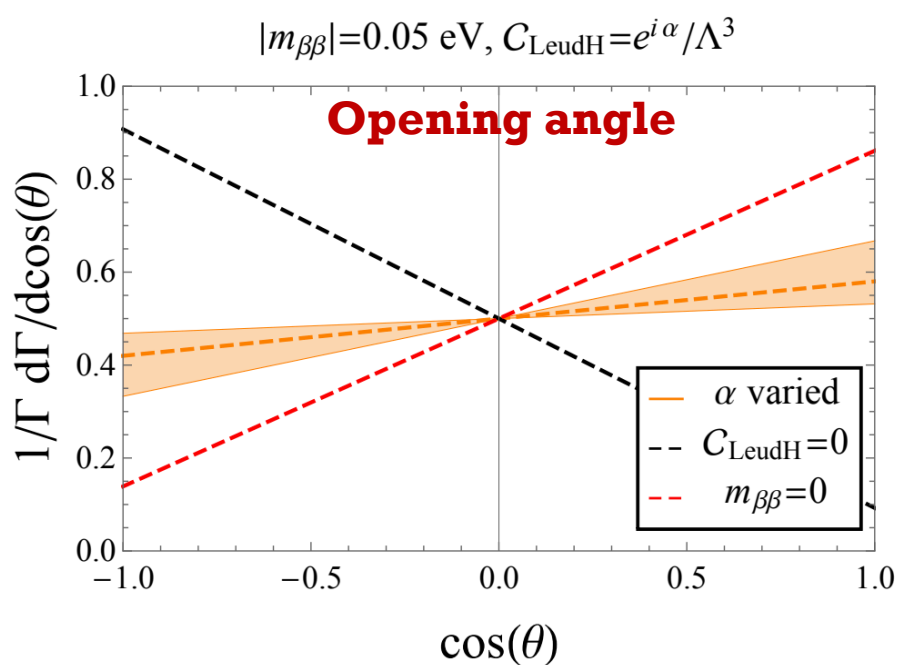
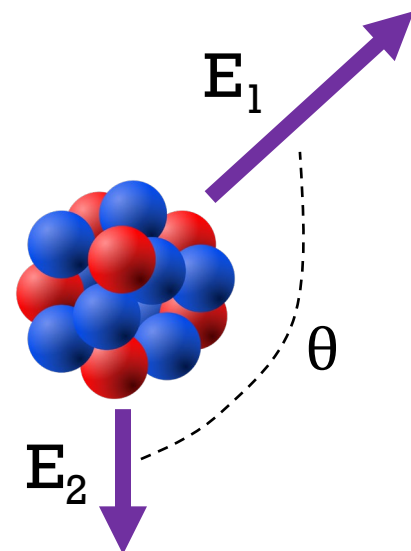
<https://arxiv.org/pdf/1708.09390.pdf>

Neutrinoless double beta decay in
chiral effective field theory:
lepton number violation at dimension seven

V. Cirigliano^a, W. Dekens^{a,b}, J. de Vries^c,
M. L. Graesser^a, and E. Mereghetti^a

So really we need to consider $0\nu\beta\beta$ as a discovery search – just hit the longest half lives possible!

- Given a high energy model, the kinematics of the final electrons can be predicted.
- If 0nubb is seen, measuring the opening angle and energy sharing could illuminate the mechanism.



CURRENT WORLD HEAVYWEIGHT CHAMPION



**WWE world
heavyweight
champion**



Seth “Freakin” Rollins

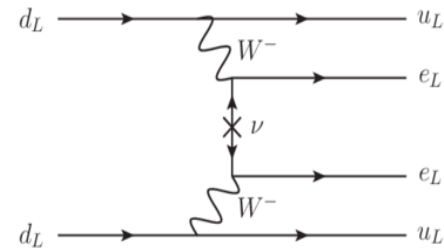
CURRENT WORLD HEAVYWEIGHT CHAMPION



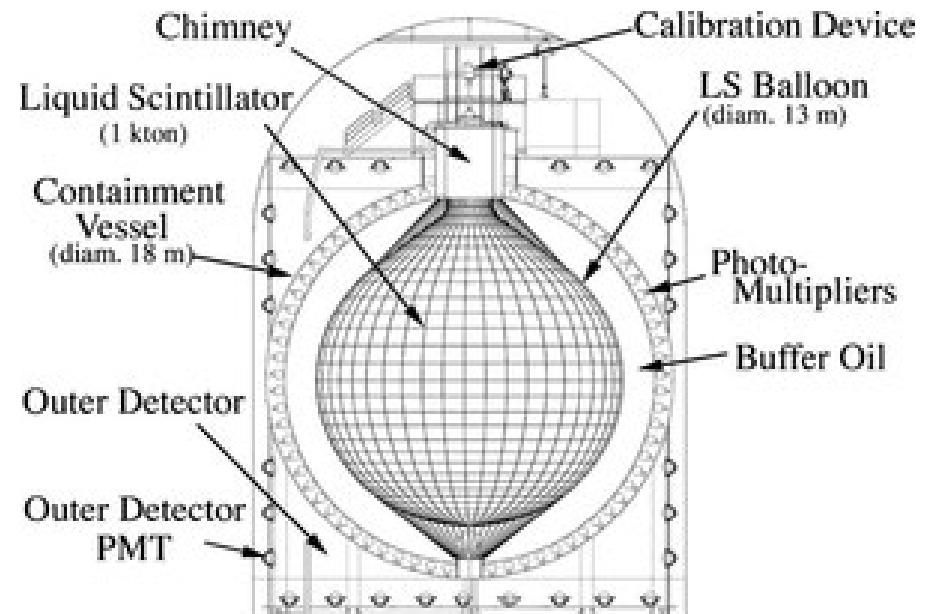
**WWE world
heavyweight
champion**



Seth "Freakin" Rollins



**0nubb world
heavyweight
champion**



Kamland "Freakin" Zen

KamLAND-Zen

Zero Neutrino Double Beta

Kamioka underground
KamLAND detector

2-type of liquid scintillator

1000-ton pure
liquid scintillator

$U, Th < 10^{-17}$ g/g

745 kg Xe-loaded
liquid scintillator
(91% enrichment)

inner balloon (IB)

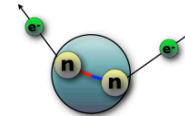
2002– KamLAND

reactor, geo, solar neutrino observation



2011– KamLAND-Zen

double beta decay measurement ($0\nu\beta\beta$ search)



2019– Xe increase, cleaner balloon

big and pure : no background from external gamma-rays
purification of LS, replacement of mini-balloon are possible

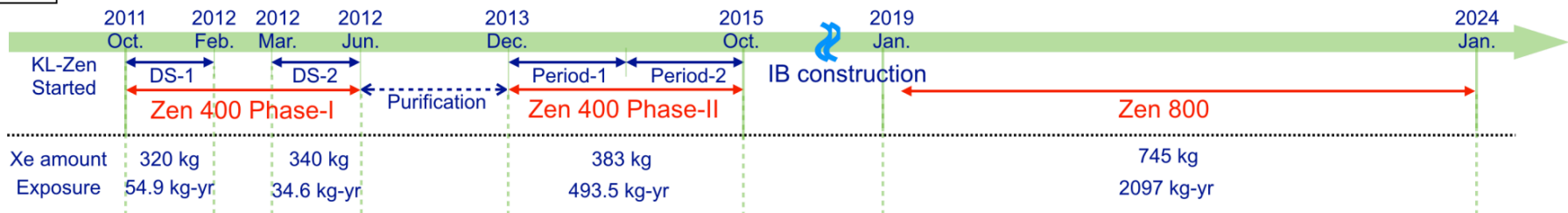
→ high scalability

Xe

320 kg 340 kg

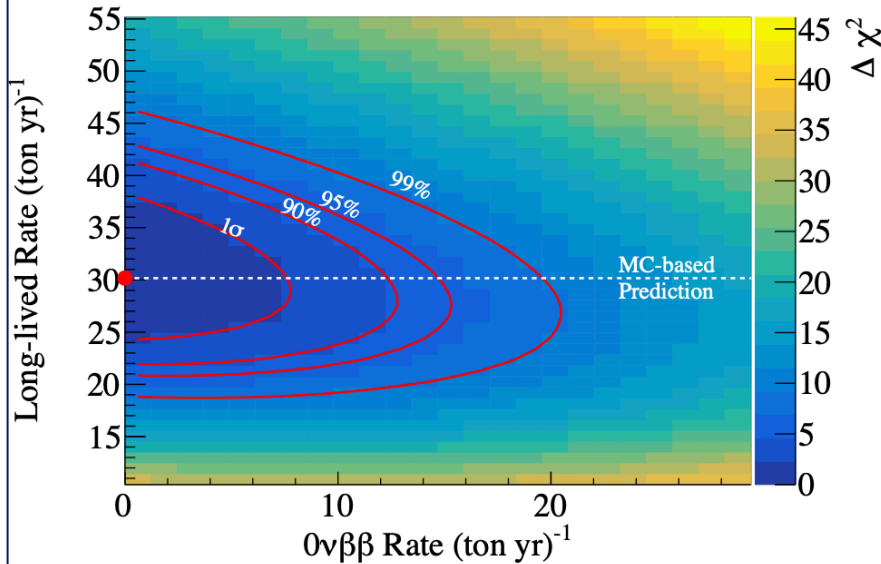
383 kg

745 kg largest ^{136}Xe !!



^{136}Xe $0\nu\beta\beta$ Decay Half-life

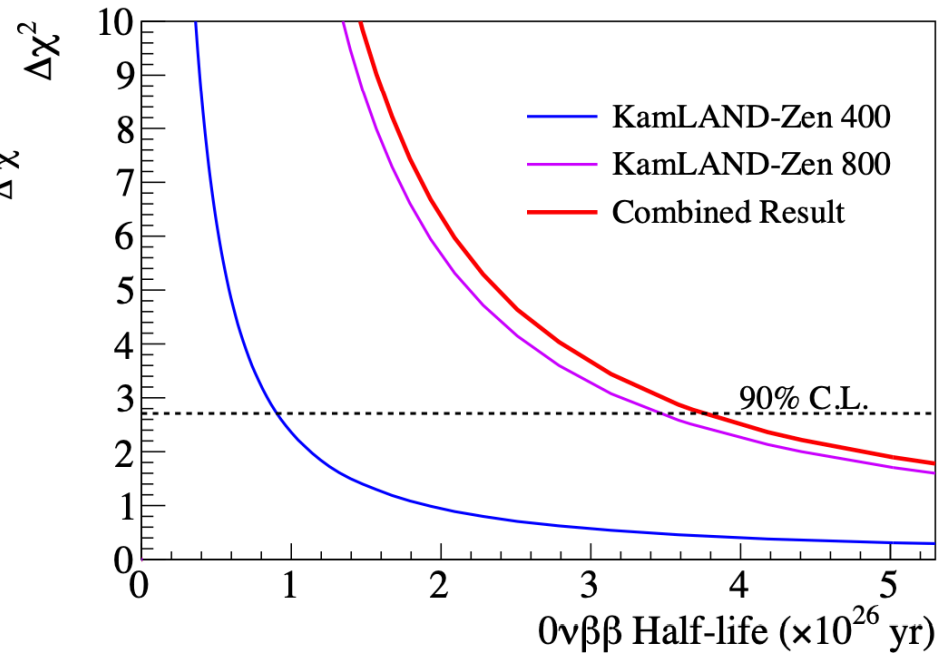
(0ν rate, Long-lived BG rate)



Long-lived BG rate in 2.35-2.70 MeV
 $= 30.2 \pm 4.5$ events/Xe-ton/yr

(MC prediction = 30.0 ± 2.2 events/Xe-ton/yr)

Long-lived BG rate was measured



Half-life limit at 90% C.L.

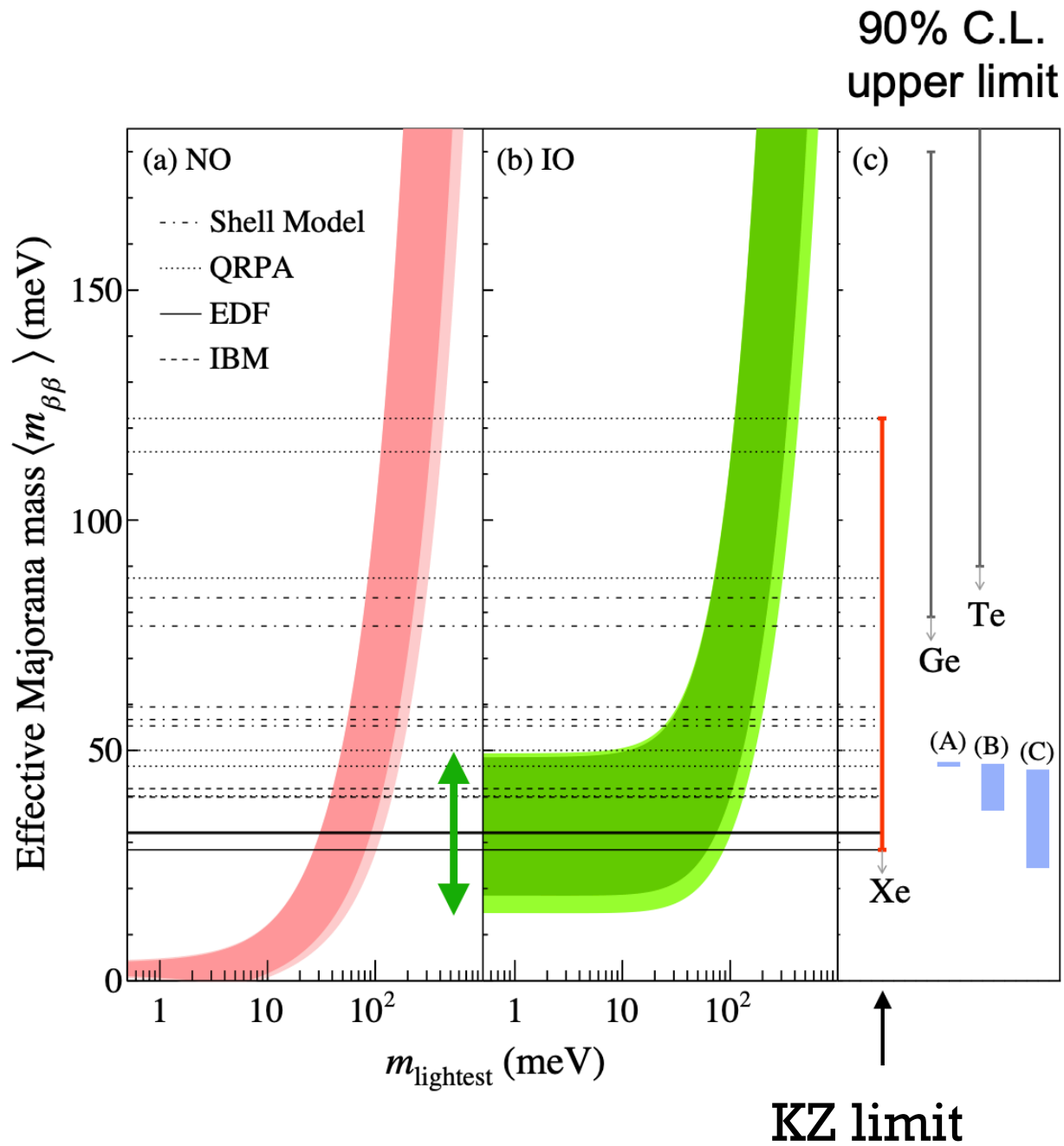
Zen 400 $T^{0\nu}_{1/2} > 0.9 \times 10^{26}$ yr

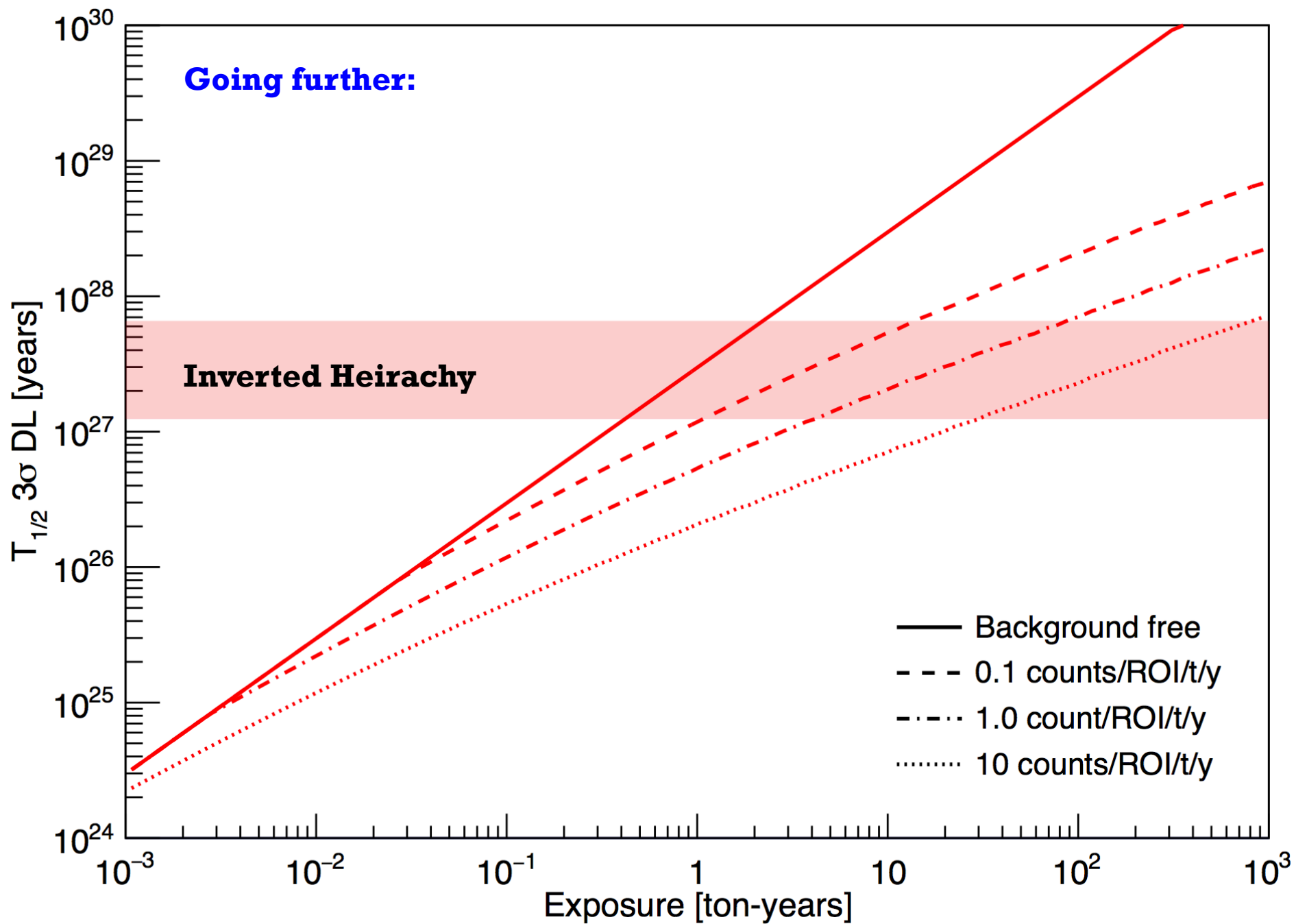
Zen 800 $T^{0\nu}_{1/2} > 3.4 \times 10^{26}$ yr

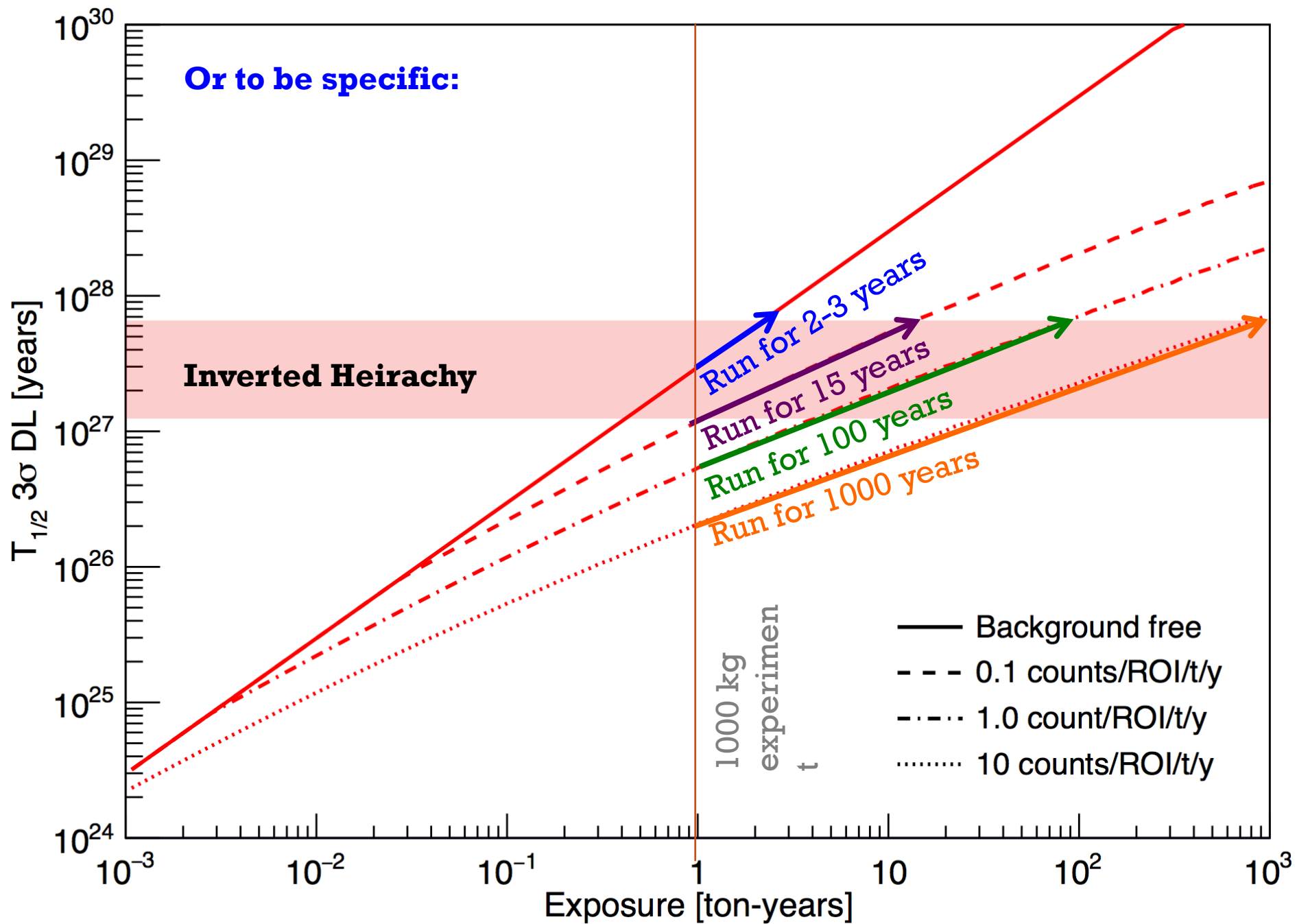
Combined $T^{0\nu}_{1/2} > 3.8 \times 10^{26}$ yr

Limits on ^{136}Xe half-life are improved (~ 1.7 times better than previous)

CURRENT LIMITS







Where are the backgrounds from?

(nb: these are pre-
Neutrino2024 numbers)

TABLE I: Summary of the estimated and best-fit background contributions for the frequentist and Bayesian analyses in the energy region $2.35 < E < 2.70$ MeV within the 1.57-m-radius spherical volume. In total, 24 events were observed.

Background	Estimated	Best-fit	
		Frequentist	Bayesian
$^{136}\text{Xe } 2\nu\beta\beta$	-	11.98	11.95
Residual radioactivity in Xe-LS			
^{238}U series	0.14 ± 0.04	0.14	0.09
^{232}Th series	-	0.84	0.87
External (Radioactivity in IB)			
^{238}U series	-	3.05	3.46
^{232}Th series	-	0.01	0.01
Neutrino interactions			
^8B solar νe^- ES	1.65 ± 0.04	1.65	1.65
Spallation products			
Long-lived	$7.75 \pm 0.57^\dagger$	12.52	11.80
^{10}C	0.00 ± 0.05	0.00	0.00
^6He	0.20 ± 0.13	0.22	0.21
^{137}Xe	0.33 ± 0.28	0.34	0.34

[†] Estimation based on the spallation MC study. This event rate constraint is not applied to the spectrum fit.

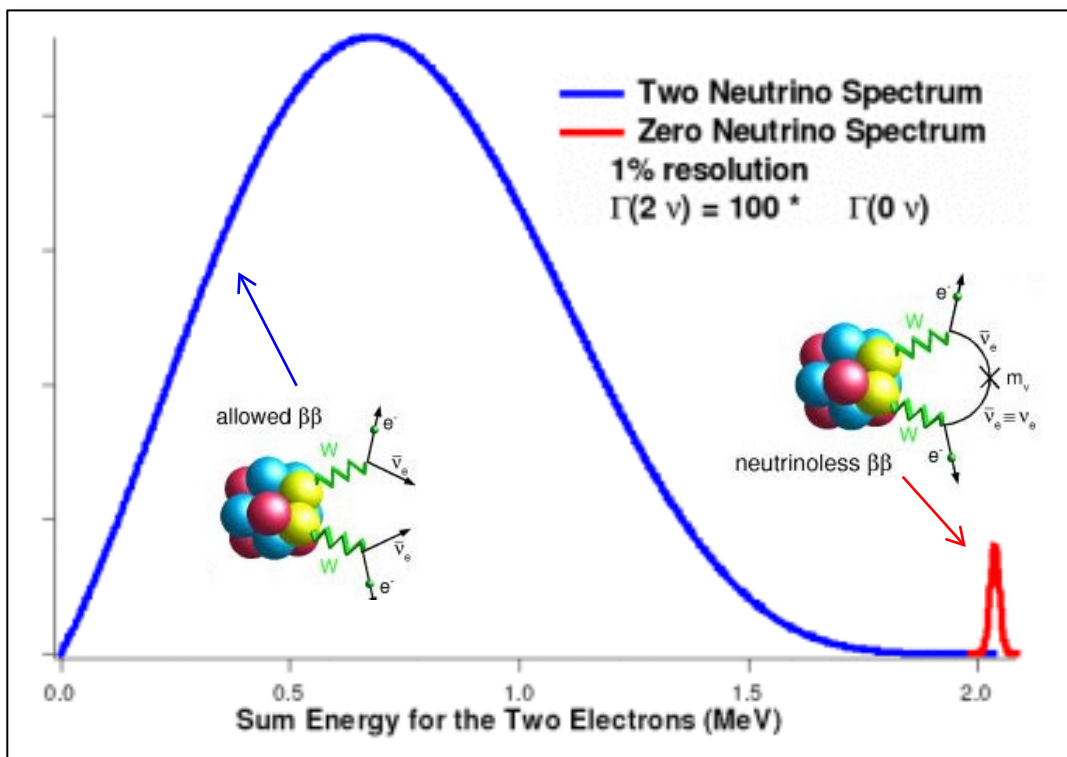
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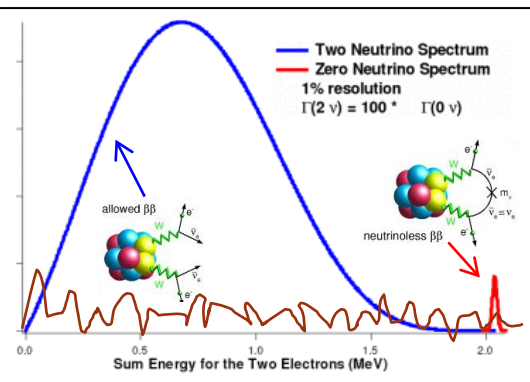
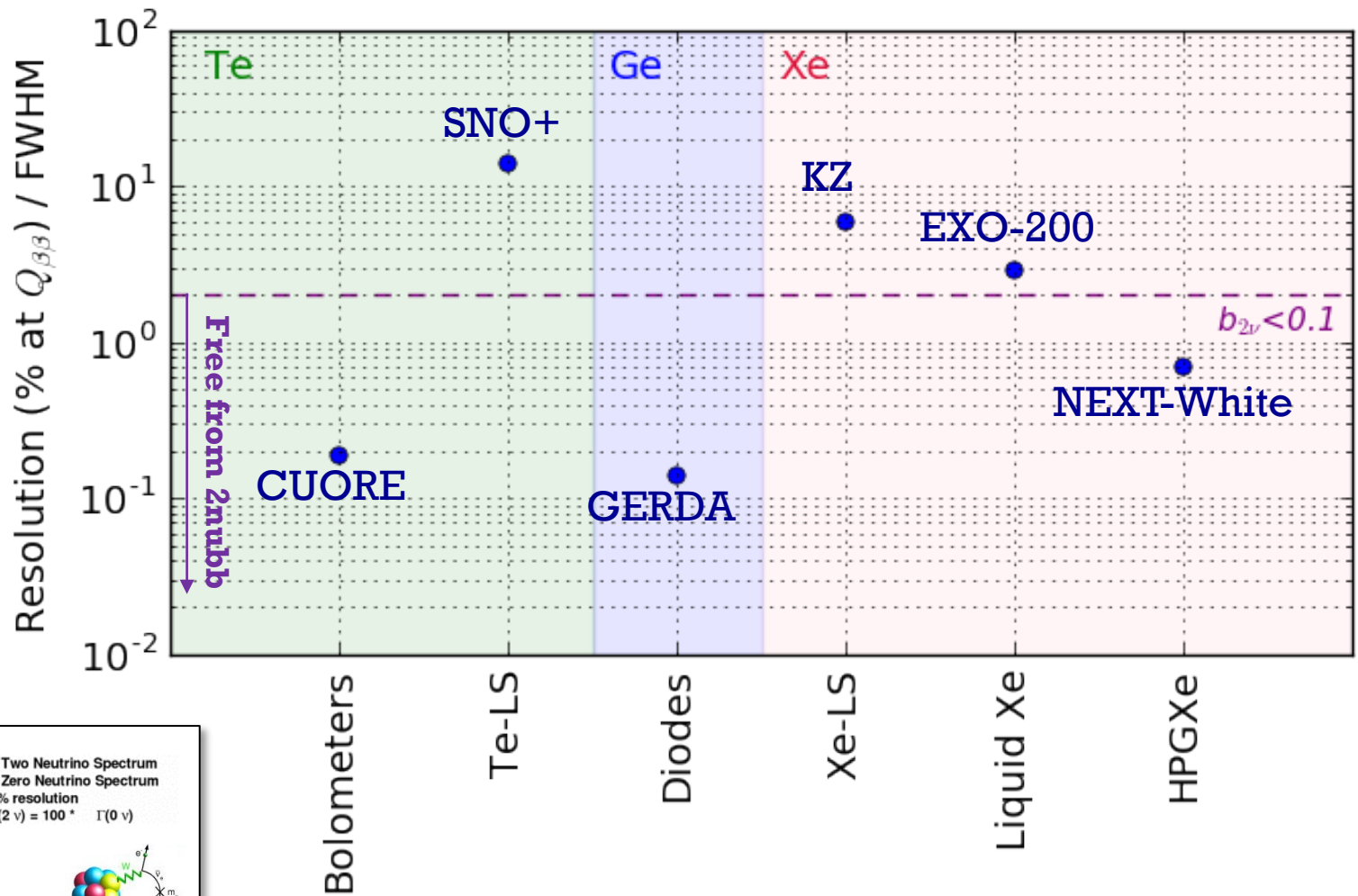
† Estimation based on the spallation MC study. This event rate constraint is not applied to the spectrum fit.

THE IDEAL EXPERIMENT:



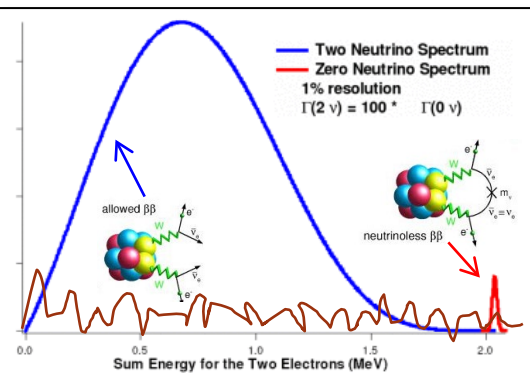
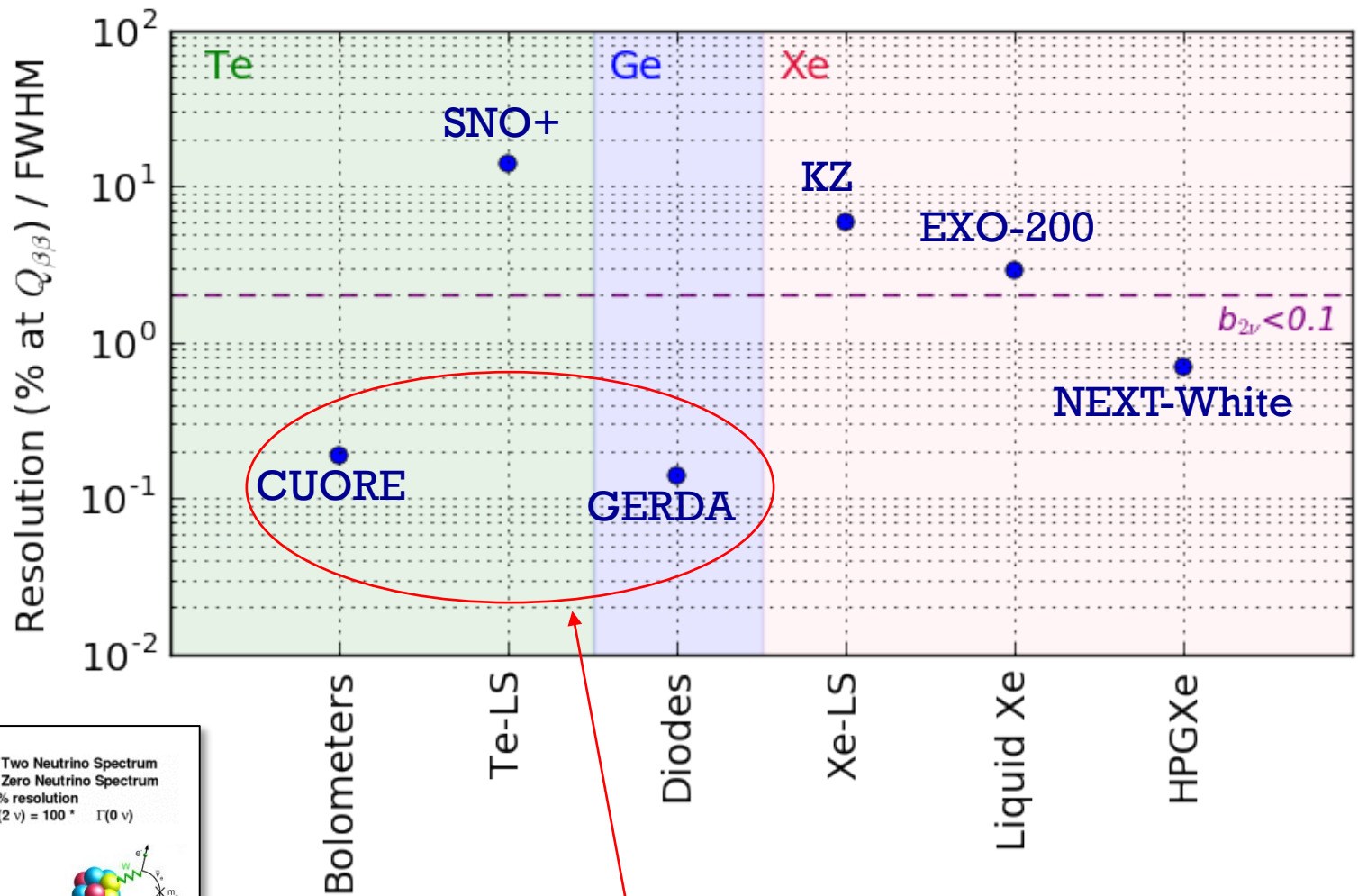
- **MANDATORY:**
 - Resolution better than $\sim 2\%$ FWHM to fully reject two-neutrino mode
- ***Then just watch and wait...***

Measuring Energy



Once free from 2nubb, radioactive and cosmogenic backgrounds become dominant

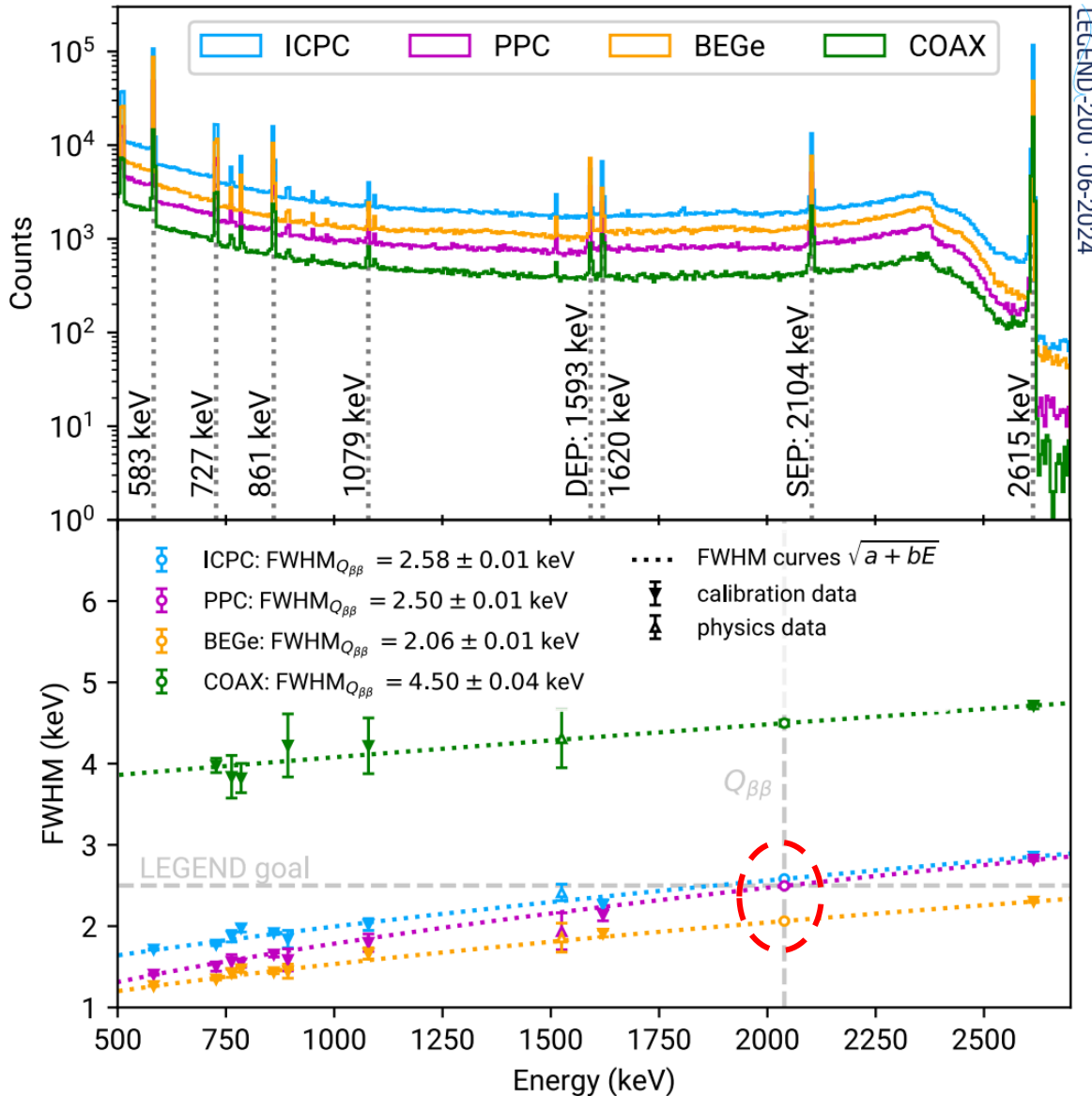
Measuring Energy



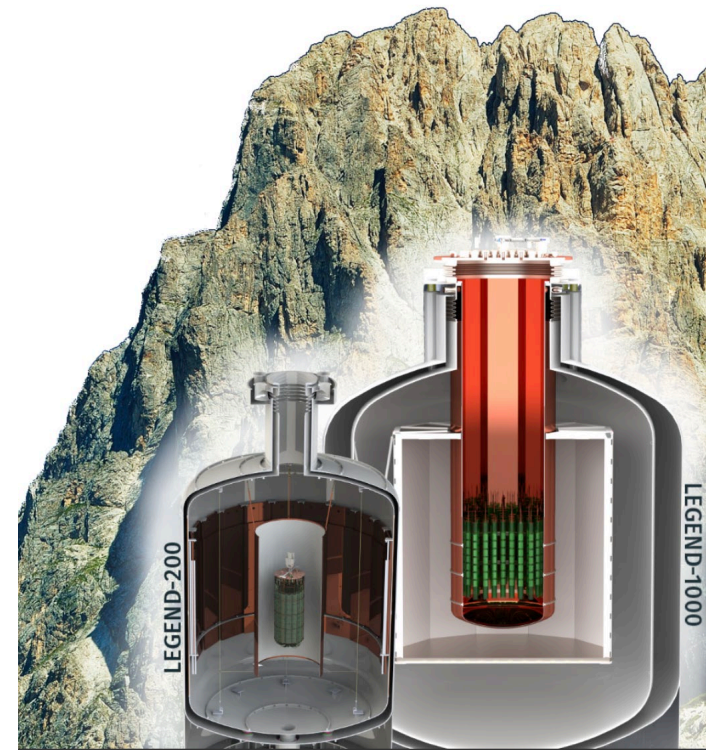
Solid state detectors are amazing for measuring energy.

LEGEND

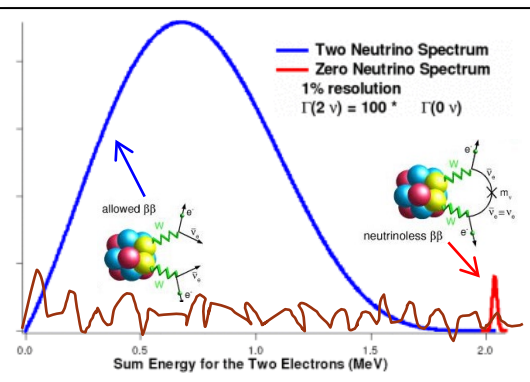
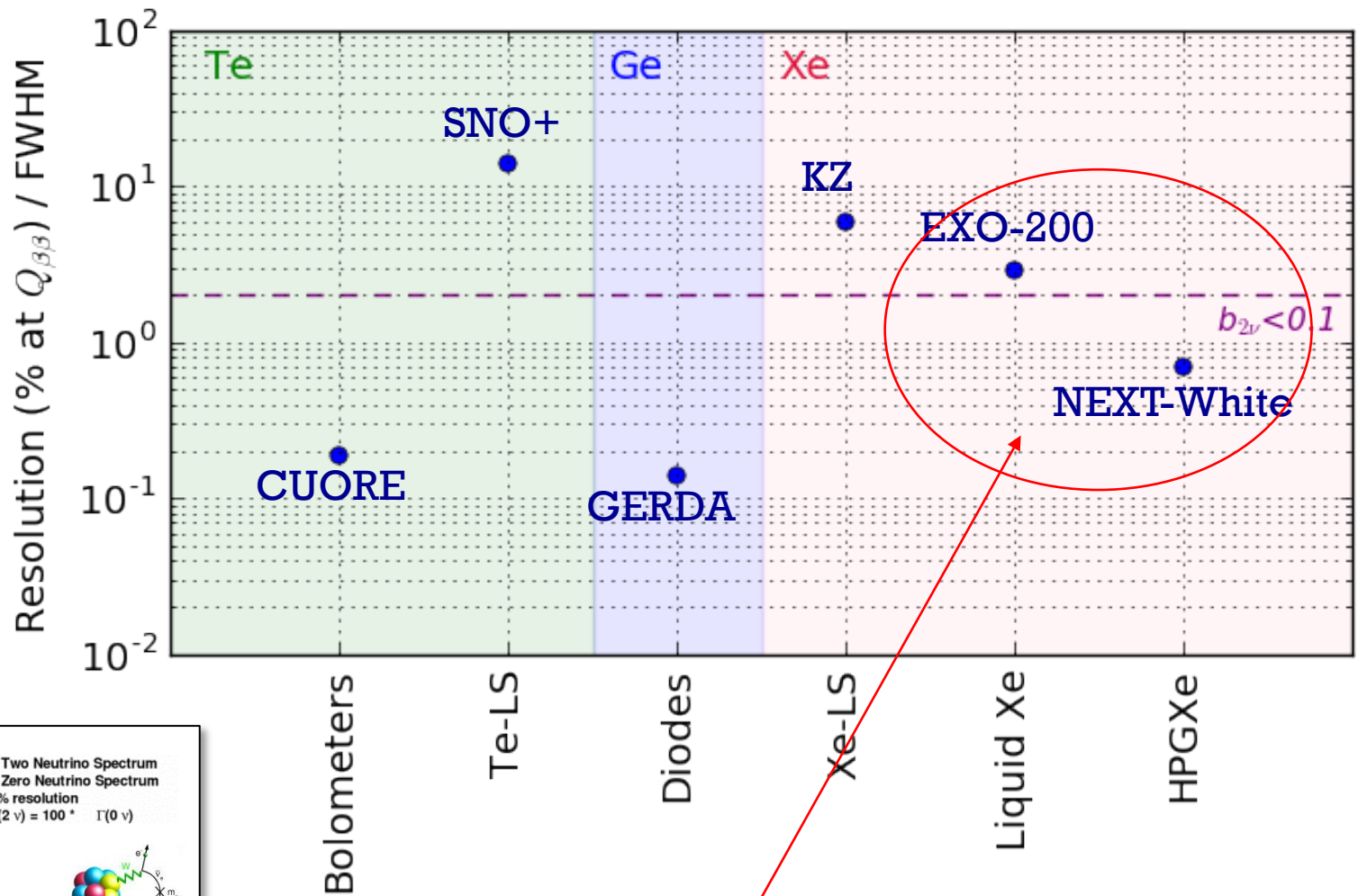
LEGEND200 backgrounds and energy resolutions:



- 200kg, eventually 1000kg, of enriched ^{76}Ge crystals
- The king of excellent E resolution - $0.1\%FWHM$ in the best crystals.

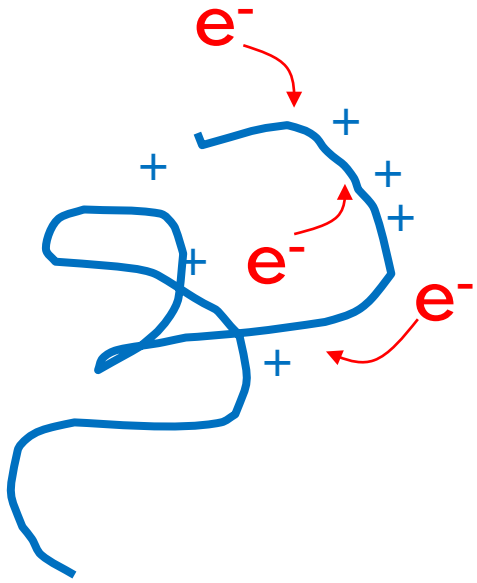


Measuring Energy



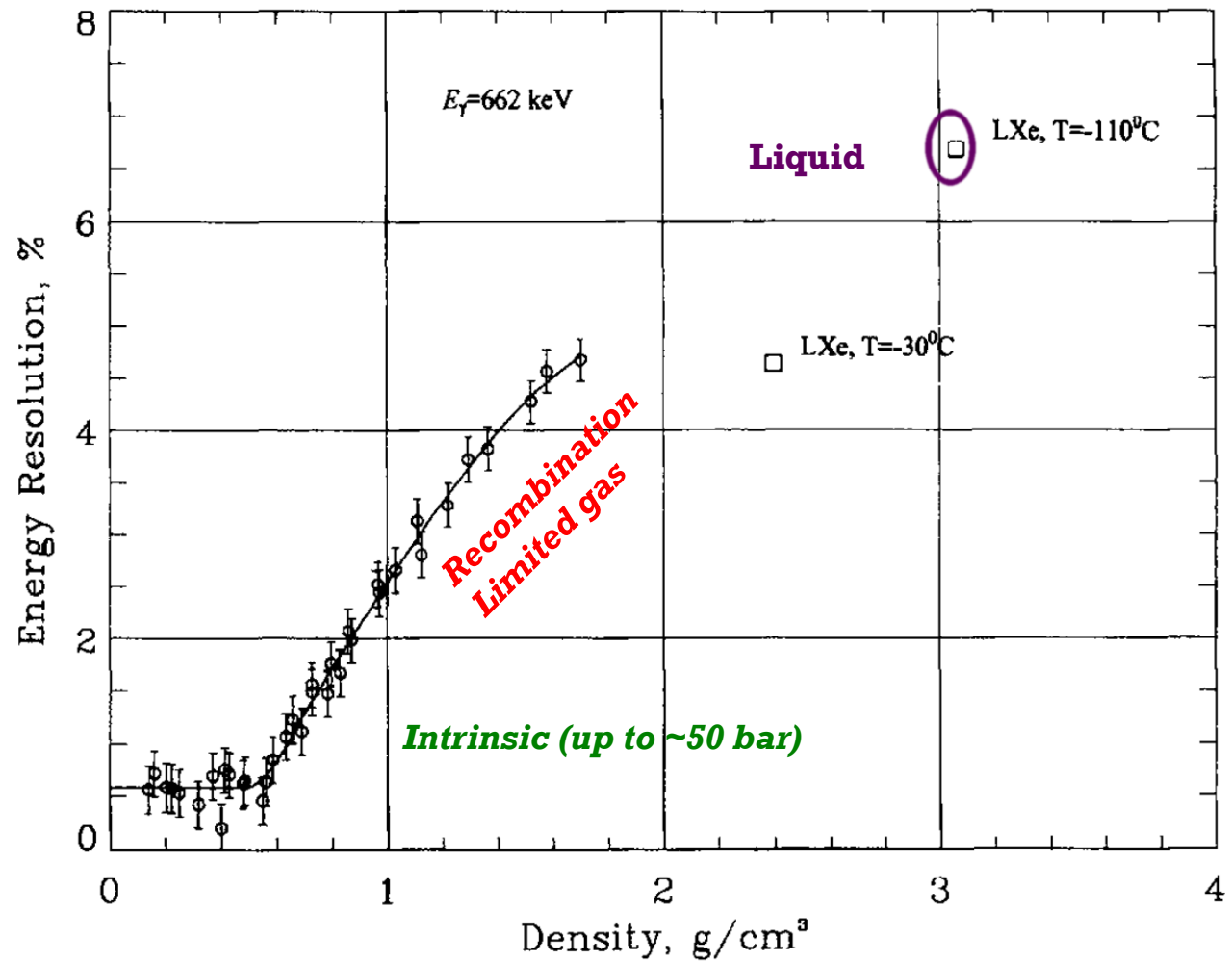
Xenon gas much better energy resolution than liquid Xe, why?

RECOMBINATION-LIMITED IONIZATION ENERGY RESOLUTION



Fluctuations in electron-ion recombination limit energy resolution for dense TPCs.

Every event is a random microscopic shape, so each loses different amounts of charge to recombination.



**Where are the
backgrounds
from?**

Radiogenics

Solar neutrinos(!)

Cosmogenics

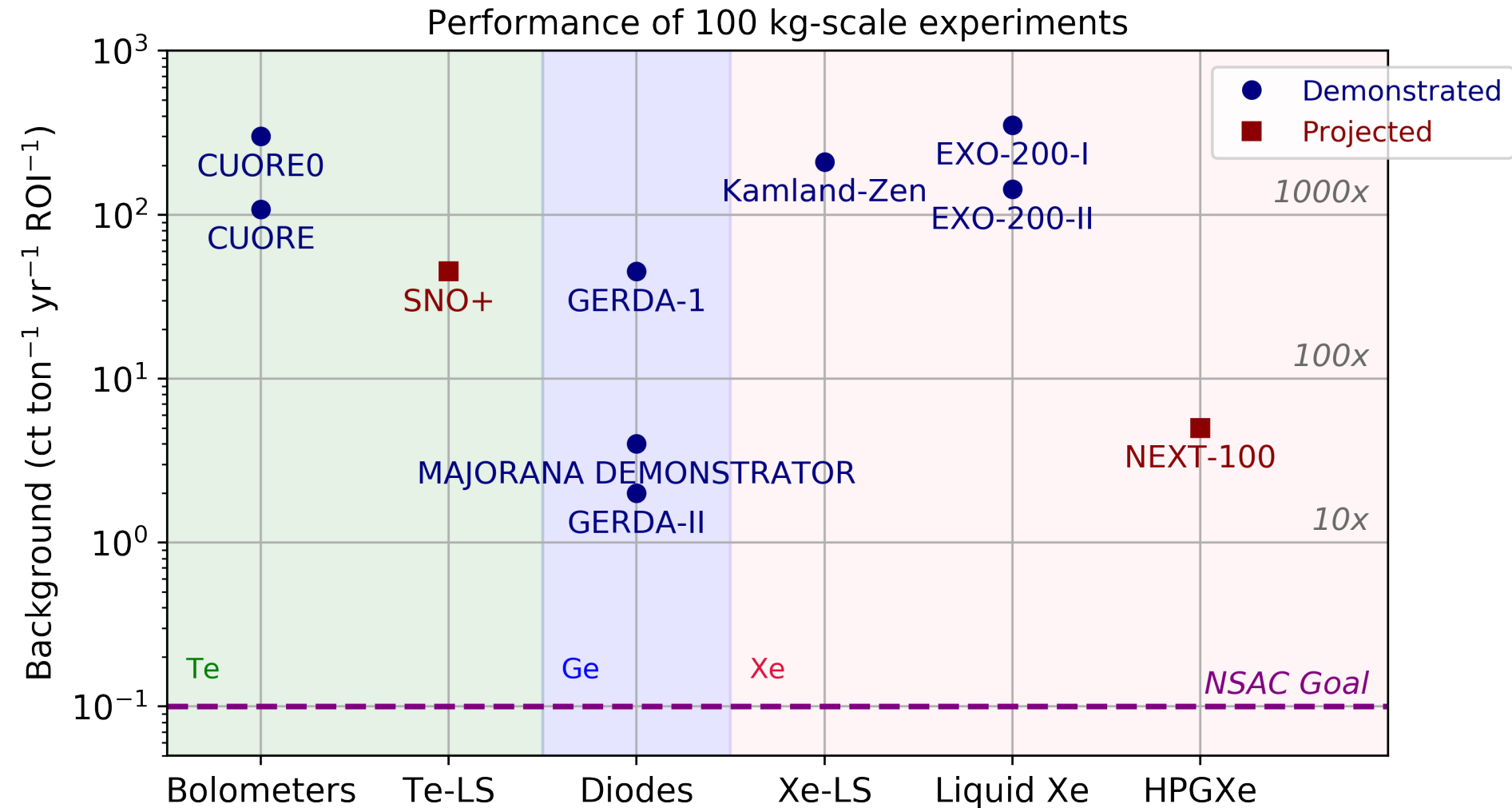
**These will limit all
future experiments.**

TABLE I: Summary of the estimated and best-fit background contributions for the frequentist and Bayesian analyses in the energy region $2.35 < E < 2.70$ MeV within the 1.57-m-radius spherical volume. In total, 24 events were observed.

Background	Estimated	Best-fit	
		Frequentist	Bayesian
$^{136}\text{Xe } 2\nu\beta\beta$	-	11.98	11.95
Residual radioactivity in Xe-LS			
^{238}U series	0.14 ± 0.04	0.14	0.09
^{232}Th series	-	0.84	0.87
External (Radioactivity in IB)			
^{238}U series	-	3.05	3.46
^{232}Th series	-	0.01	0.01
Neutrino interactions			
^8B solar νe^- ES	1.65 ± 0.04	1.65	1.65
Spallation products			
Long-lived	$7.75 \pm 0.57^\dagger$	12.52	11.80
^{10}C	0.00 ± 0.05	0.00	0.00
^6He	0.20 ± 0.13	0.22	0.21
^{137}Xe	0.33 ± 0.28	0.34	0.34

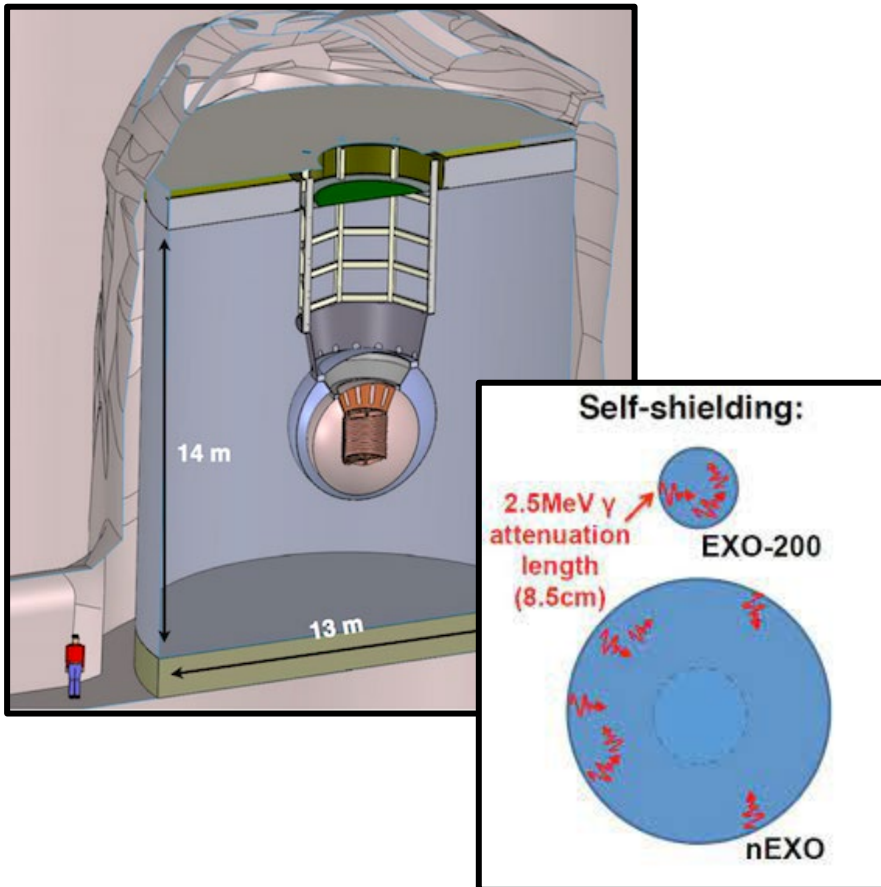
[†] Estimation based on the spallation MC study. This event rate constraint is not applied to the spectrum fit.

“100kg-class” experiments:



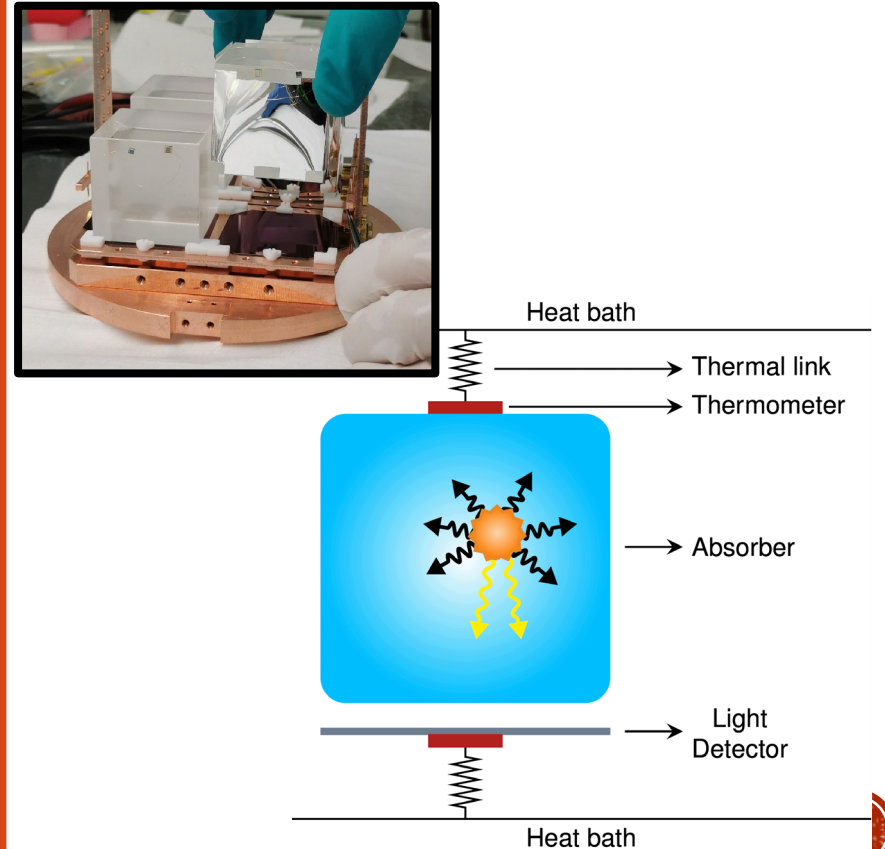
NEXO

- Proposed ton-scale liquid xenon detector.
- Self-shielding of xenon from outer regions protects inner clean volume from backgrounds

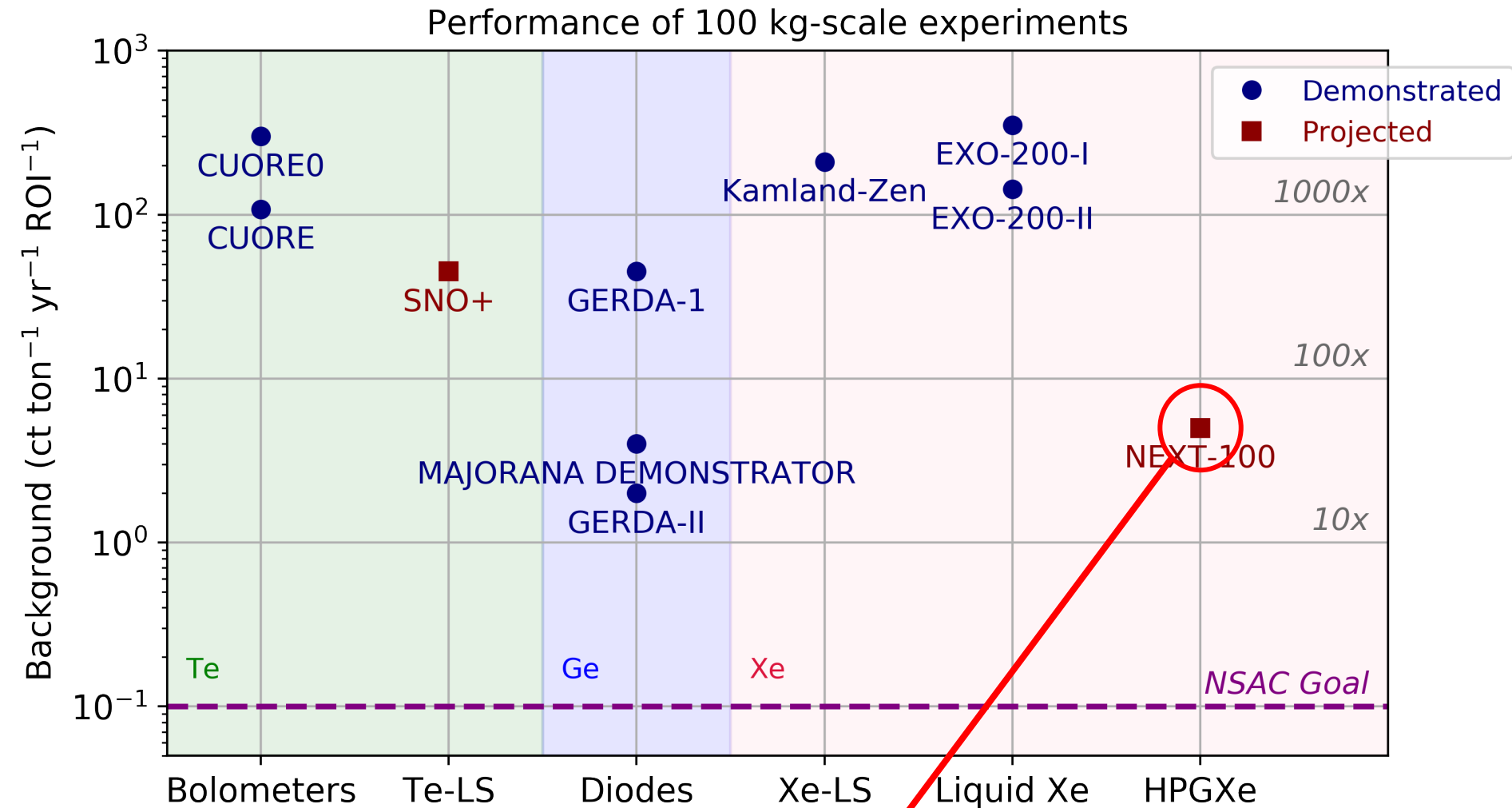


CUPID

- Cryogenic bolometers coupled to light sensors
- Precise calorimetry and optical handle on surface backgrounds advances on the CUORE approach.



“100kg-class” experiments:



I work on this one, so I'm going to tell you about it.

THE NEXT PROGRAM



- Sequence of HPGXe TPCs, focused on achieving big, very low background xenon $0\nu\beta\beta$ detector

→ NEXT-DBDM

(Berkeley, US)

→ NEXT-DEMO

(Valencia, Spain)

→ NEXT-White

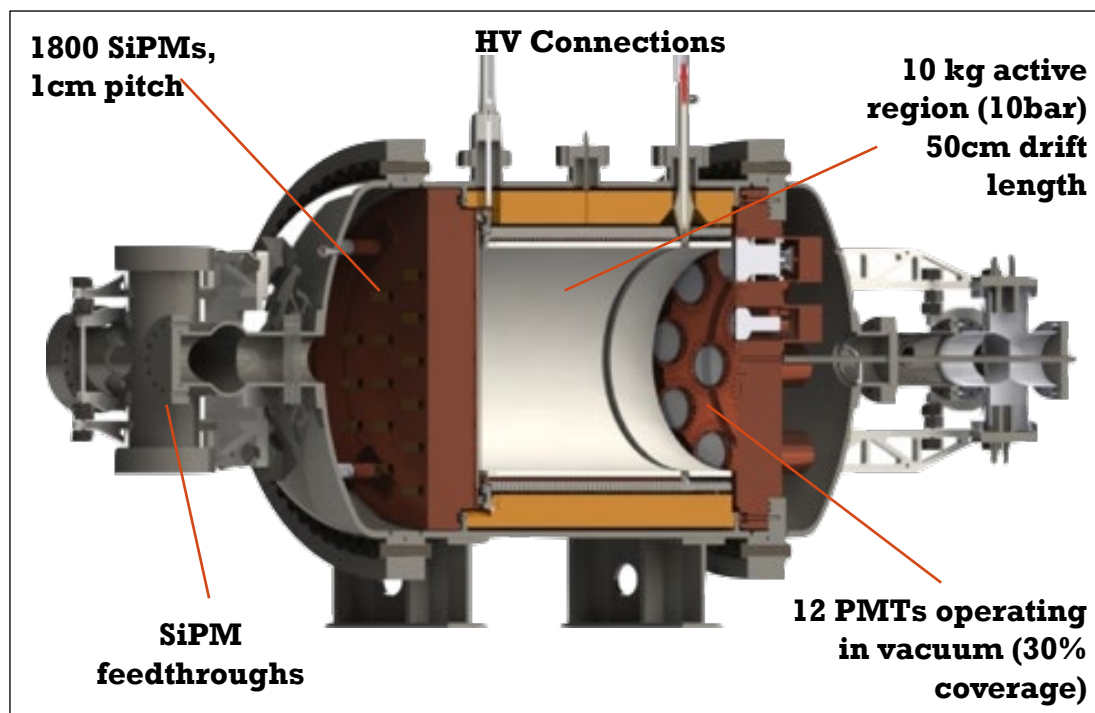
(Canfranc, Spain)

→ NEXT-100

(Canfranc, Spain)



→ N-Ton Scale

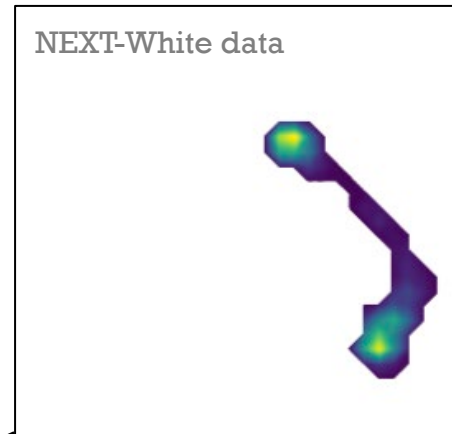
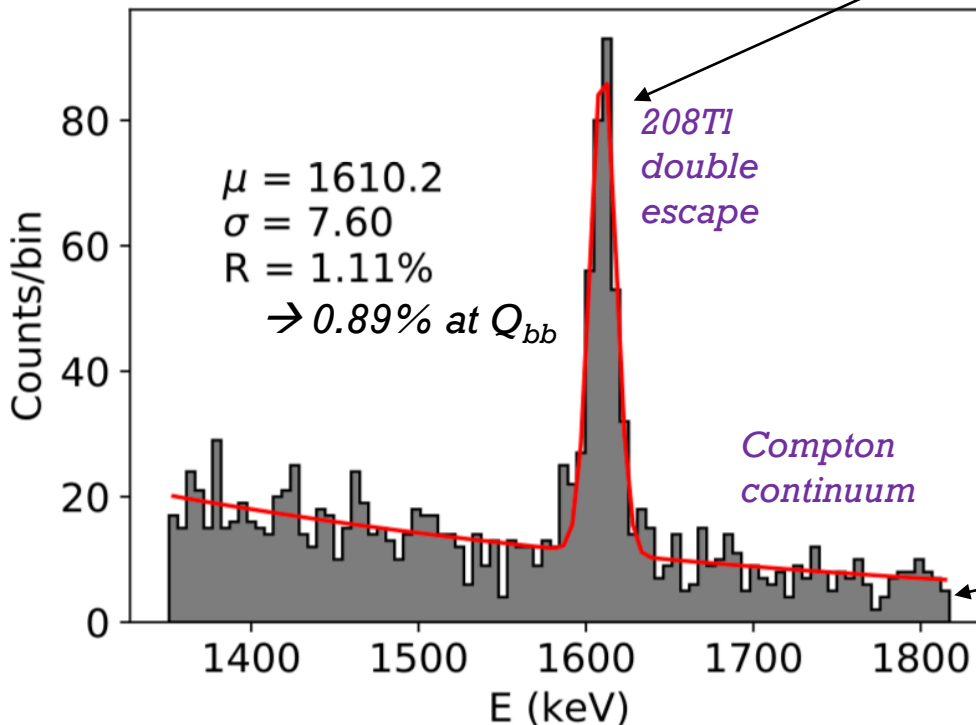


NEXT-White operating now
Full underground technology
demonstrator @10kg scale

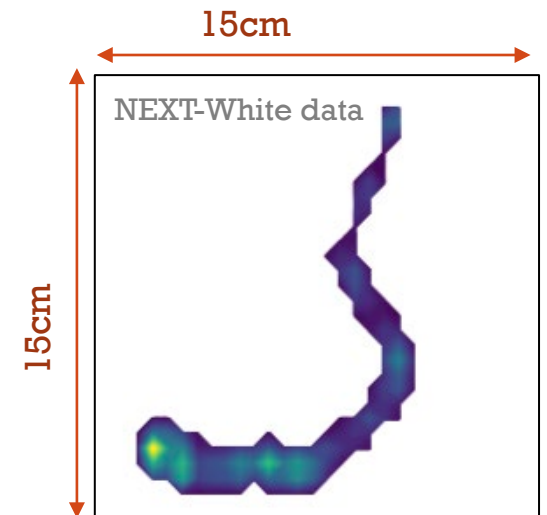
THE ^{208}Tl DOUBLE ESCAPE PEAK

SM process that makes e^+e^- at a well-defined energy.

We get to see energy resolution and topology all in one plot!

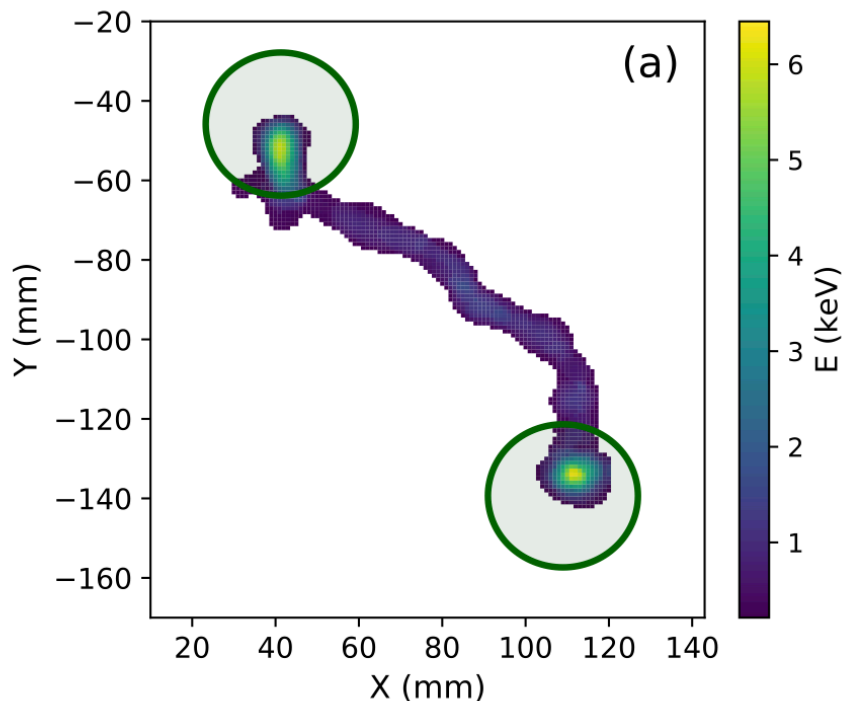


On double escape peak

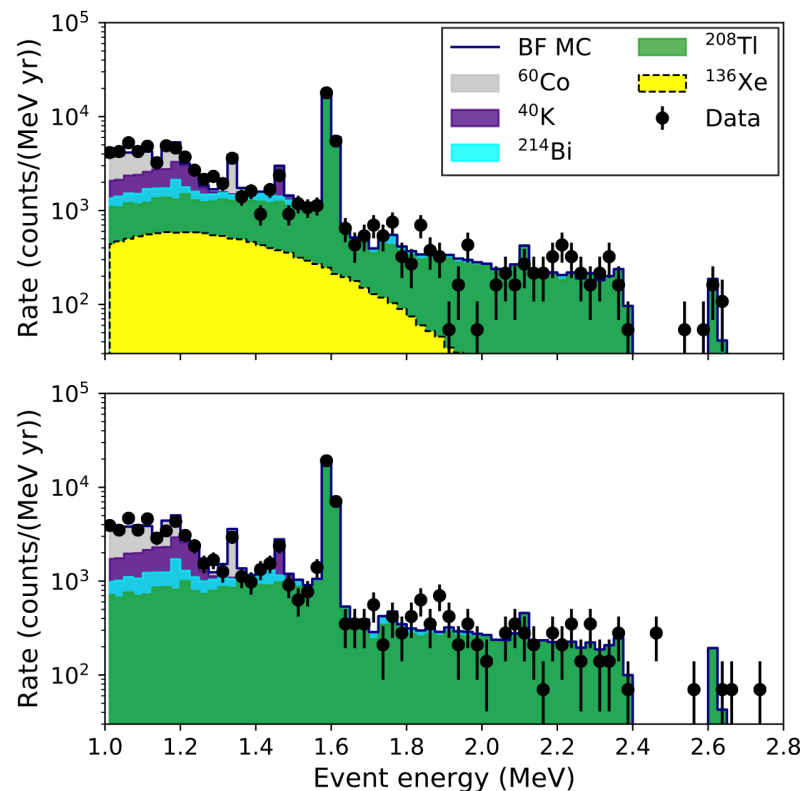


Off double escape peak

TWO-NEUTRINO DOUBLE BETA DECAY EVENTS



NEXT-White data
Topologically
identified and away
from double escape
peaks



PHYSICAL REVIEW C

covering nuclear physics

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Measurement of the ^{136}Xe two-neutrino double- β -decay half-life via direct background subtraction in NEXT

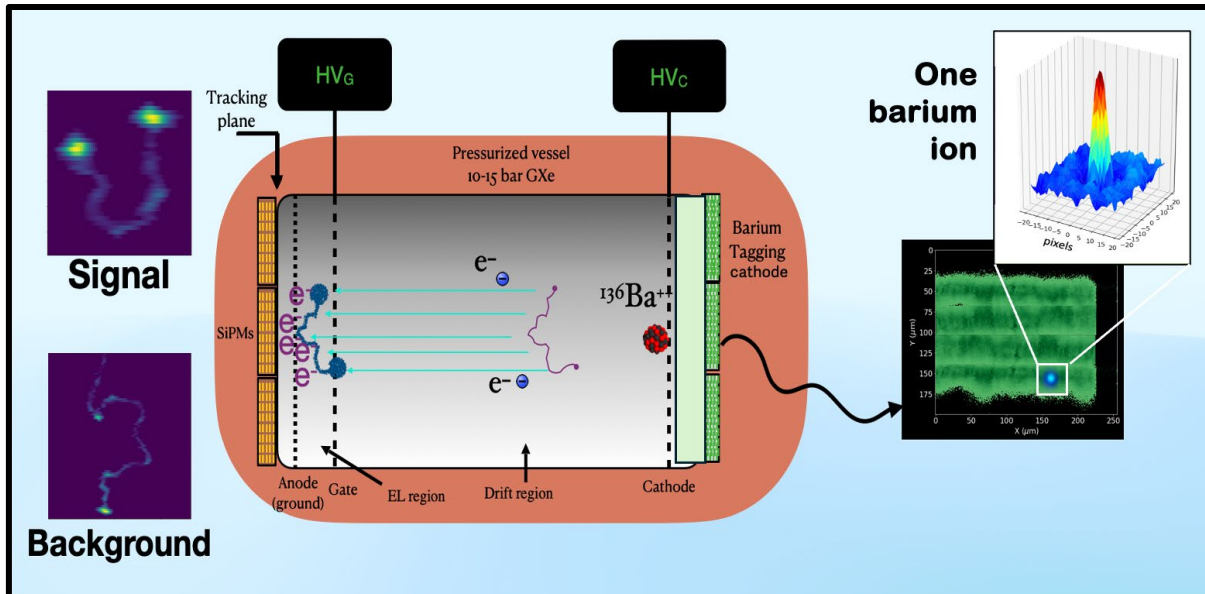
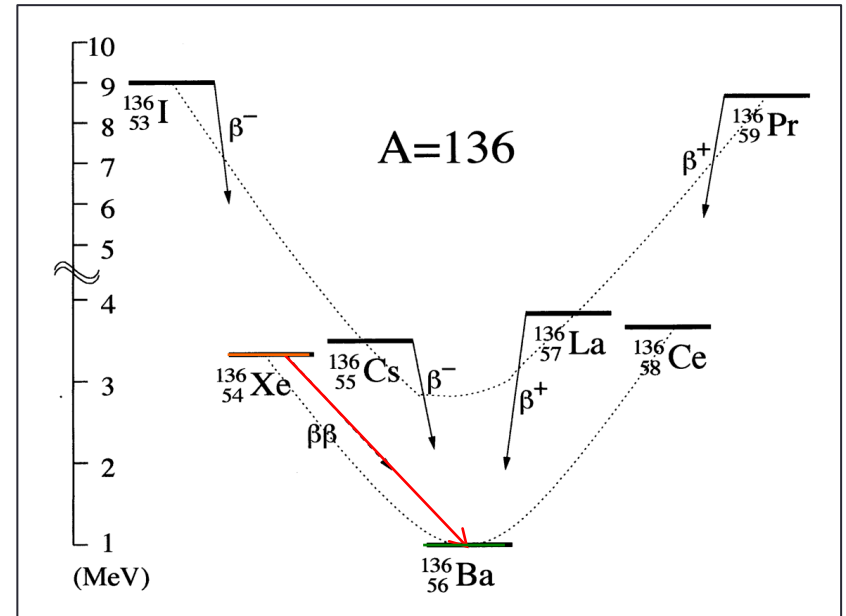
P. Novella *et al.* (NEXT Collaboration)
Phys. Rev. C **105**, 055501 – Published 10 May 2022

BARIUM TAGGING

(My fave thing: forgive me for indulging ☺)

Barium ion is only produced in a true $\beta\beta$ decay, not in any other radioactive event →

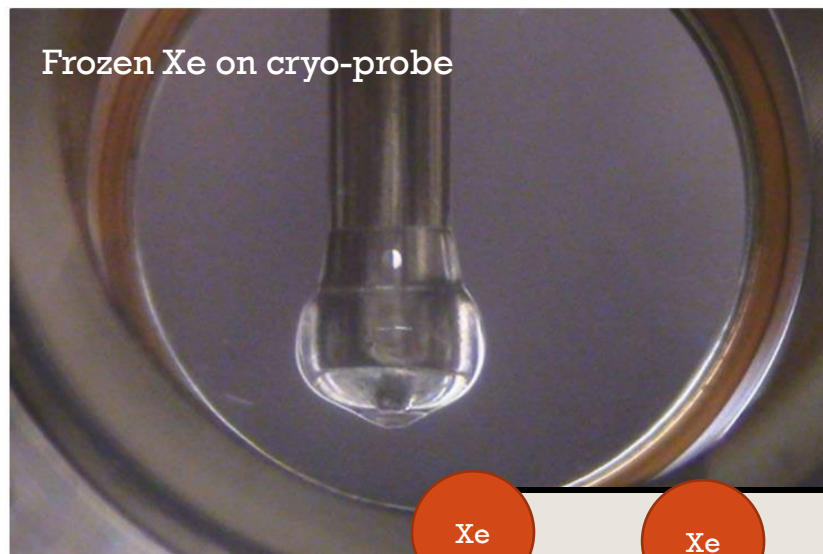
Identification of Ba ion plus $\sim 1\%$ FWHM energy measurement would give a background-free experiment.



Is it plausible to detect an individual barium ion or atom in a ton of material, inside a working xenon TPC?

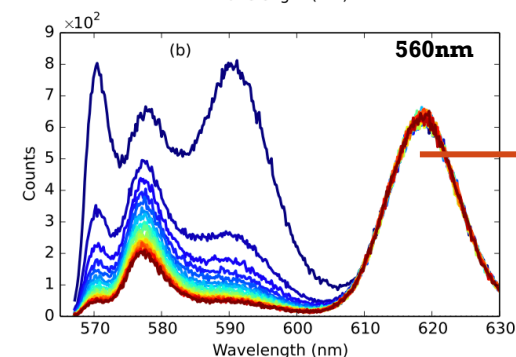
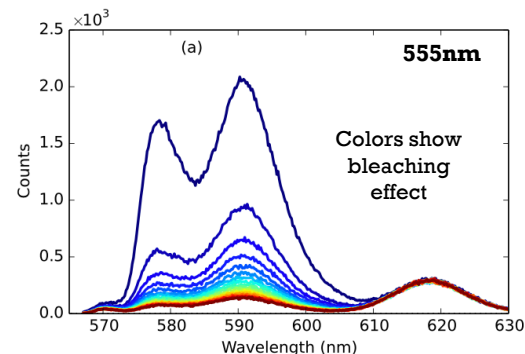
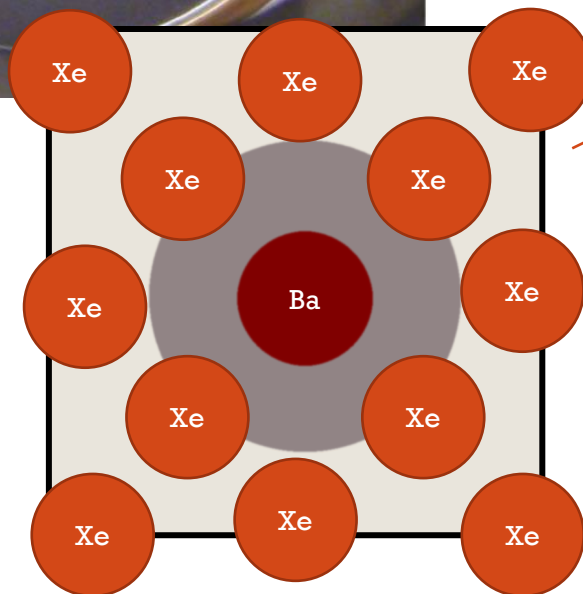
BA IMAGING IN XENON ICE

nEXO has developed methods of imaging Ba^+ and Ba^0 in carefully grown xenon ice.

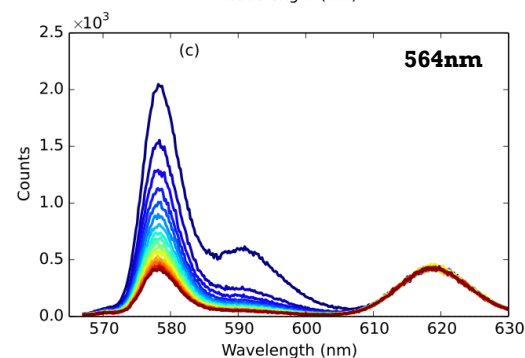
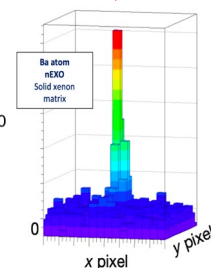


Various types of defect sites

Individual Ba atoms imaged in frozen xenon matrices in vacuum



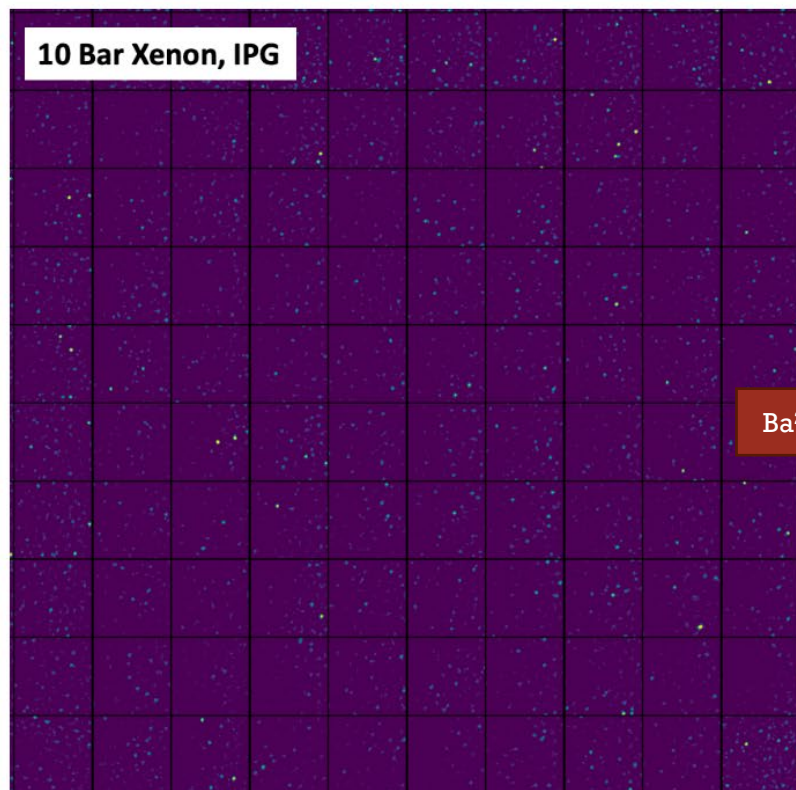
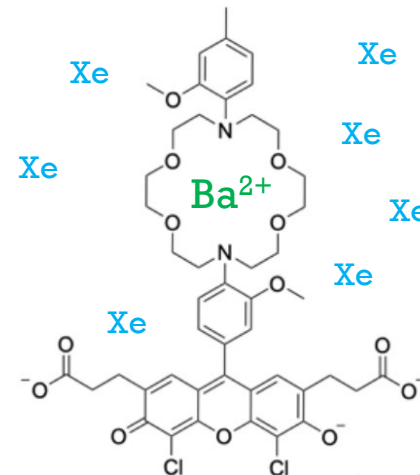
Single Ba^{2+} imaged in this site



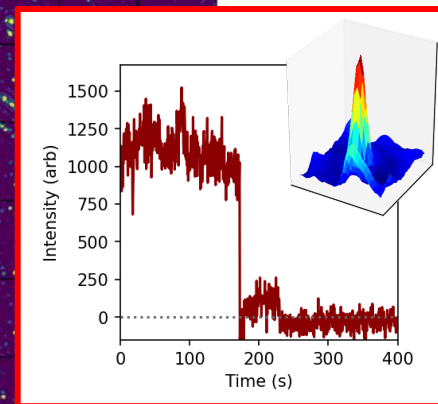
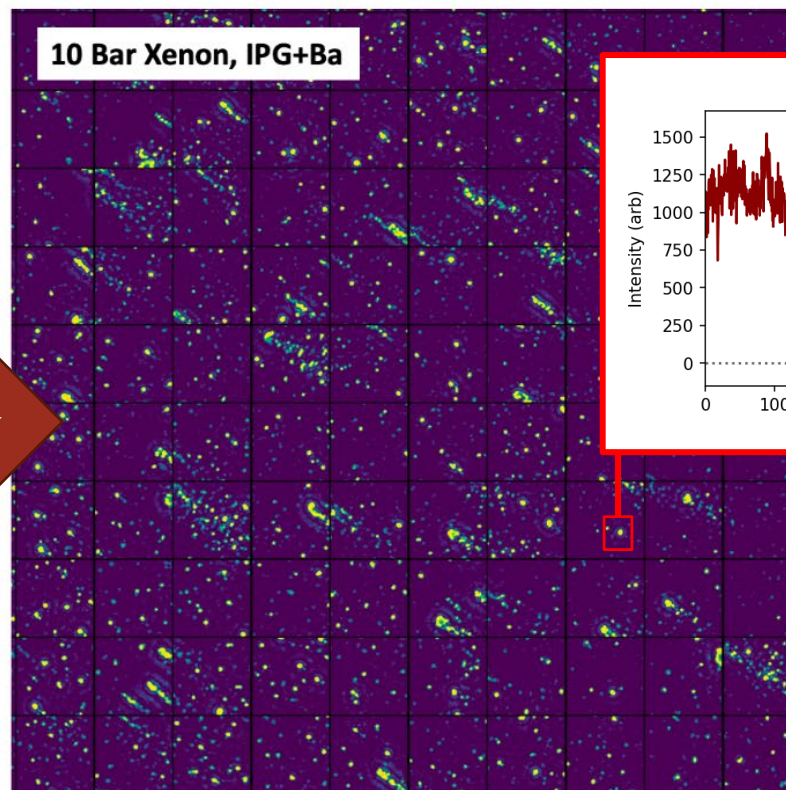
BA IMAGING IN XENON GAS

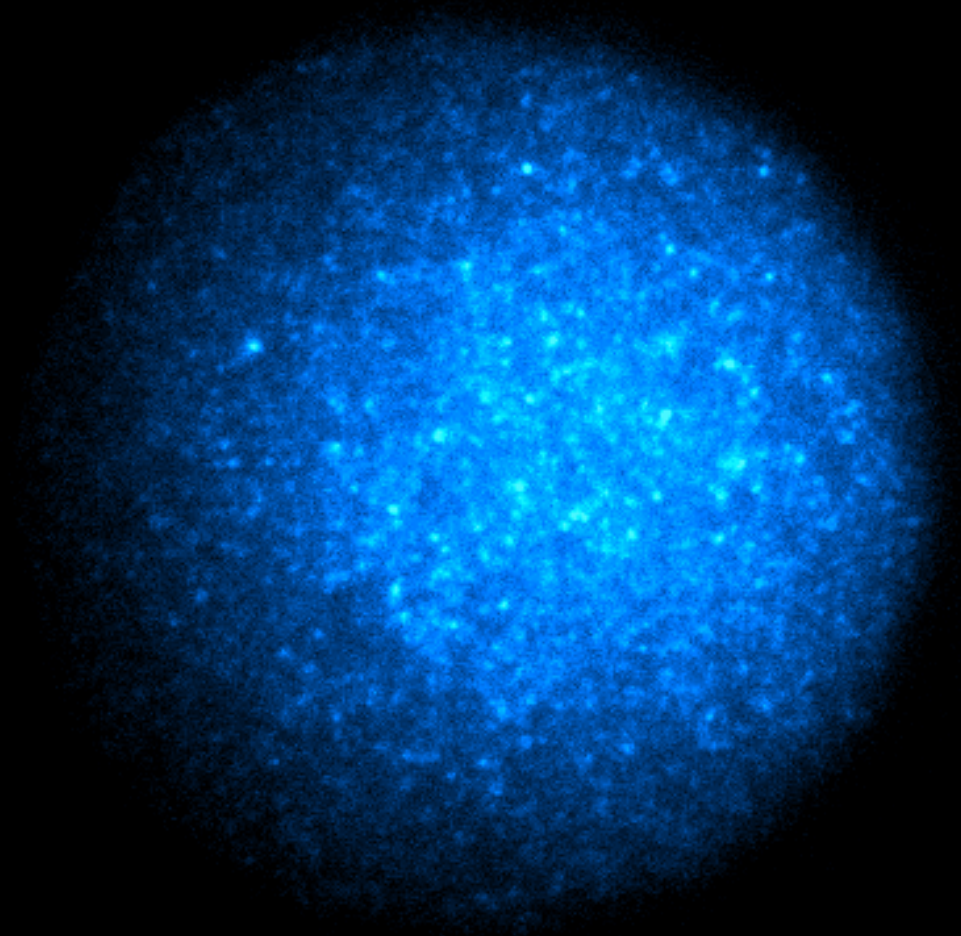
NEXT has built microscopy systems capable of imaging individual barium ions in high pressure xenon gas environments.

1mm x 1mm area can be scanned with single ion precision.



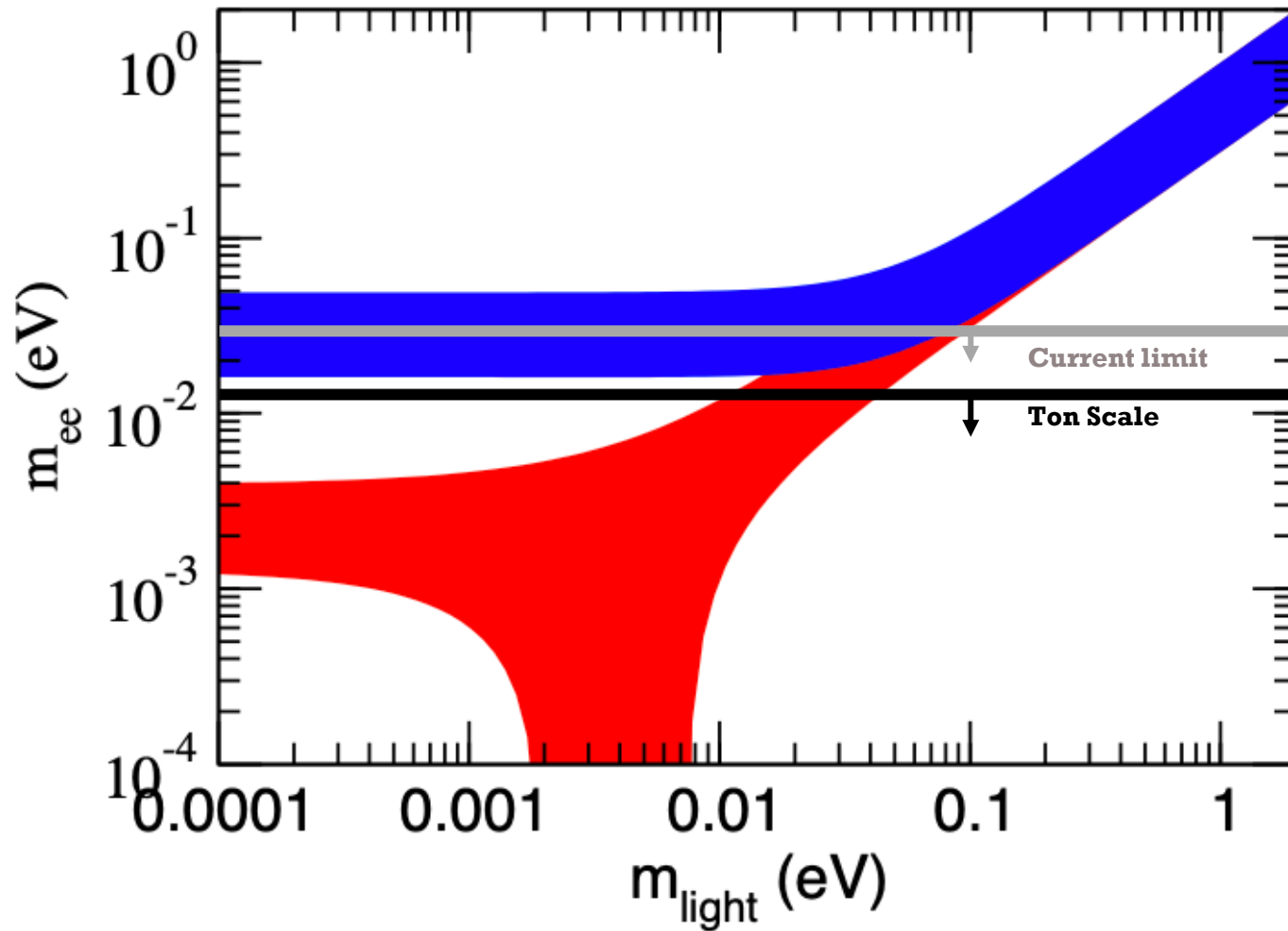
Ba^{2+}





Single Ba²⁺ molecular complexes

THE TON SCALE



**We need to do this
with multiple
isotopes and
techniques**



1016.05 kg



1000.00 kg

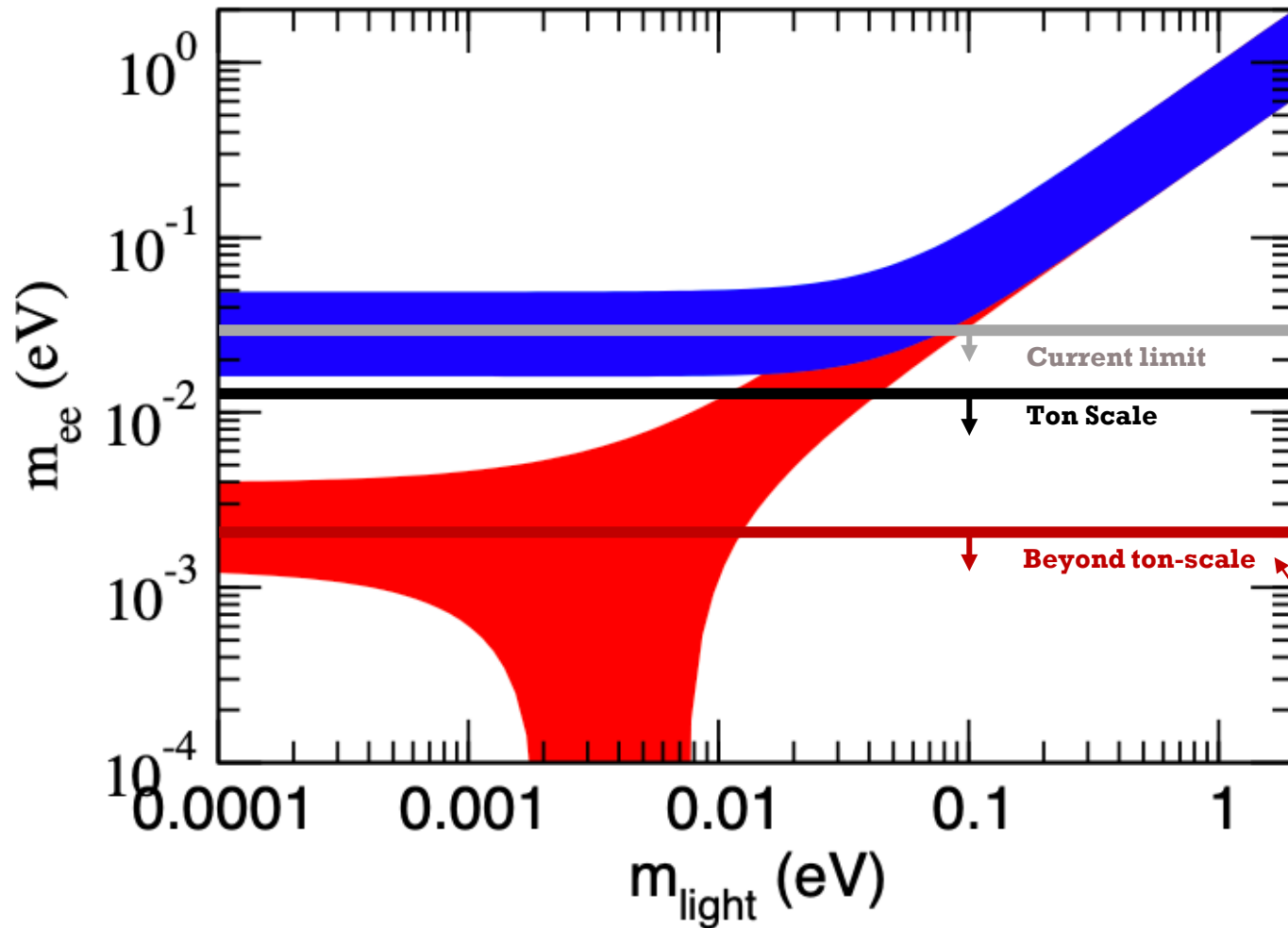


907.19 kg



NB: if you use these tons, the sensitivity will be better.

TOWARD NORMAL ORDERING



**Can we ever
do this?**

ISOTOPES

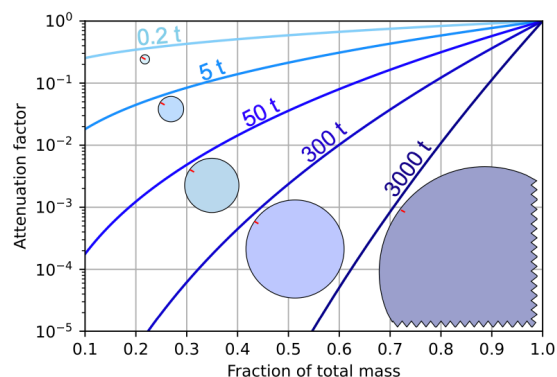
- Will need hundreds of tons of isotope. Current industrial production of any species is insufficient.
- There are difficulties with both **acquisition** of raw material and its **enrichment**.
- Some notable factoids:
 - **Tellurium:**
Comes naturally enriched to 34%. So natural tellurium is the most viable for an unenriched experiment.
 - **Molybdenum:**
New capacity for enrichment of Molybdenum in 100Mo for nuclear medicine is needed. Onubb may be parasitic?
 - **Germanium:**
Semiconductor industry enriches germanium already; ^{76}Ge can in principle be extracted as byproduct?
 - **Xenon:**
Atmospheric carbon capture technology based on metal organic frameworks has plausible extendibility to capture atmospheric Xe. Free from steel industry capacity limit?
- **Both enrichment R&D and new major facilities would be needed to produce isotope at the scale needed for a normal-ordering scale experiment.**



GIANT TPCS

Kiloton-scale xenon detectors for neutrinoless double beta decay and other new physics searches

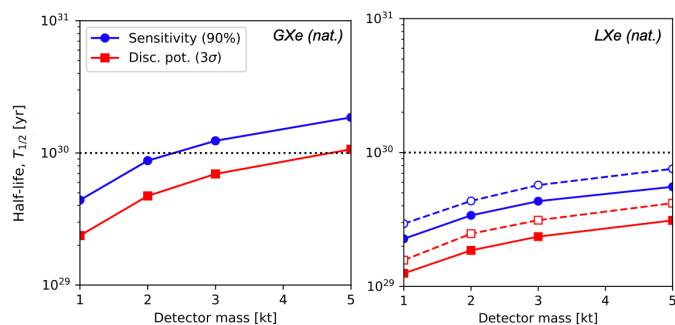
A. Avasthi,¹ T.W. Bowyer,² C. Bray,³ T. Brunner,^{4,5} N. Catarineu,⁶ E. Church,² R. Guenette,⁷ S.J. Haselschwardt,⁸ J.C. Hayes,² M. Heffner,^{6,*} S.A. Hertel,⁹ P.H. Humble,² A. Jamil,¹⁰ S.H. Kim,⁶ R.F. Lang,¹¹ K.G. Leach,³ B.G. Lenardo,¹² W.H. Lippincott,¹³ A. Marino,³ D.N. McKinsey,^{14,8} E.H. Miller,^{15,16} D.C. Moore,^{10,†} B. Mong,¹⁵ B. Monreal,¹ M.E. Monzani,^{15,16} I. Olcina,^{8,14} J.L. Orrell,² S. Pang,⁶ A. Pocar,⁹ P.C. Rowson,¹⁵ R. Saldanha,² S. Sangiorgio,⁶ C. Stanford,⁷ and A. Visser⁶



← Radiogenics become totally irrelevant due to self shielding

Cosmogenics and solar neutrinos become a serious concern!

If energy resolution achievable at scale, with kiloton masses, normal ordering parameter space is accessible.

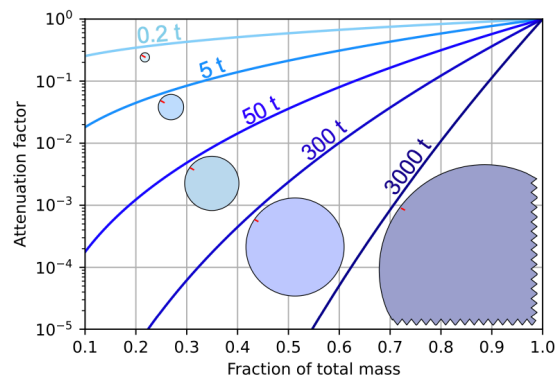


GIANT TPCS

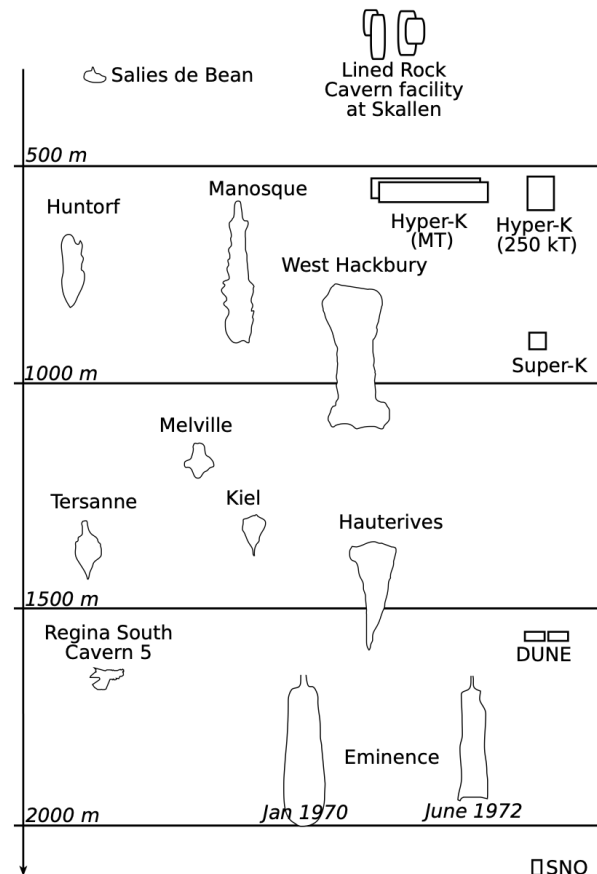
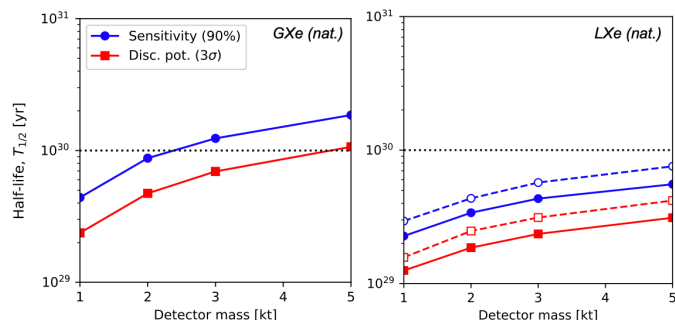
...in salt caverns?

Kiloton-scale xenon detectors for neutrinoless double beta decay and other new physics searches

A. Avasthi,¹ T.W. Bowyer,² C. Bray,³ T. Brunner,^{4,5} N. Catarineu,⁶ E. Church,² R. Guenette,⁷ S.J. Haselschwardt,⁸ J.C. Hayes,² M. Heffner,^{6,*} S.A. Hertel,⁹ P.H. Humble,² A. Jamil,¹⁰ S.H. Kim,⁶ R.F. Lang,¹¹ K.G. Leach,³ B.G. Lenardo,¹² W.H. Lippincott,¹³ A. Marino,³ D.N. McKinsey,^{14,8} E.H. Miller,^{15,16} D.C. Moore,^{10,†} B. Mong,¹⁵ B. Monreal,¹ M.E. Monzani,^{15,16} I. Olcina,^{8,14} J.L. Orrell,² S. Pang,⁶ A. Pocar,⁹ P.C. Rowson,¹⁵ R. Saldanha,² S. Sangiorgio,⁶ C. Stanford,⁷ and A. Visser⁶



If energy resolution achievable at scale, with kiloton masses, normal ordering parameter space is accessible.



High-pressure TPCs in pressurized caverns: opportunities in dark matter and neutrino physics

Author:

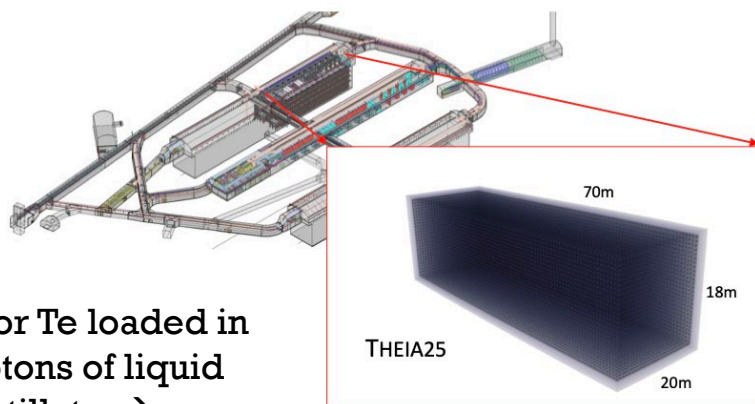
Benjamin Monreal (Case Western Reserve U.) [benjamin.monreal@case.edu]

ISOTOPE IN KTONS OF LIQUID SCINTILLATOR...

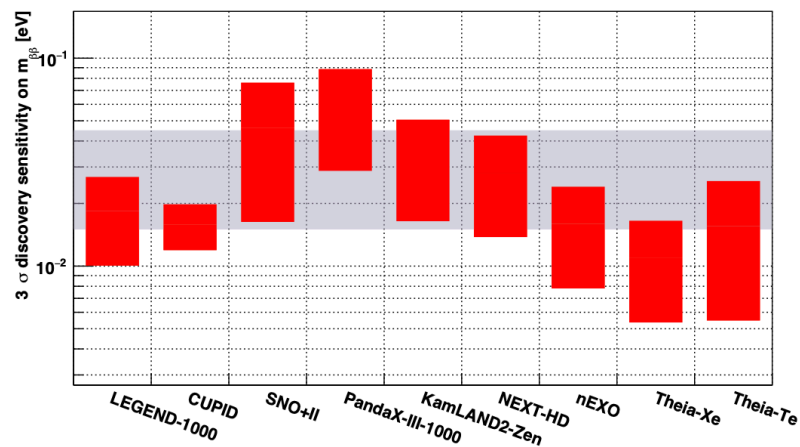
THEIA: Summary of physics program

Snowmass White Paper Submission

M. Askins,^{1,2} Z. Bagdasarian,^{1,2} N. Barros,^{3,4,5} E.W. Beier,³ A. Bernstein,⁶ M. Böhles,⁷ E. Blucher,⁸



Xe or Te loaded in
kilotons of liquid
scintillator →

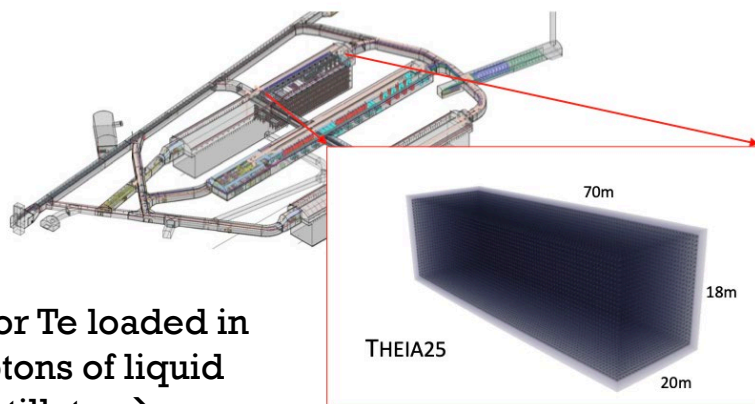


ISOTOPE IN KTONS OF LIQUID SCINTILLATOR...

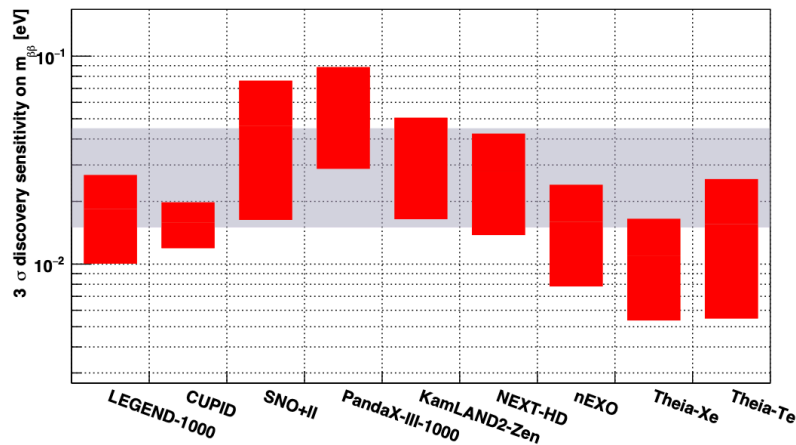
THEIA: Summary of physics program

Snowmass White Paper Submission

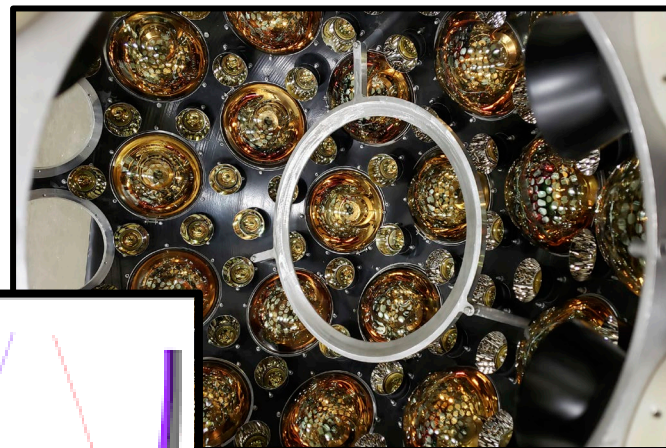
M. Askins,^{1,2} Z. Bagdasarian,^{1,2} N. Barros,^{3,4,5} E.W. Beier,³ A. Bernstein,⁶ M. Böhles,⁷ E. Blucher,⁸



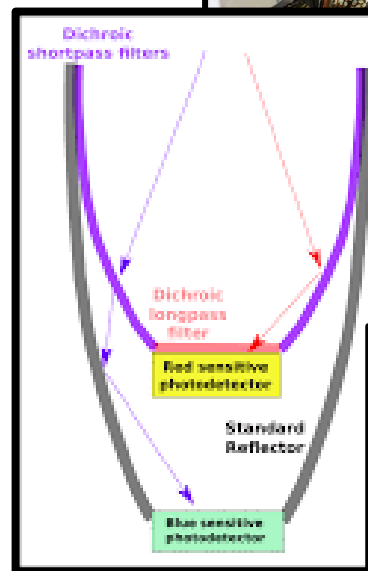
Xe or Te loaded in kilotons of liquid scintillator →



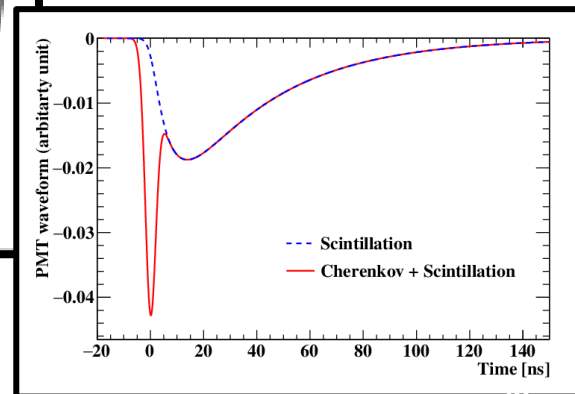
Much, much R&D...



Quantum dot doped liquid scintillator @NuDot



Dichroicon



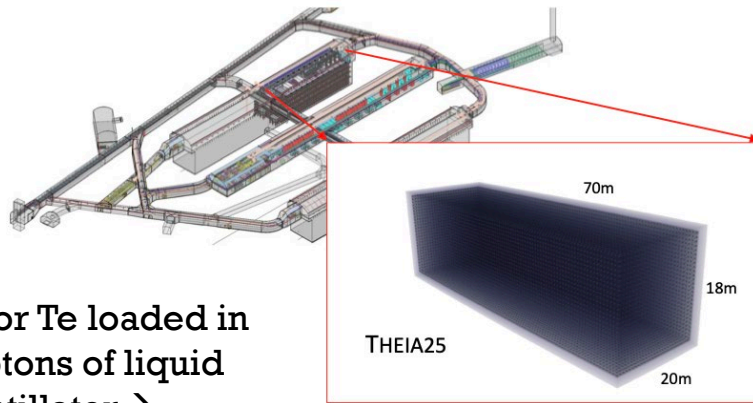
Slow scintillator for Cherenkov separation

ISOTOPE IN KTONS LS, OR IN LIQUID ARGON?

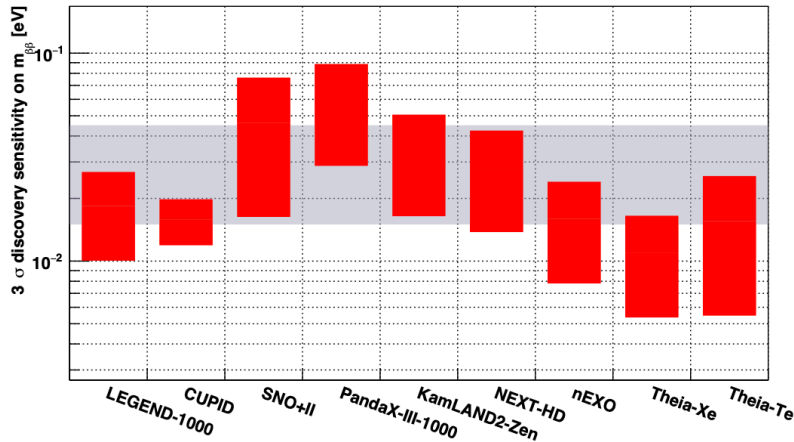
THEIA: Summary of physics program

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Xe or Te loaded in kilotons of liquid scintillator →



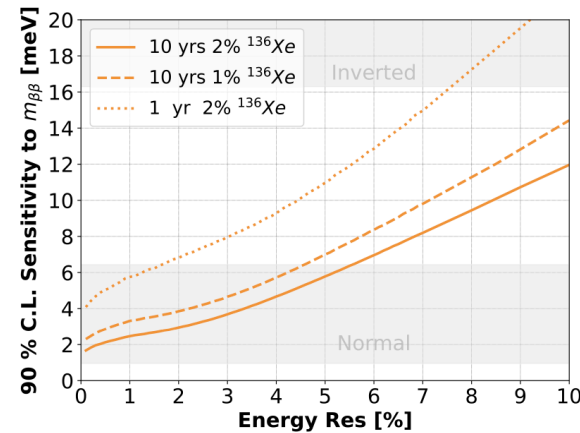
Xenon-Doped Liquid Argon TPCs as a Neutrinoless Double Beta Decay Platform

A. Mastbaum,¹ F. Psihas,² and J. Zennaro²

¹Rutgers University, Piscataway, NJ, 08854, USA

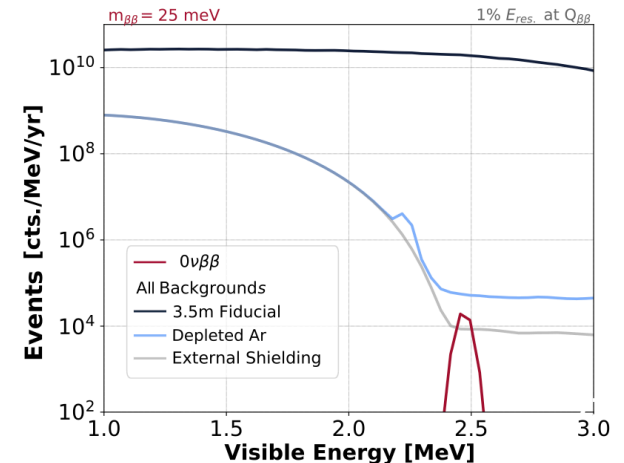
²Fermi National Accelerator Laboratory (FNAL), Batavia, IL 60510, USA

(Dated: March 29, 2022)



← Achieving this energy resolution in DUNE is an extreme challenge.

Argon also needs to be depleted to remove background from ^{42}Ar →



CONCLUSIONS

- NDBD is the only sensitive known way to probe the Majorana nature of the neutrino.
- Experiments at the 100kg scale have demonstrated background indices in the range 2-200 ct/ton/ky/yr
- Ton-scale experiments plan to reduce backgrounds by 1.5-3 orders of magnitude relative 100kg phases and probe the inverted mass ordering range of parameter space.
- Beyond-ton-scale will require huge, ultra-low background detectors that we don't yet know how to build, but need to figure out!